

Advanced Image Cleaning for Cherenkov Telescopes

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LEPCHE

B. 709 p. 120

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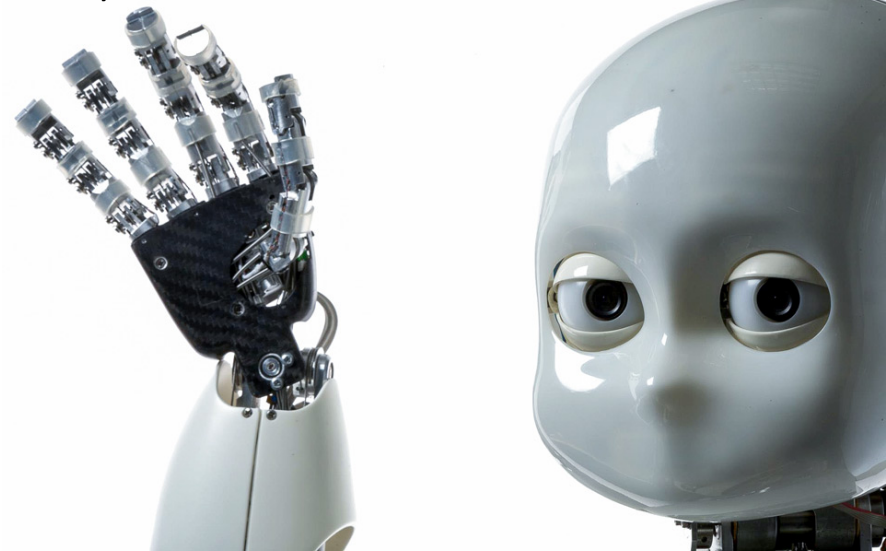
The road so far

2008

- Master degree in Computer Science (Paris V)

2011

- Master degree in Artificial Intelligence (UPMC, Paris VI)
 - Mathematical optimization
 - Machine learning (classification + regression)



The road so far

2014

- PhD at Inria Saclay (LRI)
- TAO team
Mathematical Optimization + Machine Learning



The road so far 臺灣

2014

- PhD at Inria Saclay (LRI)
- TAO team
Mathematical Optimization + Machine Learning
- 5 months in Taiwan



The road so far

- Subject: *Hybridization of dynamic optimization methodologies*
 - Sequential decision making (a.k.a. multistage optimization) and reinforcement learning
 - Mainly applied to power systems and energy stock management (hydropower), in front of stochastic demand and production

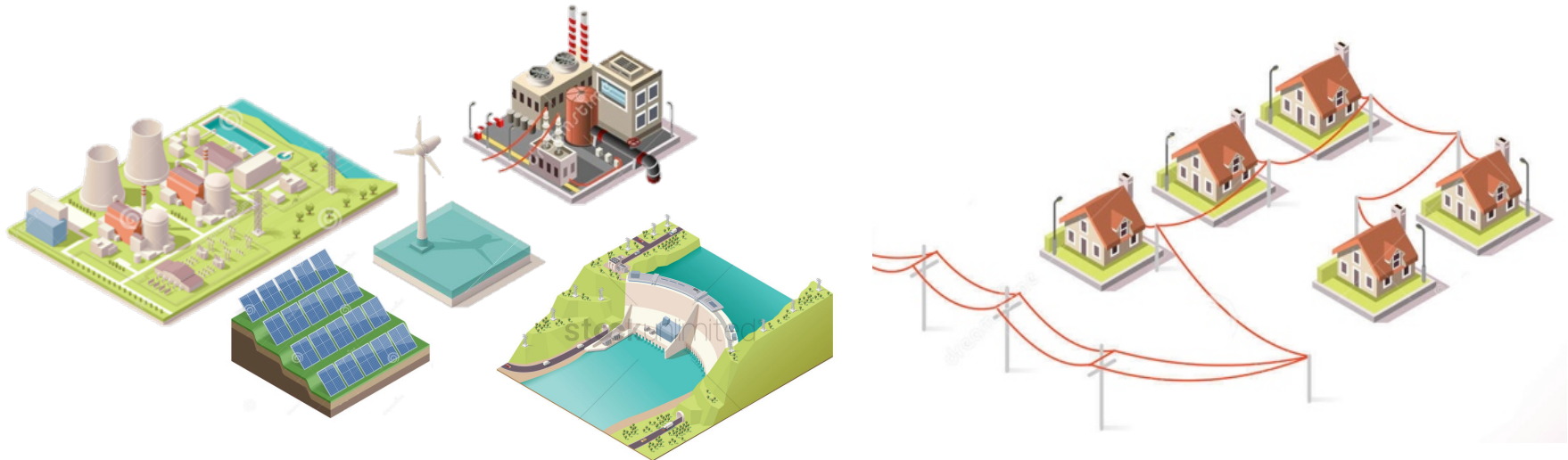
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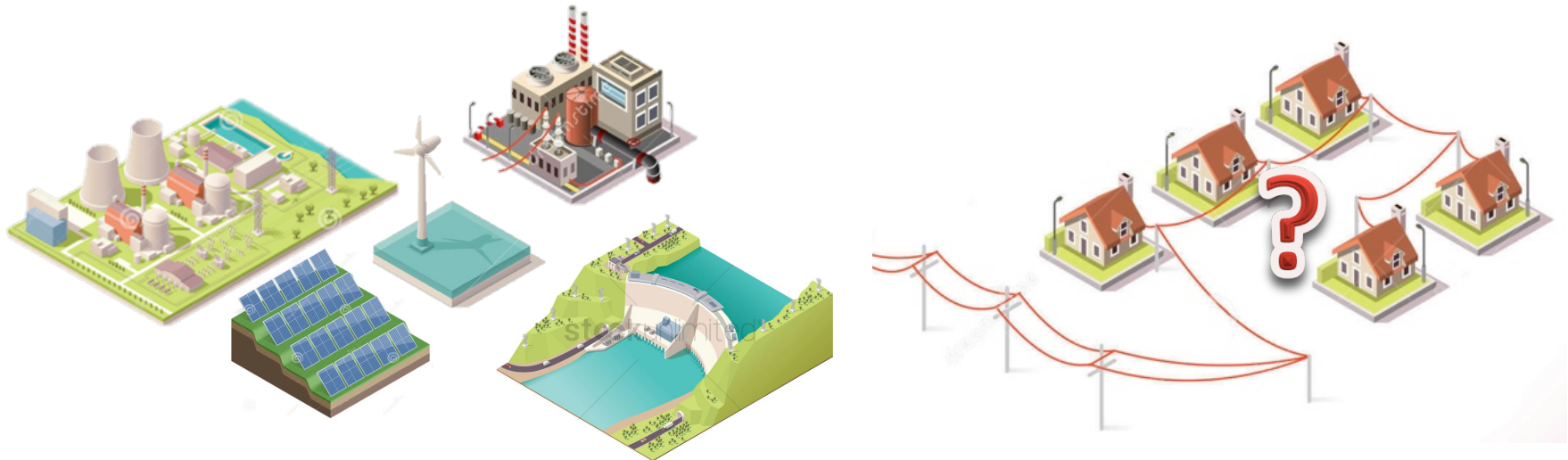
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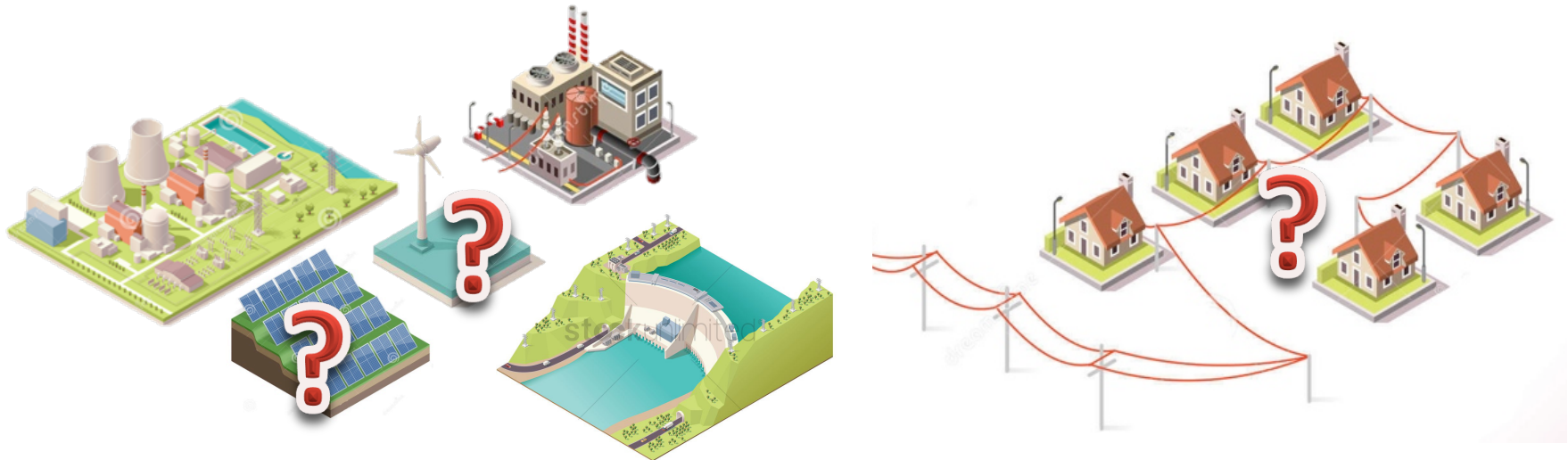
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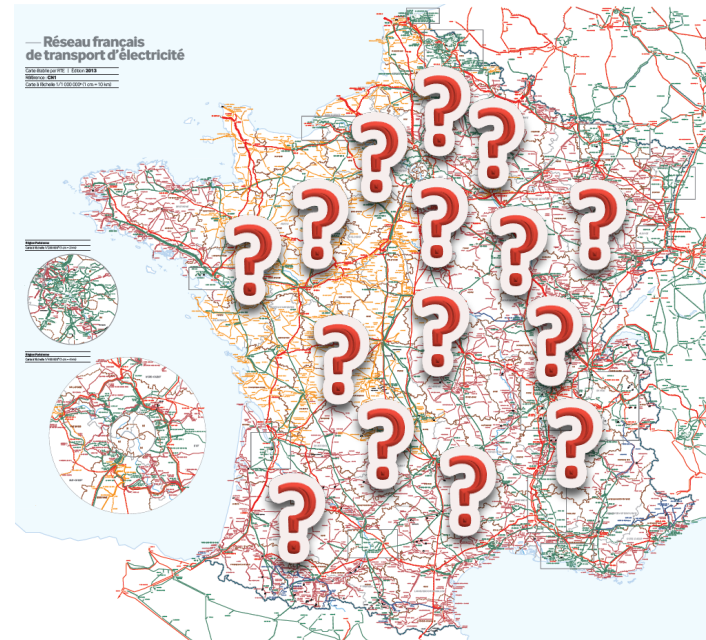
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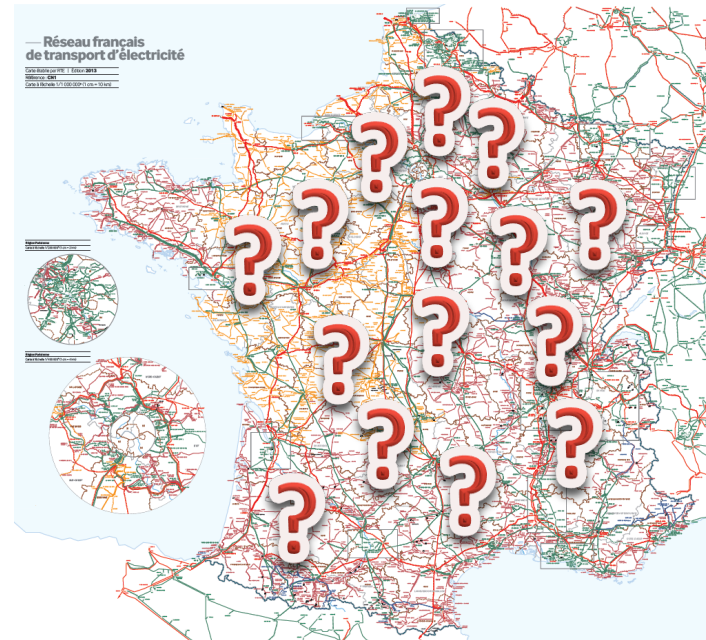
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Manuscript: <http://www.jdhp.org/phd.pdf>

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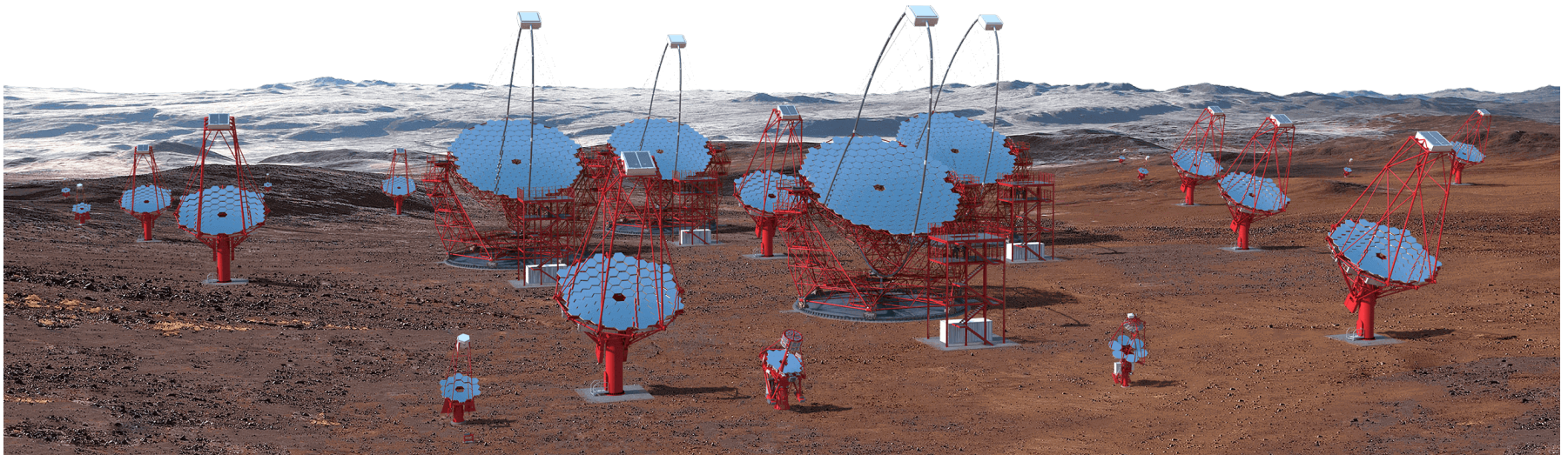
2015

- Postdoc at Inria
- Parallelization of "Cutting Plane" methods

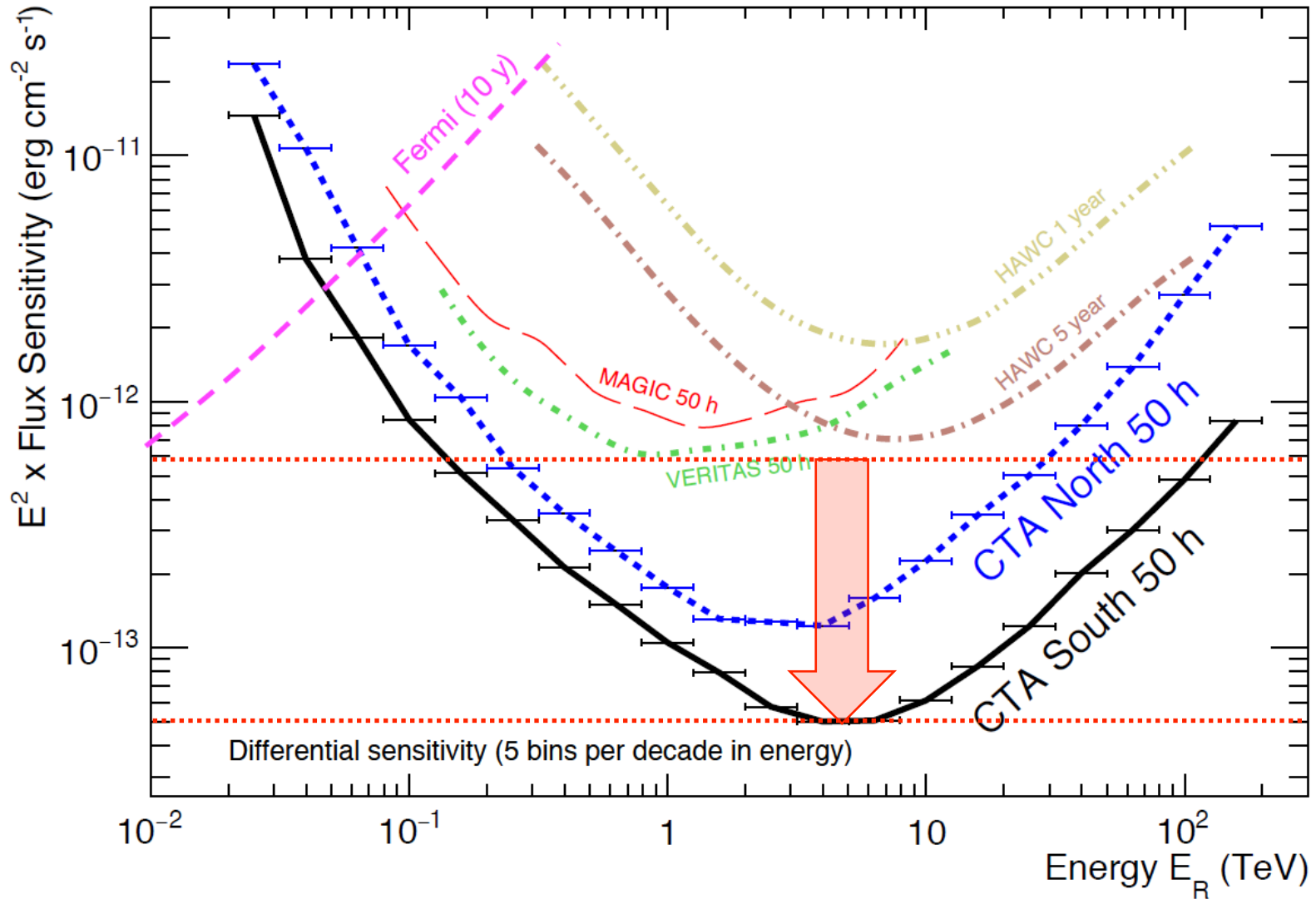
2016

- CTA group at CEA, pipeline team
 - F.Acero, K.Brugge, K.Kosack, D.Landriu, T.Michael, T.Stolarczyk
 - Collaboration with Cosmostat
- New methods to improve the signal to noise ratio at the level of instruments

Context: CTA



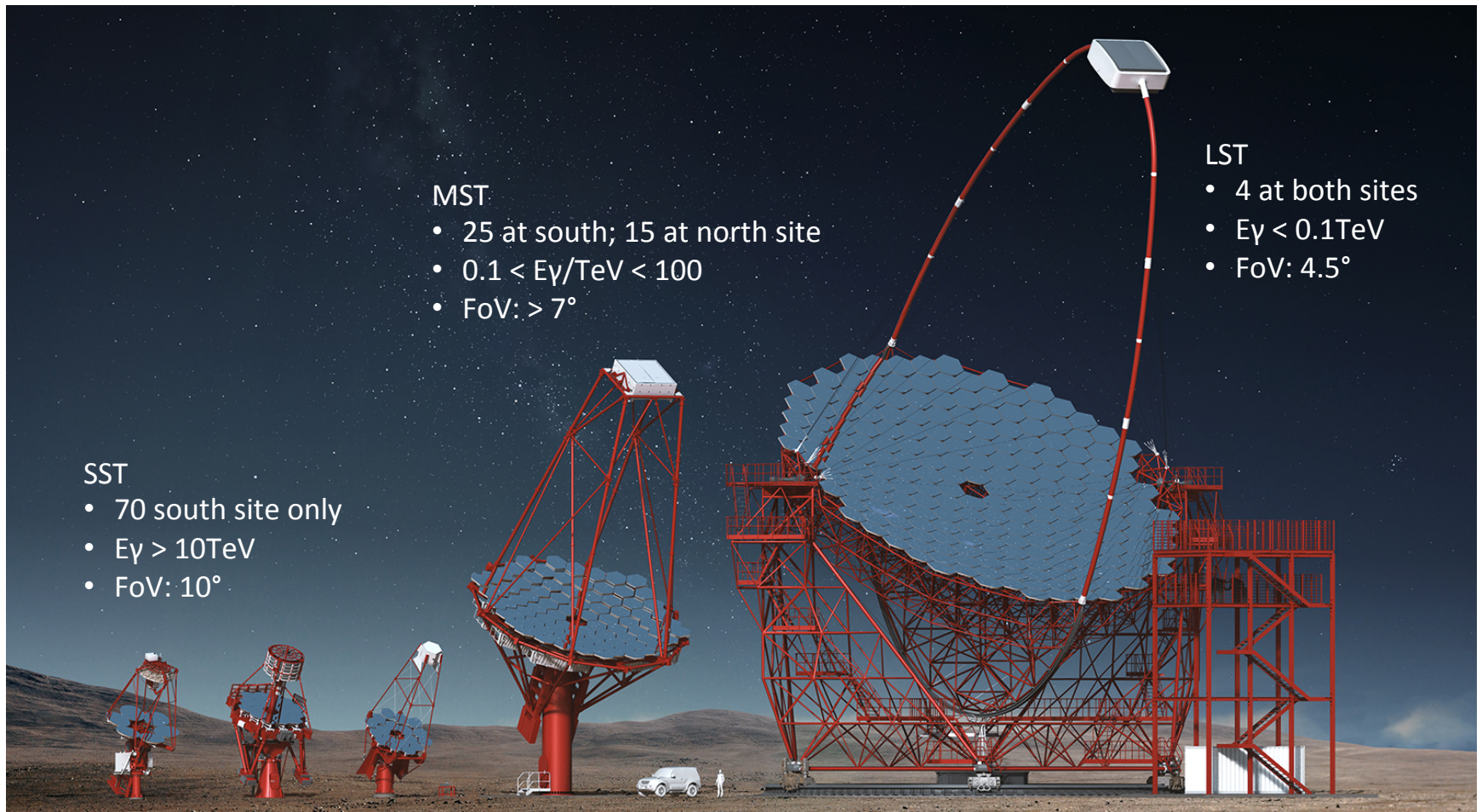
Performance - Sensitivity



2 sites: La Palma (Spain) and Paranal (Chile)



3 telescope size



Construction started



How Cherenkov Telescopes Works

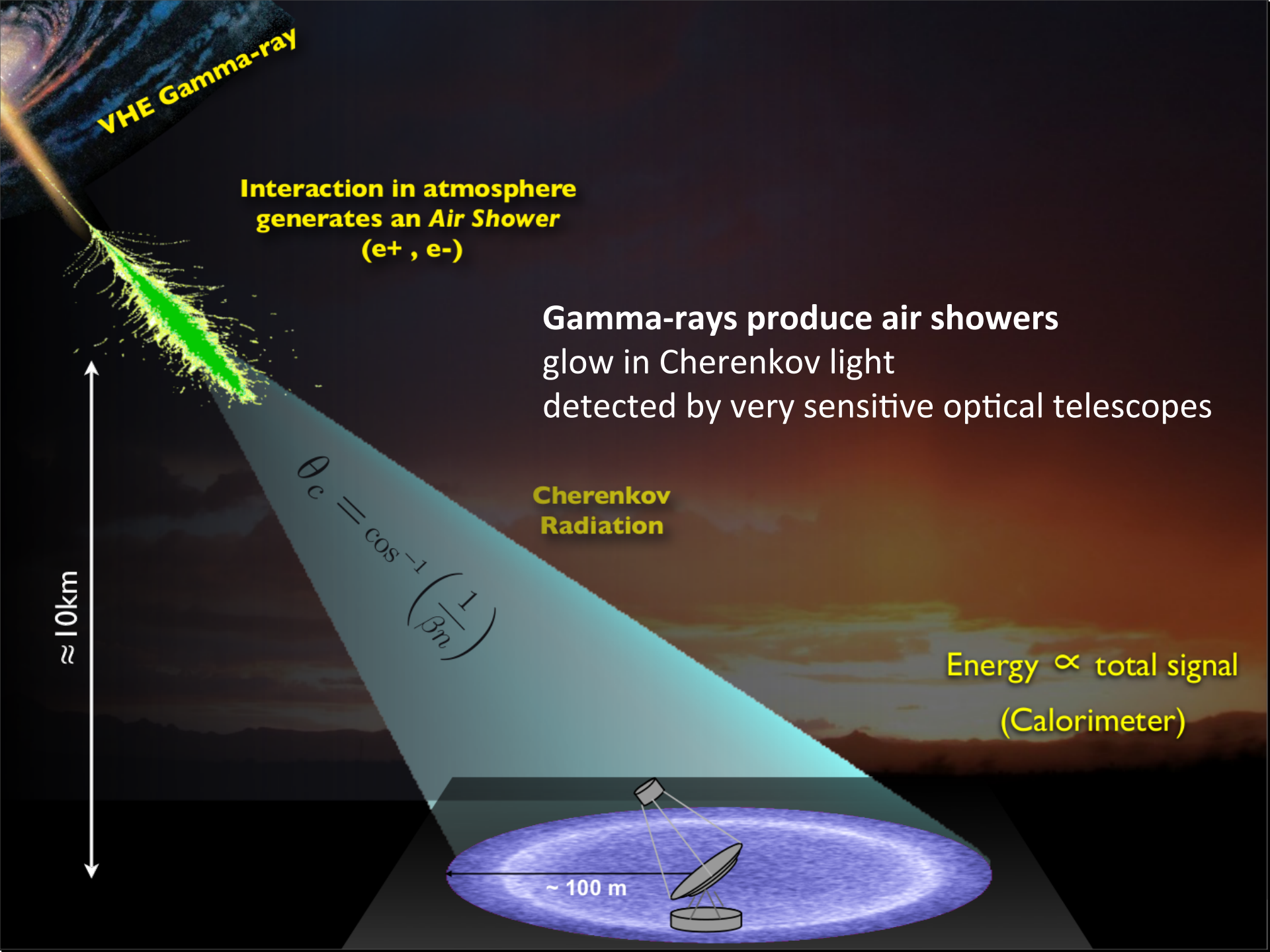
VHE Gamma-ray

Interaction in atmosphere
generates an Air Shower
(e^+ , e^-)

$\approx 10\text{km}$

Energy \propto total signal
(Calorimeter)





VHE Gamma-ray

Interaction in atmosphere
generates an Air Shower
(e+ , e-)

Gamma-rays produce air showers
glow in Cherenkov light
detected by very sensitive optical telescopes

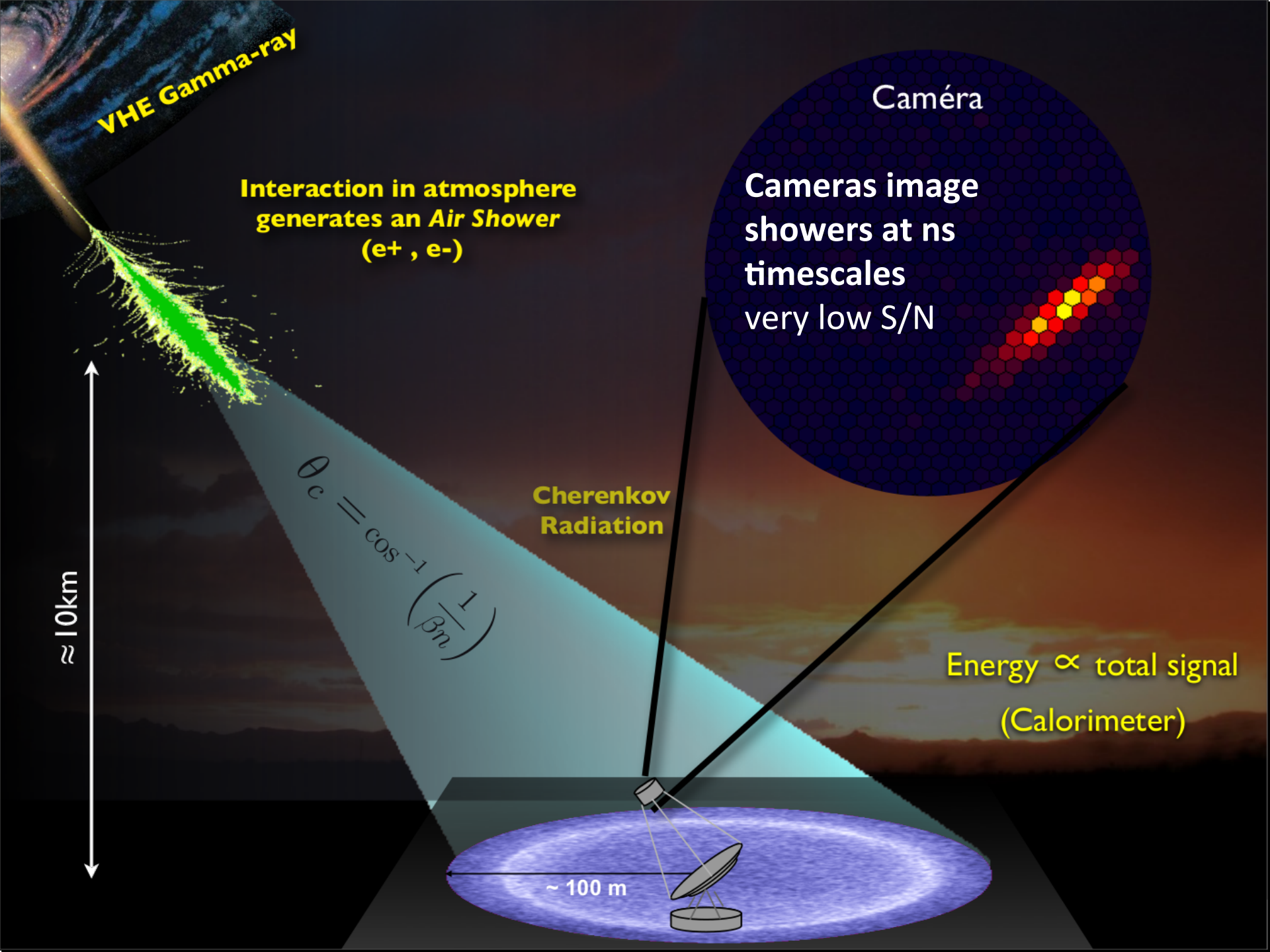
Cherenkov
Radiation

$$\theta_c = \cos^{-1}\left(\frac{1}{\beta n}\right)$$

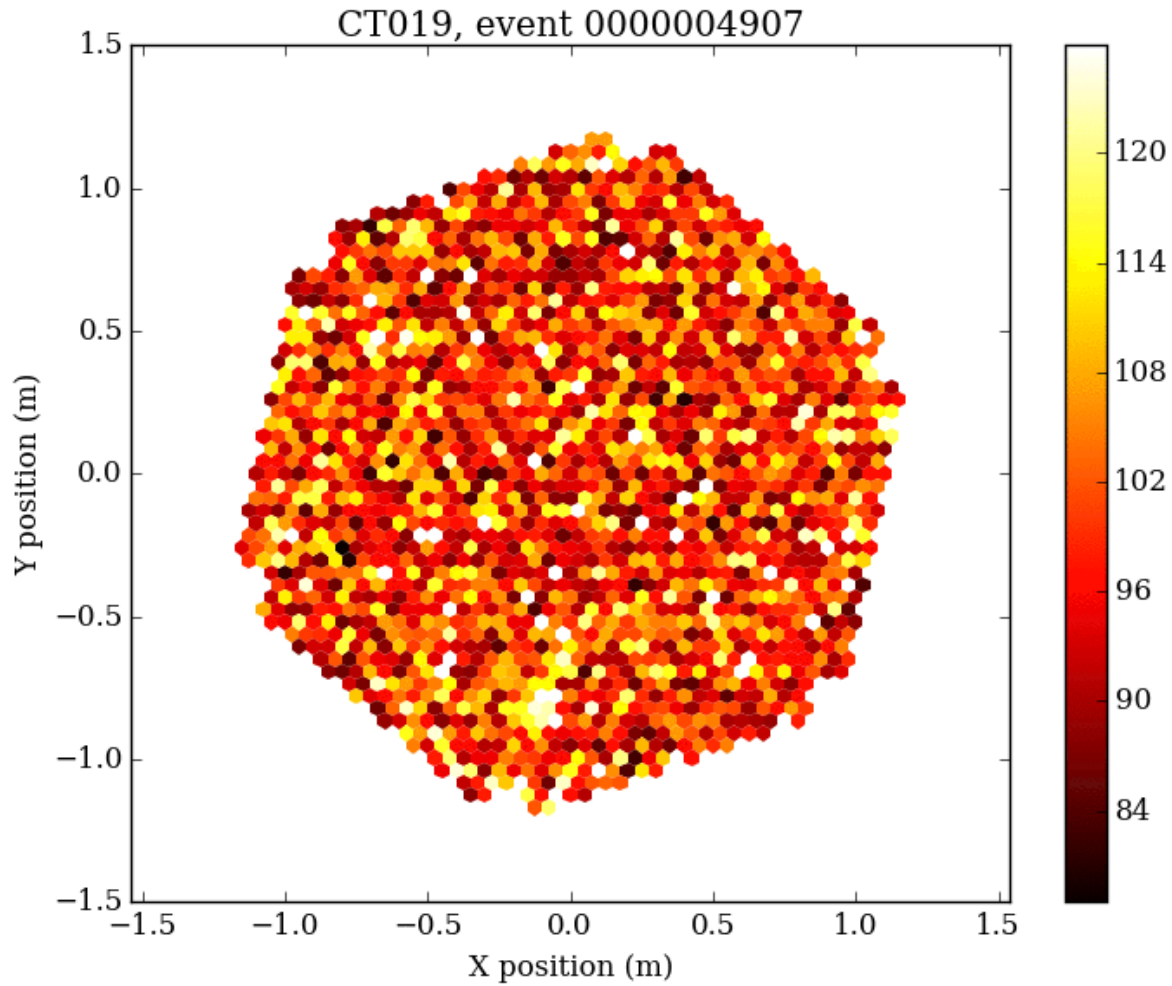
$\approx 10\text{km}$

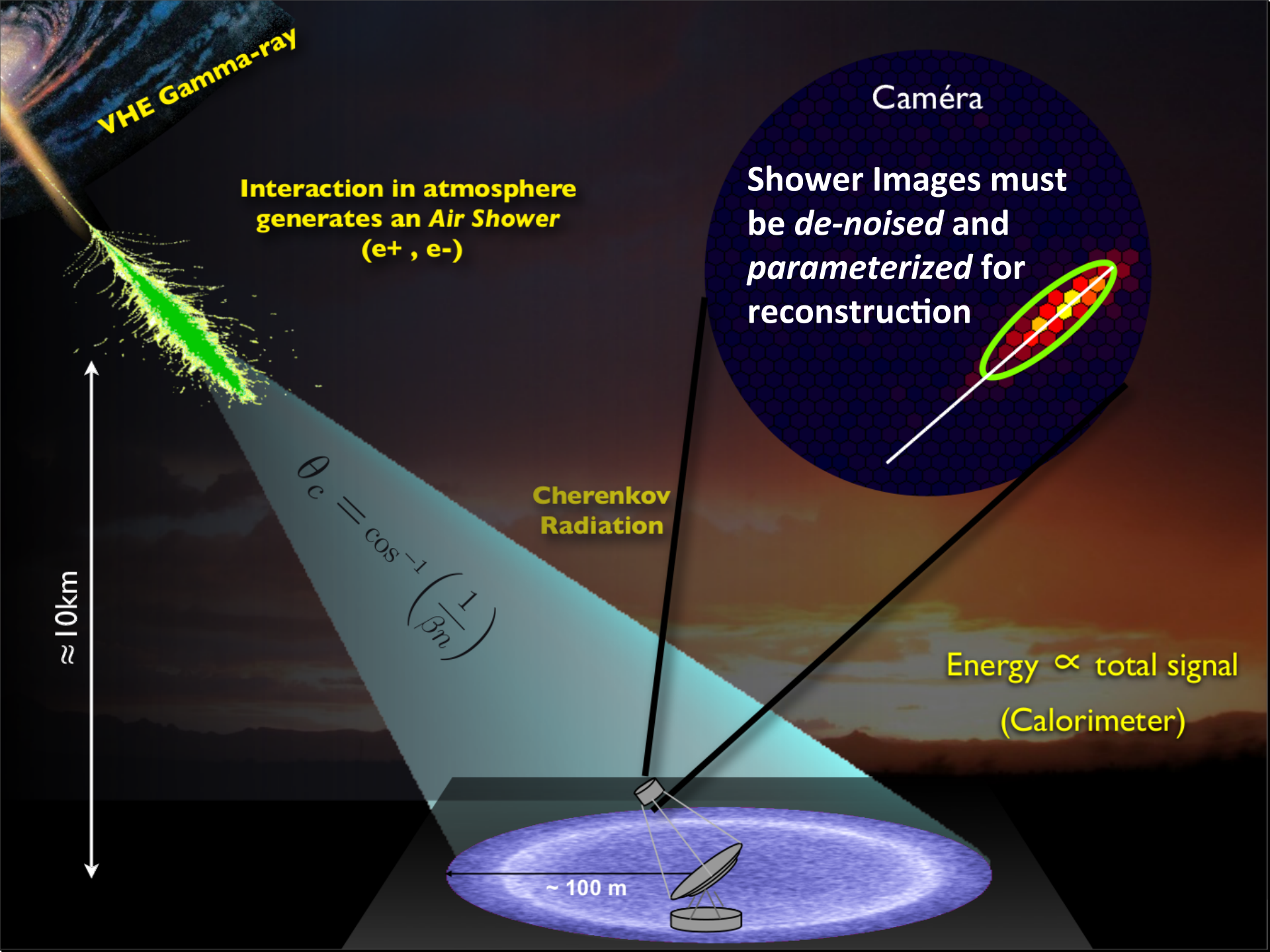
Energy \propto total signal
(Calorimeter)

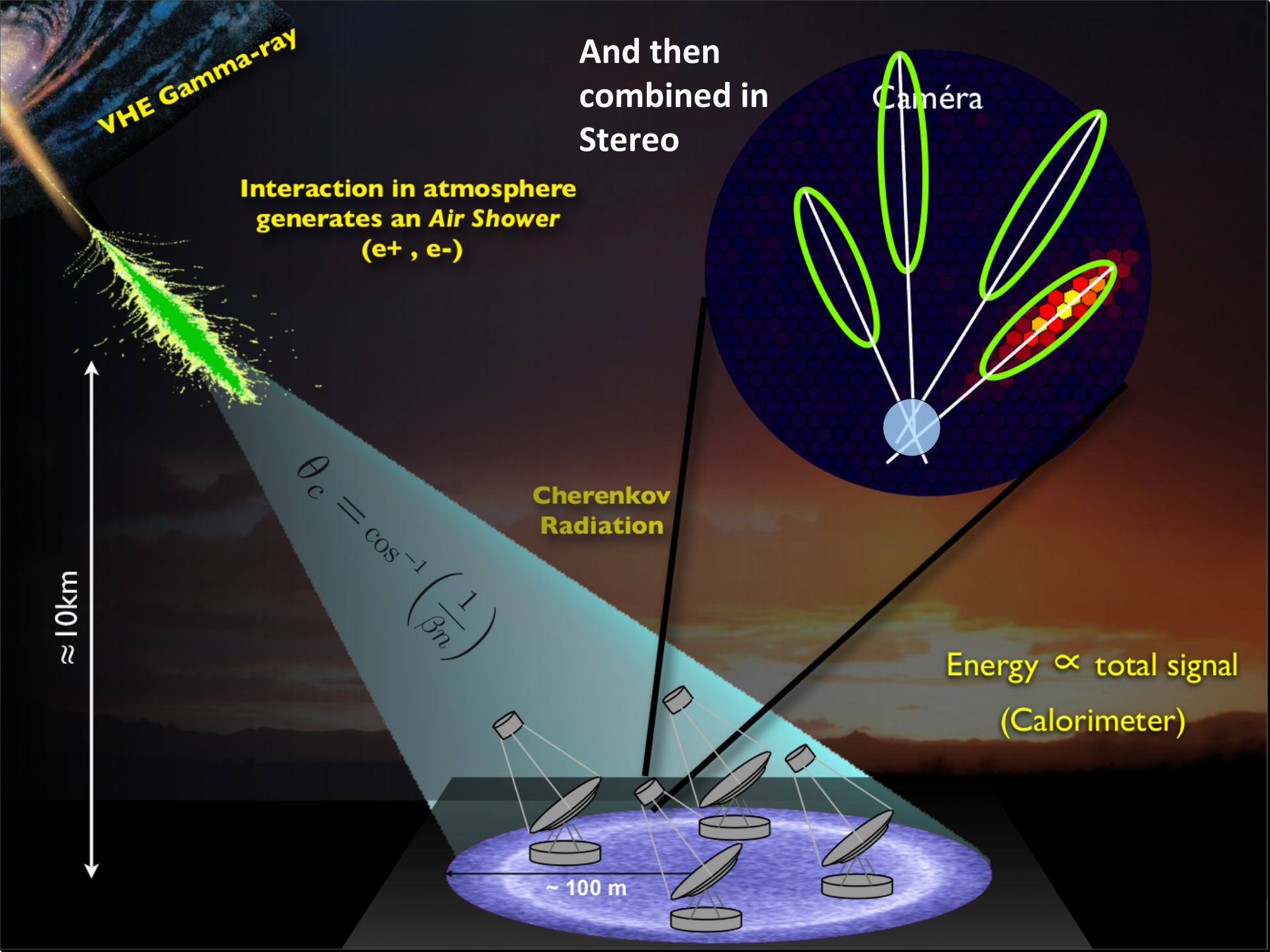
$\sim 100\text{ m}$



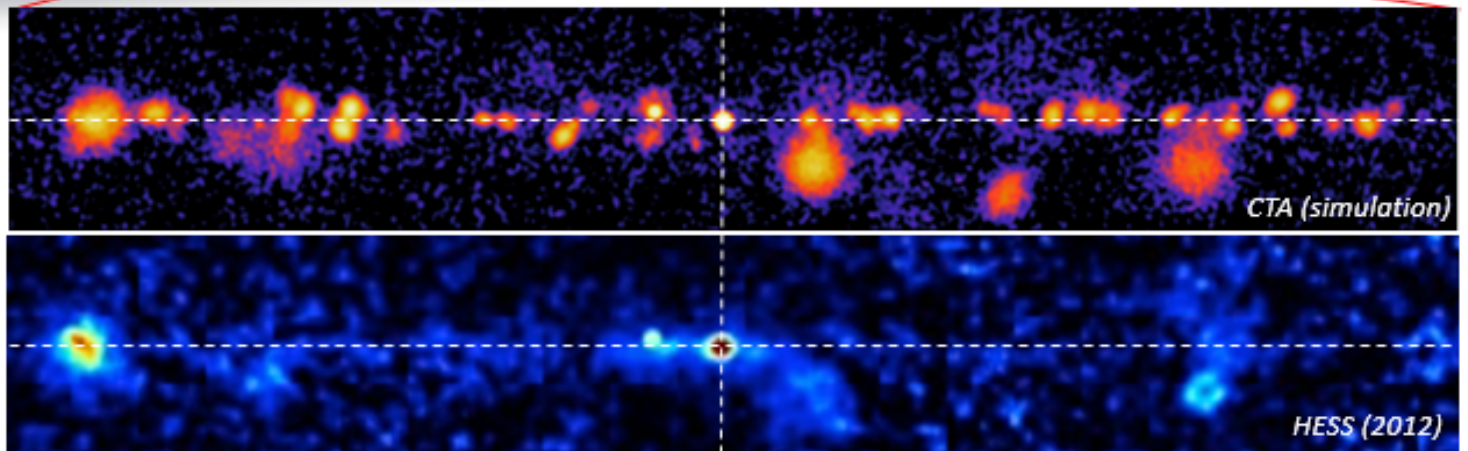
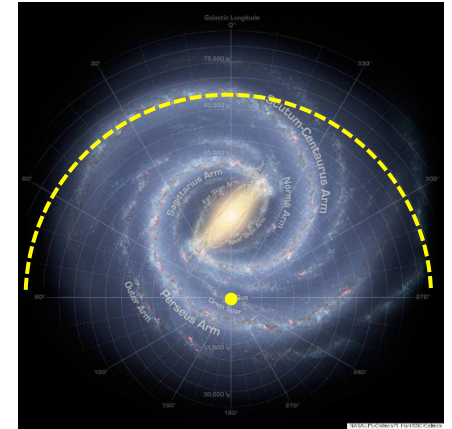
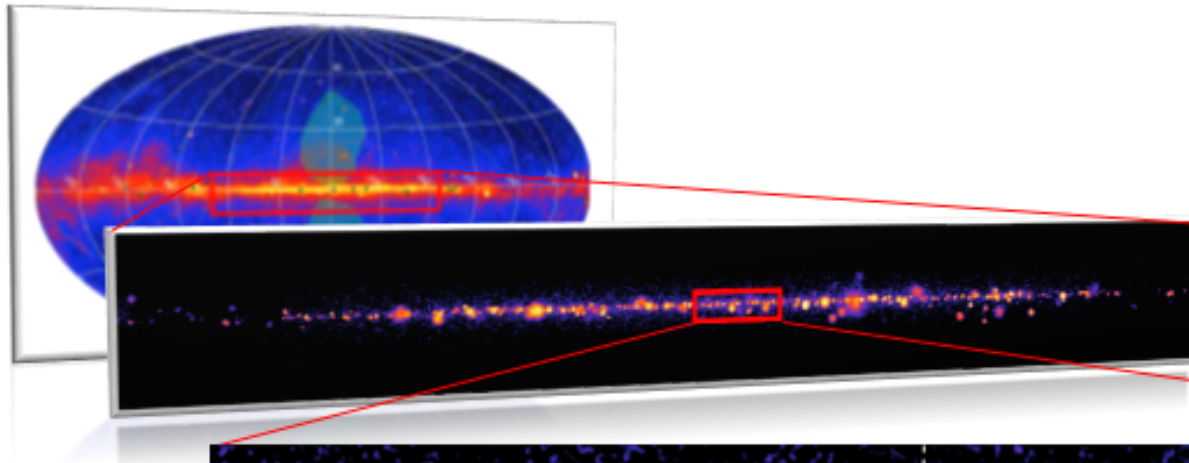
Example

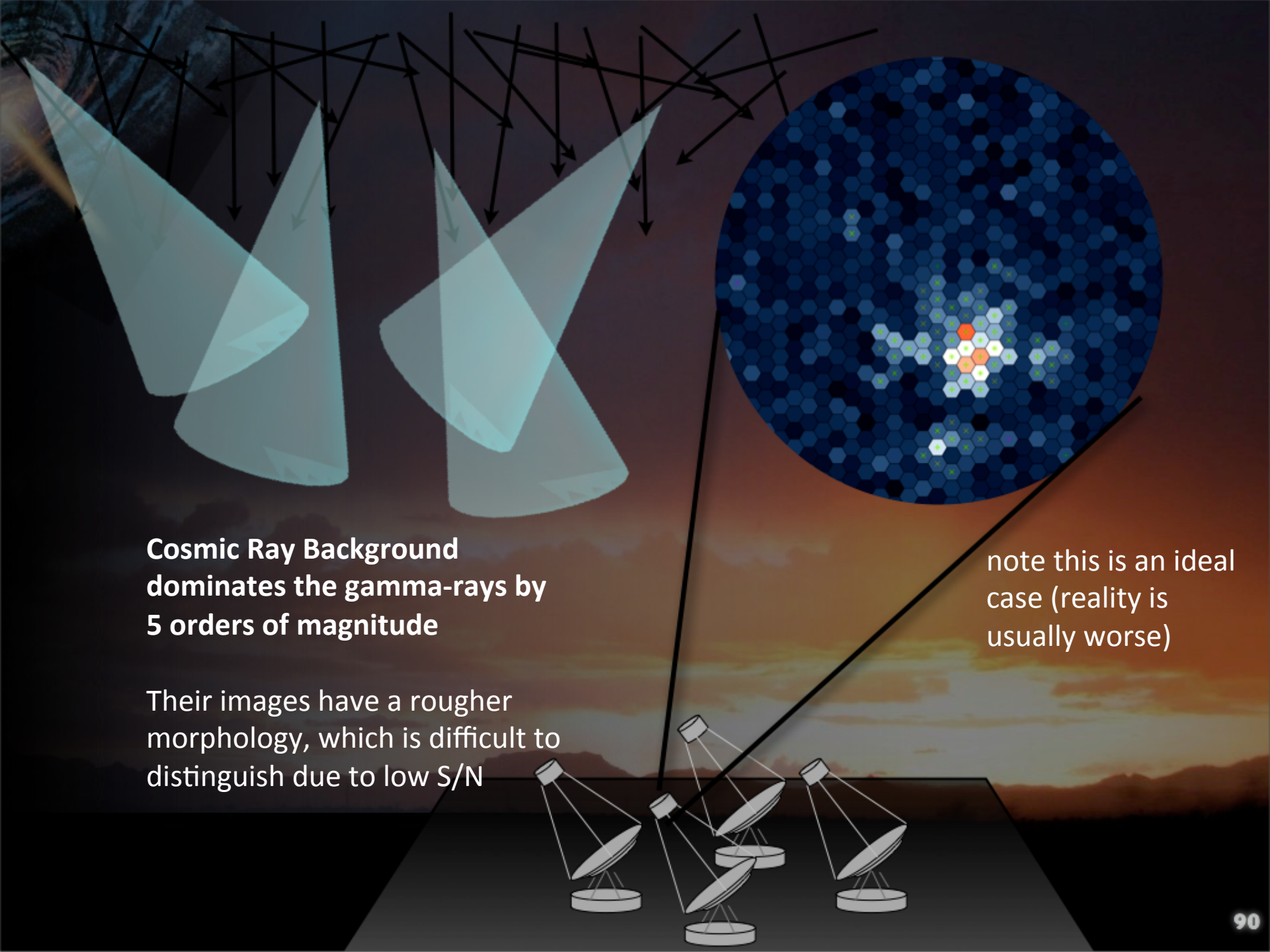






Sky maps





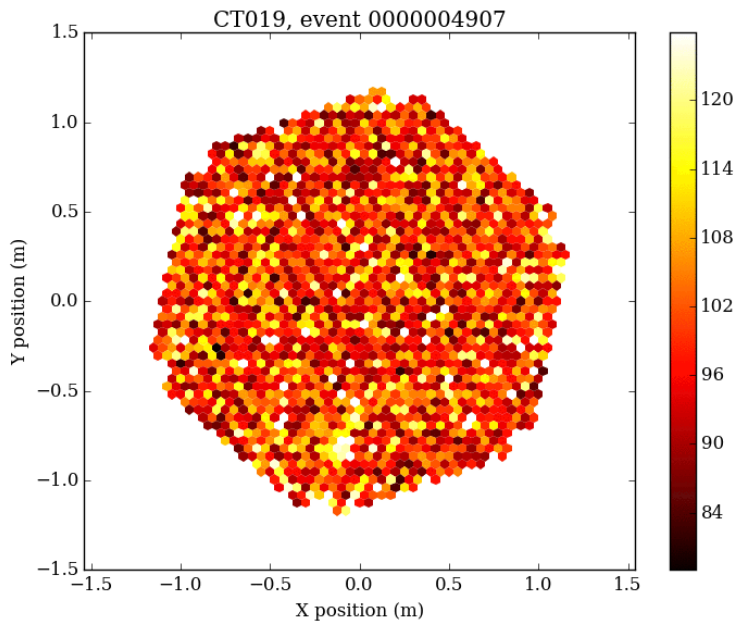
**Cosmic Ray Background
dominates the gamma-rays by
5 orders of magnitude**

Their images have a rougher
morphology, which is difficult to
distinguish due to low S/N

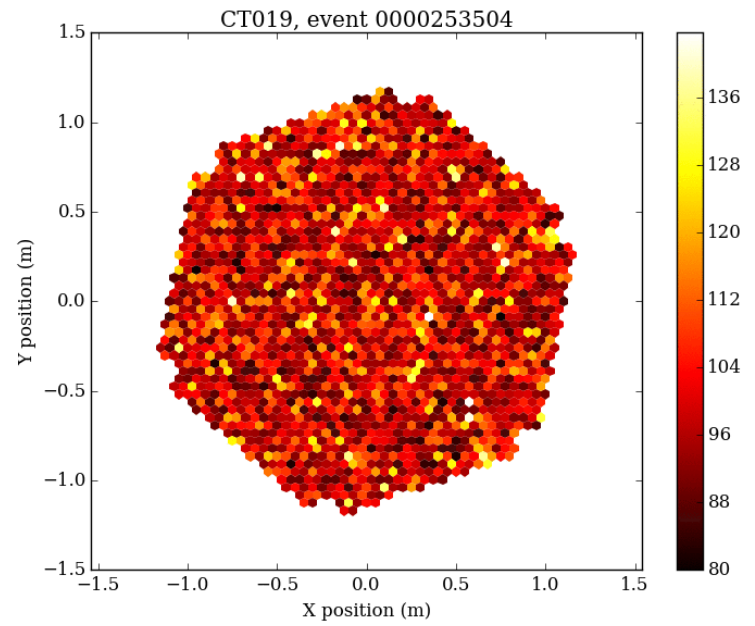
note this is an ideal
case (reality is
usually worse)

Examples

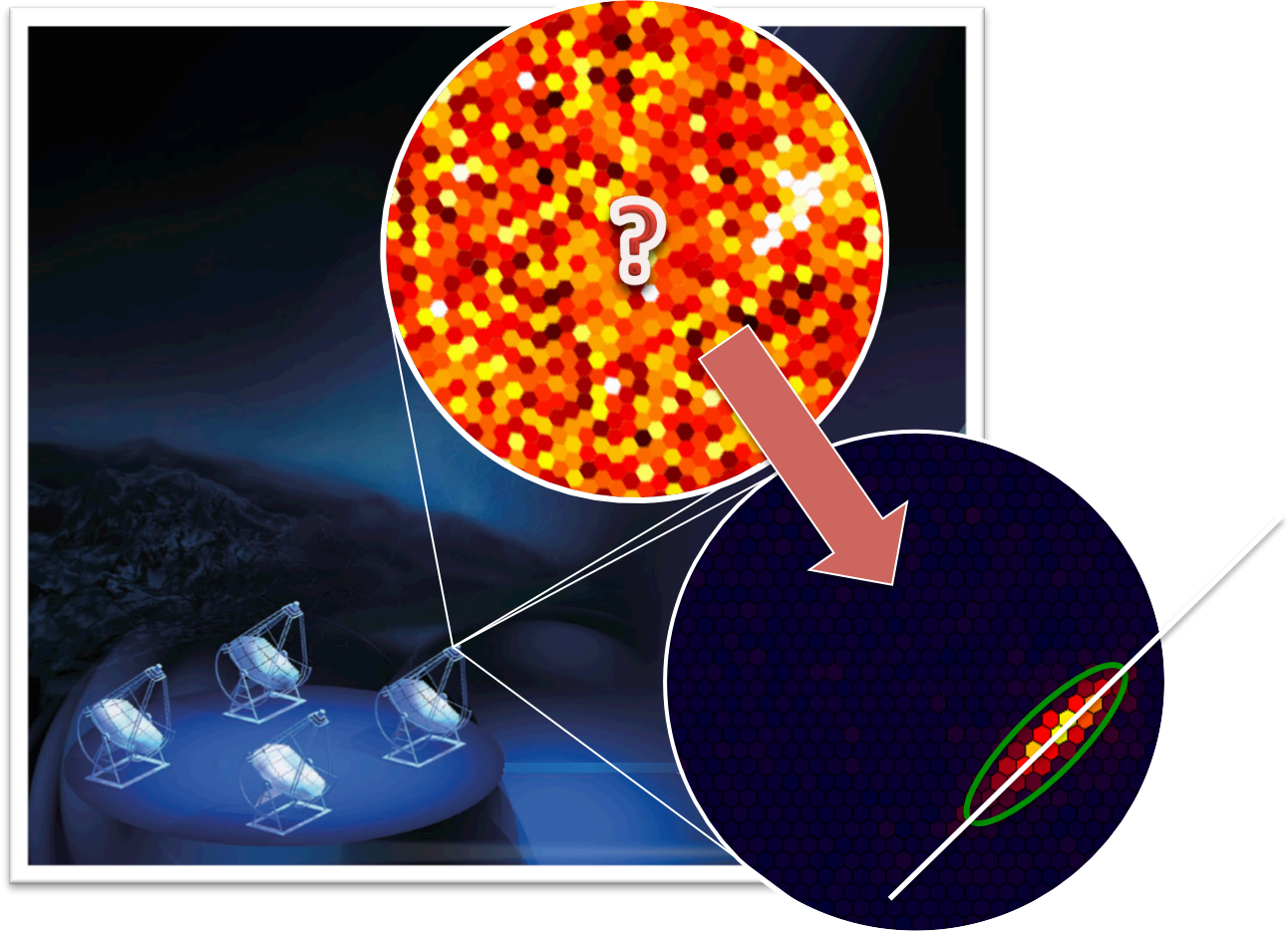
Gamma rays



Protons



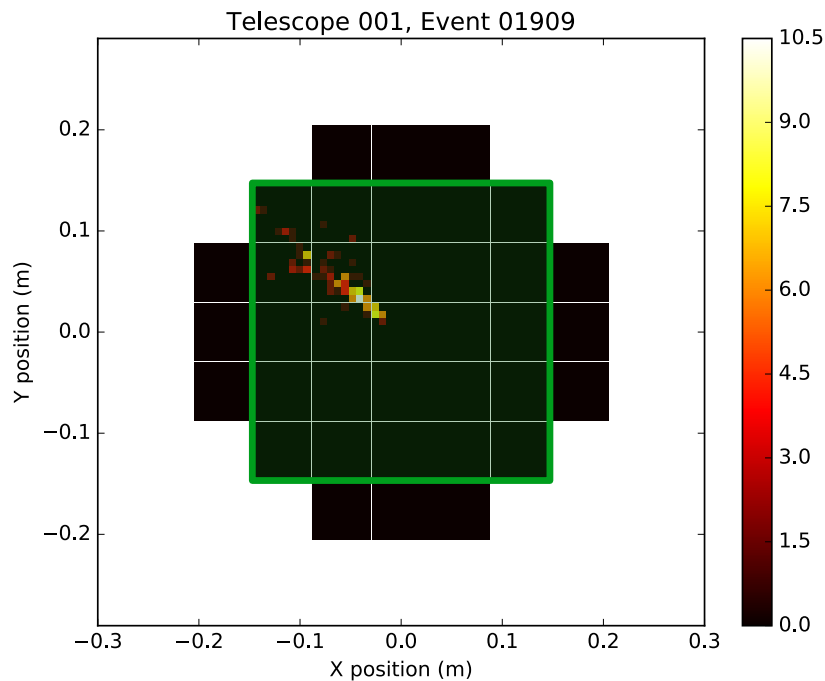
My task: image cleaning



Experimental setting

Dataset used to assess cleaning algorithms

- Monte-Carlo simulations: gamma-ray 100 GeV up to 100 TeV + protons
- ASTRI telescopes
- Cropped to get squared pixel arrays



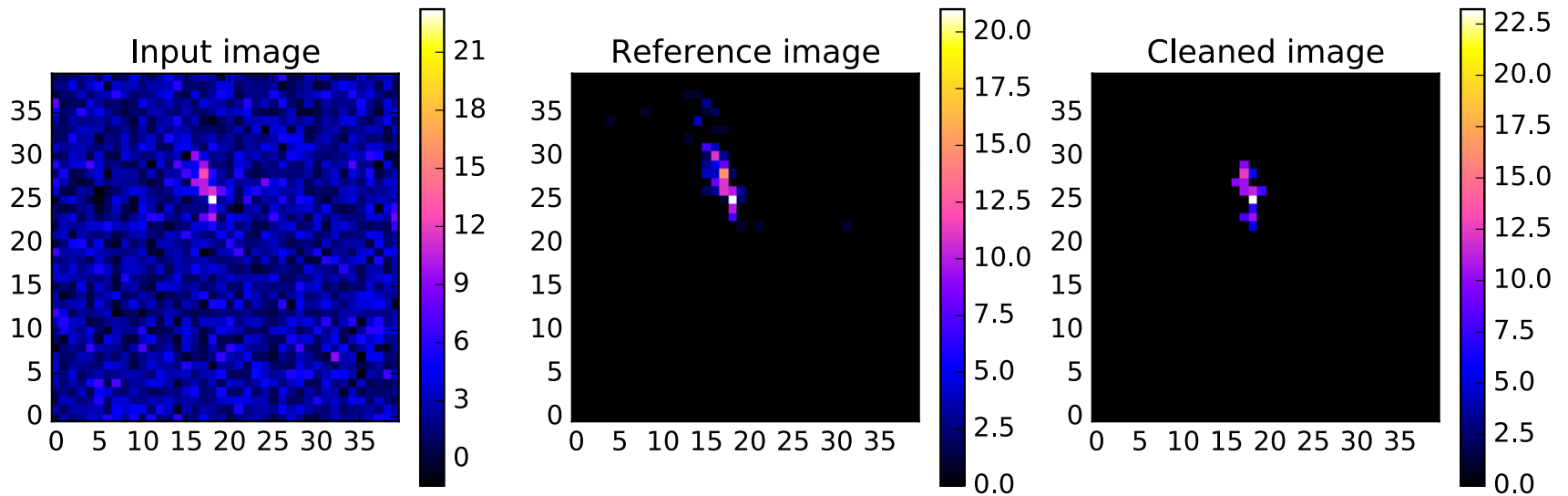
Methods currently used for gamma rays images cleaning (Tailcut)

A very simple cleaning procedure:

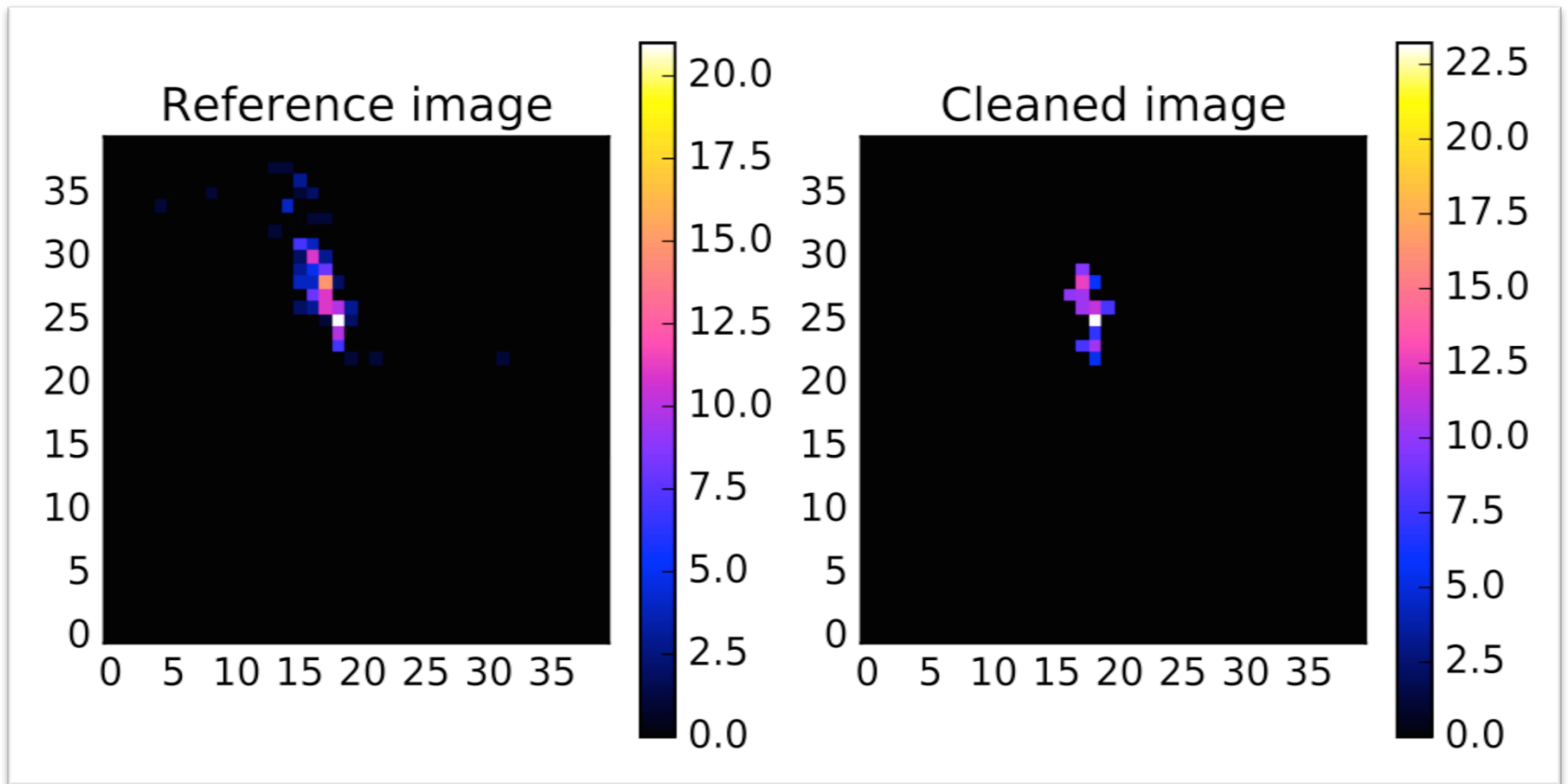
- Keep pixels above a given threshold (e.g. 10 photoelectrons)
- Keep some neighbors of these selected pixels: those above a second (lower) threshold (e.g. 5 photoelectrons)

Methods currently used for gamma rays images cleaning (Tailcut)

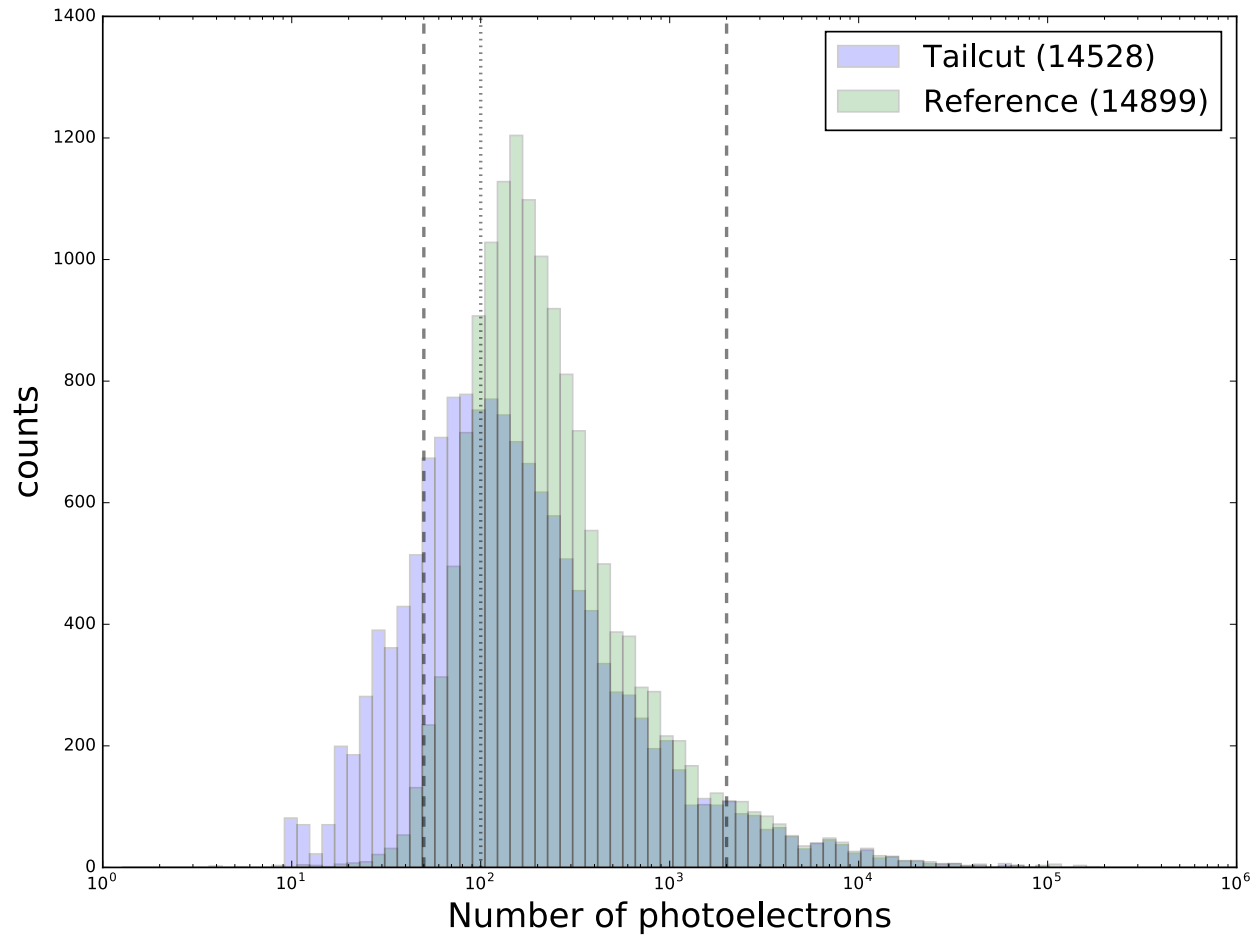
run1001.simtel.gz (Tel. 2, Ev. 427406) 2.20E+00TeV



Tailcut Information loss



Tailcut Information loss



Basic idea to go beyond

- Tailcut method: thresholds in the main space
- Better idea: thresholds in a different space where signal and noise can be easily separated
 - Wavelet transform
 - Cosmostat tools (iSAP/Sparse2D)
(<http://www.cosmostat.org/software/isap/>)

We are considering Wavelet Transform method

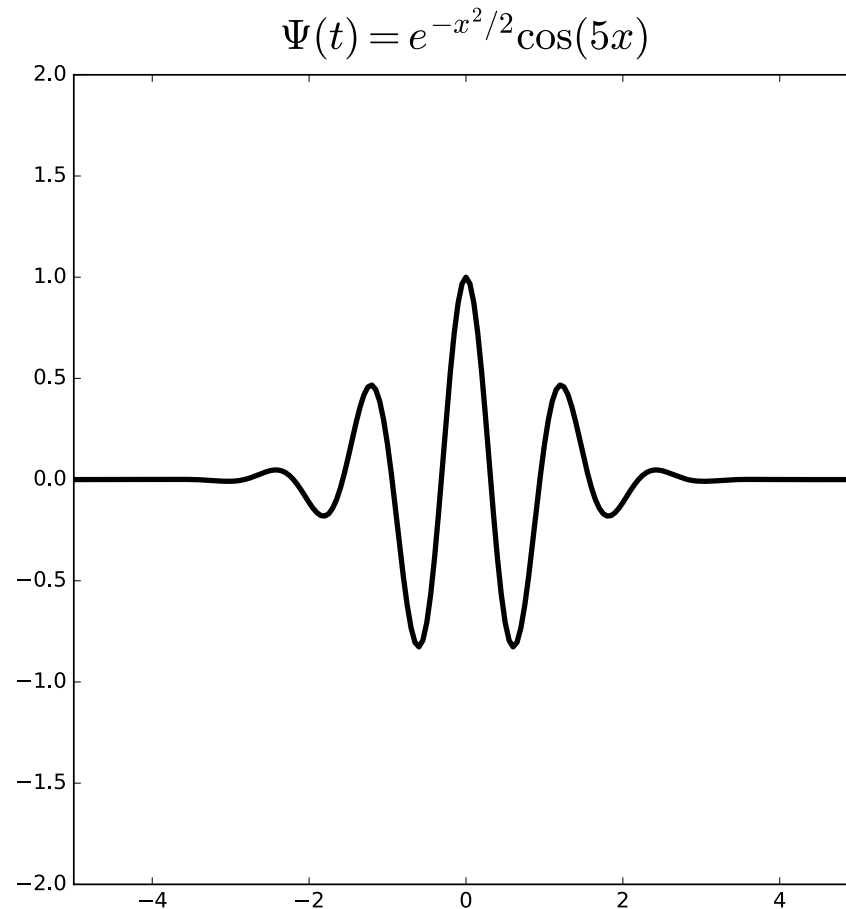
Idea: similar to Fourier Transform filtering

- Apply the transform on the signal
- Apply a threshold in the transformed space
- Invert the transform to go back to the original signal space

Differences with Fourier Transform

- Bases: wavelets functions instead sin and cos
- Spatial information

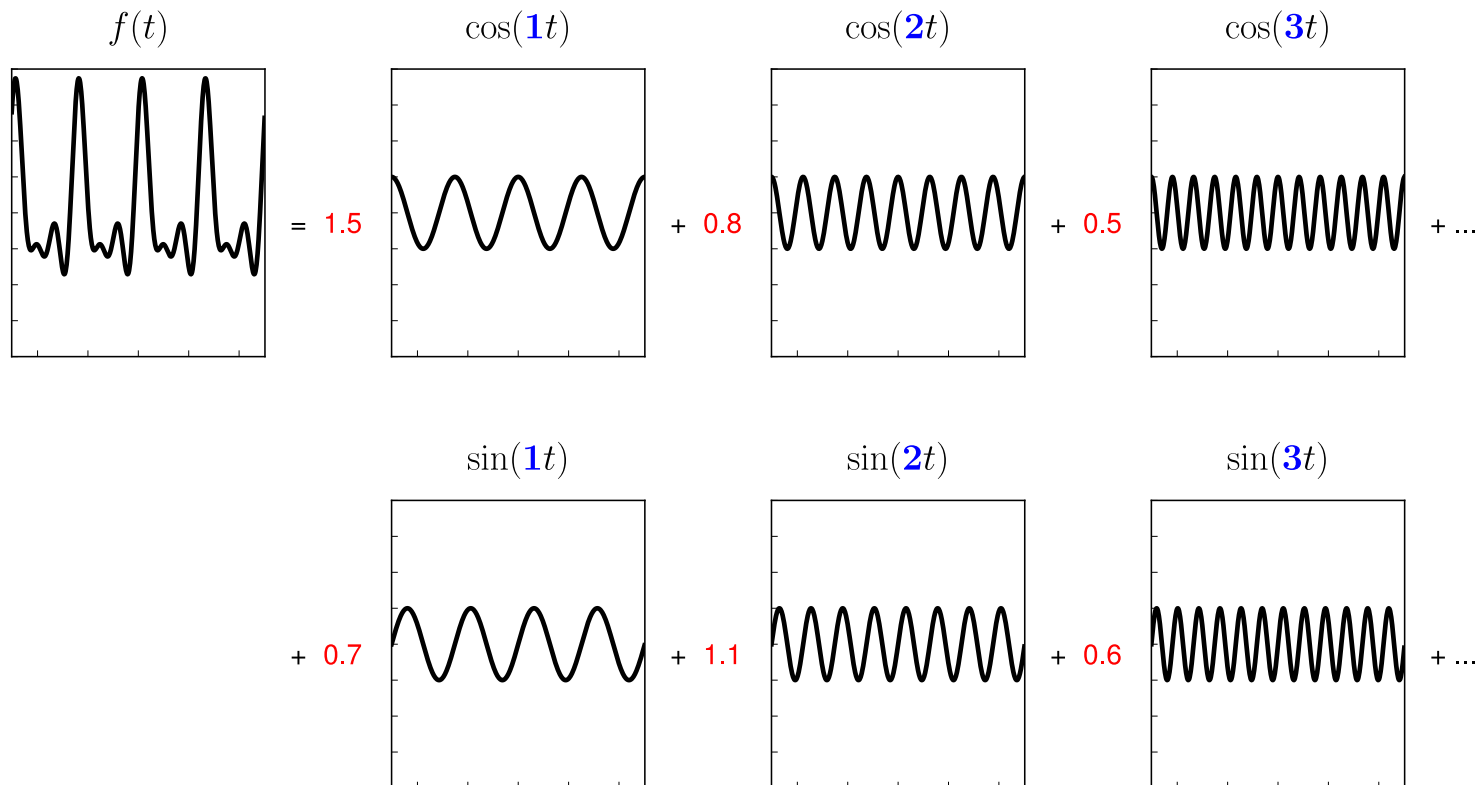
Example of wavelet function (Morlet wavelet)



“A short wave-like oscillation with a beginning and an end”

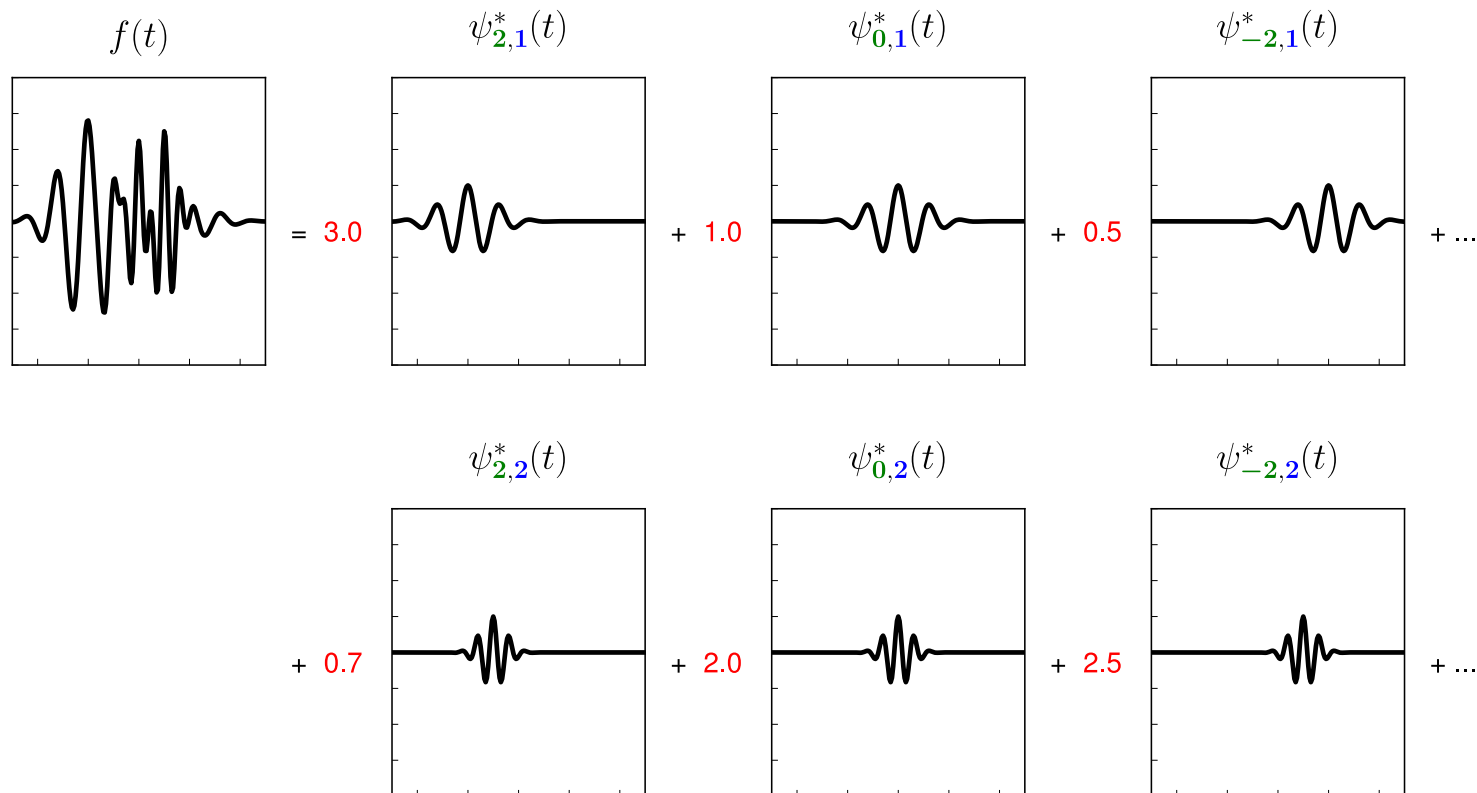
Cleaning procedure: general idea with Fourier Transform

- Input signal is converted to a **weighted** sum of sin and cos at different **frequencies**
- Threshold is applied on these **weights** to remove some **frequencies** in the input signal (e.g. high pass filter, low pass filter, ...)

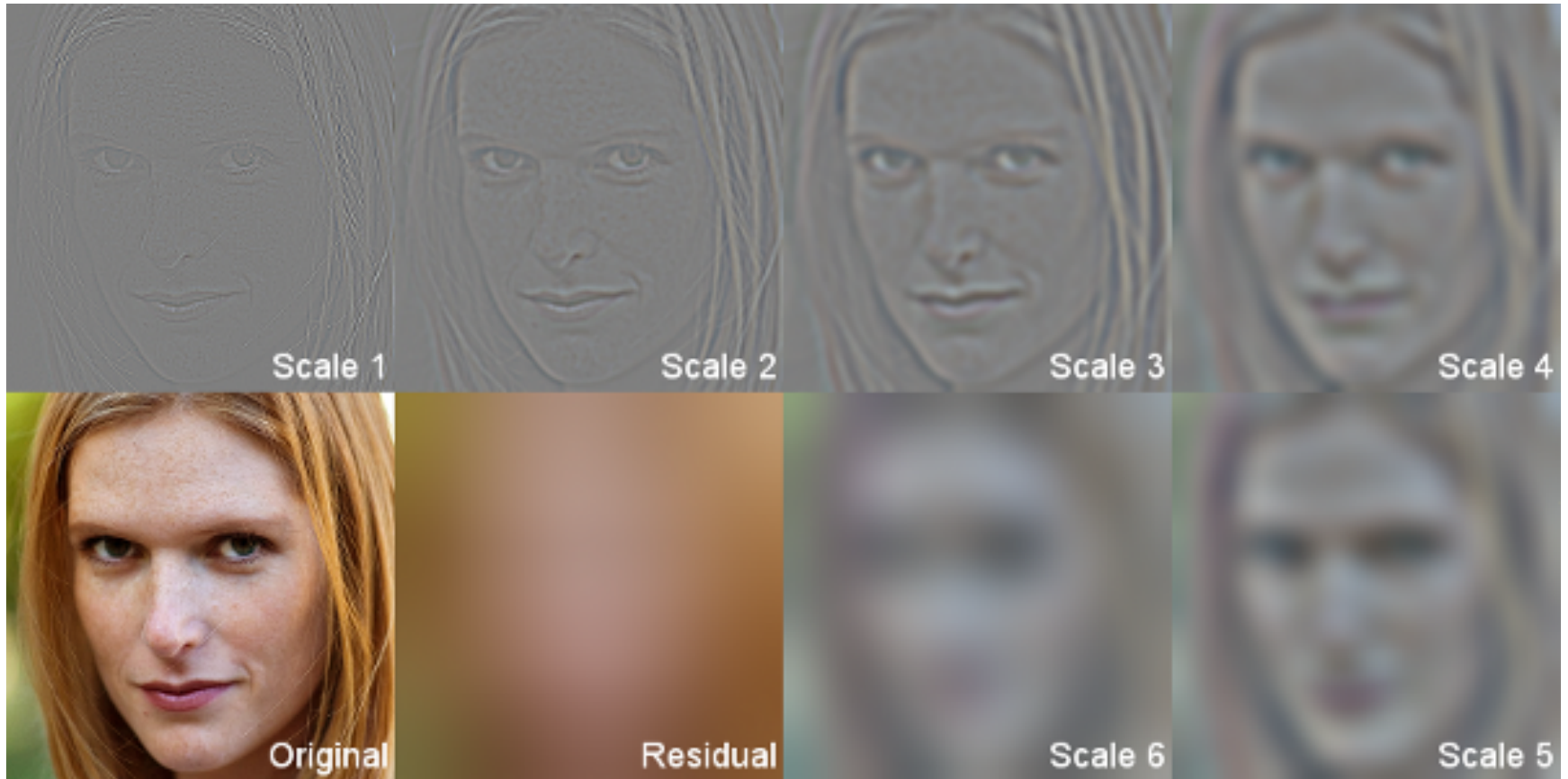


Cleaning procedure: general idea with Wavelet Transform

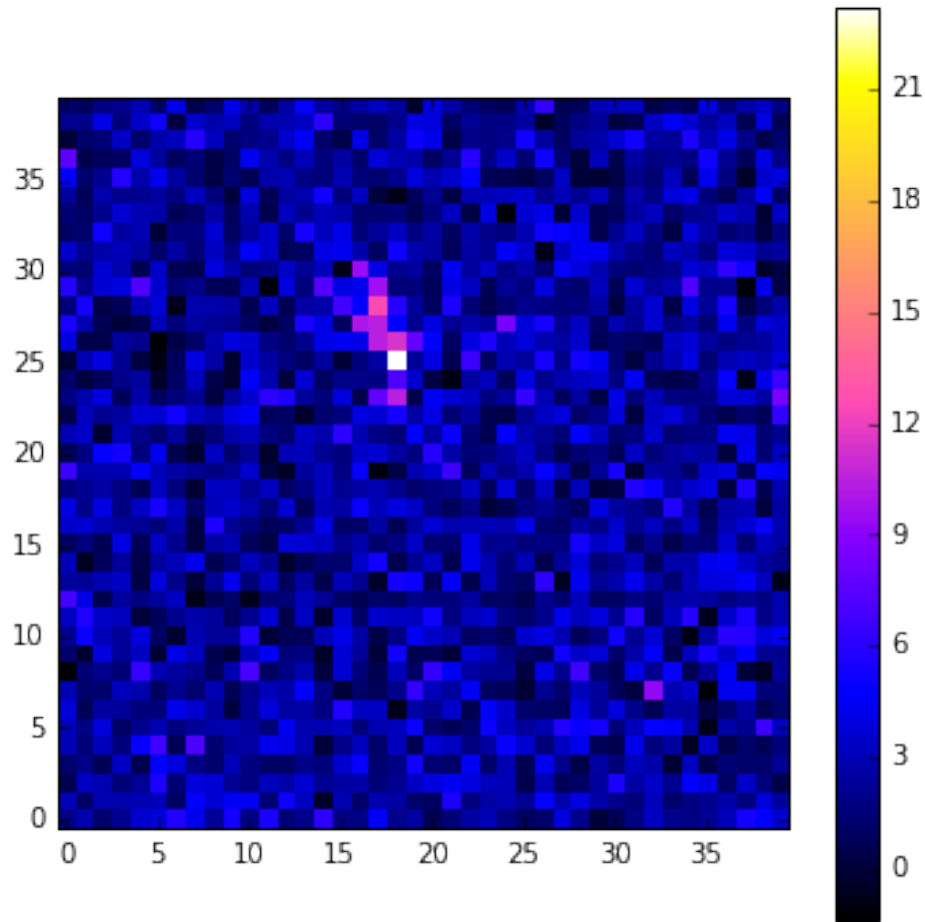
- Input signal is converted to a **weighted** sum of these wavelet functions at different **scales** (**dilate factor**) and **positions** (**translate factor**)
- Threshold is applied on these **weights** to remove **locally** (in space or time) some **frequencies** (or **scales**) in the input signal



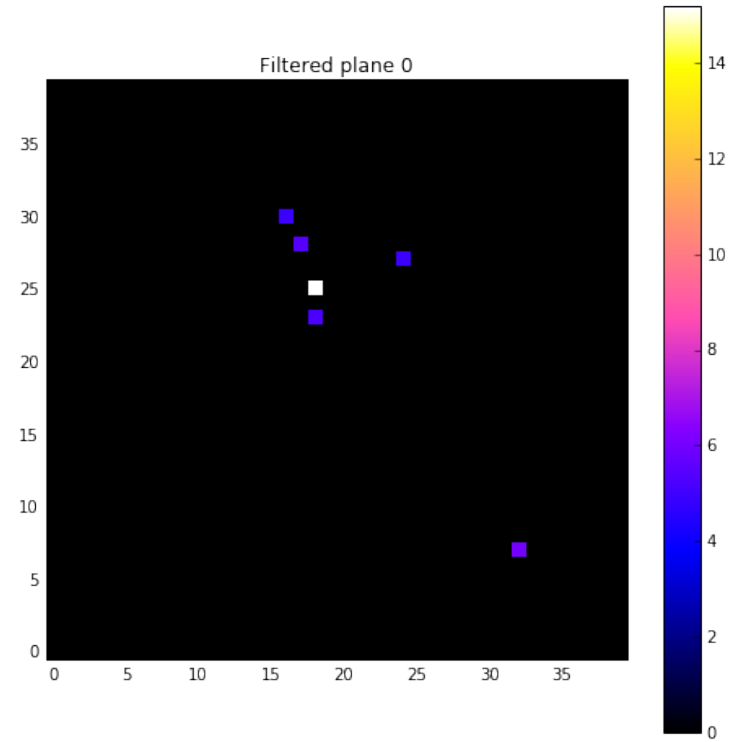
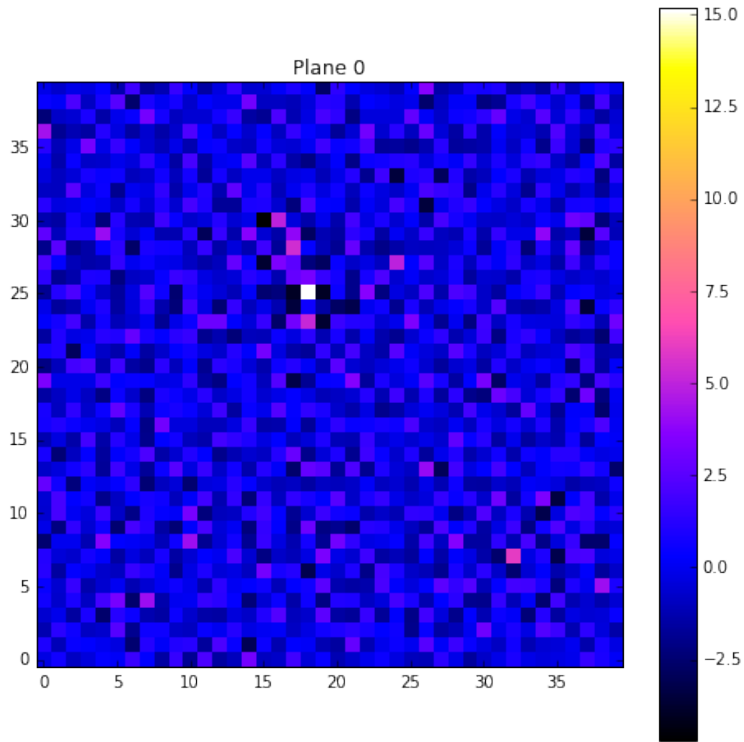
Example



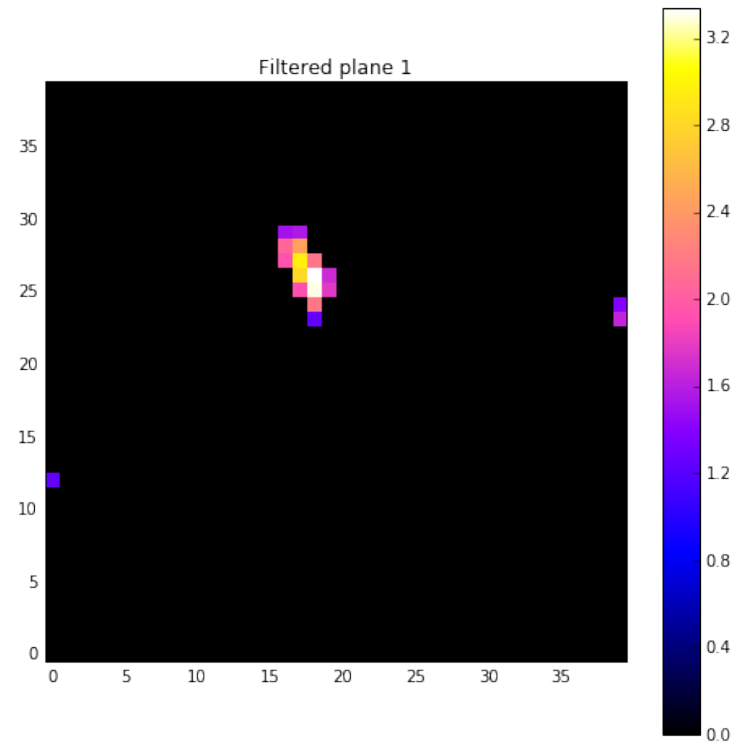
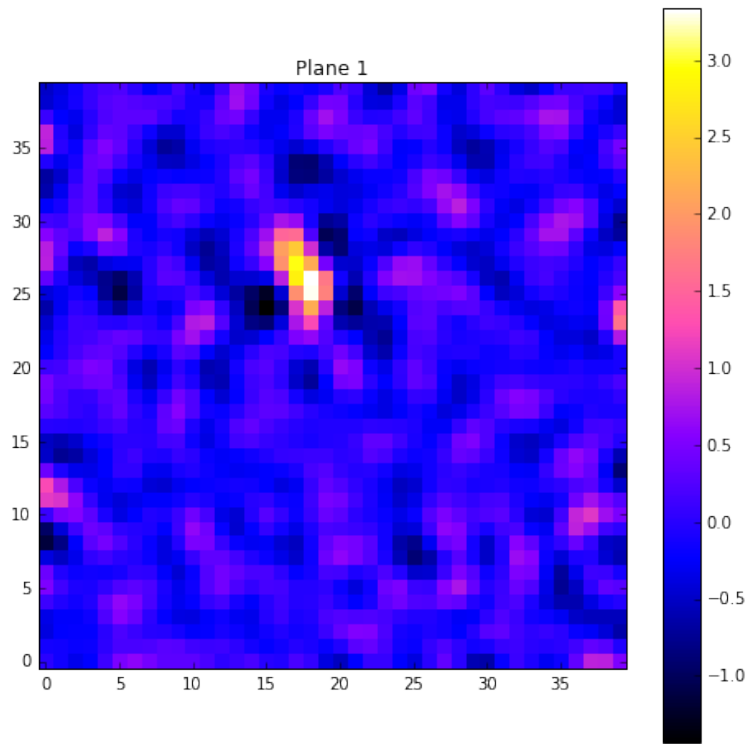
Cleaning with wavelets: example



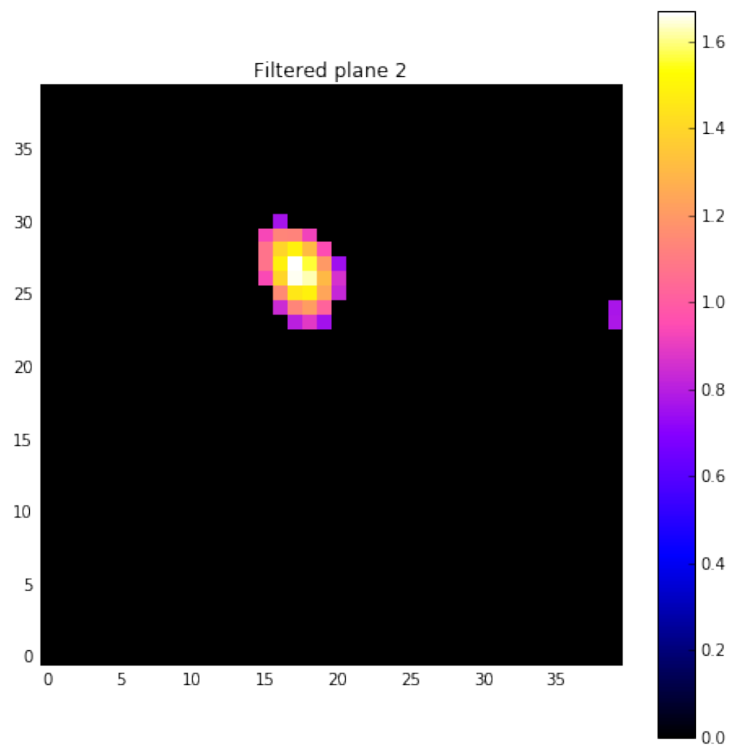
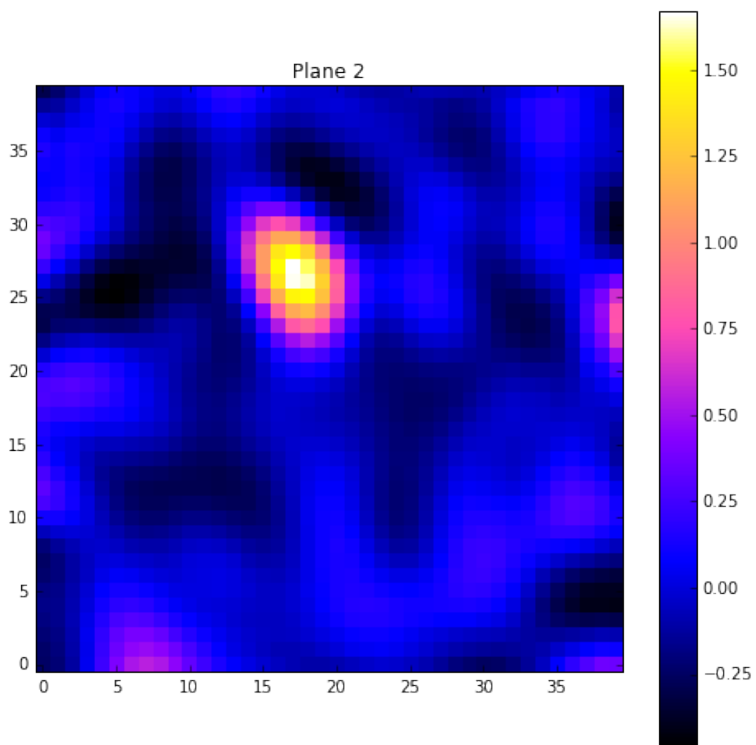
1st Plane (small scale)



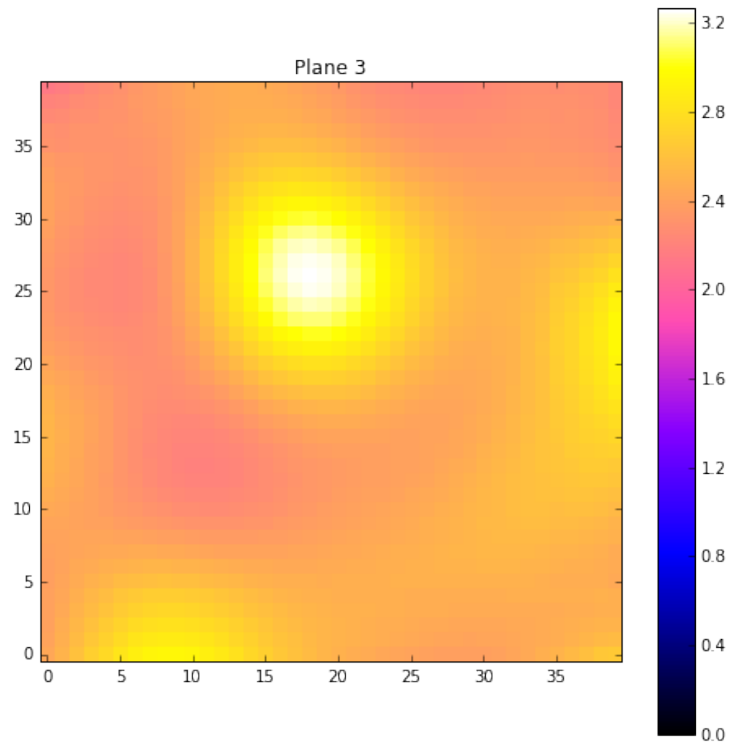
2nd Plane



3rd Plane

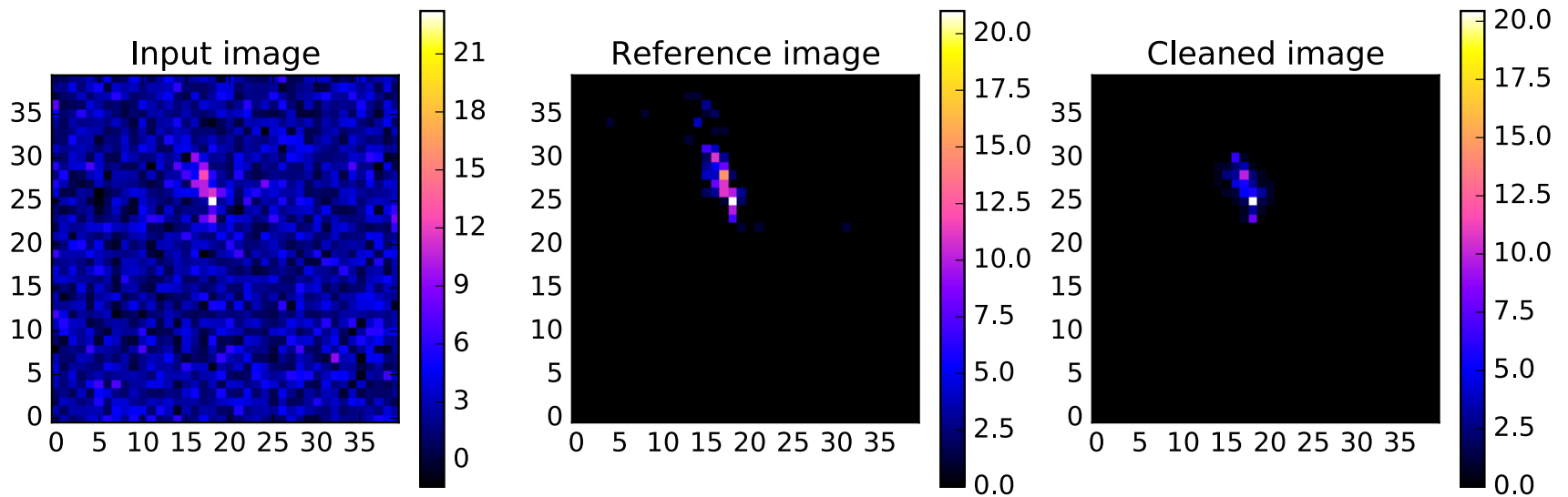


4th Plane (large scale)



Cleaning with wavelets: example

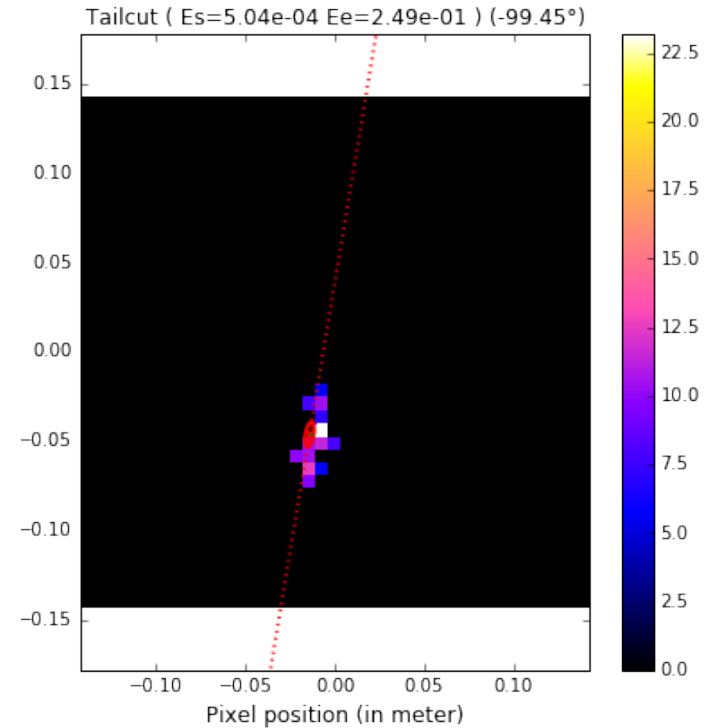
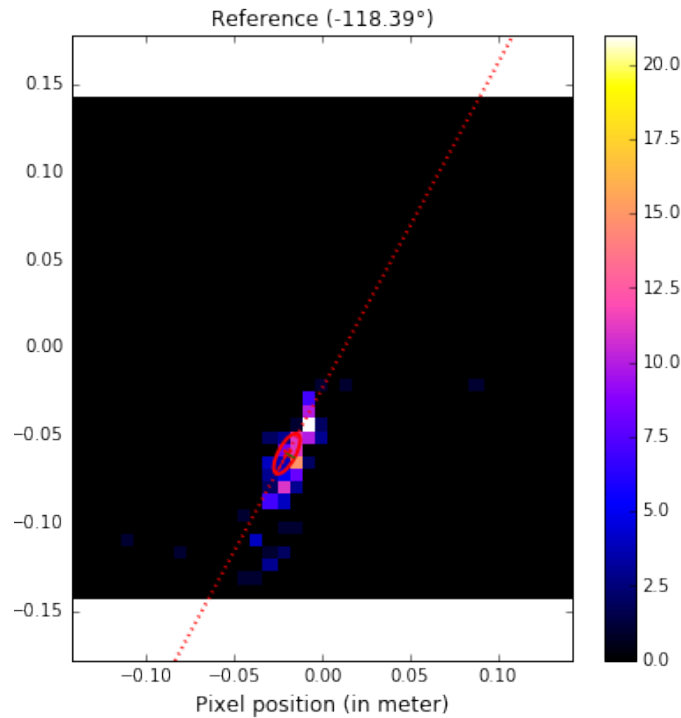
run1001.simtel.gz (Tel. 2, Ev. 427406) 2.20E+00TeV



Preliminary results for gammas

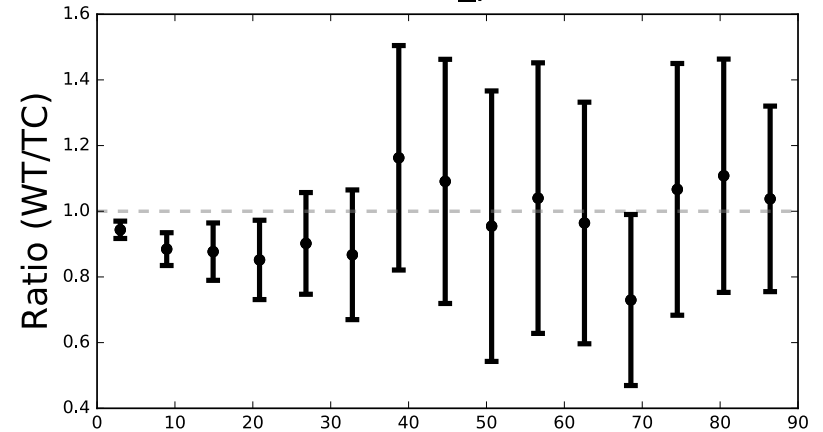
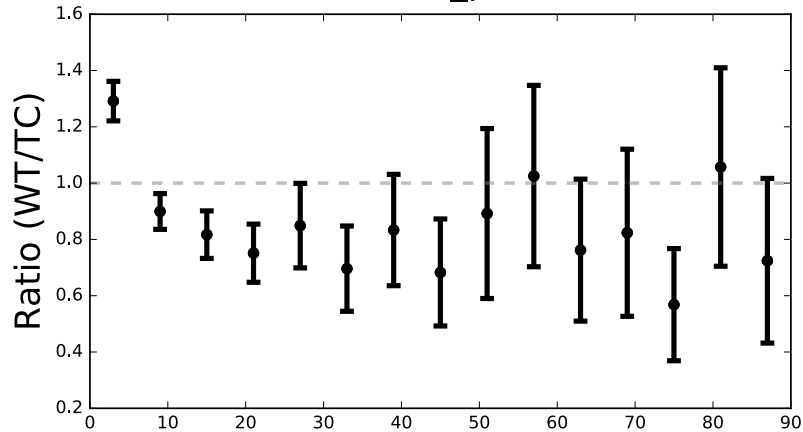
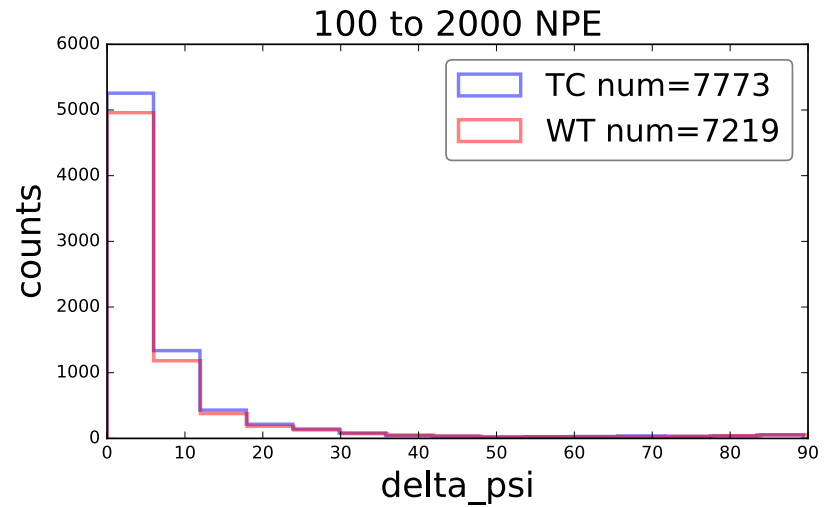
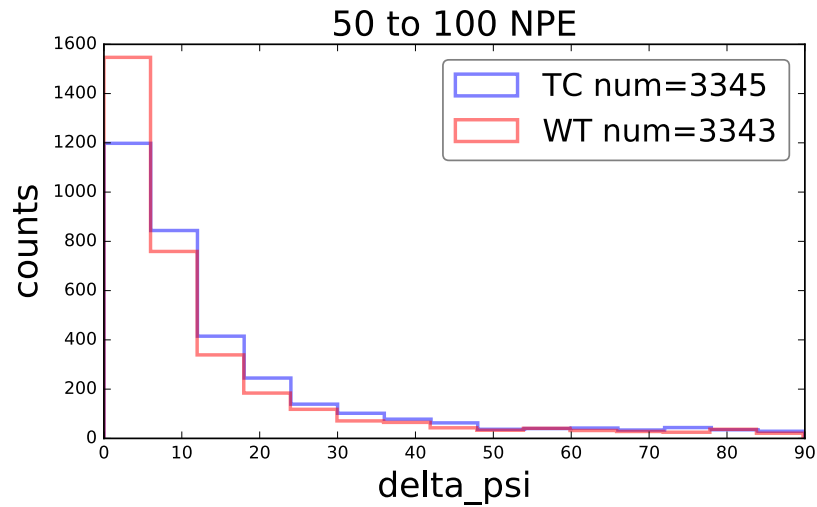
Does it work well on large statistics ?

Estimator of performance at the level of images



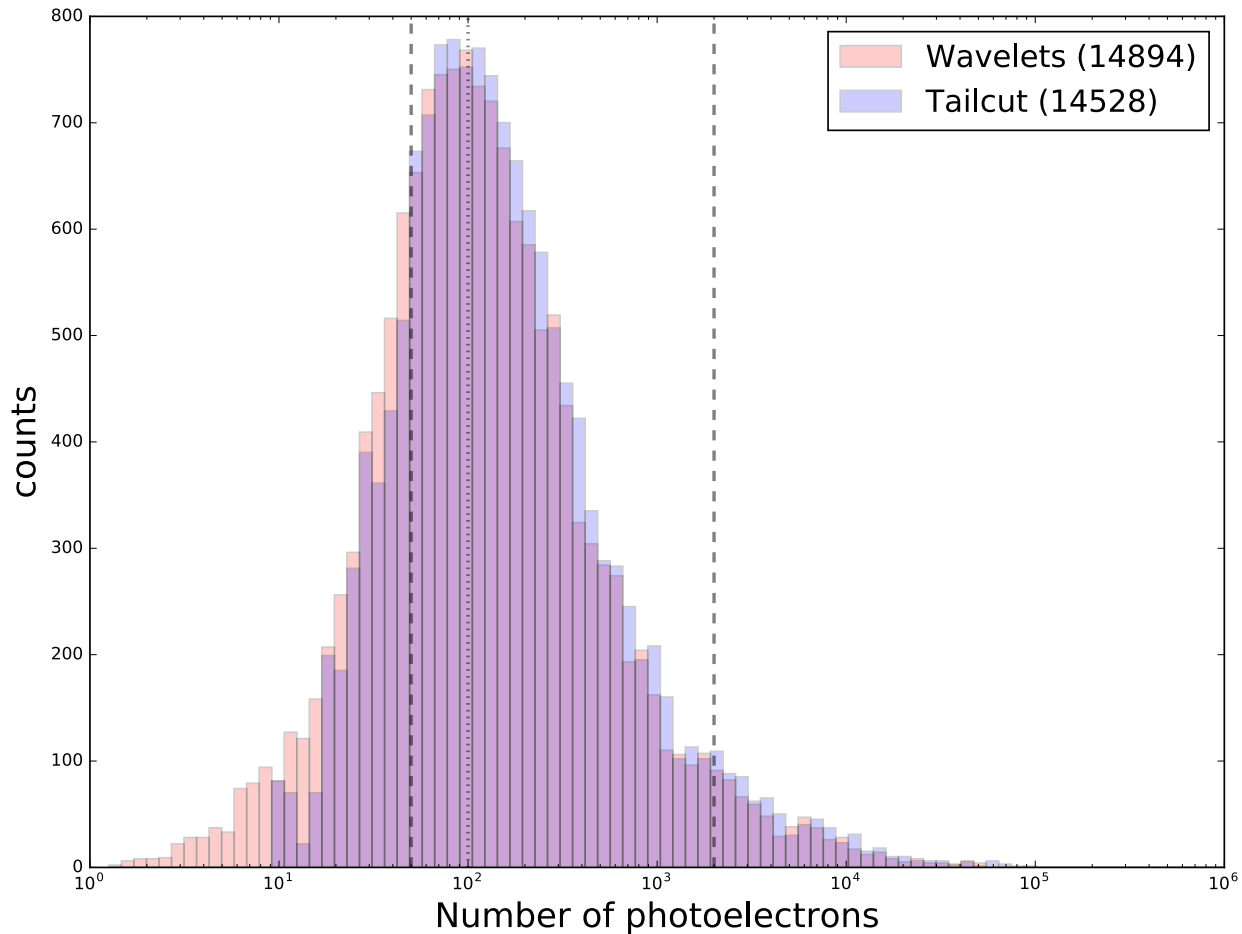
B-spline wavelets « à-trous »

Shower axis reconstruction



B-spline wavelets « à-trous »

Information loss

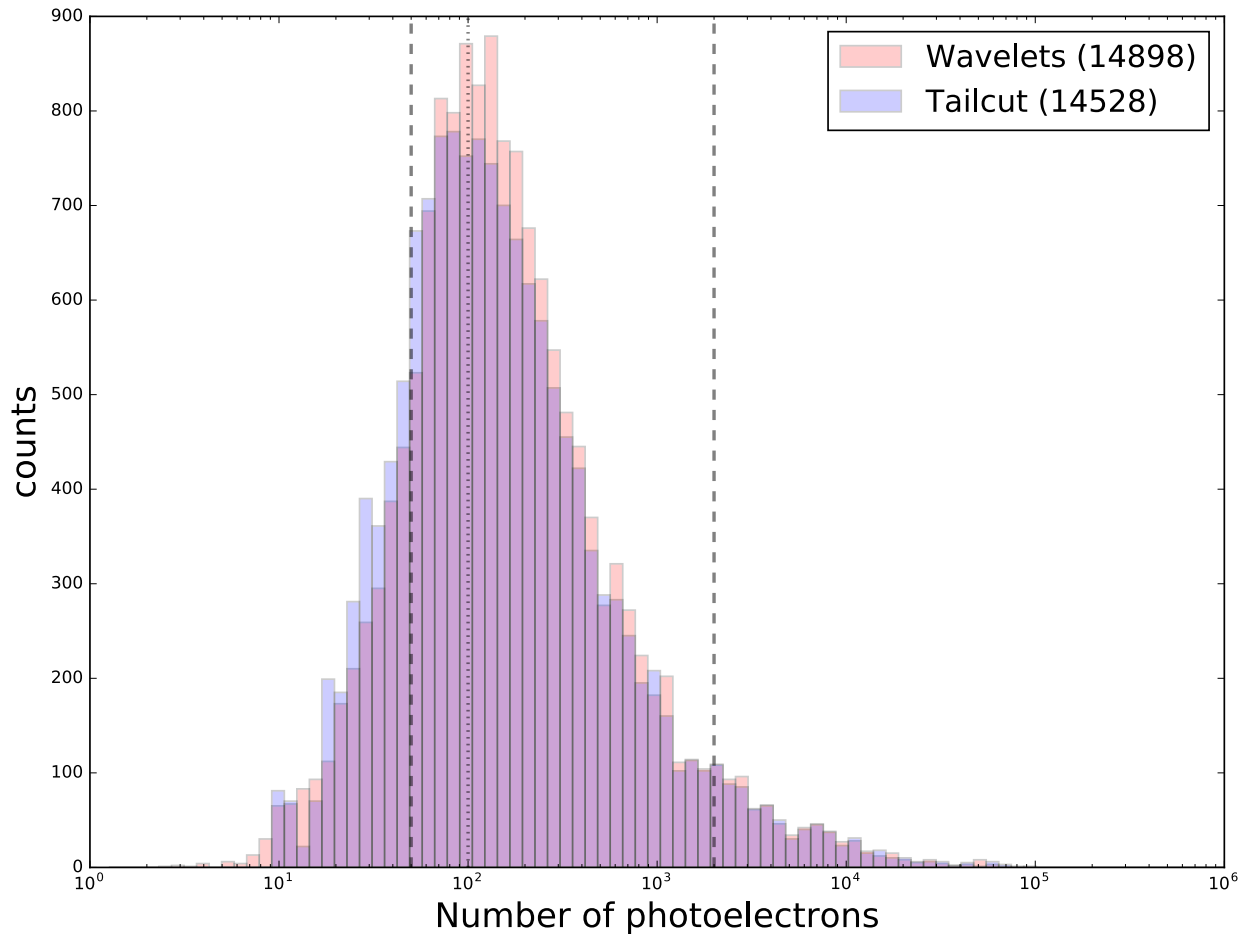


A possible solution ?

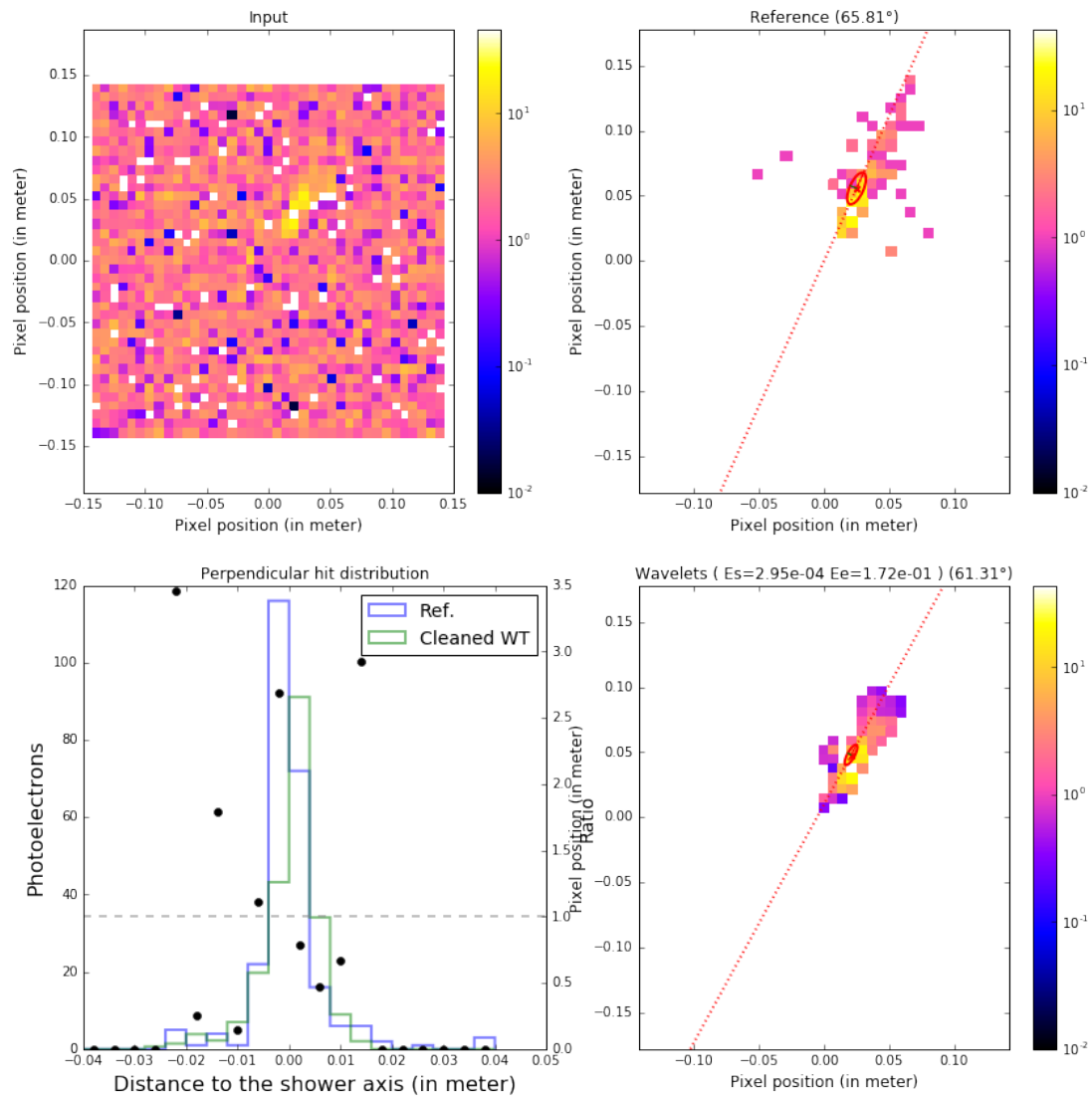
Anisotropic wavelets

Bi-orthogonal wavelet transform

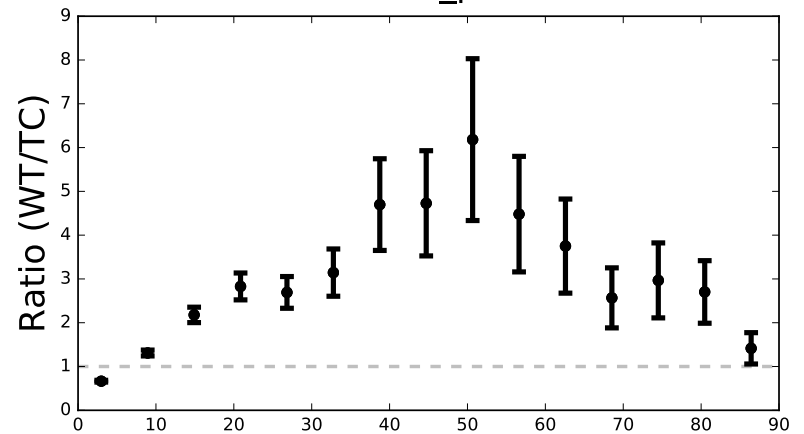
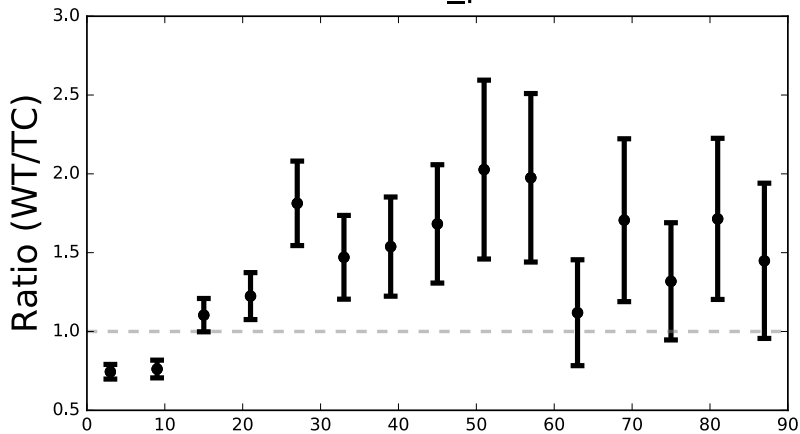
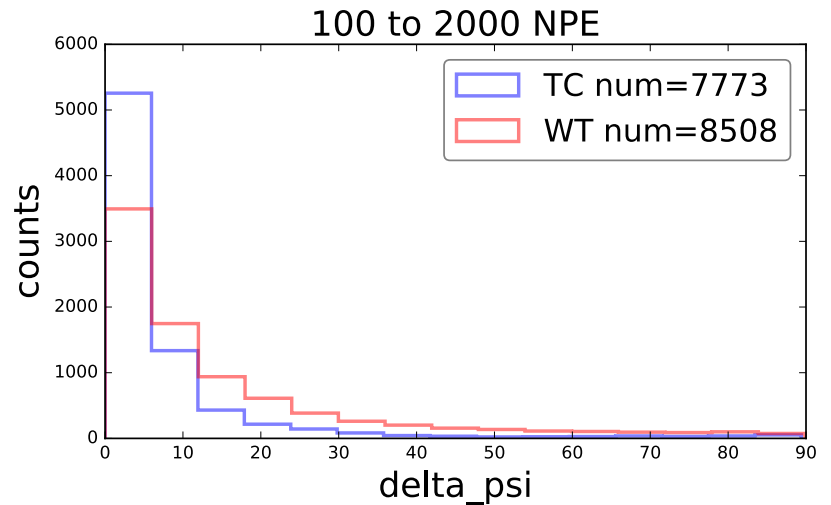
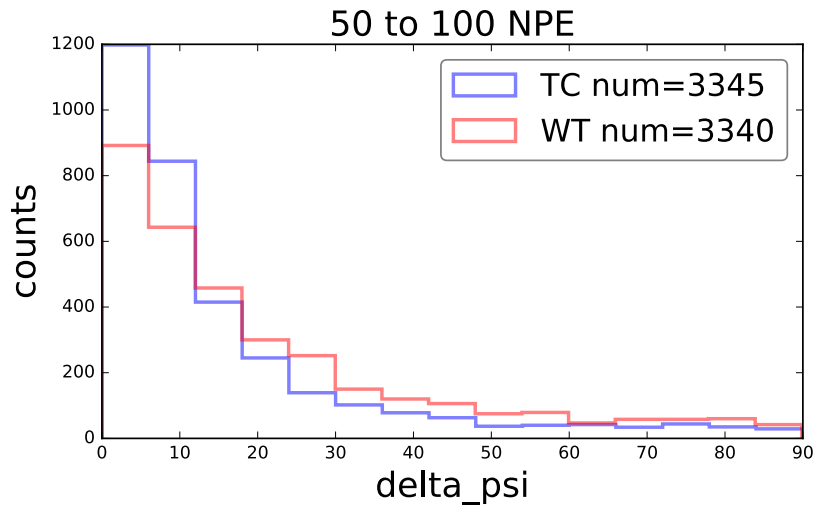
Information loss



1.591 TeV (259 photoelectrons in reference image) - Event 454807 - Telescope 1



Bi-orthogonal wavelet transform Shower axis reconstruction

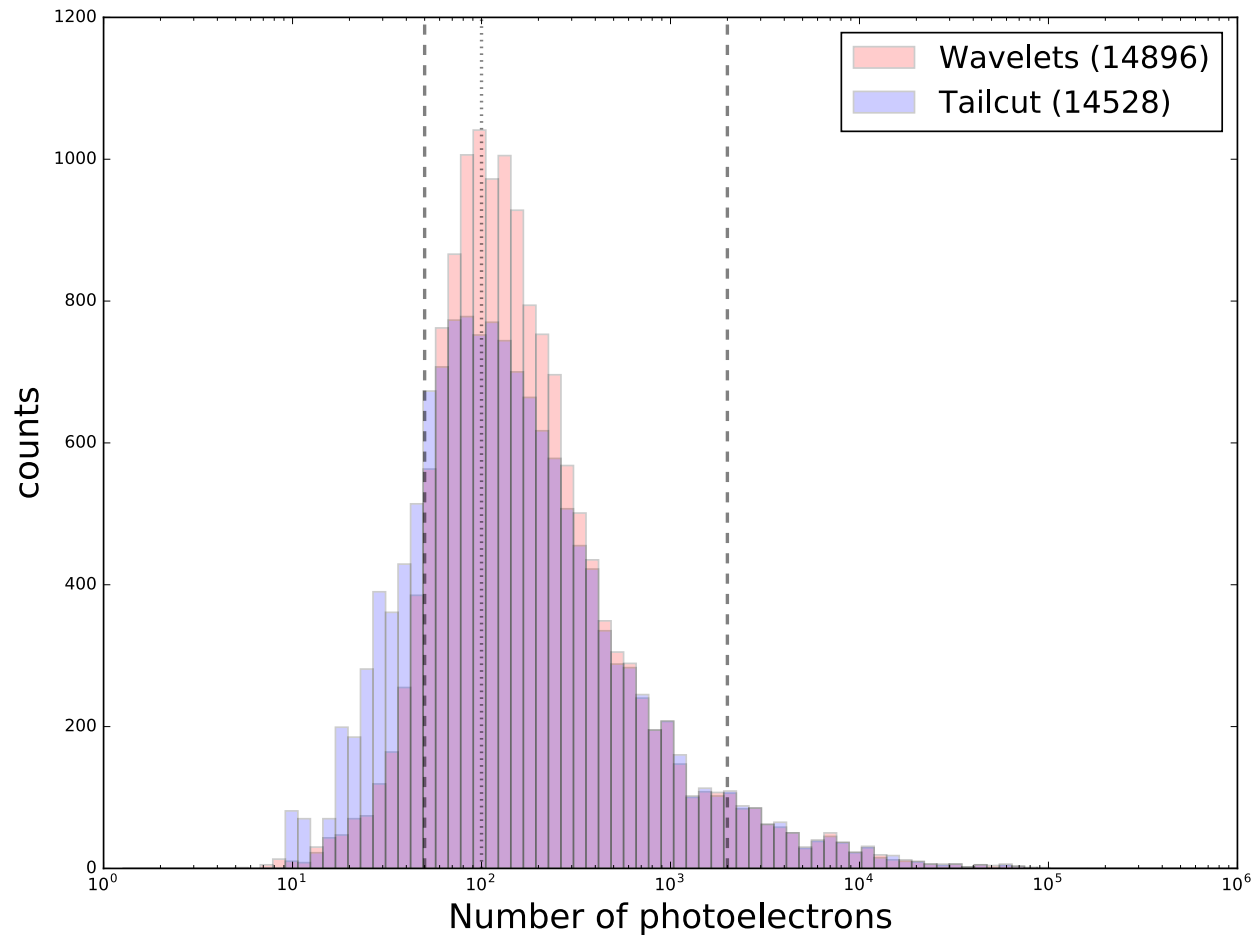


Another track

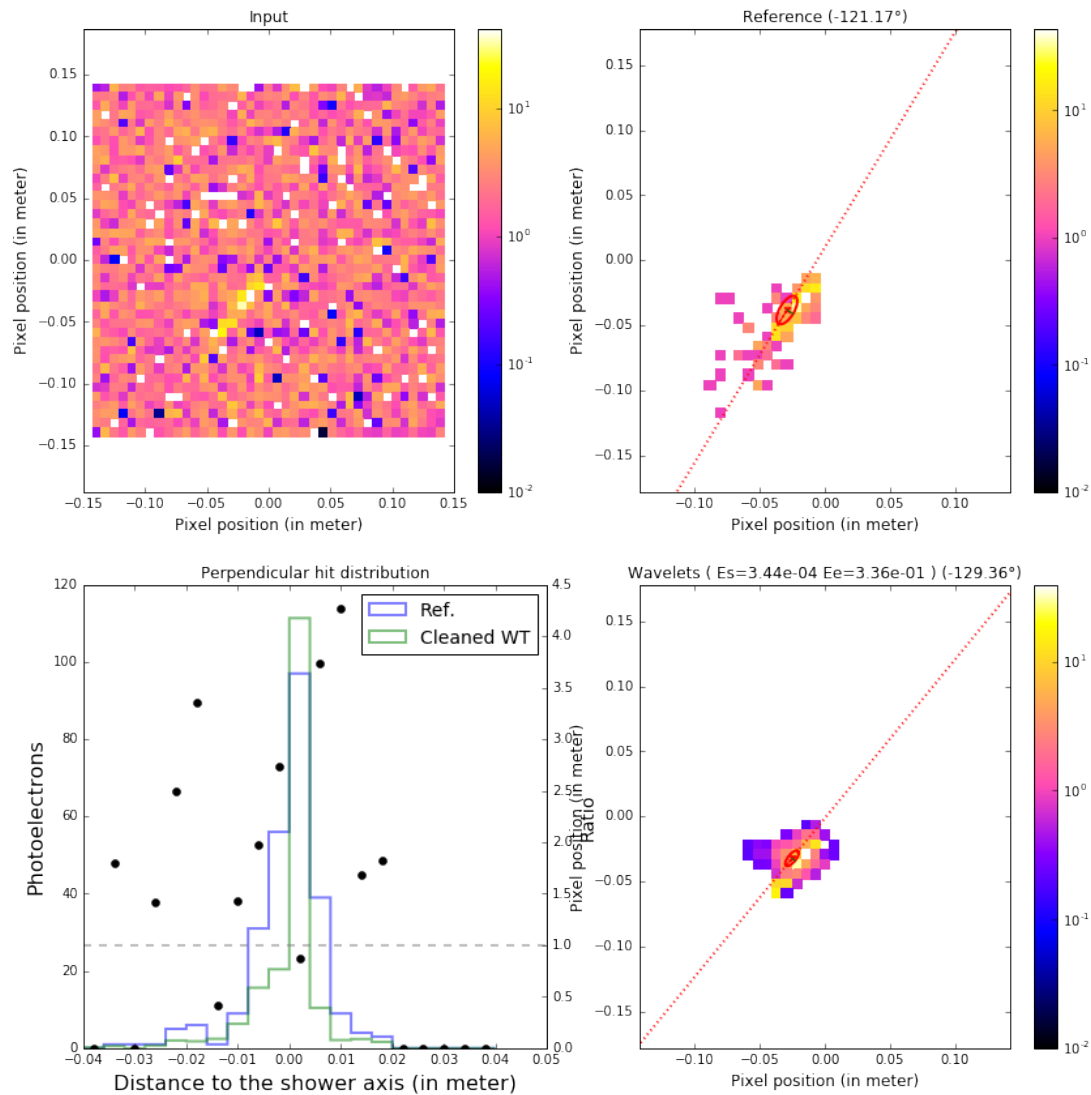
Iterative Multiresolution Thresholding

Iterative Multiresolution Thresholding

Information loss

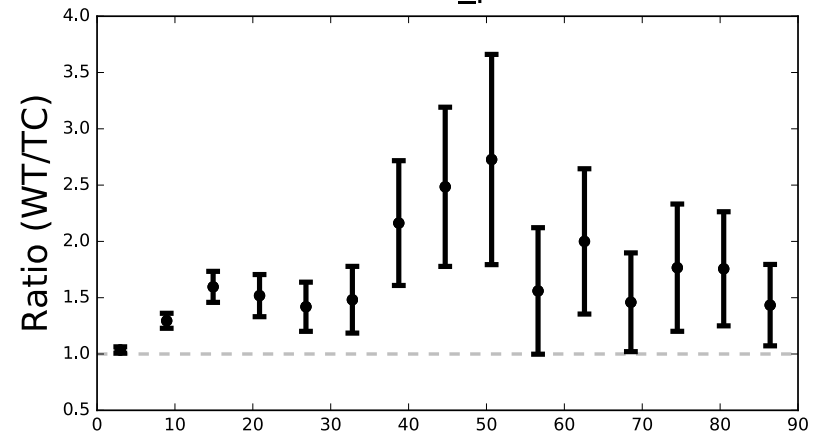
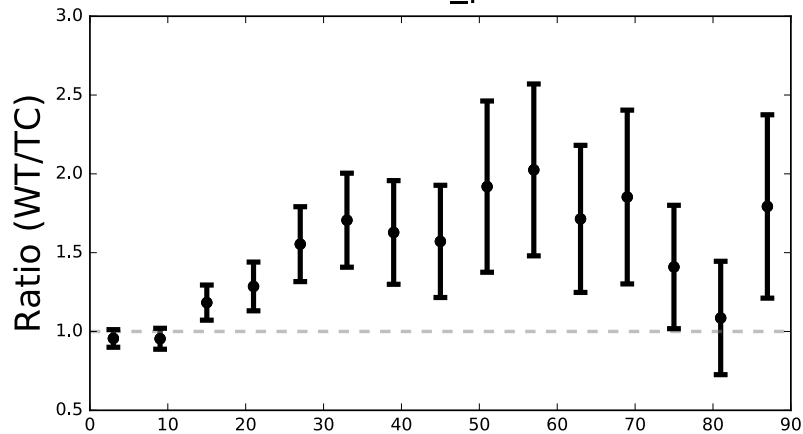
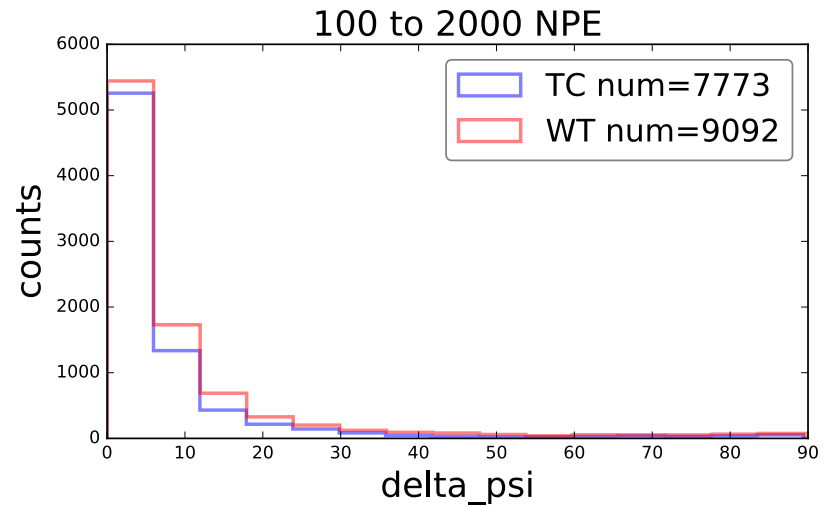
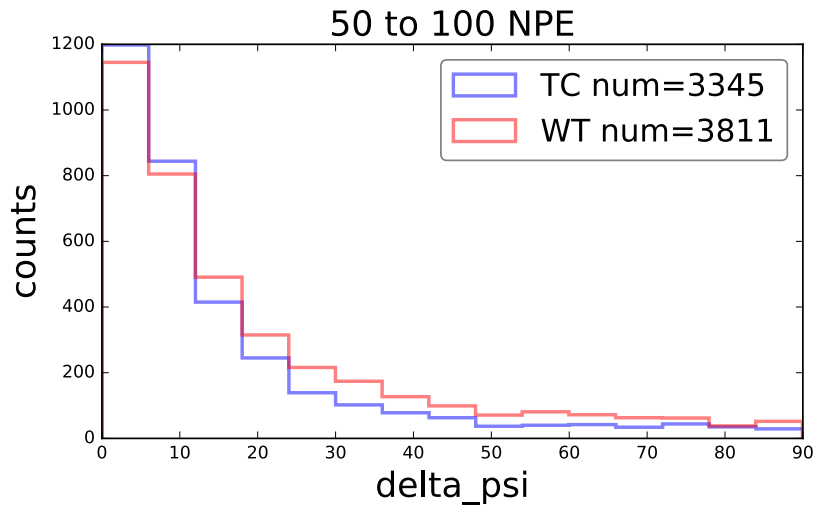


2.198 TeV (268 photoelectrons in reference image) - Event 427404 - Telescope 1



Iterative Multiresolution Thresholding

Shower axis reconstruction

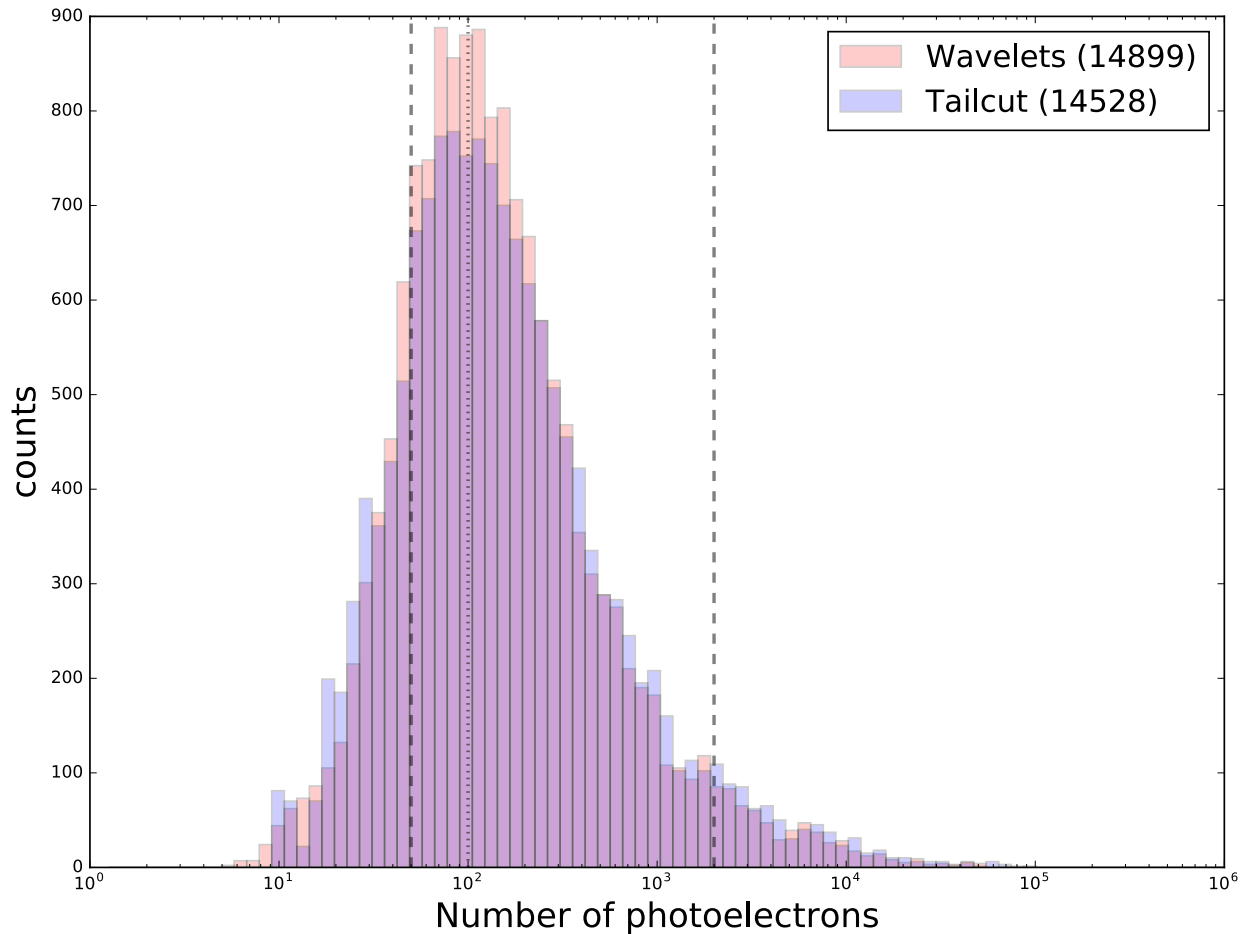


An alternative

Explicitly reduce the filtering on small scales

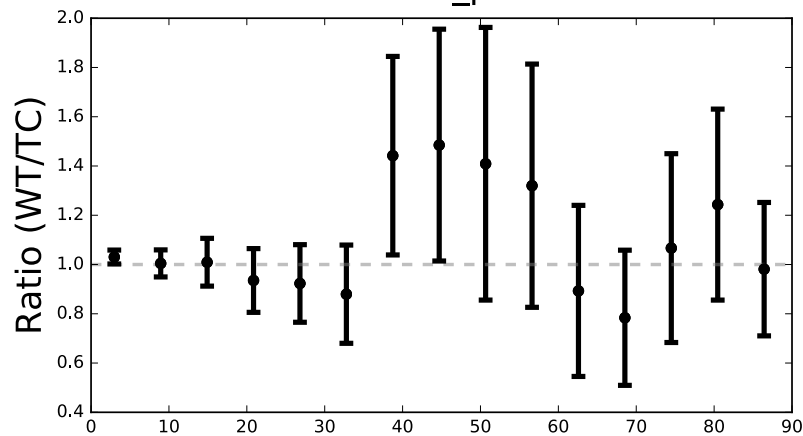
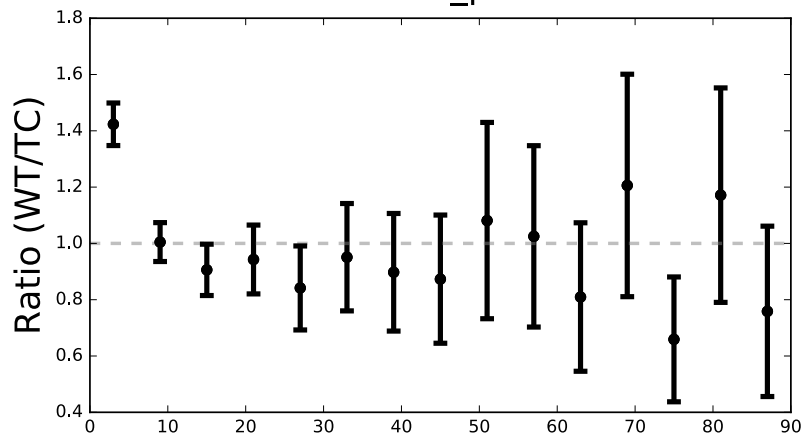
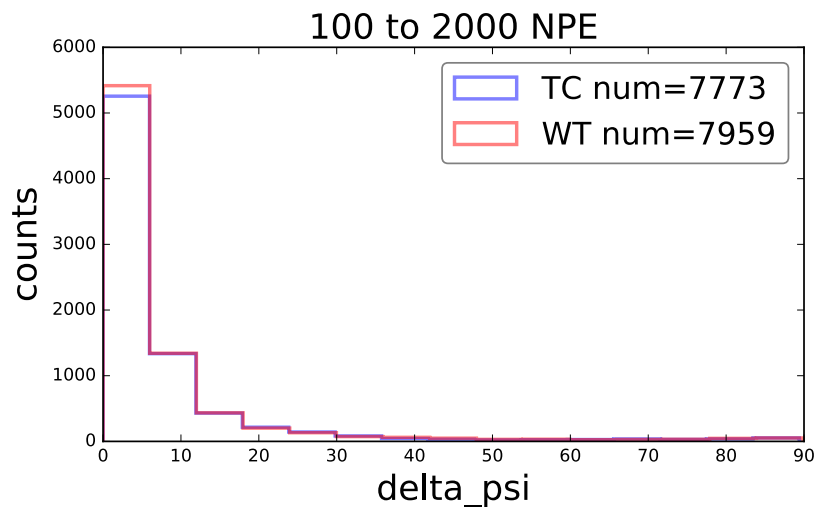
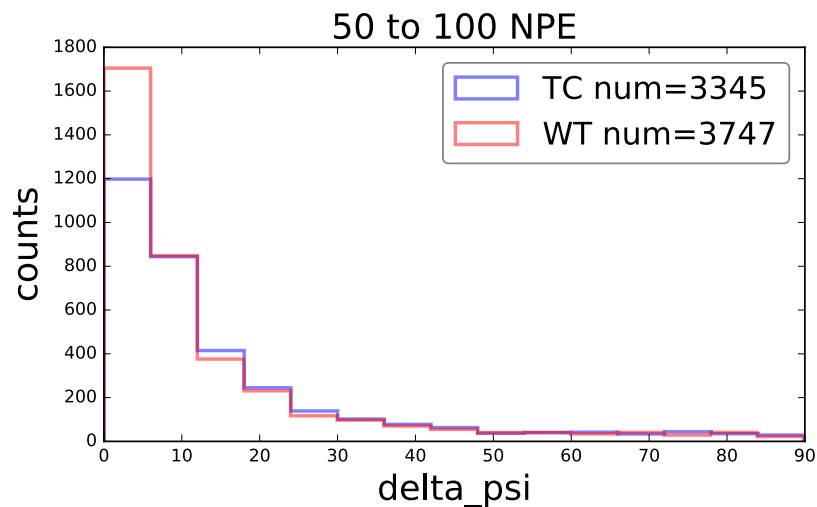
Lower the filtering threshold for small scales

Information loss



Lower the filtering threshold for small scales

Shower axis reconstruction



Is it better ?

Yes it is !

Progress in events reconstruction (Tino Michael)

- What about stereoscopy ?
- What about the actual sensitivity gain ?

Next steps

- Multiplicity: check performances on the full telescope array
- Investigate on other configurations
 - Anisotropic wavelets
 - Curvlets
- Apply the cleaning methods to telescopes having hexagonal grid of pixels