

# Gamow-Teller Transitions Implications for Supernova Scenarios & Double- $\beta$ Decay

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1. Introduction
2. Importance of studying  $GT^+$  in *fp*-shell nuclei
3. Experimental method
4. Case Study:  $^{58}\text{Ni}$
5. Measurements on several *fp*-shell nuclei
6. Measurements on  $2\beta$ -decaying nuclei
7. Conclusions and outlook

# Spin-isospin excitations

**Neutral ( $\nu, \nu'$ ) and charged ( $\nu_e, e^-$ ), ( $\nu_e, e^+$ ) currents**

**NC  $\Rightarrow$  Inelastic electron and proton scattering**

**$\Rightarrow$  M0, M1, M2**

**CC  $\Rightarrow$  Charge-exchange reactions**

**Isovector charge-exchange modes**

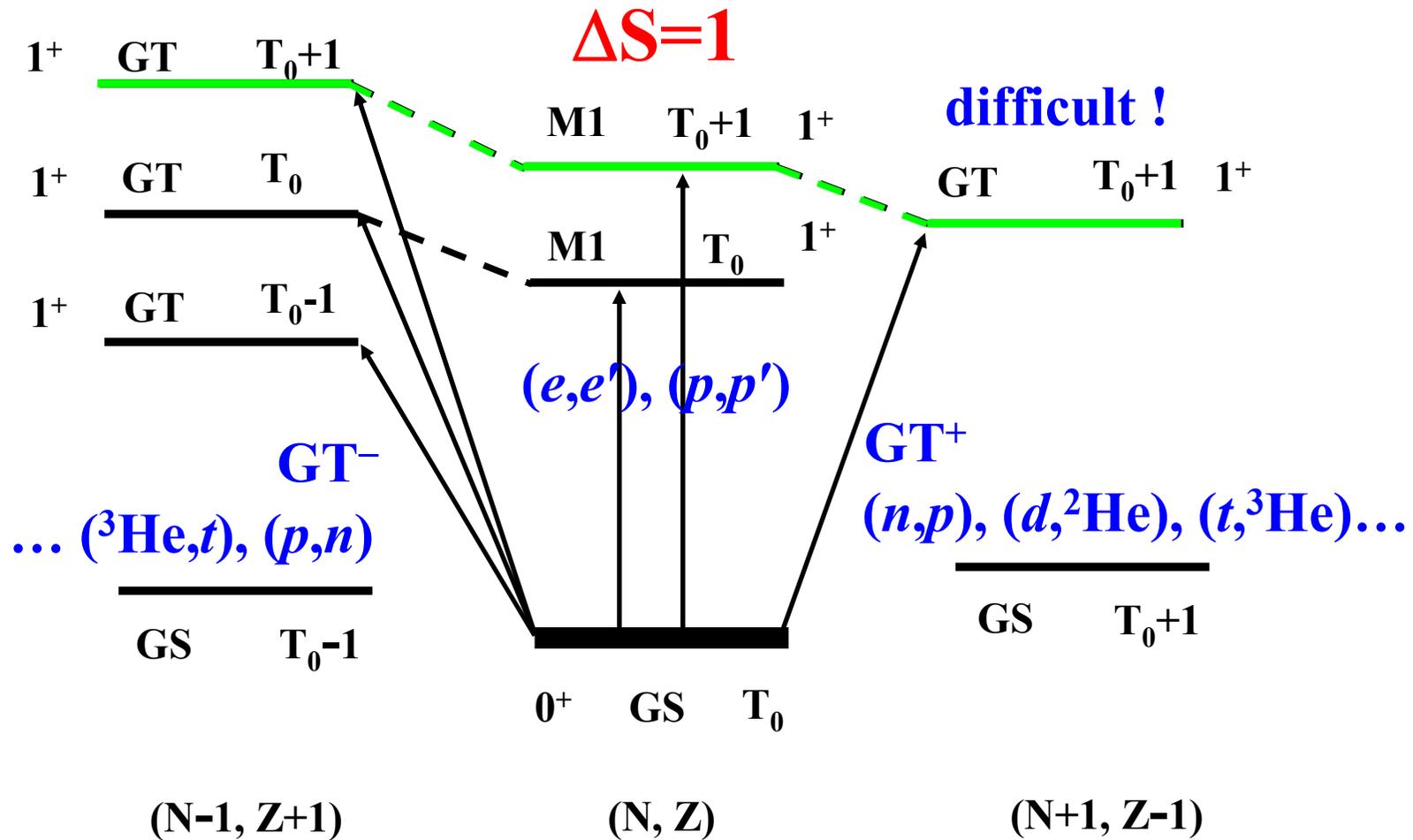
**$\Rightarrow$  GTR, IVSGMR, IVSGDR, etc.**

**Importance for nuclear astrophysics,**

**$\nu$ -physics,  $2\beta$ -decay, n-skin thickness, etc.**

**( $p, n$ ), ( ${}^3\text{He}, t$ ) {GT $^-$ }; ( $n, p$ ), ( $d, {}^2\text{He}$ ) & ( $t, {}^3\text{He}$ ) {GT $^+$ }**

# Spin-flip & GT transitions



# Charge-exchange probes

**$(p,n)$ -type ( $\Delta T_z = -1$ )**

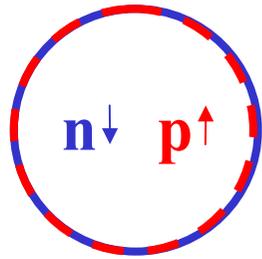
- $\beta^-$ -decay
- $(p,n)$
- $({}^3\text{He},t)$
- heavy ion

**$(n,p)$ -type ( $\Delta T_z = +1$ )**

- $\beta^+$ -decay
- $(n,p)$
- $(d,{}^2\text{He})$
- $(t,{}^3\text{He})$
- heavy ion; ( ${}^7\text{Li}, {}^7\text{Be}$ )

- Energy per nucleon ( $>100$  MeV/u)
- Spin-flip versus non-spin-flip
- Complexity of reaction mechanism
- Experimental considerations

# Spin-isospin excitations



$$\Delta L=0 \quad \Delta S=1 \quad \Delta T=1$$

**GTR**

- Gamow-Teller transitions:  
Isospin ( $\Delta T=1$ )  
Spin ( $\Delta S=1$ )

## Advantages

- Cross section peaks at  $\theta^\circ$  ( $\Delta L=0$ )
- Strong excitation of GT states at  $E/A=100-500$  MeV/u

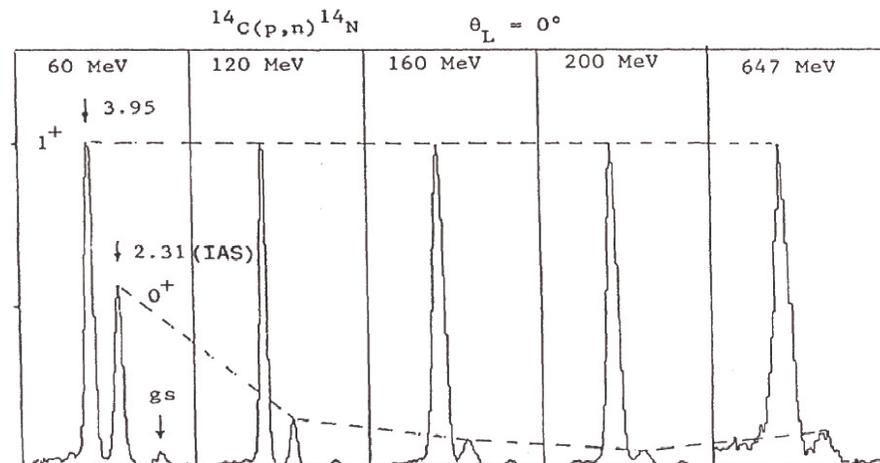
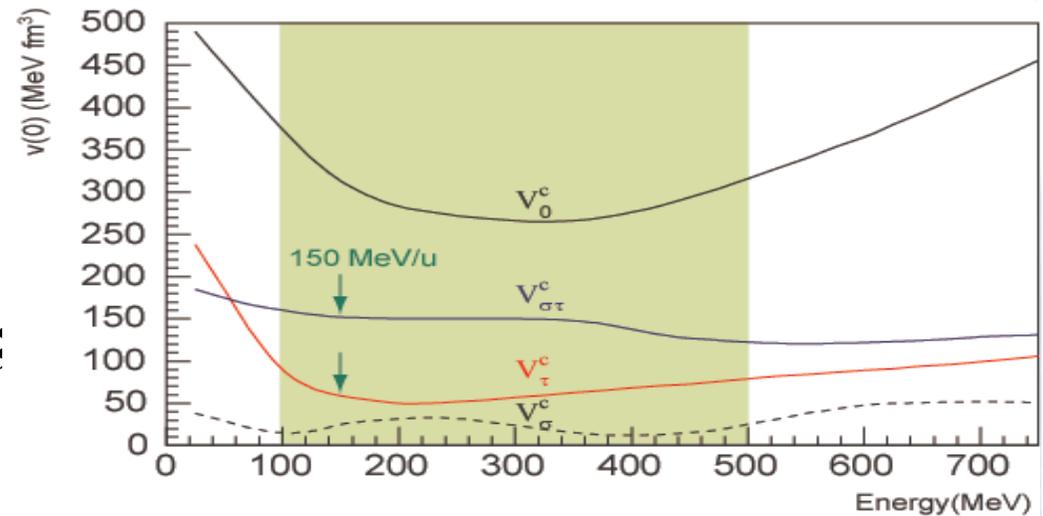
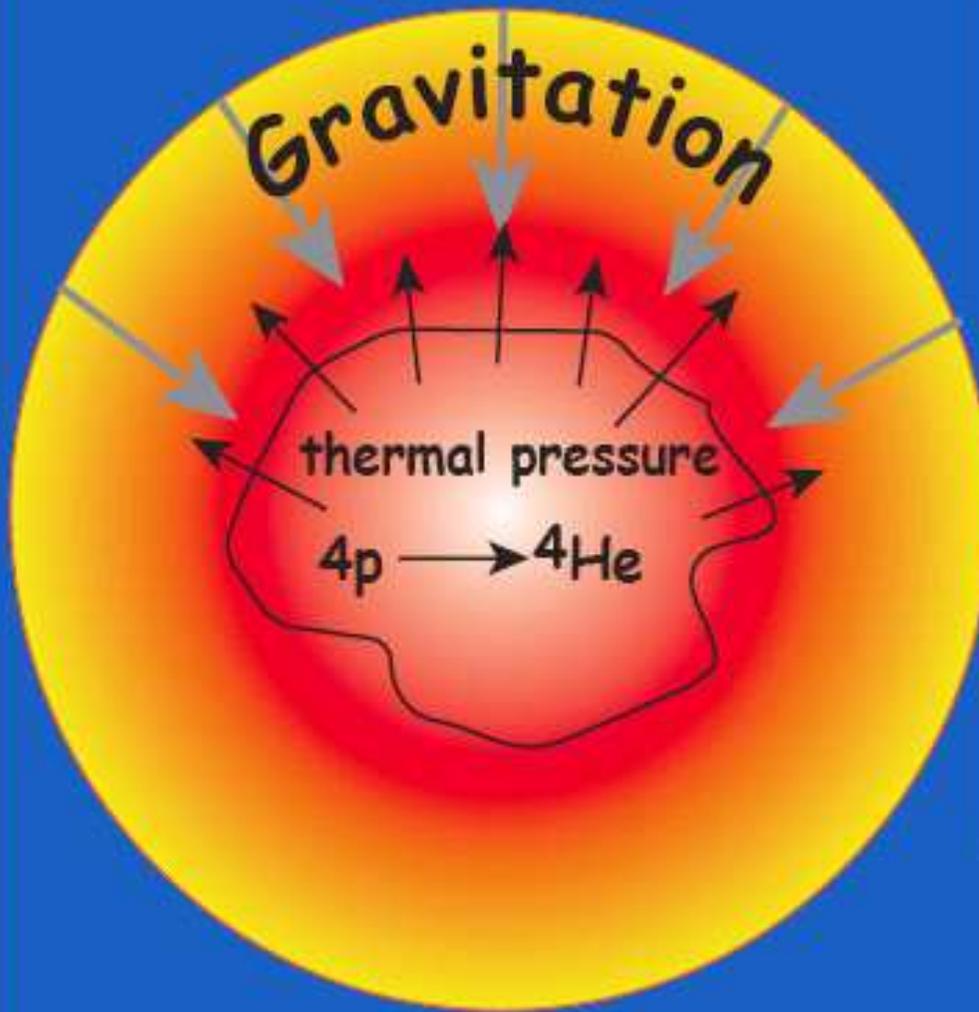


FIG. 4. Zero-degree cross-section spectra for the  $^{14}\text{C}(p,n)^{14}\text{N}$  reactions at the indicated bombarding energies. The spectra have been arbitrarily normalized. From Gaarde (1985) and Rappaport (1989).

## Why are Gamow-Teller transitions in *fp*-shell nuclei important ?

- Role of *fp*-shell nuclei in supernova explosions: Core of supernova star is composed of *fp*-shell nuclei.  
⇒ electron capture
- Neutrino absorption cross sections by *fp*-shell nuclei are essential in understanding of nuclear synthesis in Supernova explosions in cosmos.
- ➔ Difficulties in shell-model calculations for *fp*-shell nuclei.
- ➔ Importance to measure spin-isospin responses of *fp*-shell nuclei to gauge theoretical calculations.

## Nuclear processes and energy household of supernovae



initial condition:

$$M > 10 M_{\odot}$$

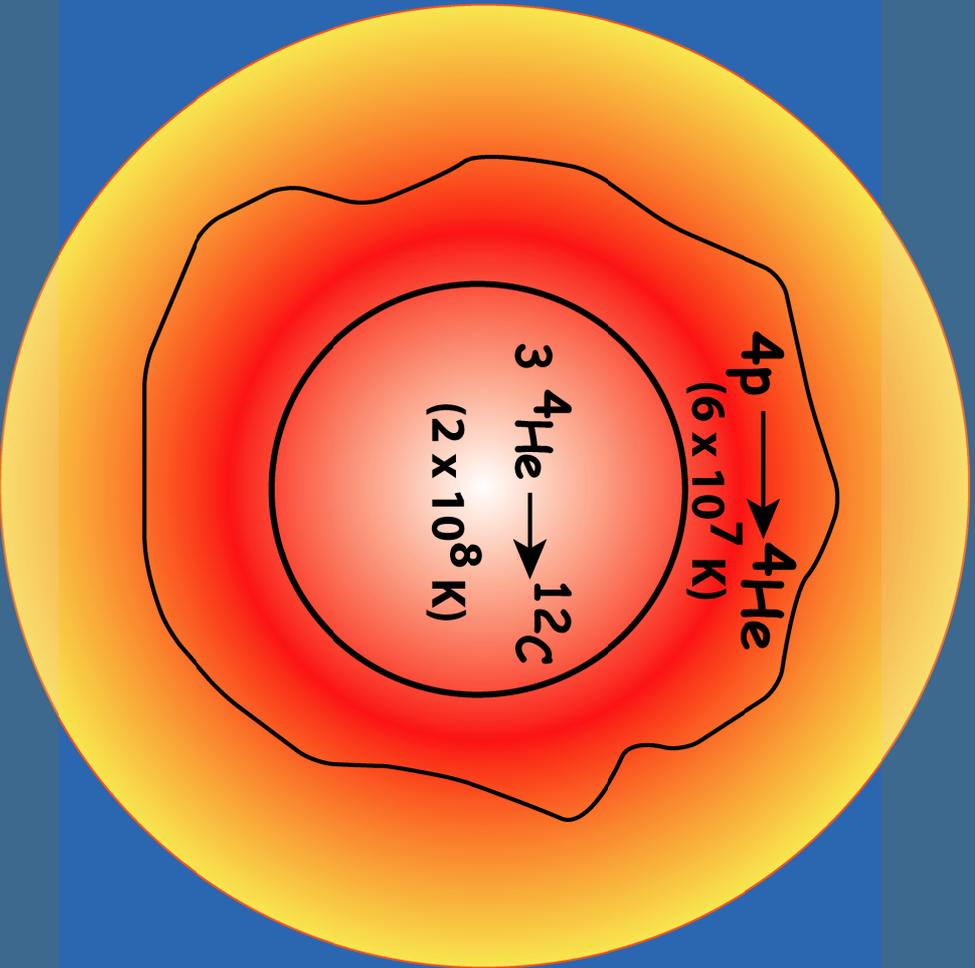
energy:

fusion  $4p \rightarrow 4\text{He}$

at:  $T \sim 10^7 - 10^8 \text{ K}$

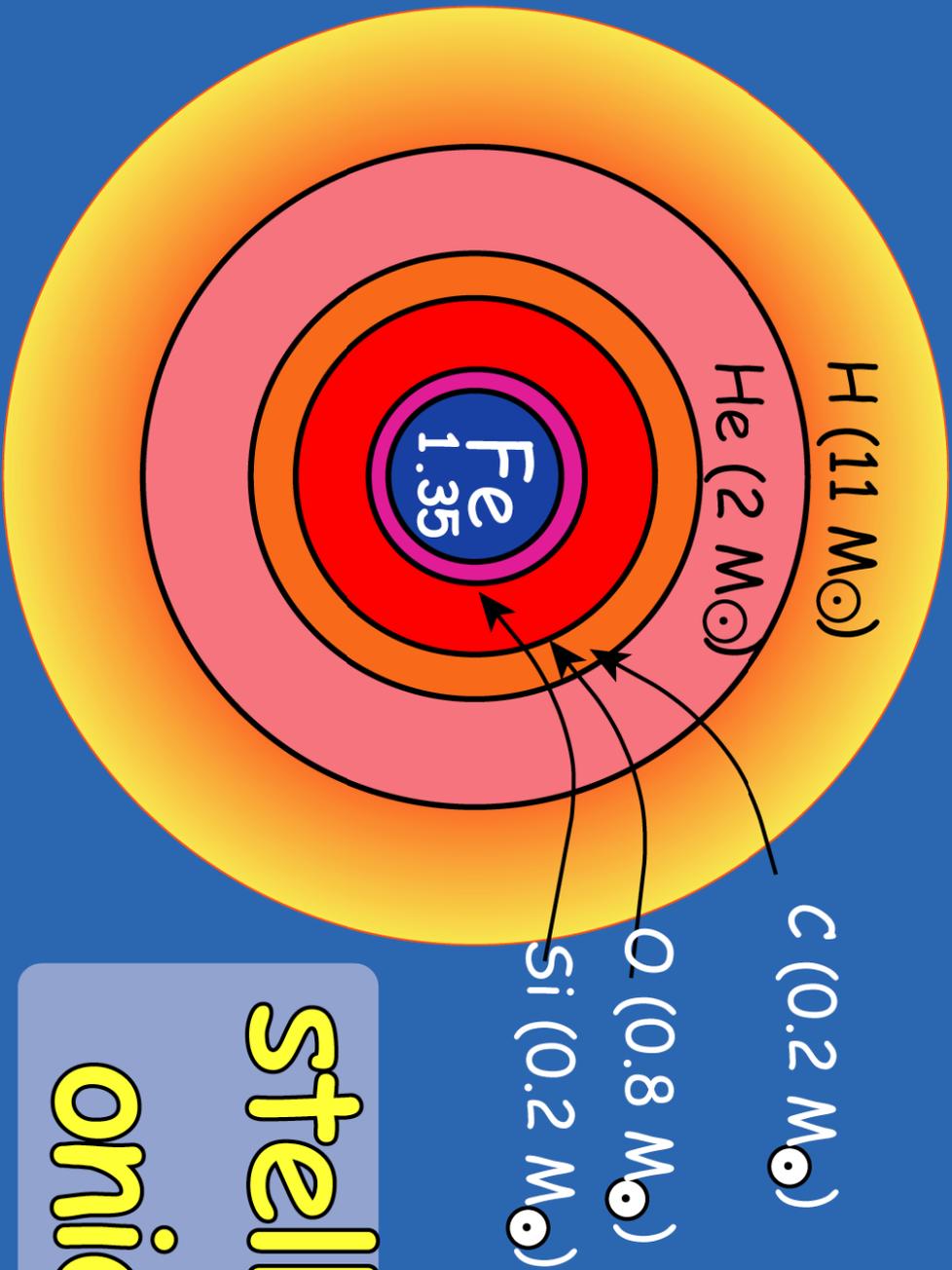
lifetime:  $10^6 - 10^7 \text{ y}$

after  $10^6 - 10^7$  y



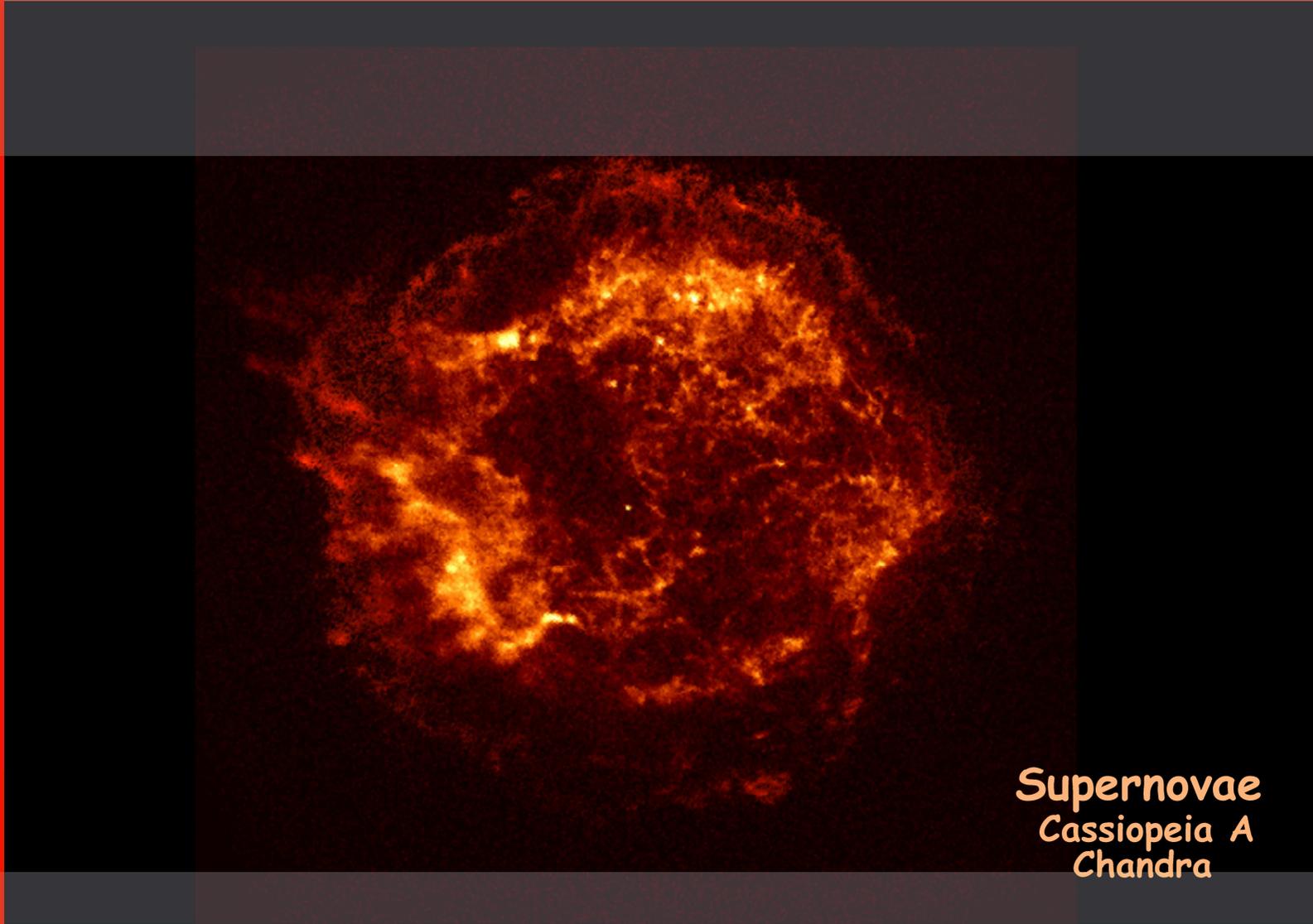
end of H-burning  
contraction of star  
temperature increase  
Red Giant (Super-Giant)  
lifetime:  $5 \times 10^5$  y

end of stellar evolution  $M_{\text{star}} \sim 15 M_{\odot}$



stellar  
onion

# Determination of GT Strength is imperative



Supernovae  
Cassiopeia A  
Chandra

Courtesy of  
D. Frerking

# Electron capture in $fp$ -shell

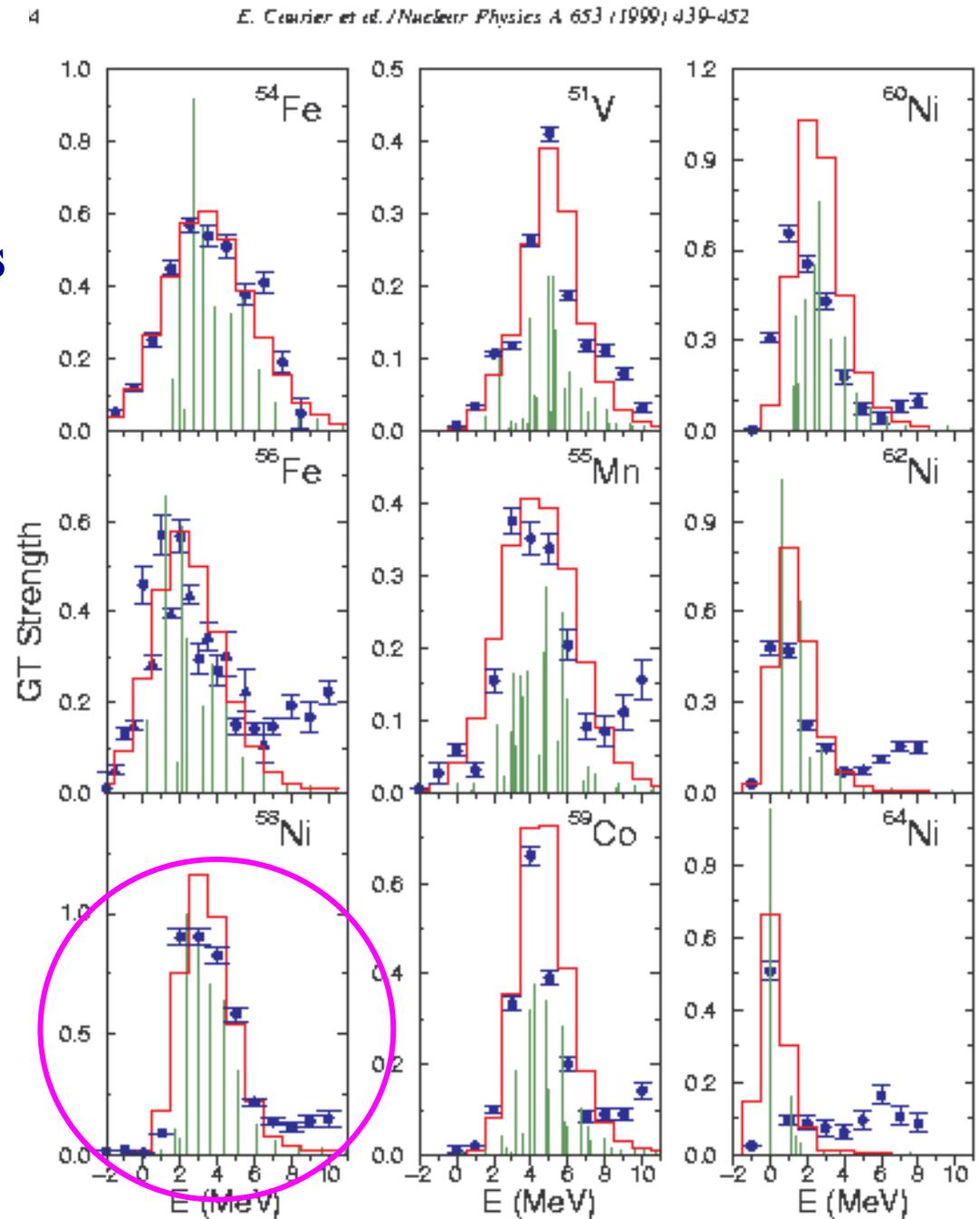
- In supernova explosions, **electron capture (EC)** on  $fp$ -shell nuclei plays a dominant role during the last few days of a heavy star [**presupernova stage; deleptonization  $\Rightarrow$  core collapse  $\Rightarrow$  subsequent type IIa Supernova (SN) explosion**] **Bethe *et al.* (1979)**
- The rate for **EC** is governed by the  **$GT^+$  strength distribution at low excitation energy; not accessible to  $\beta$ -decay.**
- **Fuller, Fowler and Newman (FFN) (1982-1985); estimates of stellar rates in stellar environments using s.p. model.**
- **Caurier *et al.*, Martínez-Pinedo & Langanke (1999), Otsuka *et al.*  $\Rightarrow$  Large shell-model calculations  $\Rightarrow$  marked deviations from FFN EC rate; generally smaller EC rates.**
- Experiments and theory relied on  $(n,p)$  data (**TRIUMF**) which have a **rather poor energy resolution.**

## light nuclei: large scale shell model

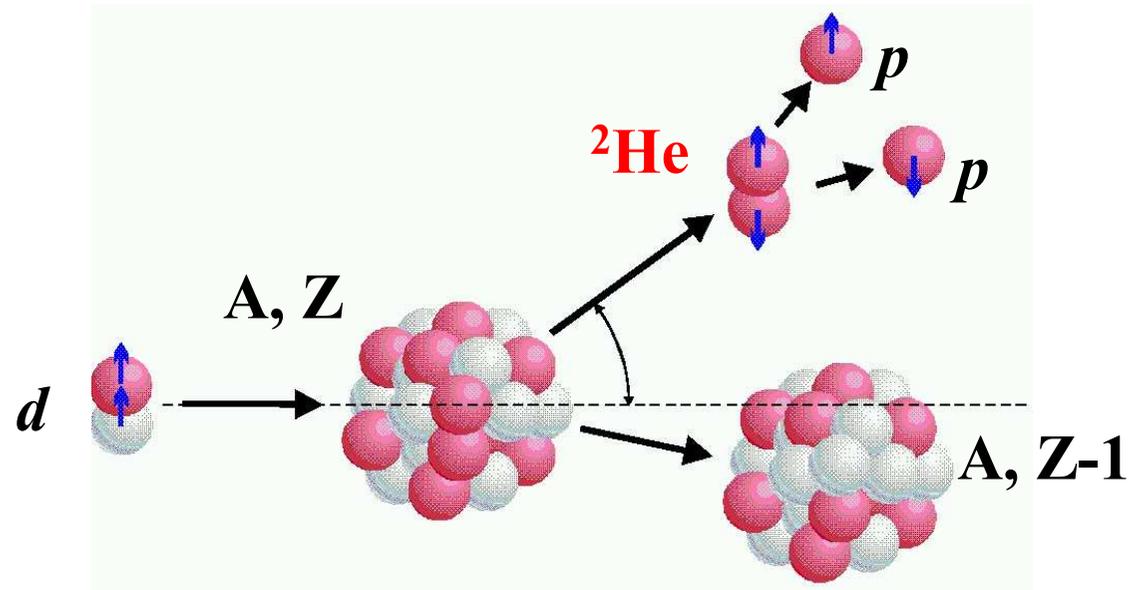
**E. Caurier *et al.* calculations  
NPA 653 (1999) 439**

- Stellar weak reaction rates with improved reliability
- Large scale shell model (SM) calculations
- Tuned to reproduce  $GT^+$  strength measured in  $(n,p)$
- $(n,p)$  data from TRIUMF
- $GT^+$  strength from SM
- Folded with energy resolution

Case study:  $^{58}\text{Ni}$



# Exclusive excitations $\Delta S = \Delta T = 1$ : ( $d, {}^2\text{He}$ )

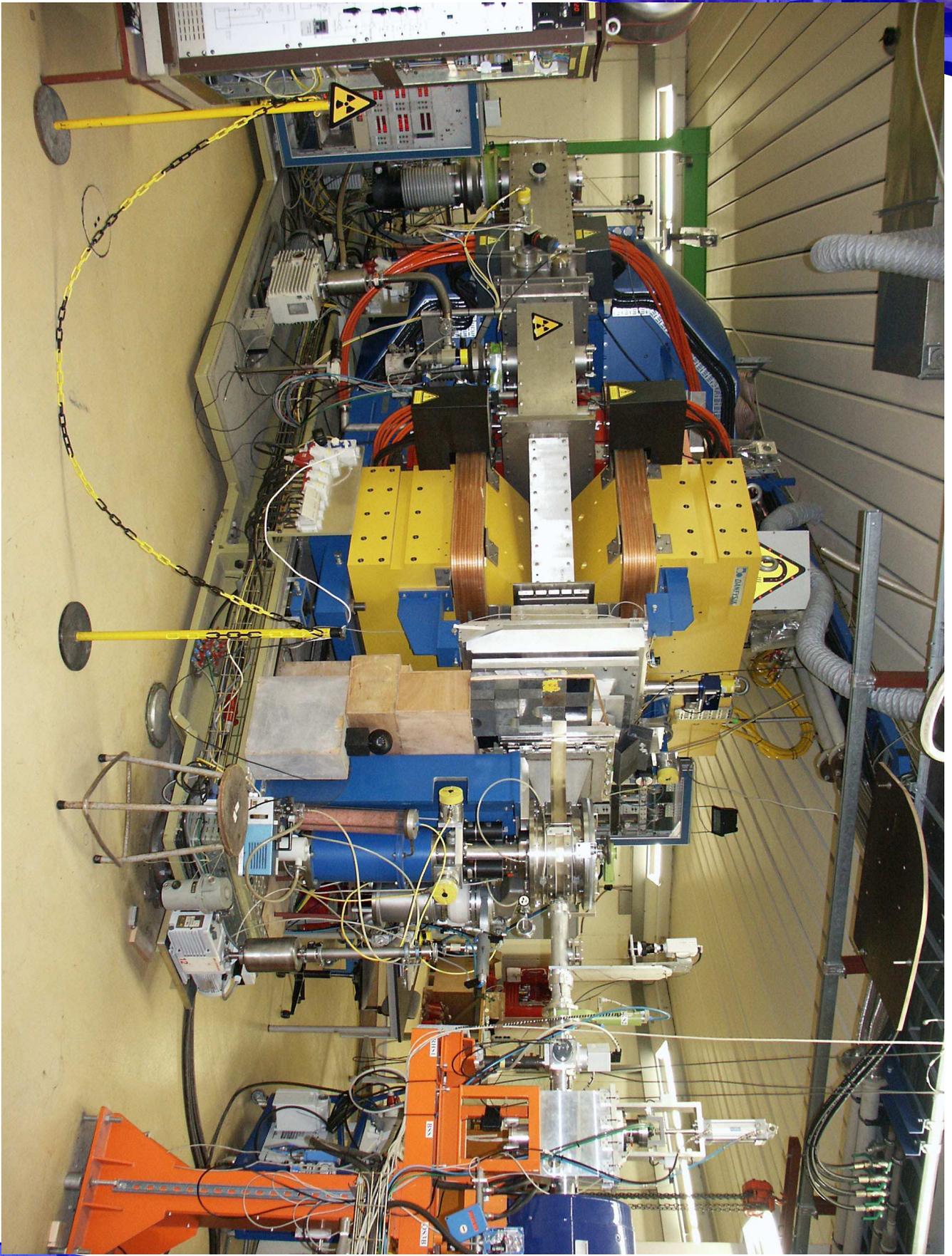


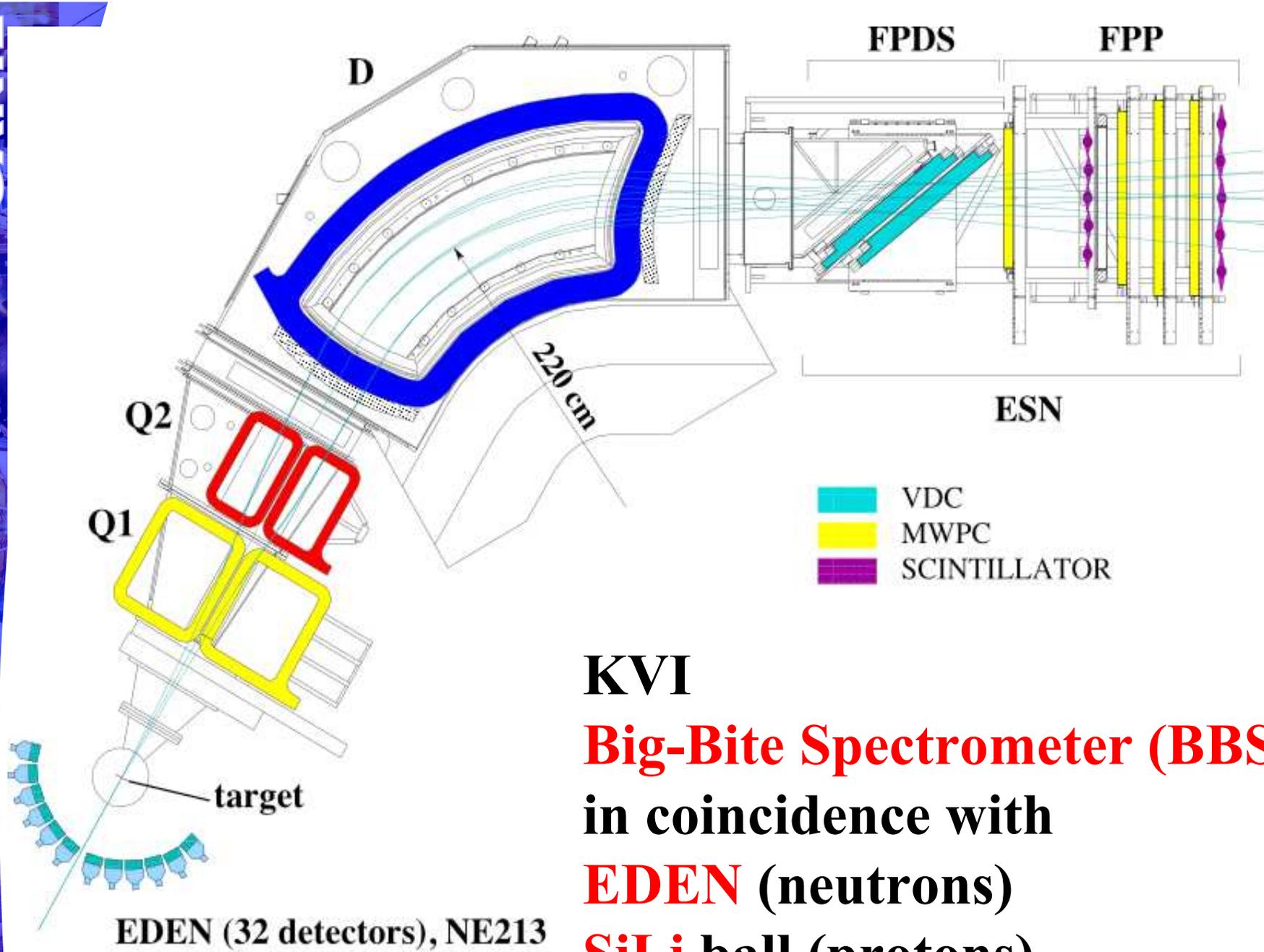
${}^3S_1$  deuteron  $\Rightarrow$   ${}^1S_0$  di-proton ( ${}^2\text{He}$ )

${}^1S_0$  dominates if (relative) 2-proton kinetic energy  $\varepsilon < 1$  MeV

( $n, p$ )-type probe with exclusive  $\Delta S = 1$  character ( $GT^+$  transitions)

But near  $0^\circ$ : tremendous background from  $d$ -breakup





## KVI

**Big-Bite Spectrometer (BBS)**

in coincidence with

**EDEN** (neutrons)

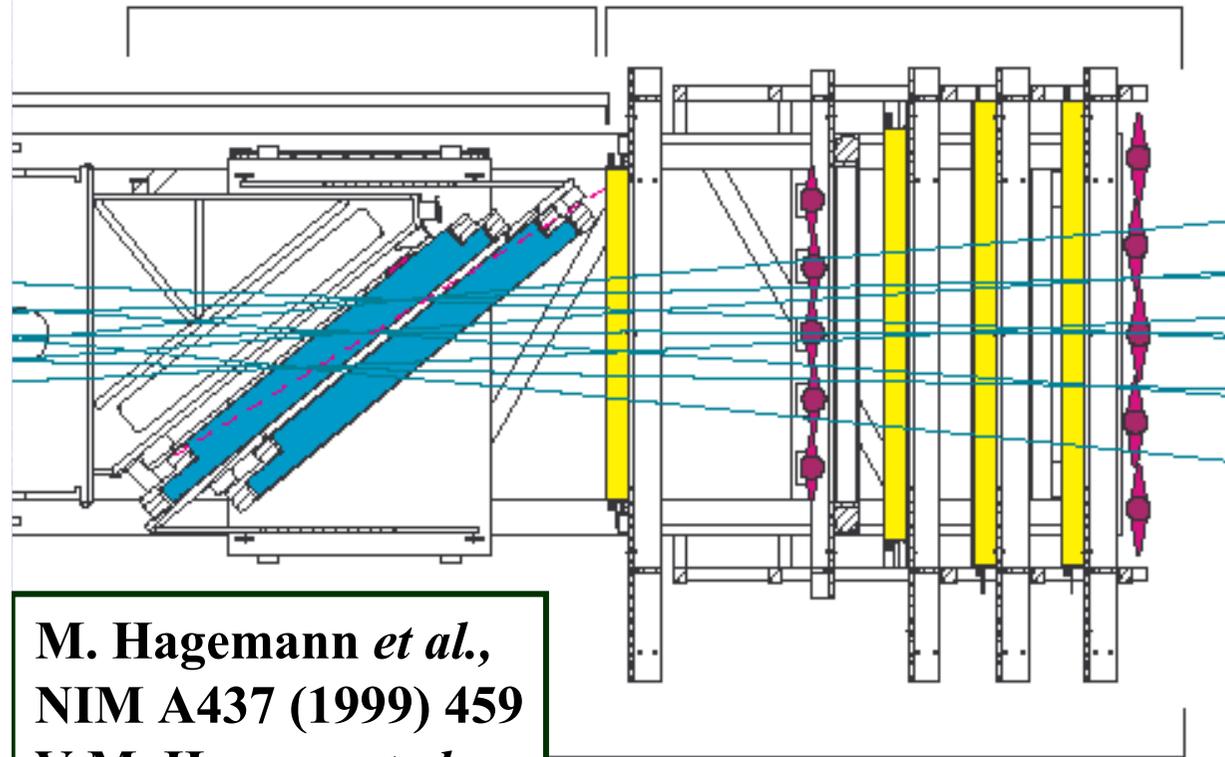
**SiLi** ball (protons)



# Setup: ESN detector

FPDS

FPP



Focal-Plane Detector:  
**(FPDS): 2 VDCs**

Focal-Plane Polarimeter:  
**(FPP): 4 MWPCs &  
graphite analyzer**

features a.o.:

**fast readout**

**VDC readout pipeline**

**TDC's**

**VDC decoding using  
imaging techniques**

**DSP based online analysis**

M. Hagemann *et al.*,  
NIM A437 (1999) 459  
V.M. Hannen *et al.*,  
NIM A500 (2003) 68

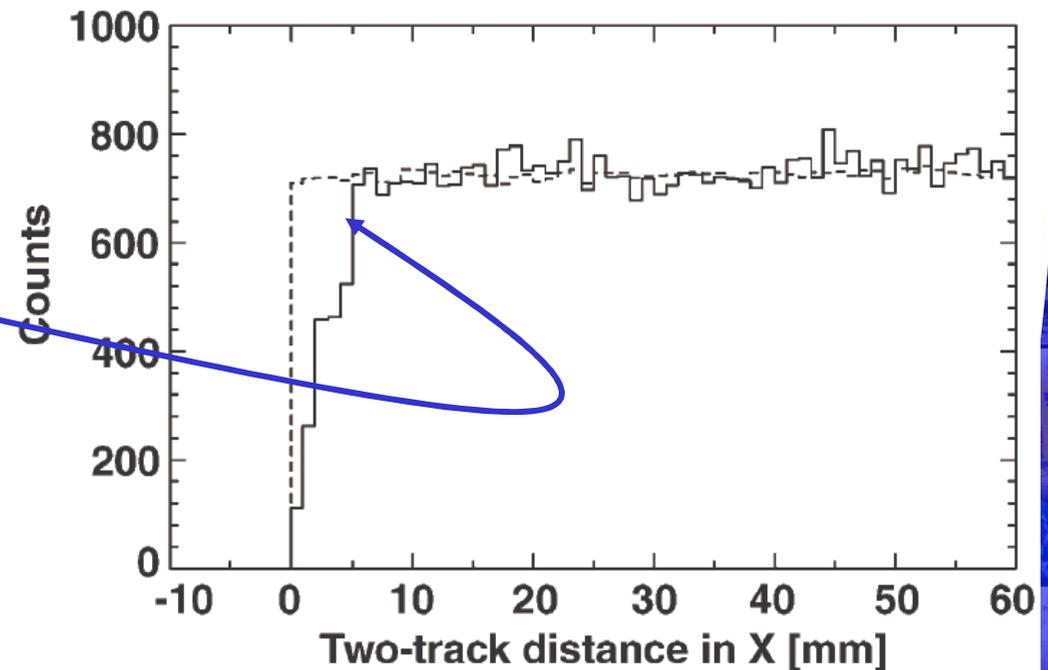
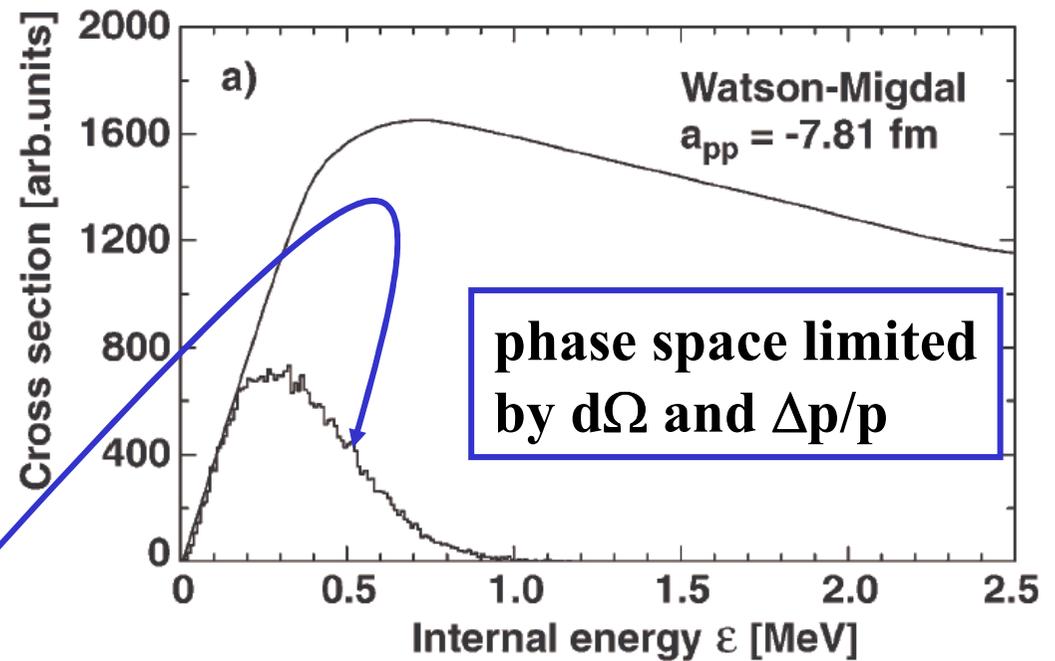
ESN

Bari, Darmstadt, Gent, Iserlohn, KVI, Milano, Münster, TRIUMF

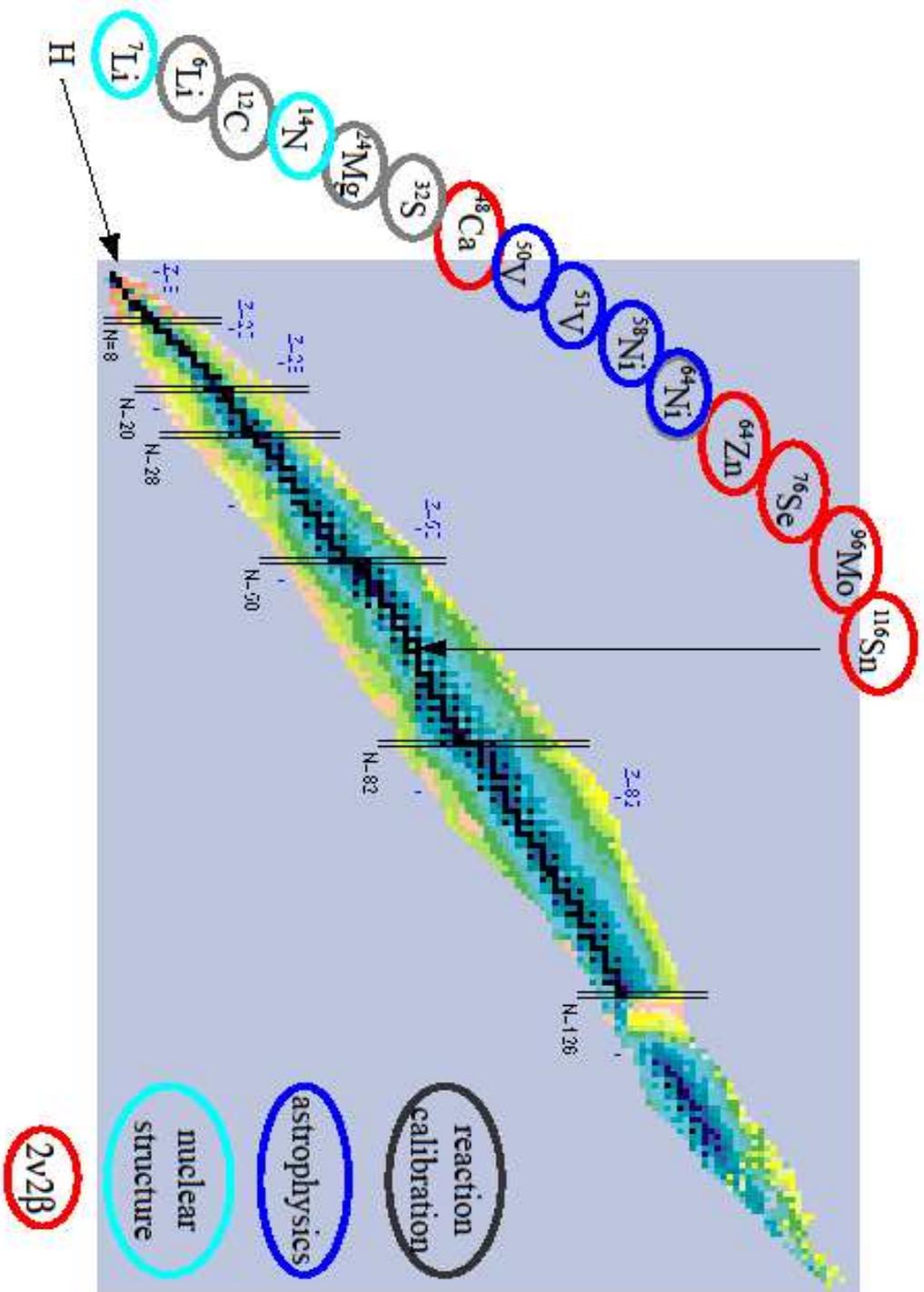
- Good double tracking
- Use VDC information
- Good phase space coverage for small relative proton energies

S. Rakers *et al.*,  
NIM A481 (2002) 253

measured

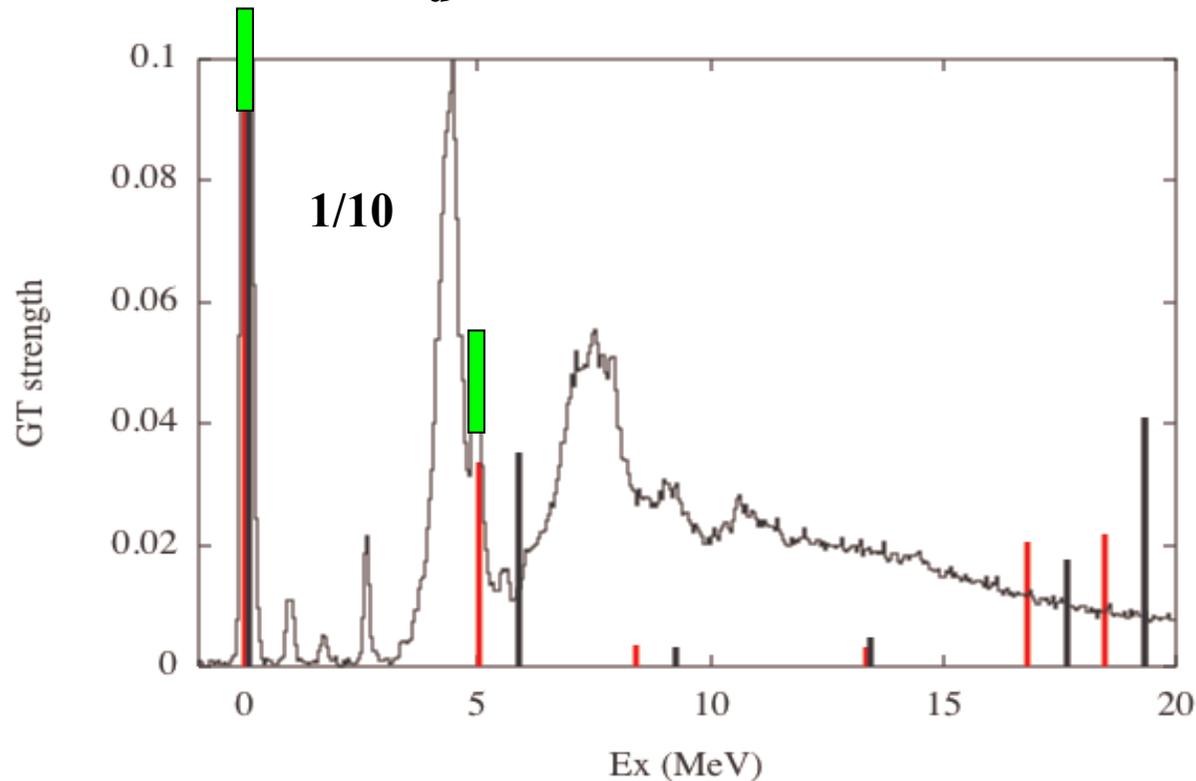


# Performed (d,<sup>2</sup>He) reactions @ KVI



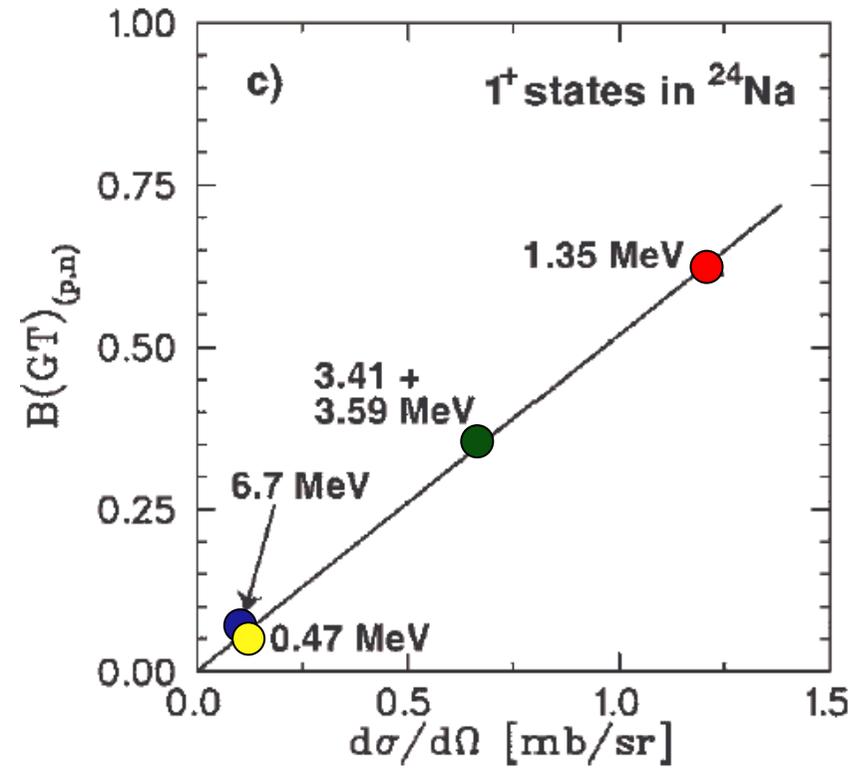
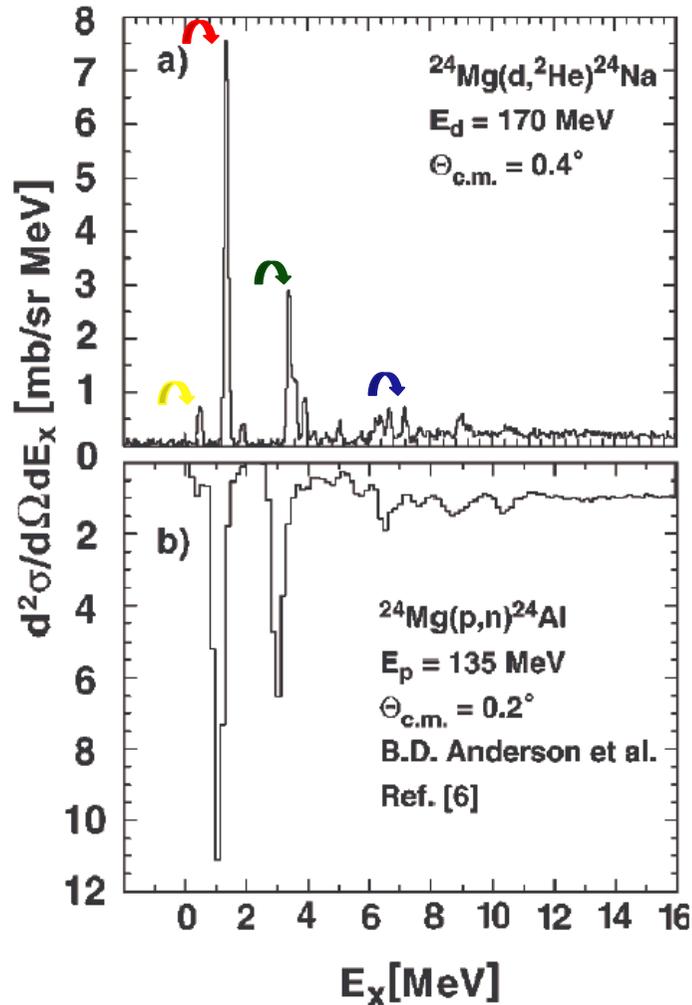
# Exclusive measurement of $\Delta S = \Delta T = 1$ strength: $^{12}\text{C}(d, ^2\text{He})^{12}\text{B}$

$$E_d = 171 \text{ MeV}, \theta = 0^\circ$$



- shell model calculations  $4 \hbar\omega$  &  $6 \hbar\omega$  (G. Martínez-Pinedo)
- B (GT<sup>+</sup>) (S. Rakers) █

# $(p,n)$ vs $(d,^2\text{He})$ : Calibration

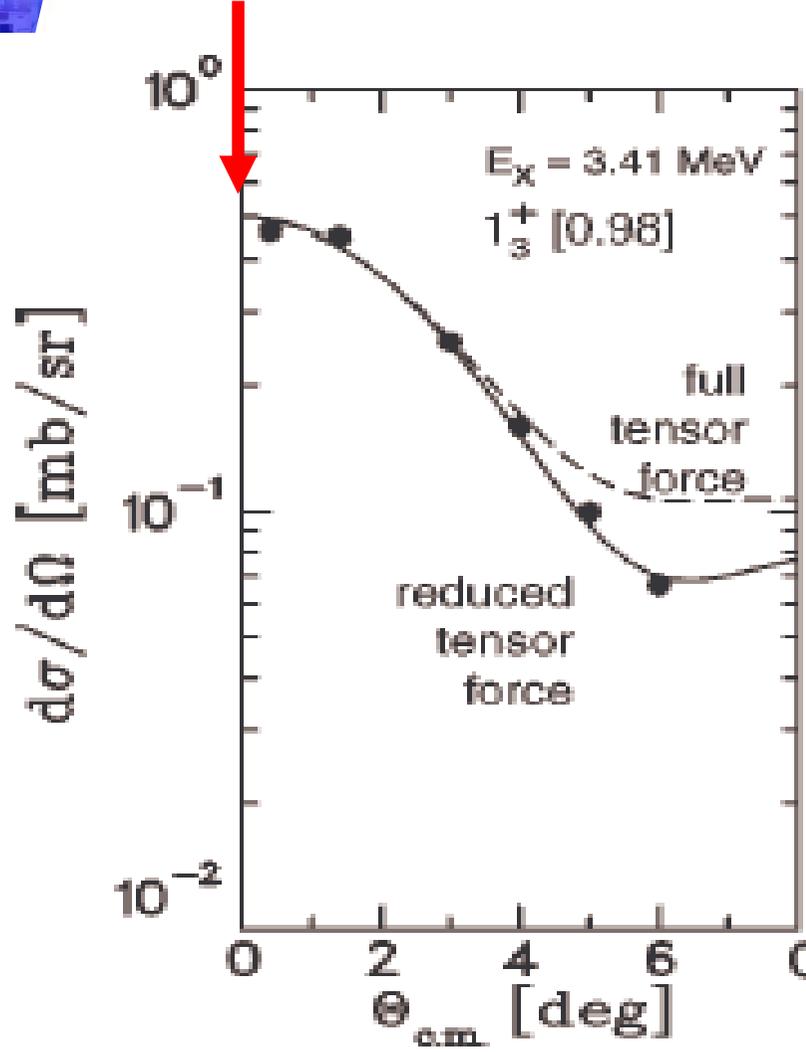


Self-conjugate  $^{24}\text{Mg}$

S. Rakers *et al.*

PRC 65 (2002) 044323

# Experimental cross section and GT strength



$$B_{\text{exp}}(\text{GT}+) =$$

$$\frac{d\sigma(q=0)}{d\Omega} \cdot \left[ \frac{d\sigma(\text{GT})}{d\Omega} \right]^{-1}$$

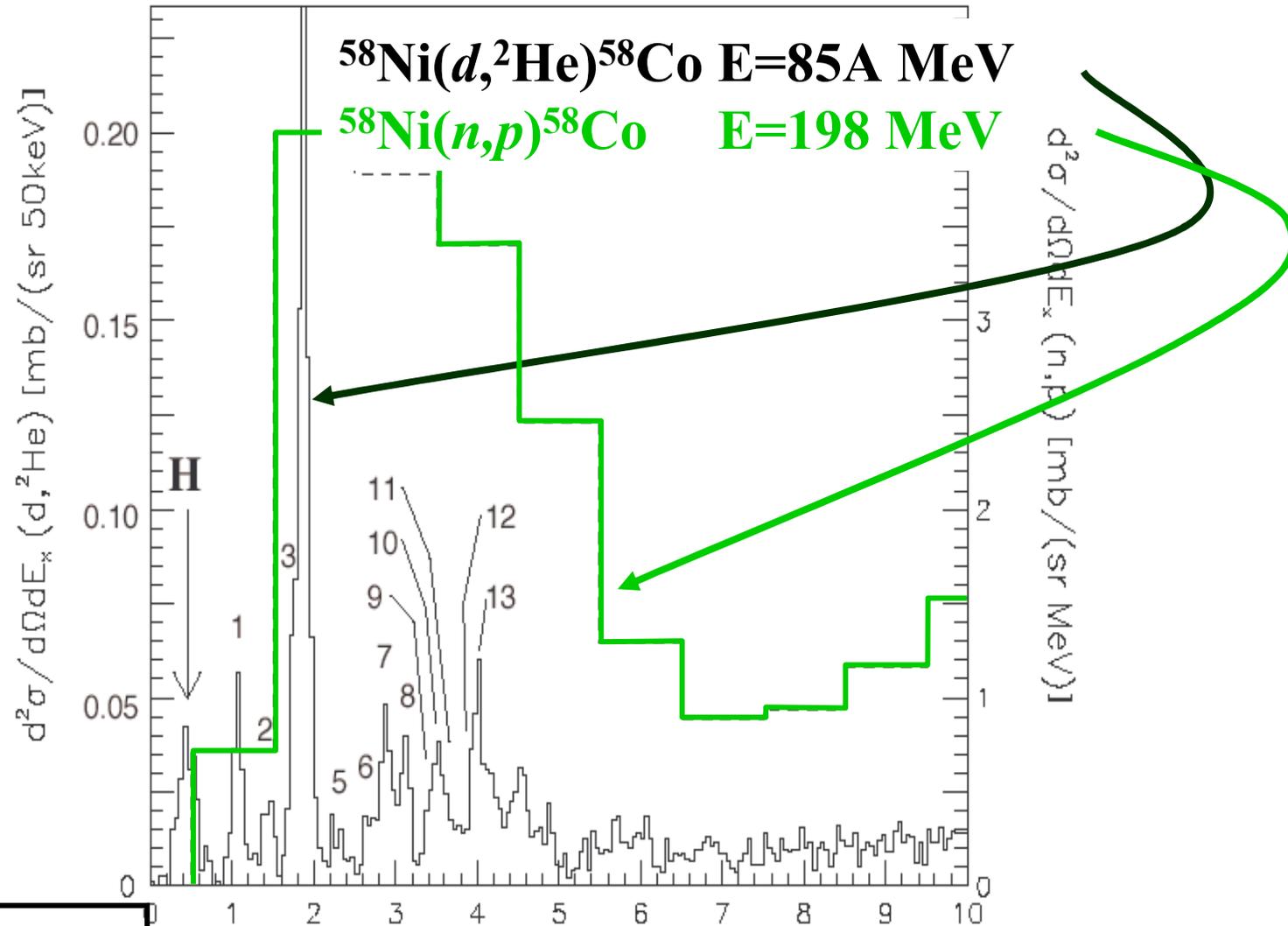
extrapolated  
(DWBA)

unit cross section

# GT Strength in $^{12}\text{B}$ and $^{24}\text{Na}$ from $(d, ^2\text{He})$ reaction

Target	Reference data		Present data			
	$E_x$ [MeV]	$B(\text{GT}_-)$	$E_x$ [MeV]	$d\sigma/d\Omega(q=0)$ [mb/sr]	$\sigma(L=0)/\sigma(\tau_0\tau)$ ( $q=0$ )	$B(\text{GT}_+)$ ( $C=0.267$ )
$^{12}\text{B}$	0.00	<b>0.998</b>	0.00	$2.580 \pm 0.138$	0.988	<b><math>0.930 \pm 0.050</math></b>
			5.00	$0.138 \pm 0.010$	0.976	<b><math>0.050 \pm 0.004</math></b>
$^{24}\text{Na}$	0.44	<b>0.050</b>	0.47	$0.138 \pm 0.012$	0.821	<b><math>0.049 \pm 0.004</math></b>
	1.07	<b>0.613</b>	1.35	$1.563 \pm 0.085$	0.948	<b><math>0.654 \pm 0.035</math></b>
	1.58	<b>0.020</b>	1.89	$0.087 \pm 0.026$	0.649	<b><math>0.025 \pm 0.008</math></b>
	2.98	<b>0.362</b>	3.41	$0.667 \pm 0.039$	0.980	<b><math>0.290 \pm 0.016</math></b>
			3.59	$0.266 \pm 0.018$	0.806	<b><math>0.095 \pm 0.006</math></b>
	3.33	<b>0.059</b>	3.92	$0.193 \pm 0.058$	0.809	<b><math>0.070 \pm 0.022</math></b>
	4.69	<b>0.015</b>	5.06	$0.093 \pm 0.027$	0.561	<b><math>0.024 \pm 0.007</math></b>
			6.24	$0.086 \pm 0.026$	0.818	<b><math>0.031 \pm 0.010</math></b>
	6.46	<b>0.068</b>	6.70	$0.161 \pm 0.012$	0.972	<b><math>0.071 \pm 0.005</math></b>
	6.87	<b>0.029</b>	7.20	$0.173 \pm 0.013$	0.642	<b><math>0.050 \pm 0.004</math></b>

# $(d, {}^2\text{He})$ as $\text{GT}^+$ probe in $fp$ -shell nuclei

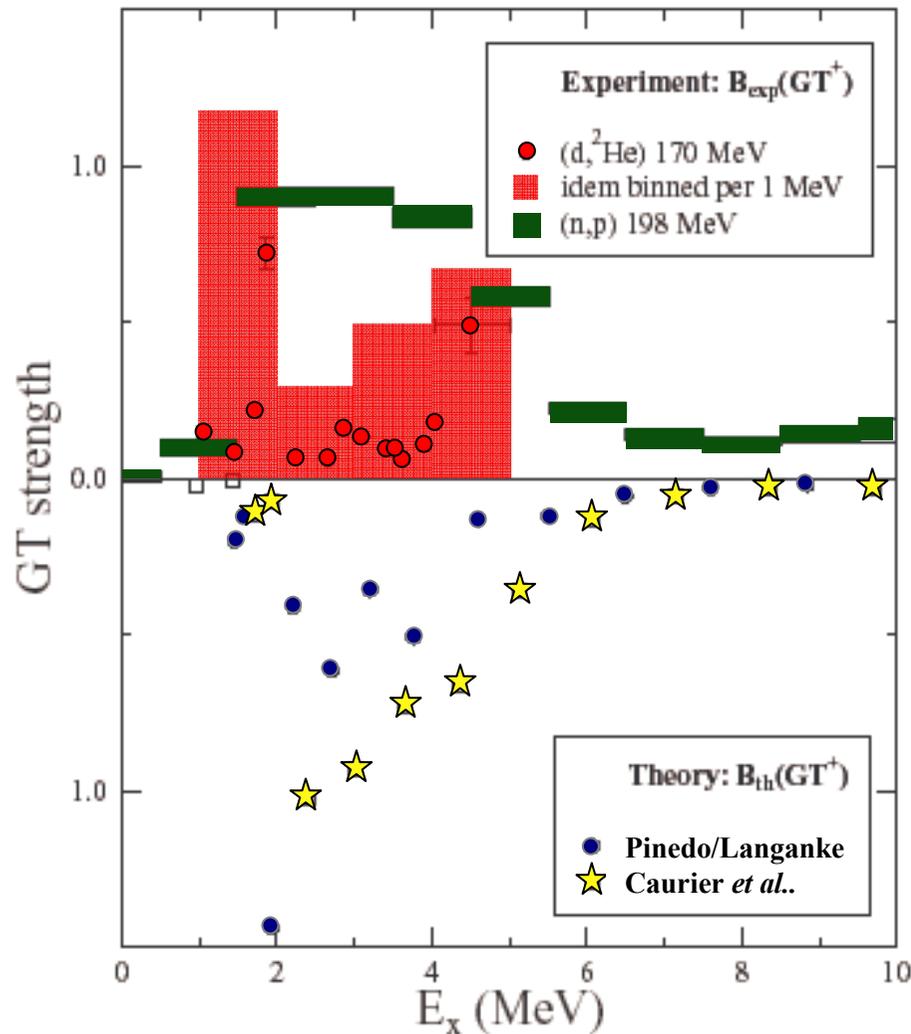


M. Hagemann *et al.*  
 PLB 579 (2004) 251

# GT Strength in $^{58}\text{Co}$ from $(d, ^2\text{He})$ reaction

$E_x$	$d\sigma/d\sigma(0.5^\circ)$	$\sigma(L=0)/\sigma(\tau o \tau)$	$B(\text{GT}^+)$
[MeV]	[mb/sr]		
1.050	$0.159 \pm 0.009$	0.88	$0.15 \pm 0.01$
1.435	$0.078 \pm 0.006$	1.00	$0.09 \pm 0.01$
1.729	$0.148 \pm 0.014$	1.00	$0.16 \pm 0.02$
1.868	$0.648 \pm 0.020$	1.00	$0.72 \pm 0.05$
2.249	$0.047 \pm 0.004$	1.00	$0.05 \pm 0.01$
2.660	$0.057 \pm 0.005$	0.96	$0.06 \pm 0.01$
2.860	$0.145 \pm 0.009$	0.99	$0.17 \pm 0.01$
3.100	$0.126 \pm 0.008$	0.99	$0.15 \pm 0.01$
3.410	$0.065 \pm 0.007$	0.96	$0.07 \pm 0.01$
3.520	$0.080 \pm 0.009$	0.95	$0.09 \pm 0.01$
3.625	$0.067 \pm 0.007$	0.87	$0.07 \pm 0.01$
3.900	$0.062 \pm 0.006$	0.97	$0.07 \pm 0.01$
4.030	$0.155 \pm 0.010$	1.00	$0.19 \pm 0.01$
4.05-5.00	$0.381 \pm 0.061$		$0.49 \pm 0.09$

# GT<sup>+</sup> strength: comparison (n,p), (d,<sup>2</sup>He) & theory



**Up to 4 MeV excitation:**

**13 GT transitions measured  
( $d, ^2\text{He}$ )**

**Strength rebinned in 1 MeV bins**

**Significant differences**

**Updated shell model calculations  
by Martínez-Pinedo/Langanke**

# Electron capture rate

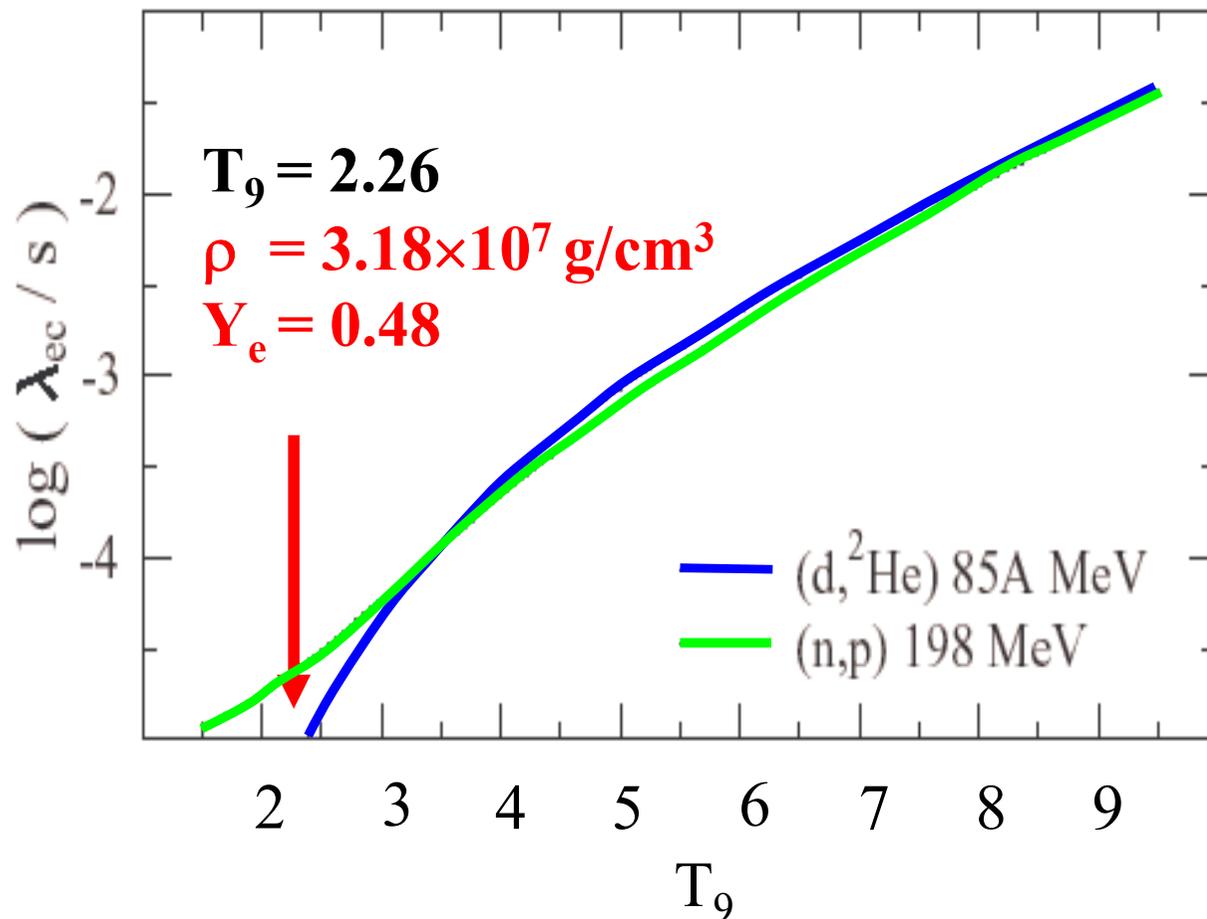
$$\lambda_{ec} \approx \sum_i B_i(GT) \int_{\omega_1}^{\infty} \omega p (Q_i + \omega)^2 F(Z, \omega) S_e(\omega, T) d\omega$$

With

- $B_i(GT)$  Gamow-Teller strength distribution
- $\omega$  and  $p$  energy and momentum of electrons
- $S_e(\omega, T)$  Fermi-Dirac distribution electron gas at temperature  $T$

# $e^-$ -capture rates using experimental strengths

(Martínez-Pinedo, Langanke)



Evolution of core of  
25  $M_\odot$  star. Conditions  
following silicon  
depletion.

$T_9 = 4.05$

$\rho = 3.18 \times 10^7 \text{ g/cm}^3$

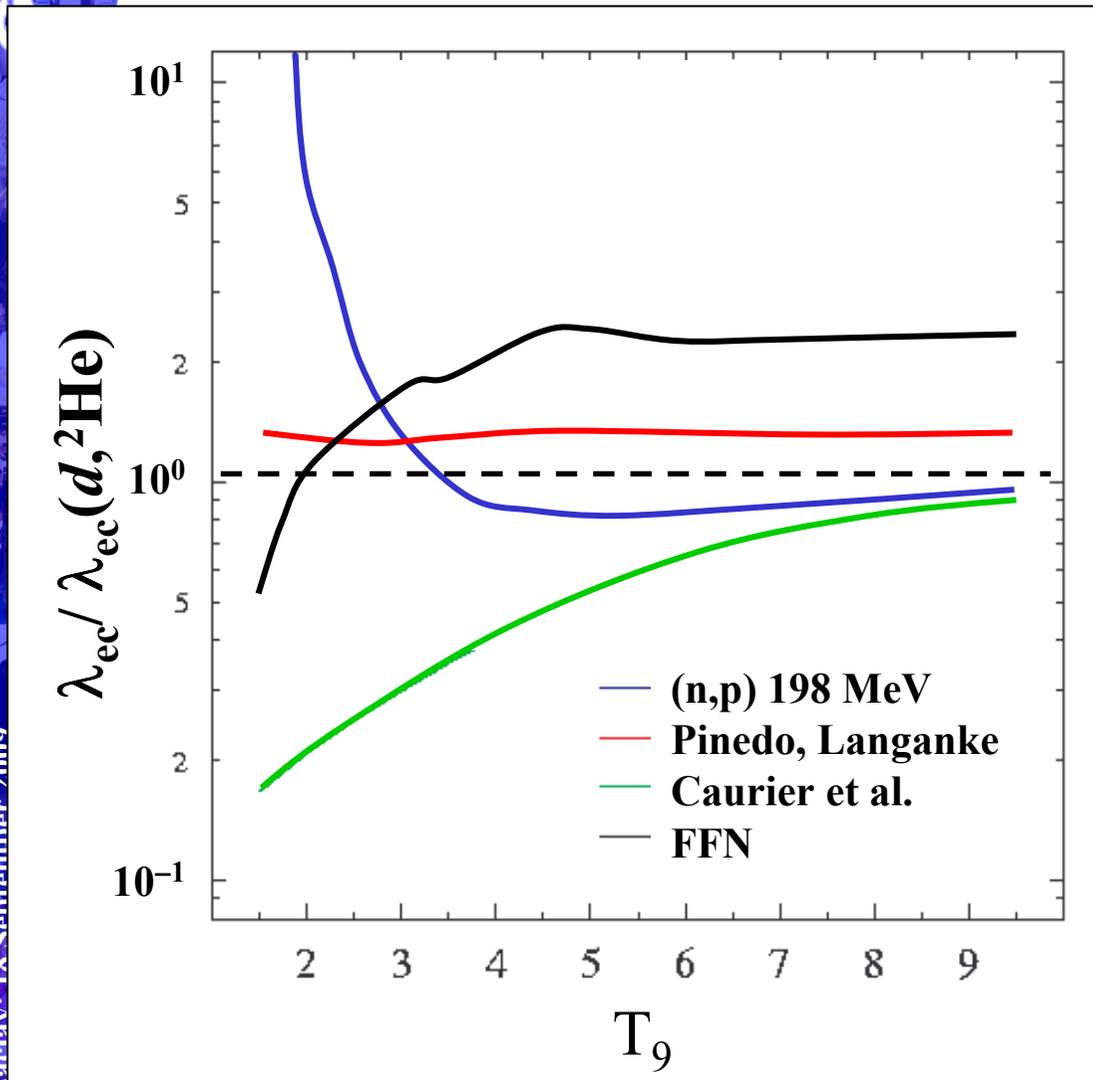
$Y_e = 0.48$

[Heger *et al.*,  
*Astrophys. J.* 560  
(2001) 307]

Calculate EC rates as  
function of  $T_9$  for GT  
transitions from  $^{58}\text{Ni}_{\text{g.s.}}$

Strength deviations at low excitation  $\Rightarrow$  rates deviation at low  $T$

# $^{58}\text{Ni}$ : comparison of $e$ -capture rates theory/experiment

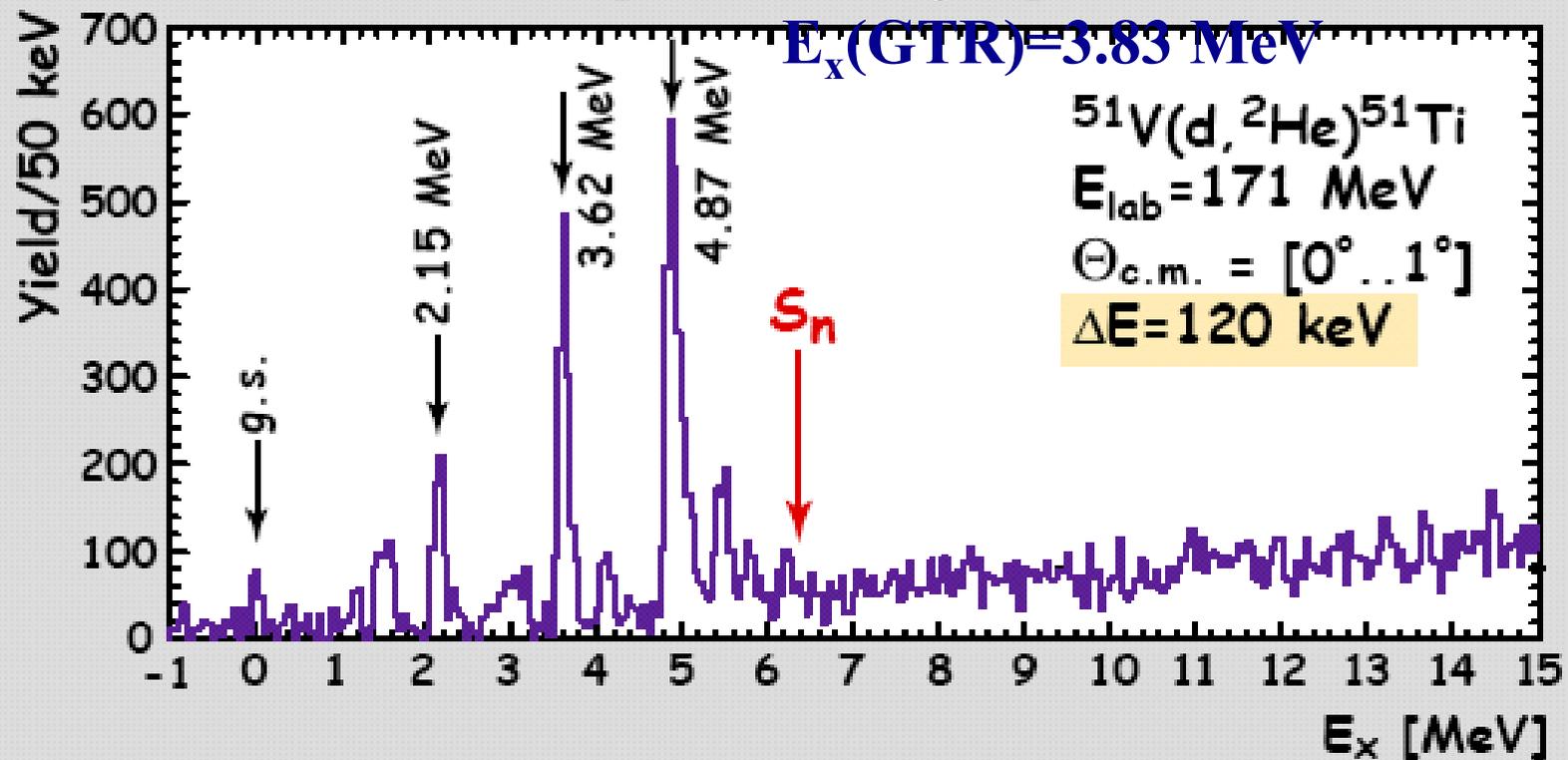


- Influence of GT strength distribution on calculated capture rate is dramatic, especially at low temperatures
- rates vary up to a factor 5-6
- FFN not too far off
- large scale shell-model calculations fail at low T
- calculations with improved residual interaction in reasonable agreement

# nucleus

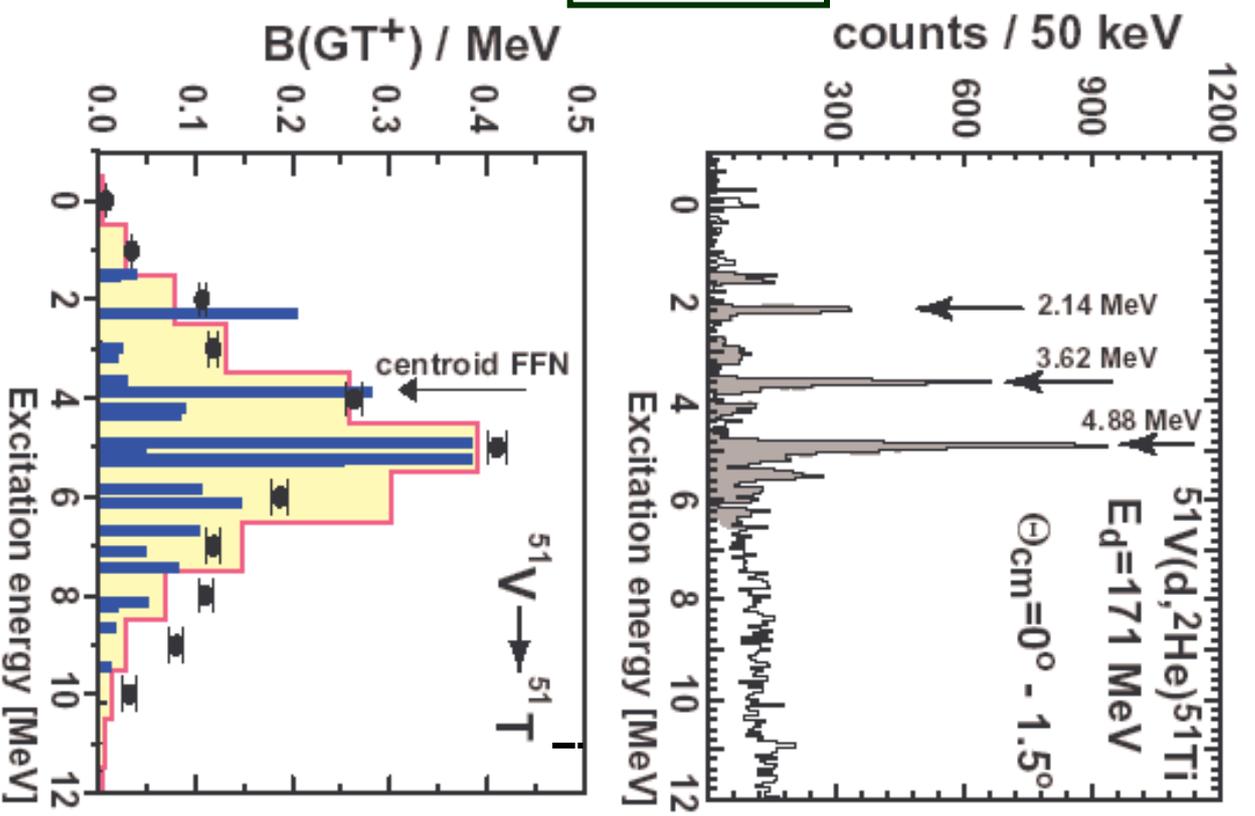
$^{51}\text{V}$  g.s. ( $J^\pi=7/2^-, T=5/2$ )  $\Rightarrow$   $^{51}\text{Ti}$  ( $J^\pi=5/2^-, 7/2^-, 9/2^-, T=7/2$ )

Independent single-particle model (FFN):

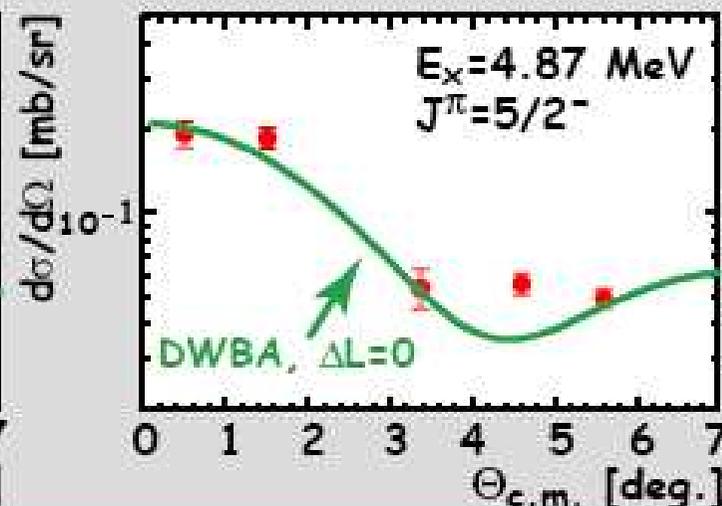
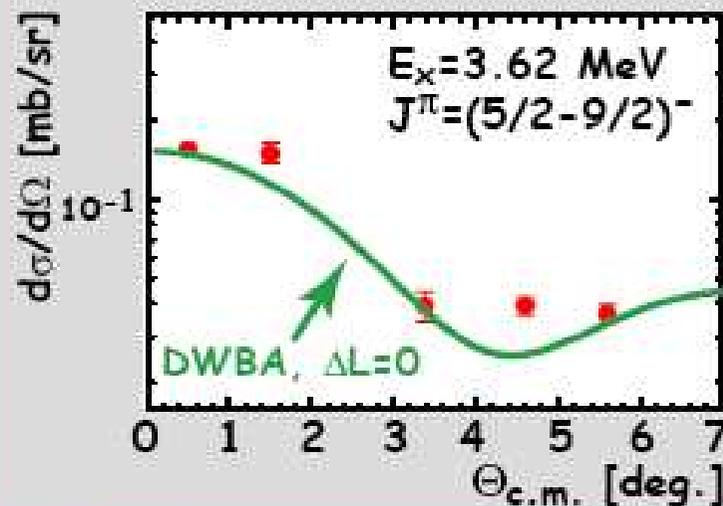
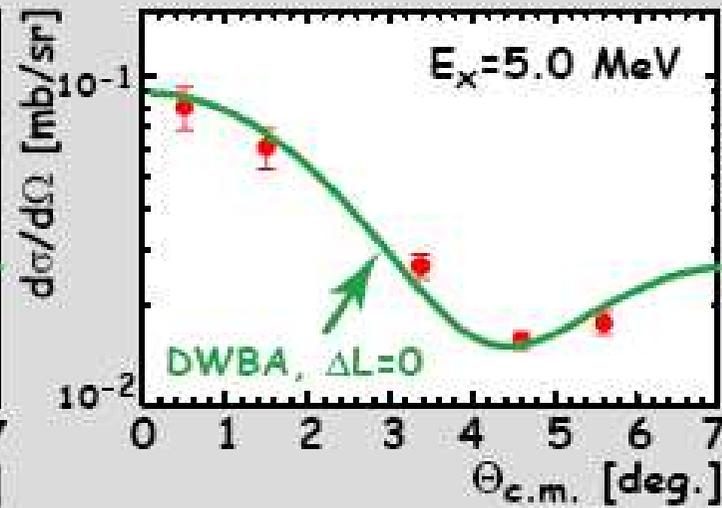
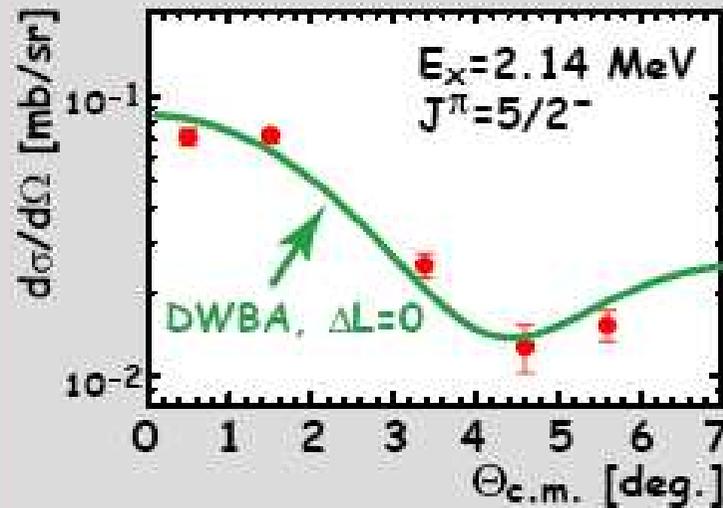


C. Bäumer *et al.*, PRC **68**, 031303(R) (2003)

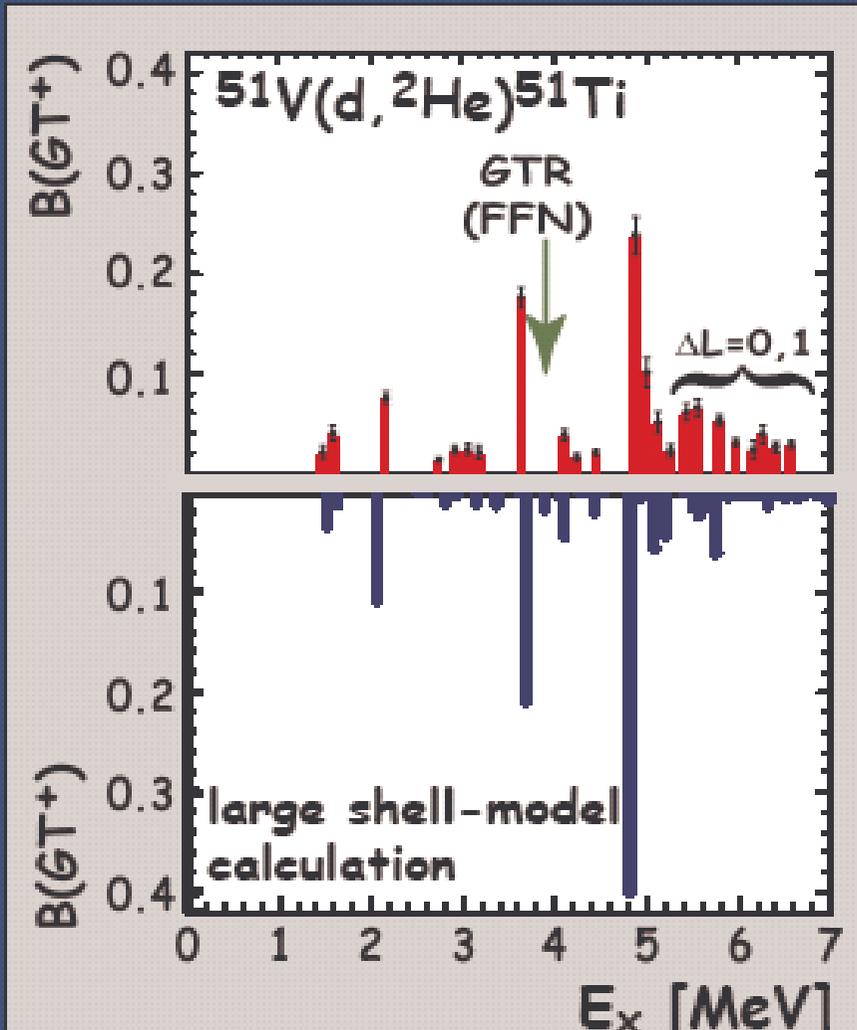
C. Bäumer *et al.*,  
 PRC 68, 031303(R)  
 (2003)



# $^{51}\text{V}(d,^2\text{He})$ : Angular distributions of $d\sigma/d\Omega$



# $^{51}\text{V}(d, ^2\text{He})^{51}\text{Ti}$ : Comparison with shell-model calculations



← Experimental result  
← Full  $fp$ -shell model

calculations

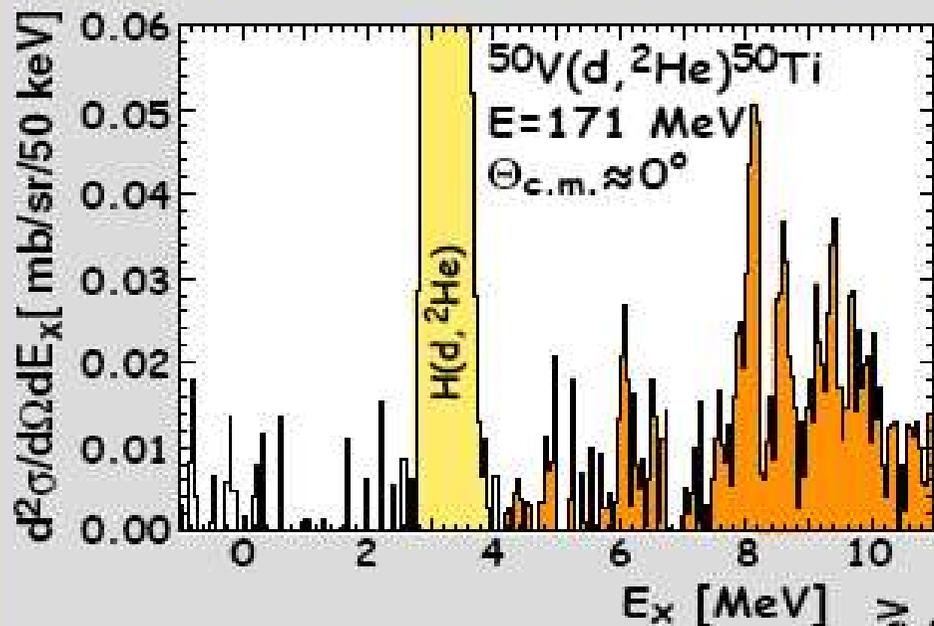
quenching factor  $(0.74)^2$

G.

Martínez-Pinedo,

Langanke

# $^{50}\text{V}(d, ^2\text{He})$ : $\text{GT}^+$ transitions from odd-odd nucleus



$^{50}\text{Ti}$

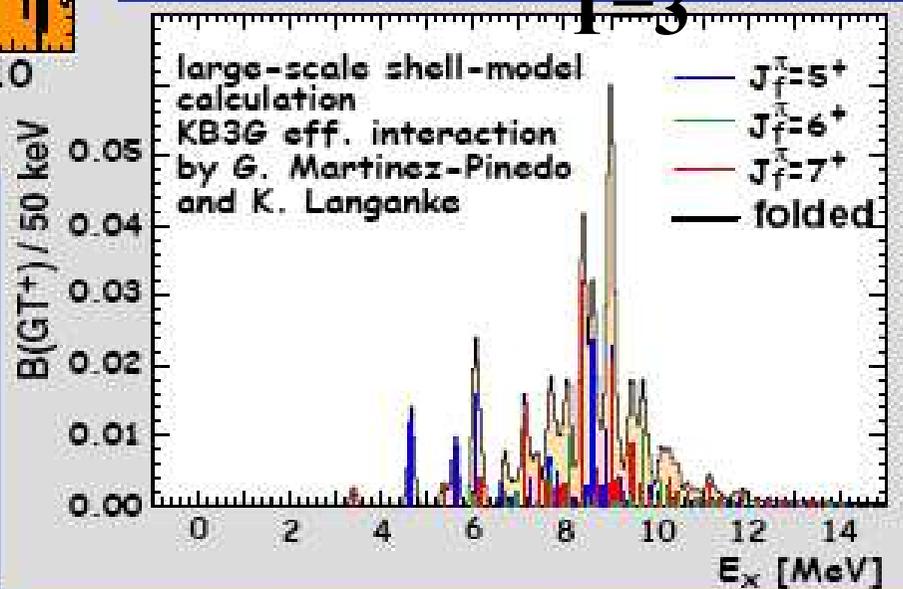
$J^\pi=6^+ \rightarrow$

$J^\pi=5^+, 6^+, 7^+$

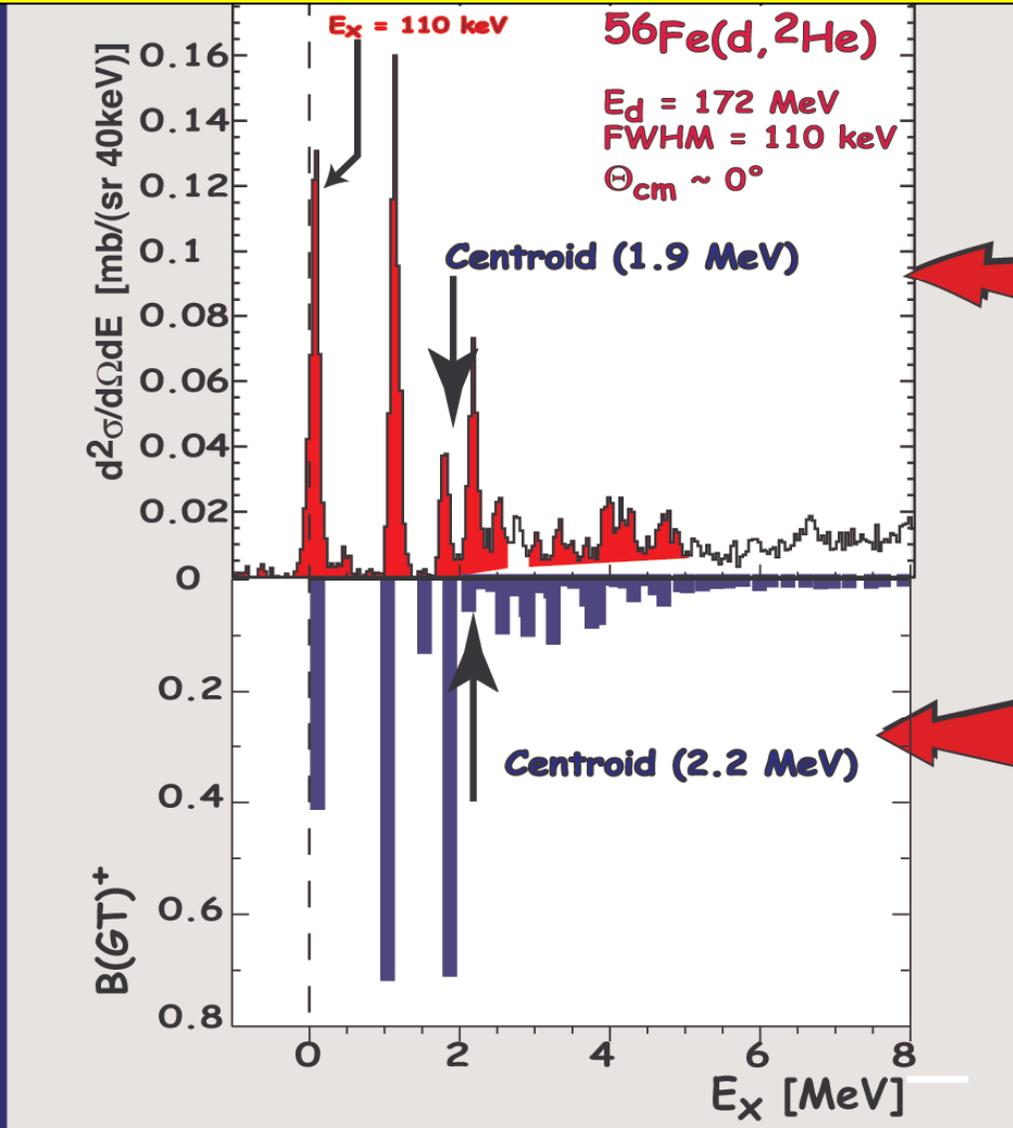
$T=2$

$T=3$

GT-centroid  
located  
at  $\sim 9 \text{ MeV}$



# $^{56}\text{Fe}(d,^2\text{He})$ : Comparison with shell-model calculations



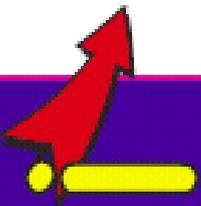
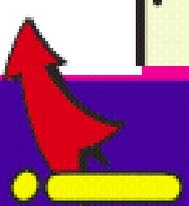
Exp  
eri  
m

Full  $f_7^n$   
shell  
model  
calcula  
tions  
(KB3G  
) (G.

Martín  
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# GT<sup>+</sup> centroid comparison

	FFN	SM	Exp.	
even-even	Fe-56 Ni-58	3.8 3.8	2.2 3.6	1.9 3.4
odd-A odd-p	V-51	3.8	4.7	
odd-A odd-n	Fe-57 Ni-61 Zn-67	5.3 3.5 4.4	4.1 4.6 --	2.9 4.2 3.4
odd-odd	V-50	9.7	8.5	8.8

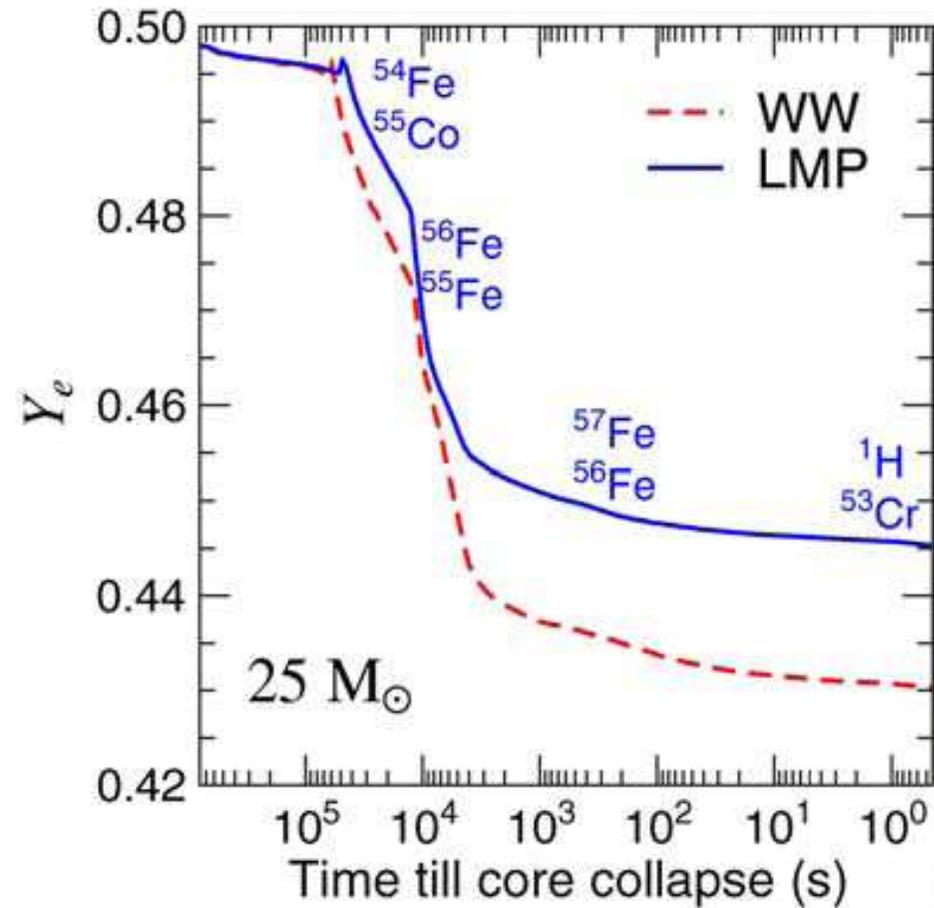
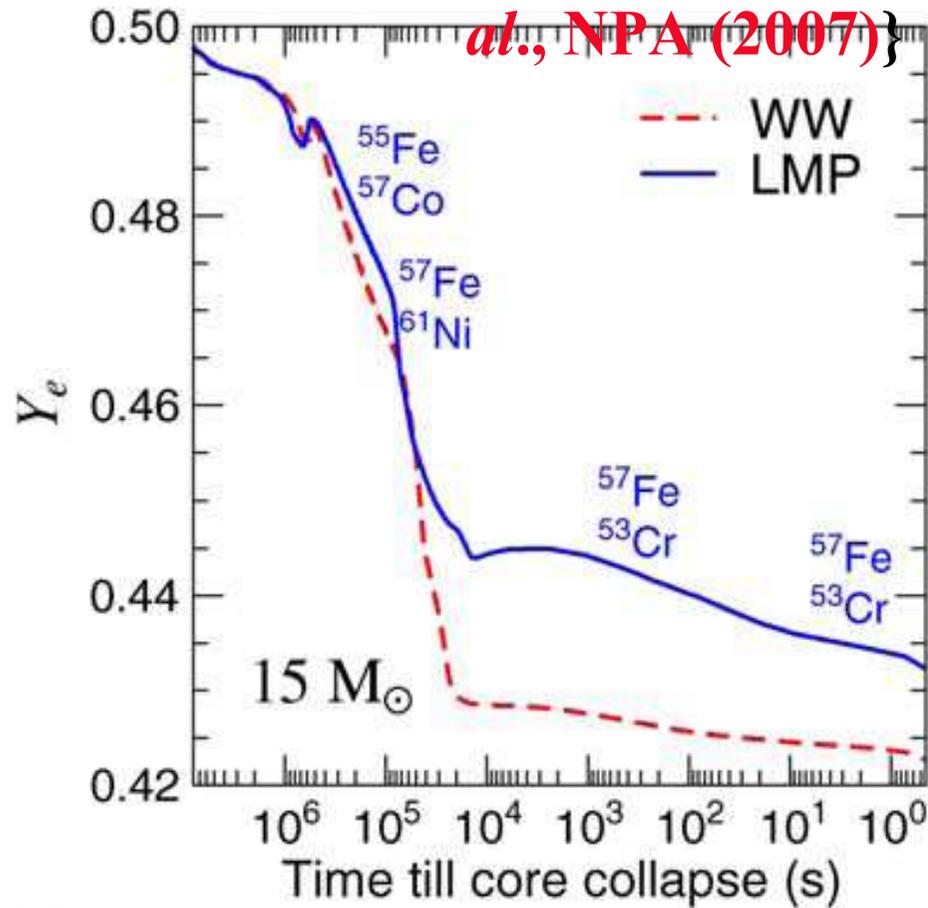


(FFN rates)

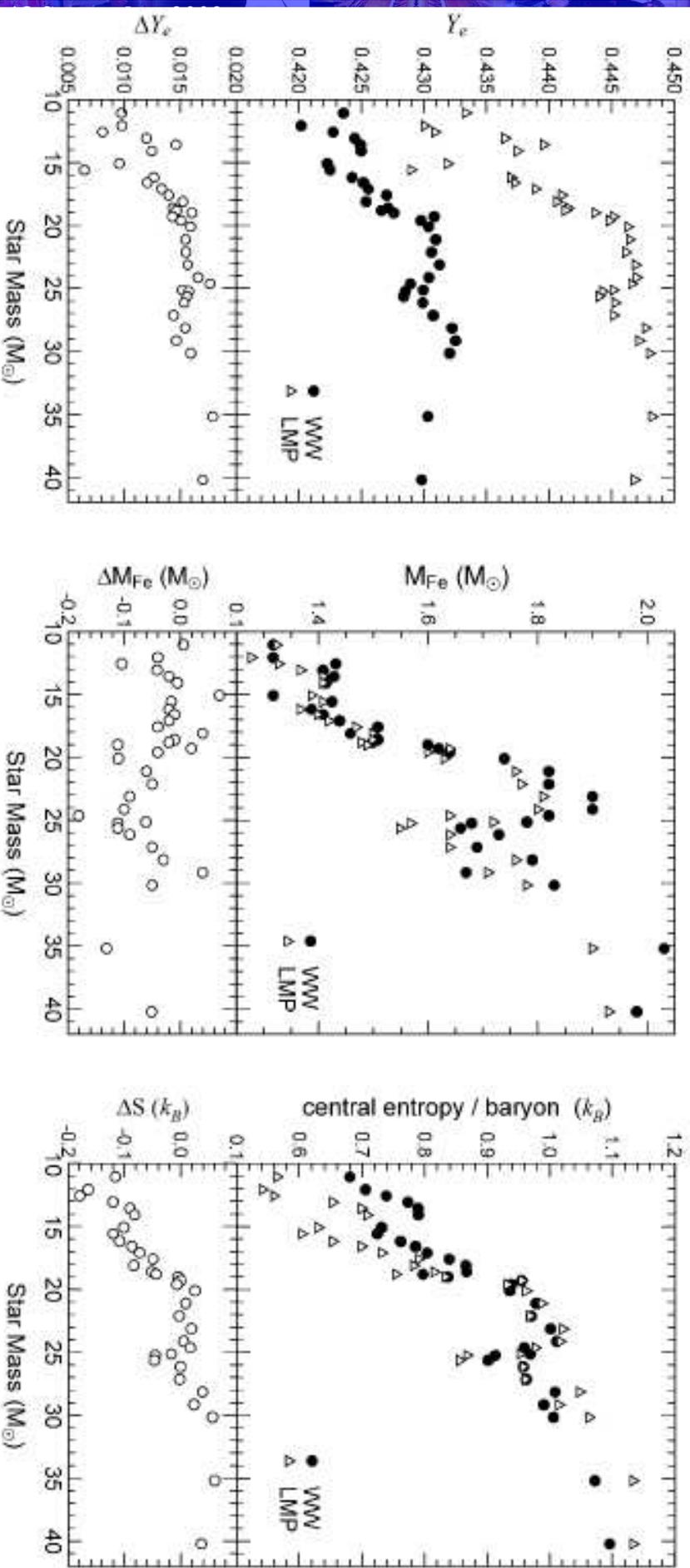
LMP = Langanke-Martínez-Pinedo Large  
shell-model

calculations {G. Martínez-Pinedo *et*

*al.*, NPA (2007)}



# $Y_e = \text{Central electron-to-baryon ratio}$



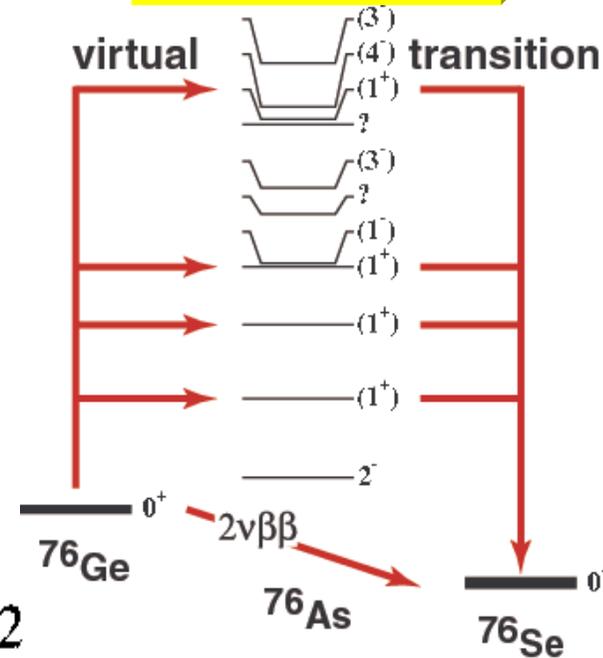
# Conclusions

- **Presupernova models depend sensitively on EC rates.**
- **GT<sup>+</sup> transitions in *fp*-shell nuclei play a decisive role in determining EC rates and thus provide input into modeling of explosion dynamics of massive stars.**
- **Large shell-model calculations are needed especially as function of T. (Caurier *et al.*; Martínez-Pinedo & Langanke [KB3G]; Otsuka *et al.* [GXPF]) ⇒ smaller EC rates for A=45-60 than FFN ⇒ Larger Y<sub>e</sub> (electron to baryon ratio) and smaller iron core mass (Heger *et al.*)**
- **New high resolution (*d*,<sup>2</sup>He) experiments provide essential tests for shell model calculations at 0 T.**

# $2\nu\beta\beta$ decay

$\beta\beta$  decay

Allowed in SM and observed  
in many cases



$$[t_{1/2}^{(2\nu)}]^{-1} = G^{(2\nu)} |M_{\text{DGT}}^{(2\nu)}|^2,$$

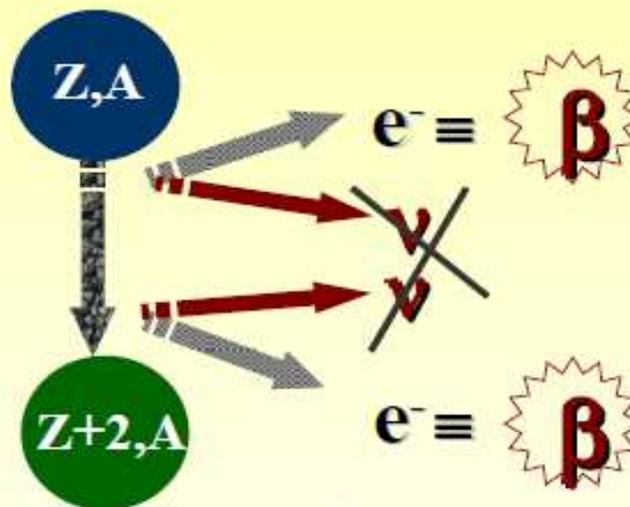
$$M_{\text{DGT}}^{(2\nu)} = \sum_m \frac{(0_{\text{g.s.}}^{(f)} \| \sum_i \sigma(i) \tau^\pm(i) \| 1_m^+) (1_m^+ \| \sum_i \sigma(i) \tau^\pm(i) \| 0_{\text{g.s.}}^{(i)})}{[\frac{1}{2} Q_{\beta\beta}(0_{\text{g.s.}}^{(f)}) + E(1_m^+) - M_i]/m_e + 1}$$

Accessible through charge-exchange reactions in  $(n,p)$  and  $(p,n)$  direction [e.g.  $(d,^2\text{He})$  or  $(^3\text{He},t)$ ]

Forbidden in MSM  
 Lepton number violated  
 Neutrino enters as virtual  
 particle,  $\longrightarrow q \sim 0.5 \text{fm}^{-1}$

nuclear neutrino-less double-beta decay

$0\nu 2\beta$



Majorana  $\nu$

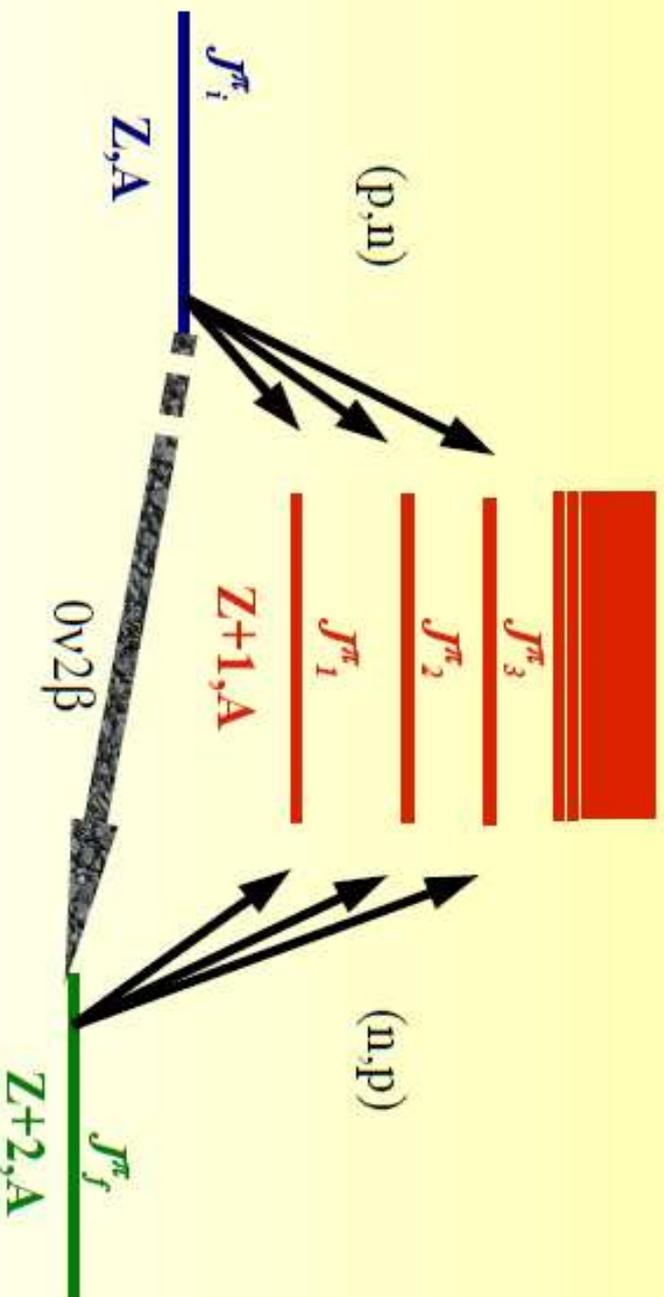
$$\text{decay rate} \sim |NME^{0\nu 2\beta}|^2 \langle m_\nu \rangle^2$$

nuclear matrix element

Mass of  
 Majorana  
 neutrino!!

# Approach

Study the spectroscopy of **virtual states** in the 2-quantum process

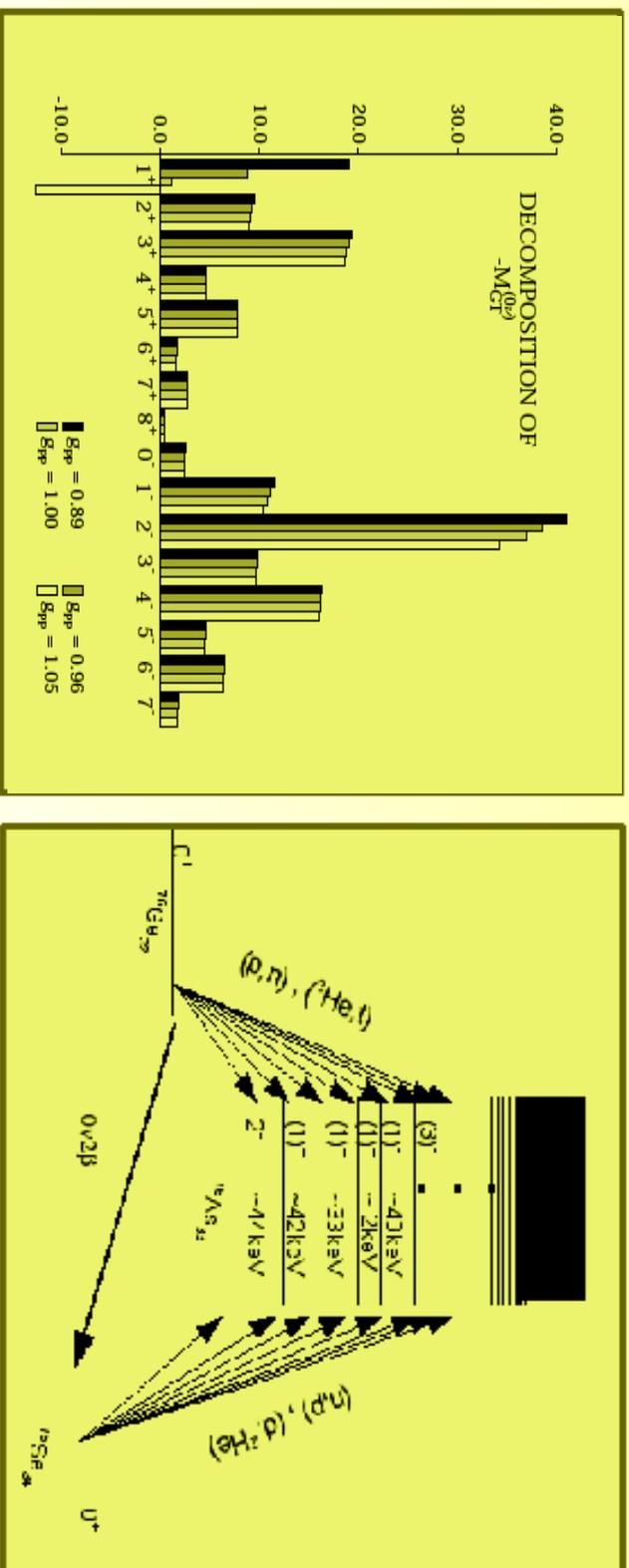


theory:

$$NME^{0\nu 2\beta} = \sum_m \frac{\langle \mathbf{J}_i^\pi \| \text{Operator} \| \mathbf{J}_m^\pi \rangle \langle \mathbf{J}_m^\pi \| \text{Operator} \| \mathbf{J}_f^\pi \rangle}{f(E_m)}$$

# Physics case for $0\nu 2\beta$ study: $^{76}\text{Ge}$

- recent claim of the observation of  $0\nu 2\beta$ -decay in  $^{76}\text{Ge}$



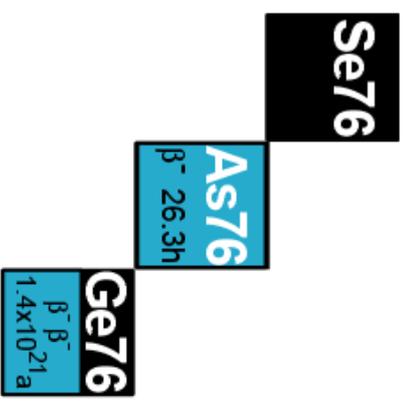
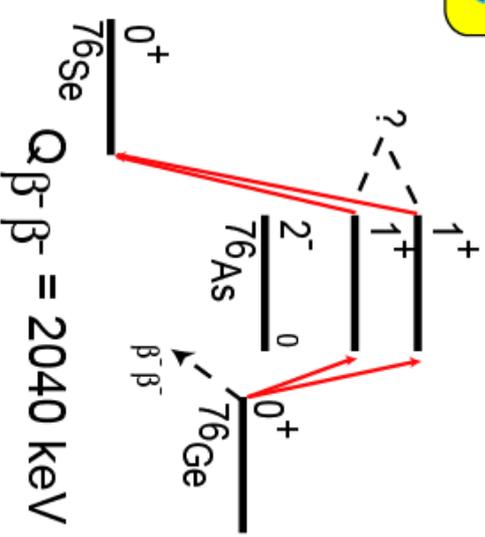
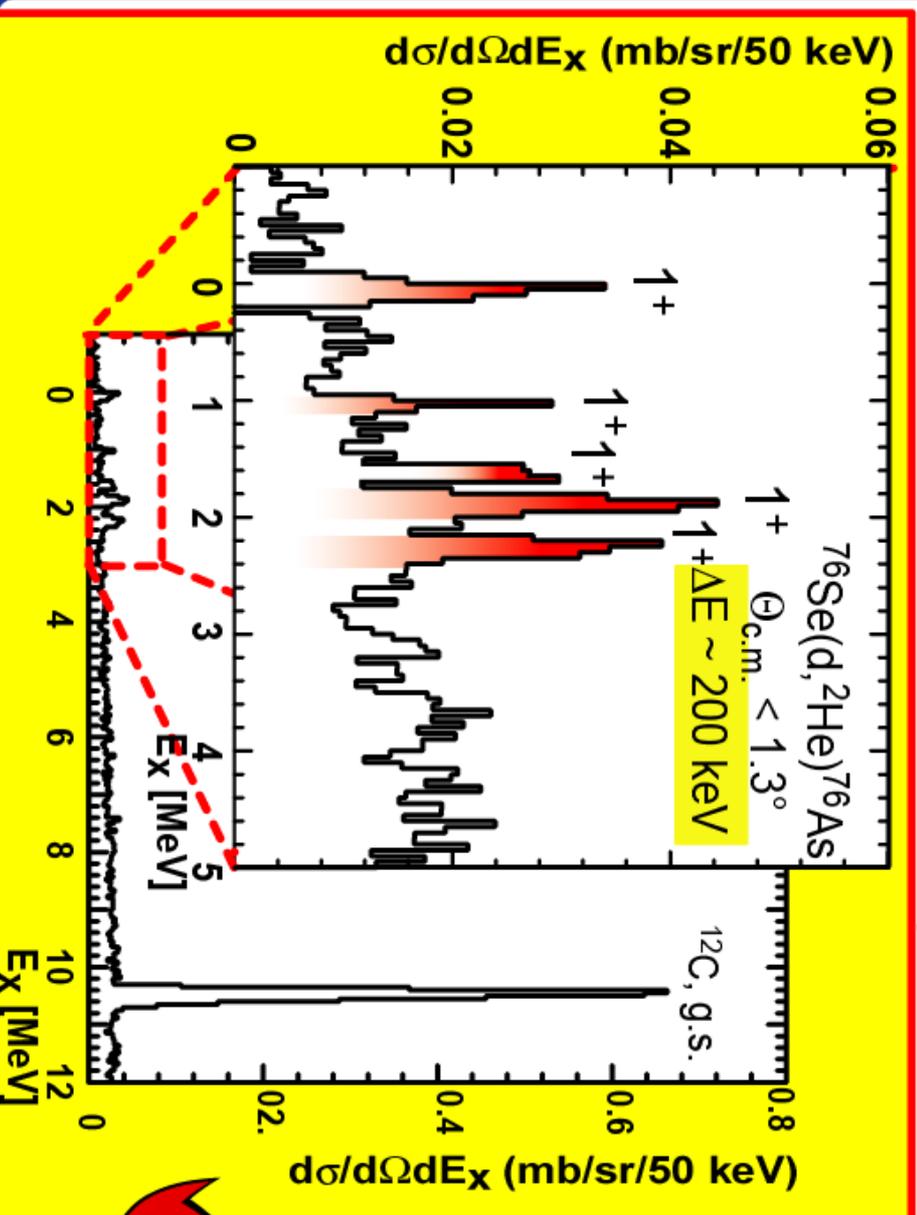
- contribution of many multi-poles
- dominance of dipole components
- the  $g_{pp}$  parameter affects mainly the  $J^\pi = 1^+$  component
- it becomes imperative to study experimentally higher multi-pole components

# $^{76}\text{Ge} - ^{76}\text{As} - ^{76}\text{Se}$

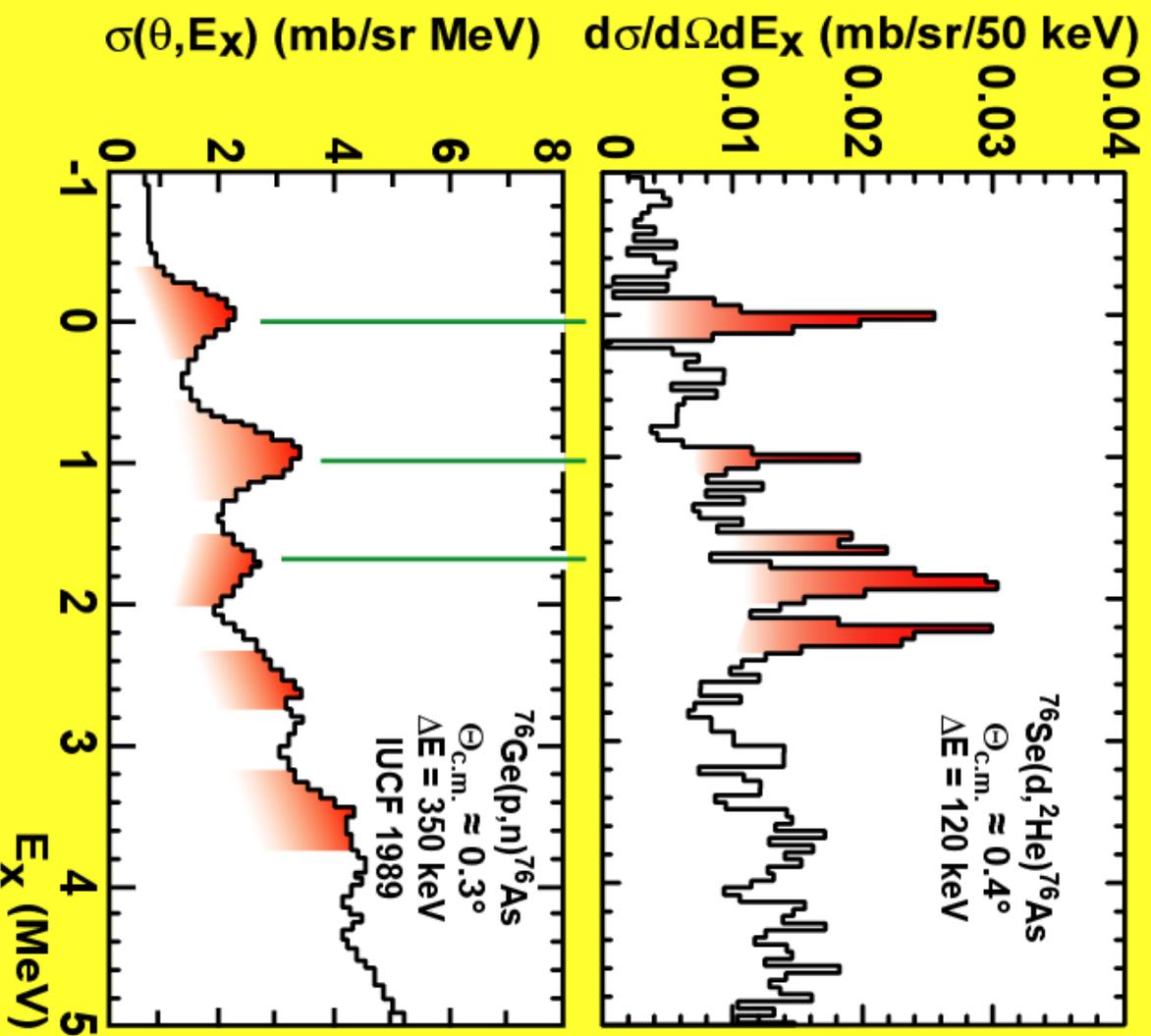
- Intensively studied  $\beta\beta$ -emitter
- $T_{1/2}$  determined by the Heidelberg-Moscow group:  $1.55 \times 10^{21} \text{ y}$
- $T_{1/2}$  deduced from (n,p) and (p,n) data with poor energy resolution

multipole decomposition:  $7.4 \times 10^{20} \text{ y}$

$0^\circ$ - $6^\circ$  subtraction method:  $8.7 \times 10^{21} \text{ y}$



$\Sigma B(\text{GT}^+) \sim 0.56$



**$2\nu\beta\beta$ -matrix element**

**$0.16 \pm 0.04 \text{ MeV}^{-1}$**

with

**$G(2\nu) = 3.4 \times 10^{-20} \text{ MeV}^2 \text{ a}^{-1}$**



**$2\nu\beta\beta$  - half-life**

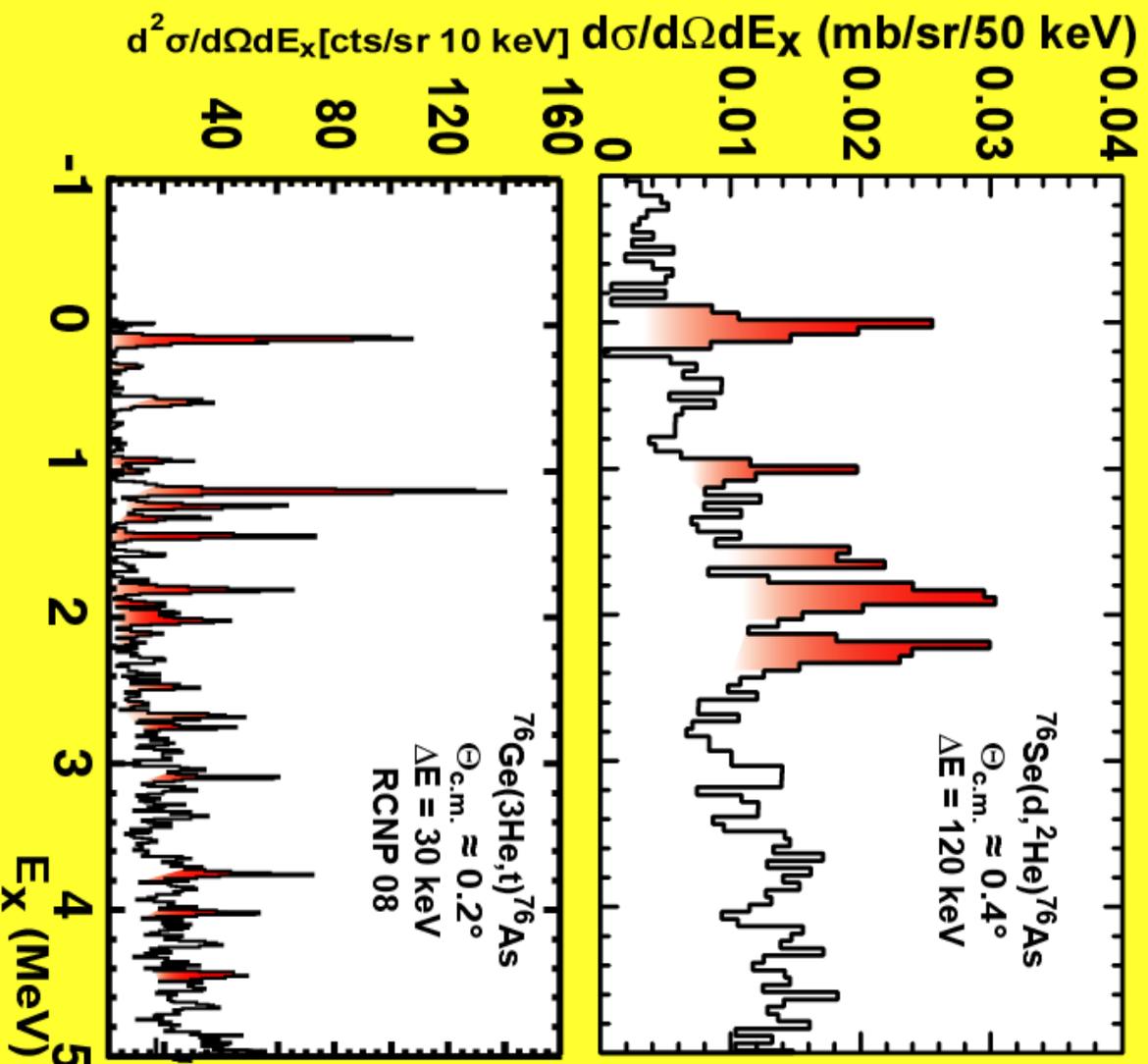
**$(1.1 \pm 0.2) \times 10^{21} \text{ a}$**

recommended. exp. value:

**$(1.5 \pm 0.1) \times 10^{21} \text{ a}$**

$G(2\nu)$  taken from:

J. Suhonen and O. Civitarese, Phys. Rep. 300, 123 (1998)



**$2\nu\beta\beta$ -matrix element**

**$0.16 \pm 0.04 \text{ MeV}^{-1}$**

with

**$G(2\nu) = 3.4 \times 10^{-20} \text{ MeV}^2 \text{ a}^{-1}$**



**$2\nu\beta\beta$  - half-life**

**$(1.1 \pm 0.2) \times 10^{21} \text{ a}$**

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**$(1.5 \pm 0.1) \times 10^{21} \text{ a}$**

$G(2\nu)$  taken from:

J. Suhonen and O. Civitarese, Phys. Rep. 300, 123 (1998)

# $^{96}\text{Zr} - ^{96}\text{Nb} - ^{96}\text{Mo}$

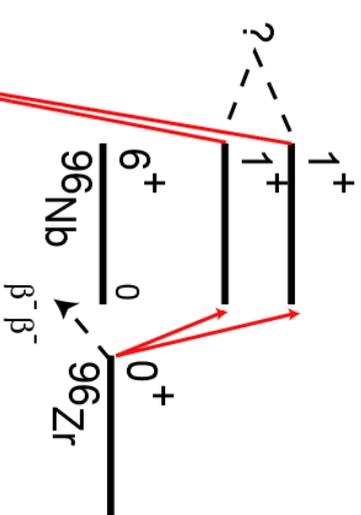
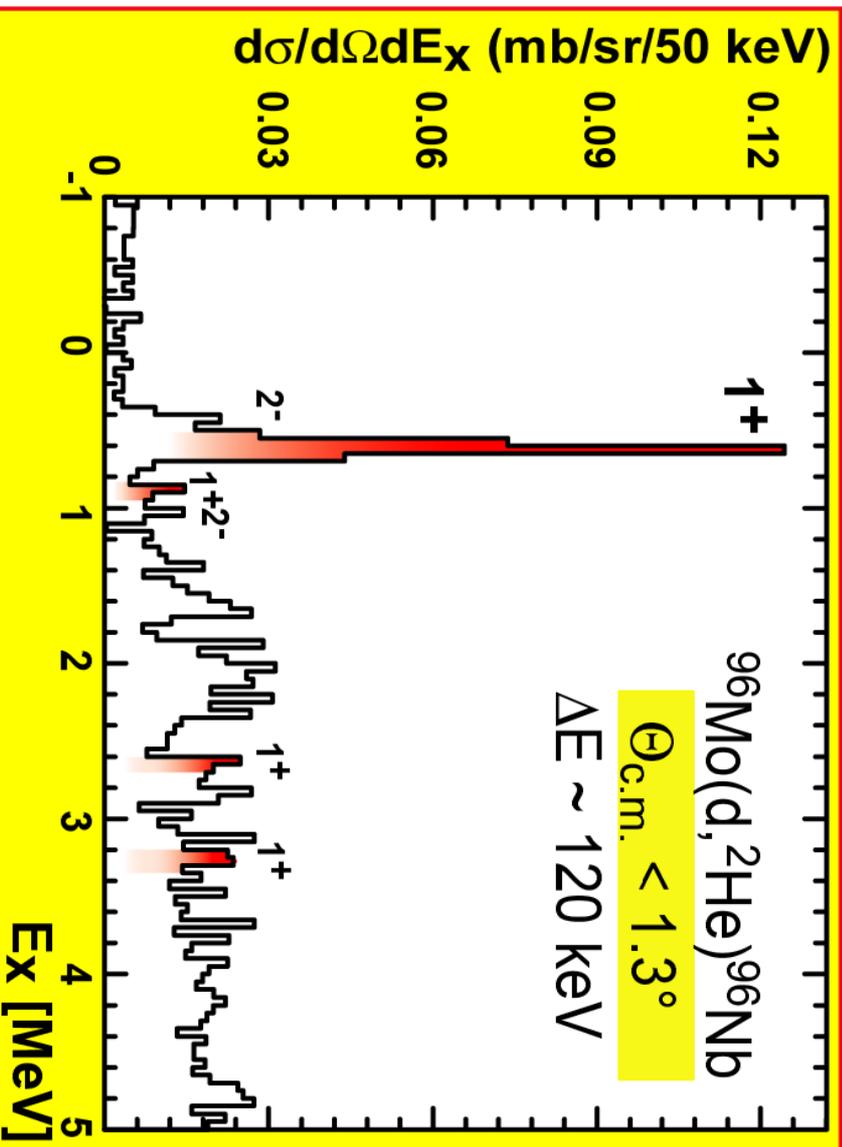
$T_{1/2}$  available:

counting experiments:  $2.1 \times 10^{19}\text{y}$

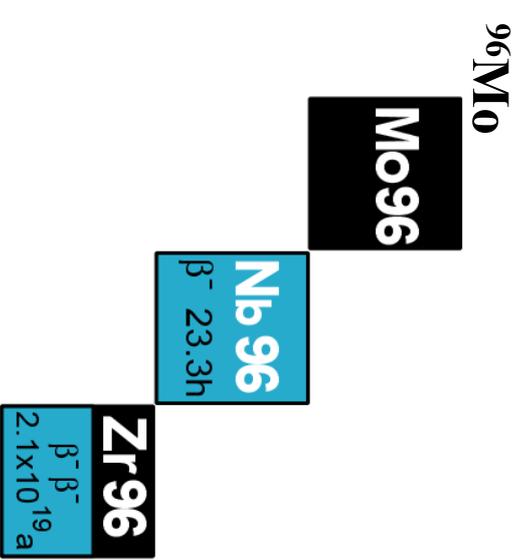
geochemical methods:  $9.4 \times 10^{18}\text{y}$

g.s. transition forbidden

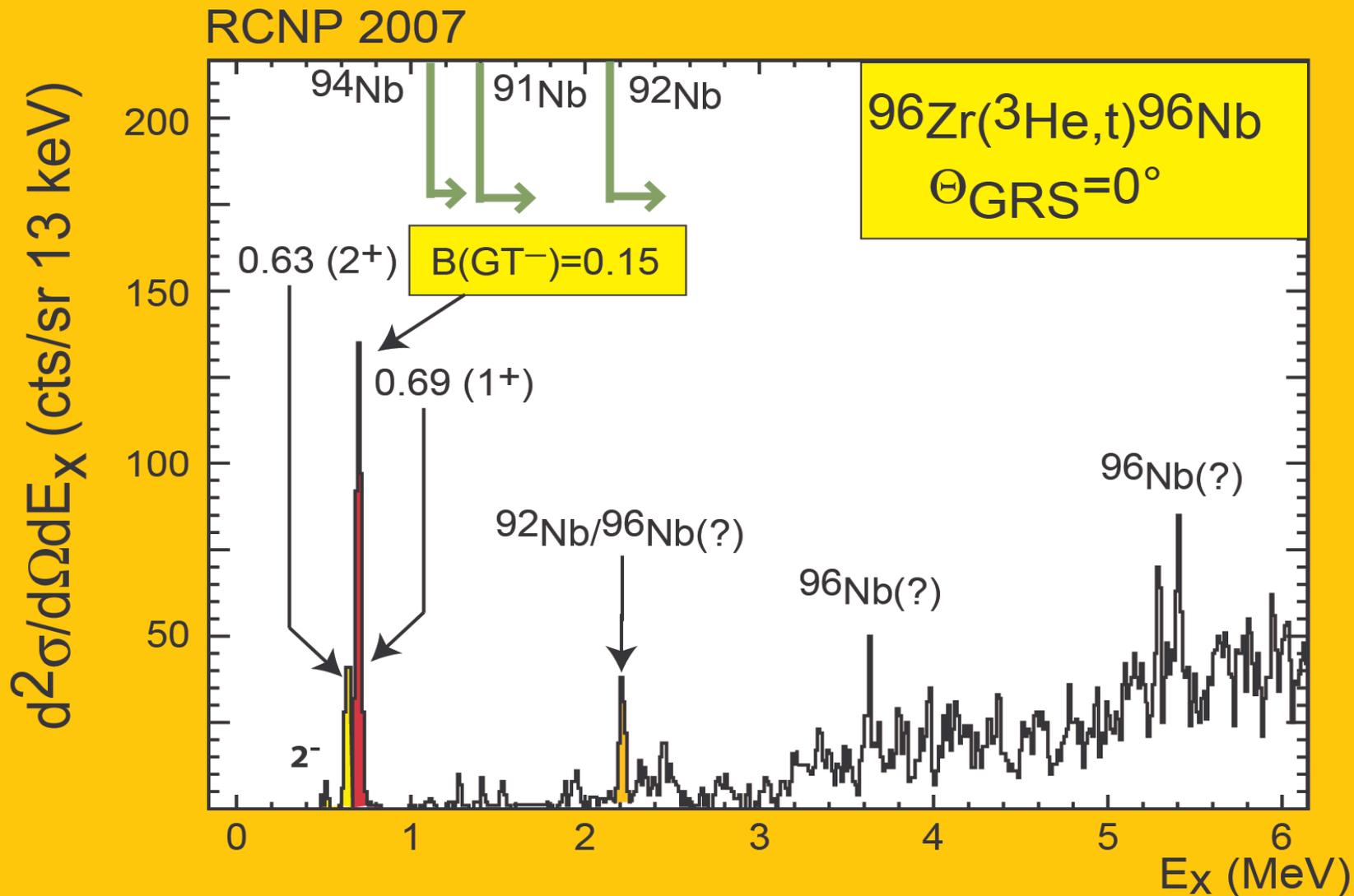
strength concentrated in one transition



$Q_{\beta\beta} = 3351 \text{ keV}$



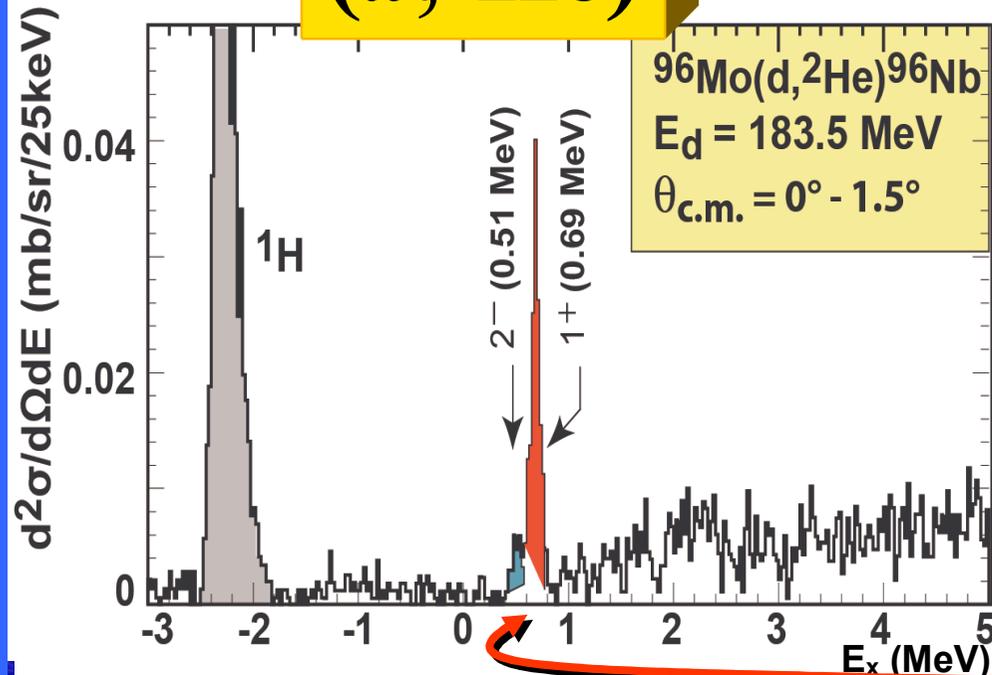
**B(GT<sup>+</sup>) ~ 0.3**



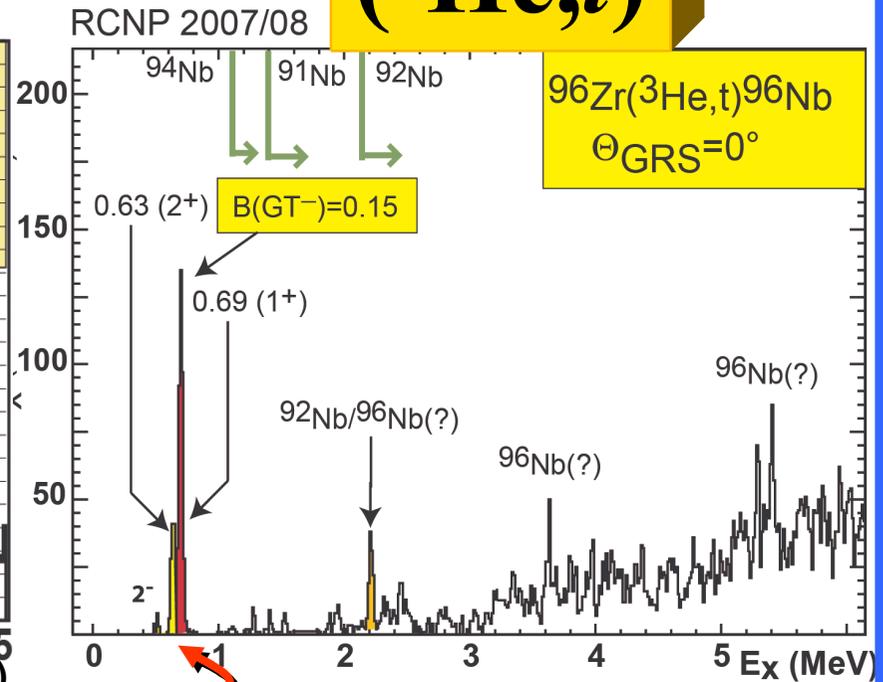
**In ( $p,n$ ) direction:**

- 1 - exceptionally small  $B(\text{GT}^-)$  below 6 MeV**
- 2 - concentrated in one low-lying level only**

**$(d, {}^2\text{He})$**



**$({}^3\text{He}, t)$**



**$B(\text{GT}^+) = 0.3$**

**$B(\text{GT}^-) = 0.15$**

With this 1 level only

$$T_{1/2}^{\text{calc.}}(2\nu\beta\beta) = (2.4 \pm 0.3) \cdot 10^{19} \text{ years}$$

$$T_{1/2}^{\text{exp.}}(2\nu\beta\beta) = (2.2 \pm 0.4) \cdot 10^{19} \text{ years (NEMO3-result)}$$

# Conclusions

- Charge-exchange reactions provide important input for  $2\nu\beta\beta$  decay ME; *i.e.*  $(d, {}^2\text{He})$   $(t, {}^3\text{He})$  for  $\text{GT}^+$  leg and  $({}^3\text{He}, t)$  for the  $\text{GT}^-$  leg
- ${}^{96}\text{Zr}$  and  ${}^{100}\text{Mo}$  exhibit Single-State-Dominance (at 0.69 MeV ( ${}^{96}\text{Zr}$ ) and g.s. ( ${}^{100}\text{Mo}$ ))

# Outlook

**Radioactive ion beams will be available at energies where it will be possible to study GT transitions (RIKEN, NSCL, FAIR, EURISOL)**

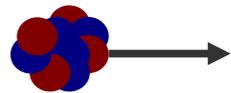
- **Determine GT strength in unstable *sd* & *fp* shell nuclei**
- **Use IVSGDR as tool to determine n-skin [IV(S)GDR]**
- **Exotic excitations such as Double GT**

# *Nuclear structure studies with CE reactions in inverse kinematics*

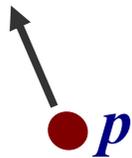
Possible at FAIR and RIKEN

(intermediate beam energies are needed!)

$(d, {}^2\text{He})$



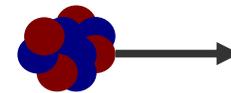
heavy projectile



$d$ -target



recoiling protons



heavy ejectile

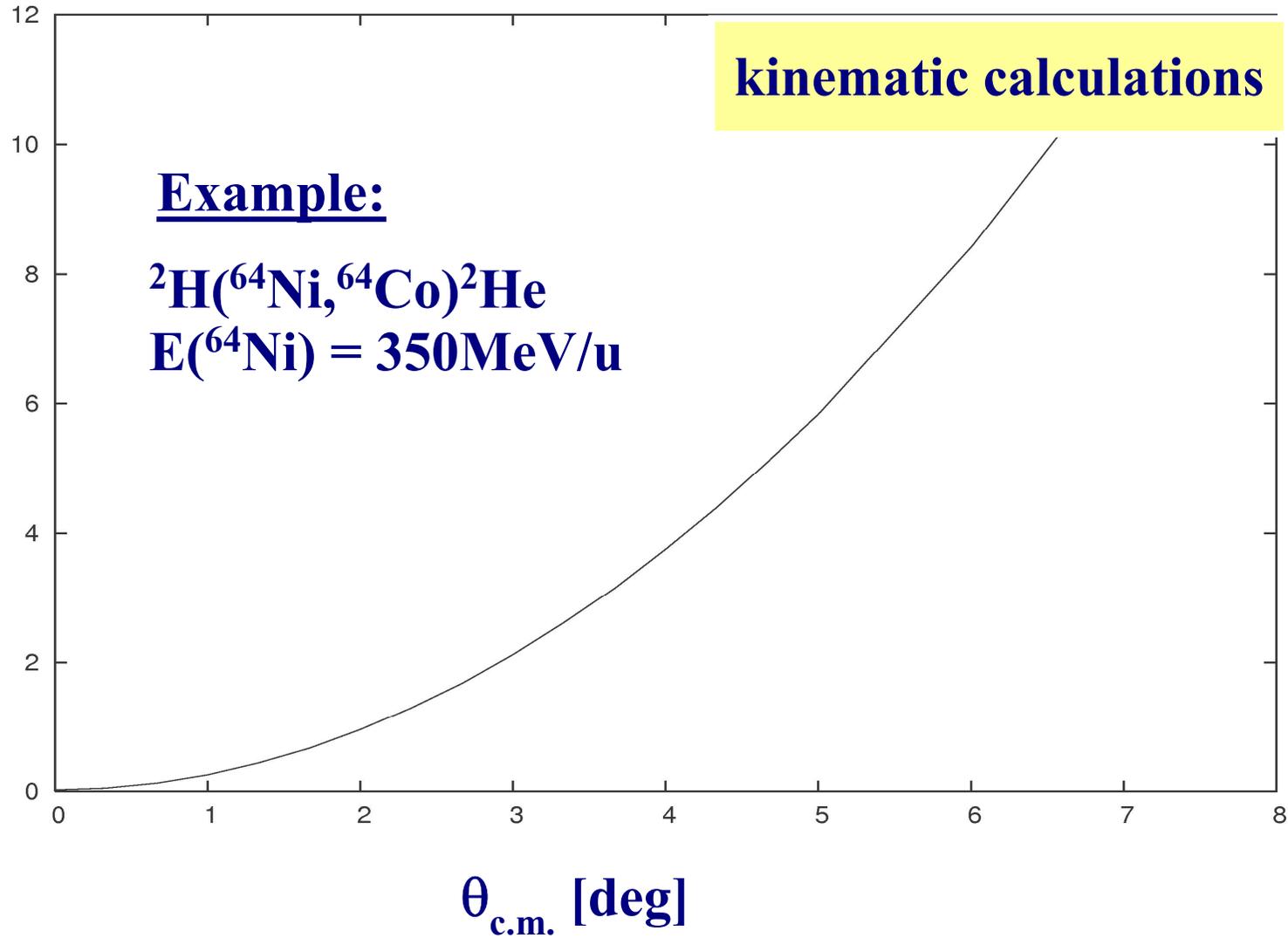
Approach (at FAIR):  
measure the recoiling protons

Inconvenience:  
difficulty to detect the low-energy protons

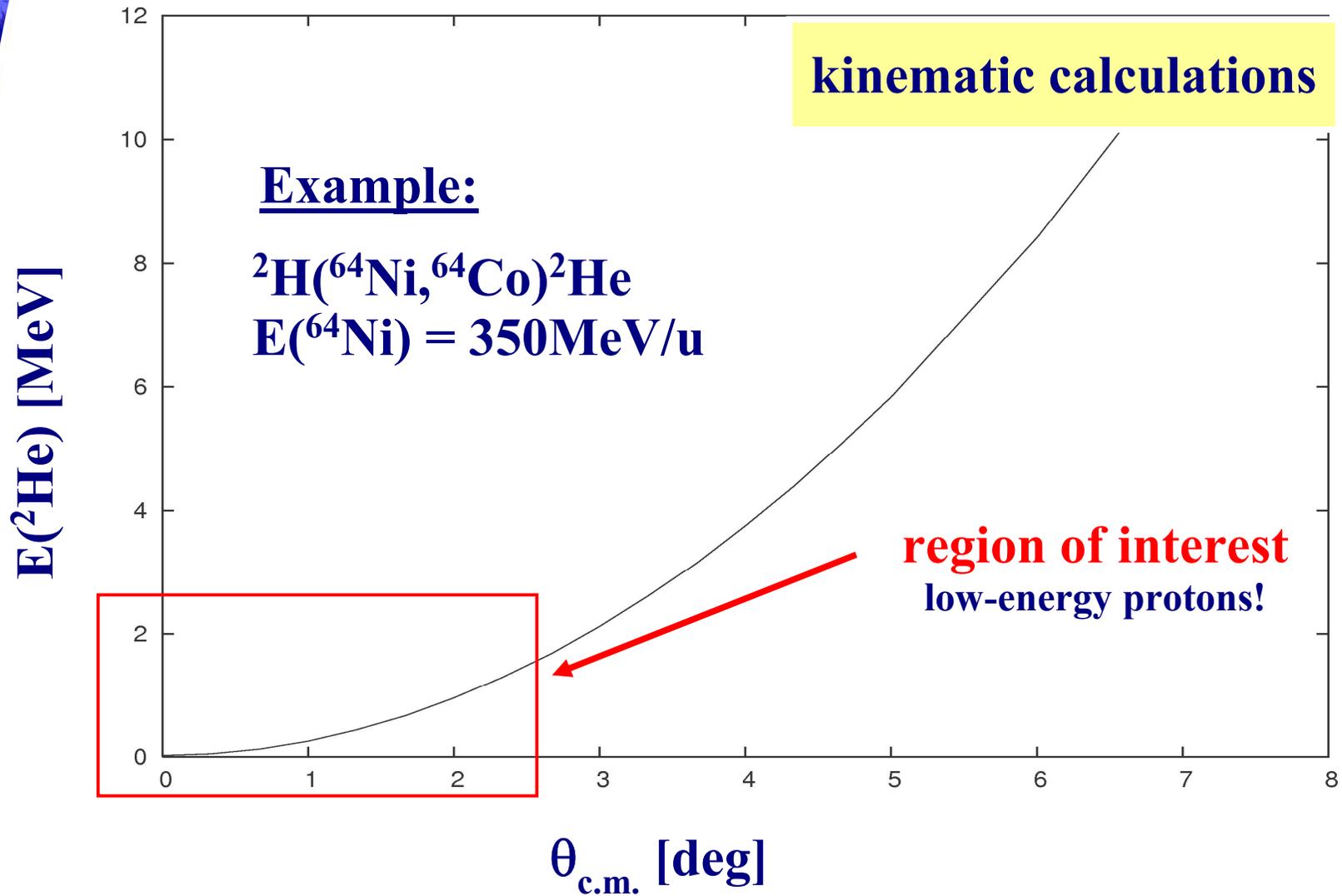
Courtesy  
Lucia-Ana Popescu

# How low?

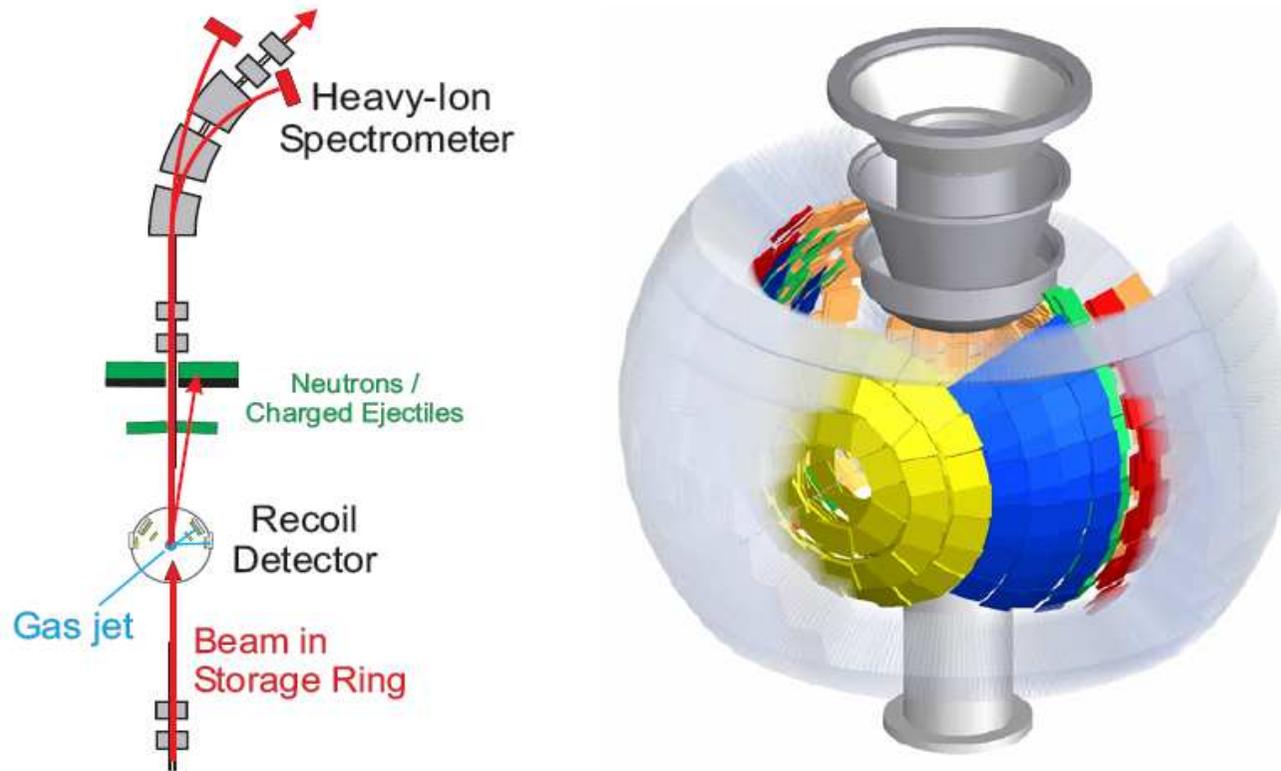
$E(^2\text{He})$  [MeV]



# How low?



# Detection system @ FAIR



**Figure 1:** Schematic view of the EXL detection systems. Left: Set-up built into the NESR storage ring. Right: Target-recoil detector surrounding the gas-jet target.

- Use of EXL recoil detector is under evaluation
- **Design & implementation of a dipole magnet for the momentum analysis of the protons**

# EuroSuperNova Collaboration

**C. Bäumer**<sup>1</sup>, **R. Bassini**<sup>2</sup>, **A.M. van den Berg**<sup>3</sup>, **N. Blasi**<sup>2</sup>, **B. Davids**<sup>3</sup>,  
**D. De Frenne**<sup>4</sup>, **R. De Leo**<sup>5</sup>, **D. Frekers**<sup>1</sup>, **E.-W. Grewe**<sup>1</sup>, **P. Haefner**<sup>1</sup>,  
**M. Hagemann**<sup>4</sup>, **V.M. Hannen**<sup>3</sup>, **M.N. Harakeh**<sup>3</sup>, **J. Heyse**<sup>4</sup>, **F. Hofmann**<sup>6</sup>,  
**M. Hunyadi**<sup>3</sup>, **M. de Huij**<sup>3</sup>, **E. Jacobs**<sup>4</sup>, **B.C. Junk**<sup>1</sup>, **A. Korff**<sup>1</sup>,  
**K. Langanke**<sup>7</sup>, **A. Negret**<sup>4</sup>, **P. von Neuman-Cosel**<sup>6</sup>, **L. Popescu**<sup>4</sup>,  
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**<sup>2</sup> INFN, Milan**

**<sup>3</sup> Kernfysisch Versneller Instituut Groningen**

**<sup>4</sup> University Gent**

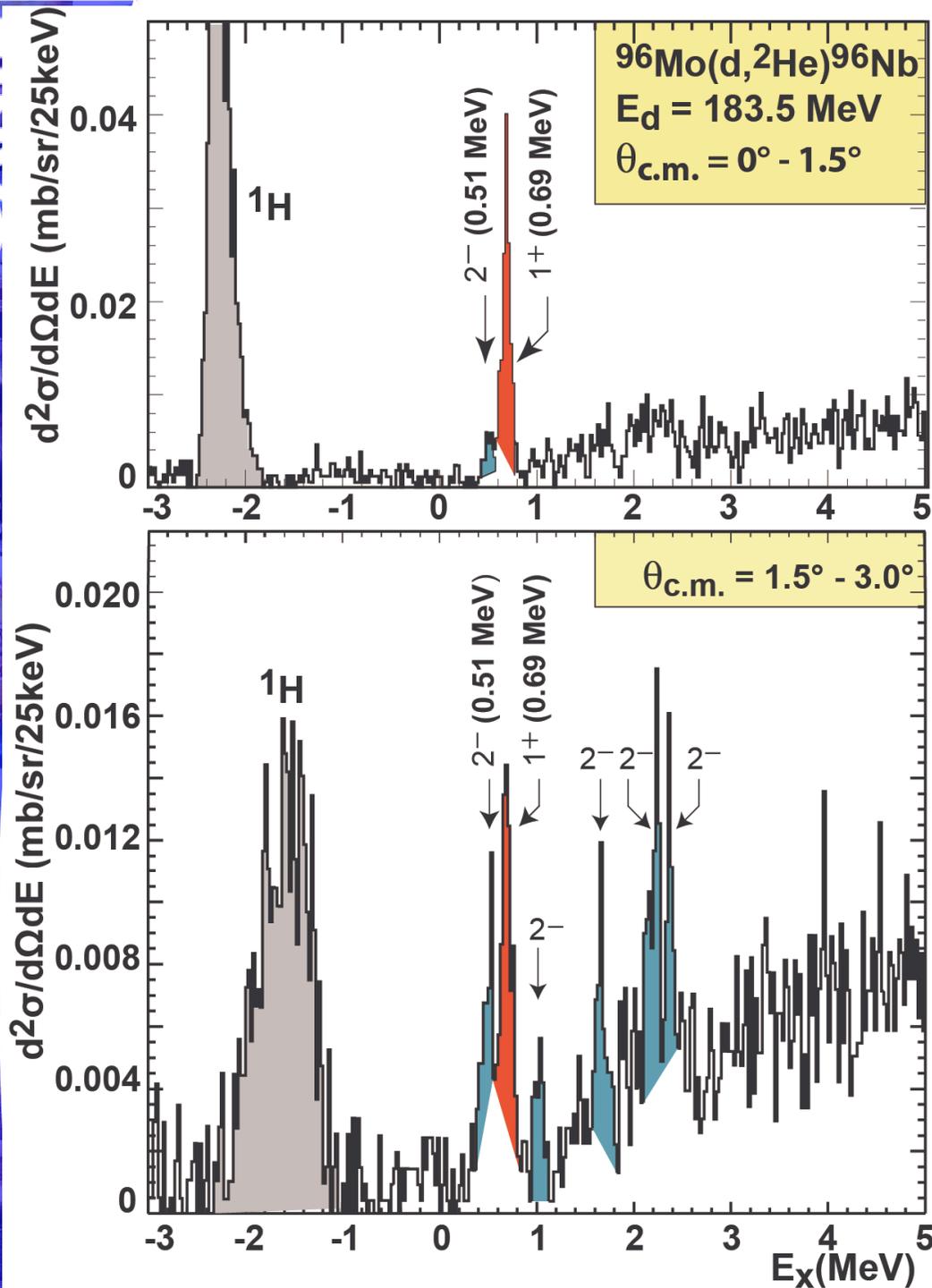
**<sup>5</sup> University Bari**

**<sup>6</sup> Technische Universität Darmstadt**

**<sup>7</sup> University Aarhus**

**<sup>8</sup> Märkische Fachhochschule Iserlohn**





**Zero-degree  
spectrum**

**only one  $1^+$  state  
visible**

**Finite-degree  
spectrum**

**( $\langle \Theta_{cm} \rangle \sim 2^\circ$ )**

**$2^-$  states quickly  
become visible**

# Scattering of stored exotic nuclei on light hadronic probes (EXL)

GAN

Inverse kinematics

**thin gas target ( $\sim 10^{15}/\text{cm}^2$ )**

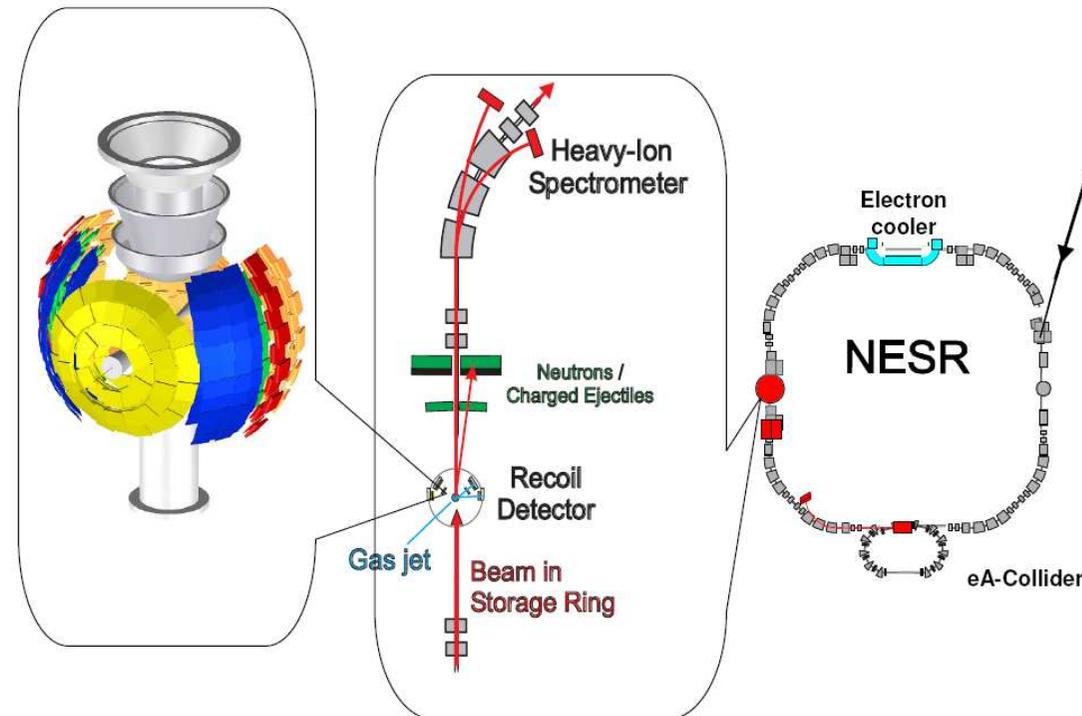
kinematic complete measurements

elastic scattering ( $p,p$ ) ...

inelastic scattering ( $p,p'$ ), ( $\alpha,\alpha'$ ) ...

charge-exchange reactions ( $p,n$ ), ( $^3\text{He},t$ ), ( $d,^2\text{He}$ ) ...

quasi-free scattering ( $p,pn$ ), ( $p,2p$ ), ( $p,p\alpha$ ) ...



# Studies with CE reactions on unstable nuclei

# Studies with CE reactions in inverse kinematics

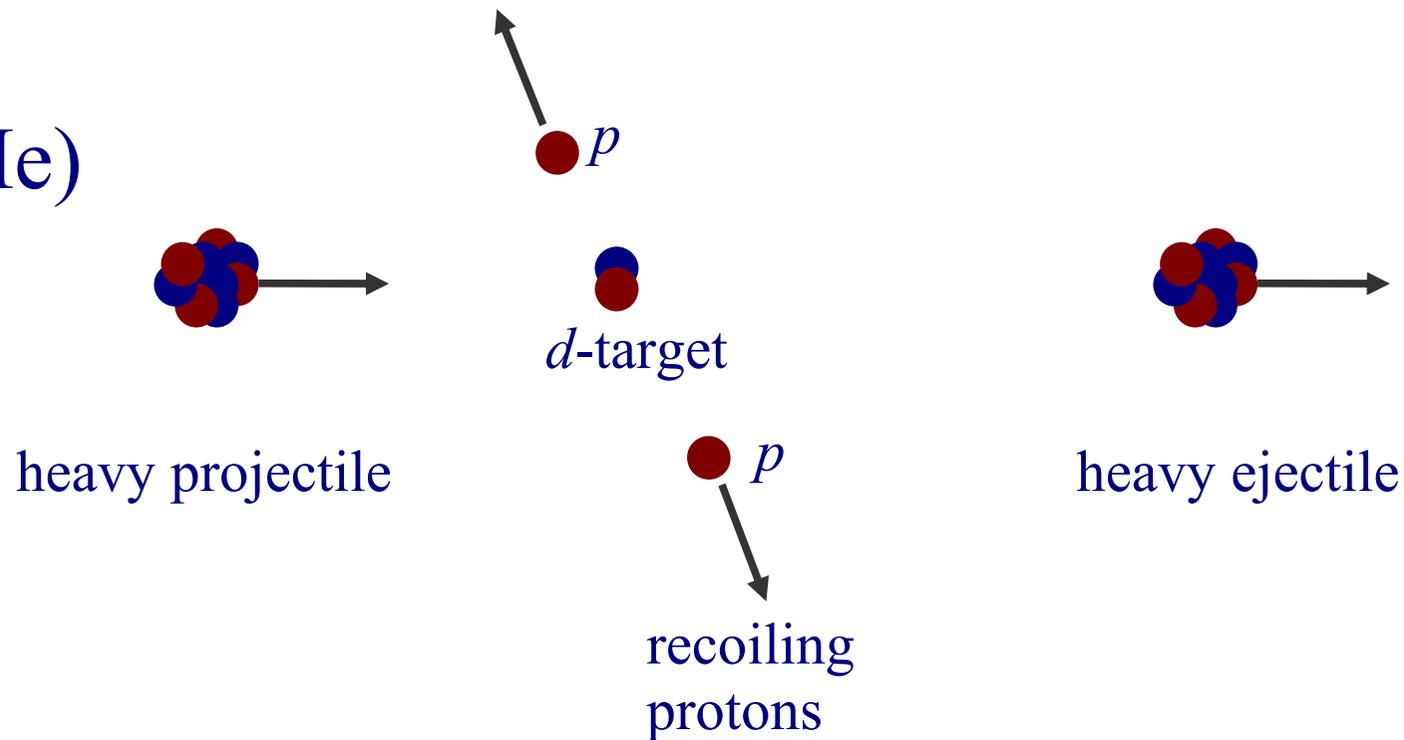
## Applications:

- the study of spin-isospin excitations in unstable nuclei involved in nuclear processes that happen under extreme conditions, like in a supernova, is indispensable
- the study of the SDR, of which cross section is correlated to the neutron-skin thickness of nuclei (important for constraining the density dependence of the symmetry energy of nuclear matter) **-systematic study is needed**
- GT strength distribution on N=Z unstable proton-rich nuclei ( $^{72}\text{Kr}$ ,  $^{76}\text{Sr}$ ,  $^{80}\text{Zr}$ ,  $^{84}\text{Mo}$ ,  $^{88}\text{Ru}$ ,  $^{92}\text{Pd}$ ) – test for network calculations for rp-processes
- studies for calibrating presupernovae models: electron capture rates for all radioactive isotopes within  $^{55-60}\text{Co}$ ,  $^{56-61}\text{Ni}$ ,  $^{54-58}\text{Mn}$  and  $^{54-59}\text{Fe}$  are of interest for the first phase of the core collapse, whereas the neutron-rich Kr and Ge isotopes are relevant for the later phase

# Nuclear structure studies with CE reactions in inverse kinematics

- possible at FAIR and RIKEN (intermediate beam energies are needed!)

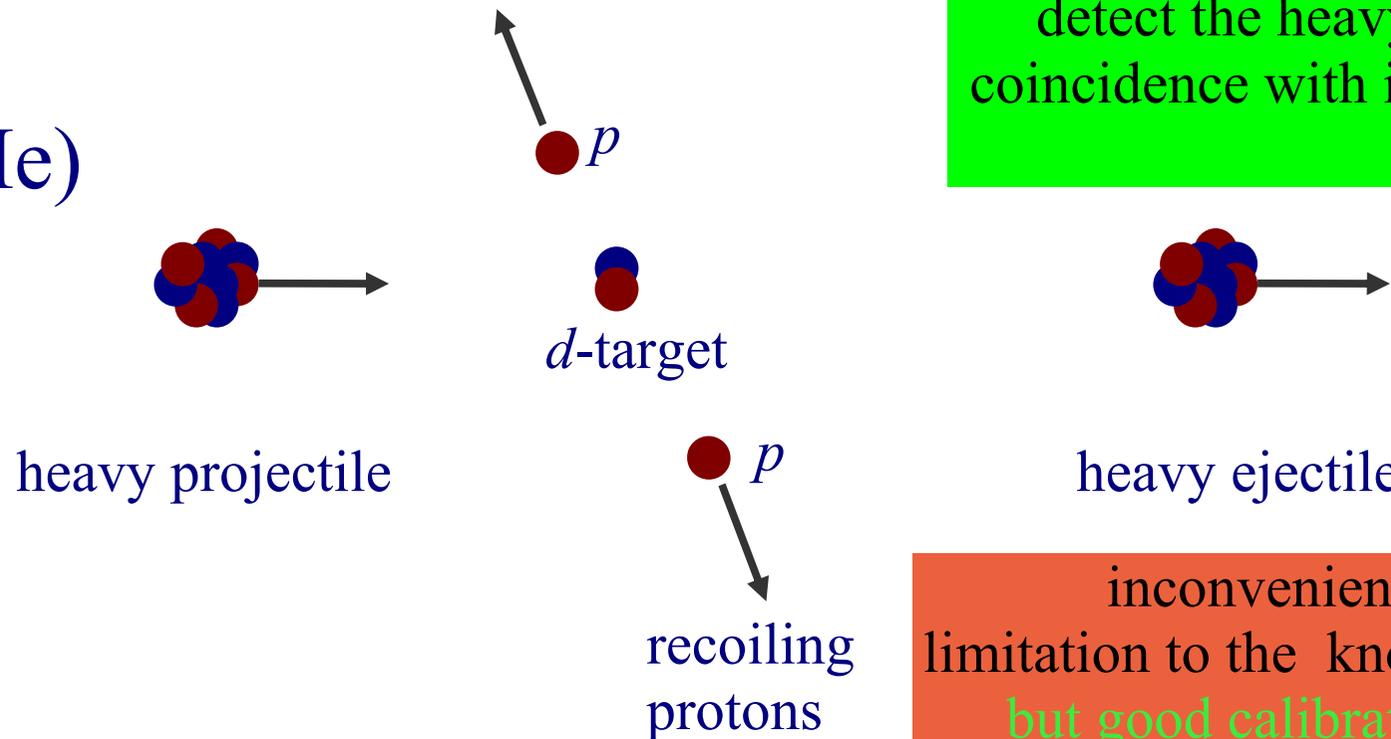
$(d, ^2\text{He})$



# Nuclear structure studies with CE reactions in inverse kinematics

- possible at FAIR and RIKEN (intermediate beam energies are needed!)

$(d, {}^2\text{He})$



RIKEN approach:  
detect the heavy ion in  
coincidence with its  $\gamma$ -decay

inconvenience:  
limitation to the known states,  
but good calibration for  
determining the strengths

## SN-explosion scenario

- interior of star gets enriched with Fe
- gravitational pressure increases
- balanced by degenerate electron gas up to Chandrasekhar limit:  $M_{ch} = 1.44 (2Y_e)^2 M_{\odot}$

- start of collapse at  $T = 10^9$  K and  $\rho = 3 \times 10^9$  g/cm<sup>3</sup> accelerated by neutronization (de-leptonization)

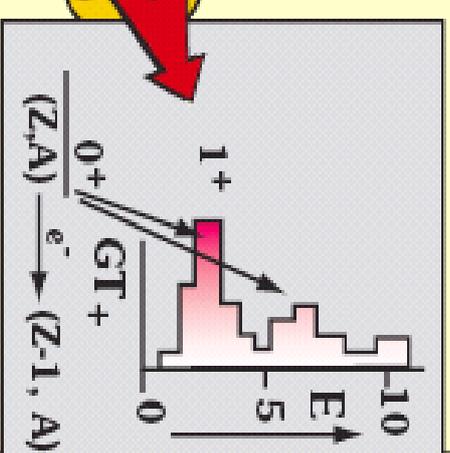


escaping

$\frac{\# \text{ electrons}}{\# \text{ nucleons}}$

- loss of pressure
- accelerated collapse
- reduction of  $Y_e$  and loss of energy!!

rate determined by GT-strength  
( $\Delta S = 1, \Delta T = 1, \Delta L = 0$ )



$Y_e$  at freeze-out determines the explosive energy!!

