



Forecasting Space Weather: Progress and Challenges

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Outline

A few remarks about space weather State of space weather forecasting Physics based models Model coupling and frameworks Improving physics models Validation and verification Output Description Validation examples Data assimilation Summary





Space Weather

HF Communication only





Data Streams Used for Space Weather Forecasting (NOAA SWPC)

SOHO (ESA/NASA)

- Solar EUV Images
- Coronagraphs
- ACE (NASA)
 - Solar wind speed, density, temperature and energetic particles
 - Magnetic field strength and direction

- GOES (NOAA)
 - Energetic Particles
 - Magnetic Field
 - Solar X-ray Flux
 - Solar EUV Flux
 - Solar X-Ray Images
- POES (NOAA)
 - High Energy Particles
 - Total Energy Deposition
 - Solar UV Flux GROUND STATIONS
 - Magnetometers (NOAA/USGS) Thule Riometer and Neutron monitor (USAF)
 - SOON Sites (USAF)

RSTN (USAF)

- Telescopes and Magnetographs
- Ionosondes (AF, ISES, …)
- GPS (CORS)





Models/Tools Used for Space Weather Forecasting (NOAA SWPC)

- Empirical/Synoptic Models:
 - D-region Absorption Prediction
 - Global D-region Absorption Prediction (experimental)
 - STORM Time Empirical Ionospheric Correction Model
 - US Total Electron Content Map USTEC
 - Costello Geomag Activity Index Predicts Kp
 - Wang–Sheeley Model
 - Relativistic Electron Forecast Model
- Physics-based models
 - ENLIL experimental runs will start in 2010 (maybe)



How Far Behind Are We?

Numerical Weather Forecasting	Physics-Based Space Weather Models
1904: Vilhelm Bjerknes (Norway) suggests the idea of numerical weather forecast	1995: NSWP Strategic Plan envisions Sun-to-Earth model chain
1922: Lewis Richardson (UK) publishes "Weather Prediction by Numerical Process"	1998: GGCM Concept Report ("MHD spine" plus modules)
1950: Jule Charney (US) makes successful 24h forecasts for North America	2000: First coupled Sun-to-Mud simulation is published (Groth et al., JGR)
1955: Start of operational regional numerical weather forecasting	2002: CCMC starts real-time magnetosphere runs on an experimental basis
1974: Operational global weather models (hydrostatic, spectral)	2004: SWMF is transitioned to CCMC
1991: Operational data assimilation (1DVAR)	2007: First operational regional data assimilation model (USU GAIM)
1998: Operational coupled ocean-atmosphere weather model	2010: First operational regional numerical model



Skill Score Evolution





Physics-Based Regional Space Weather Models

Domain	Physics	Institution(s)
Convection zone to corona	Radiation MHD	UC Berkeley
Corona*	MHD with parametrized sources	Predictive Science Inc., U. Michigan
Inner heliosphere* (15R10AU)	MHD	SWPC (Odstrcil), U. Michigan, GSFC (Usmanov), UAH
Inner heliosphere	Kinetic (exospheric solar wind)	BIRA-IASB (Belgium)
Solar energetic particles*	Field-aligned transport	U. Arizona, GSFC, UNH, UAH, U. Michigan, APL
Outer heliosphere*	MHD + 4 neutral fluids	UAH, U. Michigan/GMU
Global magnetosphere*	MHD, multifluid MHD	Dartmouth, UNH, U. Michigan, U. Washington, U. Nagoya, U. Kyushu, FMI (Finland)
Radiation belts*	Adiabatic invariants	GSFC, LANL, Dartmouth, UCLA
Ring current*	Drift physics on closed field lines	Rice, GSFC, U. Michigan
Plasmasphere*	Field-aligned transport	U. Michigan
Ionospheric outflow*	Multifluid transonic flow along open field lines	USU, U. Michigan
lonosphere-thermosphere*	3D HD and chemistry	NCAR, SWPC, U. Michigan
Ionospheric electrodynamics*	Height integrated potential field	Many
Whole atmosphere	3D HD and chemistry with vertical coupling	NCAR, SWPC





Model Coupling and Frameworks

CISM: Model coupling based on object oriented programming using existing packages Intelligent Data Channels (InterComm) Program Control (HPCALE) Data Manipulation and Interpolation -Couplers (Overture) CSEM: Space Weather Modeling Framework Single executable Similar architecture as used by ESMF (can be run under ESMF)

OpenGGCM: Direct coupling





Ideal MHD

Ideal MHD is the lowest order fluid approximation describing the behavior of space plasmas. Ideal MHD completely neglects the microphysics. Any discretization will introduce numerical dissipation. Numerical transport coefficients (resistivity, diffusivity, viscosity, etc) are usually larger than the physical values of these coefficients. Nevertheless, ideal MHD based numerical simulations give a qualitatively realistic description of most space weather phenomena.



Example: Magnetospheric Current Systems





Better Physics: It Comes from Ohm's Law



In general u₊ and u_i are not equal (multifluid)

- The Hall term introduces a new "resistivity" and new waves (whistler, drift, reconnection)
- One needs to solve the electron energy equation(s) to get the ambipolar electric field and adiabatic focusing effects



Hall MHD

- Two fluid (electron, ion) Hall MHD with isotropic pressure is the lowest order selfconsistent description of magnetized plasmas where reconnection is important.
- The Hall term decouples the ion and electron motion on length scales comparable to the ion inertial length and the electrons remain magnetized while the ions become unmagnetized.

Numerical challenges:

- The induction equation contains a second order spatial derivative that is not a Laplace operator. Higher order accuracy is difficult to achieve, especially at resolution changes.
- The whistler wave is the fastest wave speed and the CFL condition yields t ...x².



The GEM challenge on reconnection physics concluded that Hall physics is the minimum physics needed to achieve fast reconnection (Birn et al.: JGR, 106, 3715, 2001).



Anisotropic Pressure on Closed Field Lines

Chew-Goldberger-Low (1956) double adiabatic relations:

 $\frac{B^2 p_{\parallel}}{n^3} \propto \text{const}; \quad \frac{p_{\perp}}{Bn} \propto \text{const}; \qquad \Longrightarrow \qquad p = \frac{1}{3} \left(p_{\parallel} + 2p_{\perp} \right) \neq \text{const}$

If u_{||}=0 the CGL relation becomes ⁿ/_B ∝ const; T_{||} ∝ const; T_{||} ∝ const; T_{||} ∝ const
 In general, the conservation of adiabatic invariants reduces the number of independent physical quantities (Gombosi: GRL, 18, 1181, 1991):

$$\frac{n}{B} \propto \frac{1}{u_{\parallel}}; \quad T_{\parallel} \propto \frac{1}{u_{\parallel}^2}; \quad \frac{T_{\perp}}{B} \propto \text{const}$$

The assumption of constant pressure along closed magnetic field lines (radiation belts, ring current, plasmasphere, coronal loops, etc) is inconsistent with conservation of adiabatic invariants.





Multifluid MHD

$$\frac{\partial \rho_{\alpha}}{\partial t} + \nabla \cdot \left(\rho_{\alpha} \mathbf{u}_{\alpha} \right) = \frac{\delta \rho_{\alpha}}{\delta t}$$

$$\begin{split} \frac{\partial \mathbf{u}_{\alpha}}{\partial t} + \rho_{\alpha} \left(\mathbf{u}_{\alpha} \cdot \nabla \right) \mathbf{u}_{\alpha} + \nabla p_{\alpha_{\perp}} - eZ_{\alpha} n_{\alpha} \mathbf{w}_{\alpha} \times \mathbf{B} + \frac{Z_{\alpha} n_{\alpha}}{n_{e}} \left(\nabla p_{e_{\perp}} - \mathbf{j} \times \mathbf{B} \right) \\ &= eZ_{\alpha} n_{\alpha} \eta_{e} \mathbf{j} + \rho_{\alpha} \mathbf{g} - \left(p_{\alpha_{\parallel}} - p_{\alpha_{\perp}} \right) \nabla_{\parallel} \mathbf{b} - \frac{Z_{\alpha} n_{\alpha}}{n_{e}} \left(p_{e_{\parallel}} - p_{e_{\perp}} \right) \nabla_{\parallel} \mathbf{b} \\ &- \mathbf{B} \nabla_{\parallel} \left(\frac{p_{\alpha_{\parallel}} - p_{\alpha_{\perp}}}{B} \right) - \frac{Z_{\alpha} n_{\alpha}}{n_{e}} \mathbf{B} \nabla_{\parallel} \left(\frac{p_{e_{\parallel}} - p_{e_{\perp}}}{B} \right) + \rho_{\alpha} \frac{\delta \mathbf{u}_{\alpha}}{\delta t} \end{split}$$

$$\frac{\partial p_{\alpha_{\parallel}}}{\partial t} + \left(\mathbf{u}_{\alpha} \cdot \nabla\right) p_{\alpha_{\parallel}} + p_{\alpha_{\parallel}} \left(\nabla \cdot \mathbf{u}_{\alpha}\right) + 2p_{\alpha_{\parallel}} \mathbf{b} \cdot \nabla_{\parallel} \mathbf{u}_{\alpha} + \frac{4}{5} \mathbf{b} \cdot \nabla_{\parallel} \mathbf{h}_{\alpha} + \frac{2}{5} \nabla \cdot \mathbf{h}_{\alpha} = \frac{\delta p_{\alpha_{\parallel}}}{\delta t}$$

$$\frac{\partial p_{\alpha_{\perp}}}{\partial t} + \left(\mathbf{u}_{\alpha} \cdot \nabla\right) p_{\alpha_{\perp}} + 2p_{\alpha_{\perp}} \left(\nabla \cdot \mathbf{u}_{\alpha}\right) - p_{\alpha_{\perp}} \mathbf{b} \cdot \nabla_{\parallel} \mathbf{u}_{\alpha} - \frac{2}{5} \mathbf{b} \cdot \nabla_{\parallel} \mathbf{h}_{\alpha} + \frac{4}{5} \nabla \cdot \mathbf{h}_{\alpha} = \frac{\delta p_{\alpha_{\perp}}}{\delta t}$$

$$\mathbf{w}_{\alpha} = \mathbf{u}_{\alpha} - \mathbf{u}_{+}; \quad \mathbf{u}_{+} = \sum_{\alpha = ions} \frac{Z_{\alpha} n_{\alpha}}{n_{e}} \mathbf{u}_{\alpha}$$



Gray-Diffusion Radiation Model

- Gray assumption by integrating over the entire spectrum
- Zeroth moment (in direction) of radiation intensity relates radiation energy to radiation flux
- First moment (in direction) of radiation intensity relates radiation flux to radiation pressure
- Olose system by assuming directional isotropy:
 - $p_{rad} = E_{rad}/3$
- More assumptions:
 - Diffusion limit: large optical depth, i.e. small photon mean free path (photons diffuse through random walk)
 - Fluid velocity is small compared to speed of light.
- Non-equilibrium solutions are allowed



Gray-Diffusion Radiation Model with HD/MHD

The equations of gray-diffusion radiation in SWMF: (conservation of mass, momentum, energy, radiation energy)

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$$

$$\frac{\partial \rho \mathbf{u}}{\partial t} + \nabla \cdot [\rho \mathbf{u} \mathbf{u} + pI] + \nabla p_{rad} = 0$$

$$\frac{\partial E}{\partial t} + \nabla \cdot [(E + p)\mathbf{u}] + \mathbf{u} \cdot \nabla p_{rad} = \kappa_{\rm P}c(E_{rad} - aT_{\rm e}^{4}),$$

$$\frac{\partial E_{rad}}{\partial t} + \nabla \cdot [E_{rad}\mathbf{u}] + p_{rad}\nabla \cdot \mathbf{u} = -\kappa_{\rm P}c(E_{rad} - aT_{\rm e}^{4}) + \nabla \cdot [\frac{c}{3\kappa_{\rm R}}\nabla E_{rad}]$$
Planck mean opacity: $p = p(\cdot, T_{\rm e})$
Rosseland mean opacity: $p = p(\cdot, T_{\rm e})$





Models

- A conceptual model consists of the mathematical (partial differential) equations that describe the physical system. It also includes initial and boundary conditions.
- The computational model is the computer program or code that implements the conceptual model. This may be finite-difference, finite-volume, finite-element, or other type of discretization. It includes the algorithms and iterative strategies. Parameters for the computational model include the number of grid points, algorithm inputs, and similar parameters.



Validation and Verification

- Verification: Are the equations being solved correctly?
 - Basic symmetries are preserved
 - Comparison with exact solutions to PDEs
 Smooth
 - Smooth
 - Discontinuous
 - Comparison with highly resolved problems for which exact solutions are not known (grid convergence)

"classic" test cases

controlled physically relevant problems

Validation: Do the equations represent an adequate description of physics?

- Statistical (can the code capture empirically seen trends?)
- Dynamic validation (event studies)
- Uncertainty: A potential deficiency in any phase or activity of the modeling process that is due to the lack of knowledge.



Uncertainty Quantification

- Next step beyond traditional verification and validation
- Formal quantification of errors and uncertainties in the numerical simulations using statistical techniques
- There are many inputs to numerical simulations, each of which has an associated error or uncertainty
 - Initial conditions and boundary conditions
 - Physical parameters, such as equation of state and resistivity
 - Mesh parameters, such as grid resolution
 - Code tuning parameters, such as constants in a turbulence model, artificial viscosity constants, etc.
- Each of these uncertainties propagates through the simulation code to produce uncertainty in the output variables
- Must perform a large number of simulations varying all of the input parameters to see how the uncertainties propagate through the code





Goals of UQ

- To provide a formal framework for the quantification of errors and uncertainties in numerical simulations
 - Instead of a single output value, we obtain a probability distribution for each output quantity
- To perform a sensitivity analysis to determine which input uncertainties produce the largest output uncertainties
- To use observations to constrain the uncertainties of the input variables
- To predict the results of future observations with error bars
- To prioritize activities that best reduce uncertainty and increase confidence





SWMF

Code Validation: Halloween Storms



SWMF simulation

SOHO







University of Michigan Center for Space Environment Modeling



OCt 29,2003 "Halloween Storms" 10 minute 37 visualization steps 6 satellite Comparisons

Grey: Fieldlines

White: Satellite paths

Purple: Current satellite position

Log pressure color scale



Tomographic Data Assimilation





Frazin et al., 2008





Summary

Space weather forecast

- Progress in basic understanding
- First generation of end-to-end model chains
- Physics-based nowcast is possible
- Empirical models still outperform physics-based models

Physics

- Ohm's law
- Multifluid
- Moment equations
- Verification and validation
- Data assimilation is the next step
- UQ is on the horizon



Other Presentations from CSEM

Gábor Tóth: Multi-ion Magnetohydrodynamics (Monday 10:00)

- Igor Sokolov: 4D model for MHD wave turbulence in the solar corona and solar wind (Tuesday, 14:25)
- Bart van der Holst: Breakout Coronal Mass Ejection or Streamer Blowout: the Bugle Eeffect (Tuesday 11:50)
- Darren De Zeeuw: The Virtual Model Repository (Friday, 9:25)