

GZK Neutrinos after Fermi-LAT

arXiv:1005.2620, Astroparticle Physics (in press)

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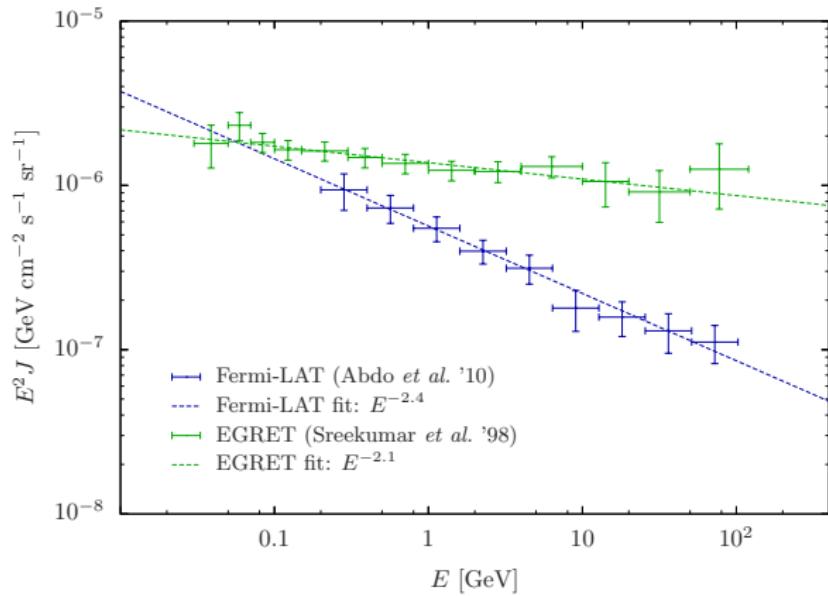


“TeV Astroparticle Physics”, Paris, July 19-23, 2010

Fermi-LAT vs. EGRET

- New diffuse γ -ray background measured by **Fermi-LAT** is significantly softer than the former measurement by **EGRET**.
- *Reduced energy density sets stronger limits on multi-messenger models, in particular UHE CRs and cosmogenic neutrinos.*

[→ talk by M.Kachelriess; see also Berezinsky/Gazizov/Kachelriess/Ostapchenko'10]



Cosmogenic Neutrinos and the γ -ray Background

- Photopion production of protons in cosmic background radiation (CMB) creates cosmogenic neutrinos. [Greisen'66;Zatsepin/Kuzmin'66;Berezinsky/Zatsepin'69]

$$\begin{aligned} p + \gamma_{\text{bgr}} &\rightarrow \Delta(1232) \rightarrow \pi^+ + n \\ &\quad \hookrightarrow \mu^+ + \nu_\mu \\ &\quad \hookrightarrow e^+ + \nu_e + \bar{\nu}_\mu \\ p + \gamma_{\text{bgr}} &\rightarrow \Delta(1232) \rightarrow \pi^0 + p \\ &\quad \hookrightarrow \gamma + \gamma \end{aligned}$$

- Simultaneous production of **positrons** and **γ -rays** with **comparable energy densities**:

$$\omega_{\text{EM}} : \omega_\nu \sim 5 : 3$$

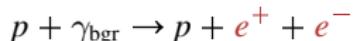
- Electromagnetic (EM) components **cascade** in background radiation via to Fermi-LAT energies (GeV-TeV).
- Diffuse γ -ray background limits the flux of cosmogenic neutrinos (“cascade limit”):

[Mannheim/Protheroe/Rachen'98;Keshet/Waxman/Loeb'04]

$$E^2 J_\nu \lesssim \frac{c}{4\pi} \omega_{\text{cas}} \log \frac{E_{\text{max}}}{E_{\text{min}}}$$

Bethe-Heitler Pair Production

- Additional contributions to the cascade by Bethe-Heitler (BH) pair production:

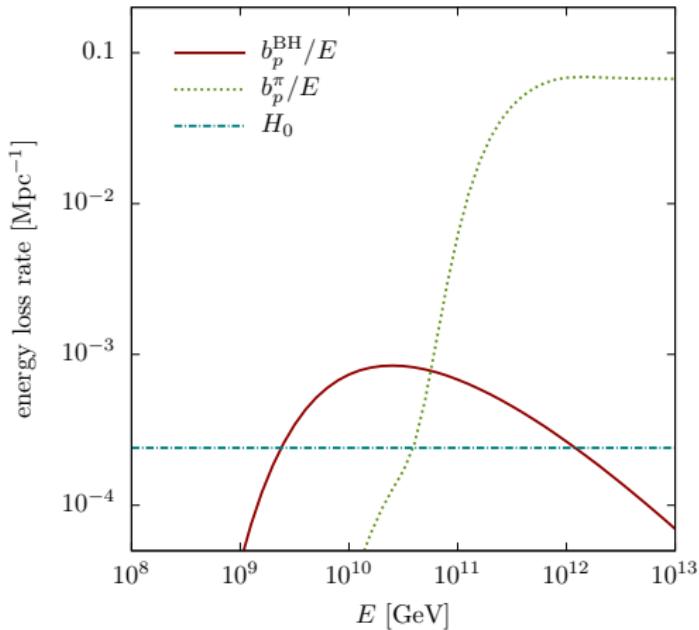


- BH is the dominant energy loss process for UHE CR protons at $\sim 2 \times 10^9 \div 2 \times 10^{10}$ GeV.
- Decreases the cascade limit on cosmogenic neutrinos.

[Kalashev/Semikoz/Sigl'09]

✗ Challenge:

Resulting limit on cosmogenic neutrinos depends on cosmic ray model.



UHE CR Model

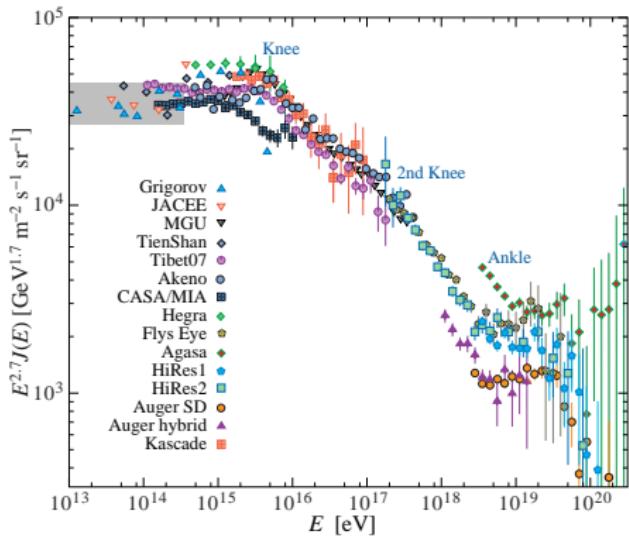
- Most optimistic cosmogenic neutrino fluxes are obtained in UHE CR models assuming **all-proton spectra**.

[e.g. Anchordoqui *et al.*'07]

- Candidates for the transition between galactic CRs and extra-galactic protons are the “**2nd knee**” or “**ankle**”.

[Berezinsky/Gazizov/Grigorieva'06]

- Relative energy densities $\omega_{\text{cas}}^{\text{BH}} \leftrightarrow \omega_{\text{cas}}^\pi$ dependent on various assumptions, in particular:
 - “cross-over” energy
 - source spectrum and evolution
 - systematic uncertainties of UHE CR measurements



[Amsler *et al.*'06]

UHE CR Model

- **spatially homogeneous and isotropic** distribution of sources
- Boltzmann equation of co-moving number density ($Y = n/(1+z)^3$):

$$\dot{Y}_i = \partial_E(HEY_i) + \partial_E(b_i Y_i) - \Gamma_i Y_i + \sum_j \int dE_j \gamma_{ji} Y_j + \mathcal{L}_i ,$$

- **power-law** proton emission rate:

$$\mathcal{L}_p(0, E) \propto (E/E_0)^{-\gamma} \times \begin{cases} f_-(E/E_{\min}) & E < E_{\min}, \\ 1 & E_{\min} < E < E_{\max}, \\ f_+(E/E_{\max}) & E_{\max} < E . \end{cases}$$

- smooth **high and low energy cutoff**: $f_{\pm}(x) \equiv x^{\pm 2} \exp(1-x^{\pm 2})$
- **redshift evolution** $\mathcal{L}_p(z, E) = \mathcal{L}_p(0, E)(1+z)^n \Theta(z_{\max} - z)$.
- fixed in the following: $z_{\max} = 2$ and $E_{\max} = 10^{21}$ eV
- **free parameters** for goodness-of-fit test: γ , n , and E_{\min}

Energy Density of the Cascade

- **energy density** of the cascade per co-moving volume:

$$\omega_{\text{cas}}(z) \equiv \int dE E Y_{\text{cas}}(z, E) = \int dE E (Y_\gamma(z, E) + Y_{e^-}(z, E) + Y_{e^+}(z, E))$$

- evolution equation:

$$\dot{\omega}_{\text{cas}} + H\omega_{\text{cas}} = \int dE b(z, E) Y_p(z, E)$$

- solution at $z = 0$:

$$\omega_{\text{cas}}(0) = \int dt \int dE \frac{b(z, E) Y_p(z, E)}{(1+z)}$$

- two CEL contributions, Bethe-Heitler (b_{BH}) and photopion production:

$$b_\pi(z, E) \simeq \int dE' E' [\gamma_{pe^-}(z, E, E') + \gamma_{pe^+}(z, E, E') + \gamma_{p\gamma}(z, E, E')]$$

- introduced as a **prior** on the CR normalization in the goodness-of-fit test:

[Berezinsky/Gazizov/Kachelriess/Ostapchenko'10]

$$\omega_{\text{cas}} \leq \omega_{\text{Fermi}} \simeq 5.8 \times 10^{-7} \text{ eV/cm}^3$$

Goodness of Fit Test

- Number of **expected events** depend on energy scale uncertainty (δ) and normalization (\mathcal{N}):

$$N_i(n, \gamma, \mathcal{N}, \delta) = A_i \int_{E_i(1+\delta)-\Delta_i/2}^{E_i(1+\delta)+\Delta_i/2} dE J_{\mathcal{N}, n, \gamma}^p(E)$$

- Probability distribution** $P_{\vec{k}}(n, \gamma, \mathcal{N}, \delta)$ of replica experiments with events \vec{k} is the product of the individual Poisson distributions.
- Marginalization** with respect to δ and \mathcal{N} using $\omega_{\text{cas}} \leq \omega_{\text{Fermi}}$ as a prior on \mathcal{N} :

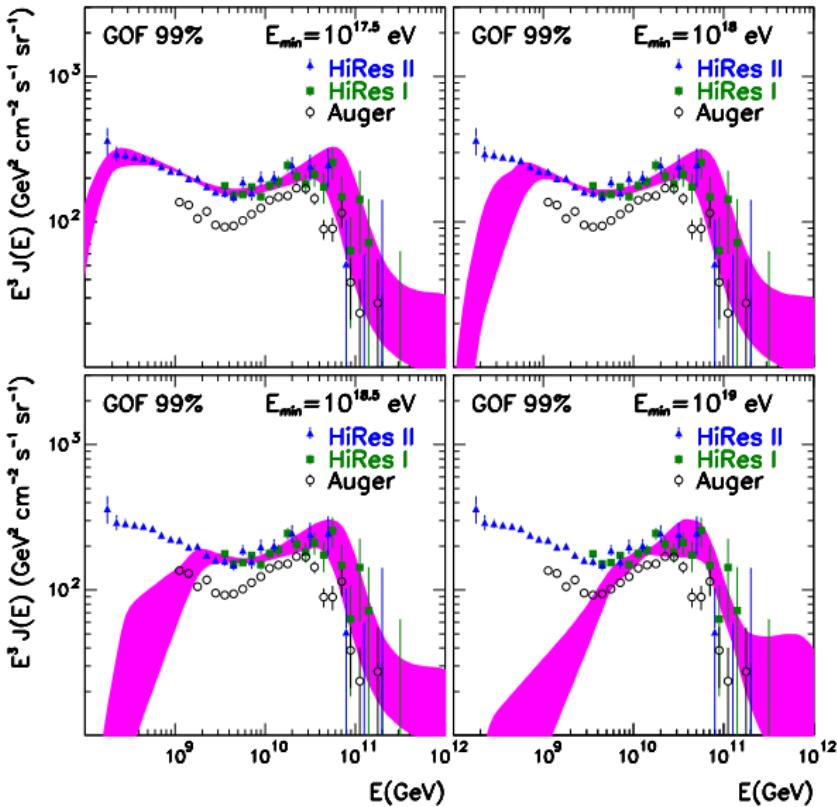
$$P_{\text{exp}}(n, \gamma) = \text{Max}_{\delta, \mathcal{N}} P_{\vec{N}^{\text{exp}}} (n, \gamma, \mathcal{N}, \delta)$$

- Compatibility of a model with the experimental result at the confidence level “GOF” determined by:

$$\sum_{\vec{k}} P_{\vec{k}}(n, \gamma, \mathcal{N}_{\text{best}}, \delta_{\text{best}}) \Theta [P_{\vec{k}}(n, \gamma, \mathcal{N}_{\text{best}}, \delta_{\text{best}}) - P_{\text{exp}}(n, \gamma)] \leq \text{GOF}$$

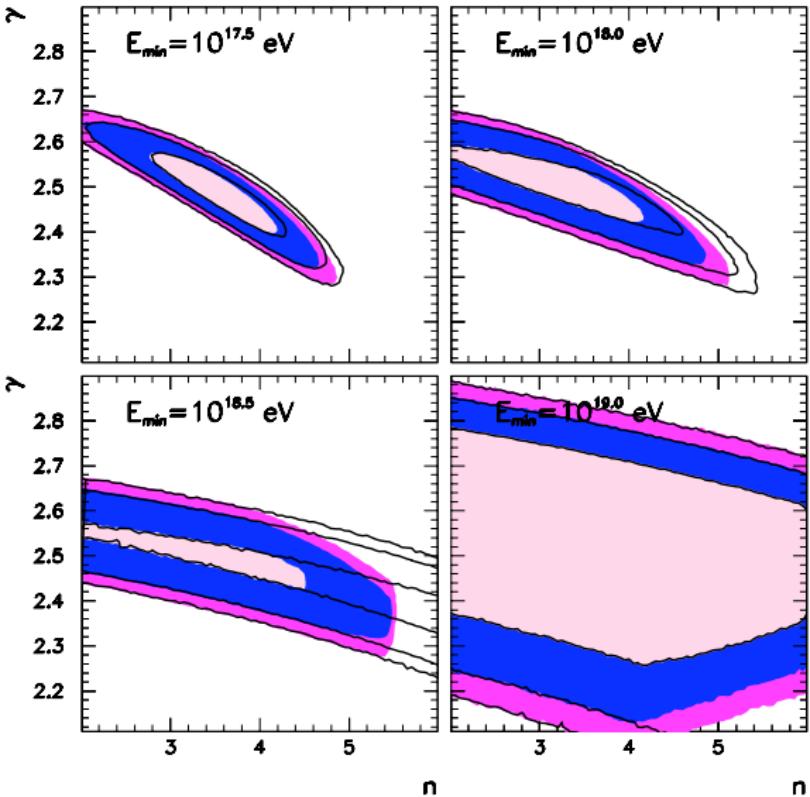
Goodness-of-Fit Test

- GoF based on Hires-I/II data ($\Delta E/E \simeq 25\%$)
- *fixed*:
 $E_{\max} = 10^{21}$ eV
 $z_{\min} = 0 / z_{\max} = 2$
- *priors*:
 $2.1 \leq \gamma \leq 2.9$
 $2 \leq n \leq 6$
 $\omega_{\text{cas}} \leq \omega_{\text{Fermi}}$
- *confidence levels*:
68% (pink)
95% (blue)
99% (magenta)
- effect of ω_{cas} -prior shown as black lines



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Explicit Calculation of γ -Ray Spectra

✓ CMB interactions (solid lines)

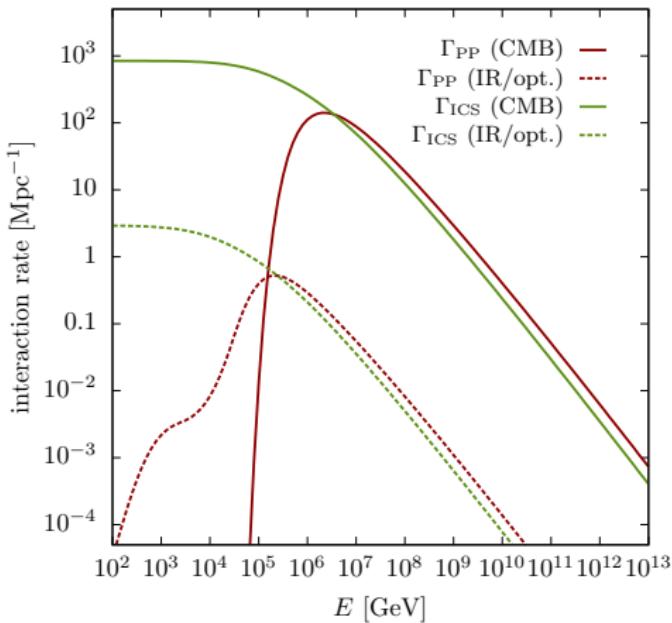
dominate in cascade:

- inverse Compton scattering (ICS)
 $e^\pm + \gamma_{\text{CMB}} \rightarrow e^\pm + \gamma$
- pair production (PP)
 $\gamma + \gamma_{\text{CMB}} \rightarrow e^+ + e^-$

✓ PP in IR/optical background (red dashed line) determines the “edge” of the spectrum:

✗ further contributions (negligible):

- double pair production
 $\gamma + \gamma_{\text{bgr}} \rightarrow e^+ + e^- + e^+ + e^-$
- triple pair production
 $e^\pm + \gamma_{\text{bgr}} \rightarrow e^\pm + e^+ + e^-$
- synchrotron loss

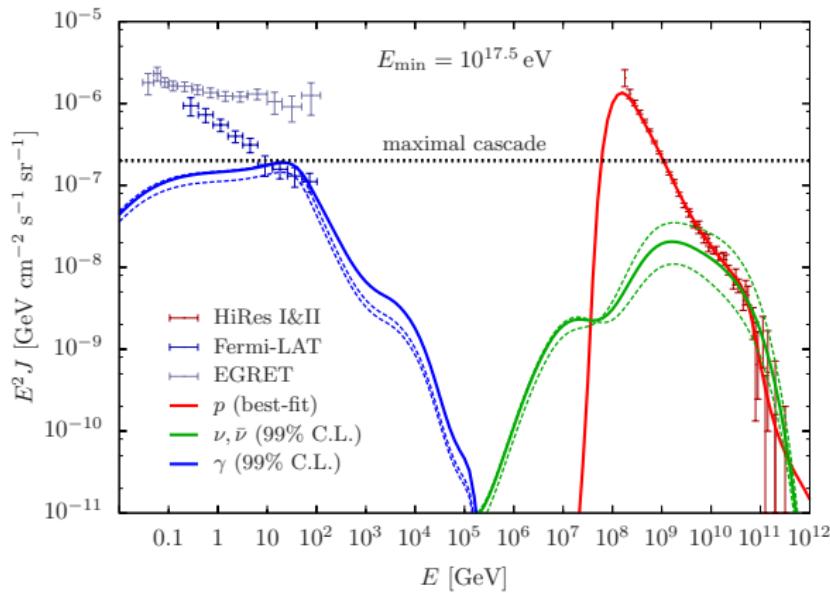


Explicit Calculation of γ -Ray Spectra

- ✓ Range of γ -ray spectra saturate the Fermi-LAT bound.
- Spectra at ~ 100 GeV depend on the IR/optical background.

[here: Franceschini et al. '08]

- “maximal cascade” : $E^2 J_{\text{cas}} \lesssim \frac{c}{4\pi} \omega_{\text{Fermi}} \log \left(\frac{\text{TeV}}{\text{GeV}} \right)$

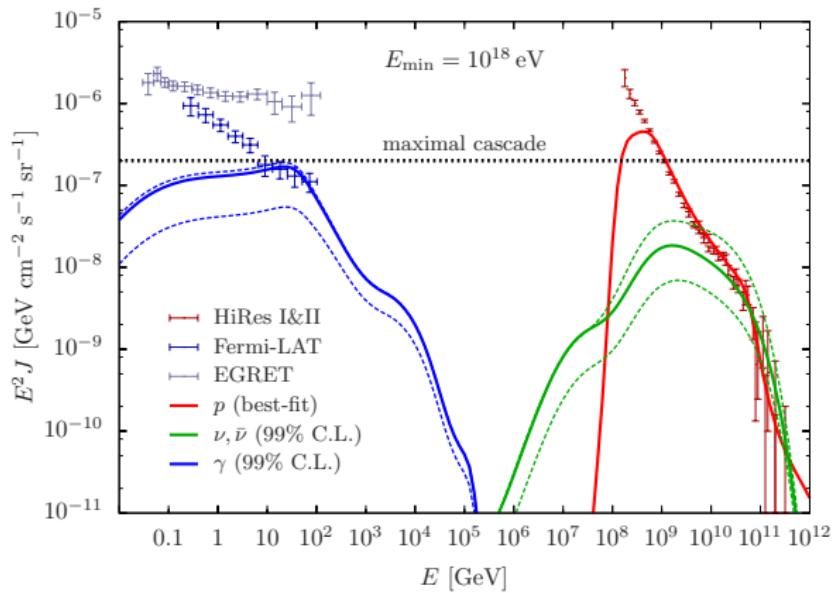


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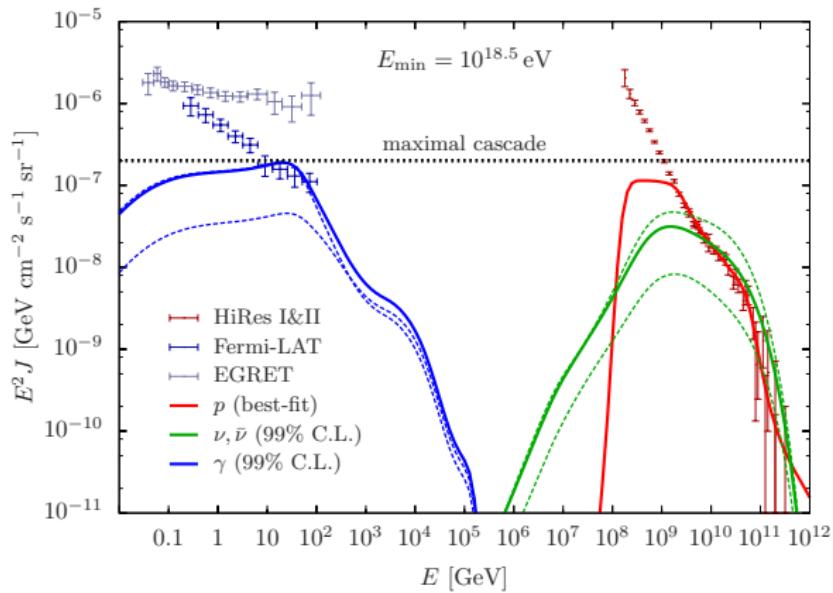


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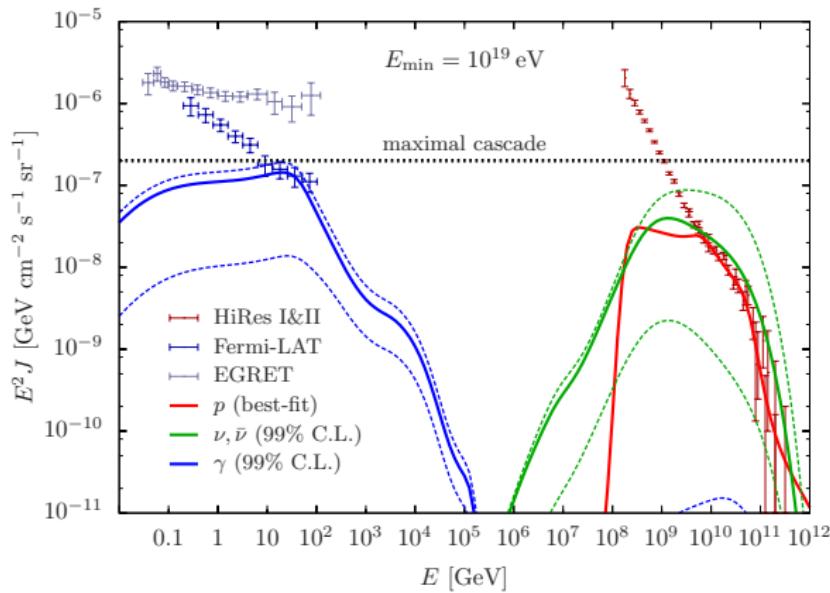


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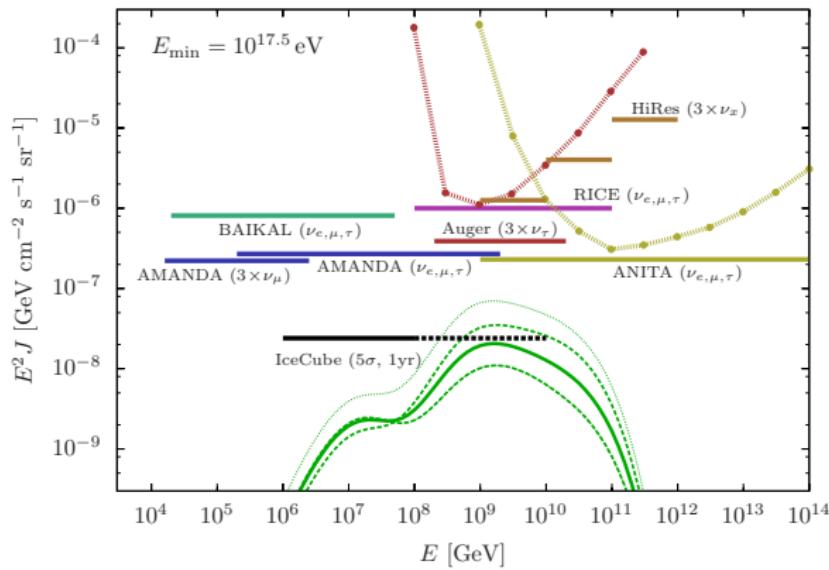
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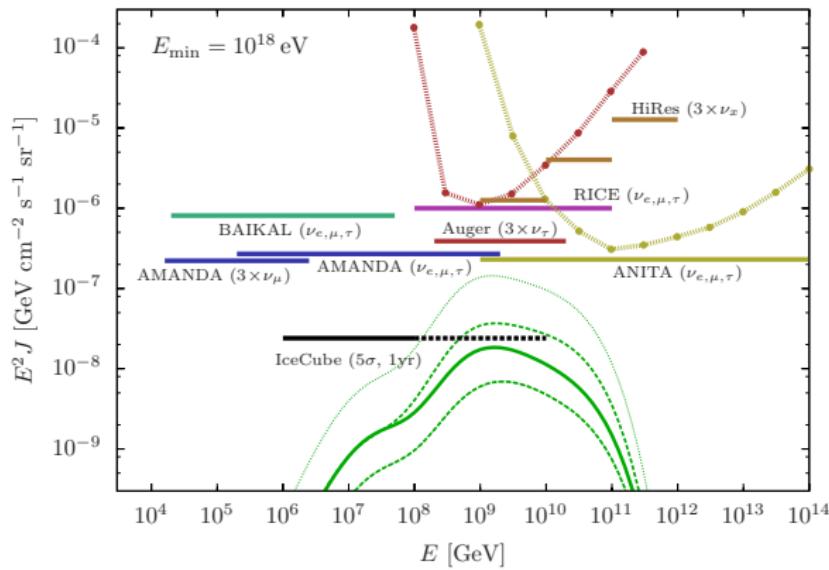
Cosmogenic Neutrinos

- For all cross-over energies considered, the range of models at the 99% C.L. (**dashed green lines**) is consistent with existing neutrino limits.
- Cascade bound, $\omega_{\text{cas}} \leq \omega_{\text{Fermi}}$, reduces the cosmogenic neutrino flux (**dotted green line**) by a factor 2-4.
- Range of cosmogenic neutrino fluxes increase along with the cross-over energy and lies *within reach of IceCube* (**black lines**).



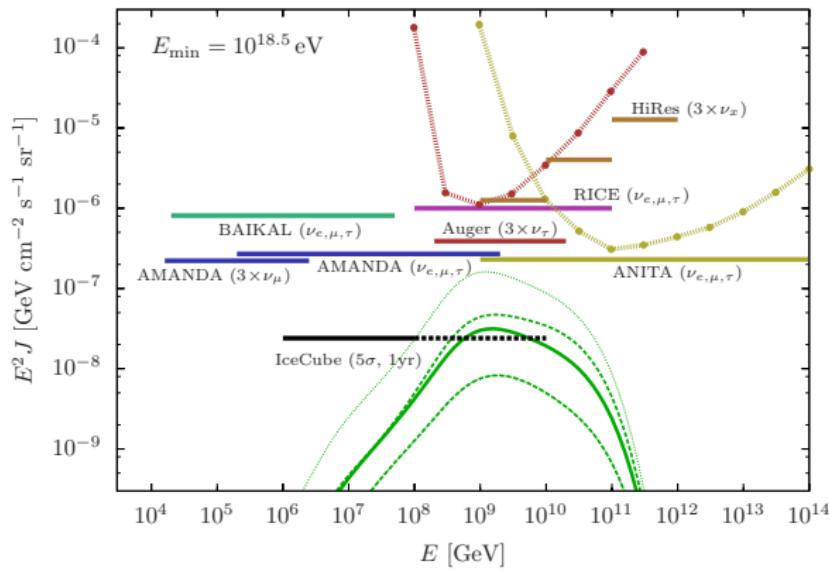
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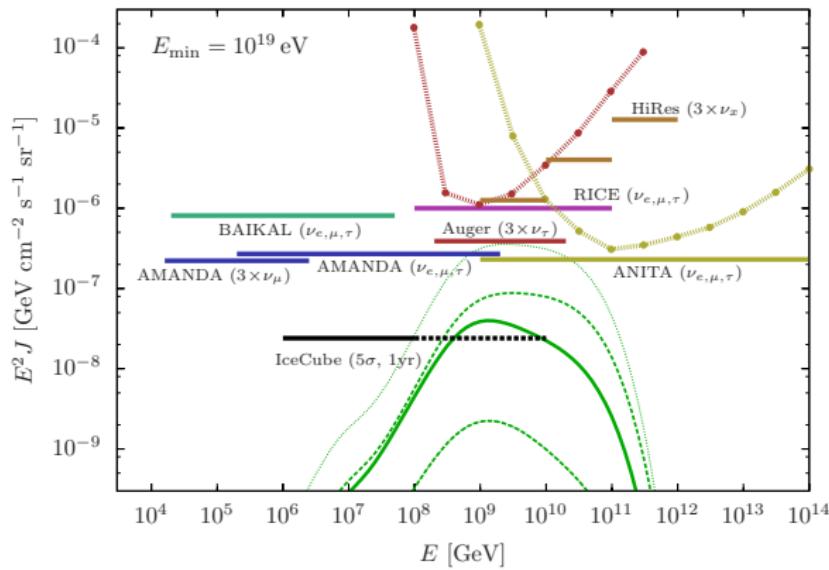
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Summary

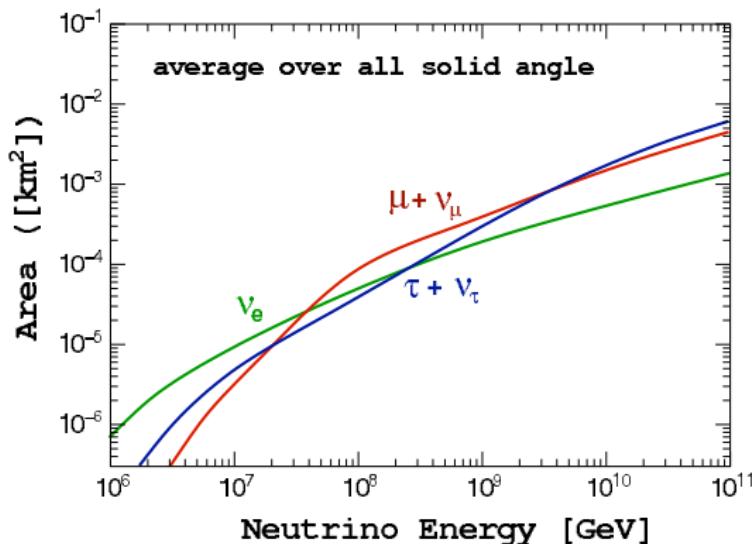
- The statistical impact of the cascade bound, $\omega_{\text{cas}} \leq \omega_{\text{Fermi}}$, depends on the energy uncertainty of UHE CR data.
 - A fit of an all-proton flux to HiRes data ($\Delta E/E \simeq 25\%$) predict maximal cosmogenic neutrino fluxes (99% C.L.) reduced by a factor 2-4.
 - **Ignoring** the energy scale uncertainty of HiRes rules out low cross-over models with strong source evolution ($n \gtrsim 3$). [Berezinsky *et al.*'10]
- For all cross-over energies considered, $10^{17.5} \text{ eV}$ - 10^{19} eV , the range of models at the 99% C.L. is consistent with existing neutrino limits and lies within reach of future neutrino telescopes (IceCube).
- Best-fit cosmogenic neutrino fluxes increase along with the cross-over energy by a factor ~ 2 .

Appendix

Estimated EHEi-Sensitivity of IC80

- IceCube is also sensitive to EHE cosmic neutrinos, since atmospheric background dies off quickly.
- **Estimated (and preliminary!) IC80 sensitivity:** “ $\Phi_{\text{IC80}} \simeq (80/9)\Phi_{\text{IC9}}$ ” (5σ , 1 yr):

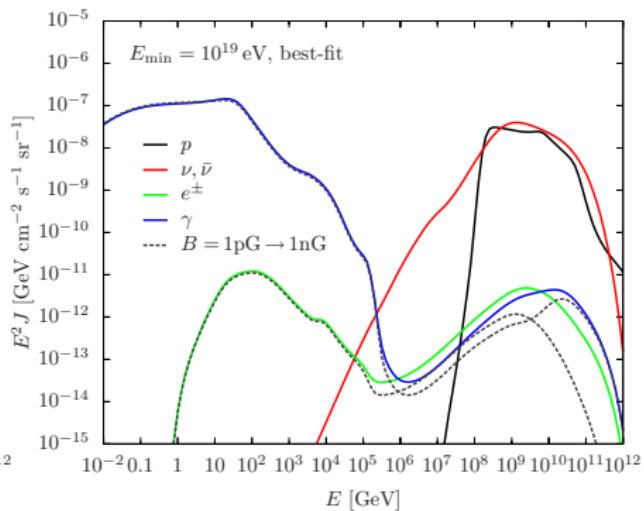
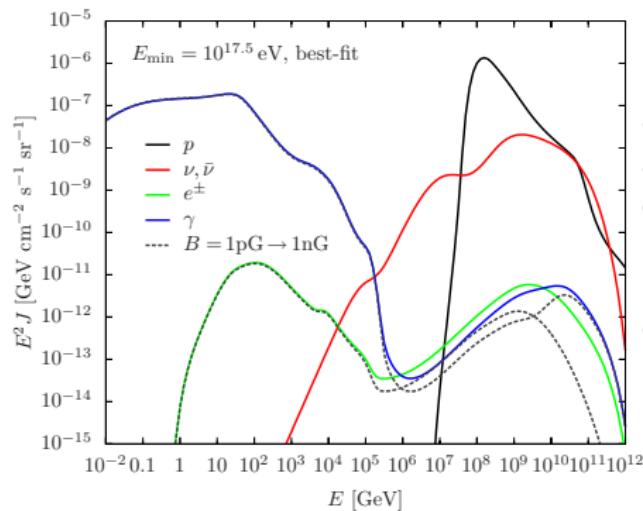
$$E^2 \phi_{\text{all } \nu} \simeq (3 - 4) \times 10^{-8} \text{ GeV cm}^{-2} \text{s}^{-1} \text{cr}^{-1} \quad (10^6 \text{ GeV} < E_\nu < 10^{10} \text{ GeV})$$



[IC9 effective area, IceCube EHE group, ICRC'07]

Contribution of Strong Magnetic Fields

- Intergalactic magnetic fields in the range $B_{\text{IG}} \simeq 10^{-16} \text{ G} \div 10^{-9} \text{ G}$.
[Kronberg'93; Neronov/Vovk'10]
- Large-scale structure formation suggests $B_{\text{IG}} = \mathcal{O}(10^{-12}) \text{ G}$.
[Dolag/Grasso/Springel/Tkachev'04]
- Effect of a strong magnetic field strength (10^{-9} G) as dashed lines:

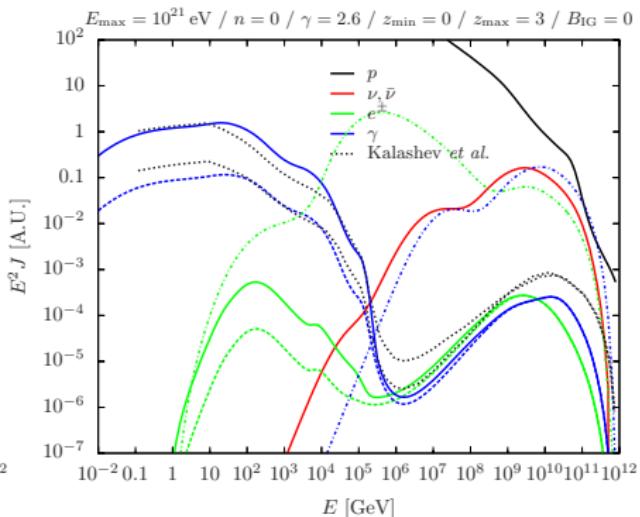
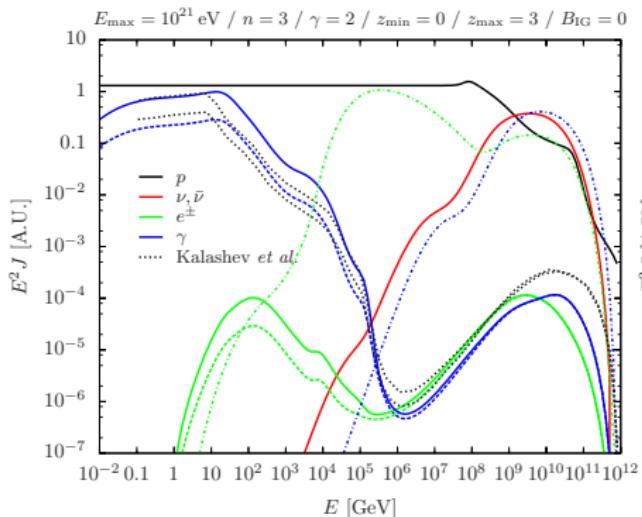


Comparison of the Cascade Spectra

- Comparison with γ -ray spectra derived by CRPropa.

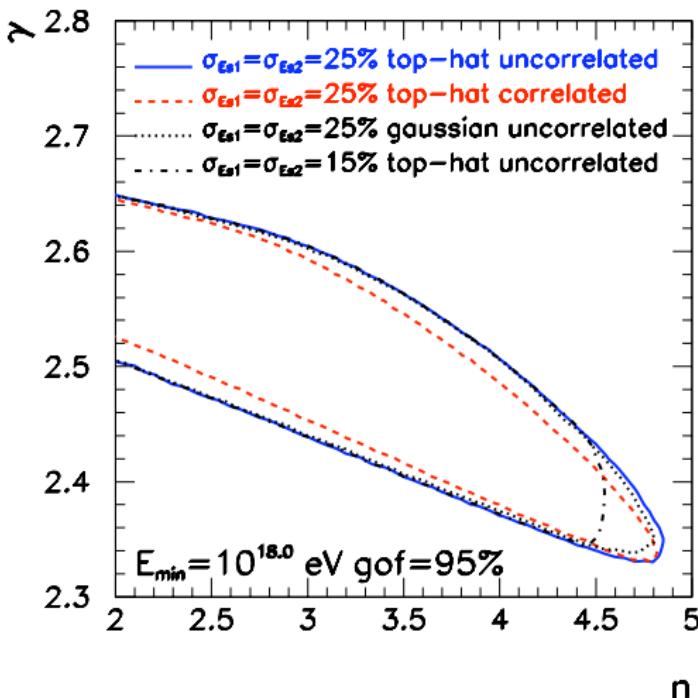
[Armengaud/Beau/Sigl'07; γ -ray spectra from Kalashev/Semikoz/Sigl'07]

- Dashed lines: spectra **without BH**.
- Dot-dashed lines: spectra **without EM cascade**.



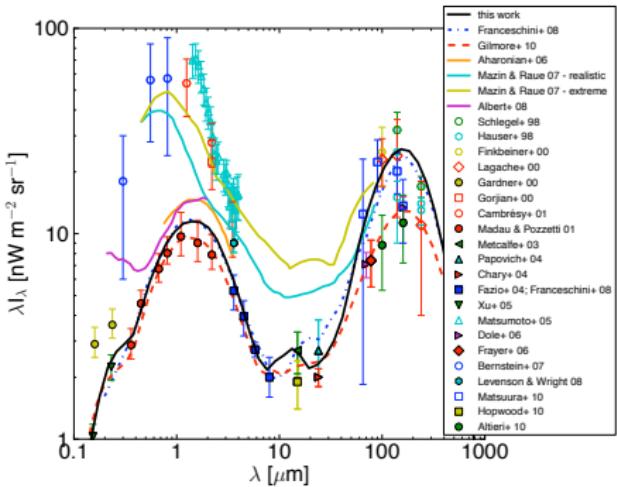
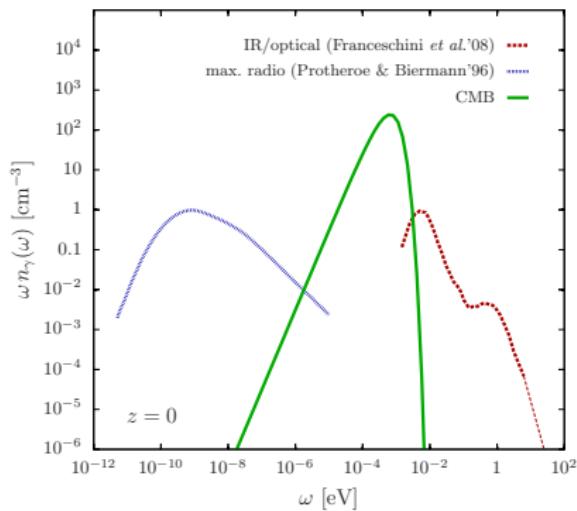
Effect of the CR Energy Resolution

- Effect of the systematic uncertainties in the CR energy resolution.
- Variation of the method used in our analysis (blue):
 - correlated \leftrightarrow uncorrelated energy uncertainty between HiRes I and HiRes II
 - “top-hat” \leftrightarrow Gaussian
 - 15% width \leftrightarrow 25% width



Radiation Background

- **IR/optical** background from Franceschini/Rodighiero/Vaccari'08.
- **Radio** background (negligible) from Protheroe/Biermann'96.



[Dominguez *et al.*'10]