

# Constraints on Axions from Black Hole mergers and Binary Pulsars

Based on:

- Arvanitakis, Baryakhtar, Dimopoulos, Dubovsky, Lasenby, “Black Hole Mergers and the QCD Axion at Advanced LIGO” 1604.03958
- Blas, López Nacir, Sibiryakov, “Ultra-Light Dark Matter Resonates with Binary Pulsars”, 1612.06789

Filippo Vernizzi - IPhT, CEA Saclay

24 Janvier 2017 - Cosmo Club IPhT/SAP/SPP

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# QCD Axions

- QCD axion: one of the best motivated BSM particles
- Solves the strong-CP problem by making the QCD  $\theta$  angle a dynamical field

$$\mathcal{L}_{\text{SM}} \supset \frac{\alpha_s}{8\pi} \frac{a}{f_a} G_{\mu\nu} \tilde{G}^{\mu\nu}$$

- Pseudo-Goldstone boson with mass and couplings fixed by the decay constant  $f_a$

$$\mu_a \sim 6 \times 10^{-11} \text{ eV} \frac{10^{17} \text{ GeV}}{f_a}$$

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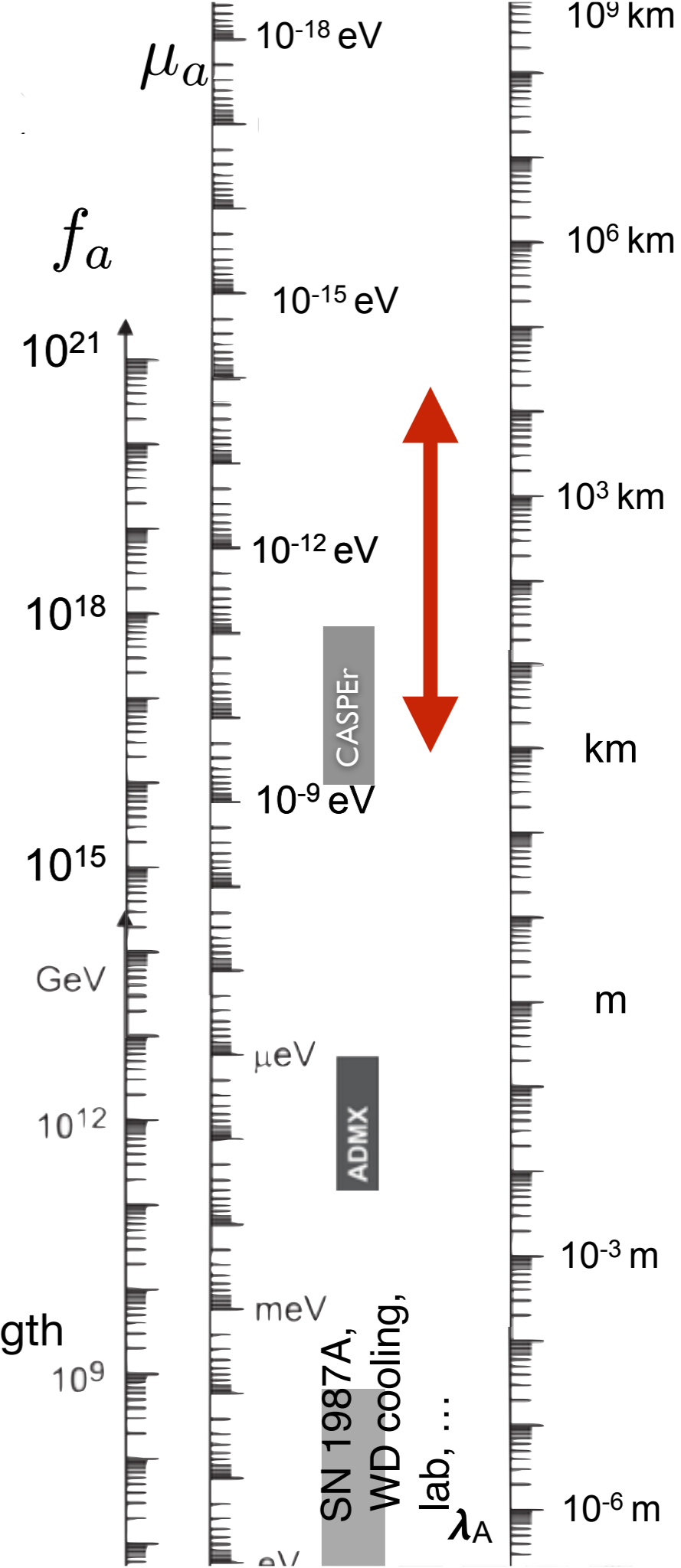
- Pseudo-Goldstone boson with mass and couplings fixed by the decay constant  $f_a$

$$\mu_a \sim 6 \times 10^{-11} \text{ eV} \frac{10^{17} \text{ GeV}}{f_a}$$

- Very weakly interacting
- Large Compton wavelength

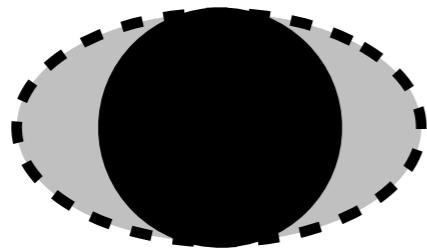
$$\lambda_a \sim 3 \text{ km} \frac{6 \times 10^{-11} \text{ eV}}{\mu_a}$$

- Small masses difficult to probe because have very long wavelength
- Current bound only for large masses and model dependent



# Black Holes

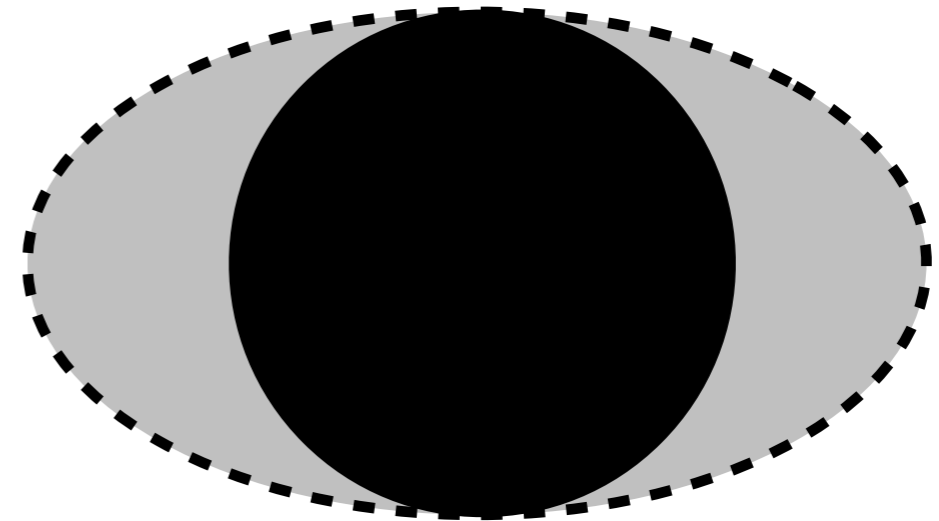
- Black holes can be used as axion detectors: BH size  $\sim$  axion Compton wavelength



$$30 \text{ km} \times \frac{M}{10M_{\odot}}$$

Stellar black holes:

- $\sim 10^8 - 10^9$  in our galaxy
- Sensitive to axion masses  $\sim 10^{-13} - 10^{-11}$  eV



$$3 \times 10^7 \text{ km} \times \frac{M}{10^7 M_{\odot}}$$

Supermassive black holes:

- Found at the center of galaxies
- Sensitive to axion masses  $\sim 10^{-19} - 10^{-16}$  eV

# Gravitational Atom

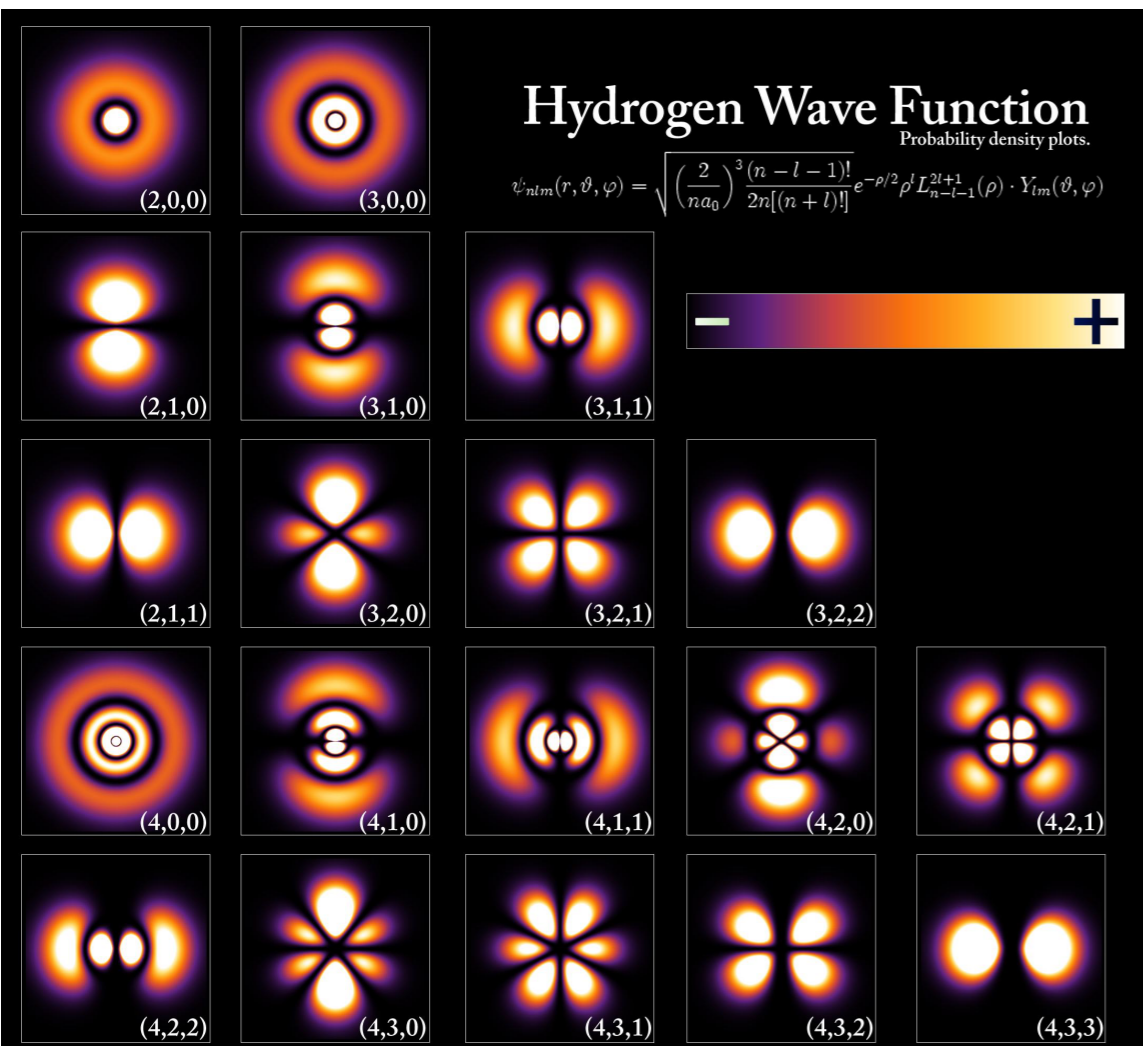
- In analogy with the Hydrogen atom, axions gravitationally bind around a BH and occupy the states characterised by the usual quantum number, n, l and m.

- Fine-structure constant

$$\alpha = \frac{GM_{\text{BH}}\mu_a}{\hbar c} = 0.22 \left( \frac{M_{\text{BH}}}{30M_{\odot}} \right) \left( \frac{\mu_a}{10^{-12} \text{ eV}} \right)$$

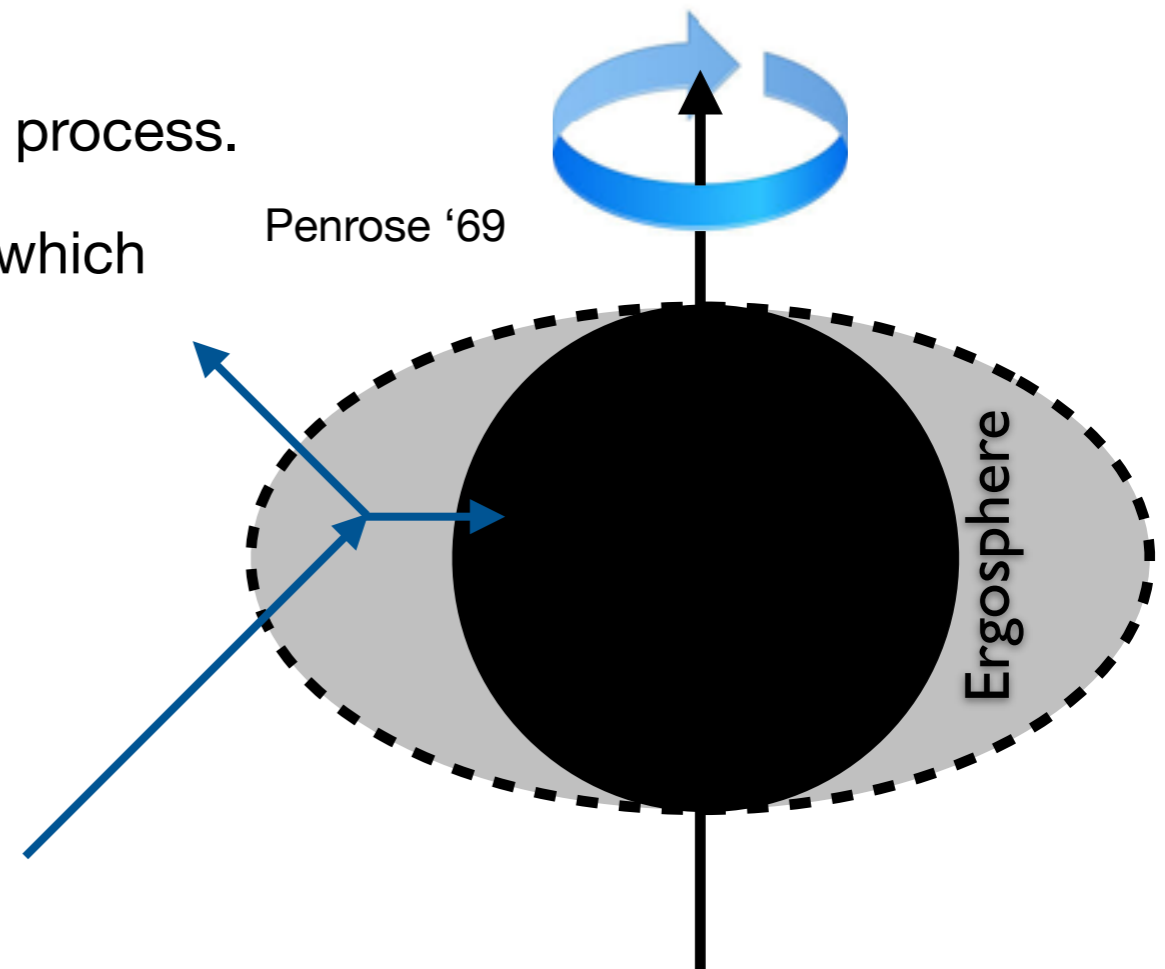
- Energy level

$$\hbar\omega = \mu_a c^2 \left( 1 - \frac{\alpha^2}{2n^2} \right)$$



# Superradiance

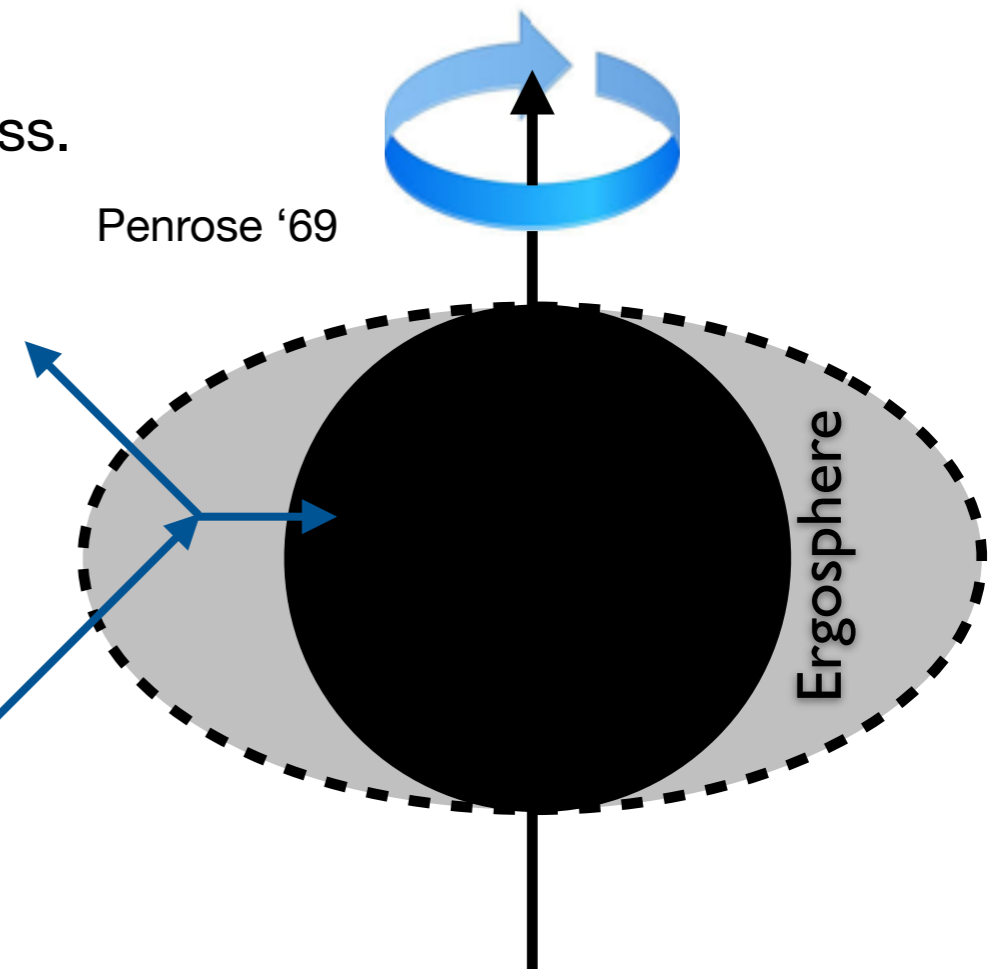
- Superradiance is an ubiquitous kinematic/thermodynamic phenomenon.
- In a BH, it can be explained in terms of Penrose process.
- A rotating BH possesses an ergosphere, inside which no observer can be stationary.



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- Particles passing through the ergosphere can extract angular momentum and energy from the BH.
- Superradiant condition:  $\omega < m\Omega_H$

$$\Omega_H = \frac{c^3}{2GM_{\text{BH}}} \frac{a_*}{1 + \sqrt{1 - a_*^2}}, \quad 0 \leq a_* \leq 1$$



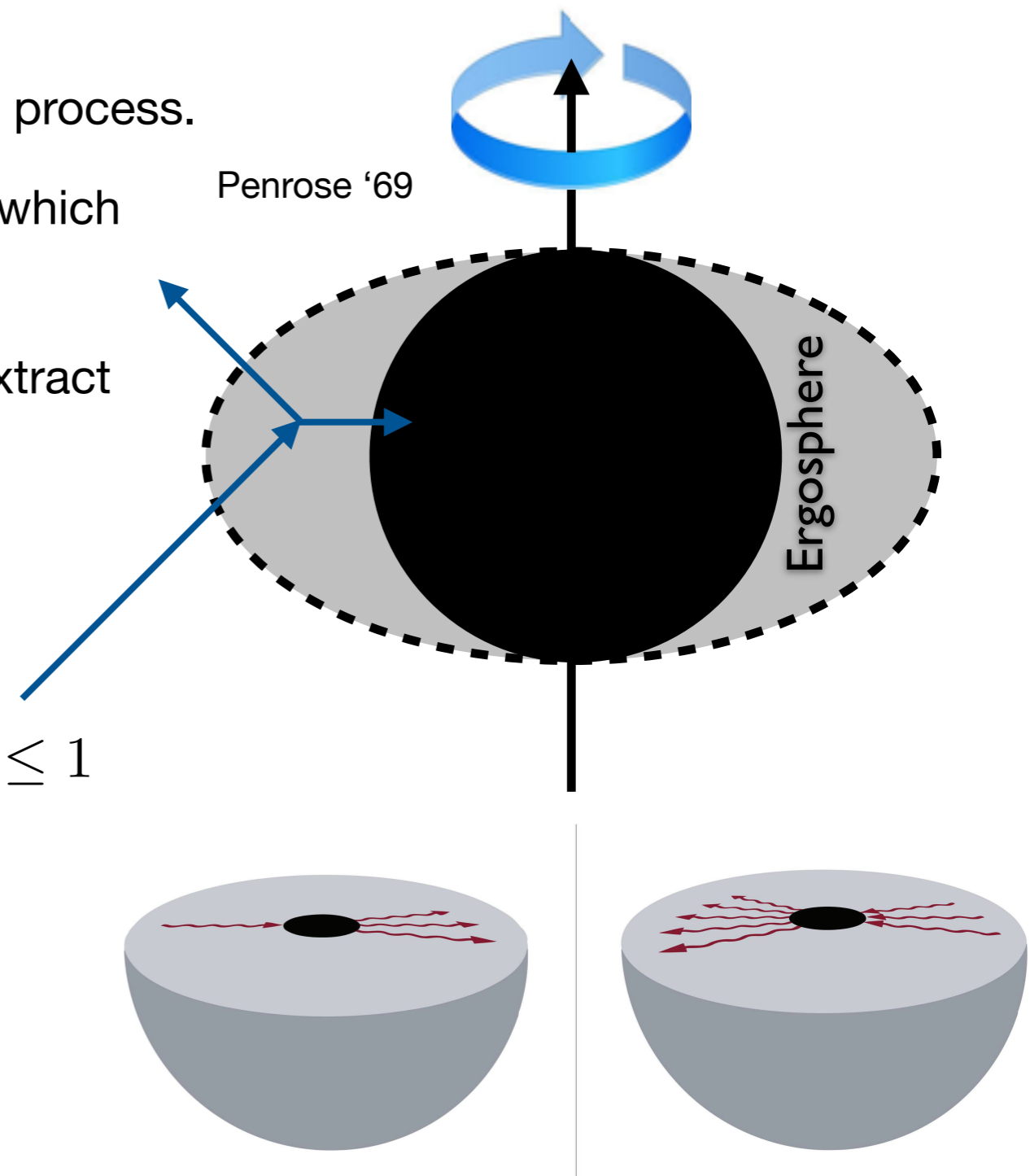


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- Very difficult to observe
- If particles (bosons) are confined the process repeats continuously, growing exponentially.



# Gravitational Atom

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- Energy level

$$\hbar\omega = \mu_a c^2 \left( 1 - \frac{\alpha^2}{2n^2} \right) - i\Gamma_{\text{sr}}$$

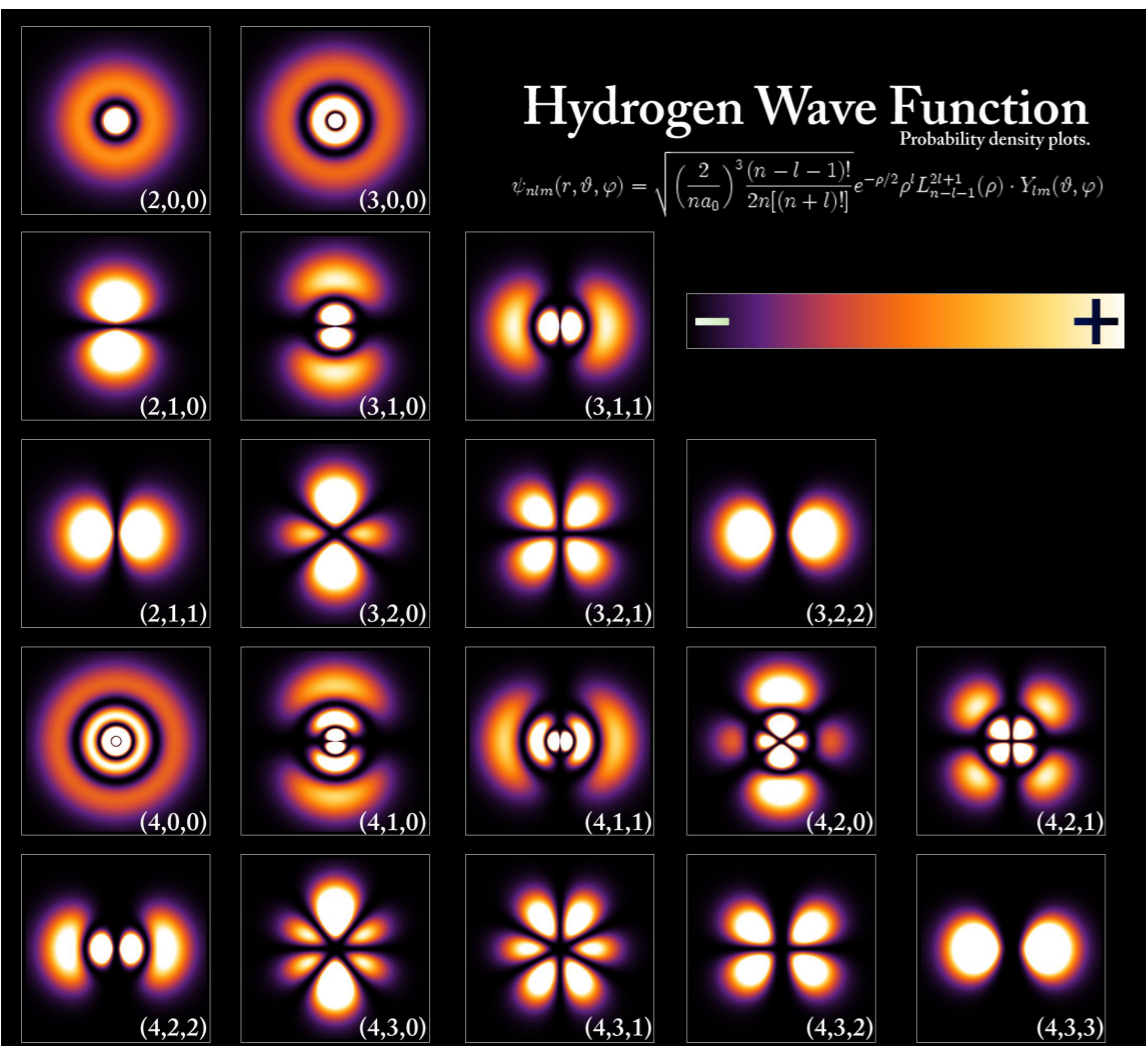
- Particle orbits that satisfy the SR condition are coherently amplified

$$\frac{\alpha}{\ell} \leq \frac{1}{2}$$

- As long as SR condition is satisfied, occupation number grows exponentially

$$\frac{dN}{dt} = \Gamma_{\text{sr}} N$$

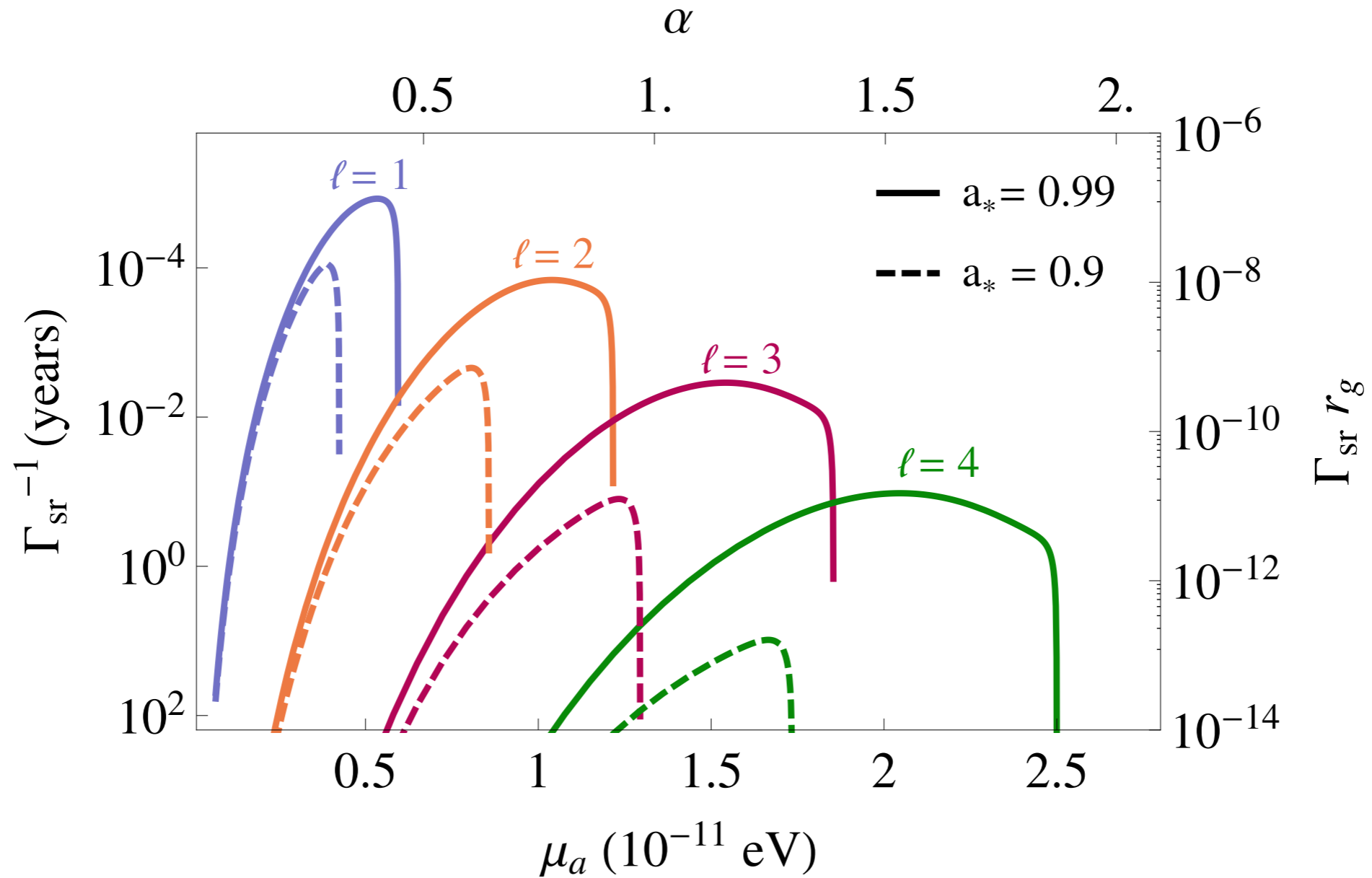
$$\Gamma_{\text{sr}} = \mathcal{O}(10^{-7} - 10^{-14})\mu_a$$



# Superradiant rate

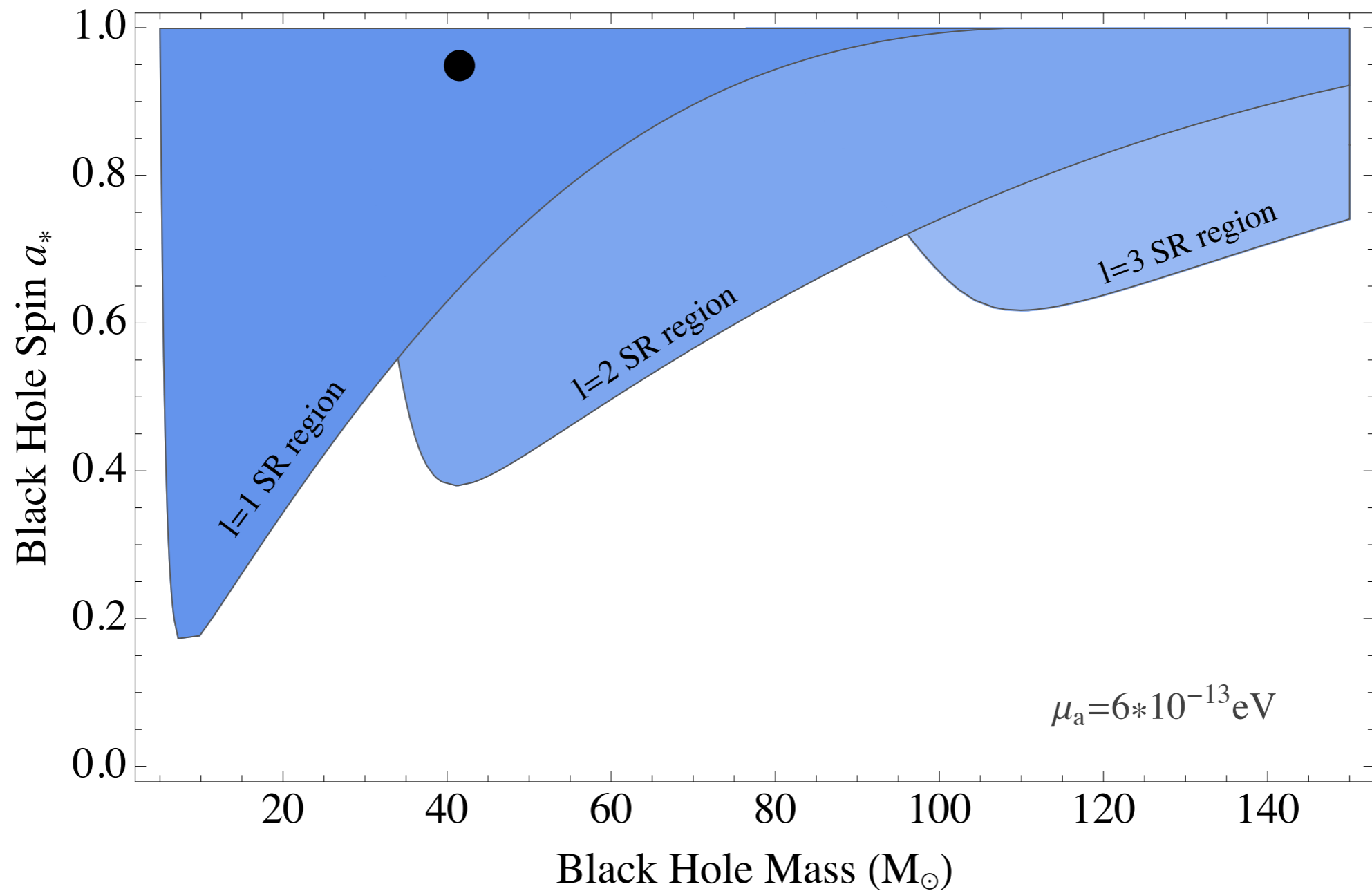
- Superradiance times for the levels  $l=1$  to 4, for  $m=l$  and  $n=l+1$ , for a BH of mass  $10 M_{\odot}$ .

Arvanitaki, Baryakhtar and Huang '14



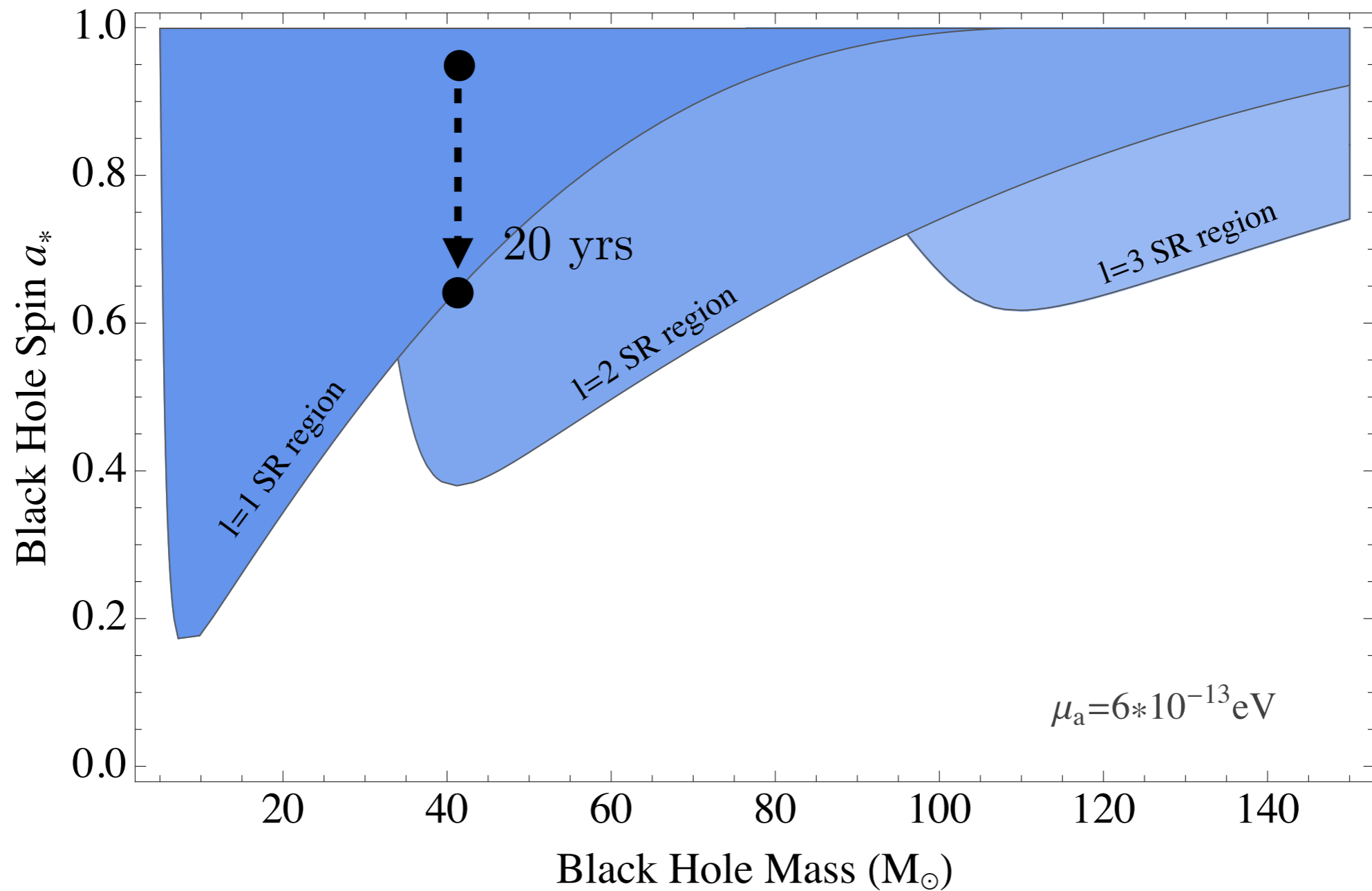
# Black hole spin decay

- Black hole spin-mass plane.
- Absence of rapidly rotating BH is signal that superradiance has taken place.



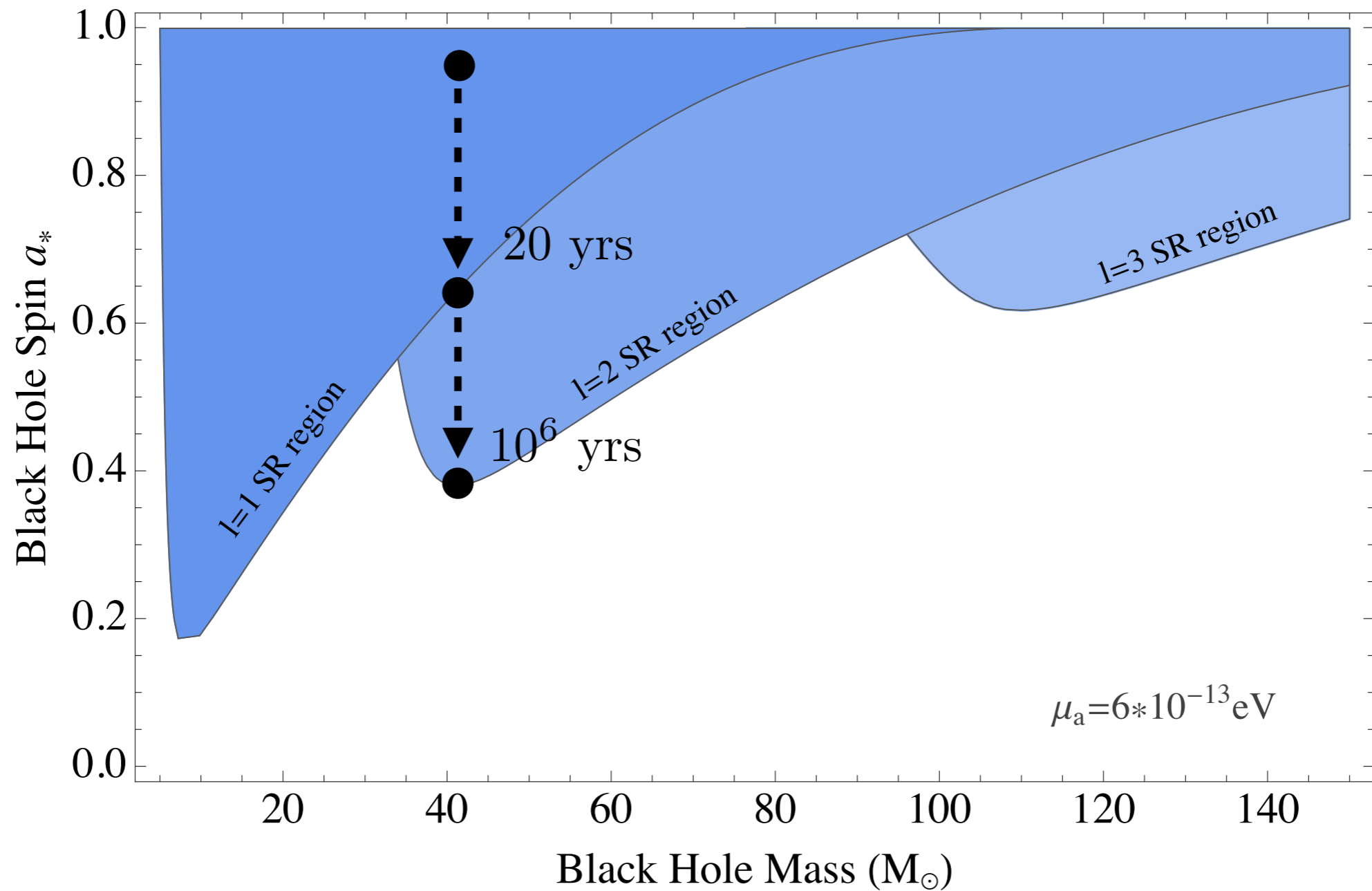
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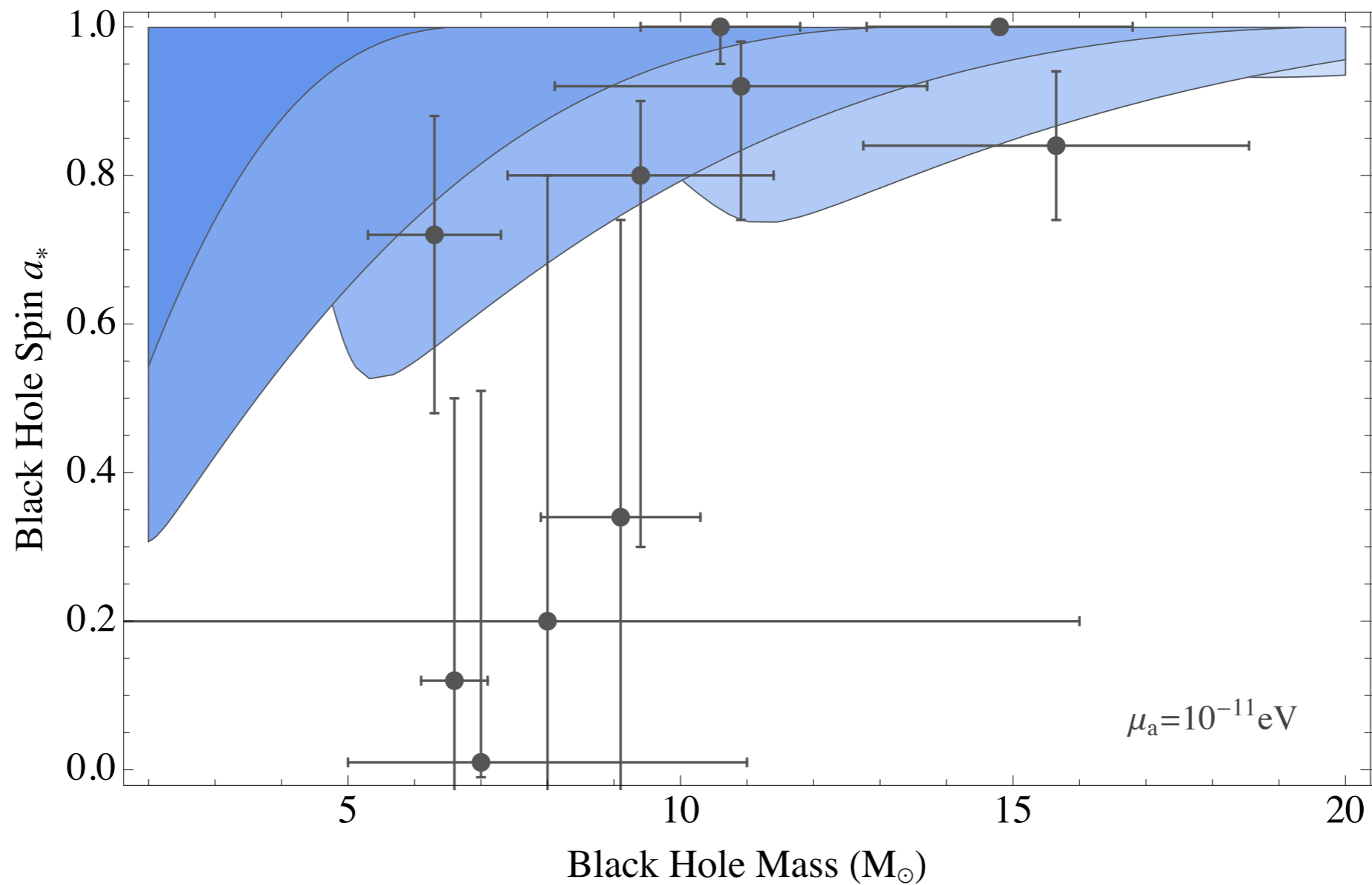
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# Black hole spin from X-ray

- BH measurements of spin and BH masse in X-ray binaries.

Arvanitaki, Baryakhtar and Huang '14

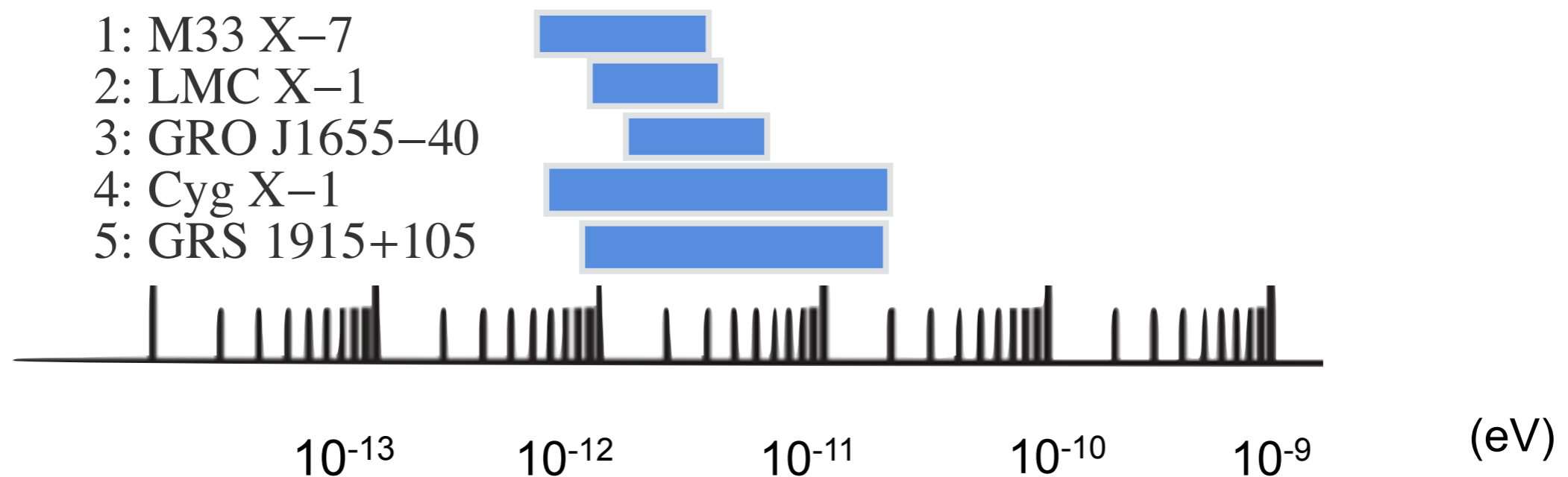


# Black hole spin from X-ray

- High-spin measurements disfavor an axion with mass

$$6 \times 10^{-13} \text{ eV to } 2 \times 10^{-11} \text{ eV}$$

Arvanitaki, Baryakhtar and Huang '14



- The exclusion of these parameter space has not been reached by other approaches.



# LIGO and Virgo

- Expected detection of 40-1500 merger events per year and measure masses and spin.

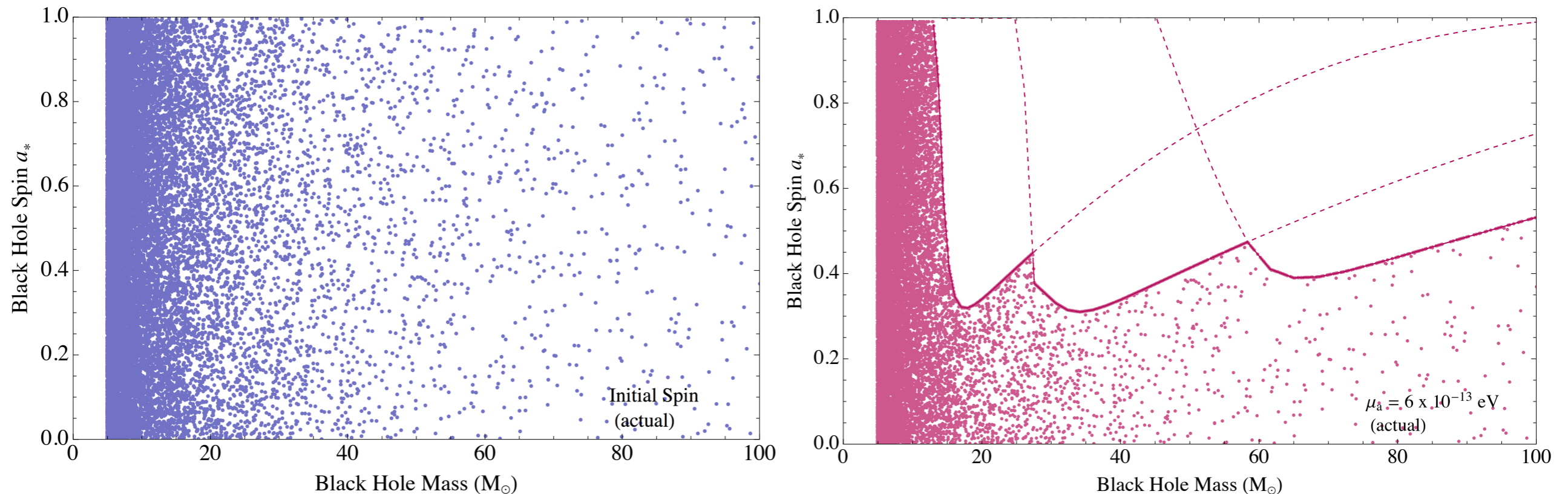


- Example: the final BH from GW150914 has a spin of  $0.67_{-0.07}^{+0.05}$  and mass of  $61.8_{-3.5}^{+4.2} M_{\odot}$

LIGO '16

# Expected black hole spin

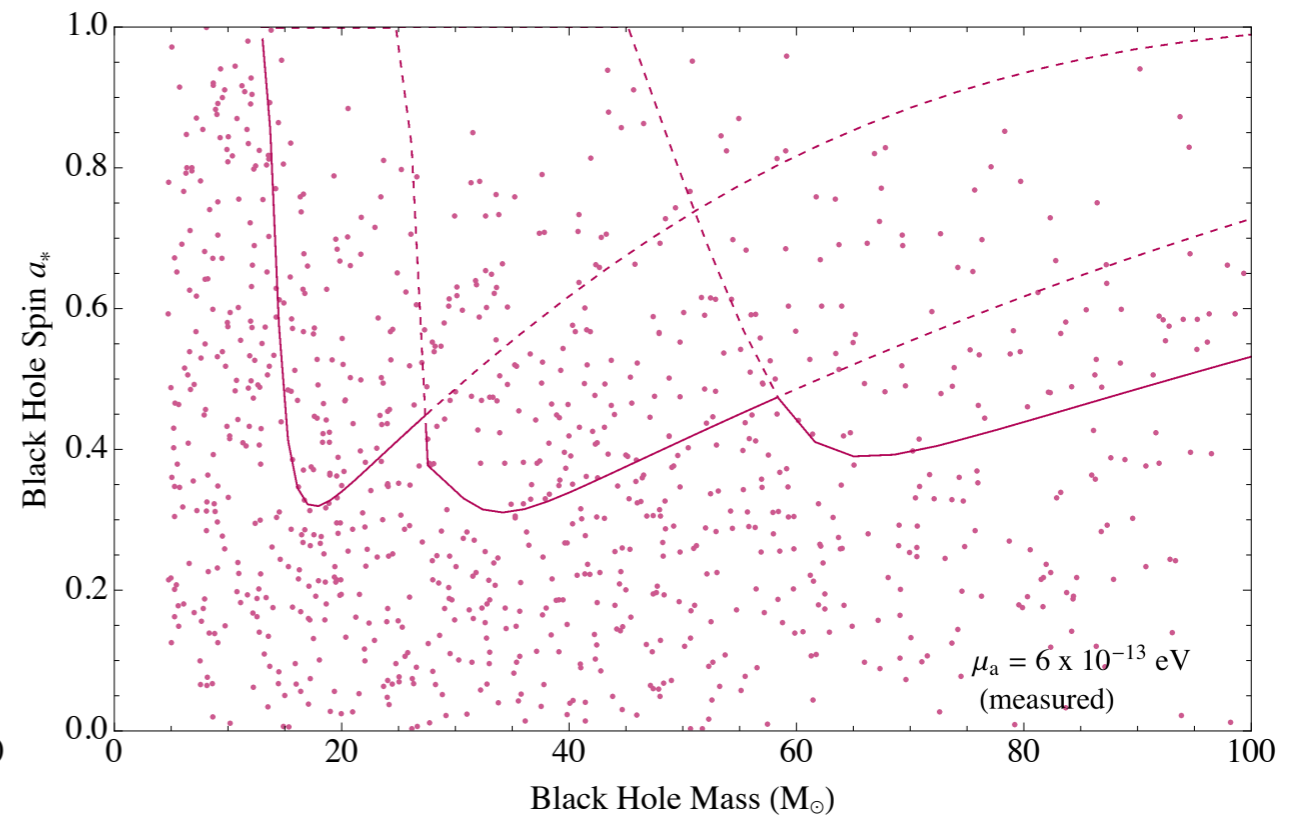
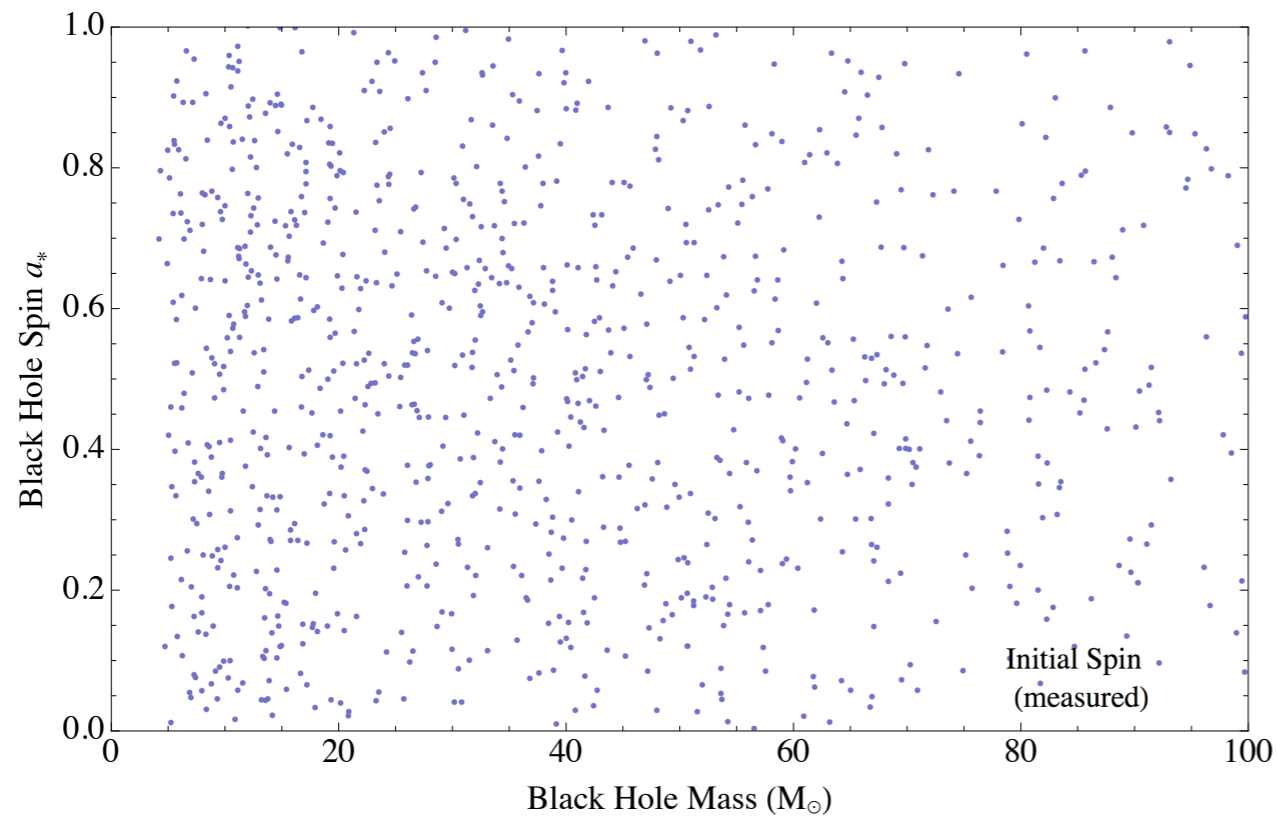
- Expected distribution of intrinsic spins and masses of merging BHs in the absence (right) and presence (left) of an axion. Flat spin distribution and power-law BH mass. Normalized at 1000 events in LIGO.



- The theoretical curve assume that BBHs take a Hubble time to merge into account

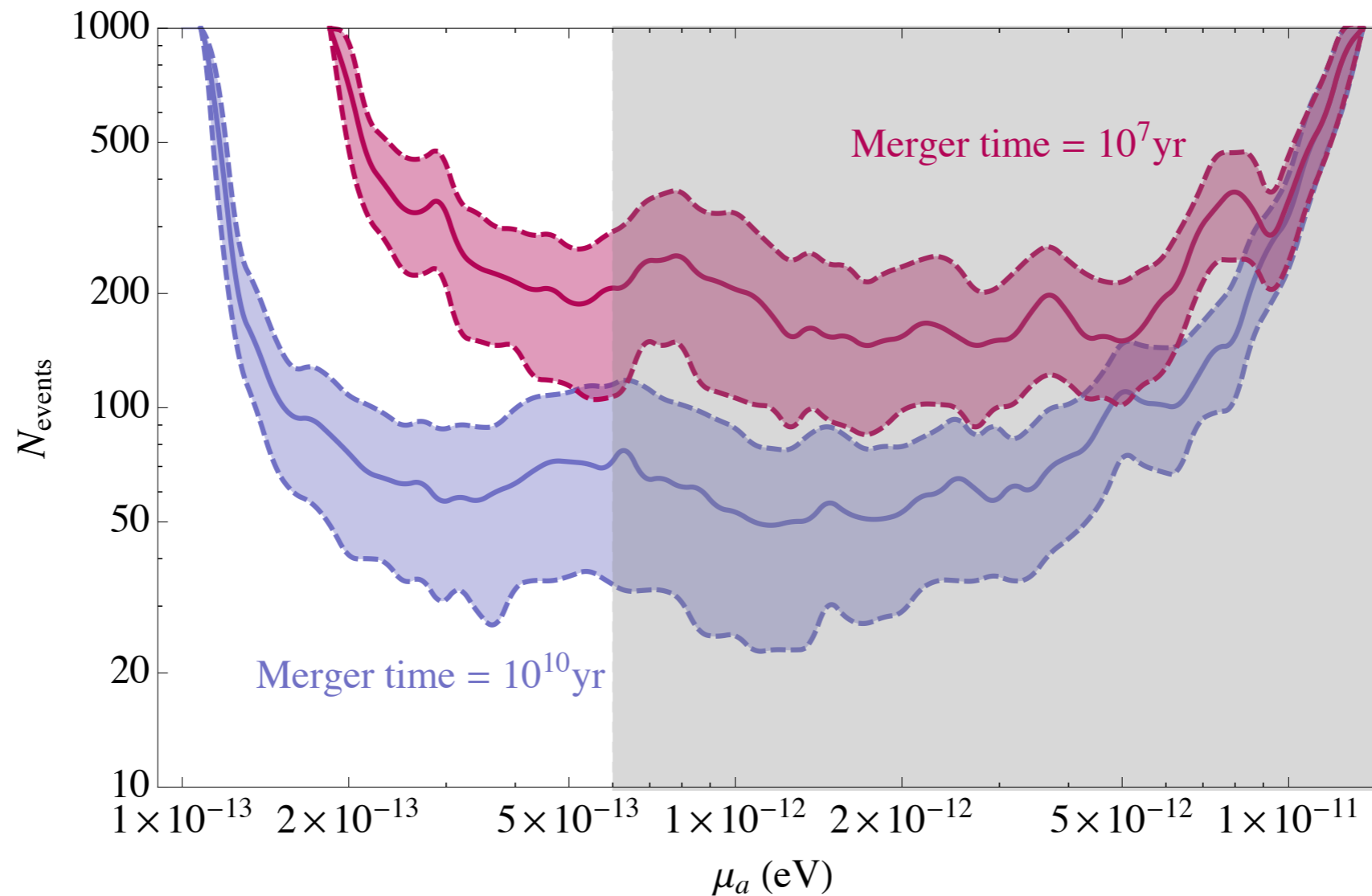
# Measured black hole spin

- Measured distribution of intrinsic spins and masses of merging BHs, 10% measurement error in the mass and 0.25 in the spin. Flat spin distribution and power-law BH mass. Normalized at 1000 events in LIGO.



# Required events

- Number of observed events required to show (at  $2\sigma$ ) that the BH spin distribution varies with the BH mass as predicted by superradiance.

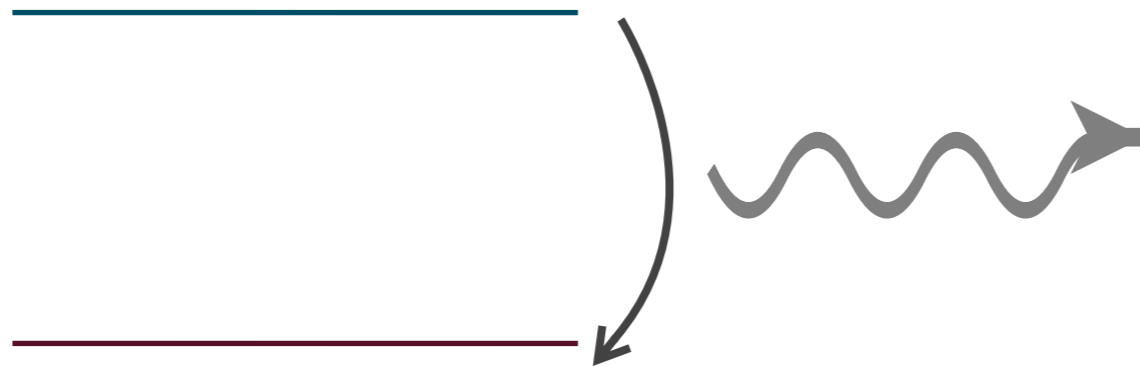


- If merger time is long, few tens of events may be enough.

# Gravitational waves signal

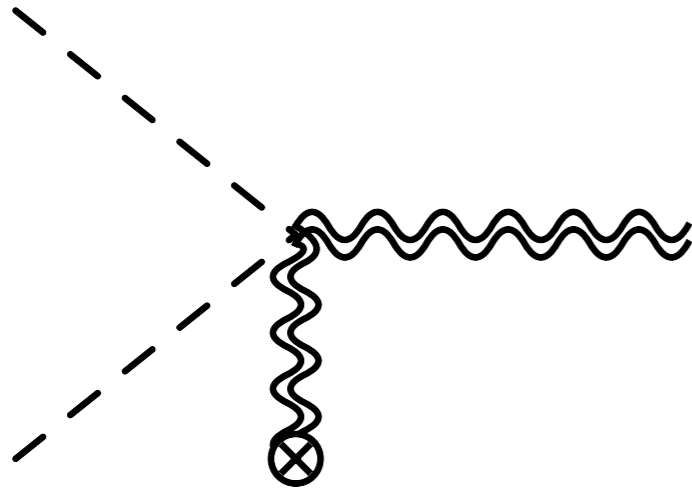
- Monochromatic gravitational waves can be produced due to:

1) Axion transition between levels:



$$f \sim 15 \text{ Hz} \times (\mu_a / 10^{-11} \text{ eV})$$

2) Axion annihilation:

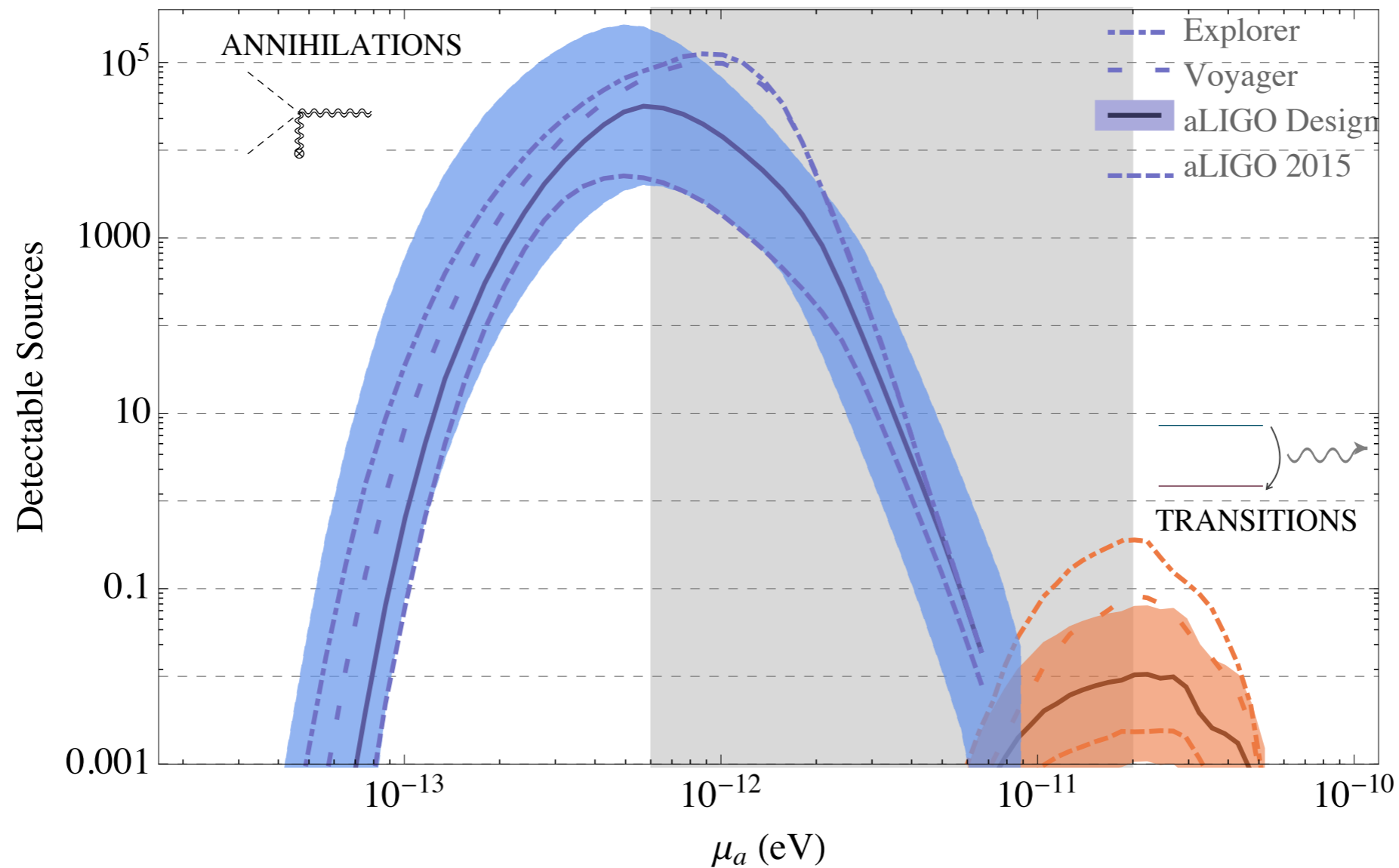


$$f = 10 \text{ kHz} \times (\mu_a / 10^{-11} \text{ eV})$$

- These GW are expected to be monochromatic within a  $\sim 3\%$  frequency range, thus distinguishable from other GW of astrophysical sources. Unique signal.

# Transition and annihilation

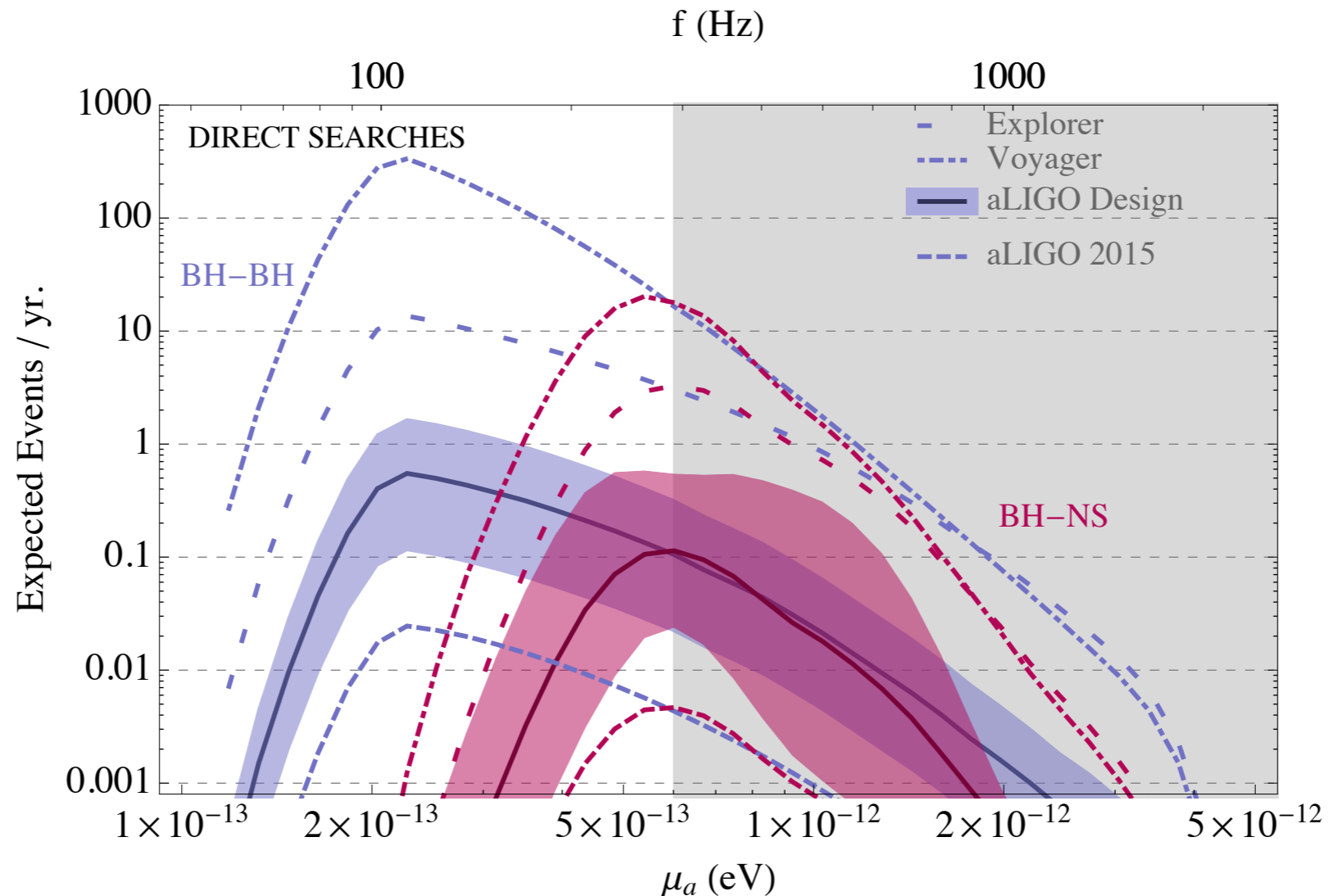
- Transitions: Uncertainty dominated by BH formation rate and spin distribution. Less sensitive to mass distribution
- Annihilation: Uncertainty dominated by BH mass distribution for large BH masses.



- Coherent integration time of 2 days, total integration time 1 year.

# Correlating searches

- After a merger at LIGO one can follow-up with continuous wave search to look for superradiant axion growth. More promising for future GW observatories
- Impossible for transition; very long time to populate the levels giving appreciable signal.
- Expected annihilation events by BBH or BH-NS merger products per year.



- Coherent integration time of 10 days for BBH and 1 year for BH-NS.

# Conclusions

- \* Ultra light axions can be probed by astrophysical BHs
- \* Mechanism applies to other scalar (boson) particles: not necessarily QCD axions, not necessarily DM.
- \* Advanced LIGO may measure thousands of BH spins and provide evidence of a new particle
- \* Monochromatic GW signals may be observable from transition and annihilation of axions
- \* May observe the growth of gravitational atoms in real time after a BBH/ BH-NS merger



# Sensitivities

