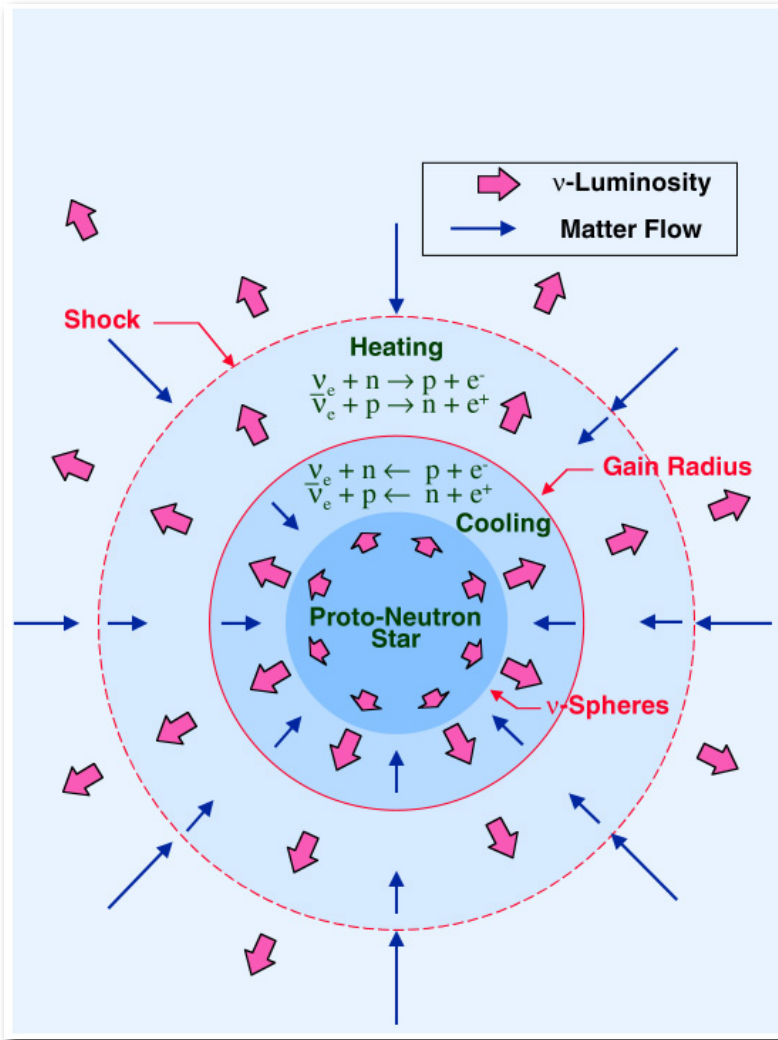


The Core Collapse Supernova Mechanism: How Close Are We?

Anthony Mezzacappa, ASTRONUM 2013
University of Tennessee
Oak Ridge National Laboratory

The Heart of the Matter



Neutrino heating depends on neutrino luminosities, spectra, and angular distributions.

$$\dot{\epsilon} = \frac{X_n}{\lambda_0^2} \frac{L_{\nu_e}}{4\pi r^2} \langle E_{\nu_e}^2 \rangle \left\langle \frac{1}{\mathcal{F}} \right\rangle + \frac{X_p}{\lambda_0^2} \frac{L_{\bar{\nu}_e}}{4\pi r^2} \langle E_{\bar{\nu}_e}^2 \rangle \left\langle \frac{1}{\mathcal{F}} \right\rangle$$

Neutrino heating is sensitive to all three (most sensitive to neutrino spectra).

⇒ Must compute neutrino distributions.

$$f(t, r, \theta, \phi, E, \theta_p, \phi_p)$$

Multifrequency
Multiangle

$$E_R(t, r, \theta, \phi, E) = \int d\theta_p d\phi_p f$$

Multifrequency
(solve for
multifrequency
angular moments)

$$E_R(t, r, \theta, \phi) = \int dE d\theta_p d\phi_p f$$

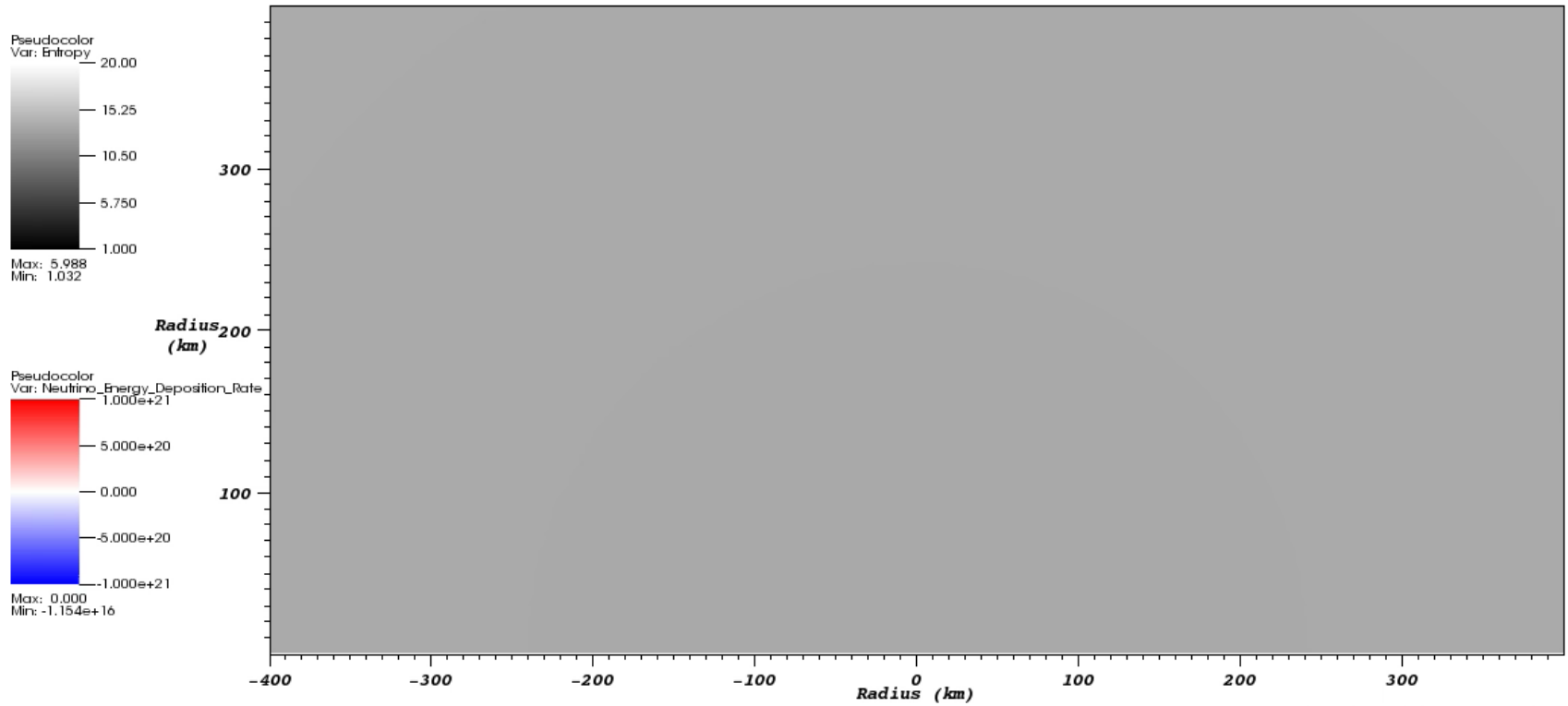
Gray
(solve for
angular moments,
parameterize spectra)

Frame 00001

Time (elapsed) +0005.0

Time (bounce) -0463.4

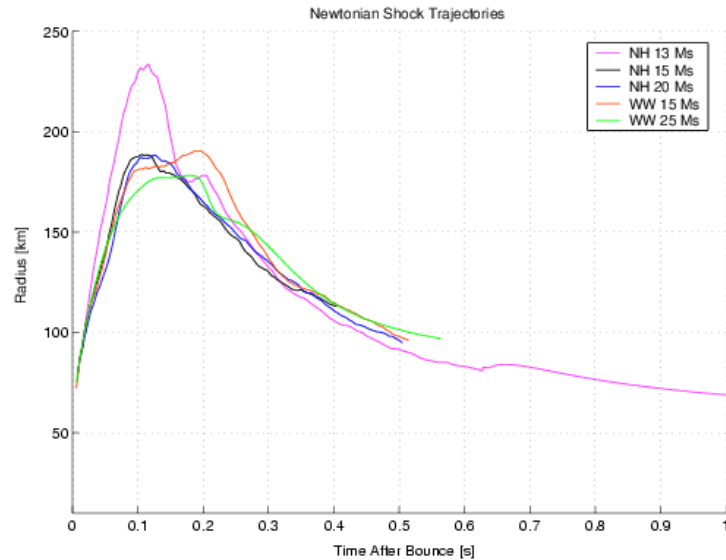
B25-WH07



Mon Mar 19 21:22:02 2012

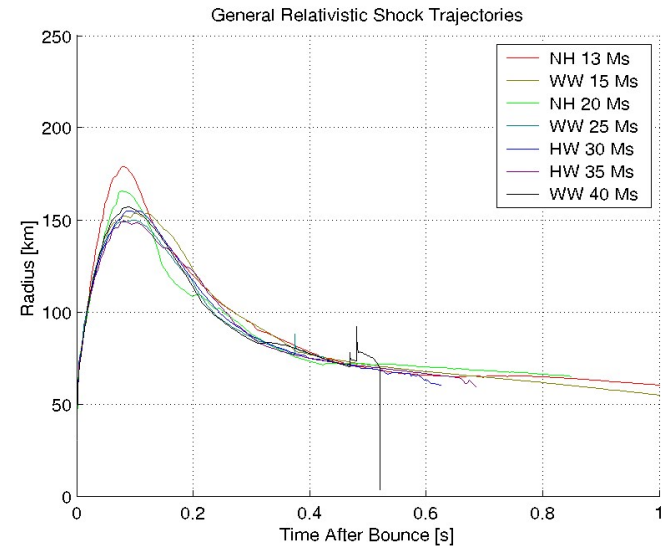
Completed: Spherical Models with Boltzmann Transport

Newtonian



Mezzacappa et al., PRL, **86**, 1935 (2001)

General Relativistic



Liebendoerfer et al., PRD, **63**, 103004 (2001)

The simulation of core collapse supernovae with fully general relativistic, multi-angle, multi-frequency, Boltzmann neutrino transport has been achieved for spherically symmetric cases.

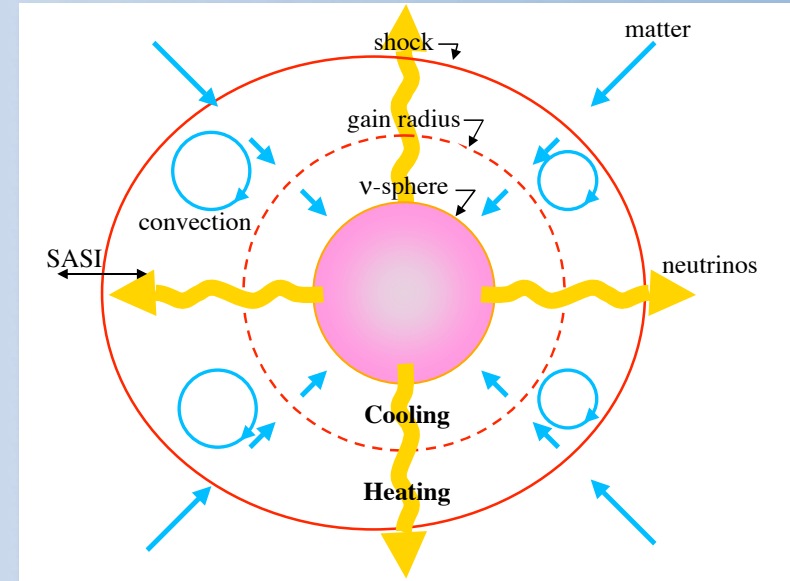
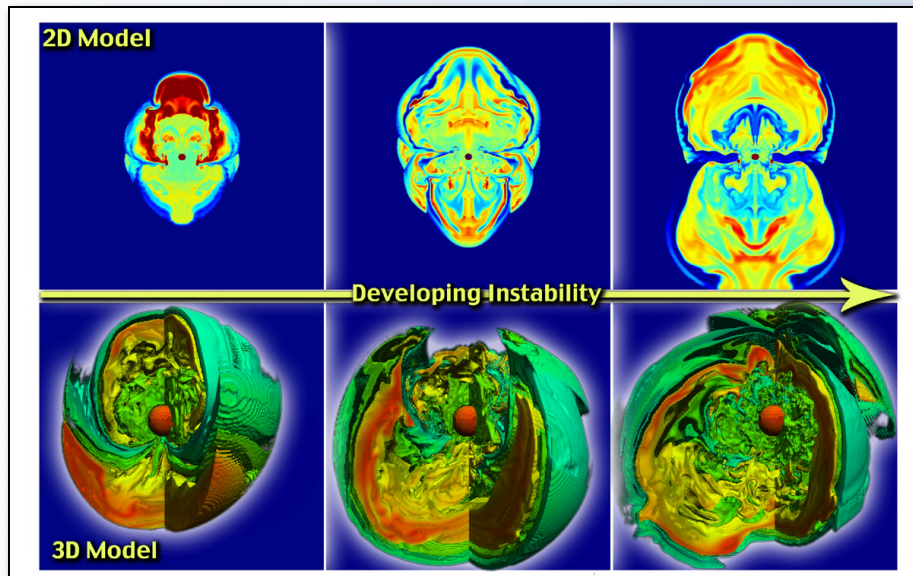
⇒ What's missing?

- Multi-D Effects
- ?

Agile-BOLTZTRAN

See also Lentz et al. 2012. *Ap.J.* **747**, 73.

Stationary Accretion Shock Instability (SASI)



Blondin, Mezzacappa, & DeMarino, *Ap.J.* **584**, 971 (2003)

Shock wave unstable to non-radial perturbations.

SASI has **axisymmetric and nonaxisymmetric** modes that are both linearly and nonlinearly unstable!

- Blondin and Mezzacappa, *Ap.J.* **642**, 401 (2006)
- Blondin and Shaw, *Ap.J.* **656**, 366 (2007)
- Blondin and Mezzacappa, *Nature* **445**, 58 (2007)

- Near prolate axis:
 - Decreases advection velocity in gain region.
 - Increases time in the gain region.
 - Increases size of gain region.
 - Moves shock toward silicon/oxygen layer.
- Opposite effect orthogonal to prolate axis.
- Seed convection.

e.g., see Marek and Janka, *Ap.J.* **694**, 664 (2009)

General Relativistic Boltzmann Equation

$$p^{\hat{\mu}} \mathcal{L}^{\mu}_{\hat{\mu}} \frac{\partial f}{\partial x^{\mu}} + (eF^{\hat{j}}_{\hat{\nu}} p^{\hat{\nu}} - \Gamma^{\hat{j}}_{\hat{\nu}\hat{\rho}} p^{\hat{\nu}} p^{\hat{\rho}}) \frac{\partial u^{\hat{i}}}{\partial p^{\hat{j}}} \frac{\partial f}{\partial u^{\hat{i}}} = \mathbb{C}[f]$$

1. Geometric Effects
2. Special Relativistic Effects
3. General Relativistic Effects

E.G.: Describes increase in neutrino Fermi energy in trapped regions as density increases.

	Spatial Dimensions	Newtonian or GR	1	2	3	Partial Weak Interactions (Thompson et al. (2003))	Complete Weak Interactions	Label
Liebendoerfer et al. (2004) Lenz et al. (2012)	1	GR	X	X	X		X	Full GR
Ott et al. (2008)	2	Newtonian	X			X		No-Observer-Corrected Newtonian

Important Neutrino Emissivities/Opacities

“Standard” Emissivities/Opacities

★ $e^{-(+) + p(n), A \leftrightarrow \nu_e (\bar{\nu}_e) + n(p), A'$

Bruenn, *Ap.J. Suppl.* (1985)

- Nucleons in nucleus independent.
- No energy exchange in nucleonic scattering.

$e^+ + e^- \leftrightarrow \nu_{e,\mu,\tau} + \bar{\nu}_{e,\mu,\tau}$

Langanke et al. PRL, **90**, 241102 (2003)

- **Include correlations between nucleons in nuclei.**

★ $\nu + n, p, A \rightarrow \nu + n, p, A$

Reddy, Prakash, and Lattimer, PRD, **58**, 013009 (1998)

Burrows and Sawyer, PRC, **59**, 510 (1999)

- (Small) **Energy is exchanged due to nucleon recoil.**
- Many such scatterings.

★ $\nu + e^-, e^+ \rightarrow \nu + e^-, e^+$

$N + N \leftrightarrow N + N + \nu_{e,\mu,\tau} + \bar{\nu}_{e,\mu,\tau}$

Hannestad and Raffelt, *Ap.J.* **507**, 339 (1998)

Hanhart, Phillips, and Reddy, *Phys. Lett. B*, **499**, 9 (2001)

- **New source of neutrino-antineutrino pairs.**

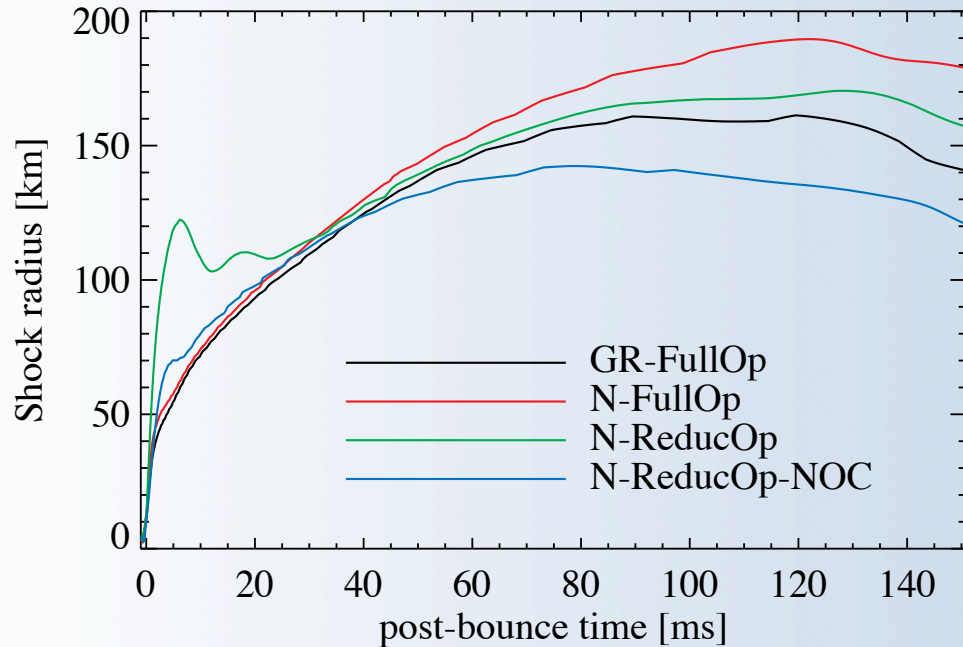
$\nu_e + \bar{\nu}_e \leftrightarrow \nu_{\mu,\tau} + \bar{\nu}_{\mu,\tau}$

Janka et al. PRL, **76**, 2621 (1996)

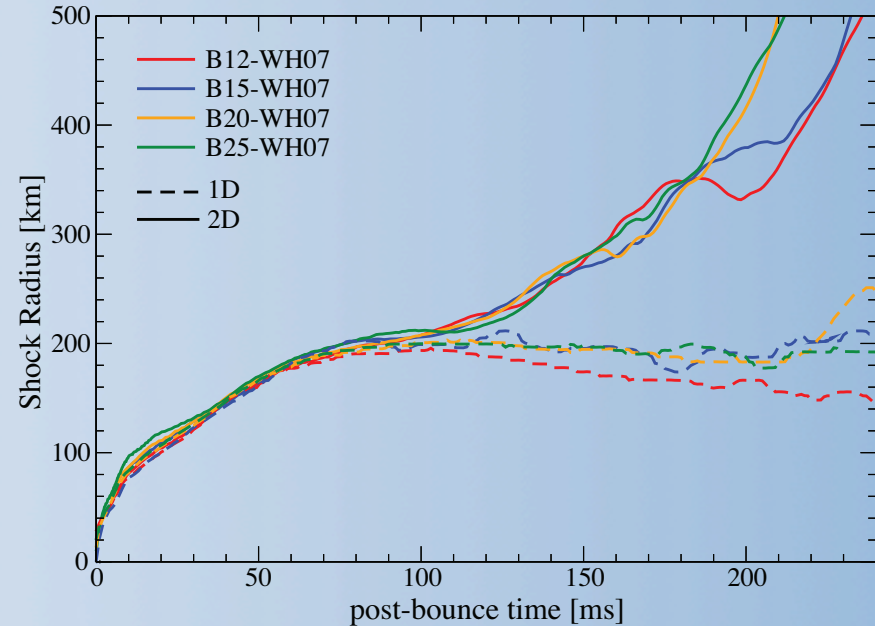
Buras et al. *Ap.J.*, **587**, 320 (2003)

Peeling Away the Physics

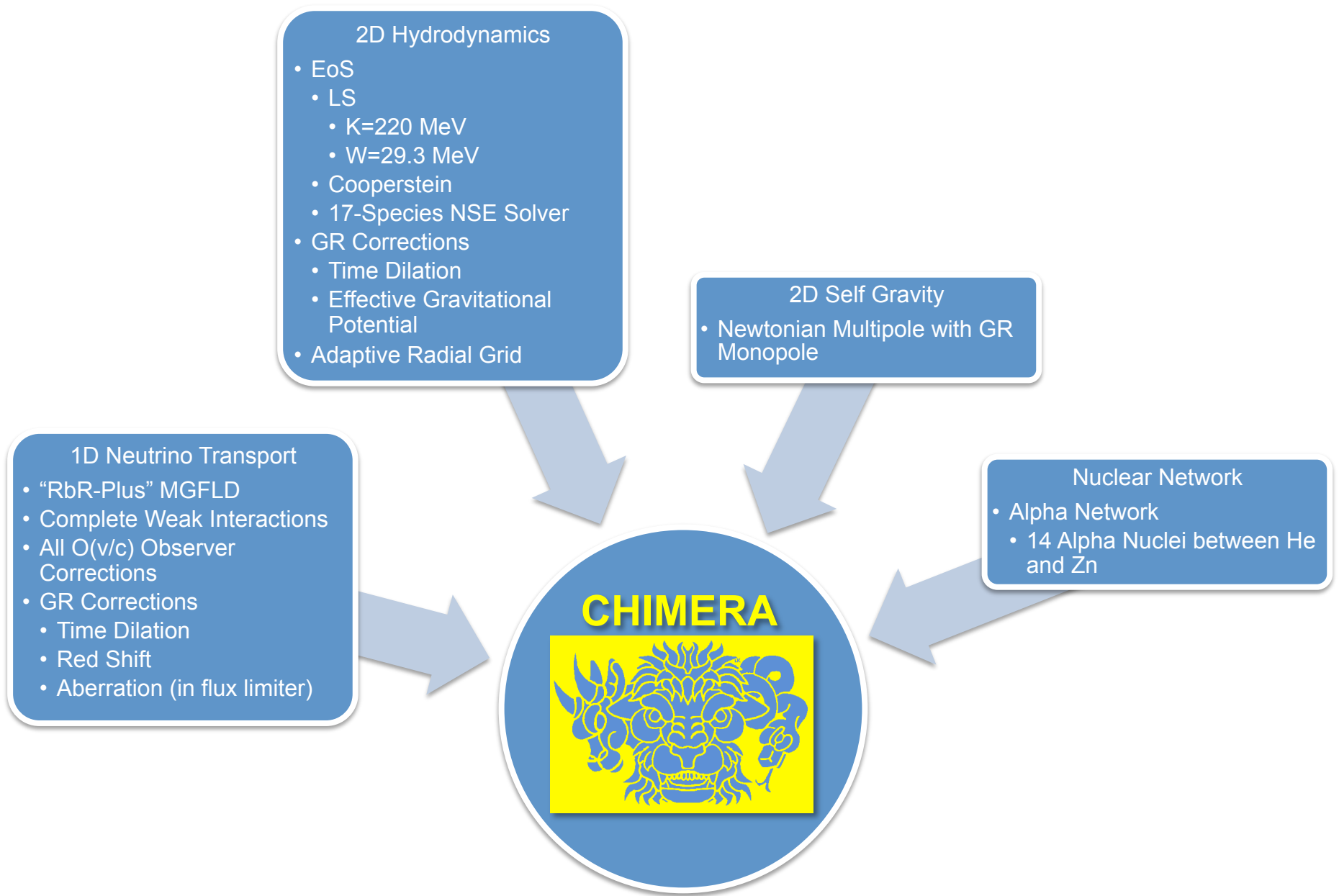
ReducOp = Bruenn (1985) – NES + Bremsstrahlung

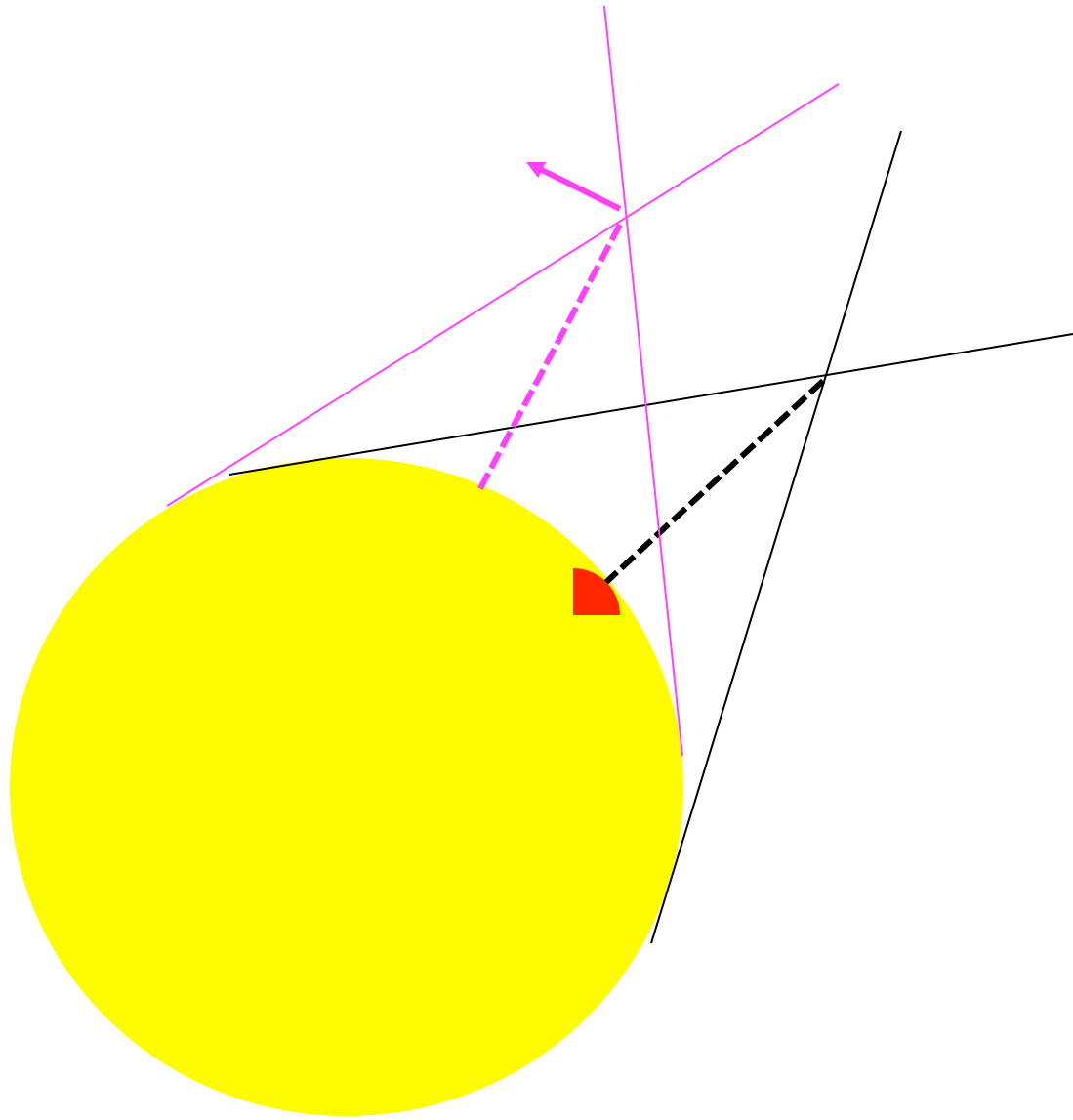


Lentz et al. *Ap.J.* **747**, 73 (2012)



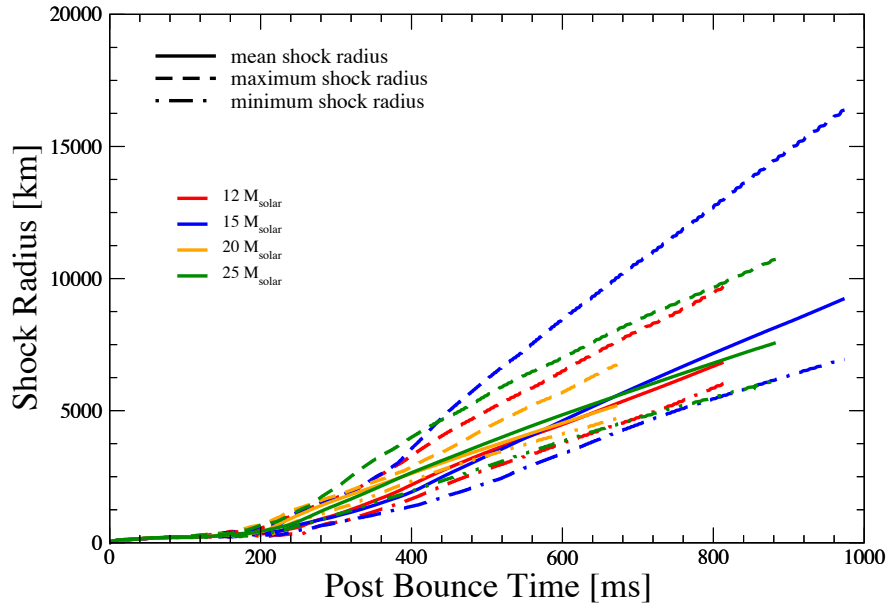
Bruenn et al. *Ap.J. Lett.* **767**, L6 (2013)





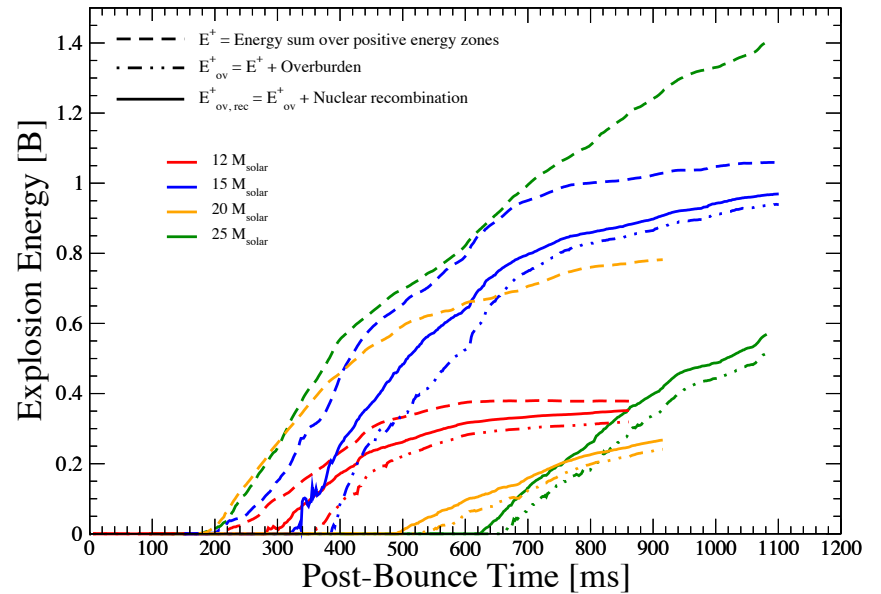
Mean, Minimum, and Maximum Shock Radii vs Post Bounce Time

12, 15, 20, and 25 Solar Mass W-H Progenitors; GR; Full Physics



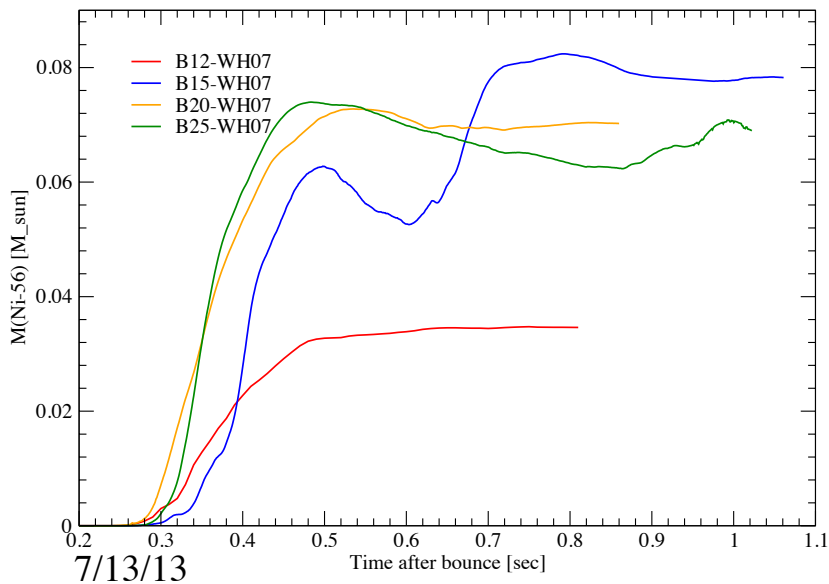
Explosion Energy vs Post-Bounce Time

Comparison of 12, 15, 20, and 25 M_{solar} W-H Progenitors, GR, Full Physics



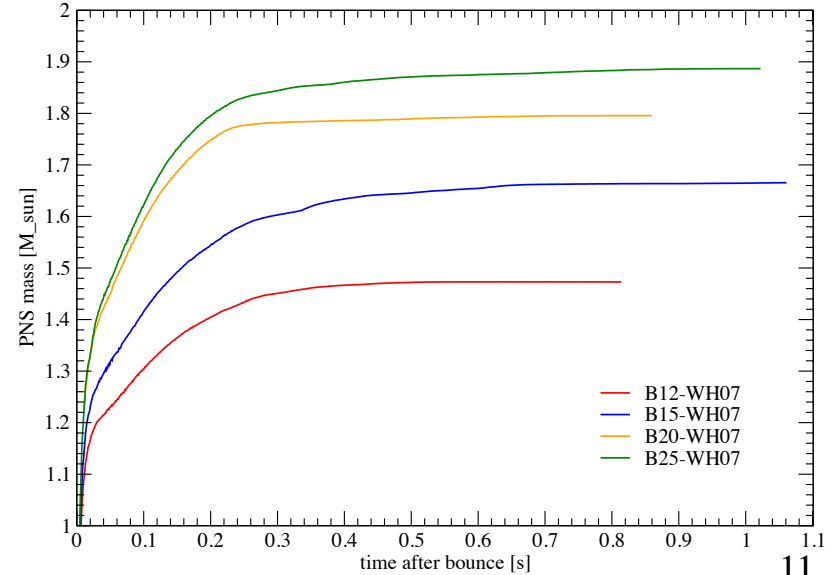
Ni-56 mass in unbound regions

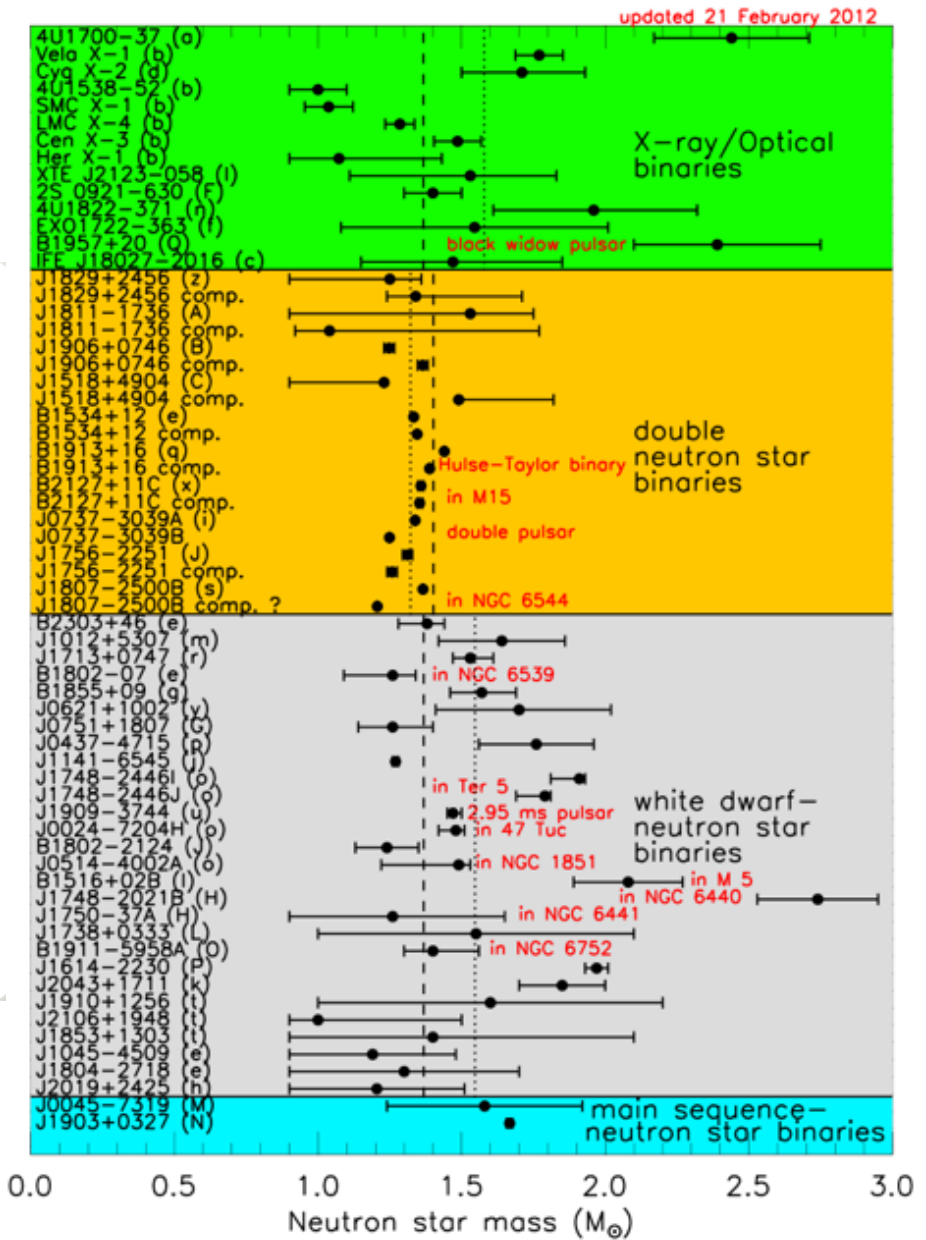
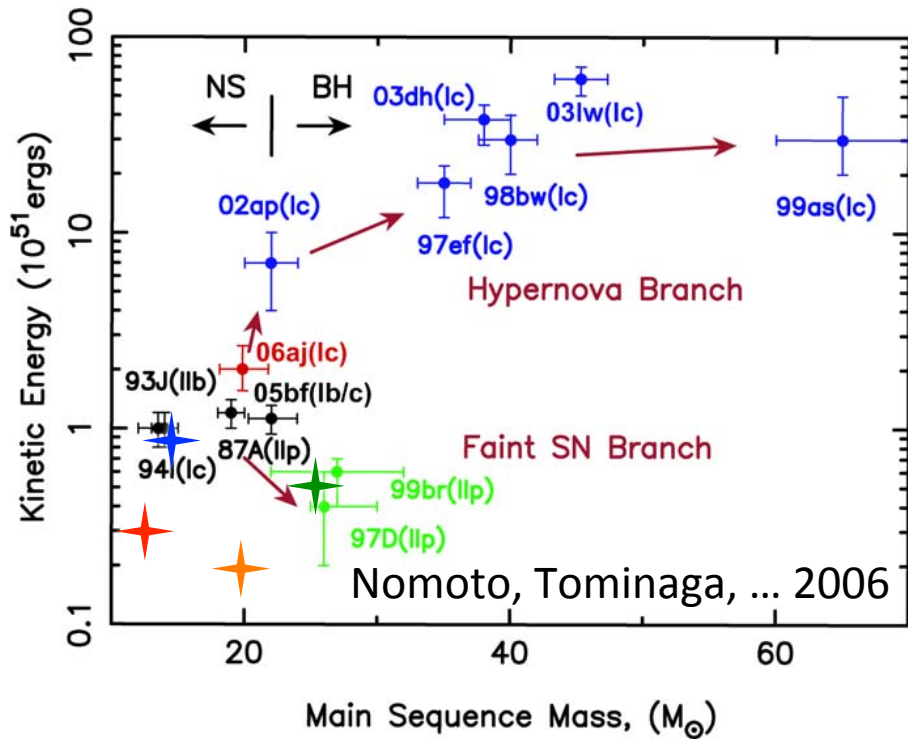
Sum over all unbound zones of X(Ni56); no recombination correction



PNS mass

B-series; $\rho > 1e11$ g/cc





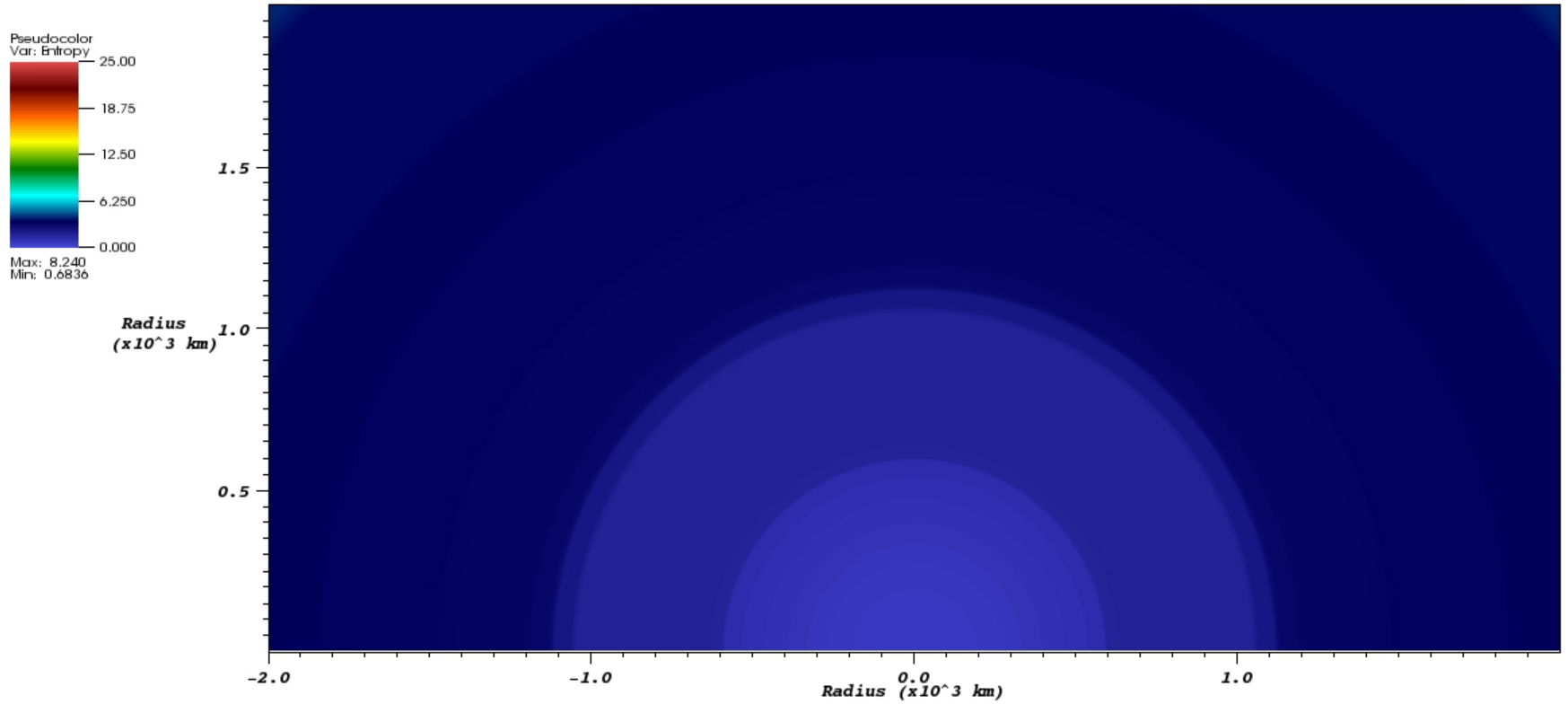
Lattimer and Prakash (2010)

Frame 00001

Time (elapsed) +0005.0

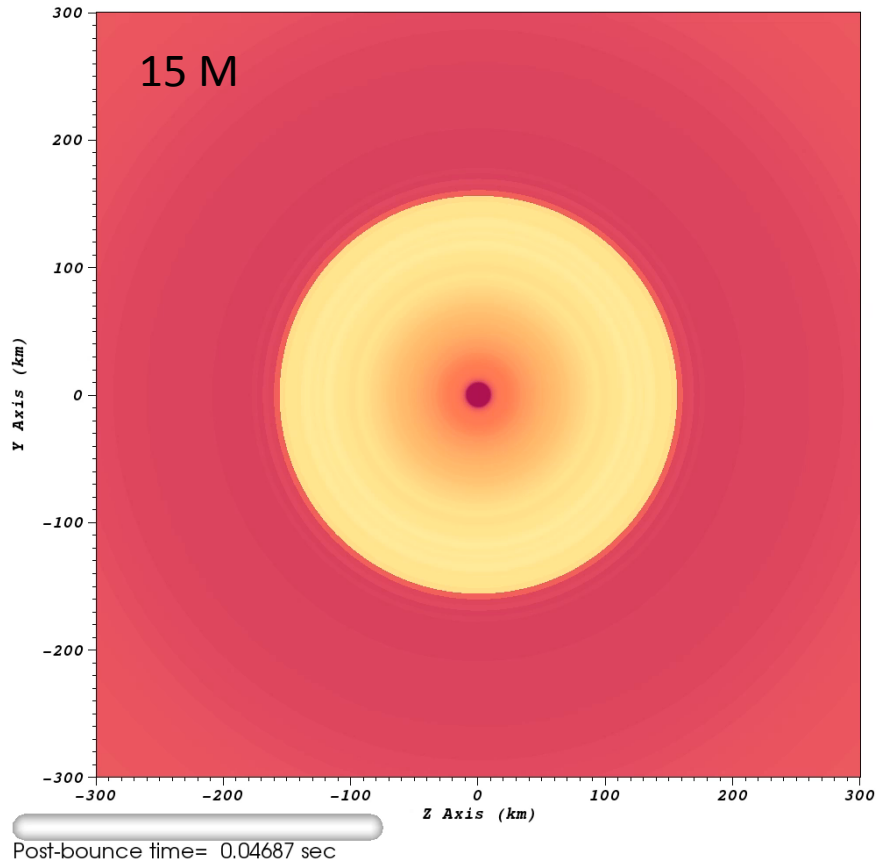
Time (bounce) -0258.2

GR, Full-Physics, 12M



Mon Mar 19 22:03:22 2012

Multi-Physics 3D Models



Lentz et al., in preparation

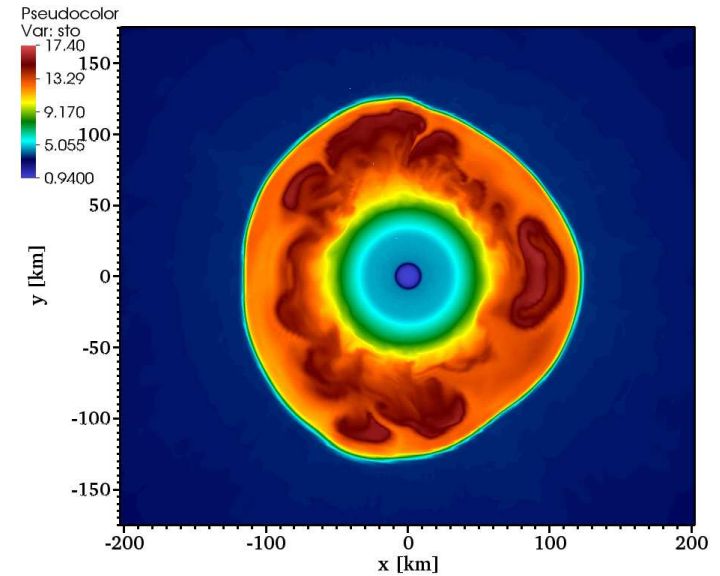


Figure 5. Snapshot of the entropy (color coded according to color bar at the upper left corner, in units of Boltzmann's constant k_b per nucleon) in the plane through the origin normal to the vector $\mathbf{n} = (-0.35, 0.93, 0.12)$ at a post-bounce time of 152 ms in the $27 M_{\odot}$ 3D model. The high-entropy plumes with high-order spherical harmonics pattern suggest buoyancy-driven convective overturn of neutrino-heated matter.

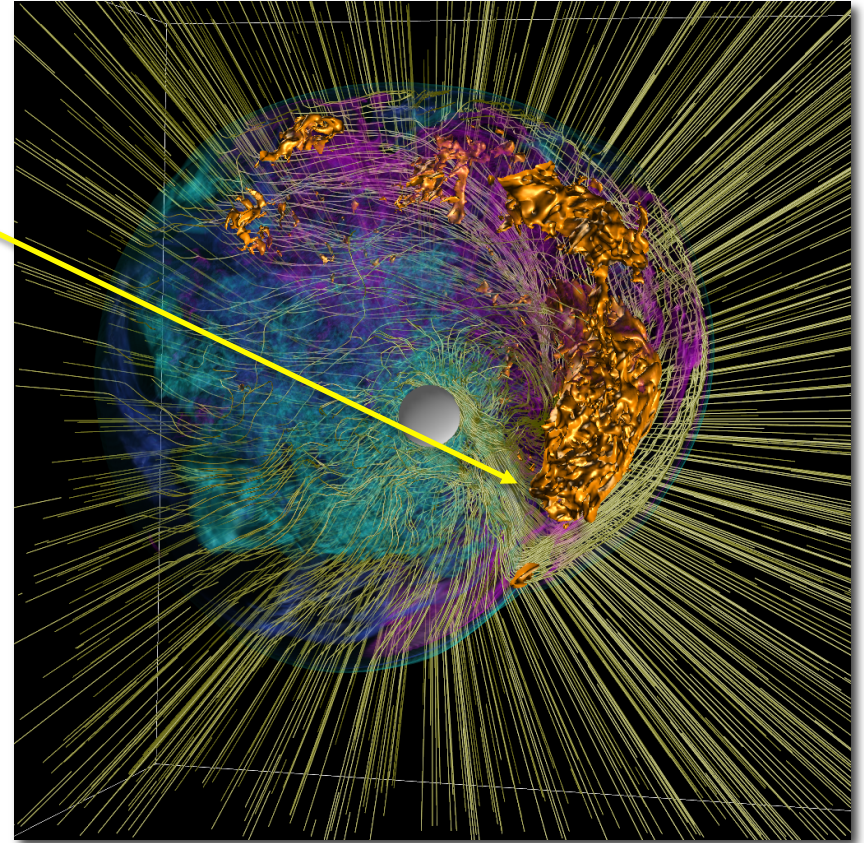
Hanke et al. 2013, astro-ph/1303.6269v1

David vs. Goliath: Turbulence vs. SASI

SASI induced shear layer in 3D induces turbulence via secondary instabilities (e.g., Kelvin-Helmholtz).

High-resolution 3D studies suggest that the energy of long-wavelength SASI modes may be sapped by short-wavelength modes via turbulence.

— Endeve et al. 2012. *Ap.J.* **751**, 26.



3D multi-physics simulations will be needed to determine how this plays out.

Outlook

Comparative quantitative analyses of 2D models

Mueller, Janka, and Marek 2012. *Ap.J.* **756**, 84.
Mueller, Janka, and Heger 2012. *Ap.J.* **761**, 72.
Bruenn et al. 2013. *Ap.J. Lett.* **767**, L6.

should be performed, ala' Liebendoerfer, Rampp,
Janka, and Mezzacappa *Ap.J.* **620**, 840 (2005)
and Mezzacappa and Bruenn *Ap.J.* **410**, 740 (1993).

*How will SASI and the turbulence
it generates interact?*

Final Frontier:
3D

Current 2D
Models:
Explosions
across
progenitors and
groups. *First
principles.*

2D Models of
1990s: Herant et
al. 1992, 1994,
etc. Explosions
across
progenitors and
supernova
groups.
Parameterized.

2D CCSN modeling needs to
mature as 1D modeling has.

OAK RIDGE COLLABORATION CODE LINES

Agile-BOLTZTRAN

1D
Boltzmann Neutrino Transport
Exact GR
State-of-the-Art Weak Physics
and EOS

CHIMERA

1D/2D/3D
Approximate MGFLD
Approximate GR
State-of-the-Art Weak Physics
and EOS
Adaptive (fixed-zone-number)
radial mesh.

GenASiS

3D
MGVET/Boltzmann Neutrino
Transport
MHD
Exact GR (with Singularity
Avoidance)
State-of-the-Art Weak Physics
and EOS
Cell-by-Cell AMR

CHIMERA Collaboration



Blondin
Mauney



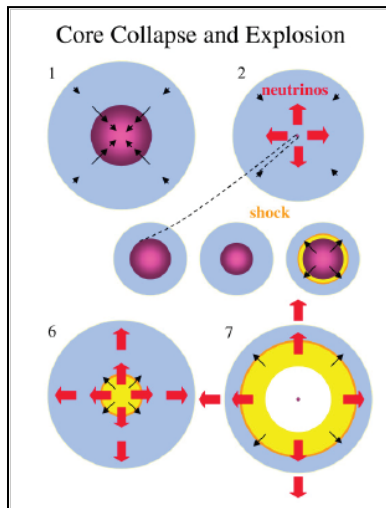
Bruenn
Marronetti

Funded by

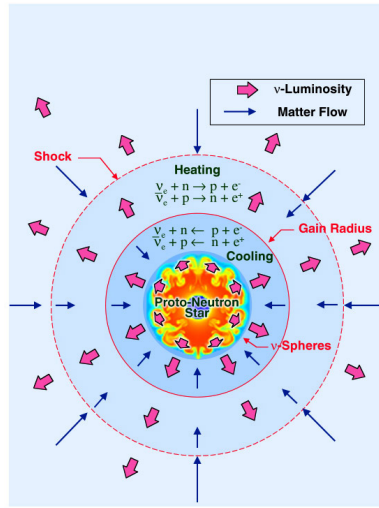


Chertkow
Endeve
Harris
Hix
Lentz
Messer
Mezzacappa
Parete-Koon
Yakunin

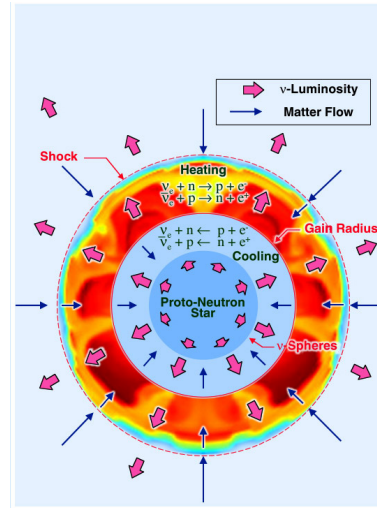
Sources of Gravitational Radiation



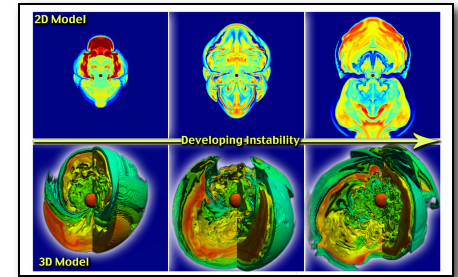
Core Bounce



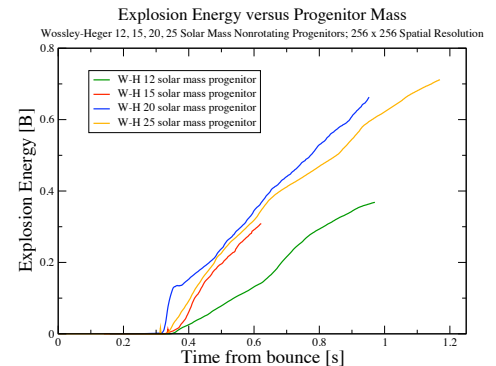
PNS Instabilities



Neutrino-Driven Convection



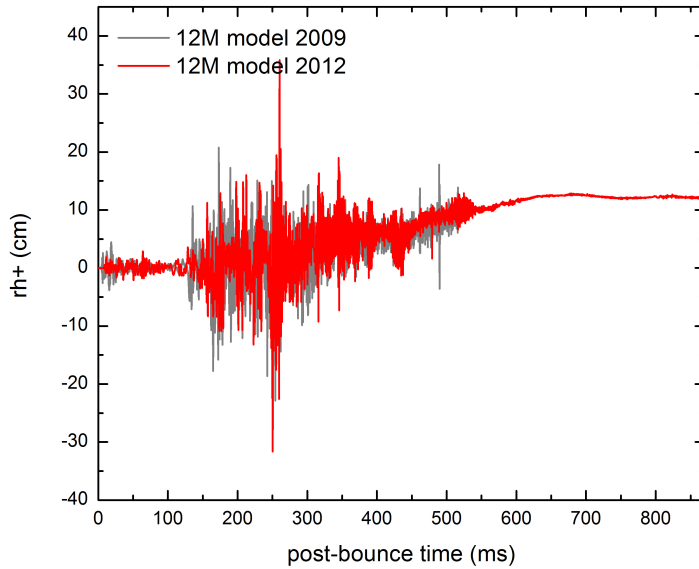
SASI



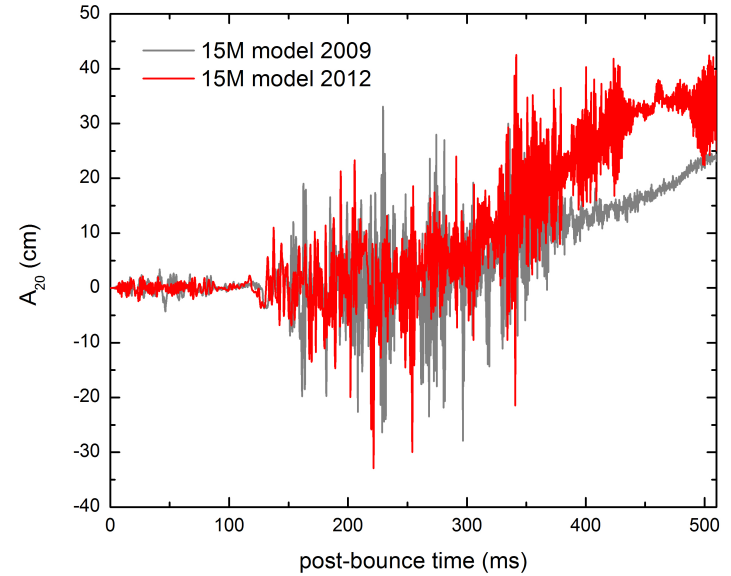
- Core Bounce: Requires realistic (3D) GR electron-neutrino transport.
1D: Liebendoerfer et al. 2001. PRD **63**, 103004.
- PNS Instabilities: Require realistic 3D GR multiflavor neutrino transport.
 1. Prompt convection.
 2. PNS convection.
 3. Doubly diffusive instabilities - see Bruenn and Dineva 1996, Ap.J. **458**, L71.
- Neutrino-Driven Convection and SASI: Require realistic 3D explosion models.
2D: Bruenn et al. 2013, *Ap.J. Lett.* **767**, L6; Mueller, Janka, and Marek 2012, *Ap.J.* **756**, 84.

Explosion

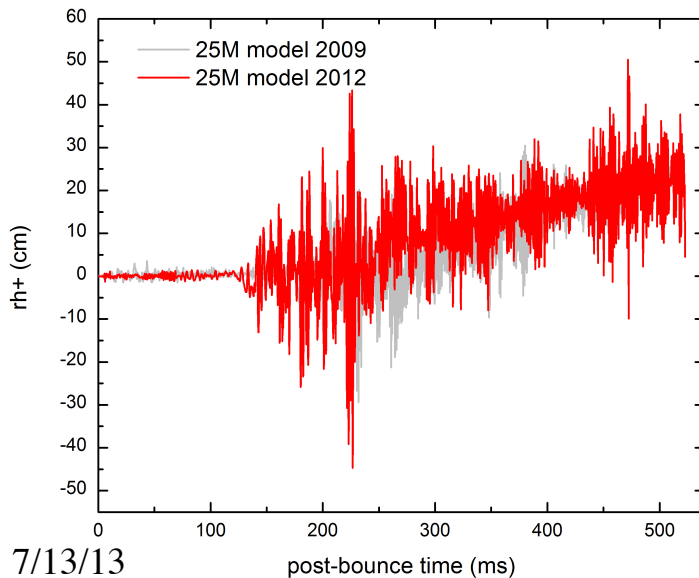
CHIMERA-2D Gravitational Waveforms



Chimera-2D: Gravitational Waveforms



Chimera-2D Gravitational Waveforms



Ab initio – i.e., non-parameterized – explosions allow us to predict more accurately the gravitational wave signatures.

Our signature predictions are being used by the LIGO collaboration to calibrate their analyses.

Yakunin et al. 2010, *Class. Quant. Grav.* **27**, 194005.