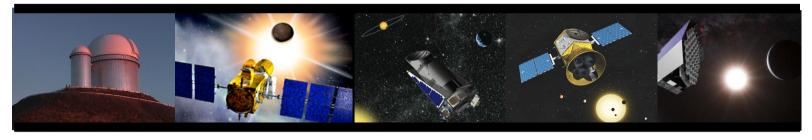
Tidal dissipation in stars and planetary fluid layers

S. Mathis, P. Auclair-Desrotour, M. Guenel, F. Remus, C. Le Poncin-Lafitte, V. Lainey, J.-P. Zahn



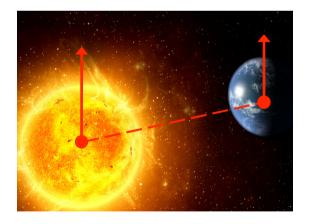
General context

A revolution in Astrophysics: the discovery of new planetary systems and the characterisation of their host stars



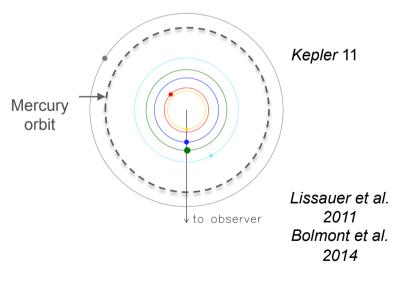
HARPS/ESO; SPIRou CoRoT Kepler – K2 CHEOPS & TESS PLATO

Stellar and planetary rotation history



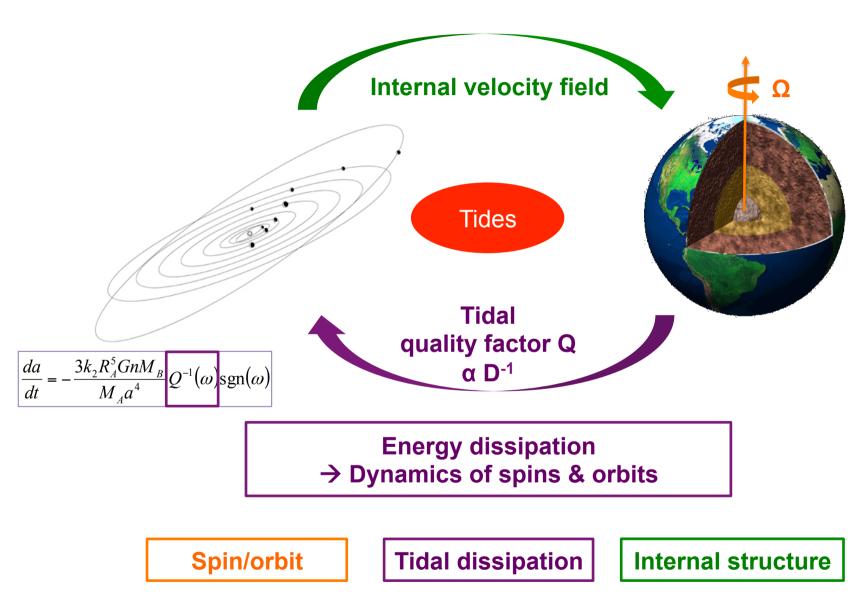
Albrecht et al. 2012; Gizon et al. 2013; <u>Talks V. Lainey & C. Damiani</u>

Orbital architecture



 \rightarrow Need to understand angular momentum exchanges within star-planet systems \rightarrow TIDES₂

Tidal dissipation



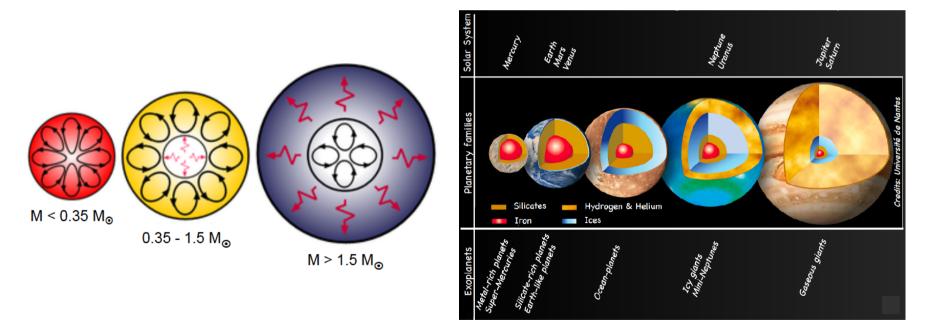
State of the art

In studies of star-planet systems, bodies are treated as point-mass objects or solids with ad-hoc prescriptions for tides

However their complex internal structure, rotation, and magnetism impact tidal dissipation

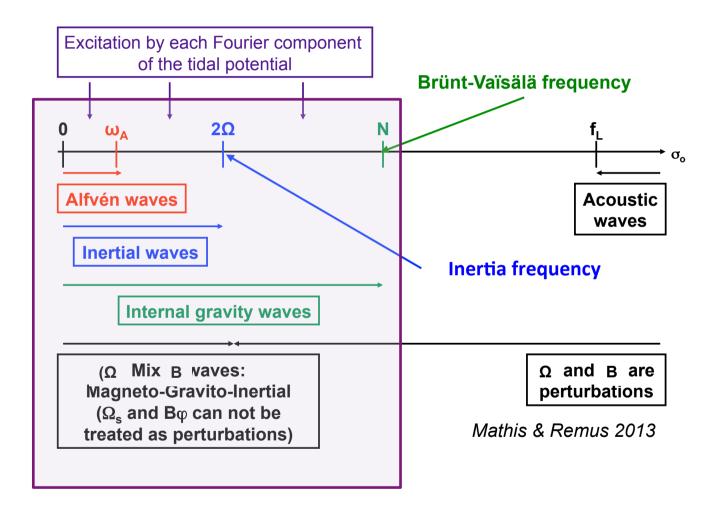
Host star (M in M_{\odot})

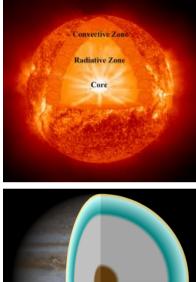
Planets



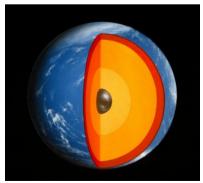
 \rightarrow Need of an ab-initio physical modeling

Tidal waves in stars and fluid planetary layers



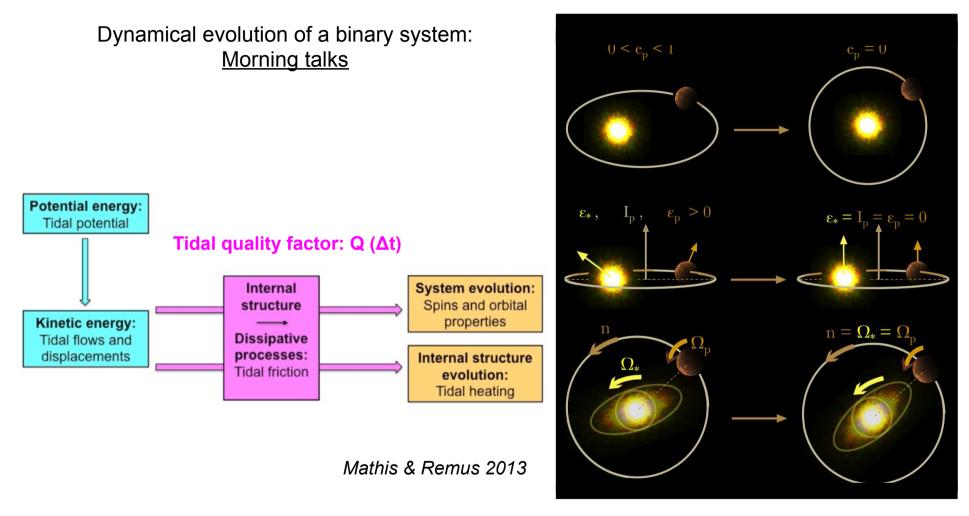






The "engine" of the dynamical evolution of binary systems: friction & energy dissipation

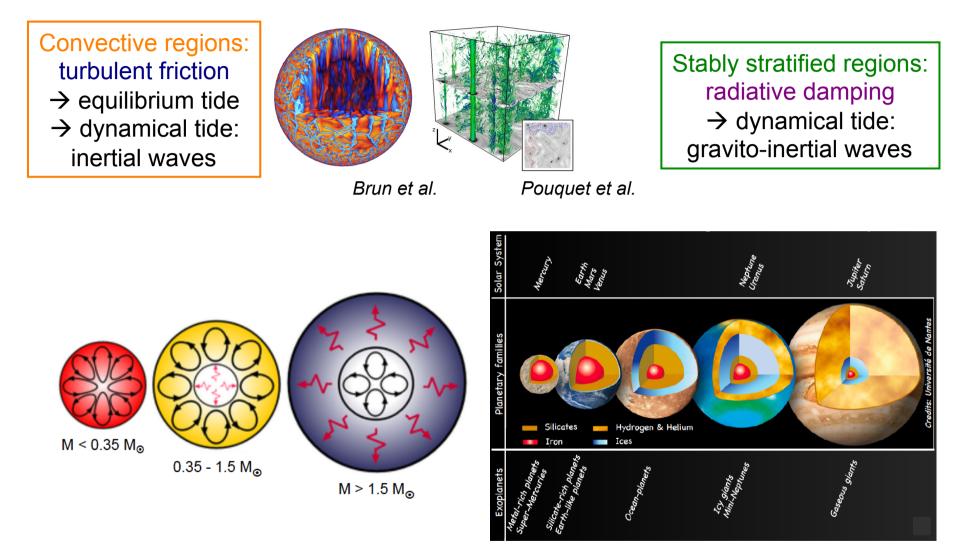
©Remus



Necessity to identify the dissipative processes that convert the kinetic energy into thermic one and to model their dependence on the structure and excitation frequency

Time-scales for circularization, synchronization, alignment, and migration \rightarrow Age

Dissipation mechanisms in stars and fluid planetary layers

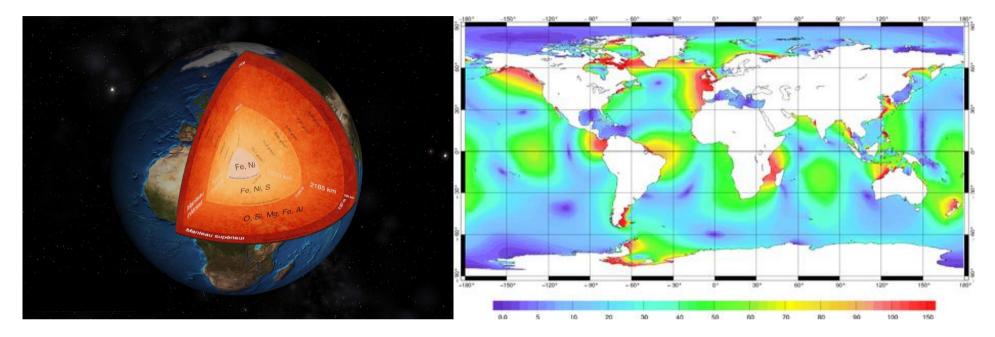


Elliptic instabilities: both in convective and radiative regions

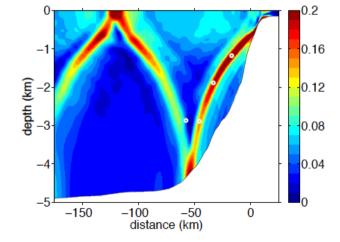
→ Challenge: coupling tides - turbulence (Lesur & Ogilvie 2012) 7

The case of the Earth

Satellites Jason 1 & 2 and Topex/Poséidon Kantha 2014

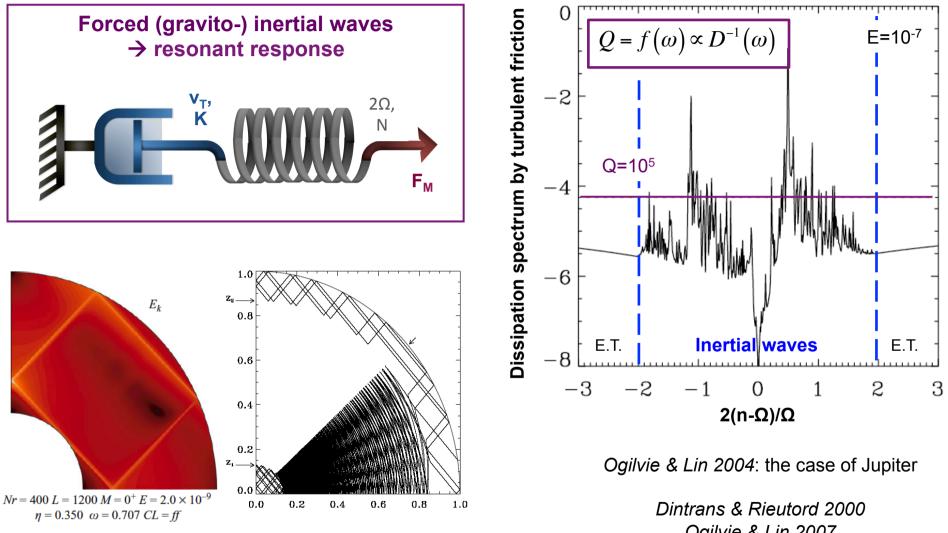


→ Viscous friction on tidal gravito-inertial waves



Gerkema, Lam & Maas 2004

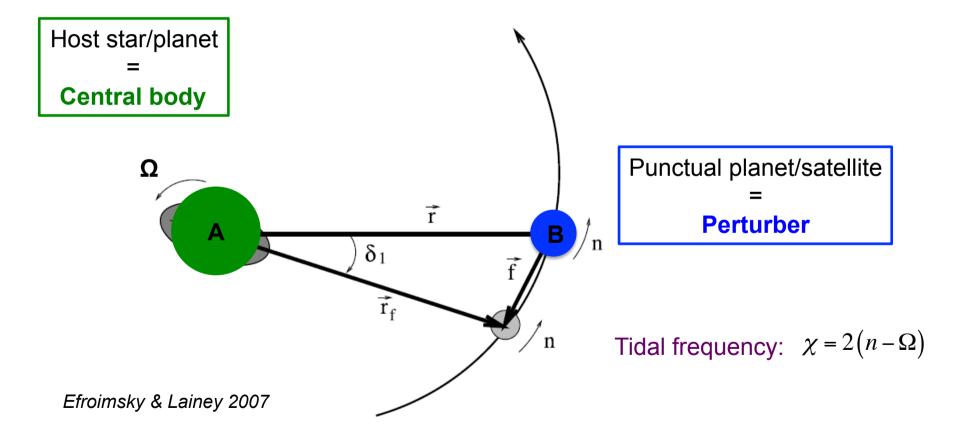
A resonant erratic tidal dissipation spectrum



Ogilvie & Lin 2007 Rieutord & Valdetarro 2010 Baruteau & Rieutord 2013 Guenel et al. 2015

The impact of tidal dissipation on the spin dynamics and on systems orbital architecture

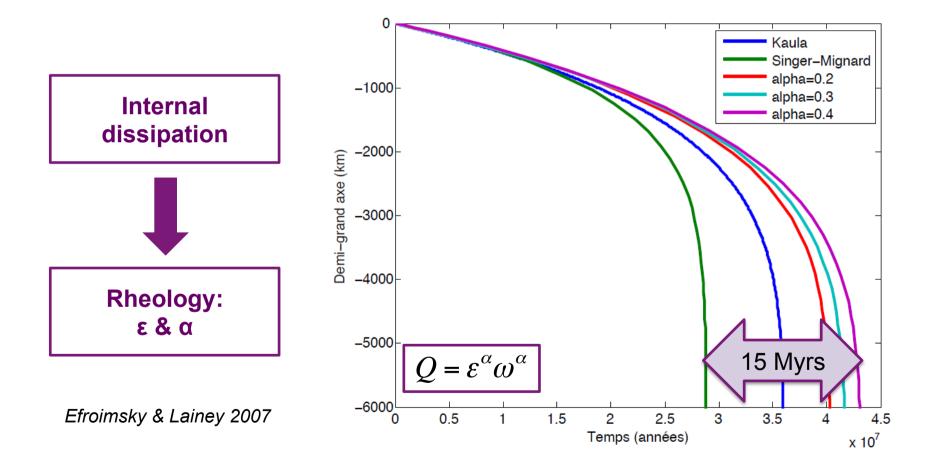
The coplanar two-bodies system:



The impact of tidal dissipation: the case of rocky bodies

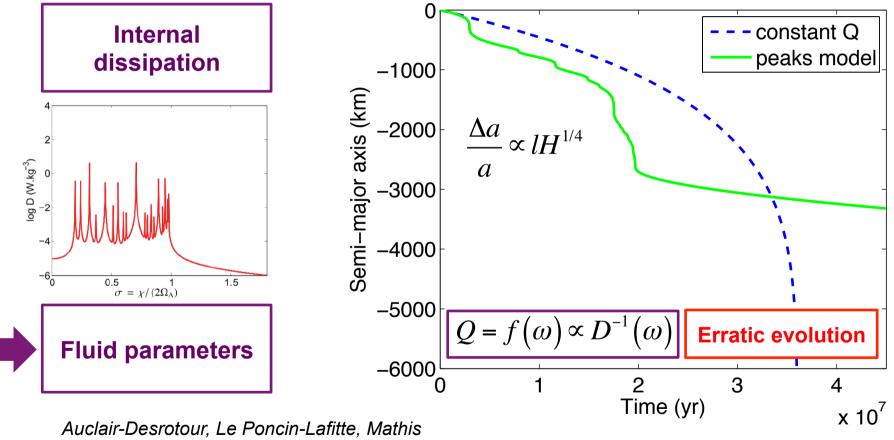
An example: the Mars-Phobos system

Regular evolution



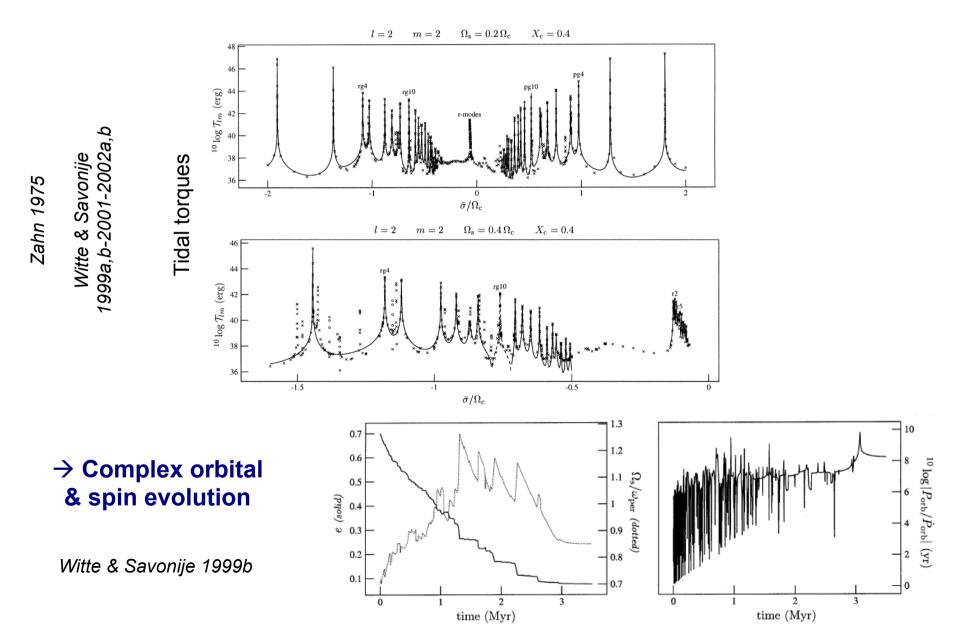
The impact of tidal dissipation: the case of fluid bodies

An example: a fully convective body of the mass of Mars-Phobos system

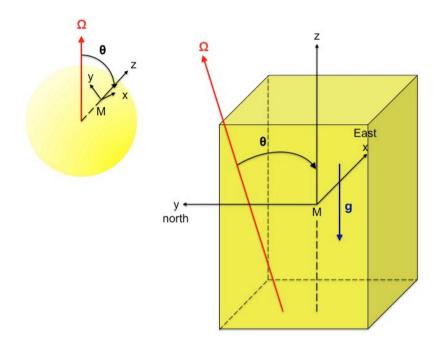


Back to the stars

Dynamical tide



A reduced local model to understand tidal dissipation in fluids

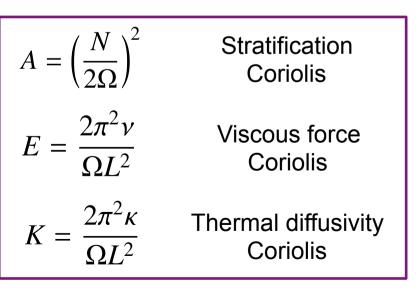


Ogilvie & Lin 2004

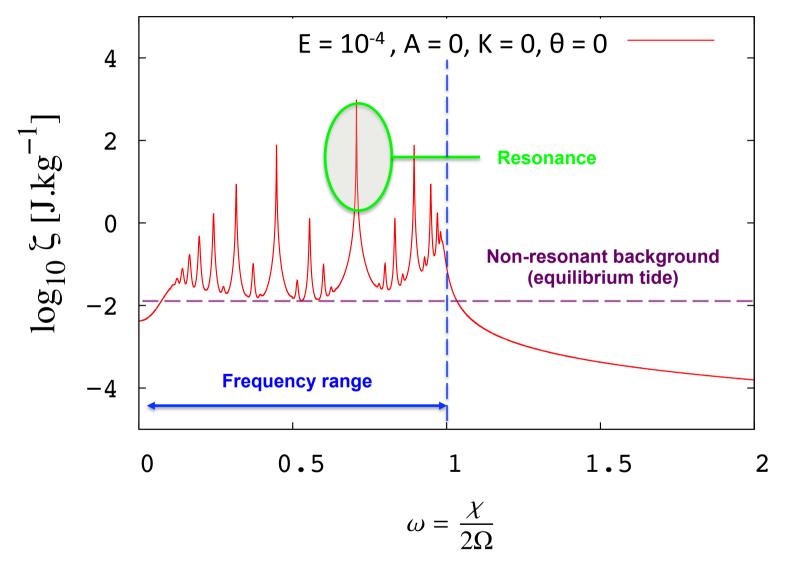
Auclair-Desrotour, Le Poncin-Lafitte, Mathis 2014b

- Cartesian geometry
- Rotating and inclined
- Possible stable stratification
- Viscous and thermal dissipation

Control parameters:



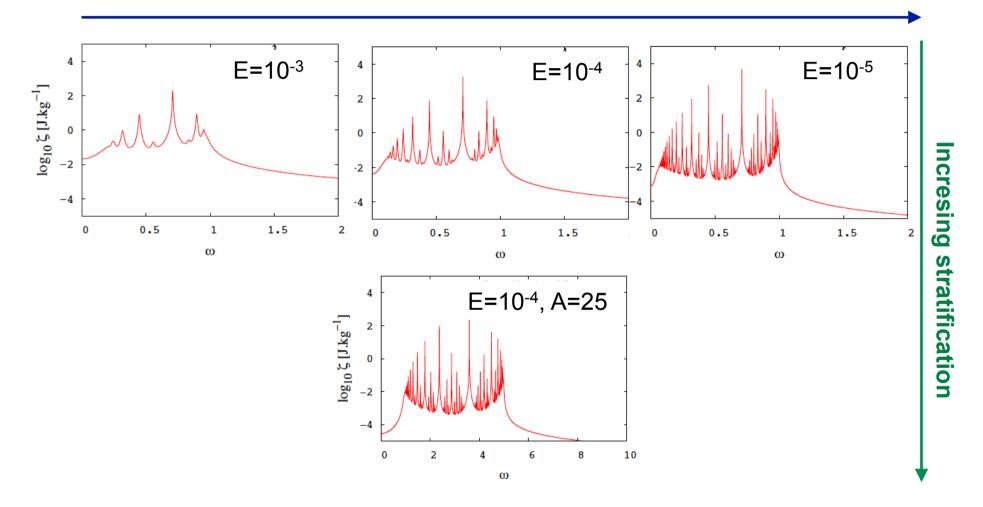
The complex erratic tidal dissipation spectrum



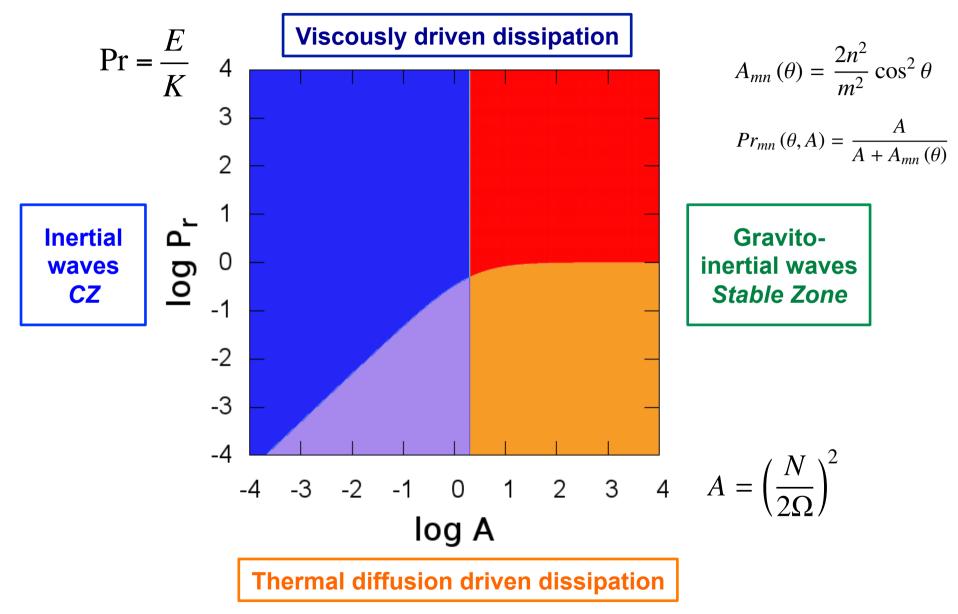
→ Need to characterize spectra

An evolving behaviour

Deacrising viscosity / increasing rotation



The four main regimes



Auclair-Desrotour, Le Poncin-Lafitte, Mathis 2014b

Asymptotic scaling laws

Domain	$A \ll A_{11}$		$A \gg A_{11}$	
$Pr \gg Pr_{11}$	$A \ll A_{11}$ $\omega_{mn} \sim \frac{n}{\sqrt{m^2 + n^2}} \cos \theta$ $I_{mn} \sim E$ $H_{mn} \sim F^2 E^{-1}$ $H_{bg} \sim F^2 E$		$\omega_{mn} \sim \frac{m}{\sqrt{m^2 + n^2}} \sqrt{A}$	
	$l_{mn} \sim E$	$k_c \sim E^{-1/4}$	$l_{mn} \sim E$	$k_c \sim A^{1/8} E^{-1/4}$
	$H_{mn} \sim F^2 E^{-1}$	$N_{\rm kc} \sim E^{-1/2}$	$H_{mn} \sim F^2 E^{-1}$	$N_{\rm kc} \sim A^{1/4} E^{-1/2}$
	$H_{\rm bg} \sim F^2 E$	$\Xi \sim E^{-2}$	$H_{\rm bg} \sim F^2 E A^{-1}$	$\Xi \sim A E^{-2}$
	$\omega_{mn} \sim \frac{n}{\sqrt{m^2 + n^2}} \cos \theta$ $l_{mn} \sim AK$ $H_{mn} \sim F^2 A^{-2} E K^{-2}$ $H_{bg} \sim F^2 E$		$\omega_{mn} \sim \frac{m}{\sqrt{m^2 + n^2}} \sqrt{A}$	
	$l_{mn} \sim AK$	$k_c \sim A^{-1/4} K^{-1/4}$	$l_{mn} \sim K$	$k_c \sim A^{1/8} K^{-1/4}$
	$H_{mn} \sim F^2 A^{-2} E K^{-2}$	$N_{\rm kc} \sim A^{-1/2} K^{-1/2}$	$H_{mn} \sim F^2 E K^{-2}$	$N_{\rm kc} \sim A^{1/4} K^{-1/2}$
	$H_{\rm bg} \sim F^2 E$	$\Xi \sim A^{-2} K^{-2}$	$H_{\rm bg} \sim F^2 E A^{-1}$	$\Xi \sim AK^{-2}$

Asymptotic scaling laws

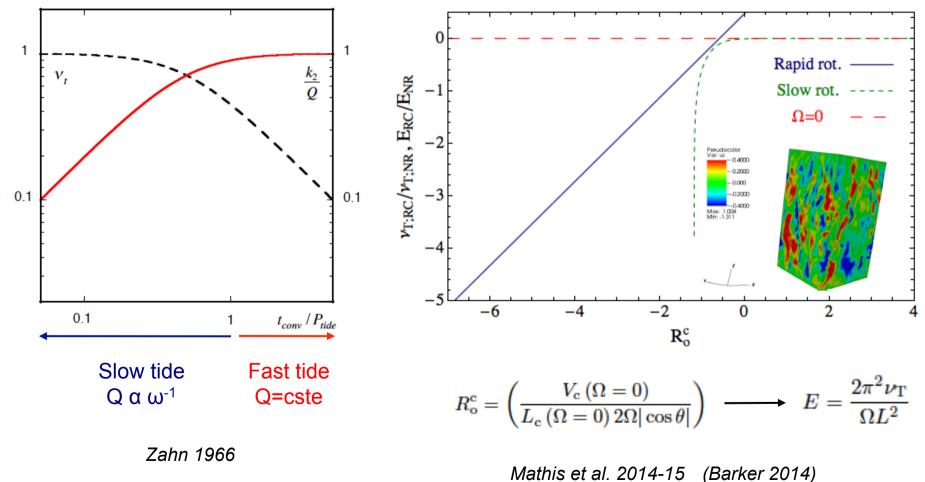
Domain	$A \ll A_{11}$		$A \gg A_{11}$		
$Pr \gg Pr_{11}$	$\omega_{mn} \sim \frac{n}{\sqrt{m^2 + n^2}} \cos \theta$ $I_{mn} \sim E \qquad k_c \sim E^{-1/4}$ $H_{mn} \sim F^2 E^{-1} \qquad N_{kc} \sim E^{-1/2}$ $H_{bg} \sim F^2 E \qquad -1$		$\omega_{mn} \sim \frac{m}{\sqrt{m^2 + n^2}} \sqrt{A} \qquad \qquad$		
	$l_{mn} \sim E$	$k_c \sim E^{-1/4}$	$l_{mn} \sim E$	$k_c \sim A^{1/8} E^{-1/4}$ $N_{ m kc} \sim A^{1/4} E^{-1/2}$	
	$H_{mn} \sim F^2 E^{-1}$	$N_{ m kc} \sim E^{-1/2}$	$H_{mn} \sim F^2 E^{-1}$	$N_{\rm kc} \sim A^{1/4} E^{-1/2}$	
	$H_{\rm bg} \sim F^2 E$				
$Pr \ll Pr_{11}$	$\omega_{mn} \sim \frac{n}{\sqrt{m^2 + n^2}} \cos \theta$	-2 - -3 - 		$A = 10^{-4} - 10^{-3} - 10^{-3} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - 10^{-2} - $	
	$\omega_{mn} \sim \frac{n}{\sqrt{m^2 + n^2}} \cos \theta$ $l_{mn} \sim AK$ $H_{mn} \sim F^2 A^{-2} E K^{-2}$ $H_{bg} \sim F^2 E$	-4 01g -2		$A = 10^{-1} \\ A = 10^{0} \\ A = 10^{1} $	
	$H_{ m bg} \sim F^2 E$	-6 -7	- -	$A = 10^{2}_{3}$ $A = 10^{3}$	
			$\log_{10} E$		

Auclair-Desrotour, Le Poncin-Lafitte, Mathis 2014b

Turbulent friction in rotating convection zone

Viscous turbulent by non-rotating convection

Viscous turbulent by rotating convection

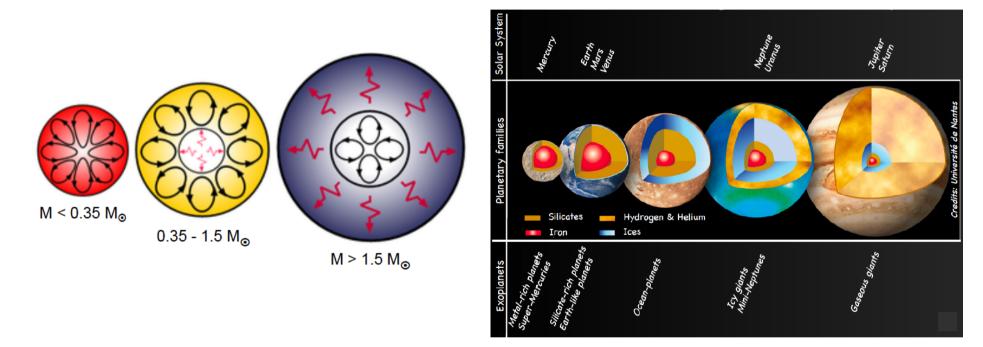


Remus, Mathis & Zahn 2012

Towards global and multi-layer models

Host star (M in M_{\odot})

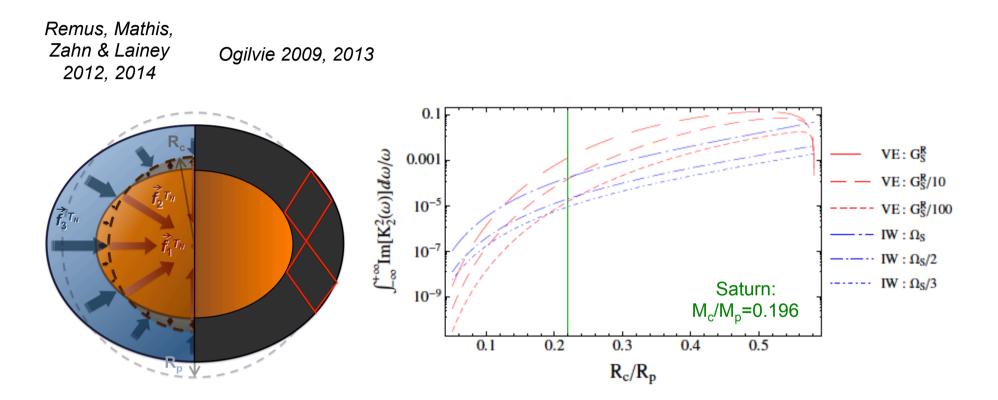
Planets



→ Need of a global ab-initio physical modeling

Frequency-averaged models

The example of a Saturn-like planet:



 \rightarrow Integrated models needed for gaseous giant (and telluric) planets

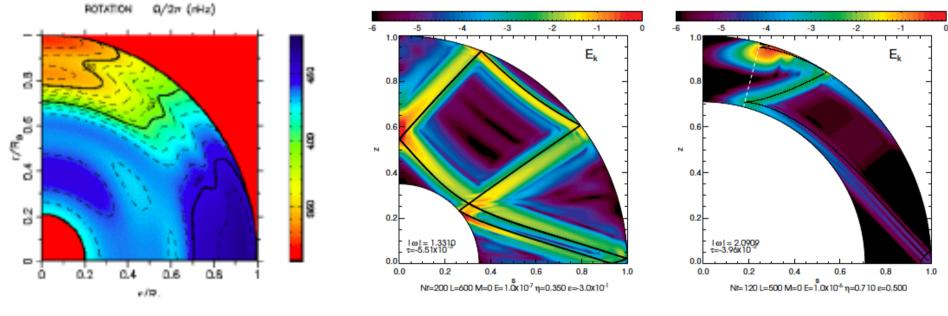
 \rightarrow Possibility of frequency-averaged grids as a function of stellar and planetary properties

Guenel, Mathis & Remus 2014

Global models

Tidal inertial waves in differentially rotating convective regions

Baruteau & Rieutord 2013; Guenel et al. 2015



Schou et al. 1998; Garcia et al. 2007

Understanding stars with companions

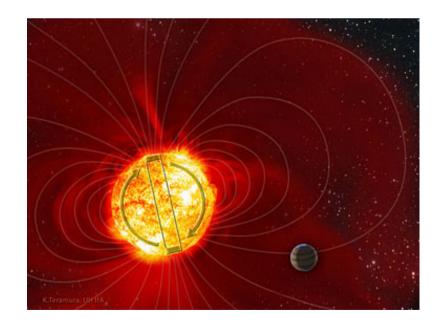
Tides and stellar evolution

- Tides impact angular momentum exchanges within/between stars and planets

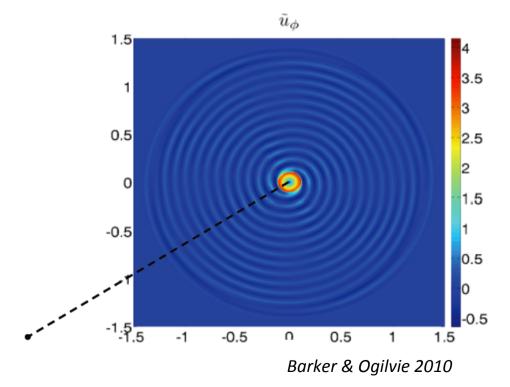
→ modification of the host star's evolution and internal differential rotation

Tides and magnetism

- Tides induce helical flows
- \rightarrow able to modify magnetism in stars (BinaMIcS, Uvmag/Arago) and planets (magnetic fields also modify tidal flows)
- Tidal and MHD torques must be taken into account simultaneously to predict the correct evolution of a system



Donati et al. 2008; Strugarek et al 2014



Conclusions & perspectives

• Dependence of the spin/orbital dynamics on the resonant tidal fluid dissipation :

→ width, height, non-resonant background level

• Dependence of the characteristics of these resonances on the physical parameters of the fluid :

 \rightarrow rotation, stratification, viscosity, thermal diffusivity, etc.

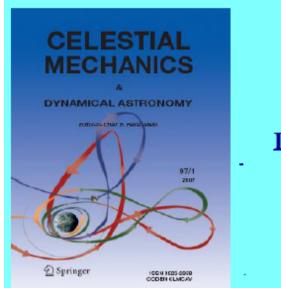
• Local model : general method and qualitative results

→ Need of global models (Guenel, Baruteau, Mathis & Rieutord; Ogilvie et al.); need to characterize the case of stratified convection (Leconte & Chabrier)

• Generalization to magnetic stars and planets :

→ Alfvén waves; new asymptotic behaviors (Mathis, Auclair-Desrotour, Guenel, Le Poncin-Lafitte)





<u>Celestial Mechanics</u> <u>and</u> <u>Dynamical Astronomy</u> A Springer International Journal of Space Dynamics

SPECIAL ISSUE

TIDAL EVOLUTION

GENERAL INFORMATION

. TOPICS

- Planetary systems
- Close-in satellites
- Exoplanets
- Host stars rotation
- Tidal evolution and habitability
- Migration
- Disipative mechanisms

May 15, 2015