

Physical Properties of Gaseous Features In Barred Galaxies: Effects of the Bar Strength

The 8th ASTRONUM@Biarritz, France
July 3, 2013



Woong-Tae Kim

Woo-Young Seo

Yonghwi Kim

(Seoul National University,
Republic of Korea)

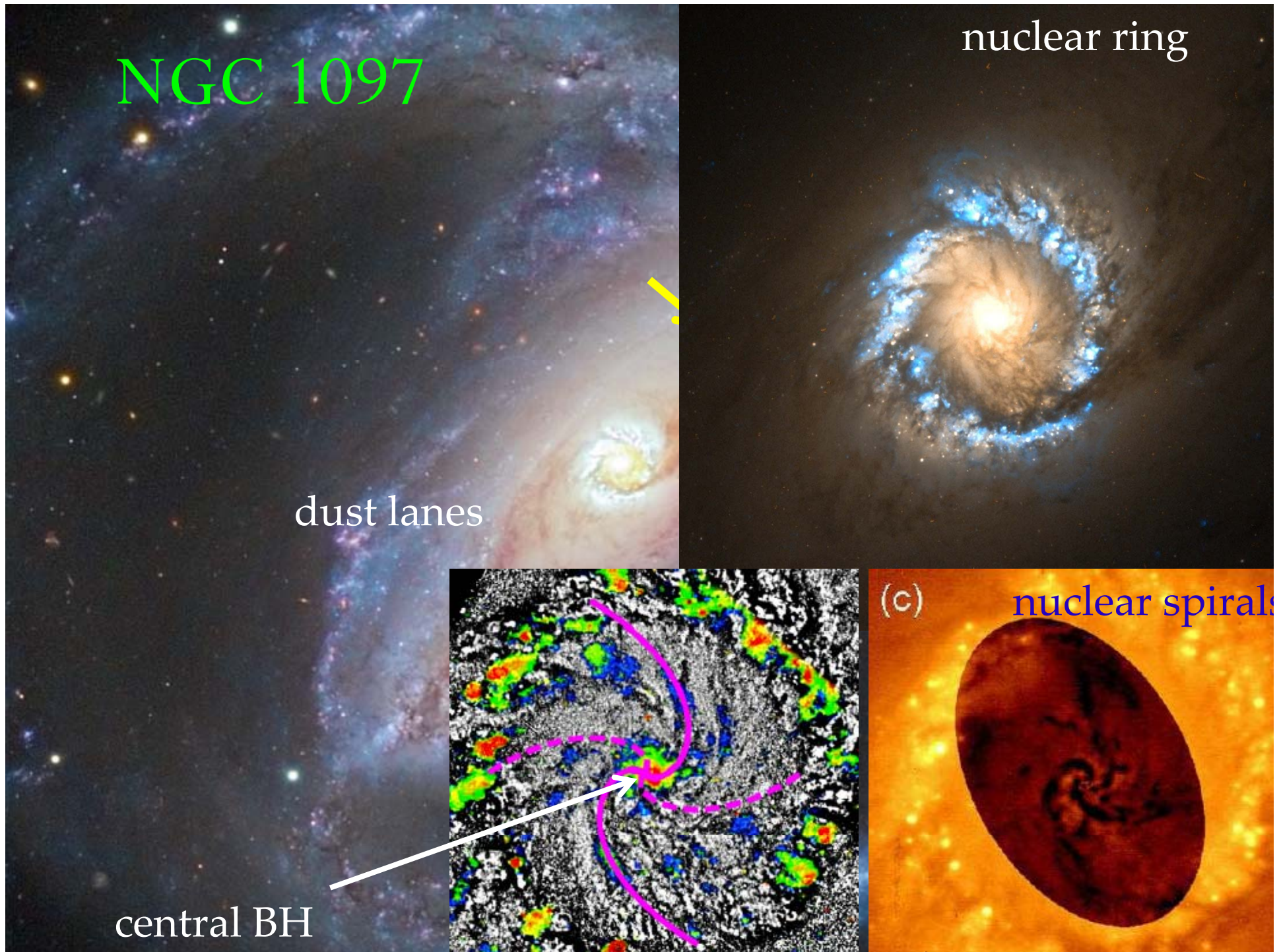
NGC 1097

dust lanes

central BH

nuclear ring

(c) nuclear spirals



- Some galaxies have relatively straight dust lanes, while others have curved ones.



NGC 6951: $\Delta\alpha=9^\circ$



NGC 4321: $\Delta\alpha=73^\circ$

Comeron et al. (2009)

- Some galaxies have a relatively large nuclear ring, while others have smaller one.



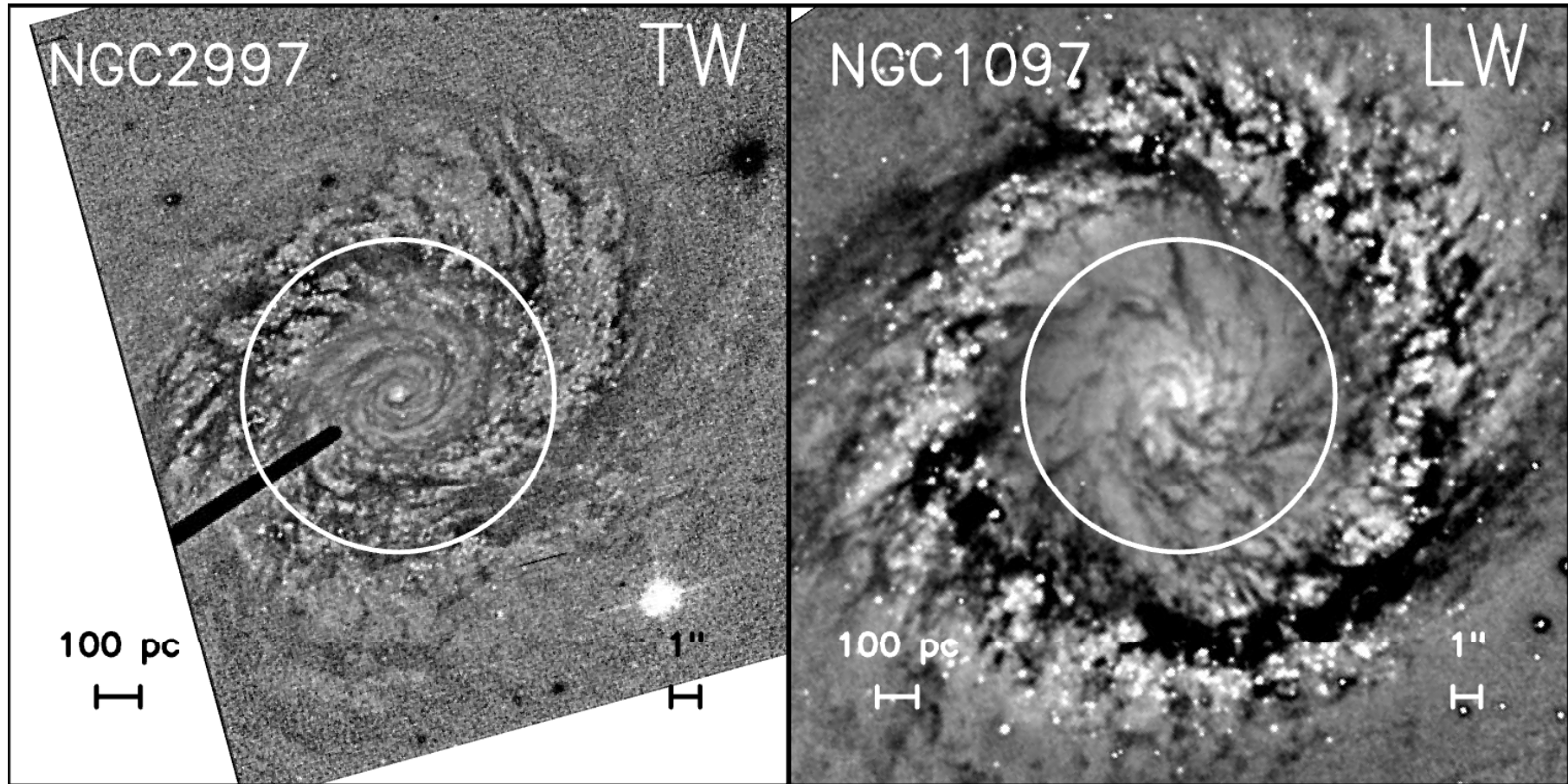
NGC 1343: $1.2\text{kpc} \times 0.9\text{kpc}$



NGC 1300: $0.3\text{kpc} \times 0.2\text{kpc}$

Mazzuca et al. (2009)

- Some galaxies have tightly wound nuclear spirals, while others have loosely wound ones.



Peeples & Martini (2006)

Nuclear Rings

- Regarding nuclear rings, it has been widely accepted that rings form via **resonant interactions** of the gas with the bar potential.
 - This notion was driven by the fact that observed nuclear rings are located near the **inner Lindblad resonances** (e.g., **Combes & Gerin 1985; Knapen et al. 1995; Comeron et al. 2010**).
- Yet, there is no convincing theoretical argument.
 - Bar torque is very weak near the ILRs.
 - Resonance is a secular process, occurring over a very long time scale.
 - Resonance tends to disperse the material, rather than gathering it (e.g., gaps in planetary rings and the asteroid belt).

Bar Model

- A normal galaxy with flat rotation at $v_c \sim 200$ km/s in outer parts

- $M_{\text{BH}} = 4 \times 10^7 M_{\odot}$

- Bar : **a Ferrers ellipsoid**

$$\rho = \begin{cases} \rho_{\text{bar}} (1 - g^2)^n & \text{for } g < 1, \\ 0 & \text{elsewhere,} \end{cases}$$

$$g^2 = y^2/a^2 + (x^2 + z^2)/b^2$$

- $n=1$ (central density concentration)

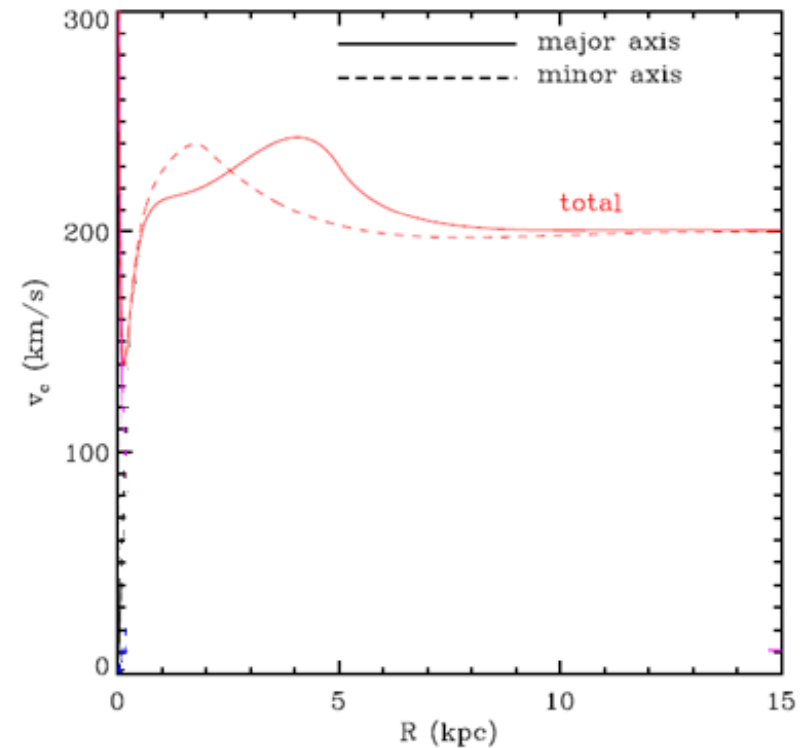
- Semi-major axis $a=5$ kpc

- Aspect ratio $R=a/b = 1.5 - 3.5$

- Bar mass $f_{\text{bar}} =$

$$M_{\text{bar}} / (M_{\text{bar}} + M_{\text{bulge}}) = 8\% - 60\%$$

- $\Omega_b = 33$ km/s/kpc ($R_{\text{CO}}=6$ kpc)



$$f_{\text{bar}} = 30\%$$

$$R = 2.5,$$

$$M_{\text{BH}} = 4 \times 10^7 M_{\odot}$$

Bar Strength

- The most important parameter that controls the properties of bar substructures is the **bar strength** Q_b defined by

$$Q_b = \frac{F_T}{F_R} \Big|_{\max}$$

where F_T = tangential force due to a bar

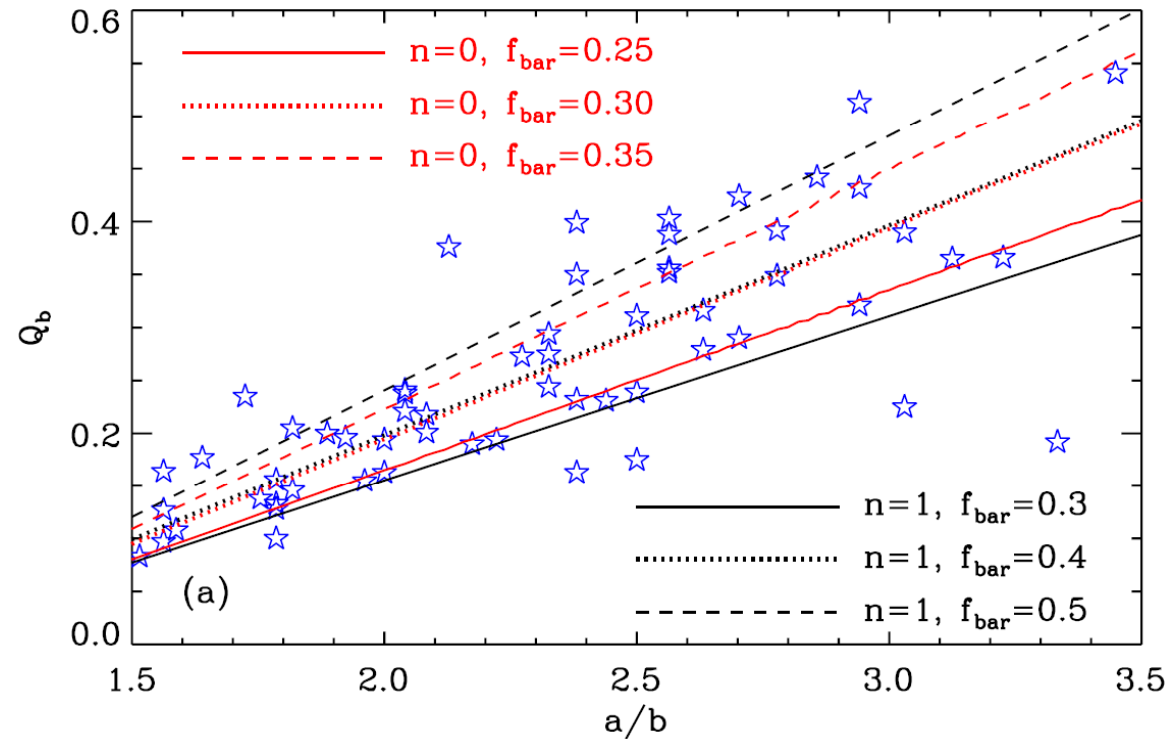
F_R = radial force due to mass distribution

(e.g., Combes & Sanders 1981; Laurikainen & Salo 2002; Block et al. 2004; Laurikainen et al. 2004, 2006; Peeples & Martini 2006; Comeron et al. 2009, 2010)

- For our galaxy models with Ferrers bar,

$$Q_b = \begin{cases} 0.58 f_{\text{bar}}^{0.89} (a/b - 1), & \text{for } n = 0, \\ 0.44 f_{\text{bar}}^{0.87} (a/b - 1), & \text{for } n = 1, \\ 0.38 f_{\text{bar}}^{0.79} (a/b - 1), & \text{for } n = 2 \end{cases}$$

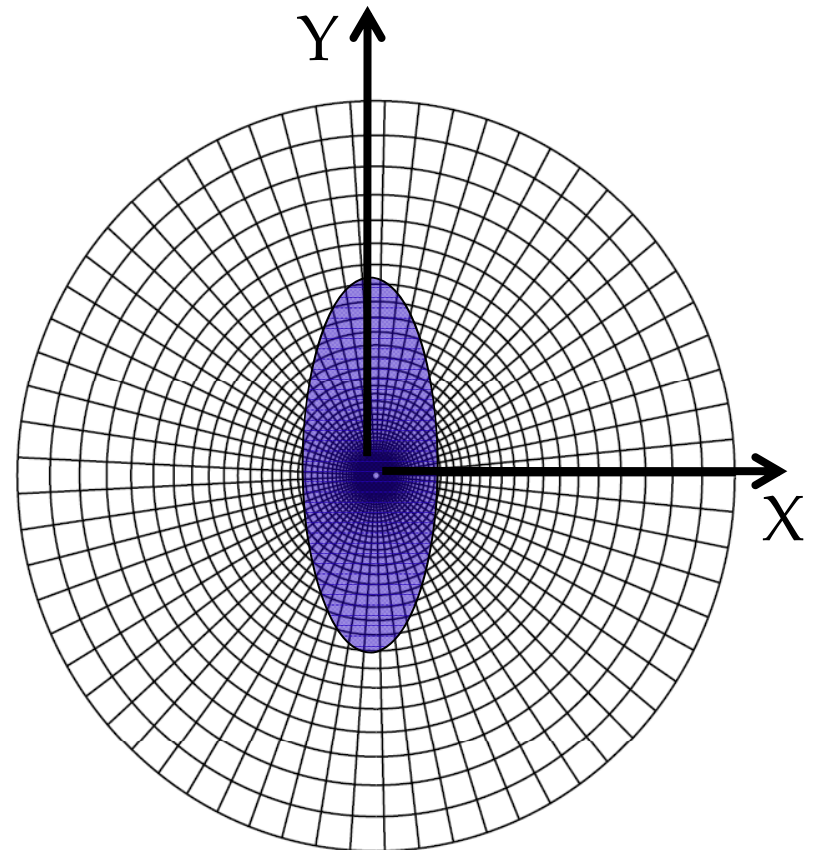
Bar Strength of Model Galaxies vs. Observations



- The trend of Q_b becoming larger for a more longated bar in the observational estimates (Comeron et al. 2010) is consistent with the results of our galaxy models.
 - $f_{\text{bar}} = 0.3\text{--}0.5$ for $n = 1$
 - $f_{\text{bar}} = 0.25\text{--}0.35$ for $n = 0$

Numerical Method

- **CMHOG** Code (**C**onnection **M**achine **H**igher **O**rders **G**odunov)
 - Grid-based code in cylindrical geometry
- Logarithmically-spaced cylindrical grid with 1024x480 zones
- The bar is oriented along the y-axis.
- The gaseous disk is self-gravitating and isothermal ($c_s=10$ km/s) without magnetic fields.
- The ideal HD equations are solved in a frame rotating with the bar.
- No back reaction of the gas to the stellar bar.
- In order to avoid strong transients, the amplitude of the bar potential is slowly increased over ~ 200 Myr.



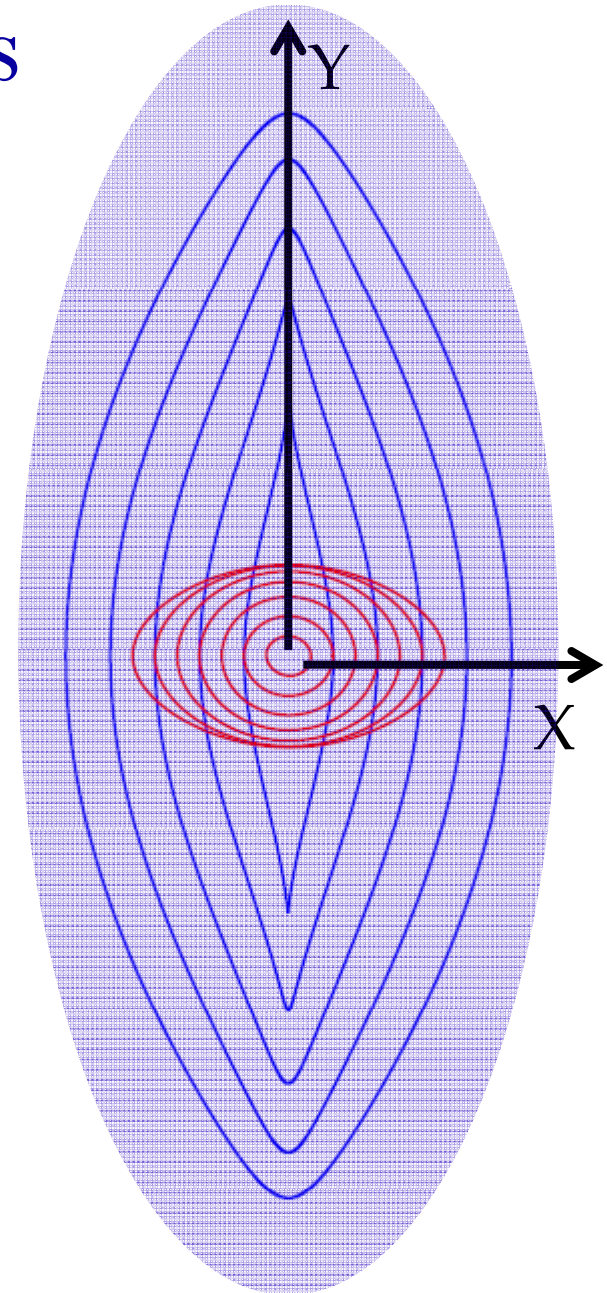
x_1 and x_2 Orbits

- In the presence of an non-axisymmetric potential, angular momentum is not conserved, while **Jacobian integral** defined by

$$E_J = \frac{1}{2}|\dot{r}|^2 + \Phi_{\text{eff}}$$

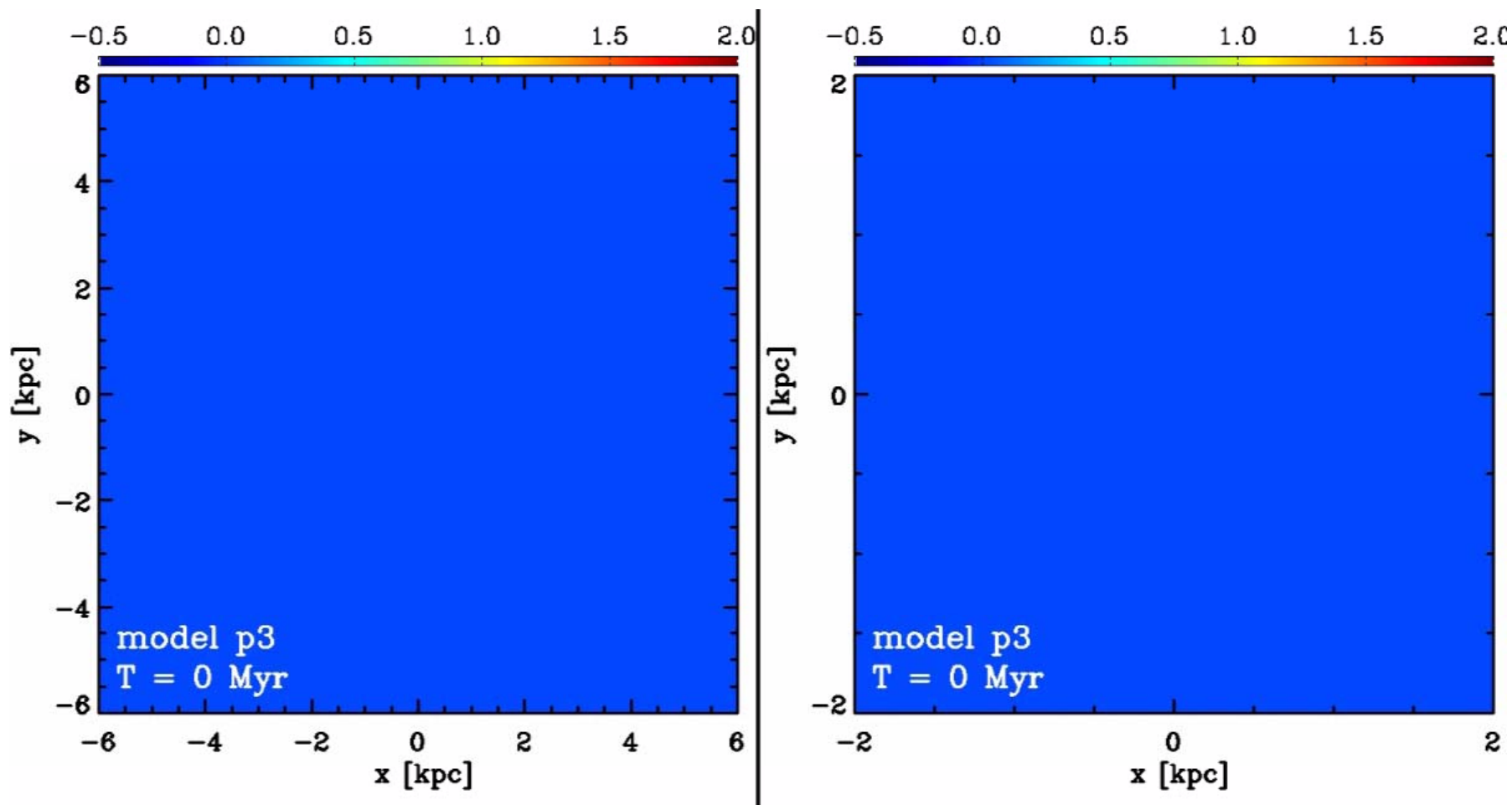
is conserved.

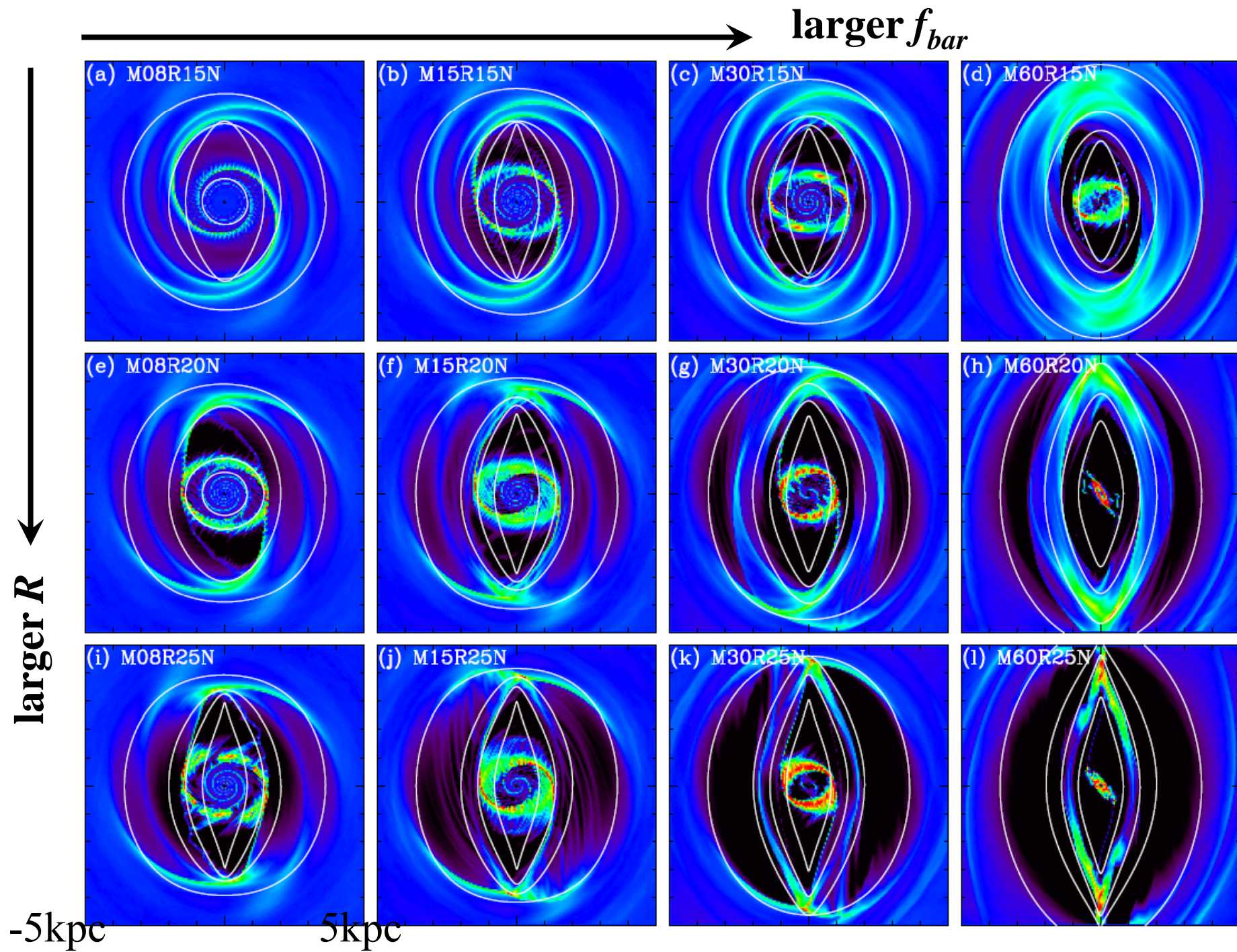
- Two (prograde) closed-orbit families in the rotating frame (**Contopoulos & Papayannopoulos 1980**):
 - **x_1 orbits** elongated along the bar major axis
 - Support the bar potential.
 - Associated with dust lanes.
 - **x_2 orbits** aligned along the bar minor axis
 - Associated with nuclear rings.



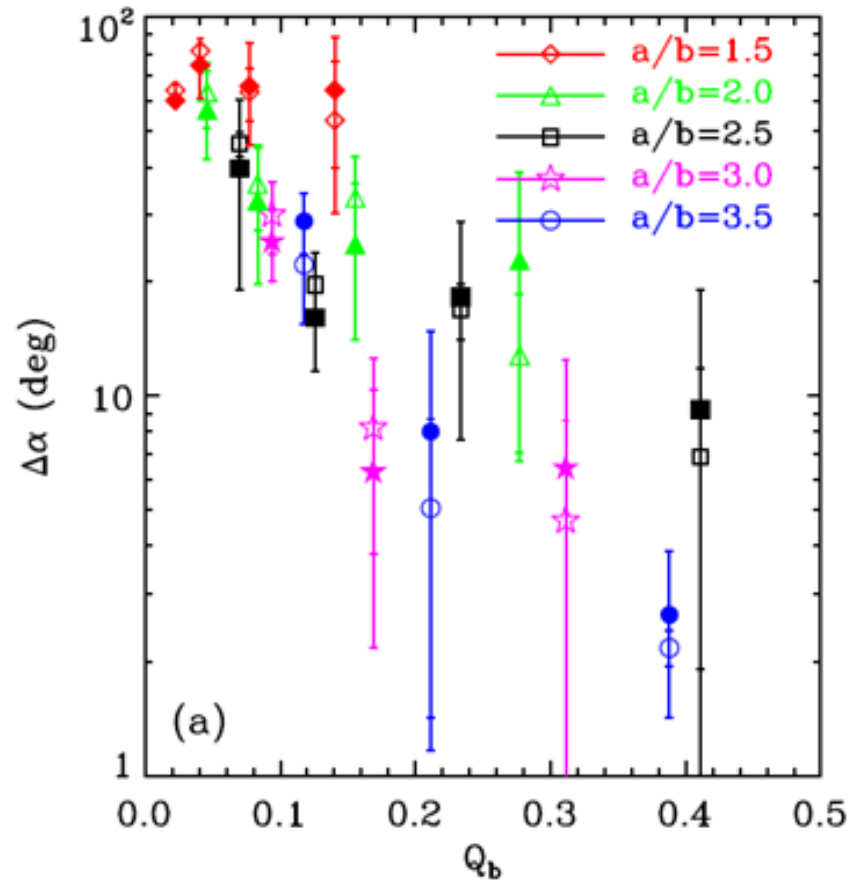
Model with $Q_b=0.23$ ($f_{\text{bar}}=0.3$, $a/b=2.5$)

Kim et al. (2012)





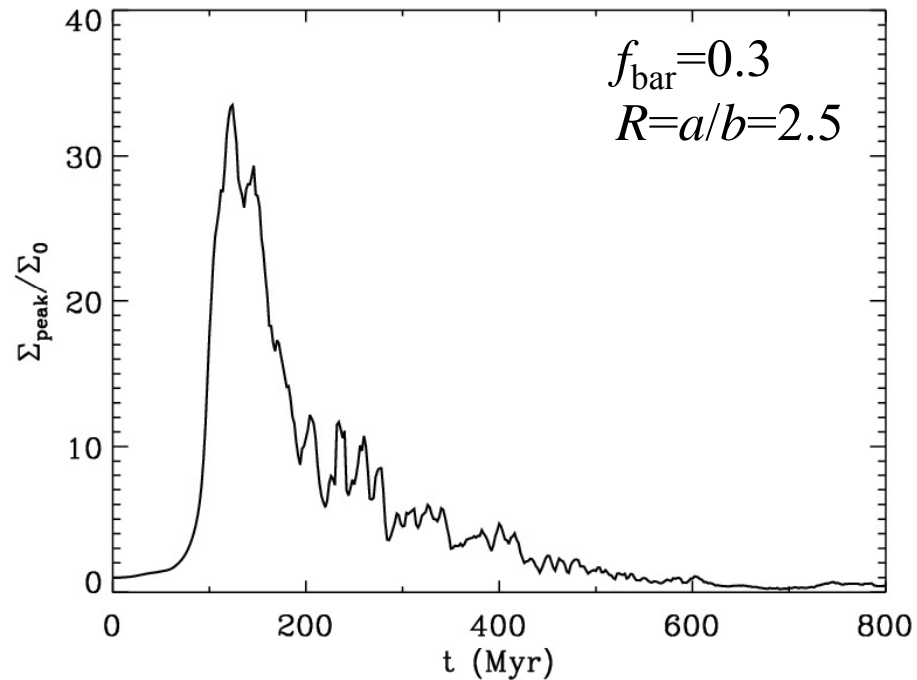
Curvature $\Delta\alpha$ of Dust Lanes



(Average is taken over 250-350 Myr)

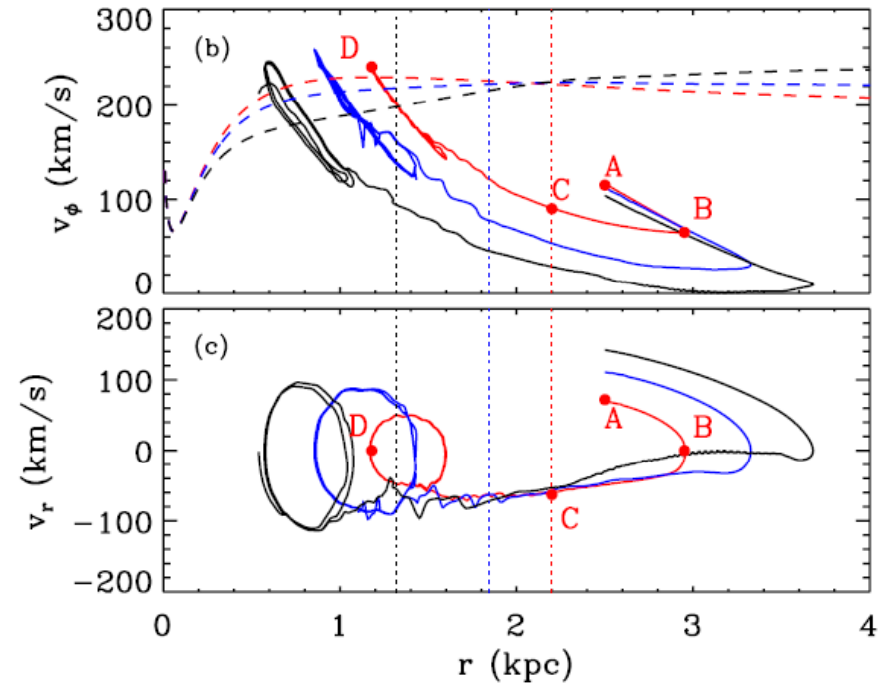
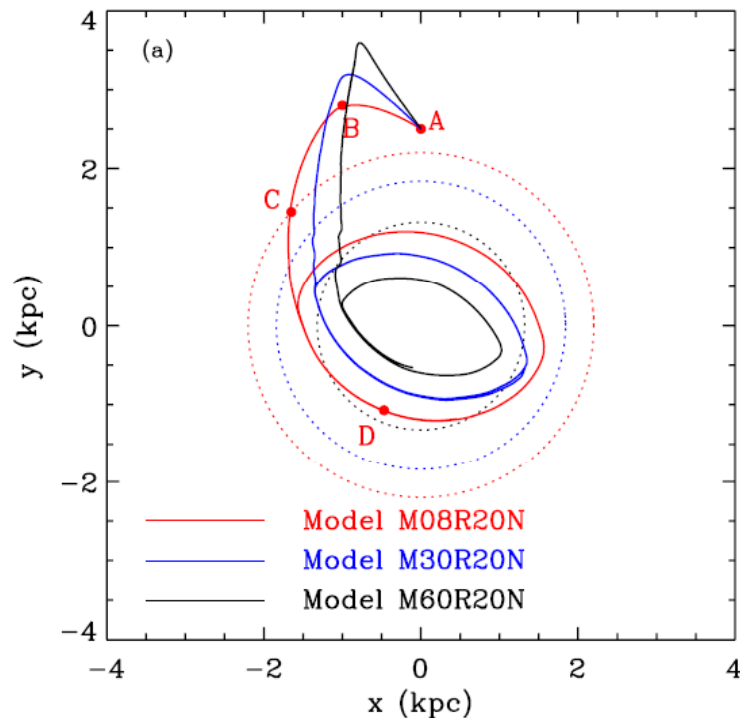
- Overall, the shape of dust lanes is well described by x_1 orbits.
- A stronger and more elongated bar has more straight dust lanes (Athanasoula 1992; Knapen et al. 2002; Comeron et al. 2009).

Strength of Dust Lanes



- Dust lanes remain strong only for 100 Myr around the time when the bar potential achieves the full strength.
 - The rapid decline of the strength of dust lanes is primarily due to the fact that the gas only inside the outermost x_1 -orbit can respond strongly to the bar potential to lower its orbits.

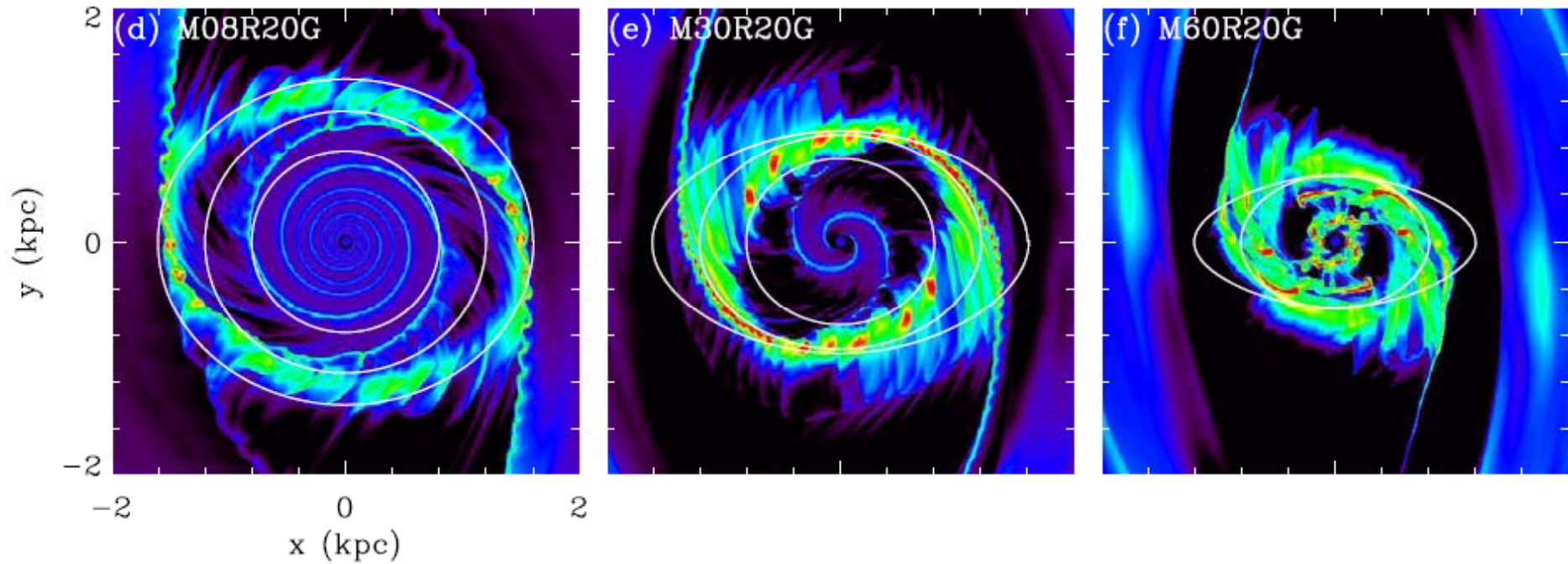
Ring Formation



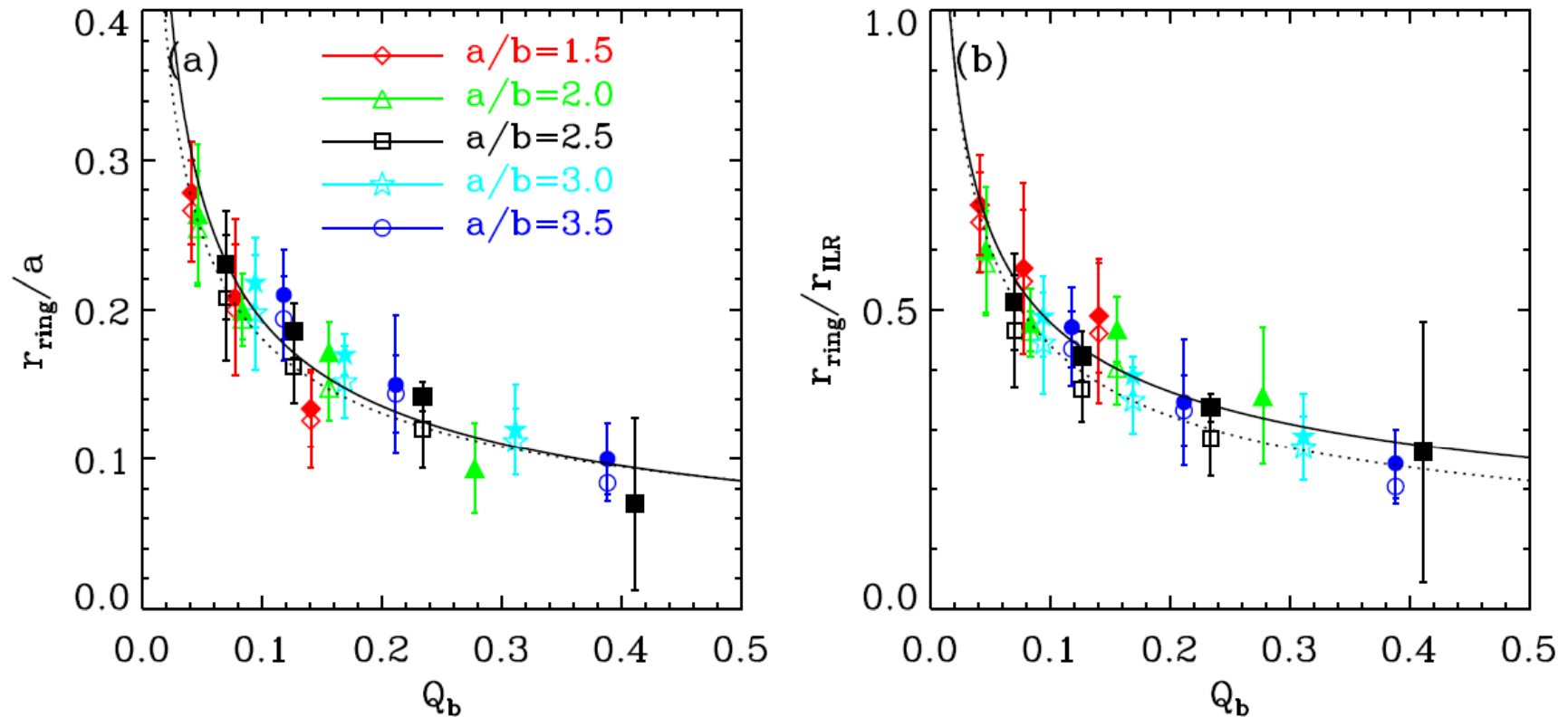
- The inflowing speed is so large that the bar torque cannot stop gas motions across the ILR.
- The inflowing gas keeps moving in and eventually forms a nuclear ring at the location where the centrifugal force balances the external gravitational force.

Nuclear Rings

larger Q_b

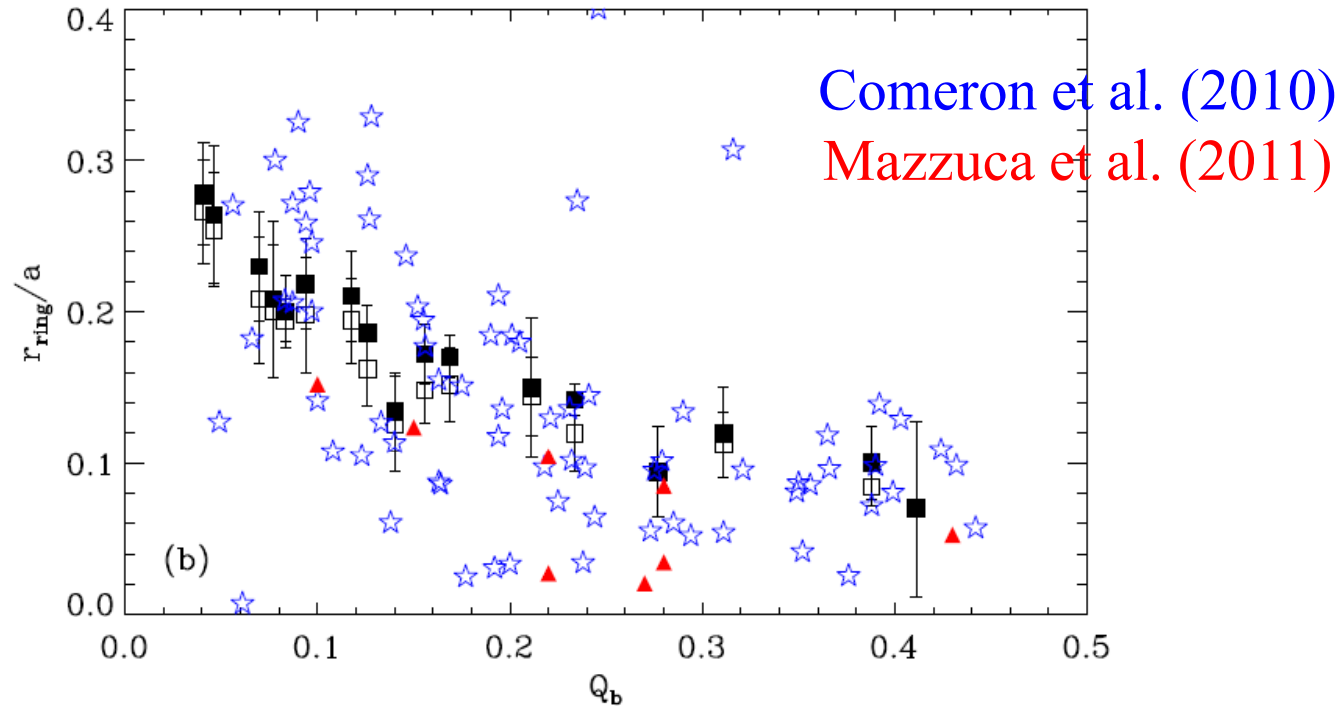


Ring Size



- The ring position is in general inside the inner Lindblad resonance of the bar potential.
- Rings are smaller in models with a stronger bar.

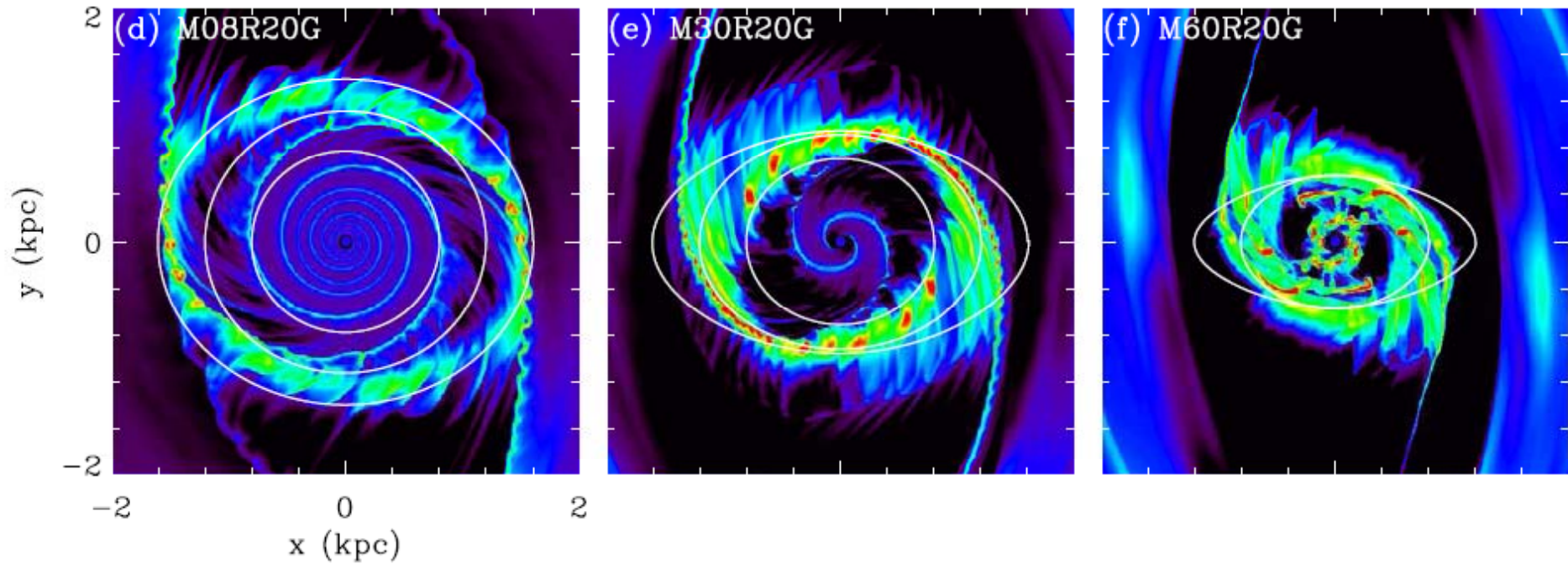
Comparison With Observed Ring Sizes



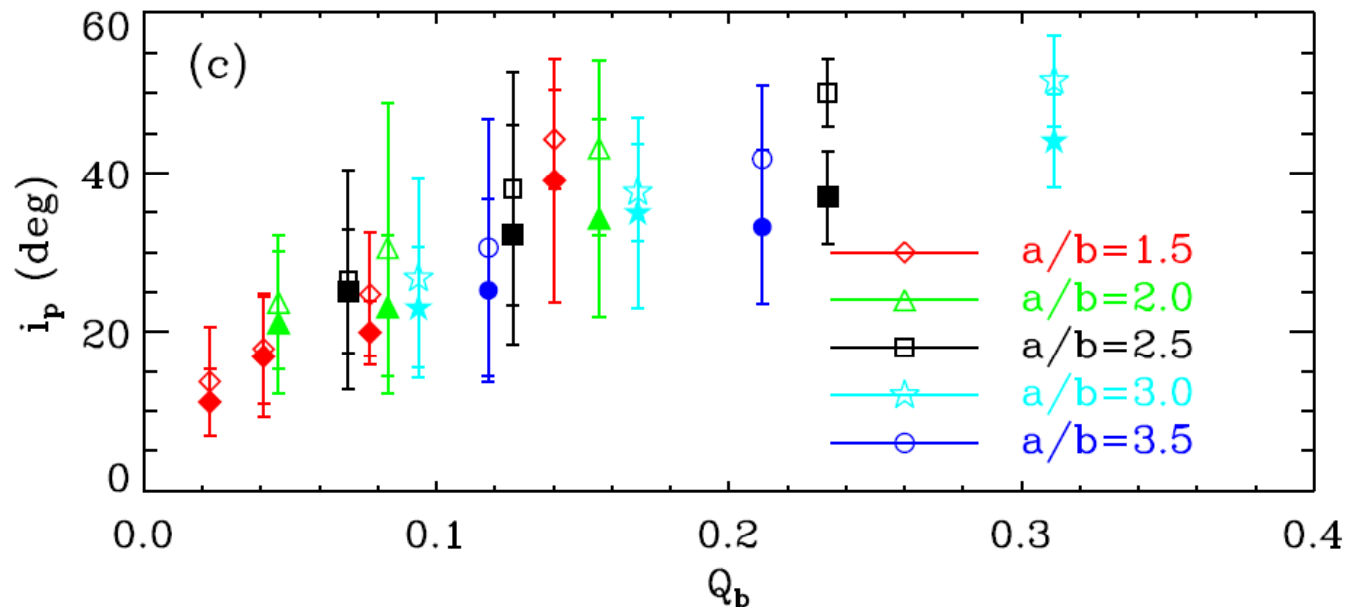
- Both observational and numerical results show that stronger bars can possess smaller rings.
- For $Q_b < 0.15$, the agreement between observational and numerical results is quite good.
- For $Q_b > 0.15$, the ring size in our models corresponds roughly to the upper envelope of the observational results.

Nuclear Spirals

larger Q_b



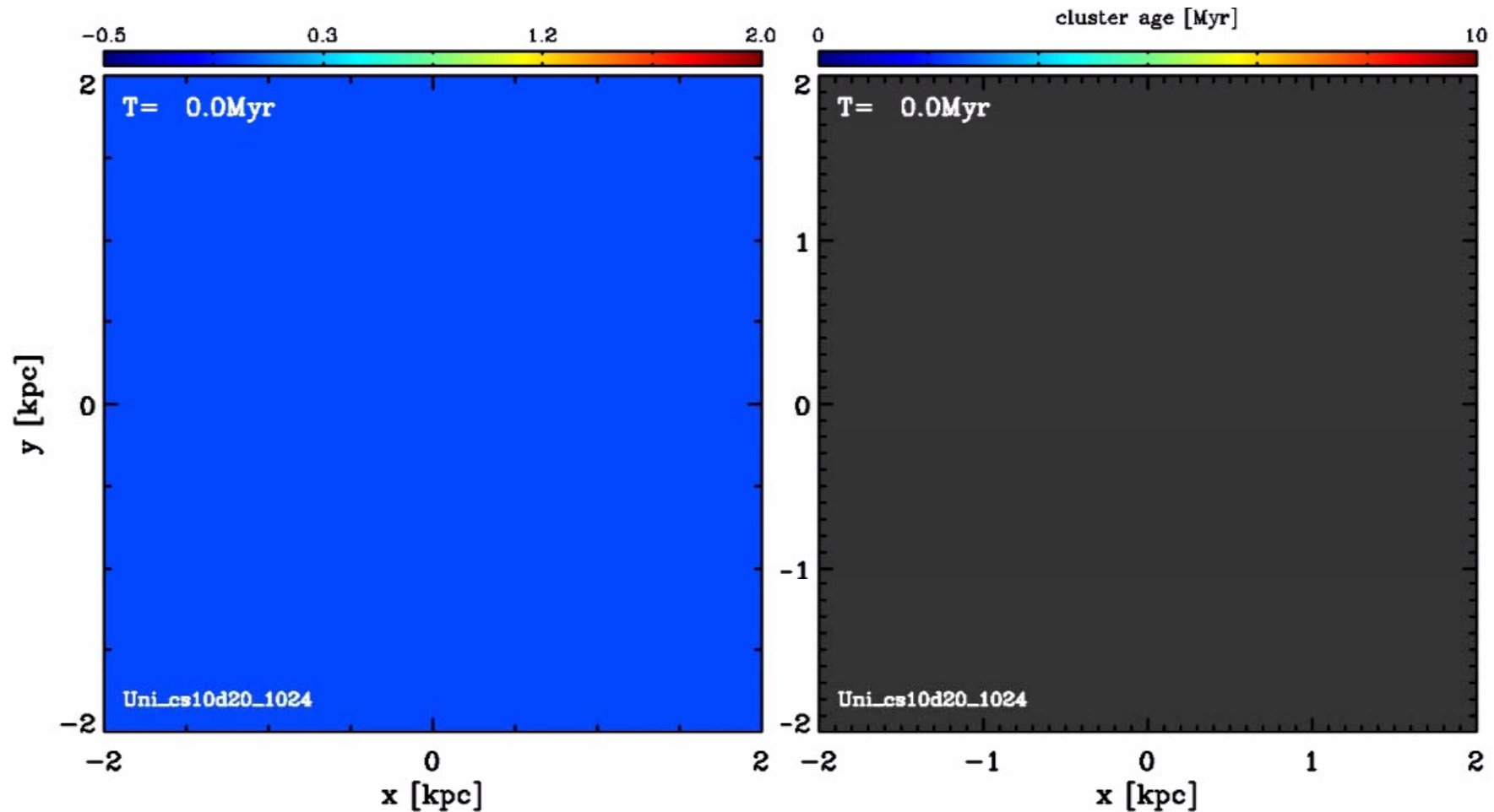
averaged over $t = 0.3\text{--}0.5$ Gyr



- Since nuclear spirals grow and unwind faster as Q_b increases, the probability of having more tightly-wound and weaker spirals is larger for galaxies with a weaker bar torque.
 - consistent with the observational results that tightly wound spirals are found primarily in weakly barred galaxies, while loosely wound spirals are more common in strongly barred galaxies (Peeples & Martini 2006; Martini et al. 2003a,b).

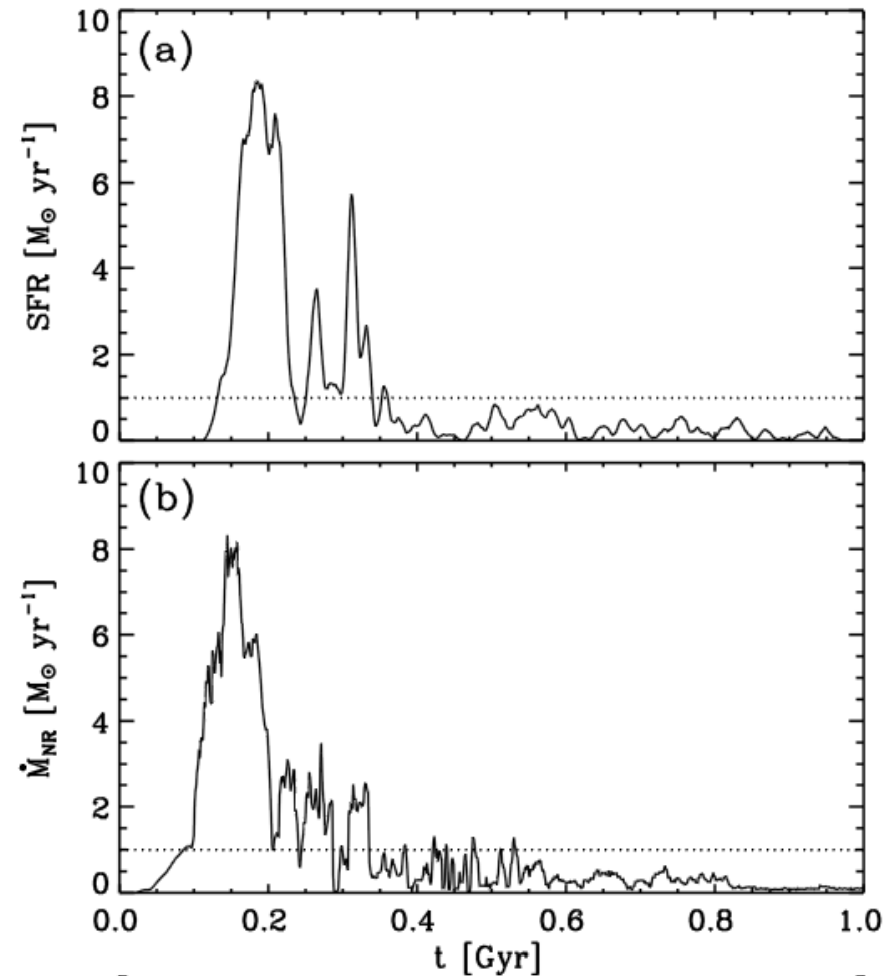
Star Formation In Nuclear Rings

(Seo & Kim 2013)



Ring Star Formation Rate

- Star formation rate in the nuclear rings is well correlated with the mass inflow rate to the rings.
- SFR shows a strong primary burst lasting for about 100 Myr and then decays to small values below $\sim 1 M_{\odot} \text{ yr}^{-1}$.
 - Contrast to observational results that show that ring star formation is long lived lasting for 1-1.5 Gyr, with multiple episodes (Allard et al. 2006; Sarzi et al. 2007; van der Laan et al 2013)



Summary

- The bar strength Q_b is the most important parameter in governing the physical properties of gaseous substructures in barred galaxies.
 - Dust lanes tend to be more straight under a stronger and more elongated bar.
 - The ring position is determined **not by the resonance** but by the bar strength.
 - Nuclear spirals unwind faster in more strongly barred galaxies.
- It appears that the gas in the bar regions should be replenished continuously or continually in order to explain observed **strong dust lanes** as well as **prolonged SF** in nuclear rings of barred galaxies.