

DAPNIA-SPhT Joint Seminar, 21 May 2007

Exotic Neutrino Physics

in the light of LSND, MiniBooNE and other data

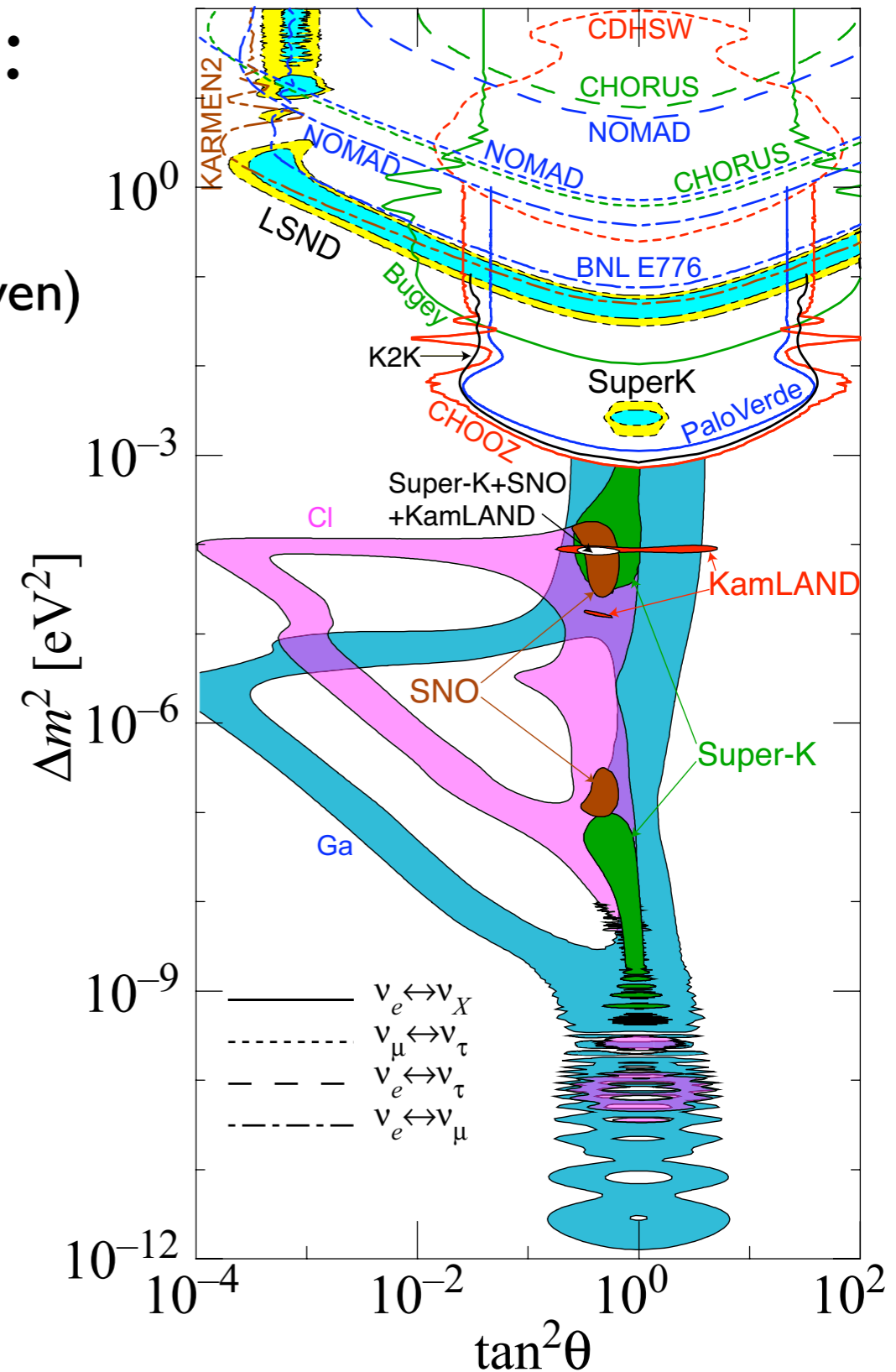
Marco Cirelli + Stéphane Lavignac
SPhT - CEA/Saclay

Introduction

Neutrino Physics (pre-MiniBooNE):

Everything fits in terms of:

3 neutrino oscillations (mass-driven)



<http://hitoshi.berkeley.edu/neutrino>

Particle Data Group 2006

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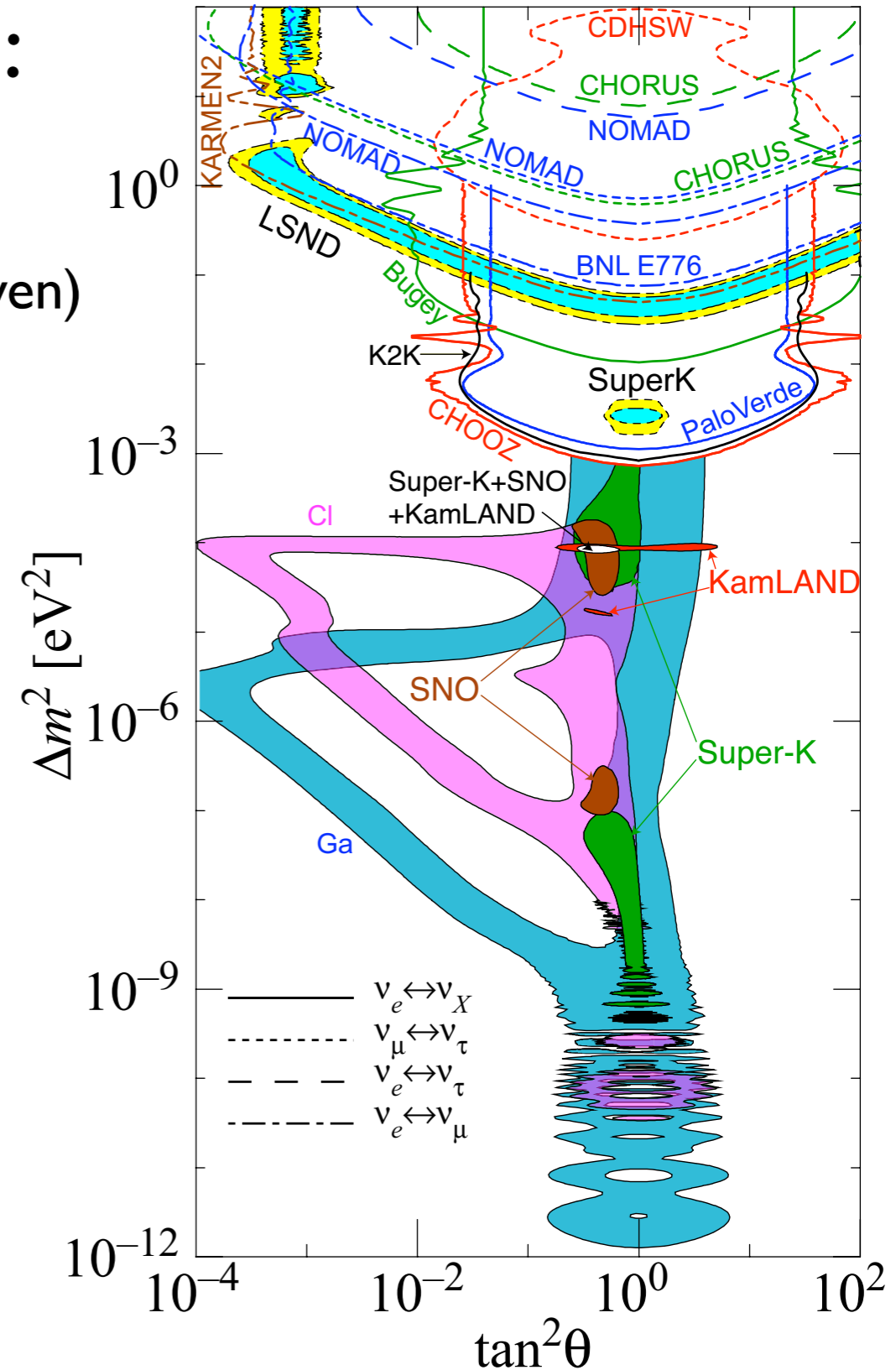
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Simple ingredients:

$$\nu_e, \nu_\mu, \nu_\tau \quad m_1, m_2, m_3$$

$$\theta_{12}, \theta_{23}, \theta_{13} \quad \delta_{CP}$$



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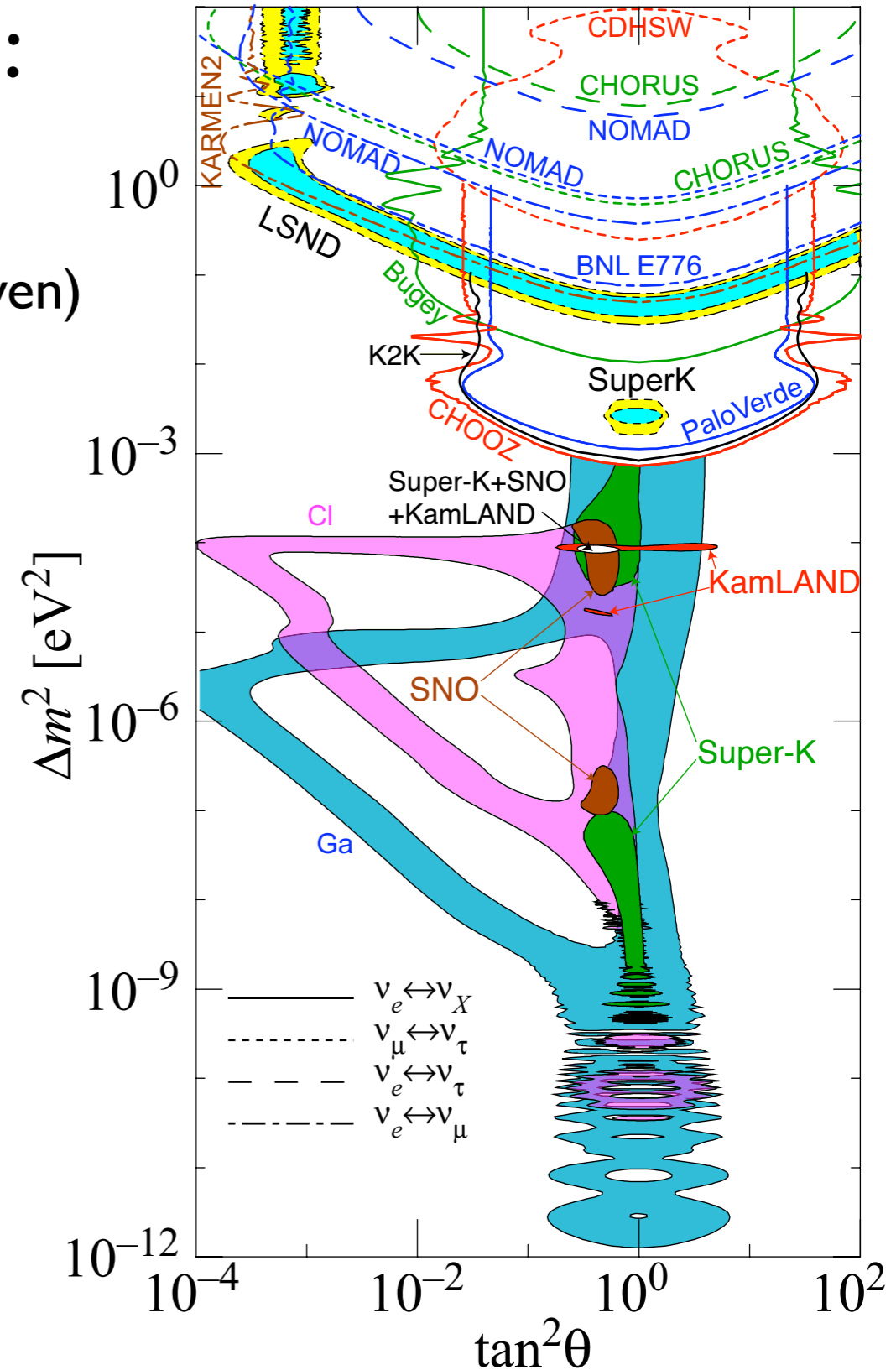
Simple theory:

$$|\nu\rangle = \cos\theta|\nu_1\rangle + \sin\theta|\nu_2\rangle$$

$$|\nu(t)\rangle = e^{-E_1 t} \cos\theta|\nu_1\rangle + e^{-E_2 t} \sin\theta|\nu_2\rangle$$

$$E_i = p + m_i^2/2p$$

$$P(\nu_\alpha \rightarrow \nu_\beta) = \sin^2 2\theta_{\alpha\beta} \sin^2 \frac{\Delta m^2 L}{E}$$



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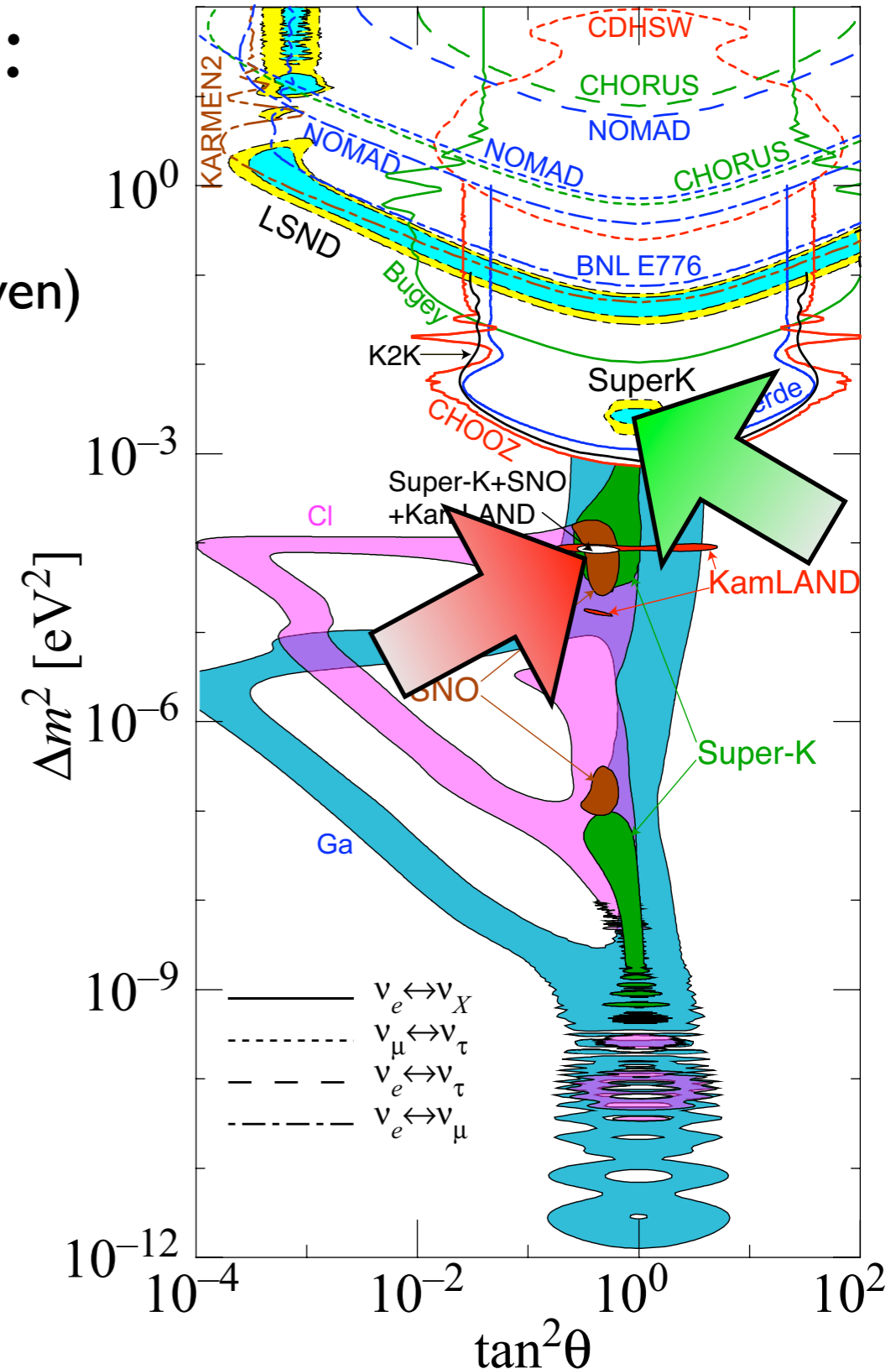
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Simple phenomenology:

$$\text{solar } \nu_e \rightarrow \nu_{\mu,\tau}: \quad \Delta m_{21}^2, \theta_{12}$$

$$\text{atmo } \nu_\mu \rightarrow \nu_\tau: \quad \Delta m_{32}^2, \theta_{23}$$

$$\text{SBL } \nu_{e,\mu} \rightarrow \nu_x: \quad \Delta m_{32}^2, \theta_{13}$$



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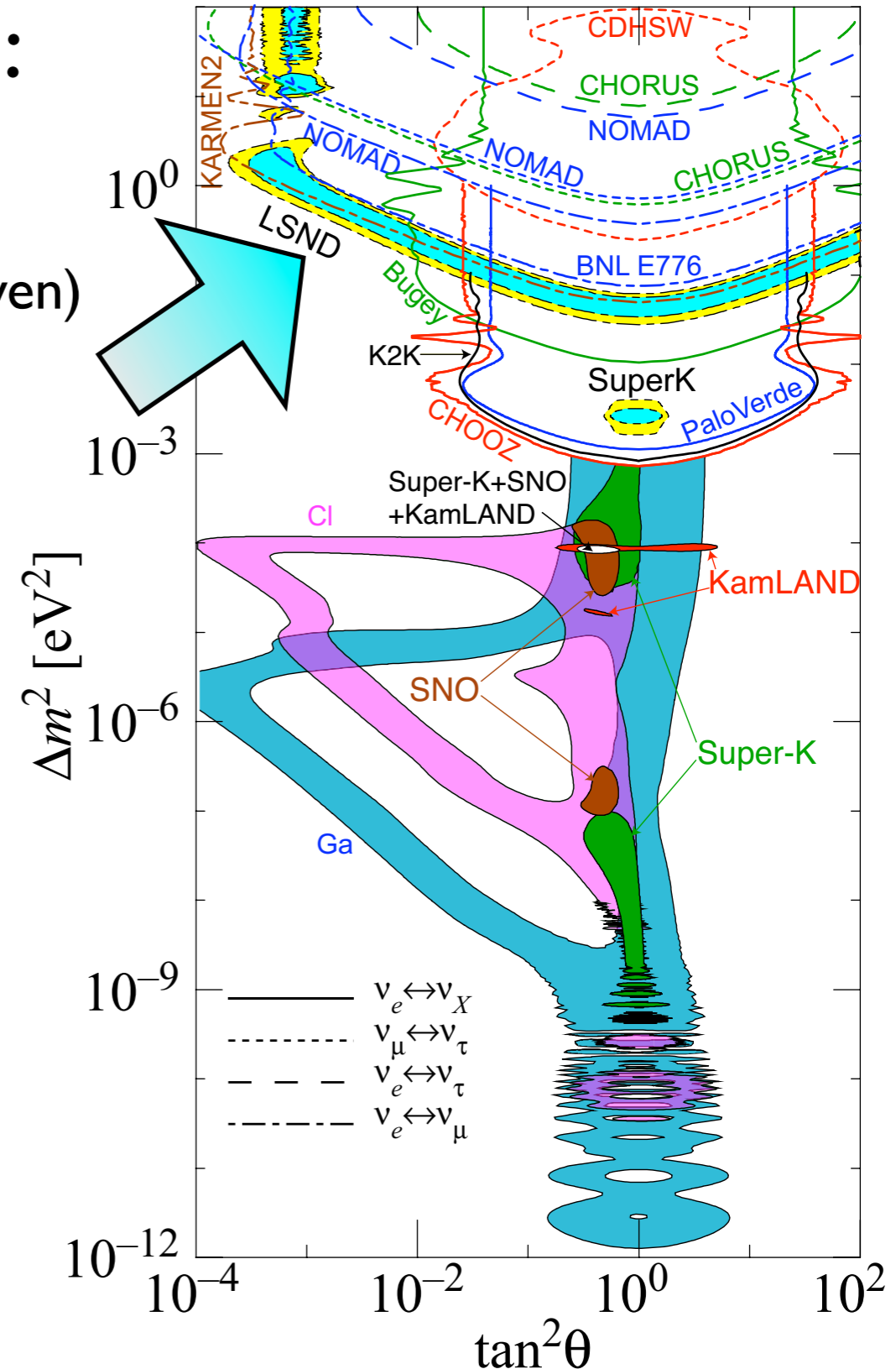
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$$P(\nu_\alpha \rightarrow \nu_\beta) = \sin^2 2\theta_{\alpha\beta} \sin^2 \frac{\Delta m^2 L}{E}$$

But: LSND does not fit:

$$\Delta m_{LSND}^2 \simeq 1 \text{ eV}^2$$

$$\theta_{LSND} \simeq 10^{-3}$$




<http://hitoshi.berkeley.edu/neutrino>

Particle Data Group 2006

Introduction

The LSND signal does not fit.

Complicate the simple picture:  add **new flavours**
modify oscillation physics
(more or less radically)

Sterile neutrinos, ~~CPT~~, ~~Lorentz~~, **MaVaNs**, **xDims**,
anomalous muon decay, **neutrino decay**...

Beyond resolving the LSND puzzle, this exotic neutrino physics might be justified by *new physics* beyond the SM, and might give rise to *subleading* effects in other neutrino experiments.

Introduction

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We will review aspects of:

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Why ~~Lorentz~~ and/or ~~CPT~~

- Lorentz, CPT: - **fundamental** ingredients of ordinary Quantum Field Theories (including the SM)
- have been **tested** with **high precision**
(K^0 - \bar{K}^0 system, charged lepton sector...)

Why should they be violated in the **neutrino** sector?

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Why should they be violated in the **neutrino** sector?

- neutrinos are “special”: no conserved charge, can be Majorana \Rightarrow requires new physics beyond SM
- $m_\nu \sim \text{eV}$ suggests $\Lambda_{\text{new}} \sim \frac{M_{\text{weak}}^2}{m_\nu} \sim 10^{-4} M_{\text{Pl}}$:
Quantum Gravity might violate Lorentz and/or CPT

Still **very speculative** possibilities!

Lorentz

Basics

- Possible **origin**:
- spontaneous breaking
 - non trivial background in x-dim
 - non-commutative field theory
 - quantum gravity...

In absence of an explicit model, **parameterize** as:

Colladay, Kostelecky 1997

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{Lorentz}}$$

for neutrinos (renormalizable case): Kostelecky, Mewes 2003

$$\mathcal{L}_{\text{Lorentz}} = (a_\mu)_{ij} \bar{L}_i \gamma^\mu L_j + \frac{i}{2} (c_{\mu\nu})_{ij} \bar{L}_i \gamma^\mu \overleftrightarrow{D}^\nu L_j$$

charged leptons interactions $\Rightarrow \frac{a_\mu}{\text{GeV}}, c_{\mu\nu}$ must be tiny

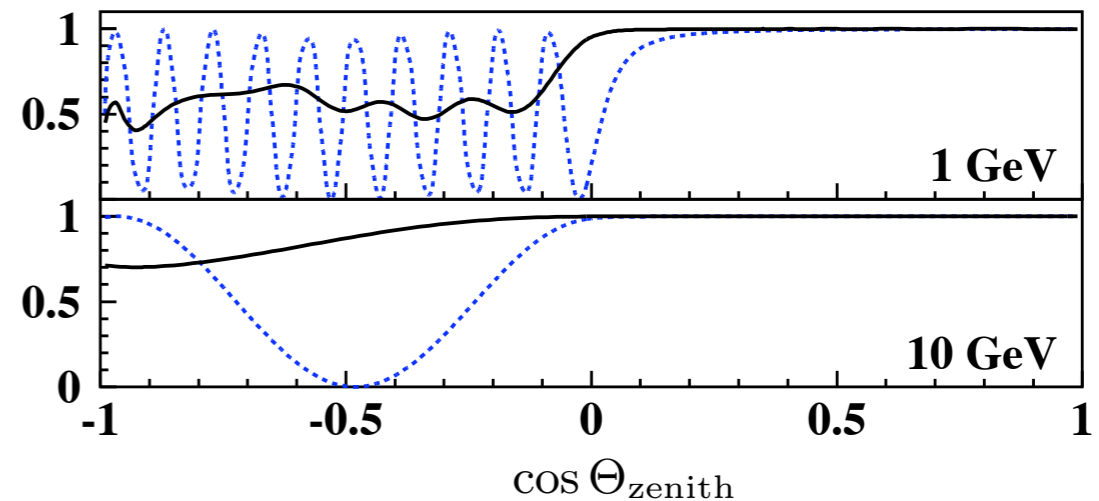
but $\sim 10^{-17}$ is enough to affect neutrino propagation!

Lorentz phenomenology

- Unusual **energy dependence** of flavor conversions:

instead of usual $\frac{L}{E}$: **L** or **LE**

however *conspiracies* can reproduce the usual dependance at given energies:

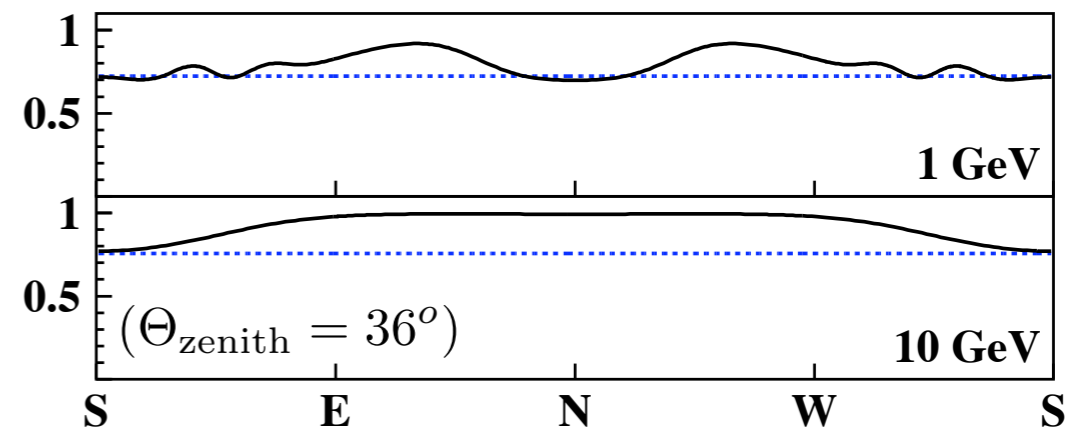


Kostelecky, Mewes 2003

- **Direction dependence** of flavor conversions:

atmospheric neutrinos at SK:

$P_{\nu_\mu \rightarrow \nu_\mu}$ depends on *azimuthal* angle

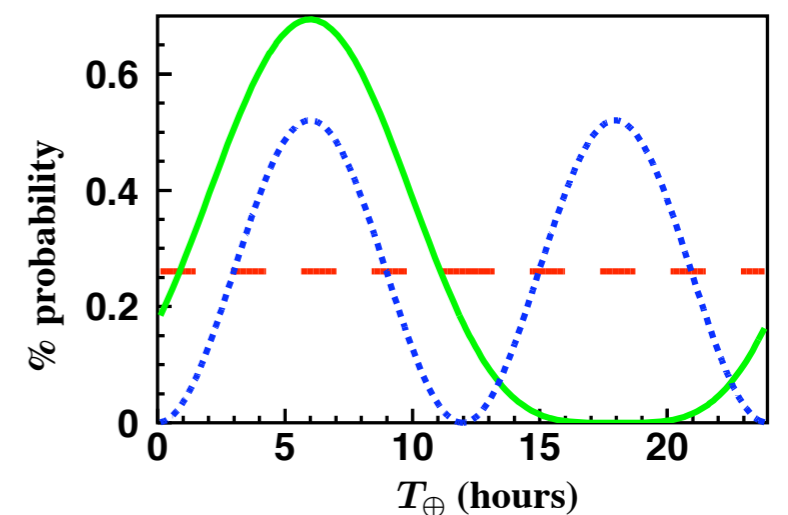


Kostelecky, Mewes 2003

terrestrial experiments:

$P_{\bar{\nu}_\mu \rightarrow \bar{\nu}_e}$ changes due to Earth rotation

(plot: LSND, with day average $\langle P_{\bar{\nu}_\mu \rightarrow \bar{\nu}_e} \rangle = 0.26\%$)



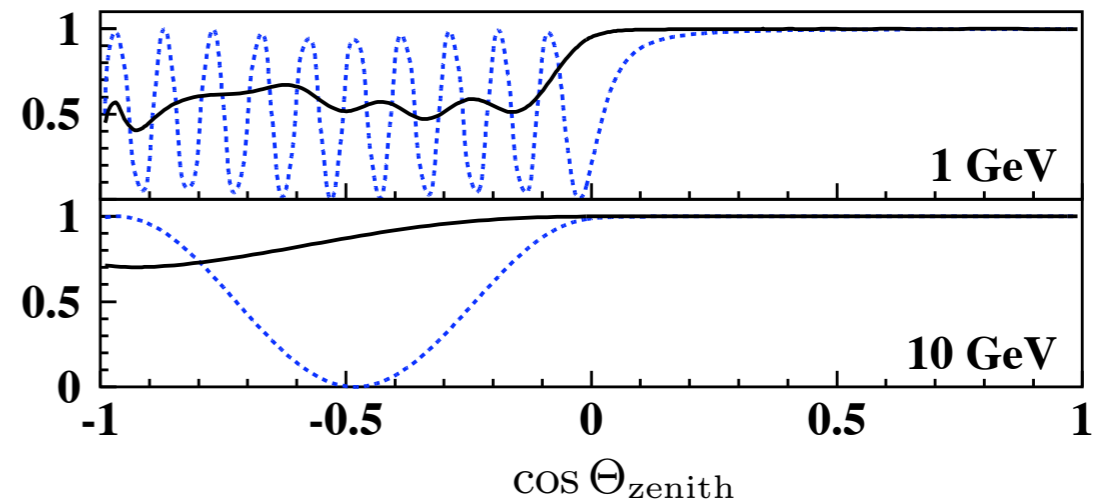
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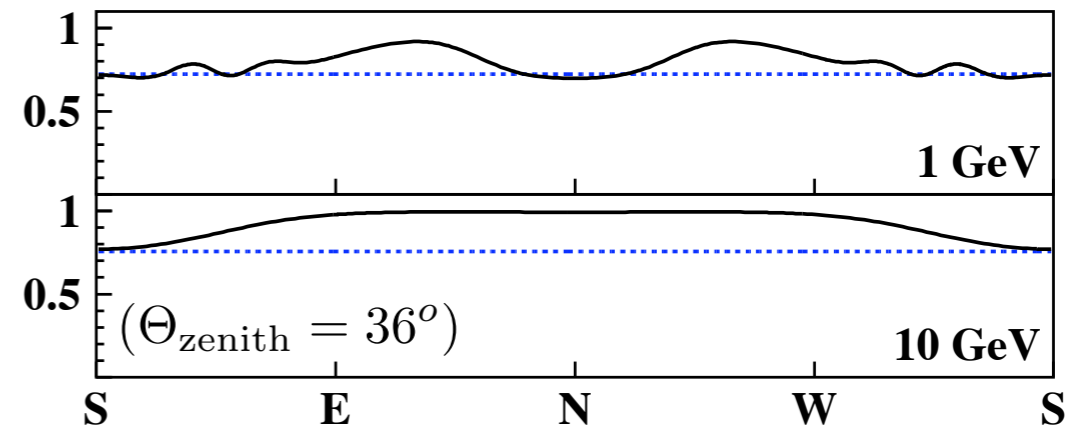


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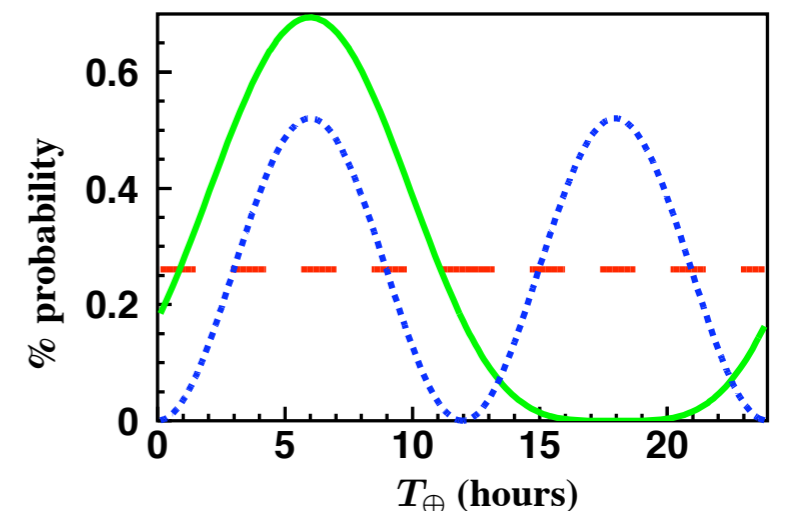
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Kostelecky, Mewes 2004

A very non-conventional phenomenology, very unlikely to fit all neutrino data.

A ~~Lorentz~~ model for LSND

de Gouvêa, Grossman 2006

- allow: *massive* neutrinos + ~~Lorentz~~
- drop: directional dependence
- encode all ~~Lorentz~~ effects in the **dispersion relation** $E = E(\vec{p})$:

$$E \simeq \underbrace{|\vec{p}| + \frac{m^2}{2|\vec{p}|}}_{\text{standard}} + \underbrace{\frac{f(|\vec{p}|^2)}{2|\vec{p}|}}_{\text{~~Lorentz~~}} \quad \text{and take} \quad f(|\vec{p}|) = 2E_0 a_N \left(\frac{|\vec{p}|}{E_0} \right)^{2N}$$

$(|\vec{p}| \gg m, \sqrt{f})$

- assume ~~Lorentz~~ for one state only: $|\nu_L\rangle = \cos \zeta \cos \theta_L |\nu_e\rangle + \cos \zeta \sin \theta_L |\nu_\mu\rangle + \sin \zeta |\nu_\tau\rangle$

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Neutrino oscillations are described by: $i \frac{d\nu_\alpha}{dt} = H_{\alpha\beta} \nu_\beta$

$$H = \underbrace{U_{\text{PMNS}} \begin{pmatrix} 0 & & \\ & \frac{\Delta m_{21}^2}{2E} & \\ & & \frac{\Delta m_{31}^2}{2E} \end{pmatrix} U_{\text{PMNS}}^\dagger}_{\text{mass-induced oscillations}} + a_N \left(\frac{E}{E_0}\right)^{2N-1} \underbrace{\begin{pmatrix} c_\zeta^2 c_{\theta_L}^2 & c_\zeta^2 c_{\theta_L} s_{\theta_L} & c_\zeta s_\zeta c_{\theta_L} \\ c_\zeta^2 c_{\theta_L} s_{\theta_L} & c_\zeta^2 s_{\theta_L}^2 & c_\zeta s_\zeta s_{\theta_L} \\ c_\zeta s_\zeta c_{\theta_L} & c_\zeta s_\zeta s_{\theta_L} & s_\zeta^2 \end{pmatrix}}_{\del{Lorentz-induced oscillations}}$$

mass-induced oscillations

~~Lorentz-induced oscillations~~

A Lorentz model for LSND

(A) LSND, SBL $\frac{\Delta m_{ij}^2 L}{E} \ll 1$: oscillations **dominated** by Lorentz

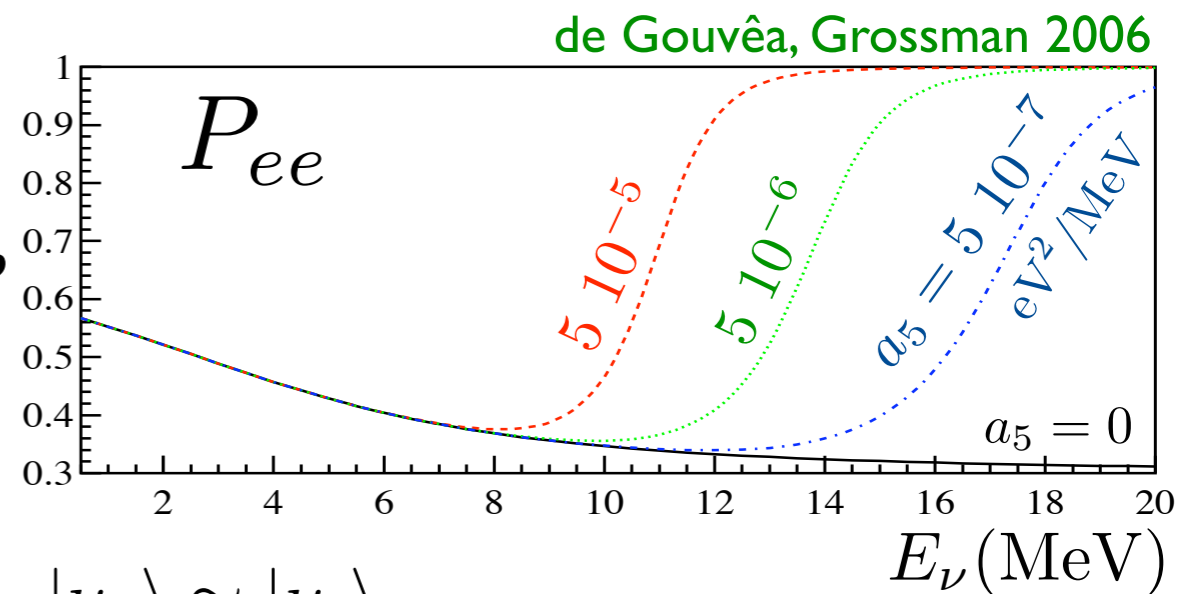
$$P_{\mu e} \simeq \cos^4 \zeta \sin^2 2\theta_L \sin^2 \left[a_N \left(\frac{E}{E_0} \right)^{2N-1} \frac{L}{2} \right] \quad \text{LSND} \Rightarrow \cos^4 \zeta \sin^2 2\theta_L \gtrsim 10^{-3}$$

$$P_{\mu\tau} \simeq \sin^2 2\zeta \sin^2 \theta_L \sin^2 \left[a_N \left(\frac{E}{E_0} \right)^{2N-1} \frac{L}{2} \right] \quad \text{SBL} \Rightarrow \begin{aligned} \cos^4 \zeta \sin^2 2\theta_L &< 1.1 \cdot 10^{-3} \\ \sin^2 2\zeta \sin^2 \theta_L &< 3.3 \cdot 10^{-4} \end{aligned}$$

choose: $\sin \zeta = 0$ and $\sin^2 2\theta_L = 1.1 \cdot 10^{-3}$.

(B) solar neutrinos + Kamland:
Lorentz effects must be **suppressed**,

large N : $\left(\frac{E}{E_0} \right)^{2N-1} \ll 1$ for $E < E_0$



(C) atmospheric: with these choices, $|\nu_L\rangle \simeq |\nu_e\rangle$

$\nu_\mu \leftrightarrow \nu_\tau$ oscillations **unaffected**.

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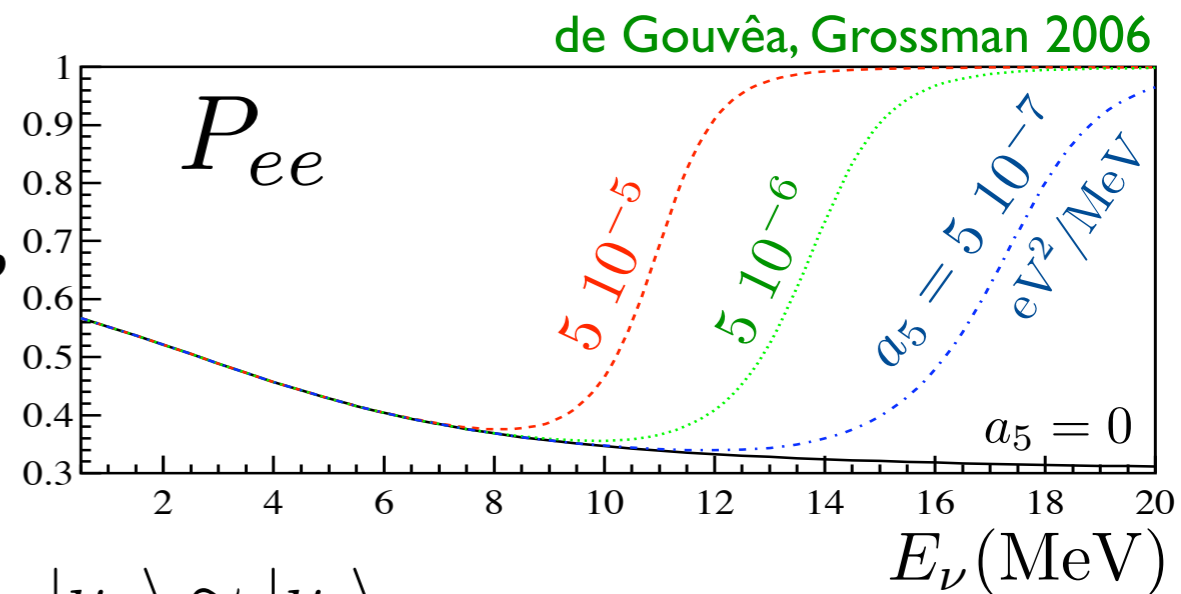
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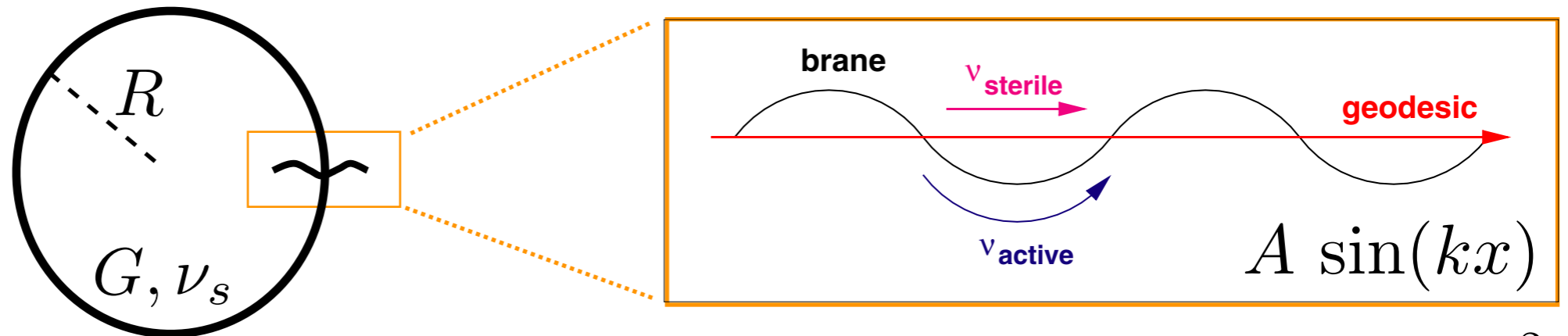
Bottom line: a highly non-trivial **energy dependence** is needed to fit all data. Even more so after **MiniBooNE**.

Sterile shortcuts in Extra Dimensions

Sterile shortcuts in x-dims

Päs, Pakvasa, Weiler 2005

Framework: a large extra dimension, with a wavy brane



$$\epsilon = \frac{L_{5d} - L_{4d}}{L_{5d}} \simeq \left(\frac{Ak}{2} \right)^2$$

neutrino states evolution: $|\nu_\alpha\rangle = e^{-E(t+\Delta t)} |\nu_\alpha\rangle$
 $|\nu_s\rangle = e^{-Et} |\nu_s\rangle$

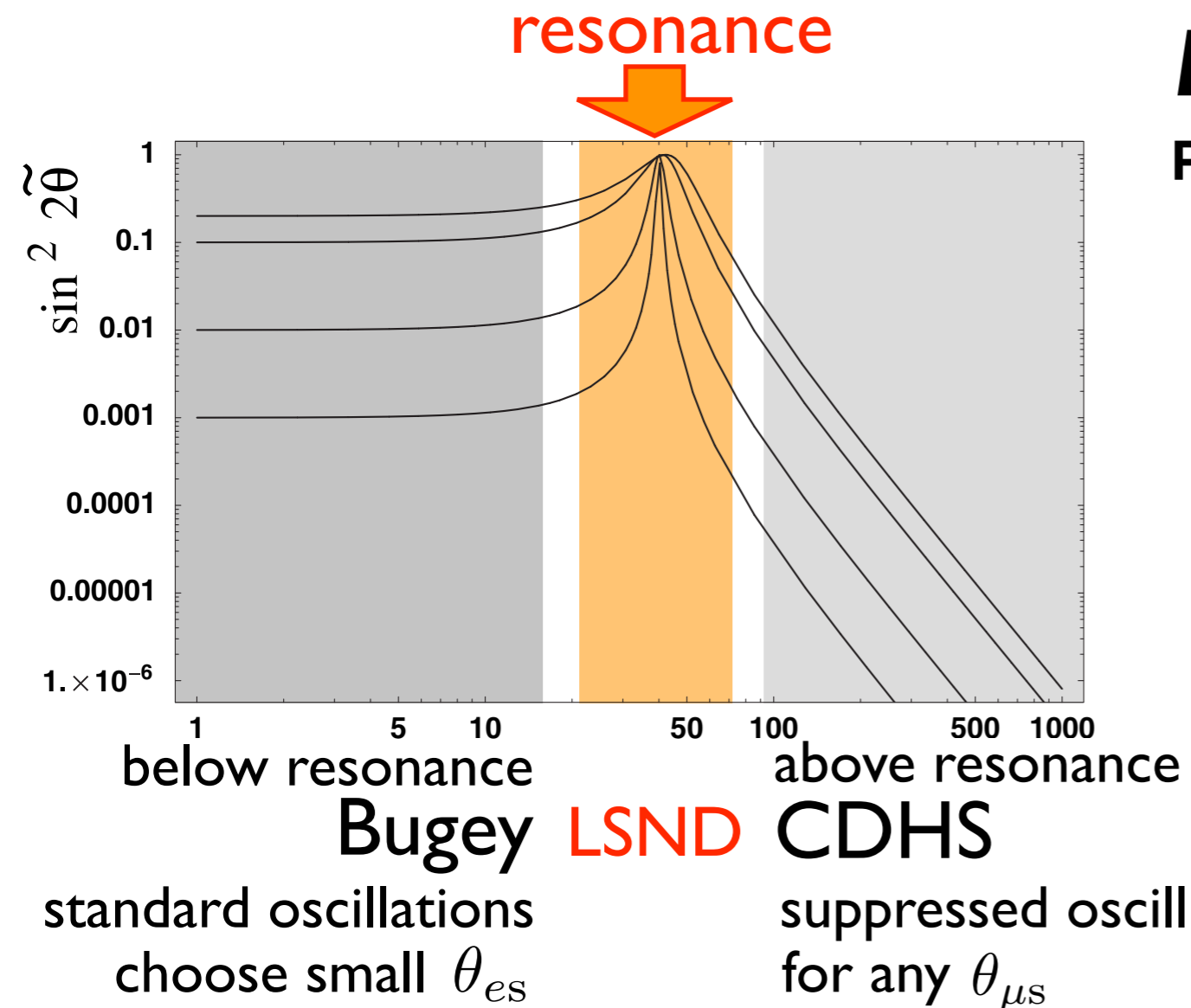
$$H = U \begin{pmatrix} \frac{\Delta m^2}{2E} & \\ & 0 \end{pmatrix} U^\dagger + \frac{1}{2} E \epsilon \begin{pmatrix} 1 & \\ & -1 \end{pmatrix}$$

a **resonance** in the oscillation probability: $E_{\text{res}} = \sqrt{\frac{\Delta m^2 \cos 2\theta}{2\epsilon}}$

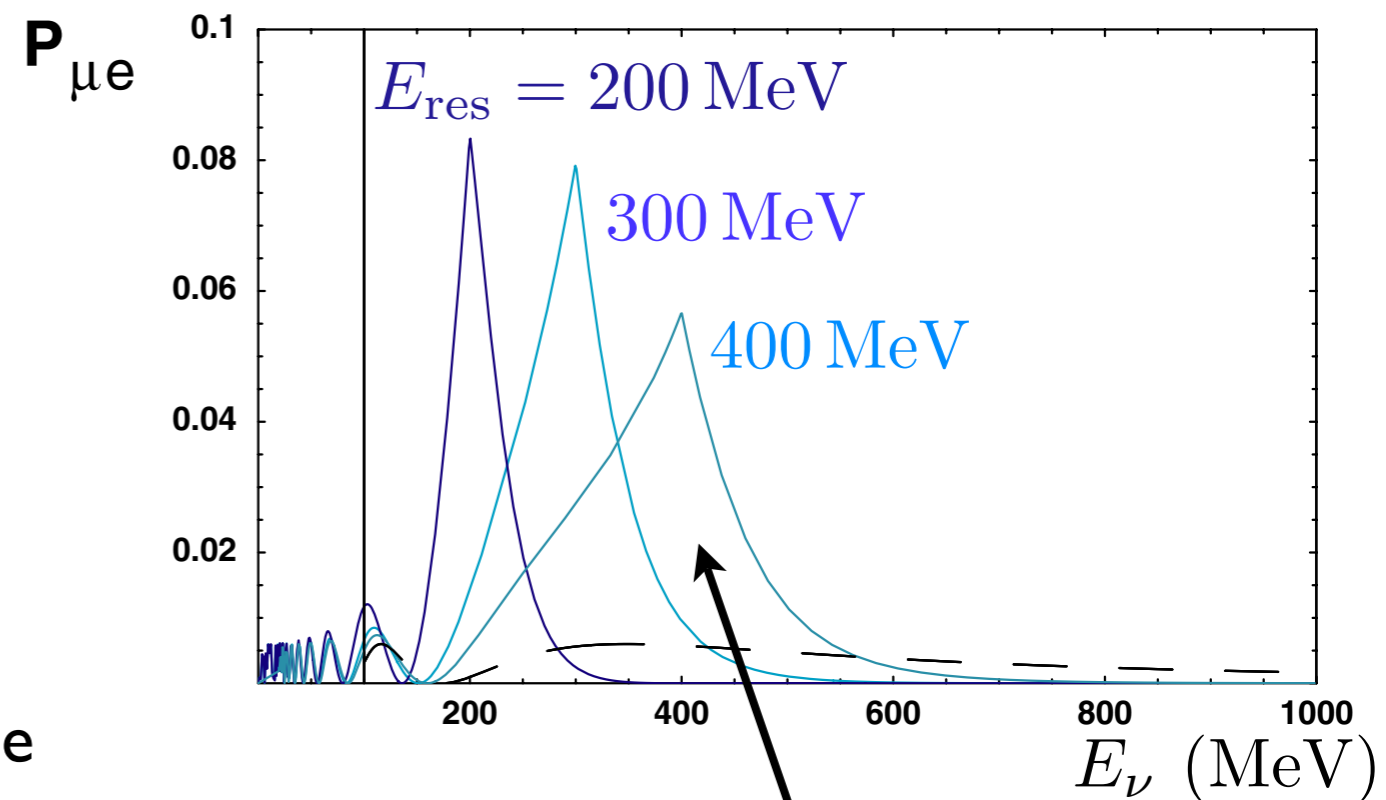
Sterile shortcuts in x-dims

Päs, Pakvasa, Weiler 2005

Oscillation probability determined by neutrino energy.



Predictions for MiniBooNE:



oscillation **peak** at $E \simeq E_{\text{res}}$
and no signal at $E > E_{\text{res}}$

~~CPT~~

Basics

CPT is conserved in any local, Lorentz invariant QFT.

(1) ~~CPT~~ can be induced by ~~Lorentz~~
(see above discussion)

(2) ~~CPT~~ can manifest itself in $m \neq \bar{m}$ (requires non-locality):
Origin: non-perturbative effects in strings, quantum gravity..
In the neutrino sector, the main motivation is LSND.
From other sectors, there are strong **bounds**:

$$(m_{K^0} - m_{\bar{K}^0}) < 10^{-18} m_K$$

$$(m_{e^+} - m_{e^-}) < 10^{-9} m_e$$

Phenomenological approach:

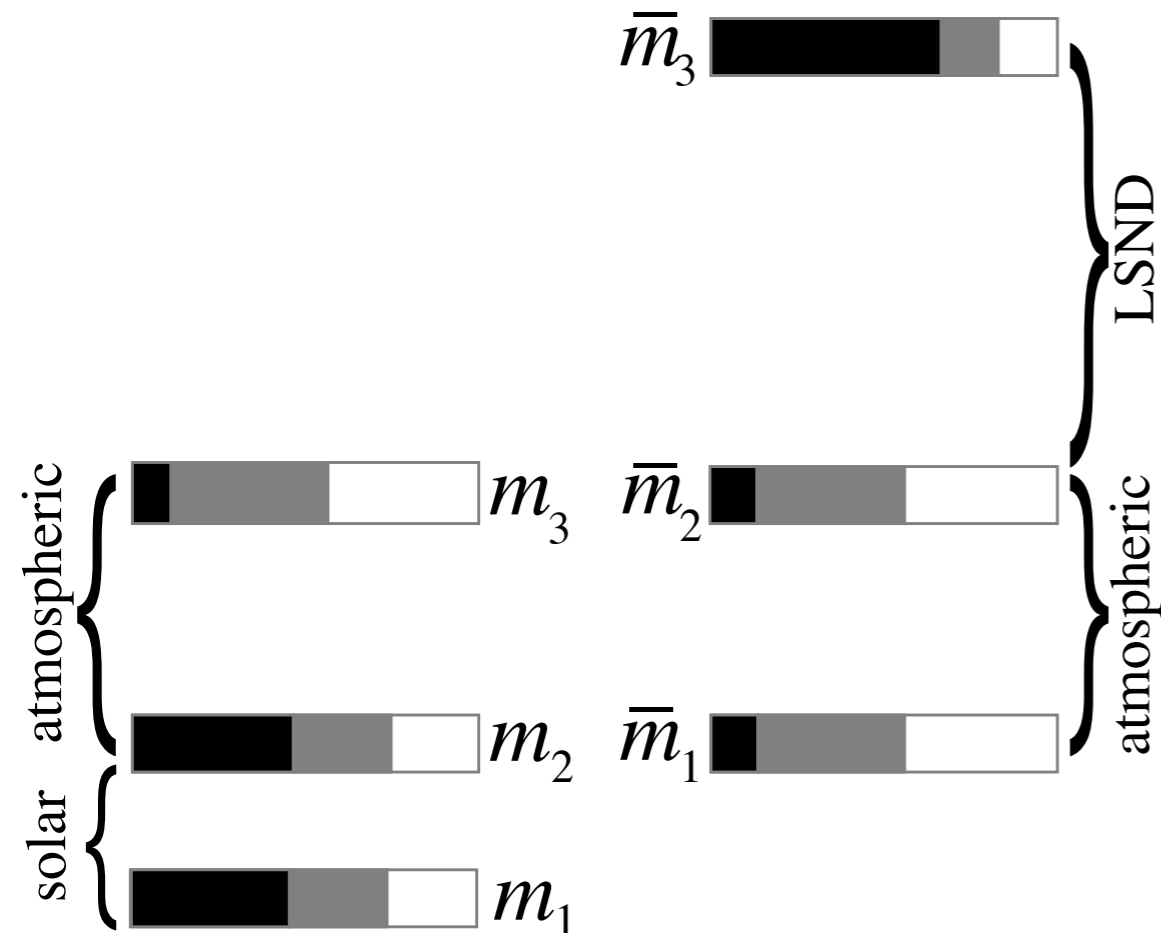
assume that ~~CPT~~ couples dominantly to neutrinos
and use **new parameters** $\bar{m}_i \neq m_i$ and $\bar{\theta}_{ij} \neq \theta_{ij}$

~~CPT~~ version I

Murayama, Yanagida 2001
Barenboim et al. 2001

neutrinos

anti-neutrinos



- solar ν_e oscillate with $\Delta m_{21}^2 \equiv \Delta m_{\text{Sun}}^2$
- atmospheric ν_μ and $\bar{\nu}_\mu$ with $\Delta m_{31}^2 = \Delta \bar{m}_{31}^2 \equiv \Delta m_{\text{atm}}^2$
- LSND $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$ with $\Delta \bar{m}_{31}^2 \equiv \Delta m_{\text{LSND}}^2$

But: Kamland: (2002)

$\bar{\nu}_e$ disappear with $\Delta \bar{m}^2$ consistent with solar Δm^2 ;
this ~~CPT~~ scenario: **disfavoured**.

~~CPT~~ version 2

neutrinos

anti-neutrinos

Barenboim et al. 2002
Strumia 2002



atmospheric , LSND



atmospheric



KamLAND

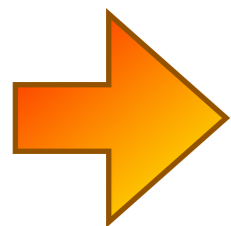


- atmospheric ν_μ oscillate with

$$\Delta m_{31}^2 \equiv \Delta m_{\text{atm}}^2$$

- atmospheric $\bar{\nu}_\mu$ with $\Delta \bar{m}_{31}^2 \equiv \Delta m_{\text{LSND}}^2$

- Kamland $\bar{\nu}_e$ disappear with $\Delta \bar{m}^2$
consistent with solar Δm^2



A dedicated global fit is needed.

~~CPT~~ global fit

Gonzalez-Garcia, Maltoni, Schwetz 2003
 updated in Gonzalez-Garcia, Maltoni 2007

First: all data but LSND: best fit is very close to **CPT conserving**

$$\Delta m_{21}^2 = 6.8 \times 10^{-5} \text{ eV}^2,$$

$$\Delta \bar{m}_{21}^2 = 7.9 \times 10^{-5} \text{ eV}^2,$$

$$|\Delta m_{31}^2| = 2.7 \times 10^{-3} \text{ eV}^2,$$

$$|\Delta \bar{m}_{31}^2| = 1.8 \times 10^{-3} \text{ eV}^2,$$

$$\sin^2 \theta_{12} = 0.30,$$

$$\sin^2 \bar{\theta}_{12} = 0.31 \text{ or } 0.69,$$

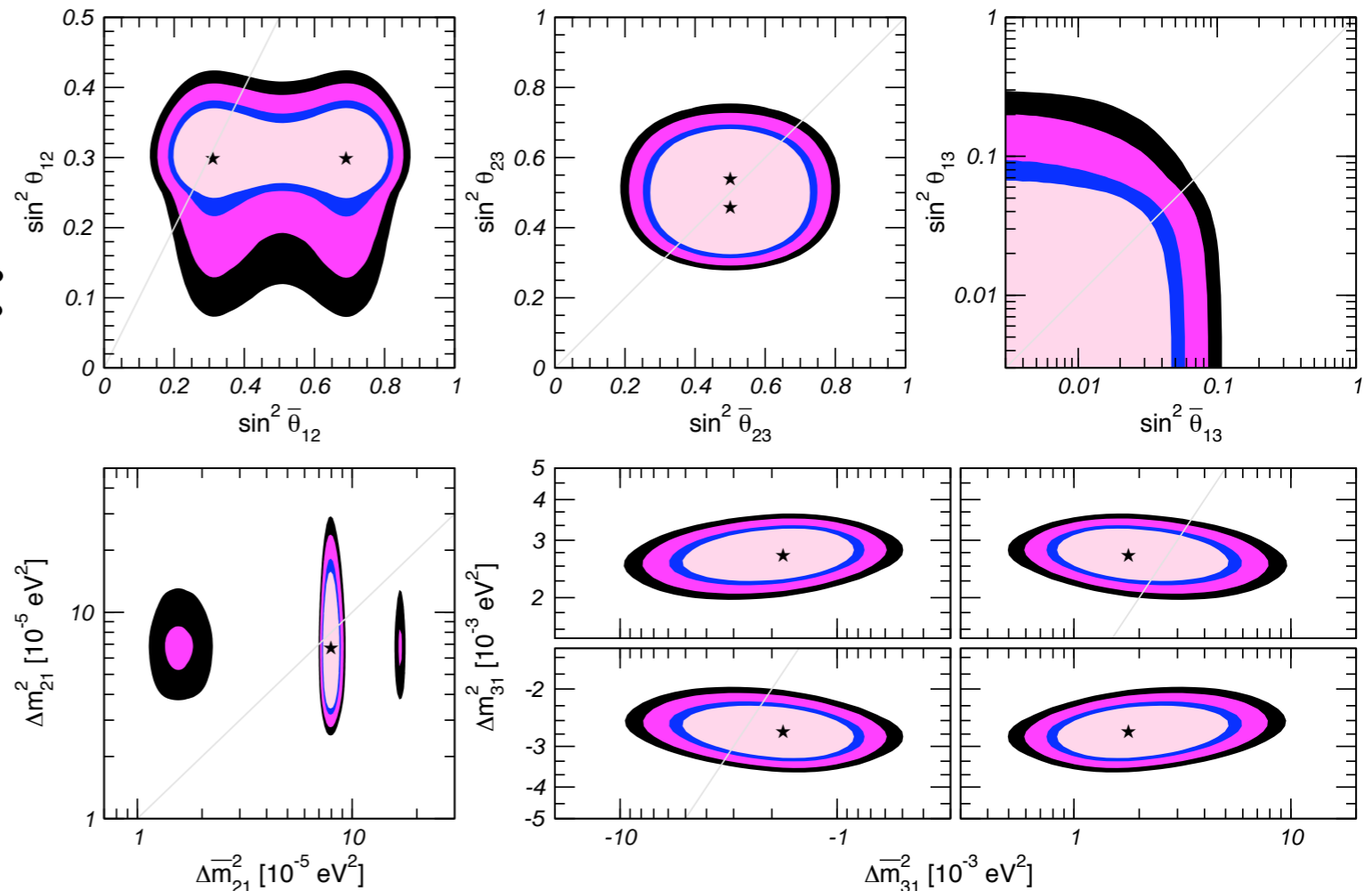
$$\sin^2 \theta_{13} = 0,$$

$$\sin^2 \bar{\theta}_{13} = 0,$$

$$\sin^2 \theta_{23} = 0.46 \text{ or } 0.54,$$

$$\sin^2 \bar{\theta}_{23} = 0.5.$$

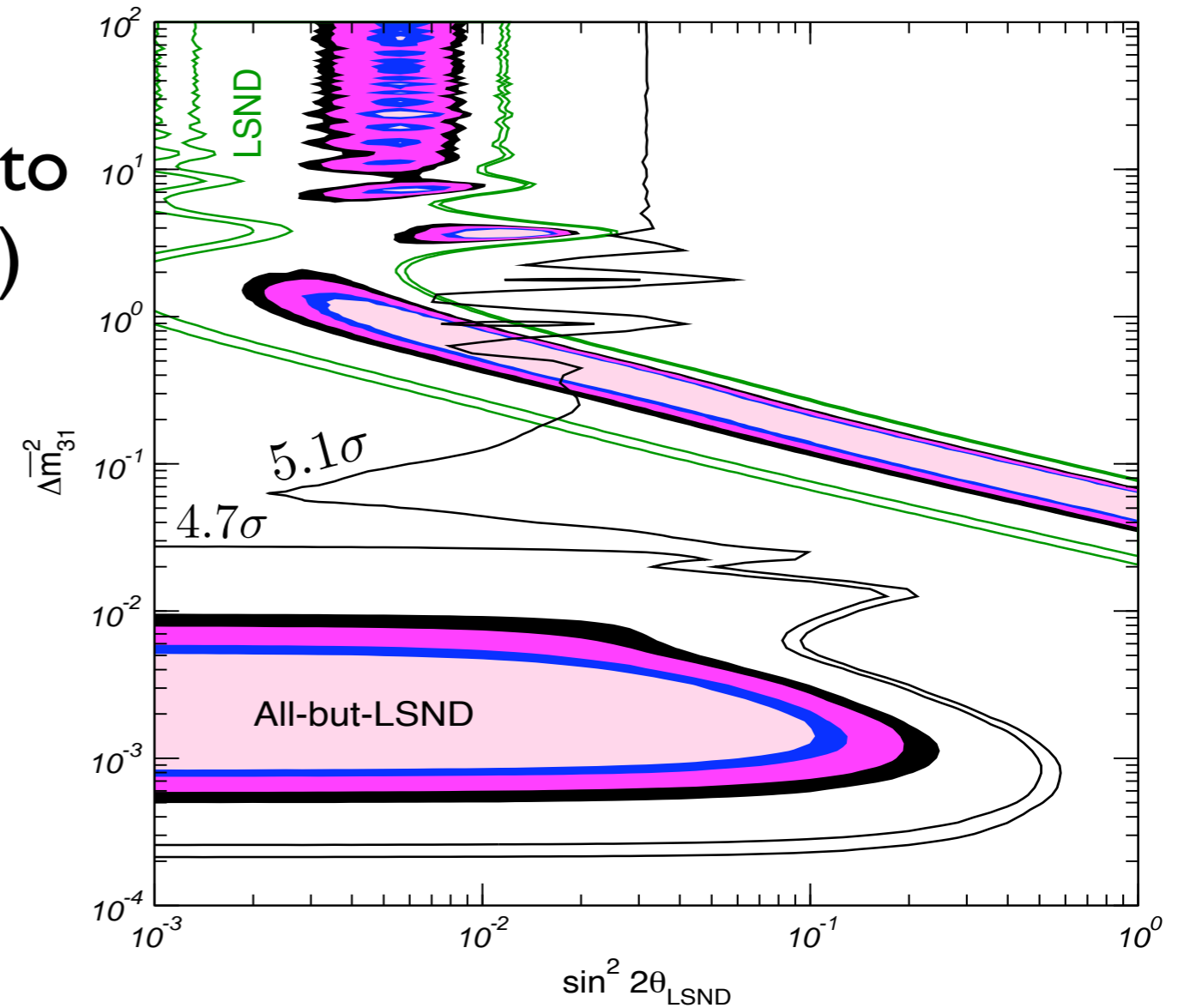
Then: how much ~~CPT~~
 is allowed by
 all-but-LSND data:



~~CPT~~ global fit

Gonzalez-Garcia, Maltoni, Schwetz 2003
updated in Gonzalez-Garcia, Maltoni 2007

Finally: compare with LSND:
disagreement mainly due to
 $\Delta\bar{m}_{31}^2 < 10^{-2} \text{eV}^2$ (at 3σ)
agreement is possible
at $> 4.7\sigma$ only

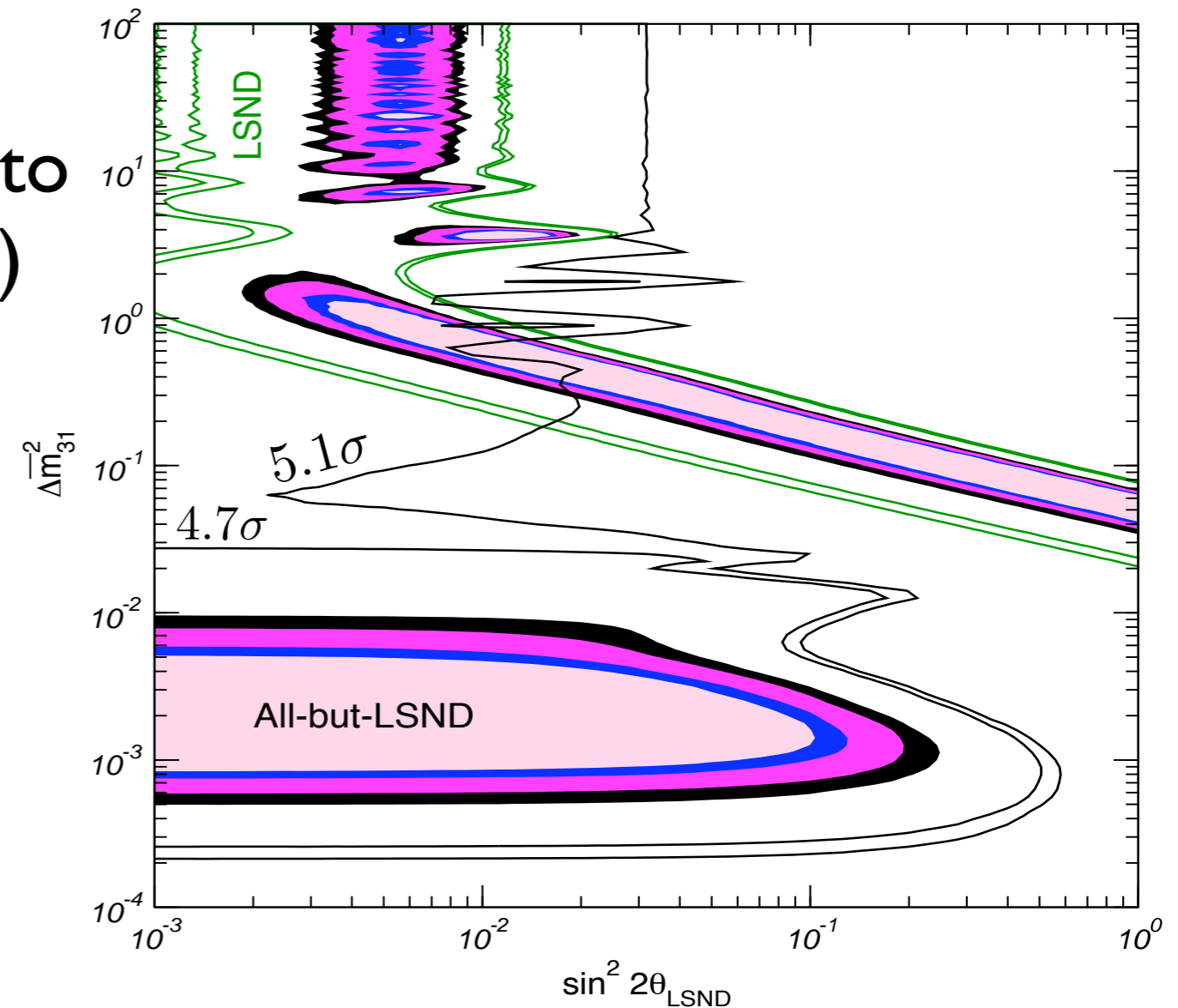


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~~CPT~~ cannot account for
LSND + all-but-LSND.



~~CPT~~ + one sterile neutrino?? Barger, Marfatia, Whisnant 2003

viable mass schemes exist; not affected by MiniBooNE ν data.
MiniBooNE $\bar{\nu}$ channel could discriminate between them.

Sterile Neutrinos

Basics

The SM provides **3 neutrinos**
(m_1, m_2, m_3) \Rightarrow 2 independent Δm^2

$$\Delta m_{\text{Sun}}^2 = 8_{-0.3}^{+0.3} \cdot 10^{-5} \text{ eV}^2, \quad \Delta m_{\text{Atm}}^2 = 2.5_{-0.2}^{+0.2} \cdot 10^{-3} \text{ eV}^2$$

If anything requires $\Delta m^2 \neq \Delta m_{\text{Sun,Atm}}^2 \Rightarrow$ 1 **extra** neutrino
with no SM interactions
(Z-width): “**sterile**”

LSND is such a case.

Okada, Yasuda 1996, Bilenky et al 1998, Barger 2000...

But also:

- r-process nucleosynthesis G.Fuller >2000, G.McLaughlin 2006
- pulsar kicks A.Kusenko >1997
- solar flux modulation Caldwell, Sturrock 2005
- ...

Basics

From the theory point of view: any fermion with no SM gauge interactions is a **sterile neutrino**

SM + \longrightarrow right handed ν
“mirror world” \longrightarrow mirror fermion
string theory \longrightarrow modulino
global sym in SuSY \longrightarrow goldstino
... ..

Nothing forbids its **mixing** with active neutrinos

$$\mathcal{L} \supset \frac{M}{2} \nu_s^2 + \frac{m_D}{v} \nu_s LH$$

effectively parameterized by its **mass** and mixing **angle(s)**

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \\ \nu_s \end{pmatrix} = V \cdot \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \\ \nu_4 \end{pmatrix}$$

Steriles and LSND

Mass schemes:

“3+1”

“2+2”

sterile in LSND (3+1)



sterile in solar (2+2)



atm

sterile in atmospheric (2+2)



atm



LSND



atm

LSND

LSND



sun



sun



sun

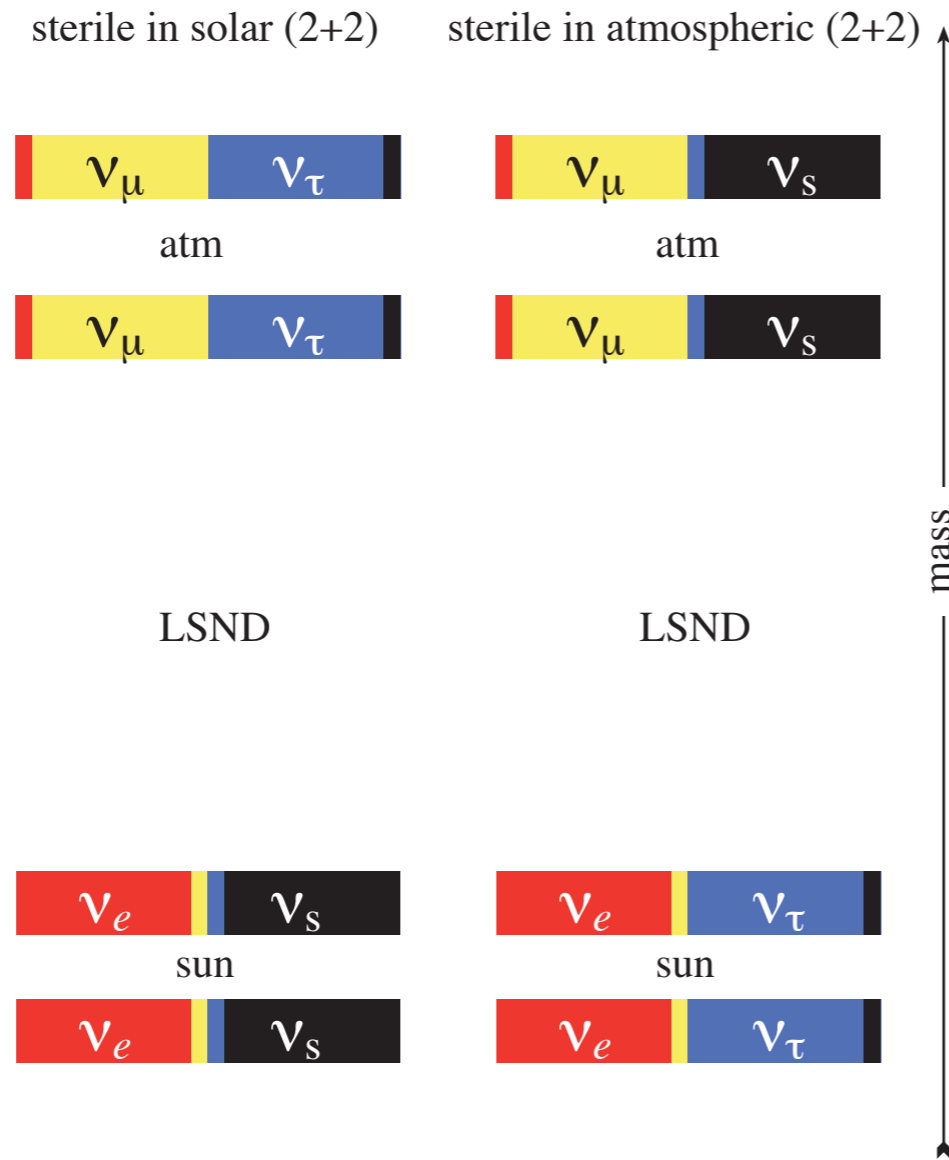


mass

Steriles and LSND

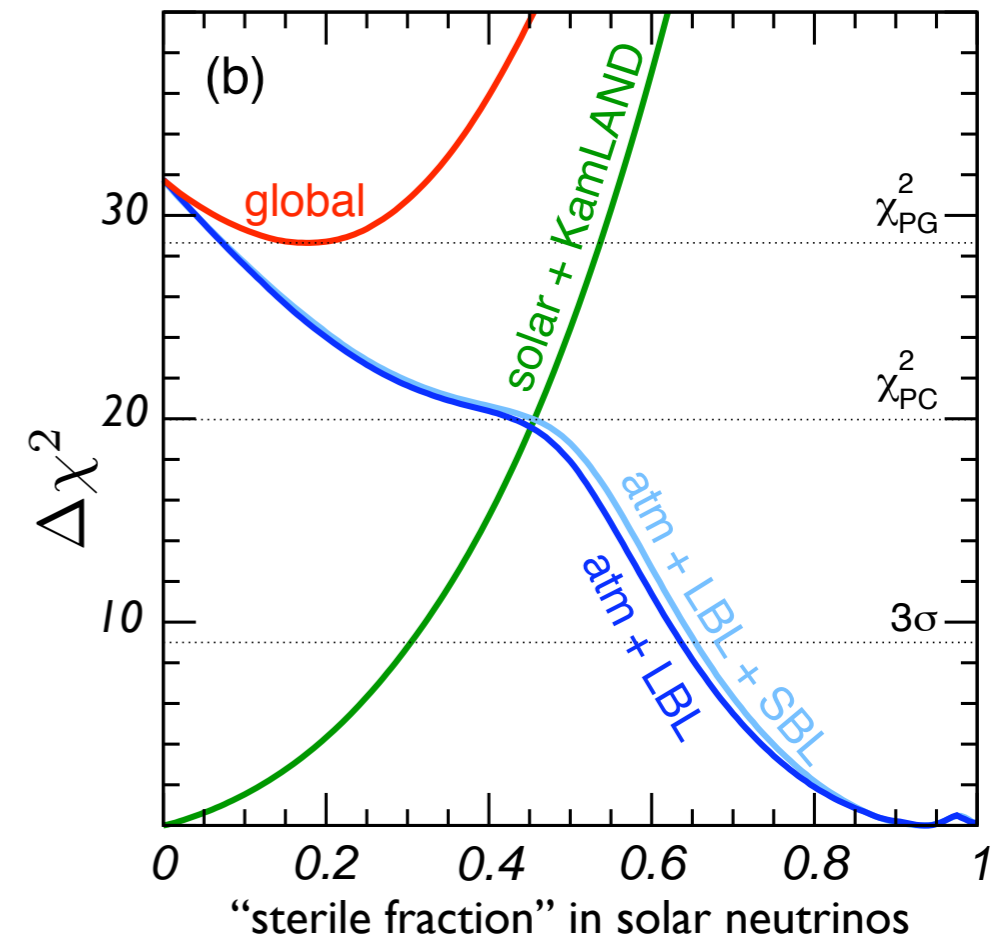
Mass schemes:

“2+2”



ν_s has a role in
 solar: **excluded** by SNO
 $\nu_e \rightarrow \nu_{\mu,\tau}$
 atmo: **excluded** by SK
 $\nu_{\mu} \rightarrow \nu_{\tau}$

Quantitatively:



Steriles and LSND

Mass schemes:

“3+1”

sterile in LSND (3+1)



LSND



atm



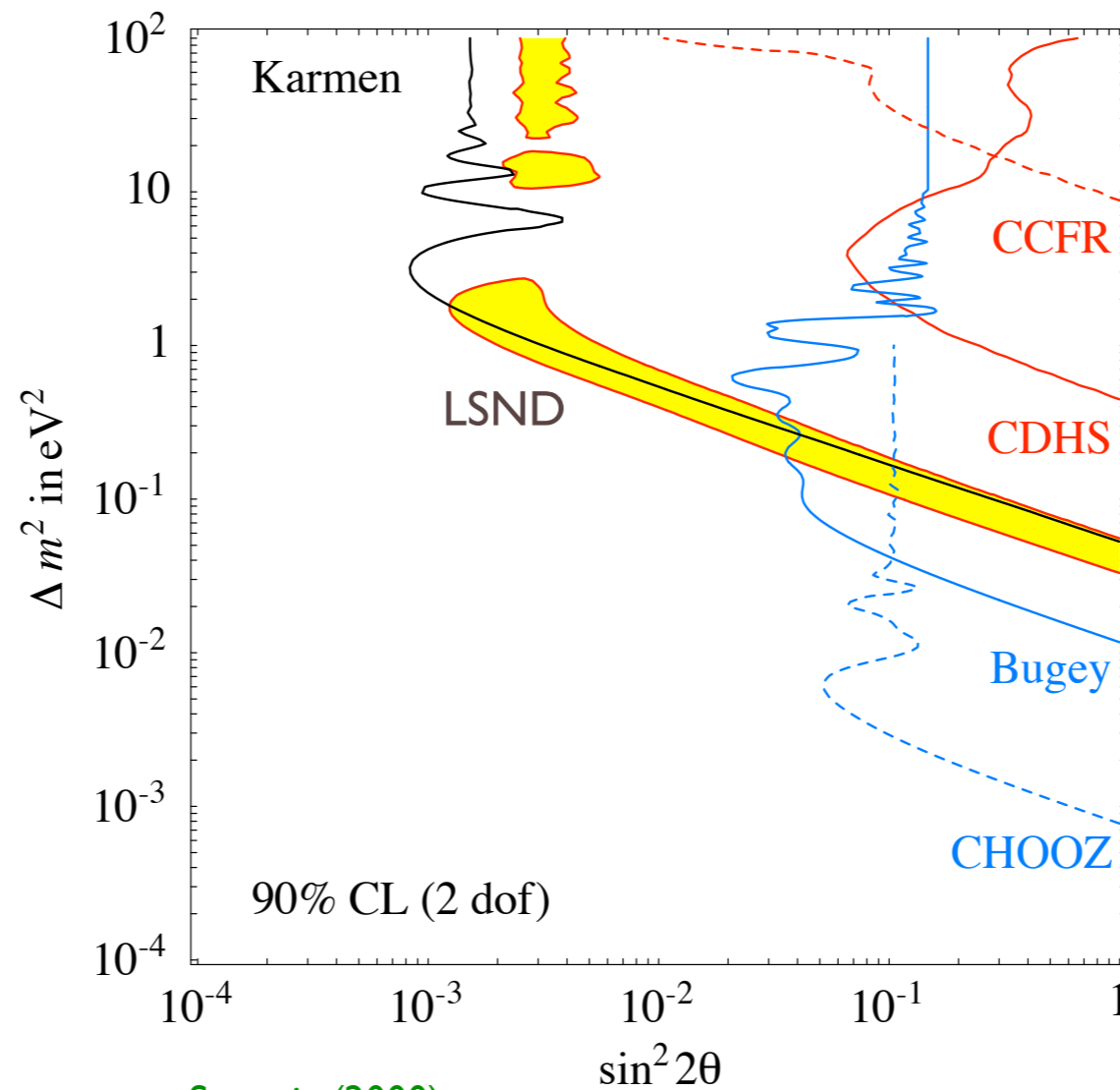
sun



$$\bar{\nu}_\mu \longrightarrow \bar{\nu}_s \longrightarrow \bar{\nu}_e$$

$$P_{\mu e} = \sin^2 2\theta_{\mu s} \sin^2 2\theta_{es} \sin^2 \left(\frac{\Delta m_{\text{LSND}}^2 L}{4E_\nu} \right)$$

constraints on individual angles
from disappearance experiments apply:



Steriles and LSND

Mass schemes:

“3+1”

sterile in LSND (3+1)



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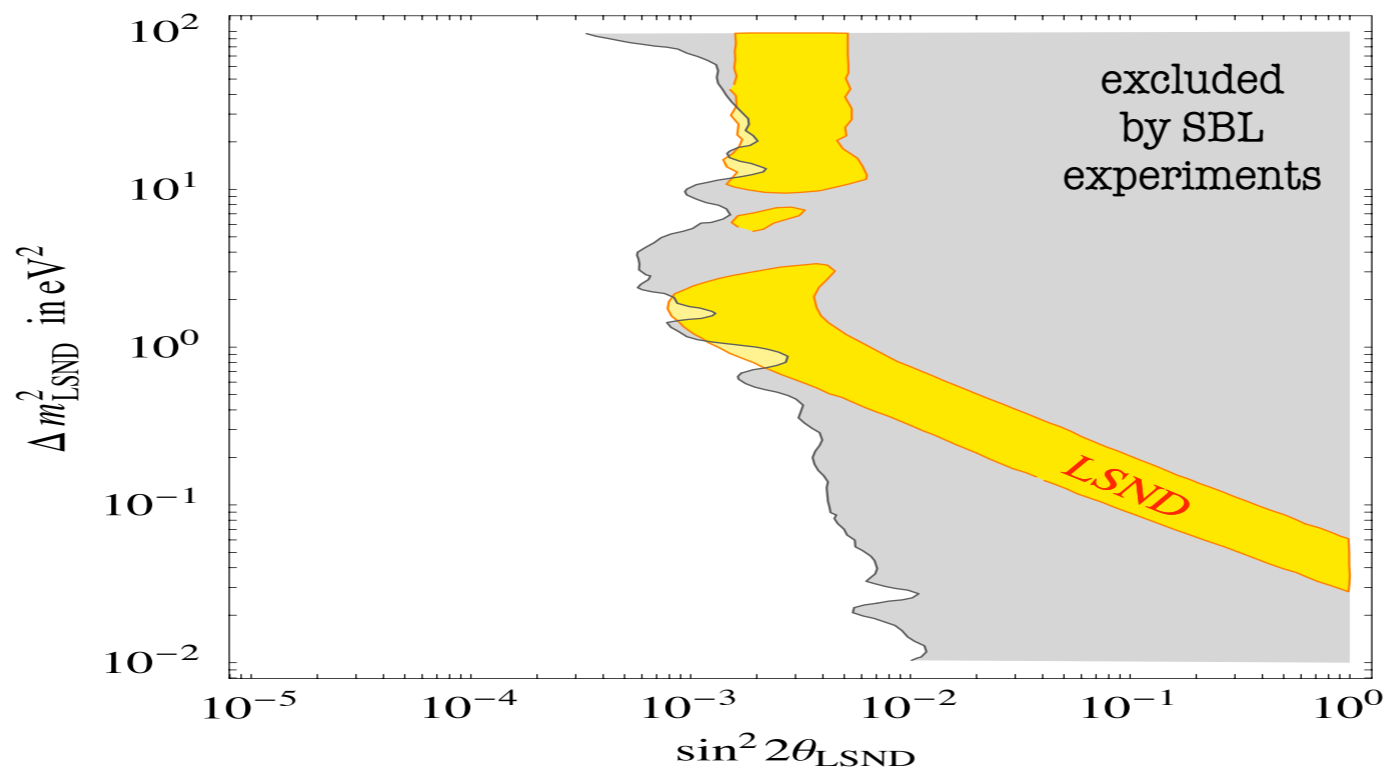
LSND



atm



sun



LSND islands **barely survive**
(bad goodness of fit (more later))

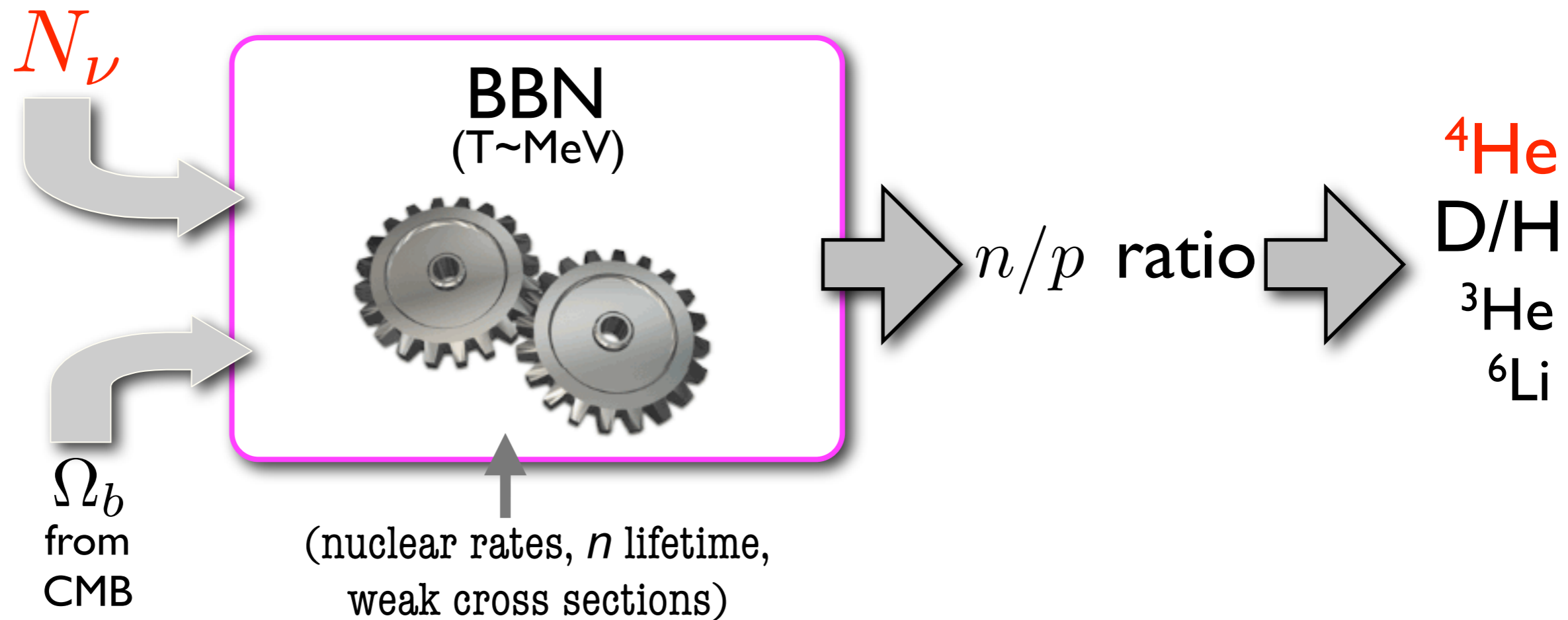
Steriles and cosmology

Cosmology constrains **number** and **masses** of neutrinos.

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BigBang Nucleosynthesis:



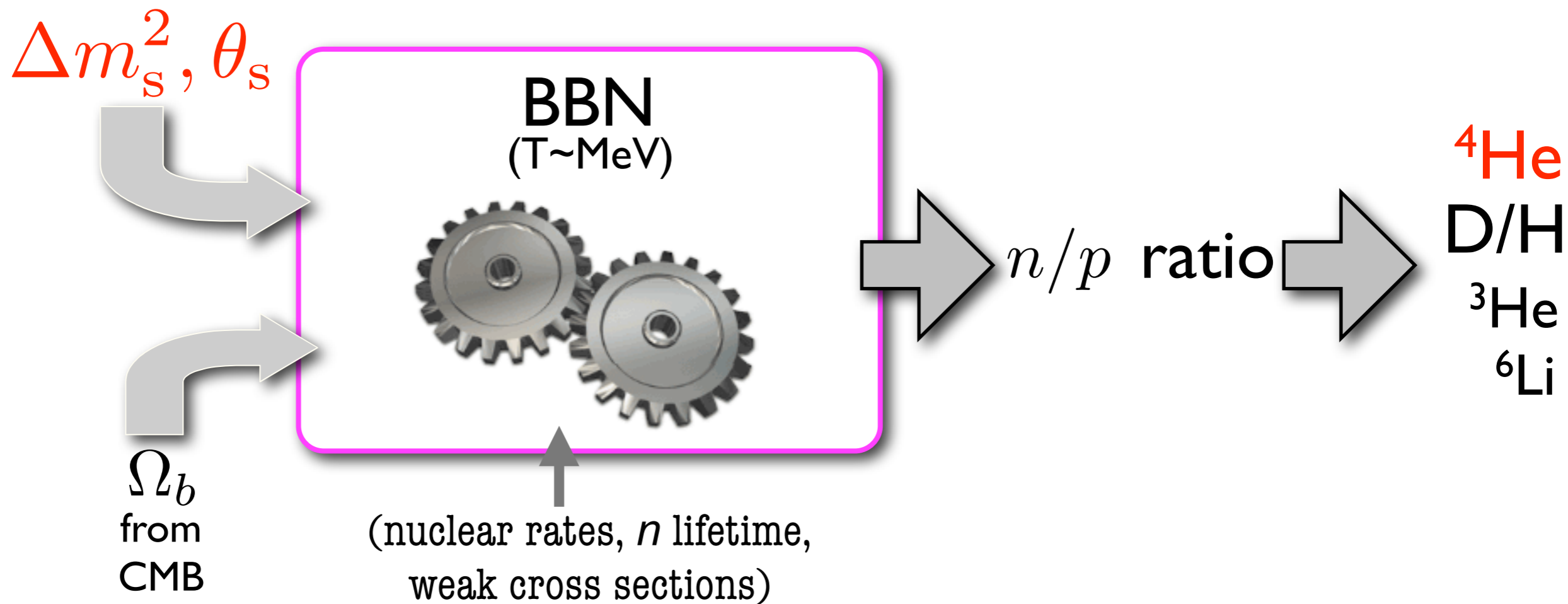
(i) more neutrinos \Rightarrow faster **expansion** \Rightarrow more He

(ii) $\nu_e \rightarrow \nu_s$ deplete $\nu_e \Rightarrow$ modified **weak rates** \Rightarrow more He
(e.g. $\Gamma(n \nu_e \longleftrightarrow p e^-)$)

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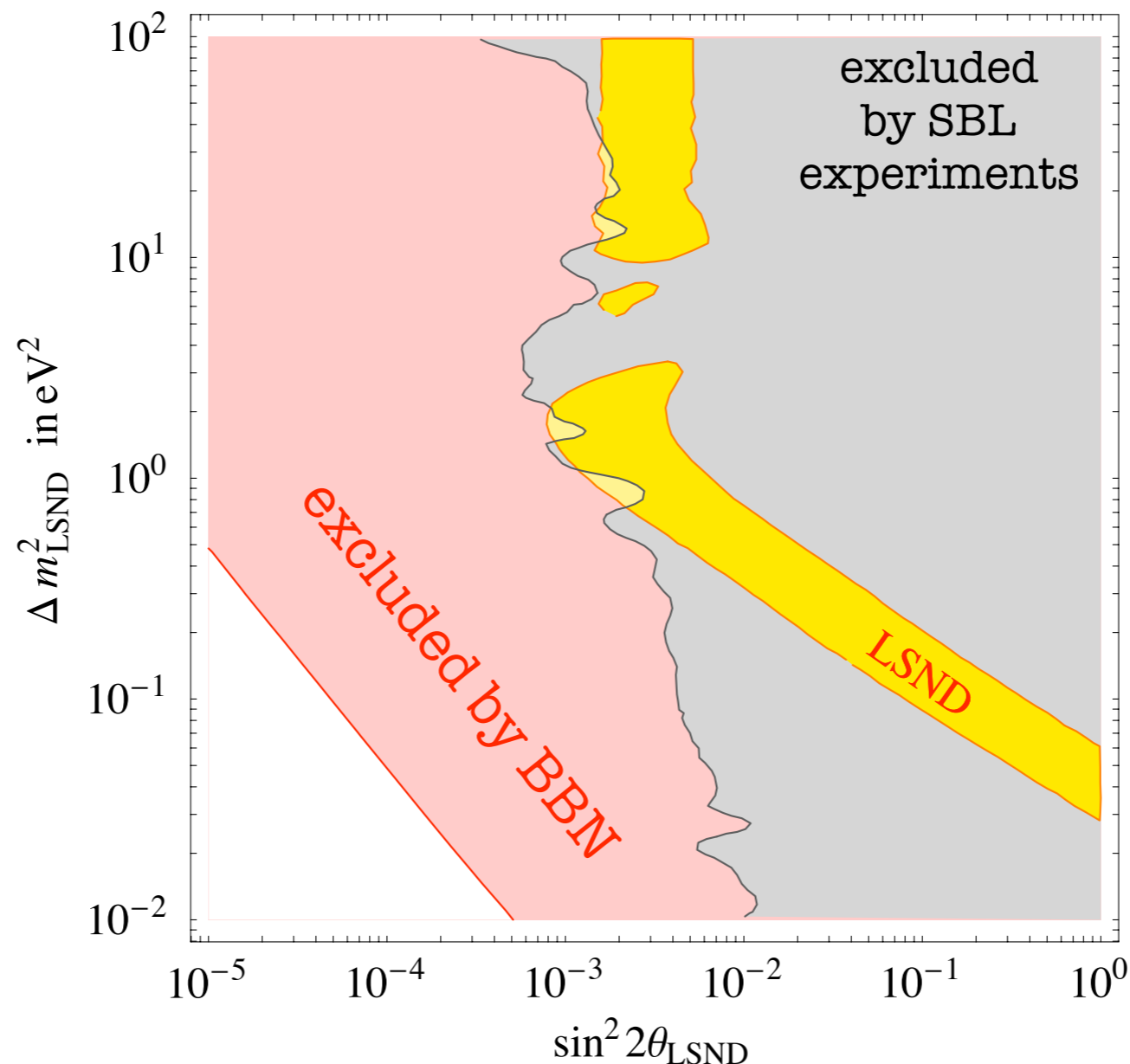
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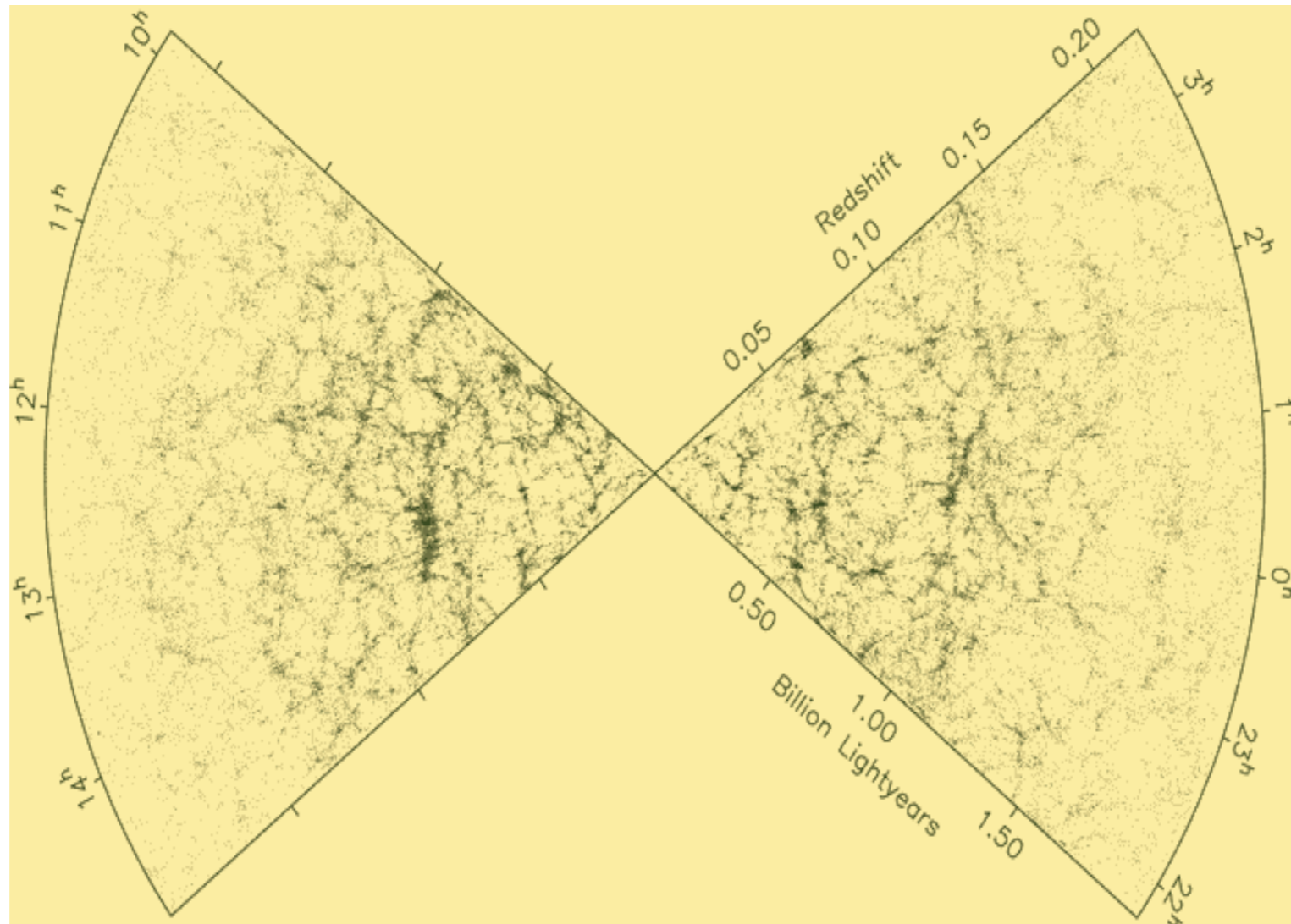
having taken
conservatively
 ${}^4\text{He} = 0.25 \pm 0.01$

Particle Data Group 2006

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Galaxy Surveys:

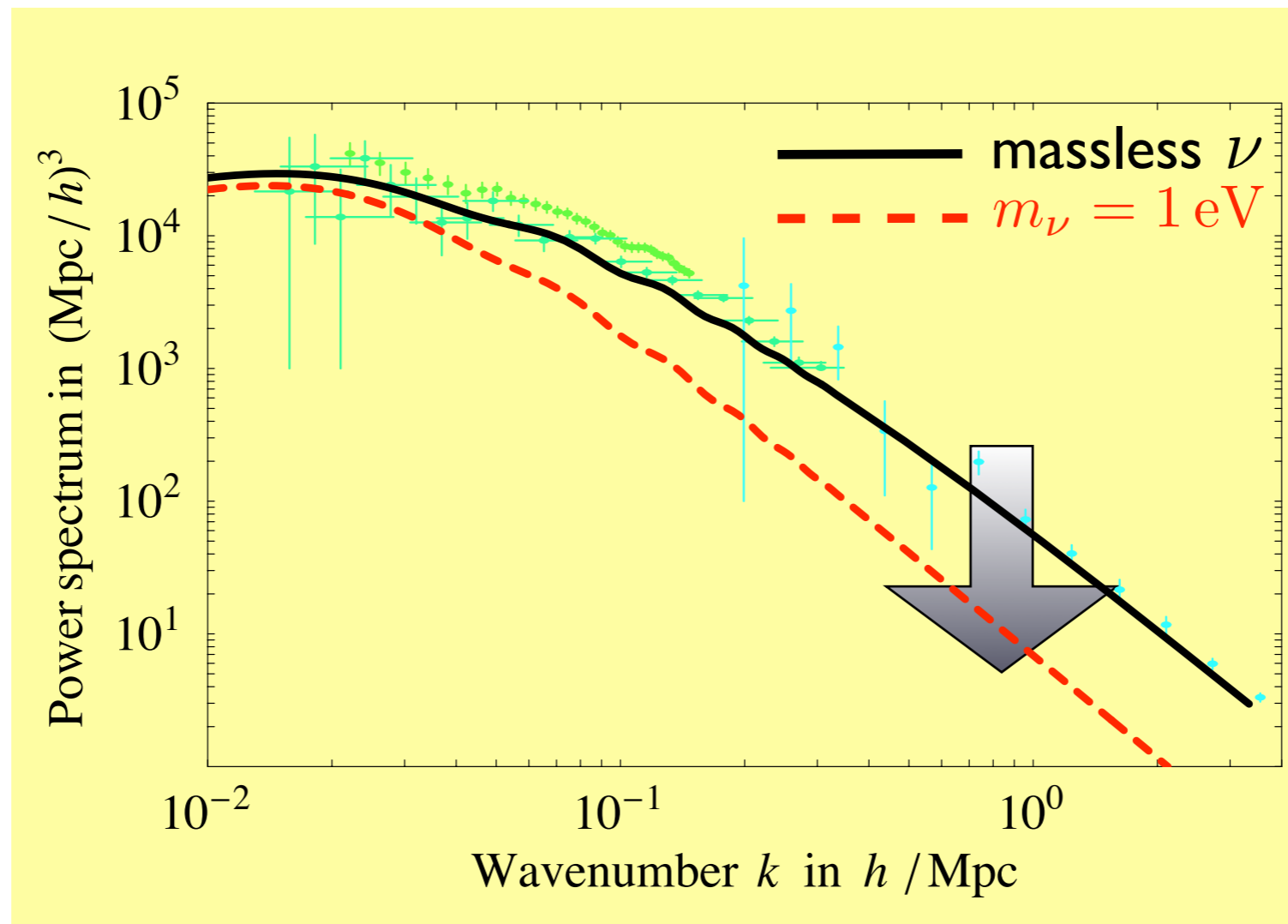


2dF Galaxy Redshift Survey

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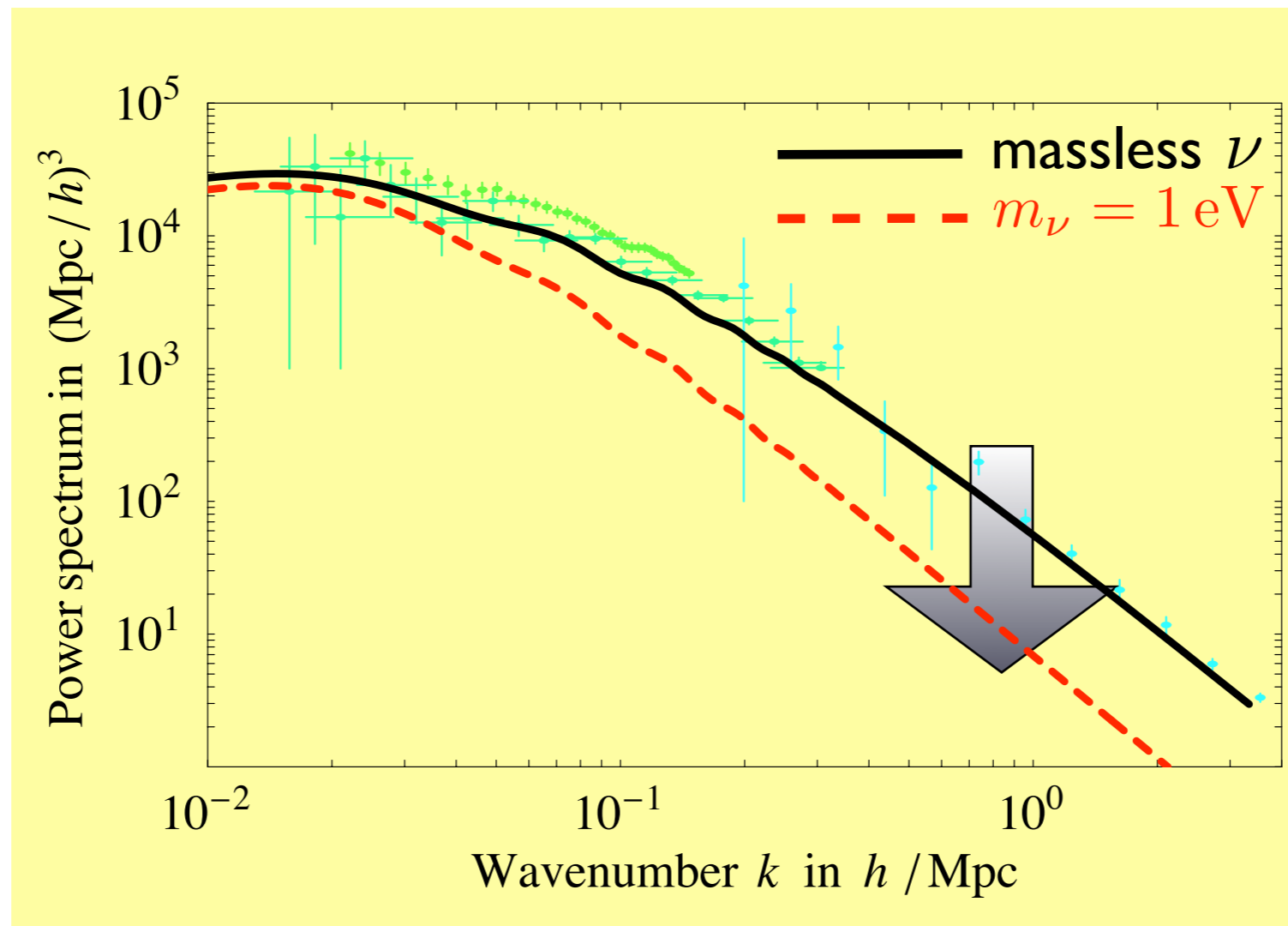
$$\frac{\Delta P}{P} \simeq -8 \frac{\sum m_\nu}{93 \text{ eV}^2 \Omega_m h^2}$$

massive neutrinos **free stream** out of the forming structures,
i.e. **smoothen** small inhomogeneities,
i.e. **suppress power** on small scales

Steriles and cosmology

Cosmology constrains **number** and **masses** of neutrinos.

Galaxy Surveys:



a bound on $\sum m_\nu$, including sterile neutrinos!

conservatively

$$\sum m_\nu < 0.73 \text{ eV}$$

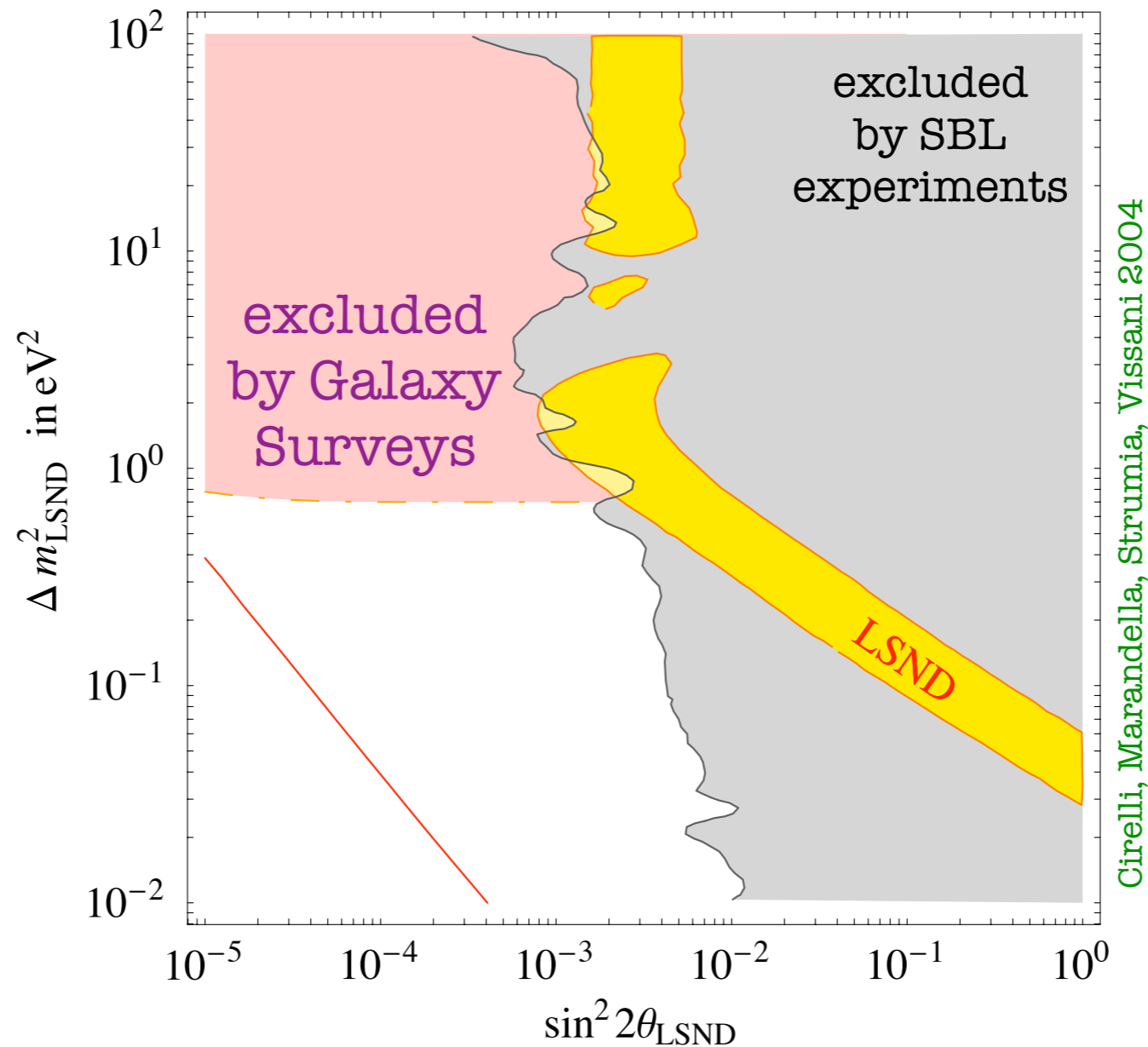
(99.9% C.L.)

Cirelli, Strumia 2006
+ many others

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Galaxy Surveys:



Cirelli, Marandella, Strumia, Vissani 2004

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Examples of non-standard cosmologies:

- low T_{RH} scenarios (the Universe exited from inflation very late)

Gelmini et al. 2004

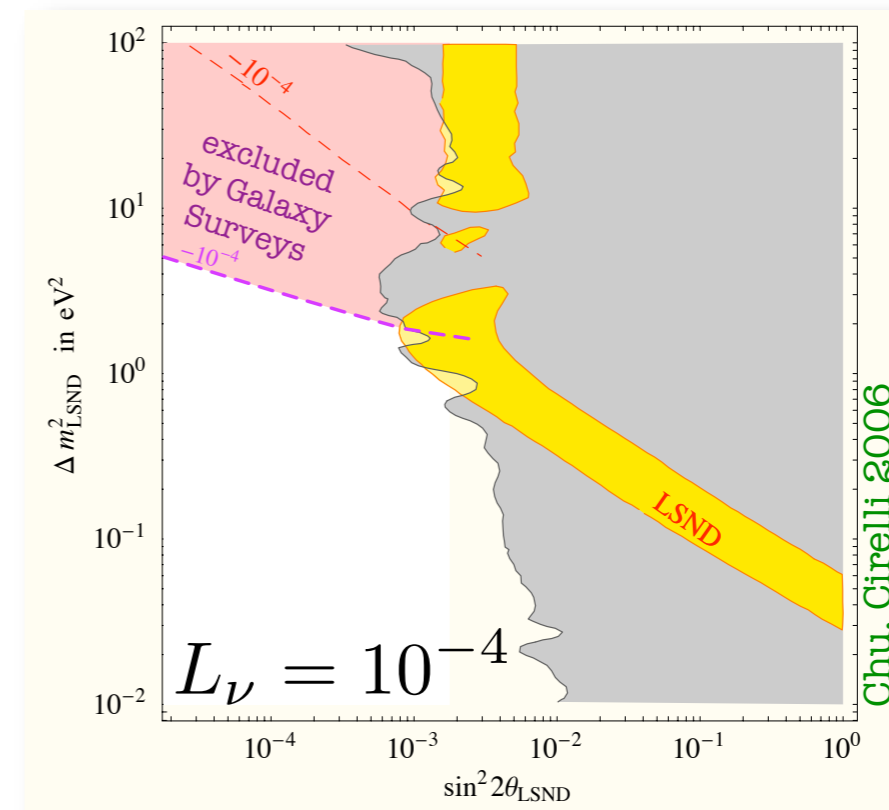
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- large leptonic asymmetry

$$L_\nu = \frac{n_\nu - n_{\bar{\nu}}}{n_\gamma}$$

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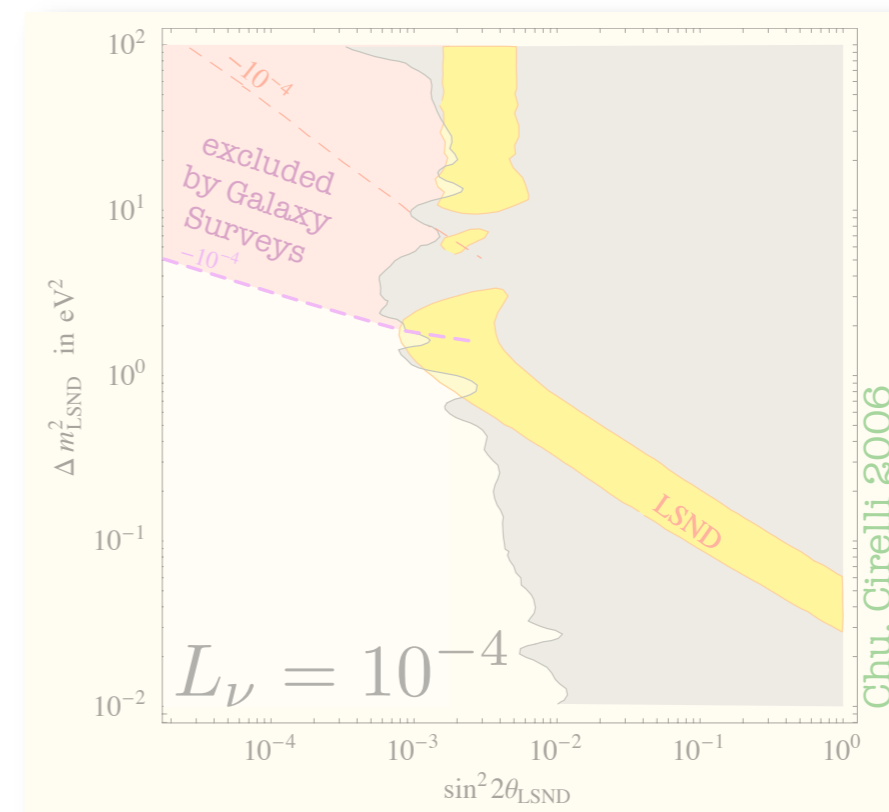
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Q. Do they carry an uncertainty? **Yes** (statistical & methodological).
The discussed limits are conservative.
Future data will reduce all errors.

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+ MiniBooNE:

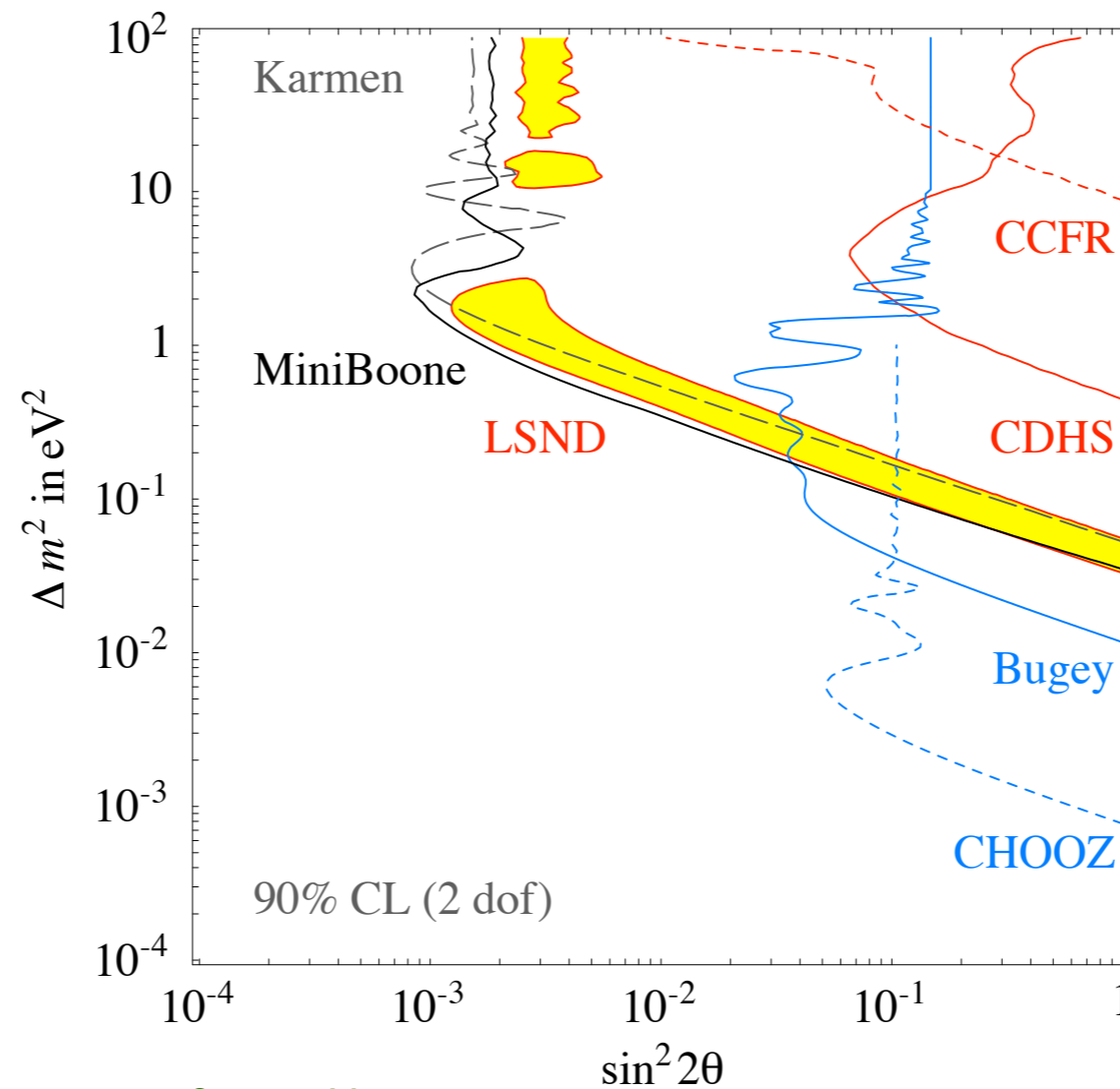
LSND



atm



sun



Global fit:

$$\chi^2 = 24.7 \text{ (2 dof)}$$

incompatible

at $\gtrsim 4\sigma$

Maltoni, Schwetz 2007
(0705.0107)

Steriles and LSND

Mass schemes:

“3+2”



$$\Delta m_{15}^2 \simeq 22 \text{ eV}^2$$

$$\Delta m_{14}^2 \simeq 0.9 \text{ eV}^2$$

Sorel, Conrad, Shaevitz (2004)

Not a big improvement: the 2nd sterile adds disappearance channel for $\nu_{e,\mu}$, tension with Bugey, Chooz etc is exacerbated.

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Even more so after **MiniBooNE**.

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atm



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LSND

Curiosity: neglecting Bugey, Chooz, CDHS, CCFR, “3+2” fit LSND + MiniBooNE

the extra CP phase δ allows $\bar{\nu}$ (LSND) \neq ν (MiniBooNE)

$$P((\bar{\nu})_{\mu} \rightarrow (\bar{\nu})_e) \propto \cos \left(\frac{\Delta m_{54}^2 L}{E} \mp \delta_{\text{CP}} \right)$$

Maltoni, Schwetz 2007



atm



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Maltoni, Schwetz 2007



atm



sun



The bounds from standard **cosmology** apply + apply.

Mass Varying Neutrinos

Basics

Scale of **neutrino masses**: $\sqrt{\Delta m_{\text{Sun}}^2} \simeq 8 \cdot 10^{-3} \text{ eV}$

Dark Energy current density: $\sqrt[4]{\rho_{\text{de}}} \simeq 2 \cdot 10^{-3} \text{ eV}$

Maybe they are **coupled**, maybe they “track” each other:

$$m_\nu \rightsquigarrow m_\nu(\mathcal{A})$$

Fardon, Nelson, Weiner 2003

Hung 2000 - Gu, Wang, Zhang 2003

Acceleron, a scalar field responsible for the Dark Energy,
i.e. the acceleration of the Universe (a.k.a. Quintessence)

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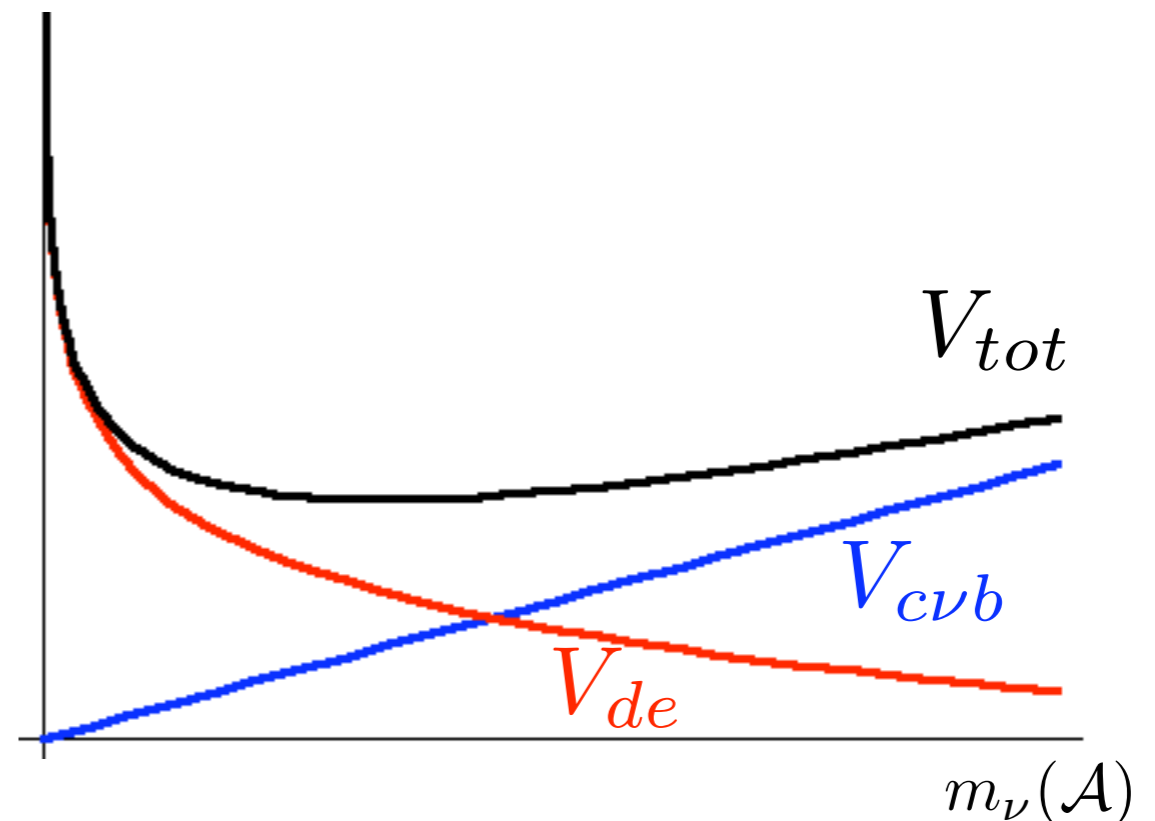
$$V_{\text{tot}} = V_{\text{de}} + V_{\text{c\nu b}}$$

$$V_{\text{c\nu b}} = m_\nu(\mathcal{A}) n_{\text{c\nu b}}$$

$$V_{\text{de}} = \Lambda^4 \log(\mu/m_\nu)$$

minimization:

$$\frac{dV_{\text{tot}}(m_\nu)}{dm_\nu} \equiv 0 \implies m_\nu = \frac{\Lambda^4}{n_{\text{c\nu b}}}$$



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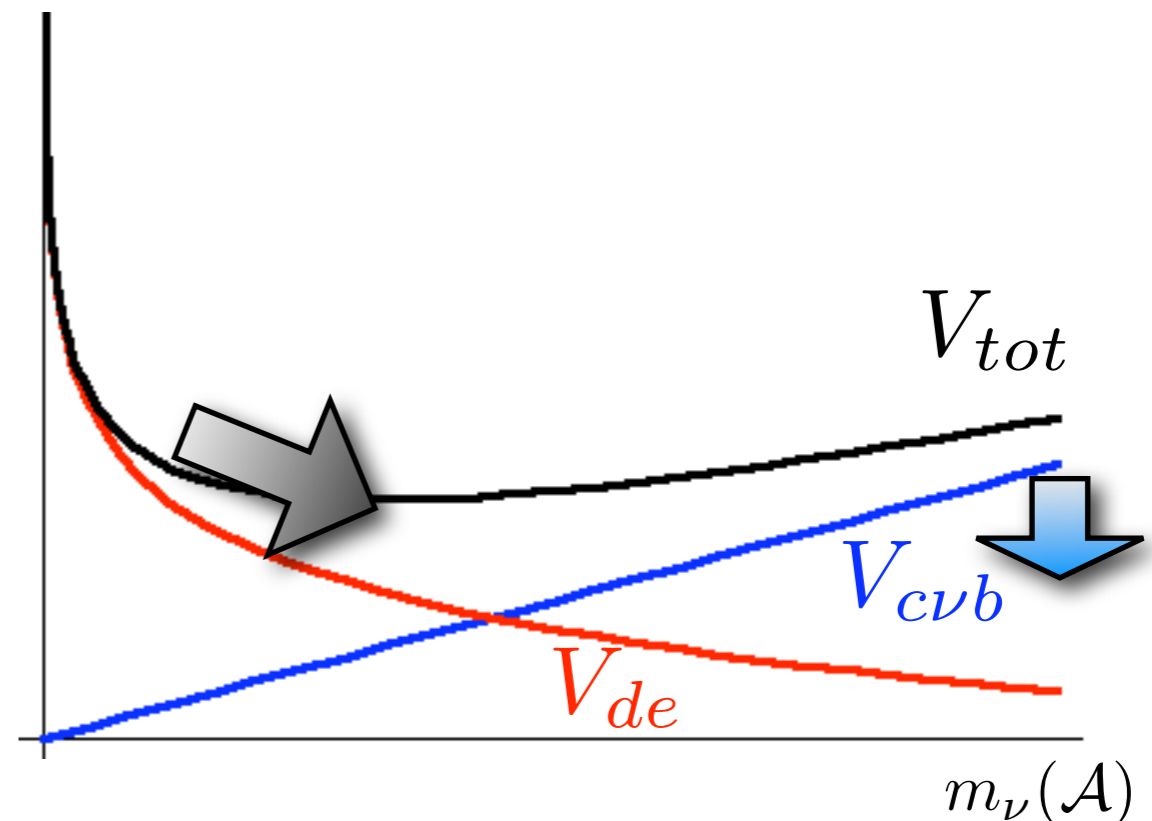
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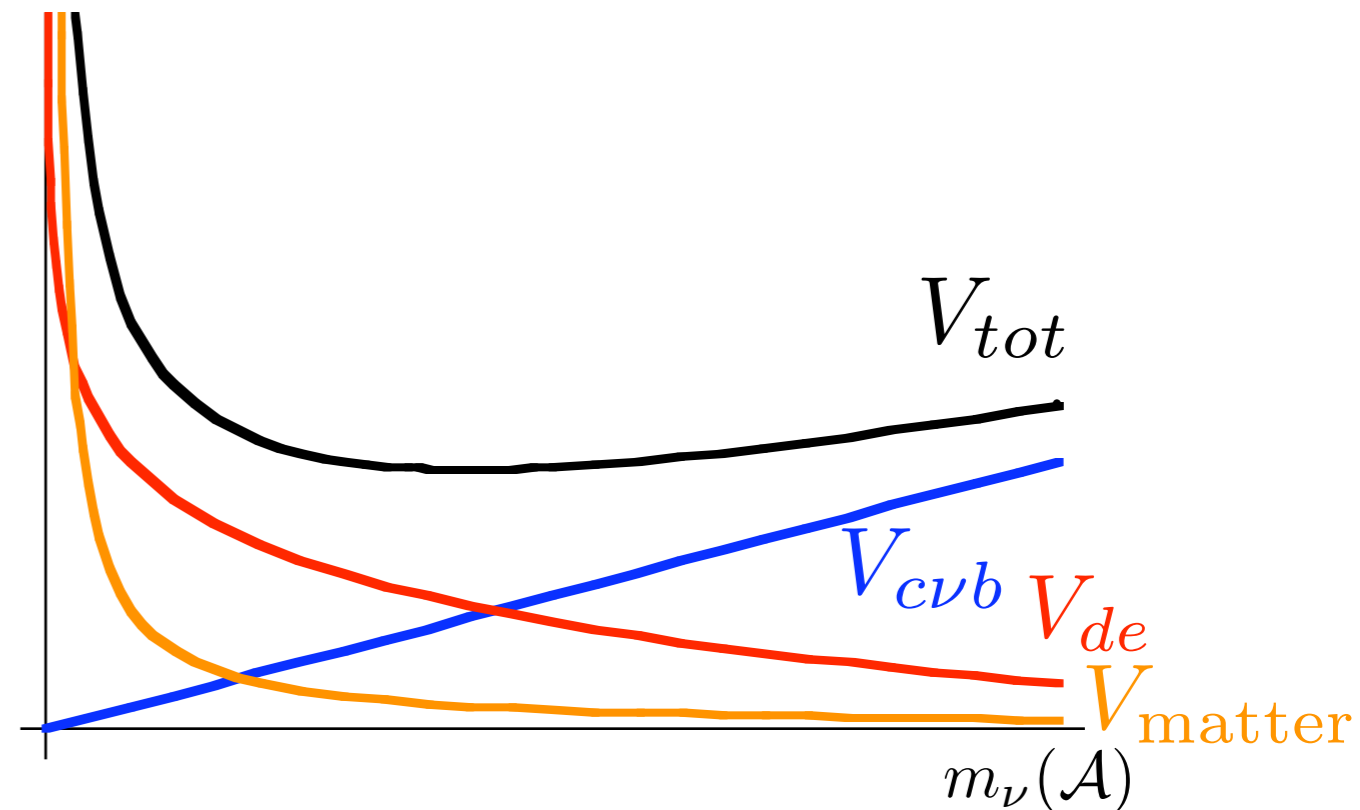
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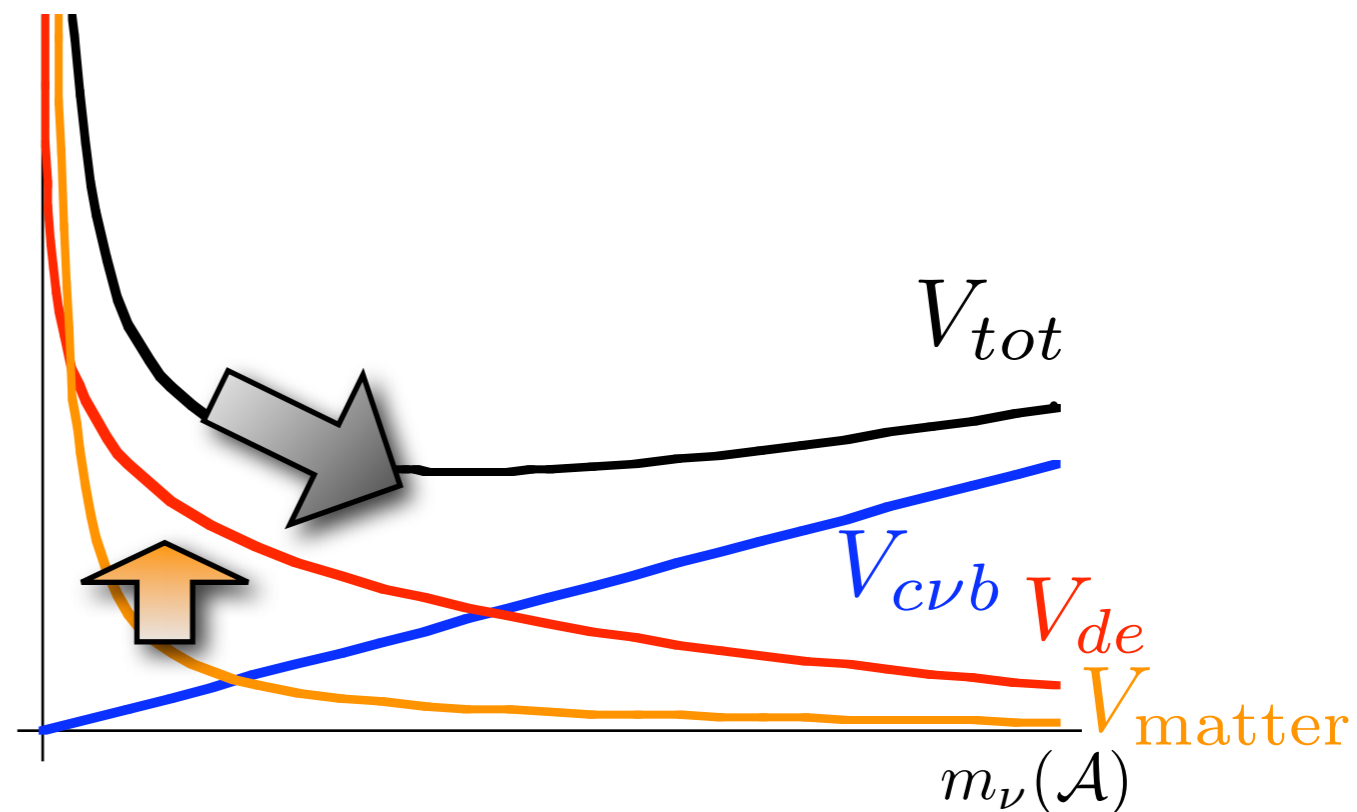
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Mass Varying



MaVaNs and LSND

Naïve observation:

null oscillation searches in **vacuum/air**: Bugey, Chooz,
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positive oscillation signals occur in **matter**: solar, Kamland,
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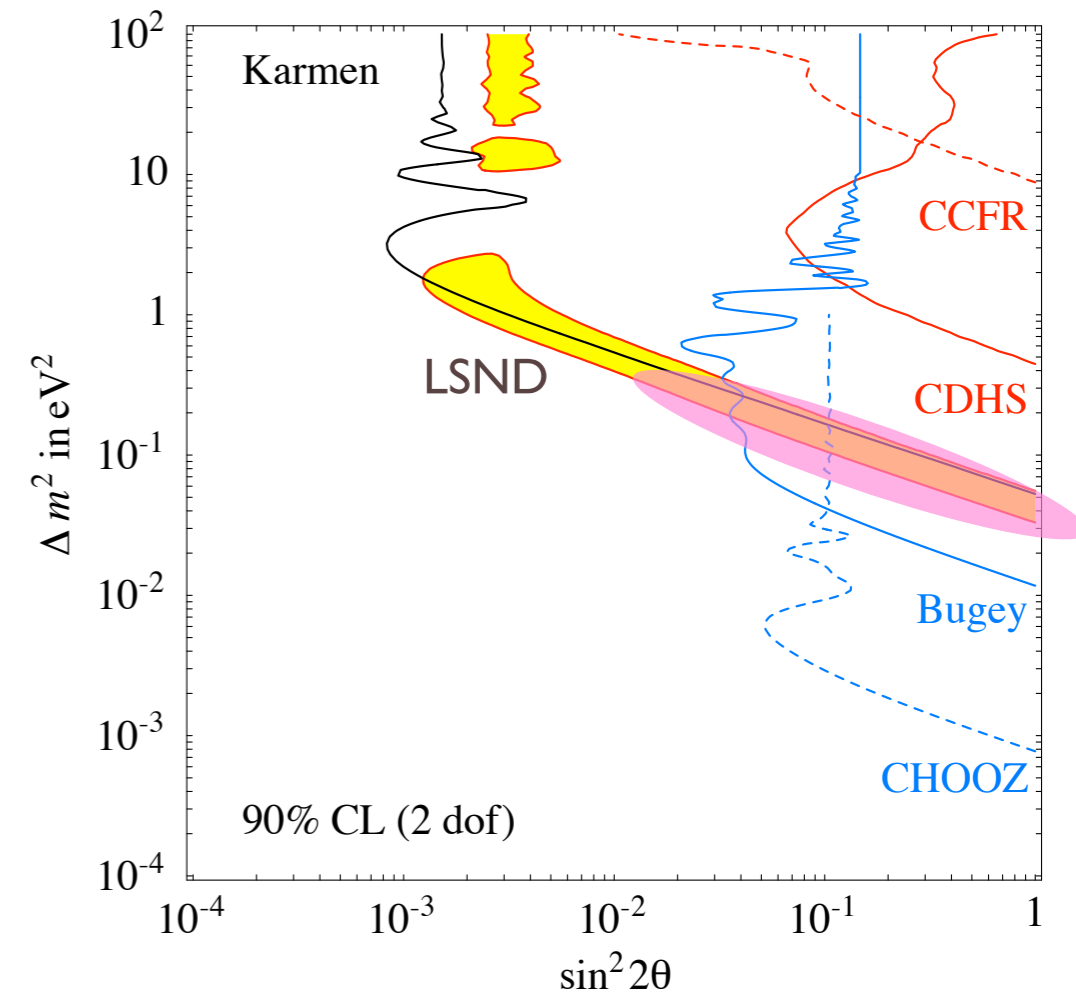
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Kaplan, Nelson, Weiner 2003



Strumia (2000)

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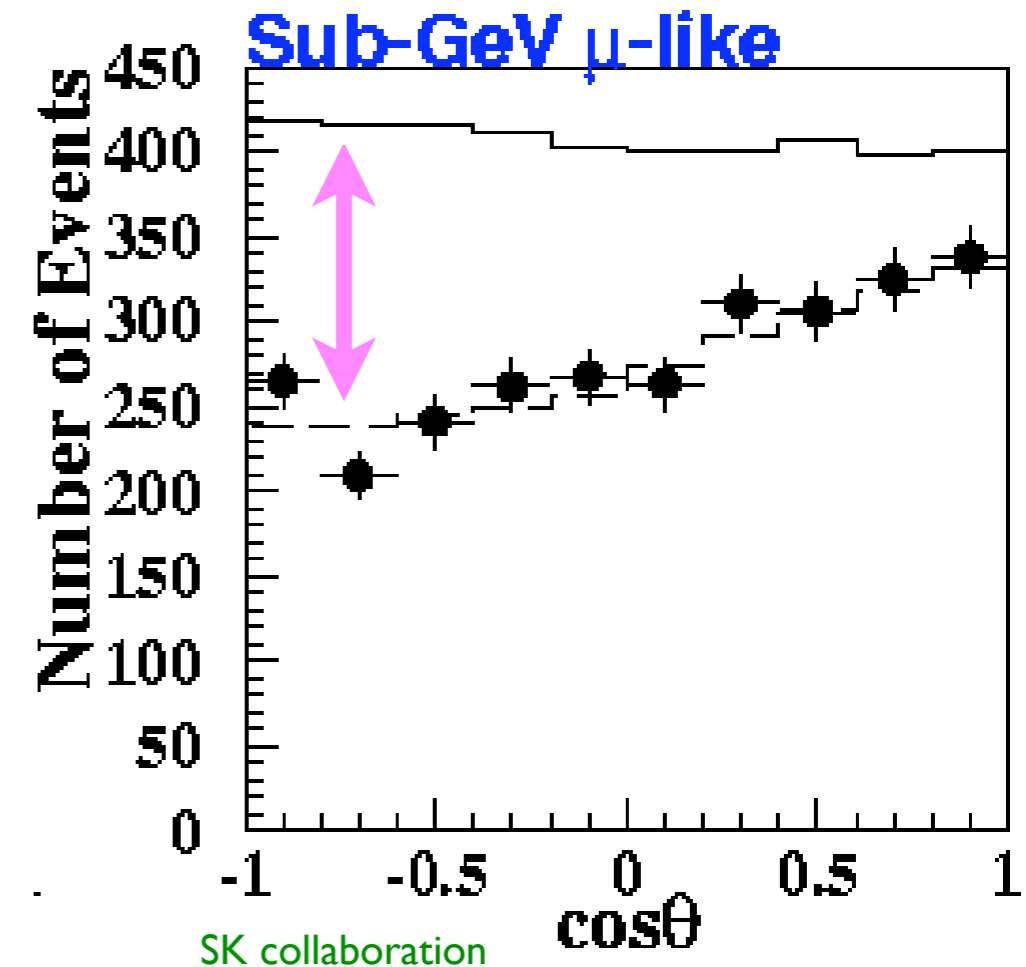
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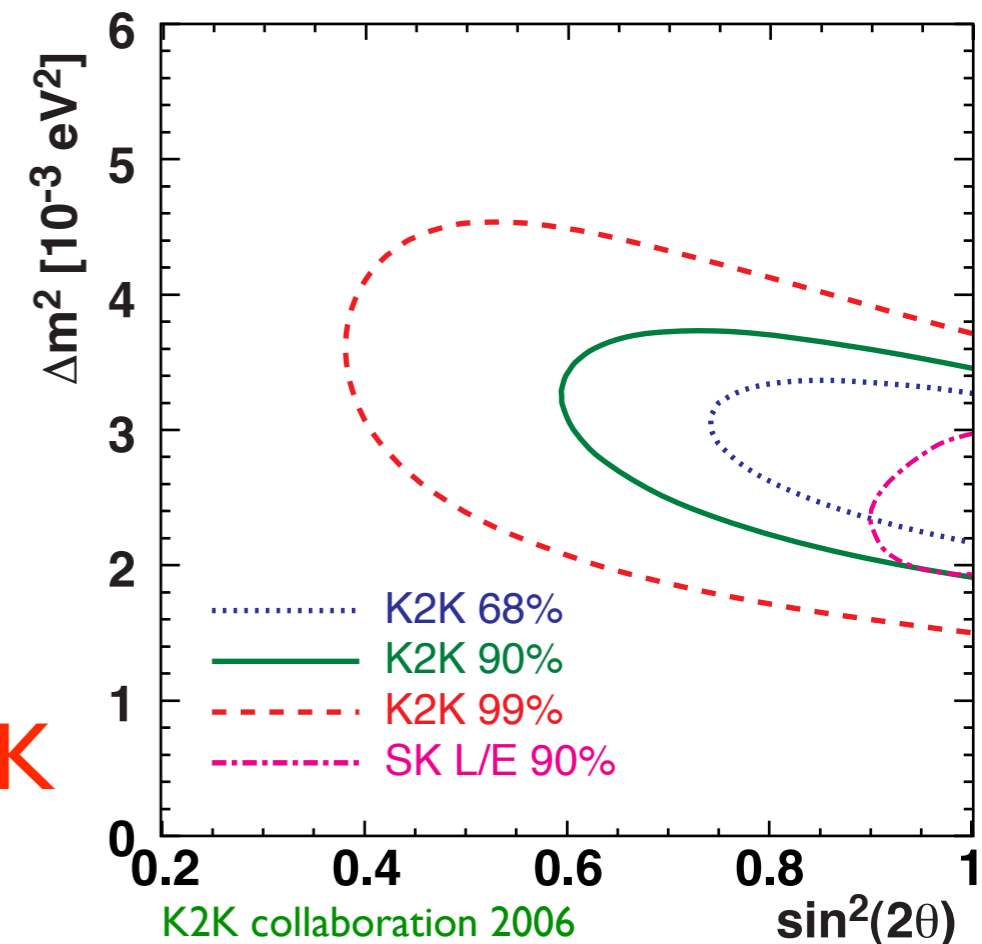
explains atmo deficit

However:

incompatible with **SK high-E** and **K2K**

\Rightarrow Does **not** work.

Kaplan, Nelson, Weiner 2003



MaVaNs and LSND

3+1 MaVaNs model??

Barger, Marfatia, Whisnant 2006

MaVaNs and LSND

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Barger, Marfatia, Whisnant 2006

Simplified sketch:

in **matter**
(explains LSND)

in **vacuum/air**
(avoids Chooz, Bugey)



LSND



atm



sun



atm



sun



The model is more complicated:
for technical reasons, requires

- **null** MiniBooNE,
- **large** θ_{13} ($\sim 15^\circ$), only in matter
(null DChooz, signal in Daya Bay, LBL)

A summary for LSND

model ($\varepsilon = \varepsilon_{\text{Xotic}}$)

standard 3 active

ε **sterile** (2+2, 3+1, 3+2...)
MaVaNs
~~**CPT**~~
~~**Lorentz**~~
muon decay
...

ε^2 **sterile MaVaNs**
sterile ~~**CPT**~~
sterile N-std cosmo
sterile decay
sterile x-dim
shortcuts

A summary for LSND

model	mainly killed by
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A summary for LSND

model	mainly killed by	future?
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Conclusions

The LSND puzzle prompted theorists to investigate many scenarios of exotic neutrino physics, most of which are now disfavoured.

In a more general perspective:

The exotic physics stimulated by LSND

- opens to interesting sectors of new physics
- may appear as *subleading* effect in other ν exp's

Neutrino Physics

- is the physics of the *least tested* particles in SM
- has *discovered new physics* in the latest 15y

Back-up slides

MaVaNs and LSND

Signal	Channel	Environment
SNO	$\nu_e \rightarrow \nu_e, \nu_\mu, \nu_\tau$	solar-interior
Super-K(solar)	$\nu_e \rightarrow \nu_e, \nu_\mu$	solar-interior
Super-K(atm)	$\nu_\mu \rightarrow \nu_x$	air/HDM
KamLAND	$\nu_e \rightarrow \nu_x$	HDM
K2K	$\nu_\mu \rightarrow \nu_x$	HDM
LSND	$\nu_\mu \rightarrow \nu_e$	HDM
Null Search	Channel	Environment
KARMEN	$\nu_\mu \rightarrow \nu_e$	$\sim 50\%$ air
Bugey	$\nu_e \rightarrow \nu_x$	air
CHOOZ	$\nu_e \rightarrow \nu_x$	$\sim 80 - 90\%$ air
Palo Verde	$\nu_e \rightarrow \nu_x$	$\sim 95\%$ HDM
CDHS	$\nu_\mu \rightarrow \nu_x$	Unknown
NOMAD	$\nu_\mu \rightarrow \nu_\tau$	$\sim 60\%$ HDM
CHORUS	$\nu_e \rightarrow \nu_\tau$	$\sim 60\%$ HDM
	$\nu_\mu \rightarrow \nu_\tau$	
Future Expmt.	Channel	Environment
MiniBooNE	$\nu_\mu \rightarrow \nu_e$	HDM
OPERA	$\nu_\mu \rightarrow \nu_\tau$	HDM
MINOS	$\nu_\mu \rightarrow \nu_e, \nu_\mu, \nu_\tau$	HDM

(HDM = High Density Medium)

$\sim 90\%$ HDM
according
to J. Steinberger
(Barger et al 2006)

K2K results in 2003

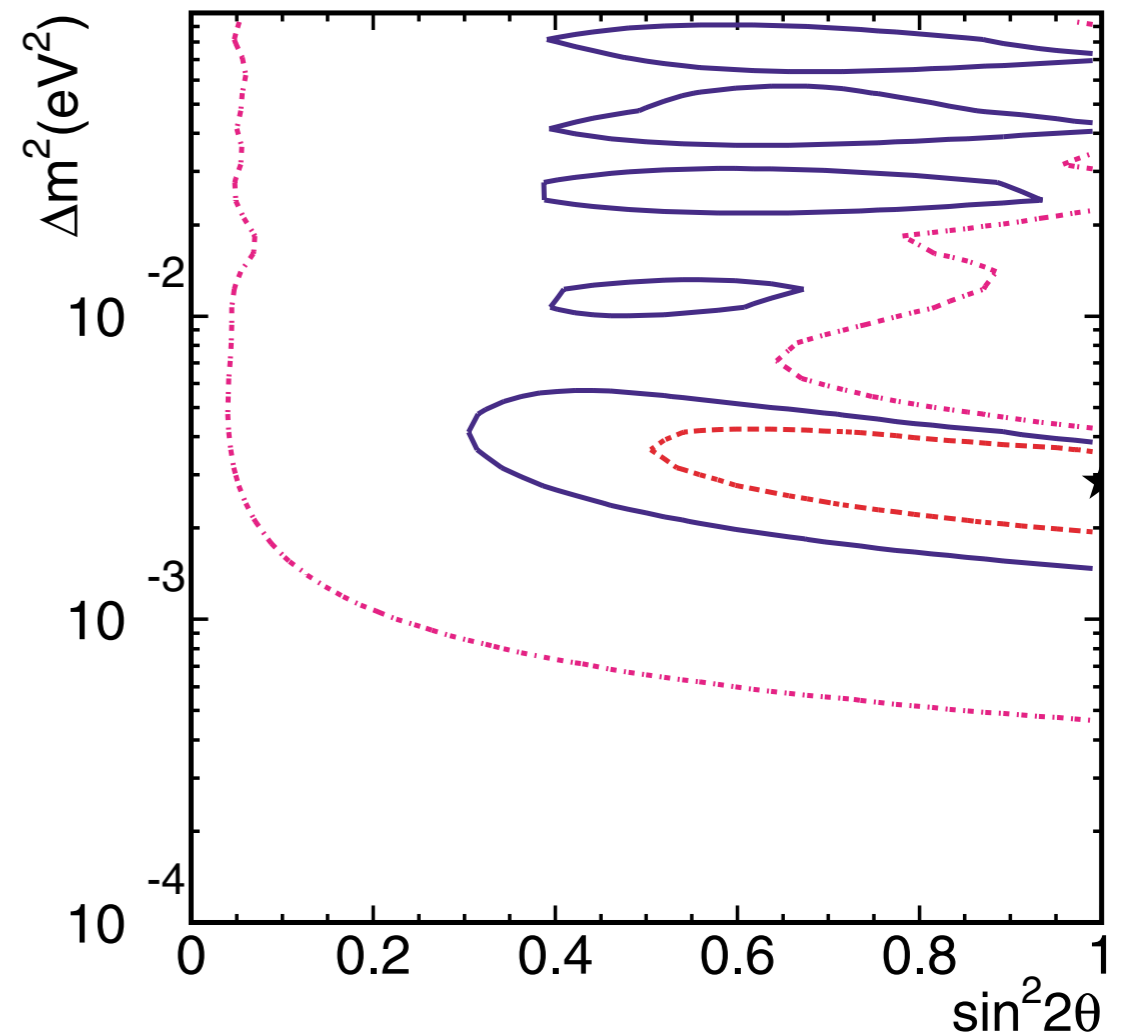


FIG. 3 (color online). Allowed regions of oscillation parameters. Dashed, solid, and dot-dashed lines are 68.4%, 90%, and 99% C.L. contours, respectively. The best-fit point is indicated by the star.