

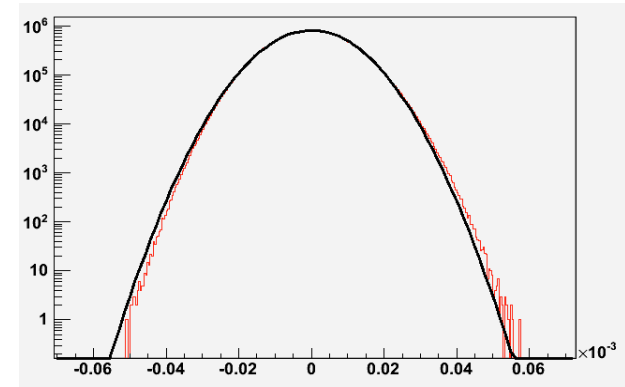
# Large scale structure to measure Primordial non Gaussianity

- Part I  
Primordial non Gaussianity (PNG)  
Bias
- Part II  
scale dependent bias and PNG
  - T. Giannantonio and W. Percival, 1312.5154
  - N. Dalal et al., 0710.4560
  - J.A. Peacock astro-ph/0309240 (section 6)
  - T. Padmanabhan, structure formation in the universe,
  - T. Giannantonio, C. Porciani et al. 2011

# part I summary

# Primordial Non Gaussianity

- Is the pdf Gaussian for potential or density fluctuation at early time ?



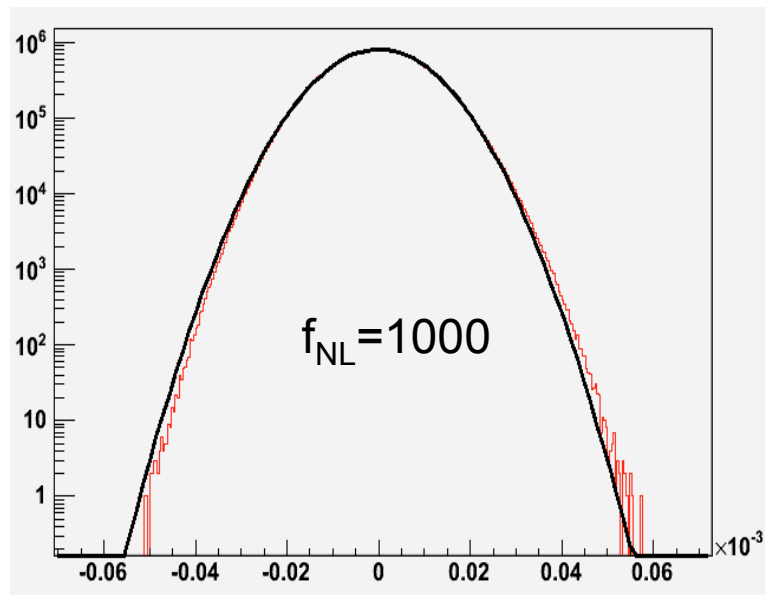
- Studying PNG in the CMB or in LSS (large scale structures) -> test of early universe
- local non Gaussianity

$$\Phi(x) = \phi(x) + f_{NL} [\phi^2(x) - \langle \phi^2 \rangle]$$

- Planck  $f_{NL} = 2.7 \pm 5.8$

# effect of non zero $f_{NL}$

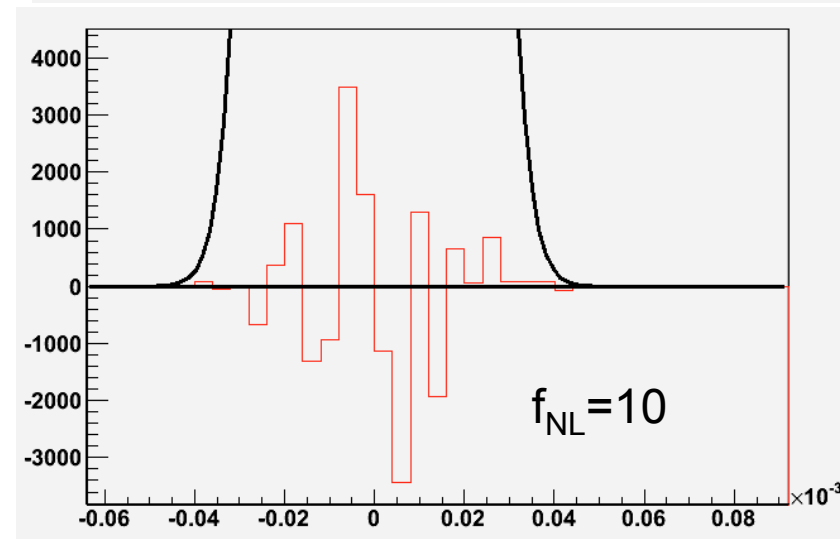
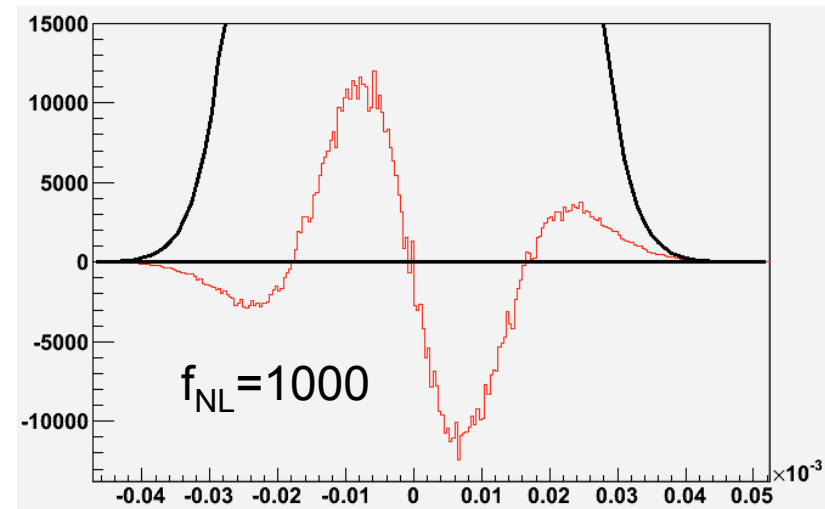
- $5 \cdot 10^7$  pixels (Planck)



- skewness  $\gamma_1 = E[(x-\mu)^3/\sigma^3]$

$f_{NL} = 10 :$

$$\gamma_1 = 0.0006 \pm 0.0003$$



# PNG and $n$ -point statistics

- for a Gaussian field :  $(2n-1)$ point  $\xi$  are zero
- spectrum corresponds to 2 pt  $\xi$   
bi-spectrum corresponds to 3 pt  $\xi$
- non-zero bi-spectrum  $\Rightarrow$  PNG

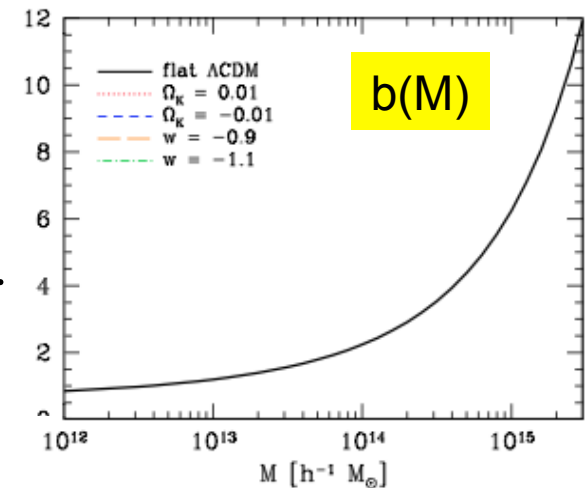
# what is bias ?

- We measure tracers ( $X$ ) of matter  
in Fourier space bias  $b(k)$ :  
$$\delta_X(k) = b(k) \delta(k) \quad P_X(k) = b^2(k) P(k)$$
- on large scale  $b$  is a priori expected to be independent of  $k$
- bias is local if  $\delta_X(x_0)$  depends only on  $\delta(x_0)$   
non-local  $\Leftrightarrow$  scale dependent
- high density regions more correlated than the average

# cluster and galaxy bias

- Press-Schechter: DM halo of mass  $M$  :  $b(v) = 1 + \frac{v^2 - 1}{\delta_c}$   
 $\delta_c = 1.686$  and  $v(M)$  increases with  $M$   
 $M^* = 3 \cdot 10^{12} h^{-1} M_\odot$  such that  $v(M^*) = 1$

- Haloes more massive than  $M^*$  have  $b > 1$   
→  $b > 1$  for clusters



- Galaxies first produced in massive haloes, then  $\Omega_m < 1$   
and they are not produced in lower mass haloes  
→ galaxy can also have  $b > 1$

# Scale dependent bias and PNG

N. Dalal et al., 0710.4560



# effect of local PNG on bias

$$\Phi(x) = \phi(x) + f_{NL} [\phi^2(x) - \langle \phi^2 \rangle]$$

$$\nabla^2 \Phi_{NG} = \nabla^2 \phi + 2f_{NL} [\phi \nabla^2 \phi + |\nabla \phi|^2]$$

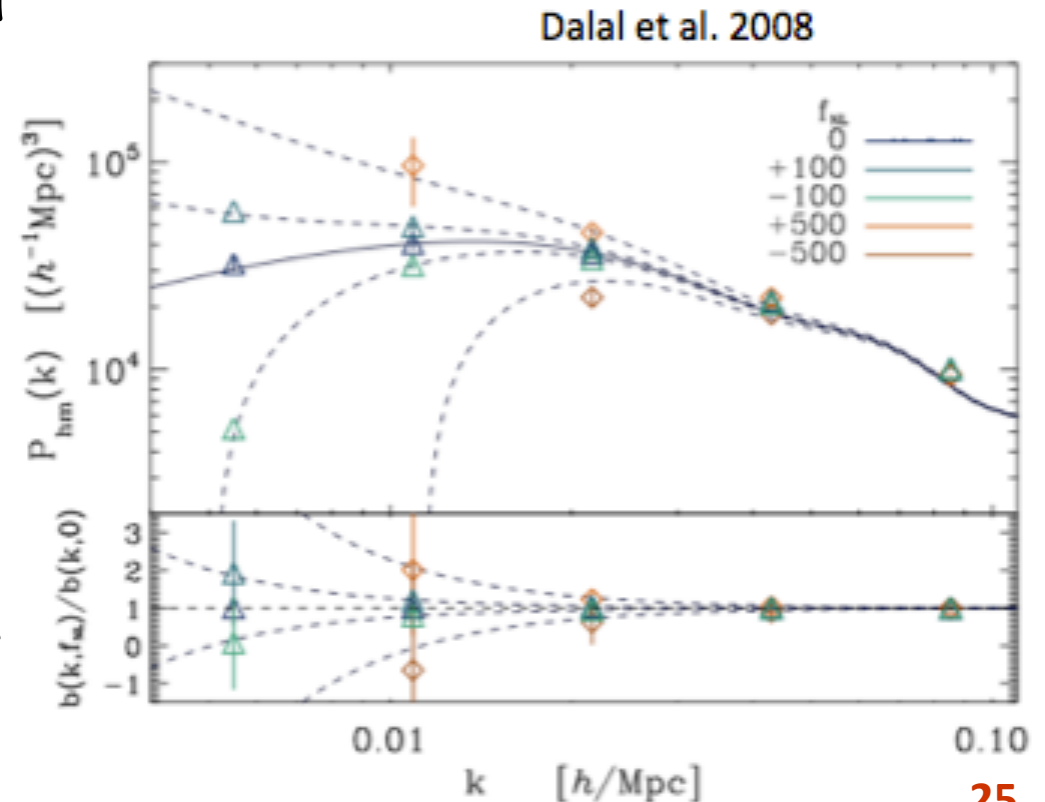
- assuming near a peak and using Poisson equation

$$\delta_{NG} = \delta [1 + 2f_{NL}\phi]$$

=> additional bias :

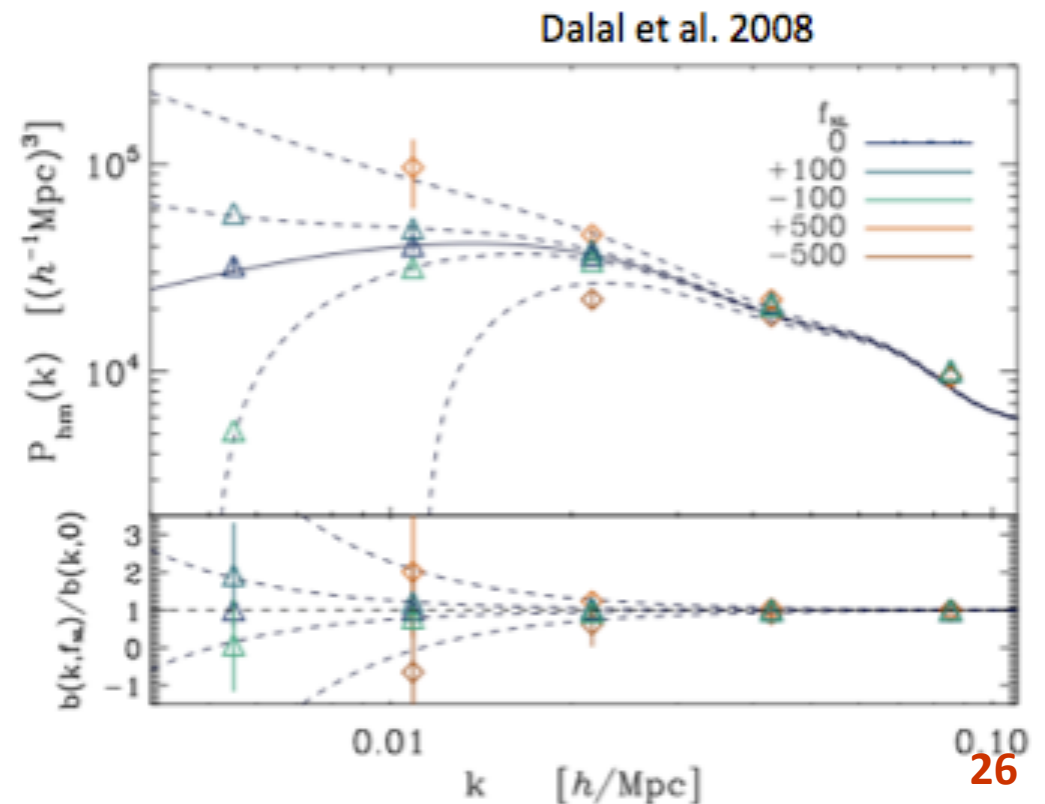
$$\Delta b(k) \sim (b-1) f_{NL} / k^2$$

- confirmed by simulations



# degeneracies ?

- non linear effects -> k-dependent bias at high k
- PNG effects at small k  
-> quasar survey
- also  $P(k)$  turnover  
 $f_{NL}$  correlated with  $\Omega_m$

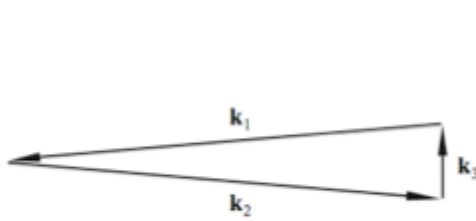


# constraints on $f_{NL}$

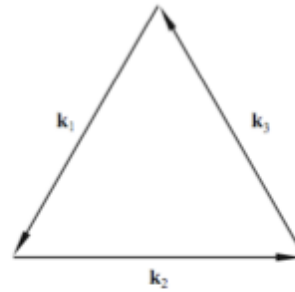
- all sky, “cosmic variance limited” survey, up to  $z=0.7$   
→  $\Delta f_{NL} \sim 10$
- cross-correlation between CMB T and LSS  
due to ISW  
combined ISW analyses (2008) should give  $\Delta f_{NL} \sim 60$

Dalal et al. 2008

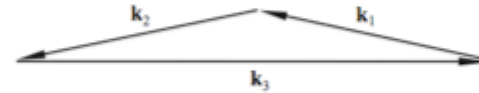
# shape of PNG -> Galaxy bias



Squeezed (local)



Equilateral



Folded

- **Local:**  
 $\Delta b \approx 1/k^2$  as  $k \rightarrow 0$
- **Orthogonal** ( $B_{\text{ort}} = -2B_{\text{fol}} + B_{\text{eq}}$ ):  
 $\Delta b \approx 1/k$
- **Equilateral:**  
 $\Delta b \approx \text{constant}$

Desjacques, Jeong & Schmidt 2011a,b

Scoccimarro et al. 2011

Schmidt & Kamionkowski 2010

Wagner et al. 2010

# Euclid forecast

- This is only 2-pt statistics ! (no bispectrum)

Probe	$\Delta f_{\text{NL}}$ local		$\Delta f_{\text{NL}}$ orthogonal		$\Delta f_{\text{NL}}$ equilateral	
	EUCLID + Planck		EUCLID + Planck		EUCLID + Planck	
Weak lensing	73	27	9.6	3.5	34	13
2D clustering	5.8	5.5	38	9.6	140	37
3D clustering	4.1	4.0	54	11	220	35
Lensing + clustering	4.7	4.5	4.0	2.2	16	7.5

- clustering is efficient mainly for local case
- weak lensing ?
- also  $\Delta n_{\text{fnl}} = 0.12$

Giannantonio, Porciani et al. 2011

# using correlation between CMB lensing and LSS

T. Giannantonio and W. Percival, 1312.5154

# using correlation between CMB lensing and LSS

- scale dependent galaxy bias  $\Leftrightarrow$  PNG
- observational systematics for  $P(k)$  on large scale
- using cross-correlation reduces systematics  
correlate galaxy with CMB T (ISW)

Giannantonio and Percival :

correlate galaxy with matter power from CMB lensing

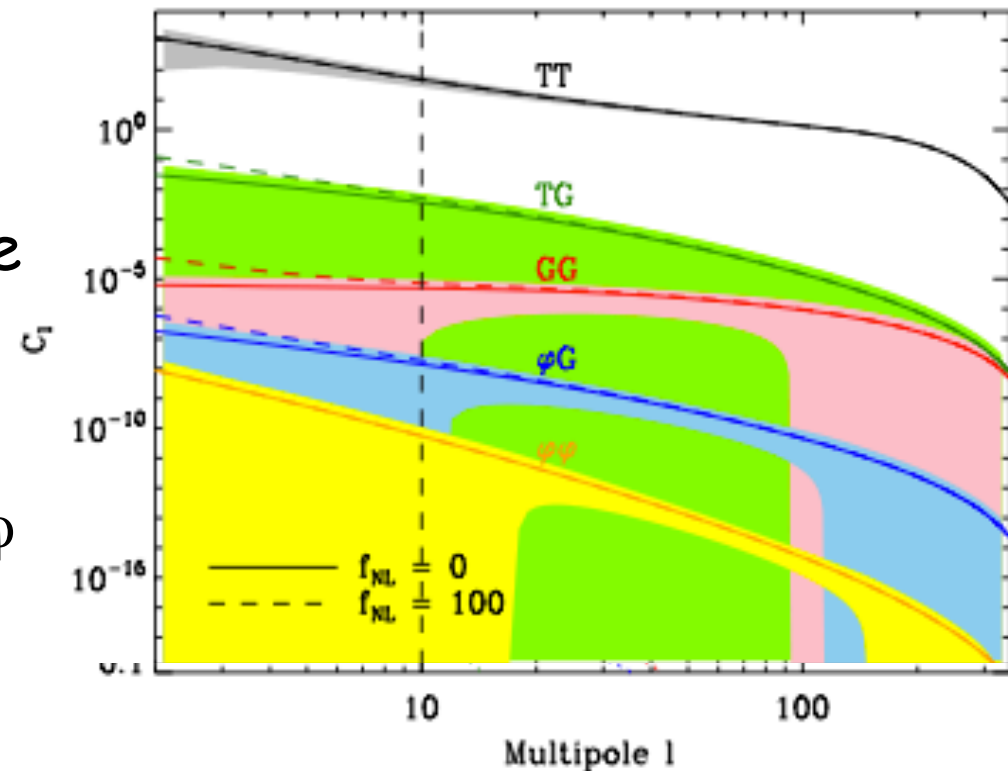
# effect of PNG on $C_l$

For NVSS survey (1.4 GHz) + Planck

- uncertainty:
  - cosmic variance
  - + shot noise
  - + intrinsic lensing noise

PNG :

- no effect on TT and  $\phi\phi$
- more effect on GG

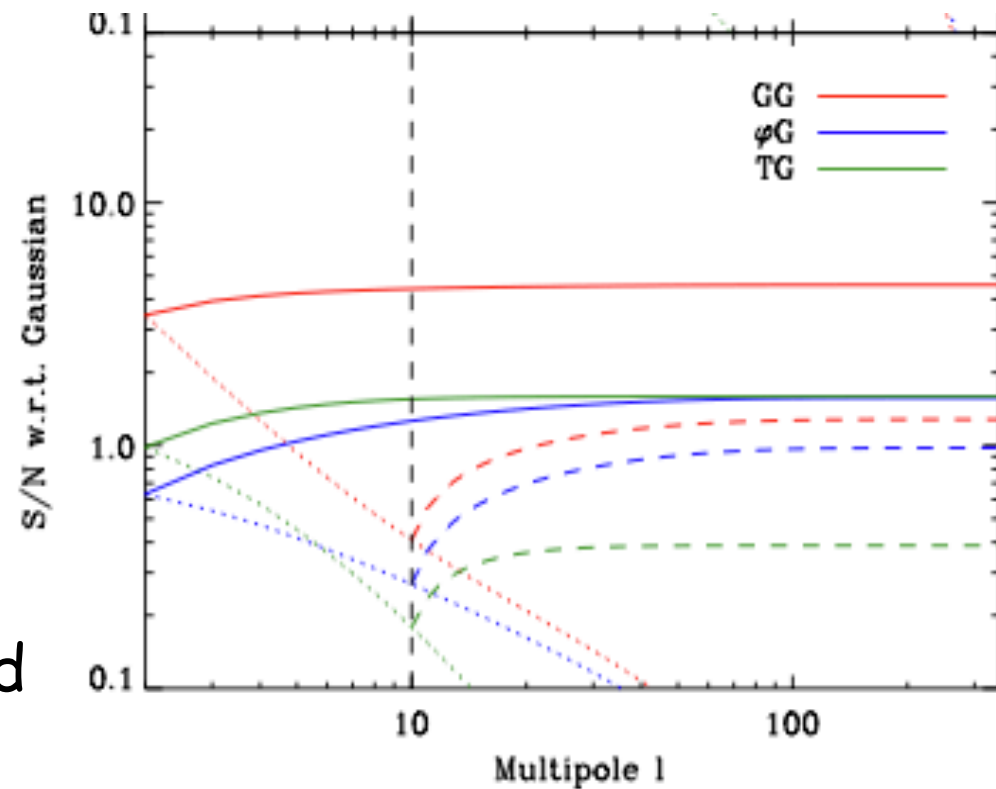




# constraining power on $f_{NL}$

S/N of the difference between Gaussian and NG model

- per multipole .....
- cumulative S/N \_\_\_\_\_
- cumulative S/N starting  $l = 10$  ----
  
- with all modes  $\phi G$  nearly as good as TG
- Not too much affected by removing low  $l$  modes



# results

- Planck + WMAP

- Planck lensing map  
 $l < 10$  removed

- $l < 10$  seen on mocks

Data: Planck TT, WP, and	Priors	$f_{\text{NL}}$ (68%)
$GG$	$b_0^i, \kappa_i$	$12 \pm 23$
$TG$	$b_0^i, \kappa_i$	$46 \pm 68$
$\varphi G$	$b_0^i, \kappa_i$	$12 \pm 71$
Mock all- $l$ $\varphi G$	$b_0^i, \kappa_i$	$\pm 53$
$GG$	none	$15 \pm 29$
$GG + TG$	none	$14 \pm 25$
$GG + \varphi G$	none	$11 \pm 23$
$GG + \varphi G + TG,$	none	$12 \pm 21$
Mock all- $l, GG + \varphi G + TG$	none	$\pm 19$
as above, no intrinsic noise	none	$\pm 14$

# Conclusions

- PNG probe the early Universe
- PNG result in a scale dependent bias of LSS  
     $1/k^2$  for local PNG  $\rightarrow$  large scale
- using only 2-pt statistics of LSS provides good constraints on PNG
- cross correlation with CMB T add information  
    and less sensitive to systematics
- cross correlation with CMB lensing can also be used