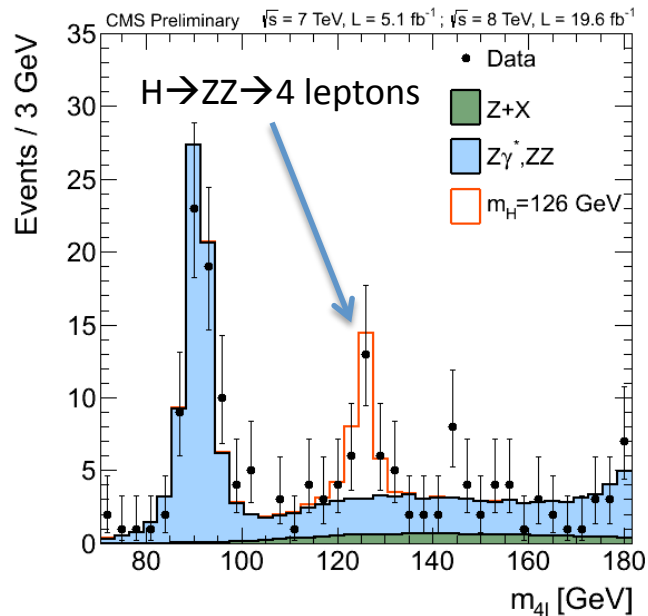
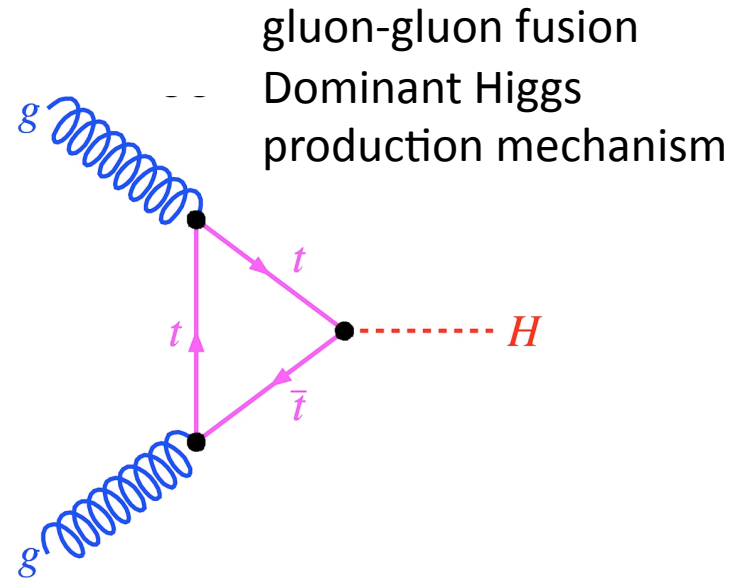
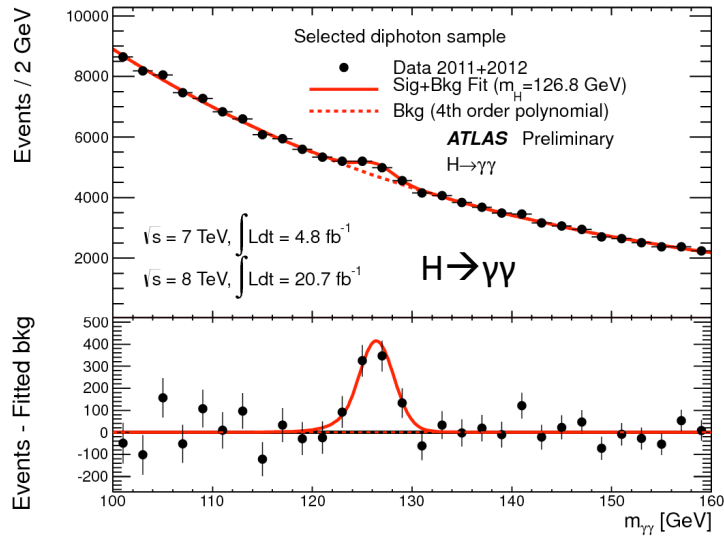


$H \rightarrow \tau\tau$ in CMS, A Particle Flow Analysis

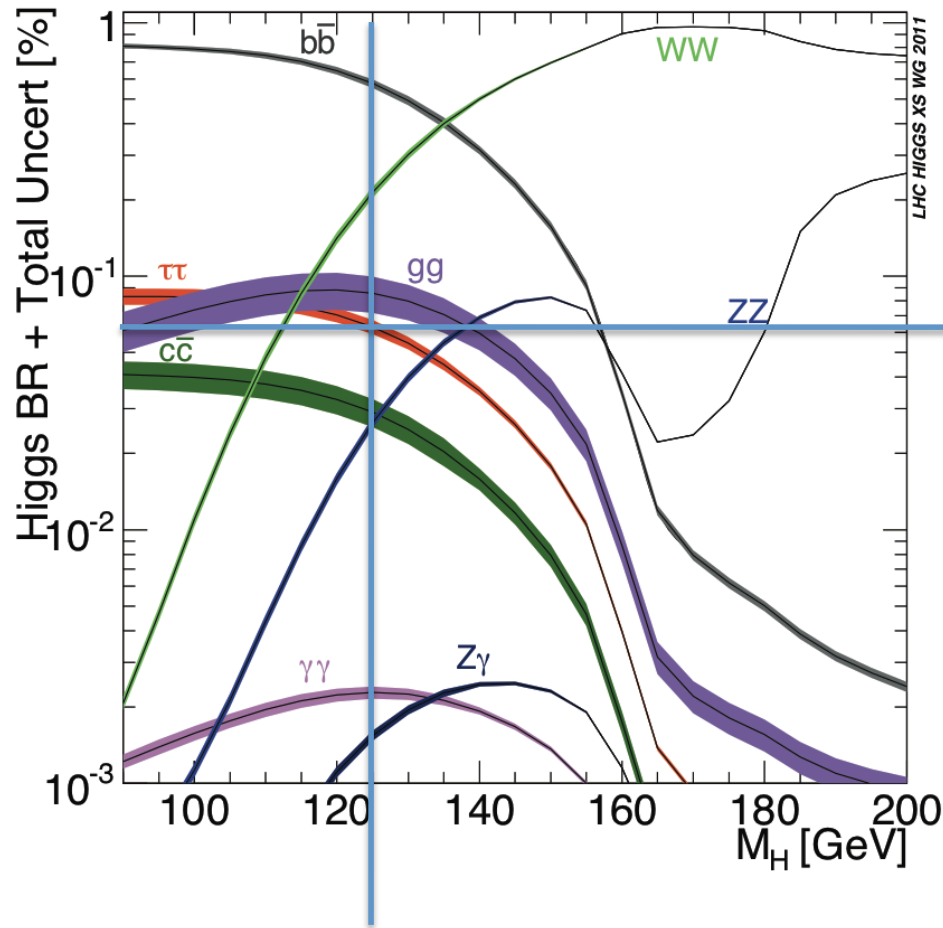
Colin Bernet (CERN, CRNS/LLR)

Discovery of a Higgs boson



- mass $\sim 125.6 \pm 0.5$ GeV
- $\sigma \times \text{BR}$ compatible with SM
 - couples to Z and W
 - couples to top quark (probably)
- **does it couple to leptons?**

Probe lepton coupling: $H \rightarrow \tau\tau$



$$\text{BR}(H \rightarrow \tau\tau) = 6\%$$

Yukawa coupling to fermions
proportional to fermion mass m_f

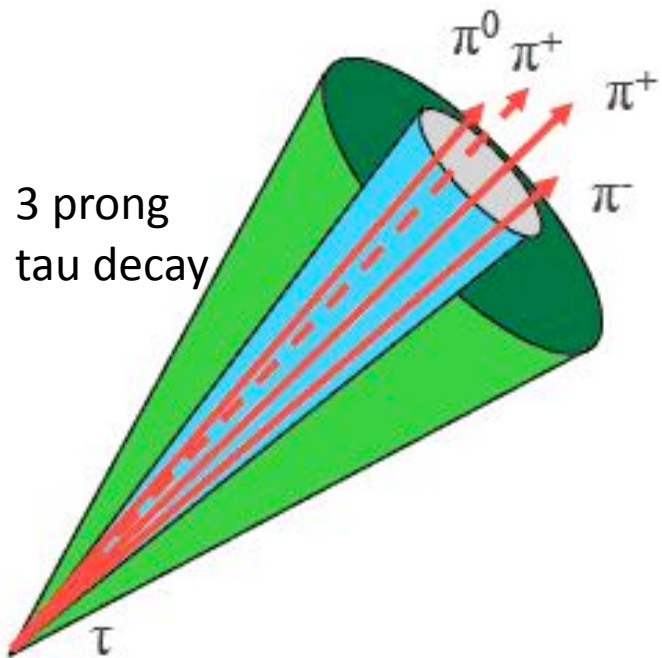
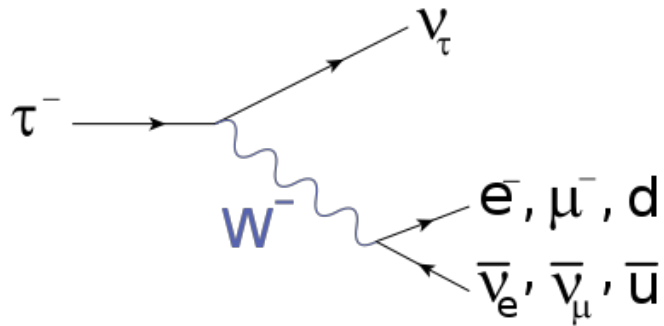
$$\text{BR}(H \rightarrow \mu\mu) = \left(\frac{m_\mu}{m_\tau} \right)^2 \text{BR}(H \rightarrow \tau\tau)$$

~1/300

Part I

- Principles of the $H \rightarrow \tau\tau$ search
 - fighting the main background sources
 - need for high-performance physics objects
- Particle flow reconstruction
 - What and why?
 - The algorithm
 - Physics object performance
- The CMS $H \rightarrow \tau\tau$ analysis
 - specific techniques
 - results

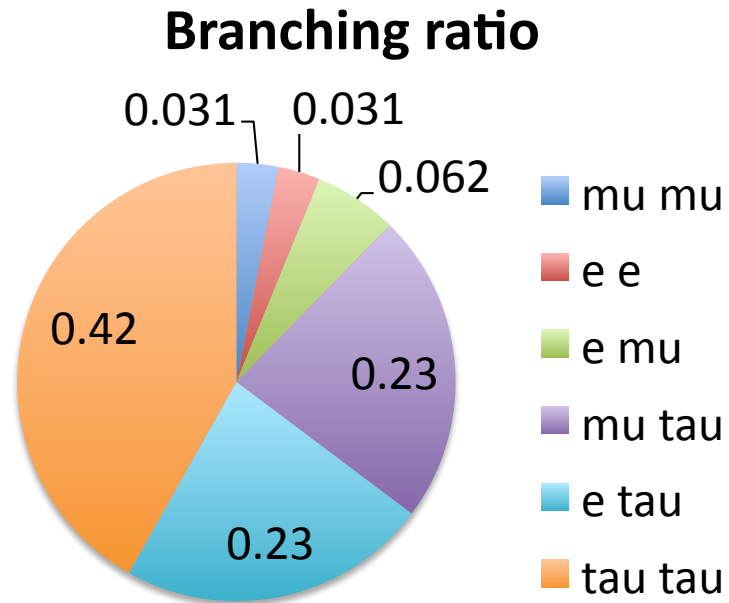
The τ , a massive (and challenging) lepton



3 prong
tau decay

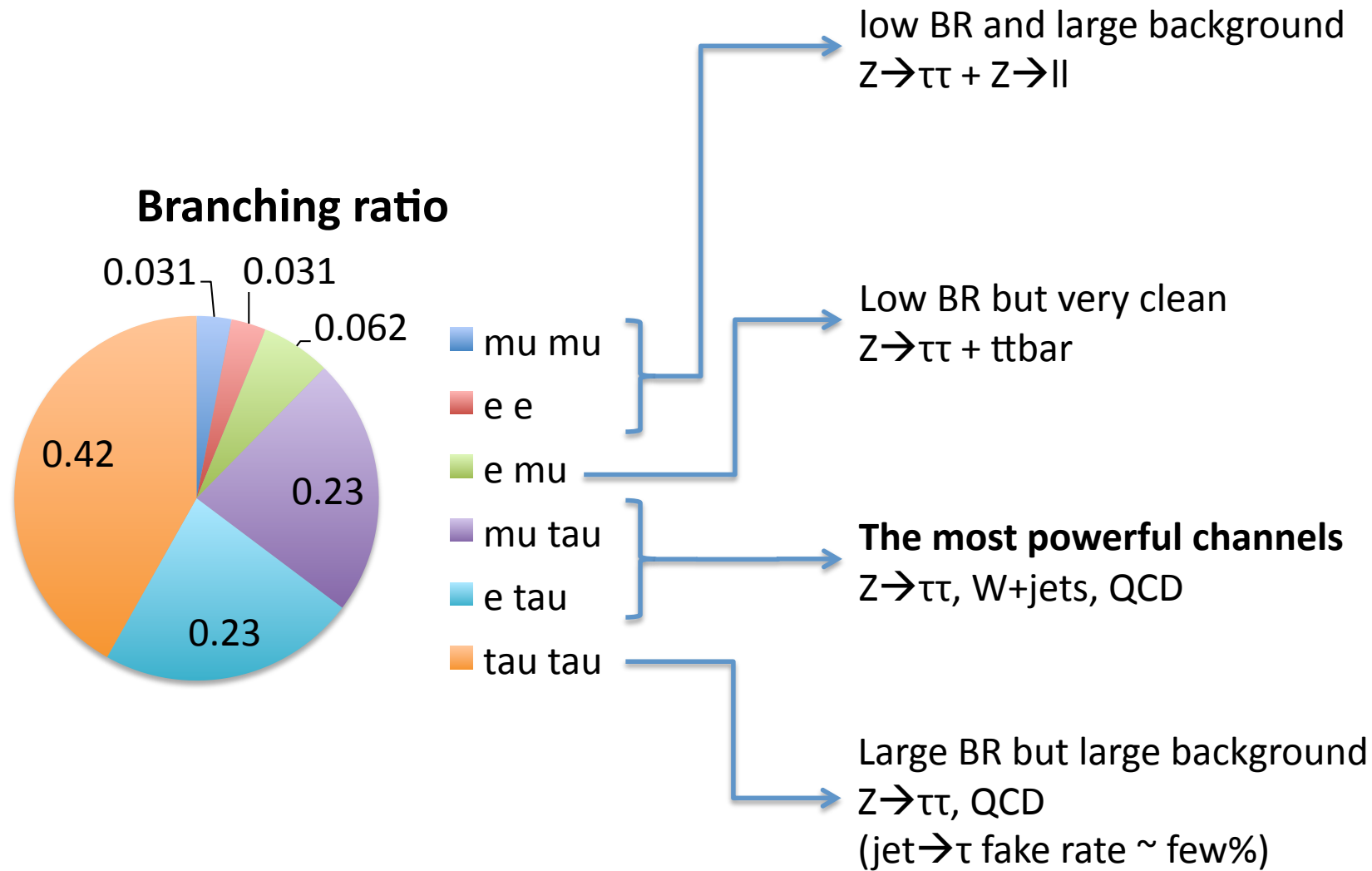
- $m = 1.78 \text{ GeV}$
- $c\tau = 90 \text{ }\mu\text{m}$
- Branching ratios:
 - 65% $\tau^\pm \rightarrow \tau_{\text{had}}^\pm \nu_\tau$
 - 75%, $\tau^\pm \rightarrow \mathbf{1}\pi^\pm + [\pi^0('s)] + \nu_\tau$ (**1 prong**)
 - 23%, $\tau^\pm \rightarrow \mathbf{3}\pi^\pm + [\pi^0('s)] + \nu_\tau$ (**3 prongs**)
 - 35% $\tau^\pm \rightarrow l^\pm \nu_l \nu_\tau$
- Decays into 1 or 2 neutrinos
→ MET in the event
- Narrow “jet”
with only a few particle
→ high jet to τ fake rate (few %)

H → ττ channels



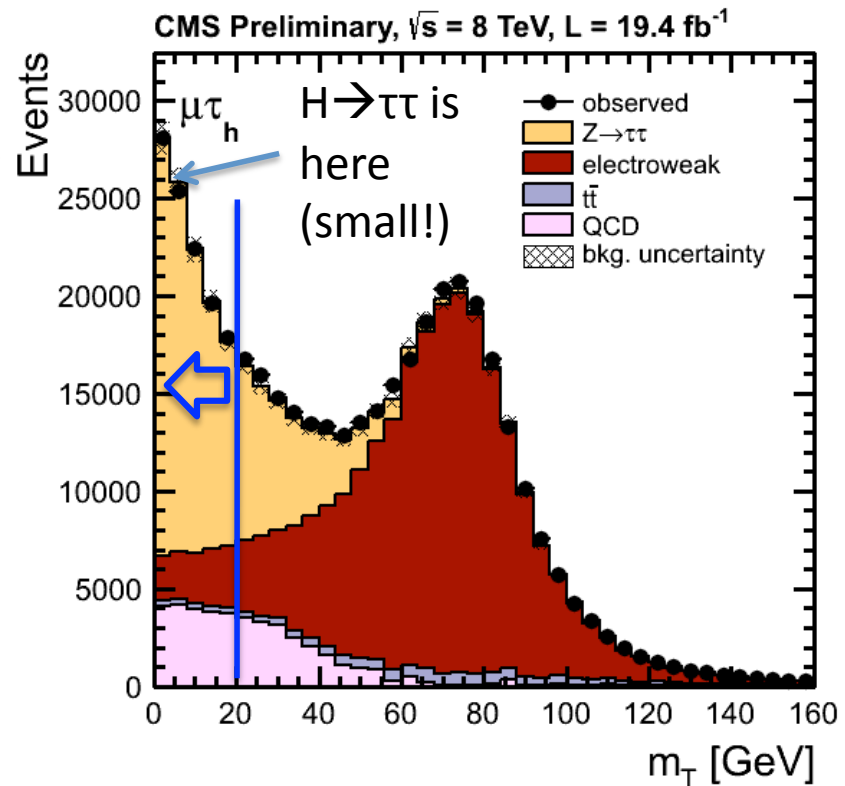
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→ MET in the event
- Narrow “jet”
with only a few particle
→ high jet to τ fake rate (few %)

$H \rightarrow \tau\tau$ channels



The $H \rightarrow \tau\tau \rightarrow \mu\tau$ channel

- Inclusive selection:
 - identified and isolated μ & τ , with $p_T > 20$ GeV
 - rejects QCD & W+jets
 - This background yield is proportional to the $\text{jet} \rightarrow \tau$ fake rate
- $m_T < 20$ GeV
 - rejects W+jets & ttbar
 - $H \rightarrow \tau\tau$ at low m_T like $Z \rightarrow \tau\tau$
 - separation performance depends on E_T^{miss} resolution



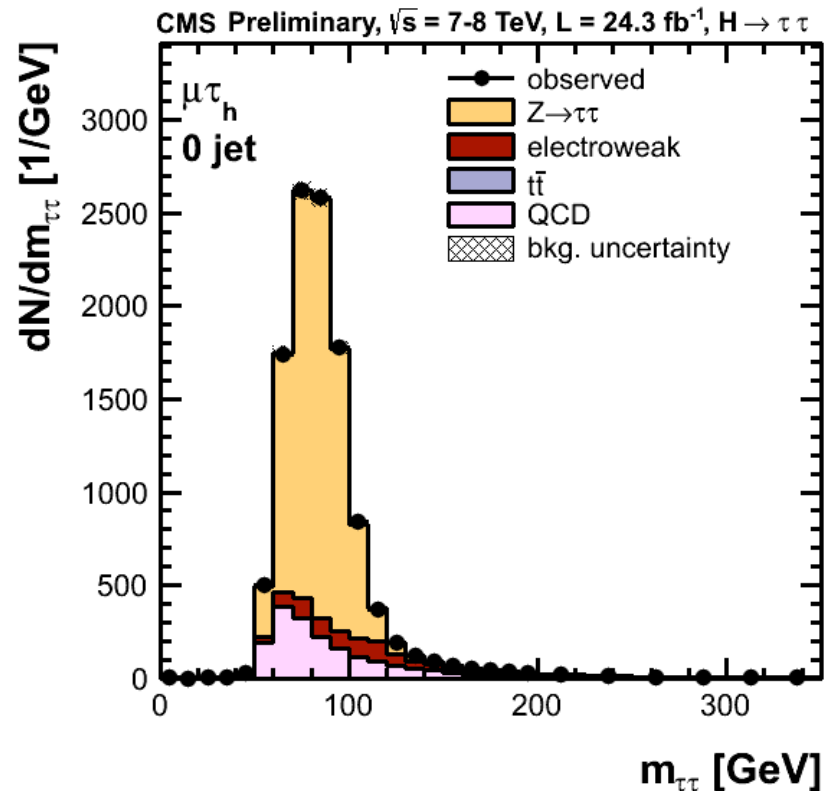
$$m_T = \sqrt{2p_T E_T^{\text{miss}} (1 - \cos(\Delta\phi))}$$

Transverse mass

mass of the $\mu + E_T^{\text{miss}}$ system in the transverse plane

The $H \rightarrow \tau\tau \rightarrow \mu\tau$ channel

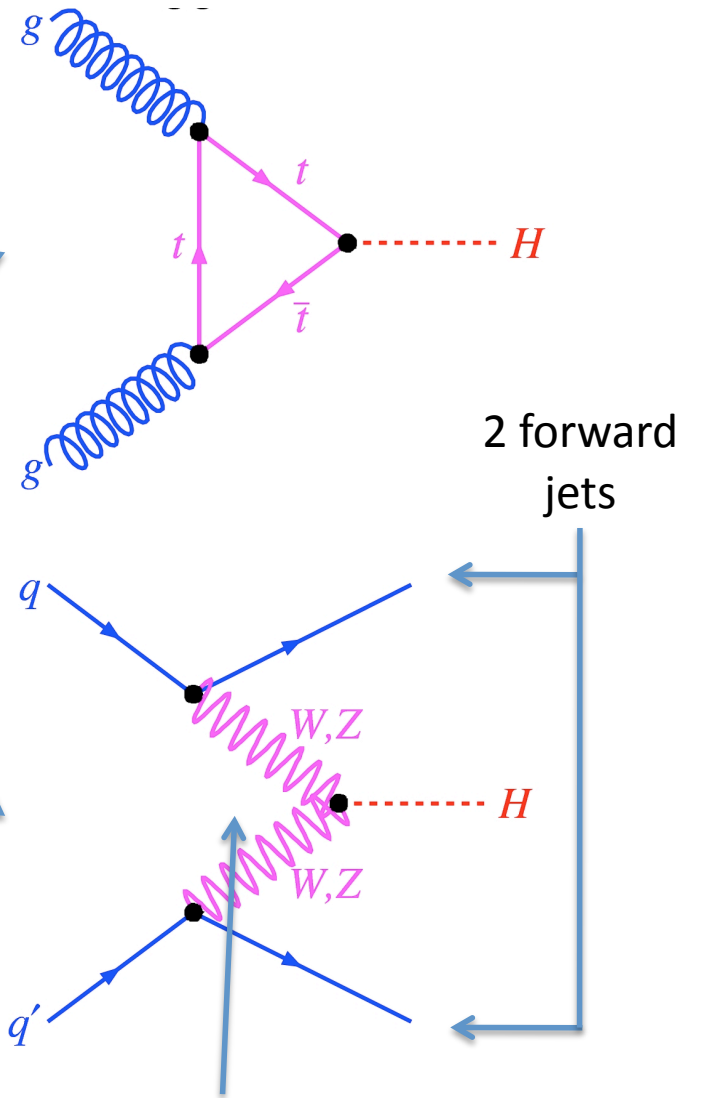
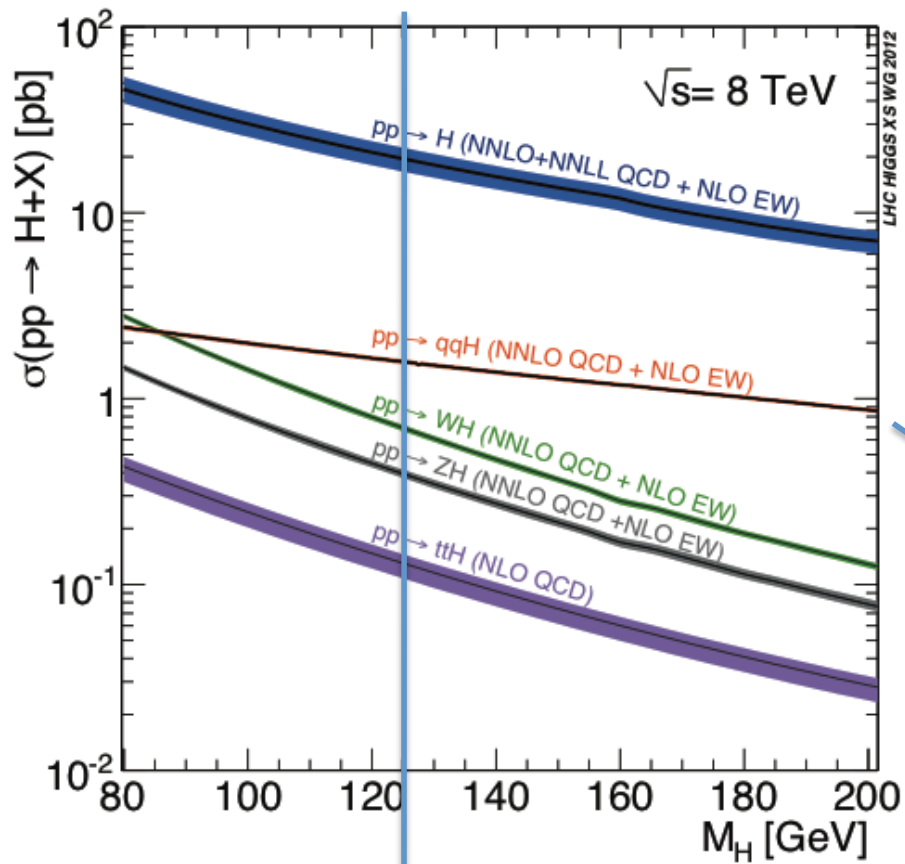
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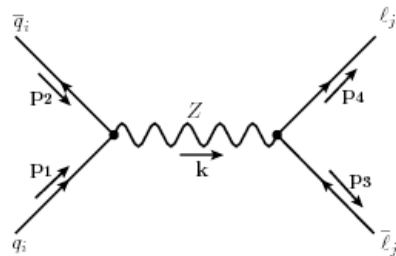
Full $\tau\tau$ mass

includes neutrinos;
reconstructed from μ , τ , E_T^{miss}
(more later)

Vector Boson Fusion (VBF)

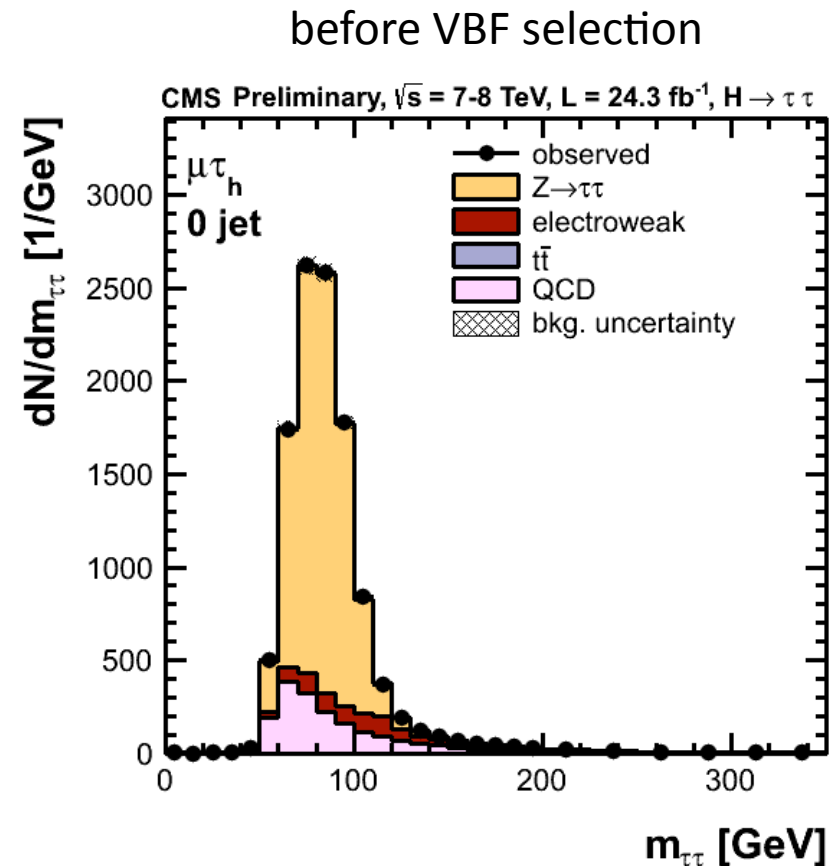


No colour flow
 in between
 \rightarrow rapidity gap



The $H \rightarrow \tau\tau \rightarrow \mu\tau$ channel: VBF cuts

- VBF selection:
 - 2 jets $p_T > 30$ GeV
 - $|\Delta\eta| > 3.5$
 - $m_{jj} > 500$ GeV
 - no jet in between
- Rejects $Z \rightarrow \tau\tau$
- Uncertainty in jet energy scale
→ 5% uncertainty in signal yield

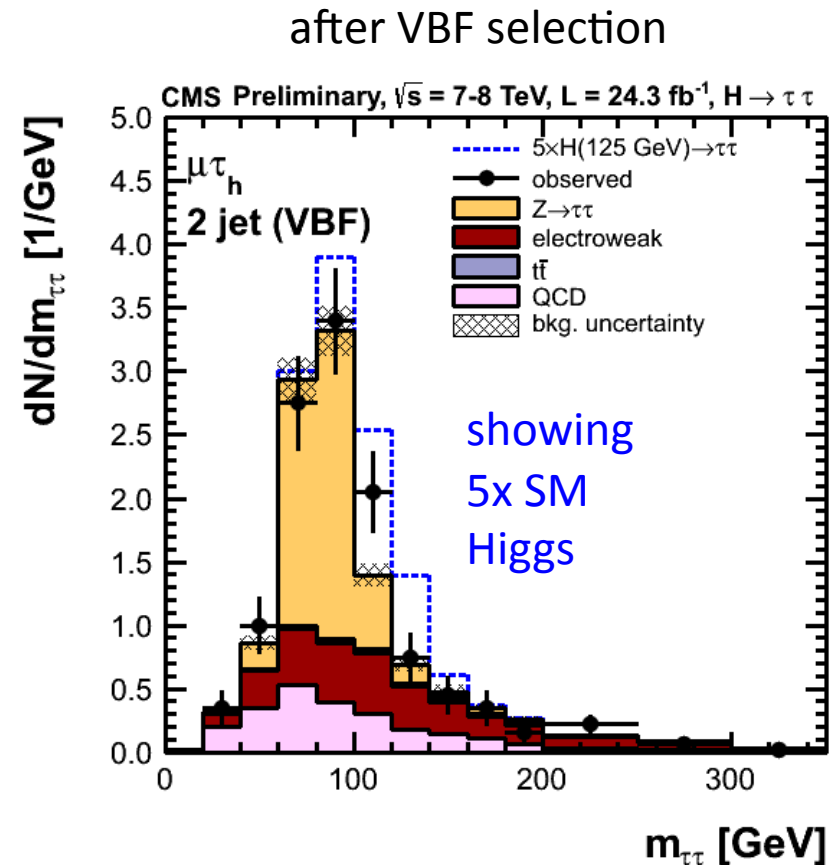


Full $\tau\tau$ mass

includes neutrinos;
reconstructed from $\mu, \tau, E_T^{\text{miss}}$
(more later)

The $H \rightarrow \tau\tau \rightarrow \mu\tau$ channel: VBF cuts

- VBF selection:
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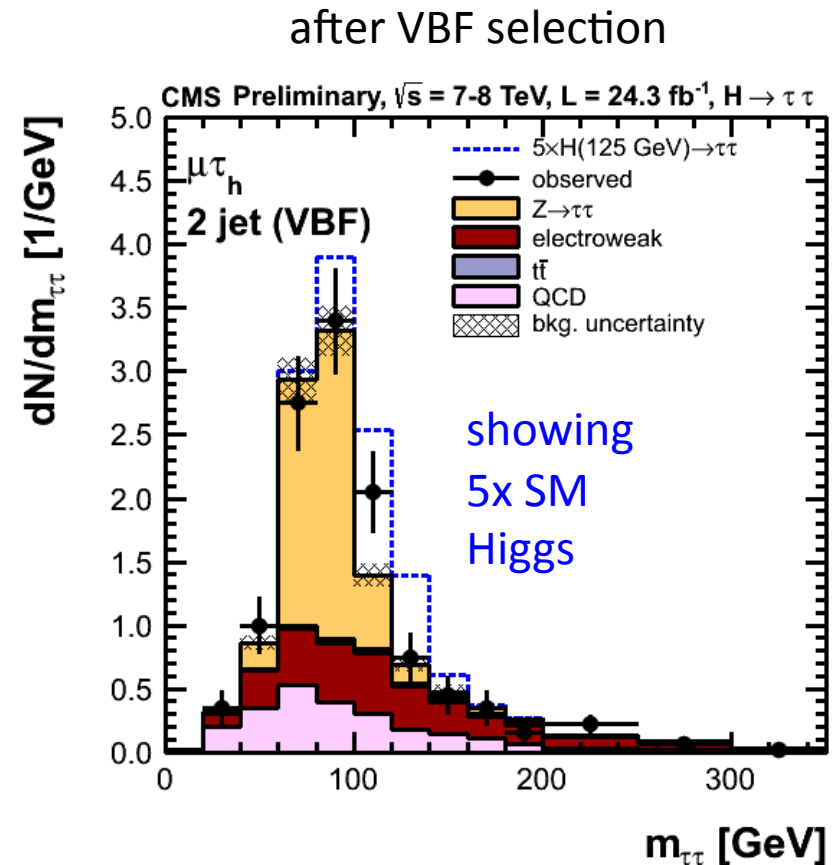


Full $\tau\tau$ mass

includes neutrinos;
reconstructed from $\mu, \tau, E_T^{\text{miss}}$
(more later)

The $H \rightarrow \tau\tau \rightarrow \mu\tau$ channel: VBF cuts

- $H \rightarrow \tau\tau$ separated from $Z \rightarrow \tau\tau$ using $m_{\tau\tau}$
 - τ energy scale uncertainty
 - error results in shifted peak
 - E_T^{miss} resolution
 - drives the peak width



Full $\tau\tau$ mass

includes neutrinos;
reconstructed from μ , τ , E_T^{miss}
(more later)

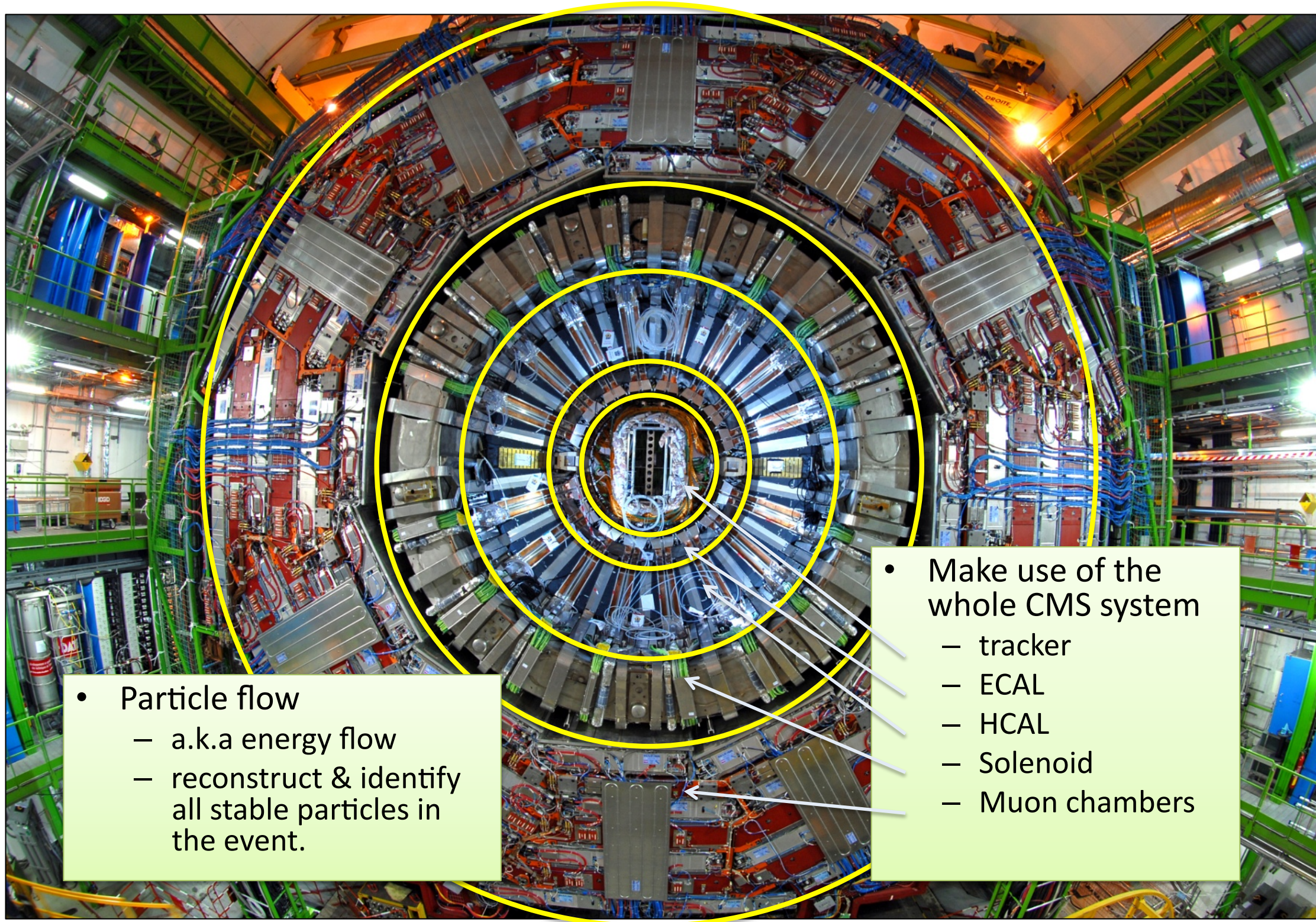
Part II

- Principles of the $H \rightarrow \tau\tau$ search
 - fighting the main background sources
 - need for high-performance physics objects

- Particle flow reconstruction
 - What and why?
 - The algorithm
 - Physics object performance

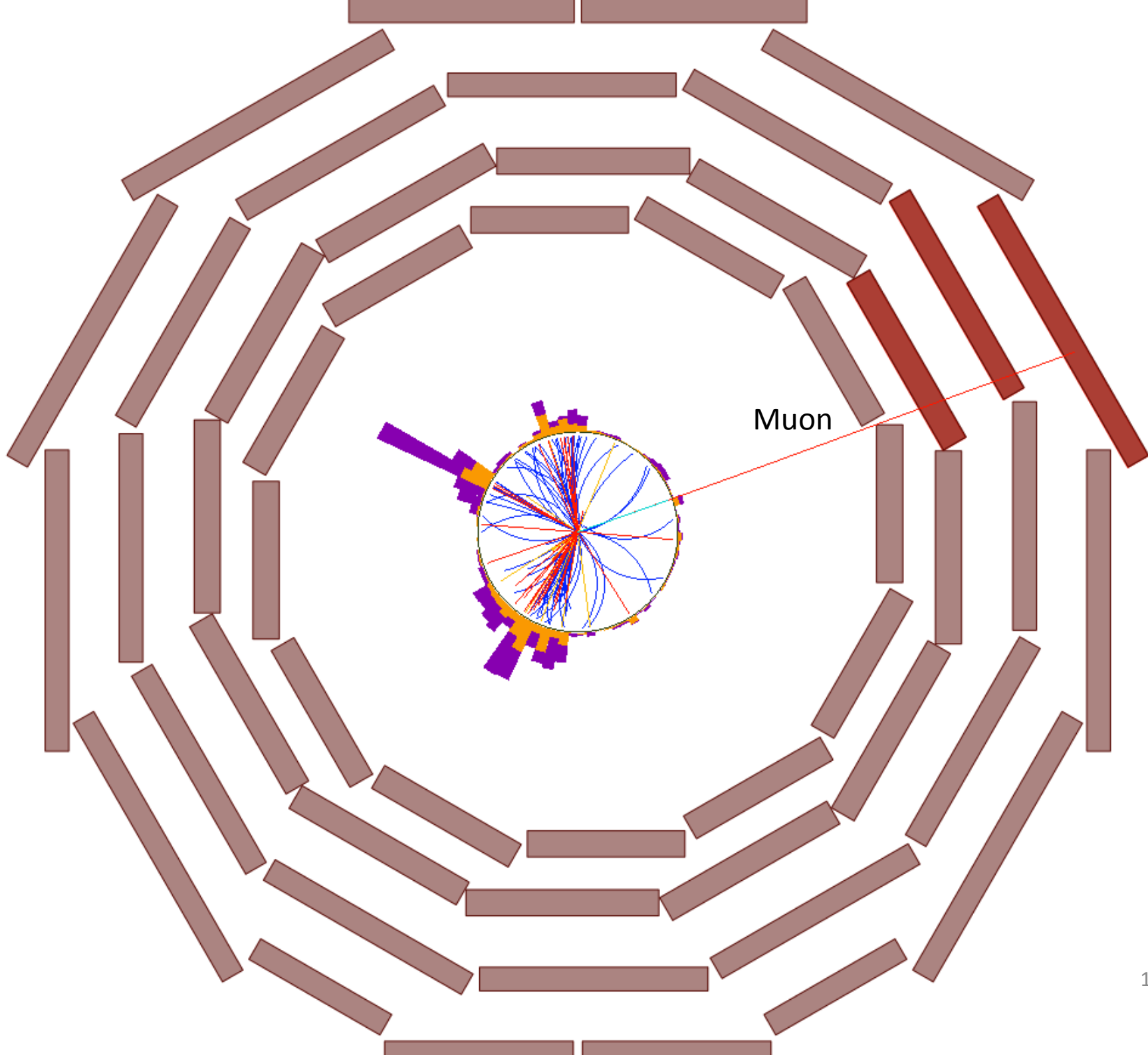
- τ ID efficiency and fake rate
- τ energy scale syst. uncertainty
- E_T^{miss} resolution
- jet energy scale syst. uncertainty
- and much more!

- The CMS $H \rightarrow \tau\tau$ analysis
 - background estimation & main uncertainties
 - statistical procedure
 - results

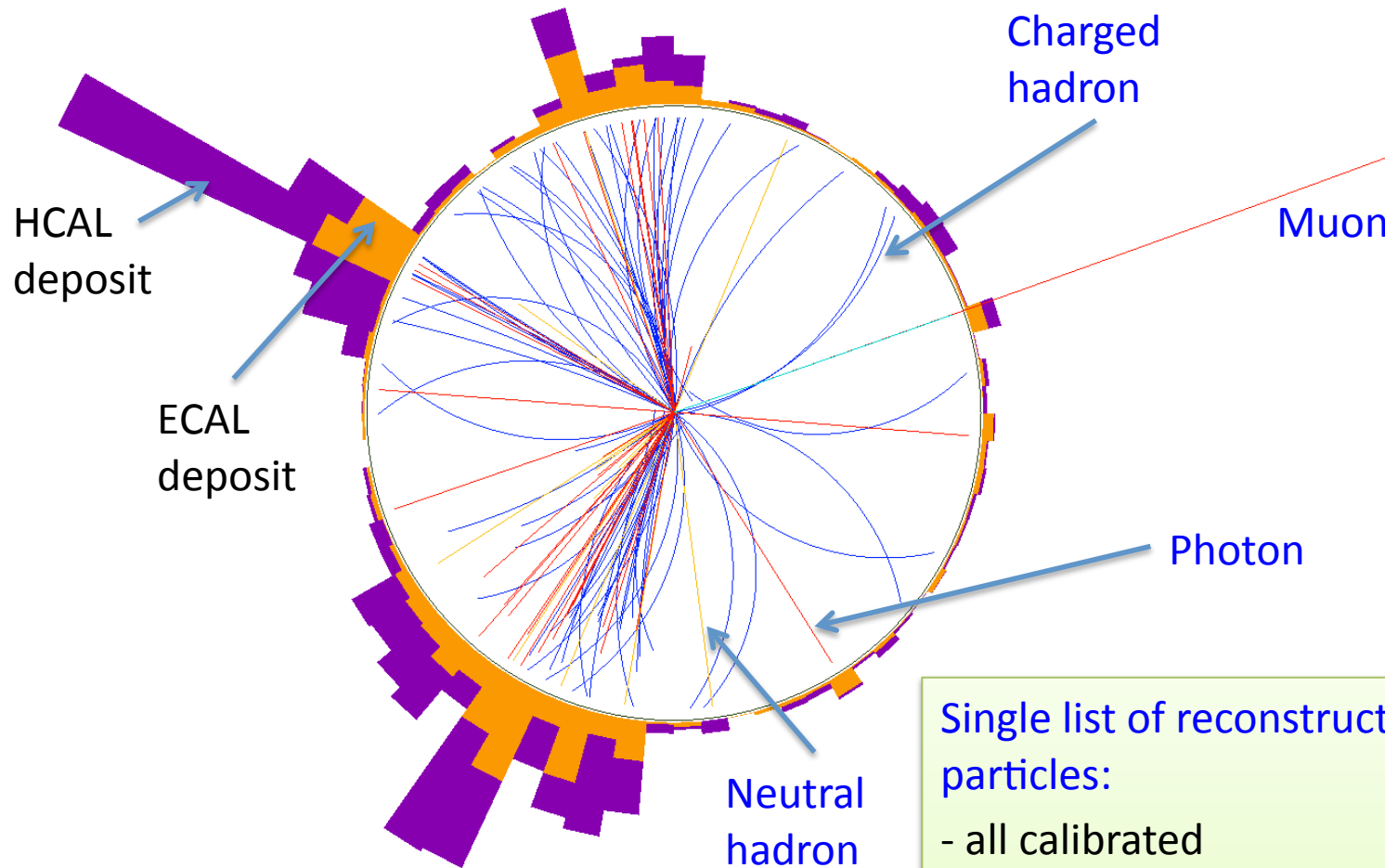


- Particle flow
 - a.k.a energy flow
 - reconstruct & identify all stable particles in the event.

- Make use of the whole CMS system
 - tracker
 - ECAL
 - HCAL
 - Solenoid
 - Muon chambers



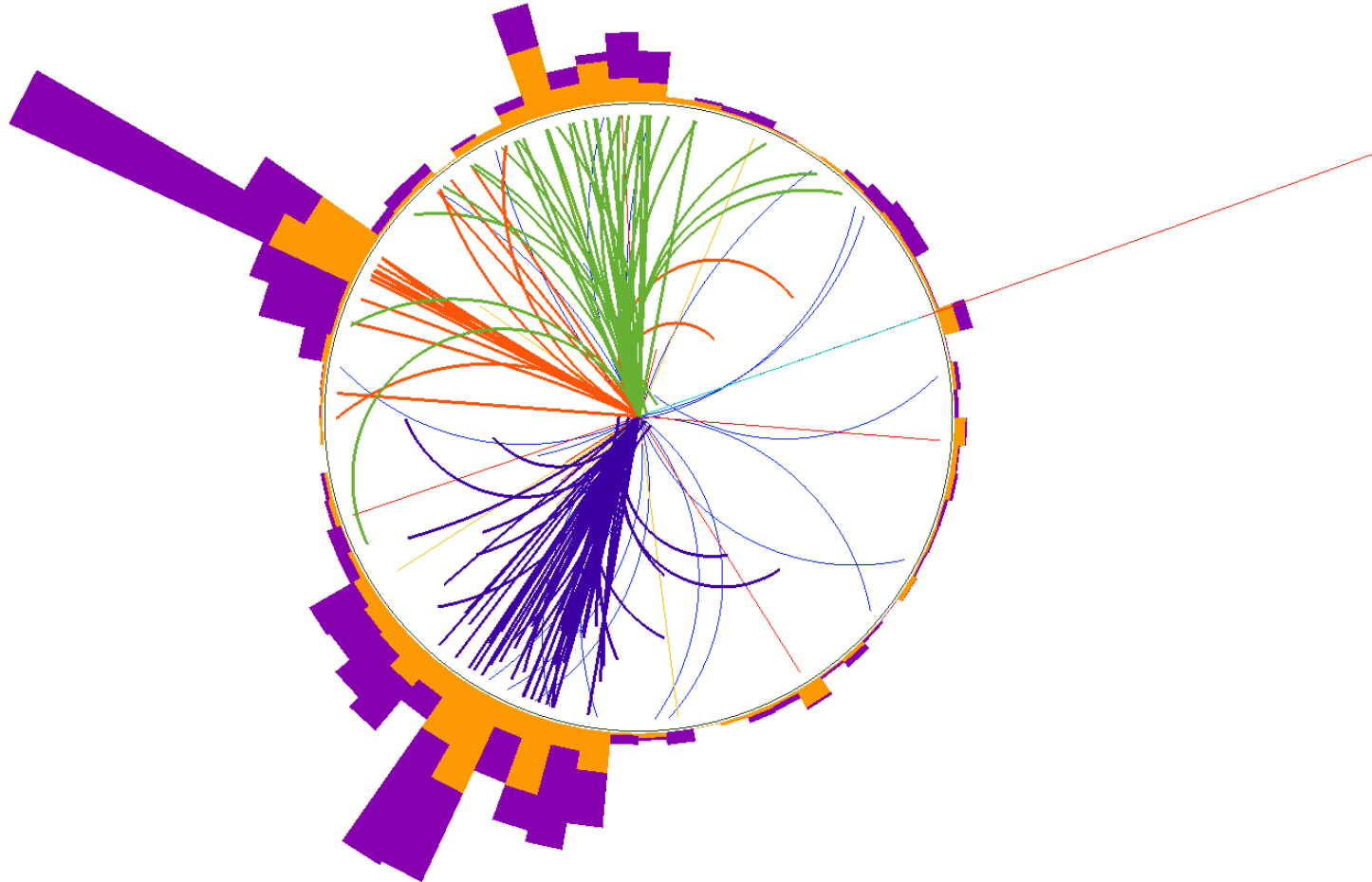
Zoom



Single list of reconstructed particles:

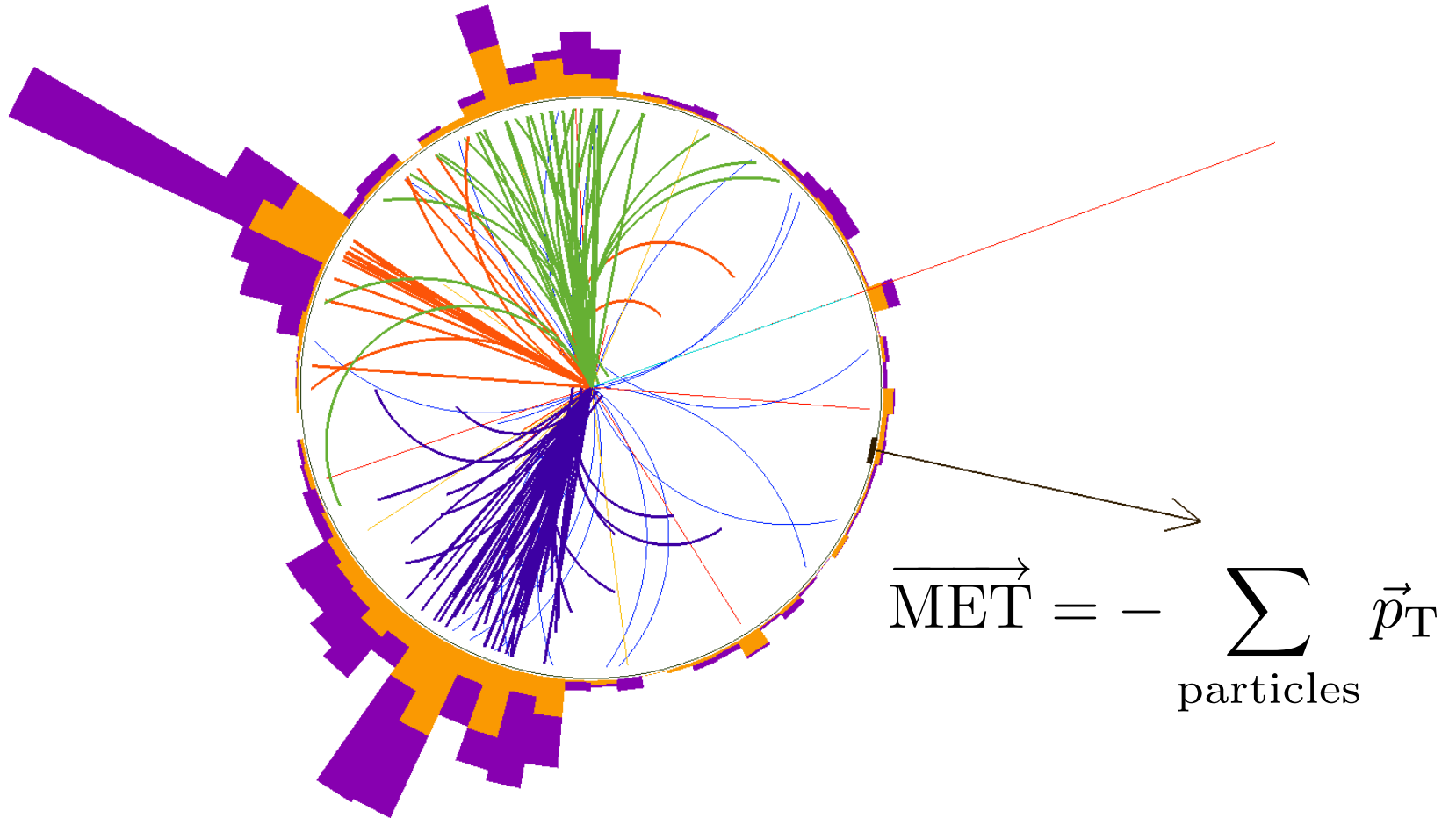
- all calibrated
- used to build high-level objects in a consistent way (global event description)

Particle Jets



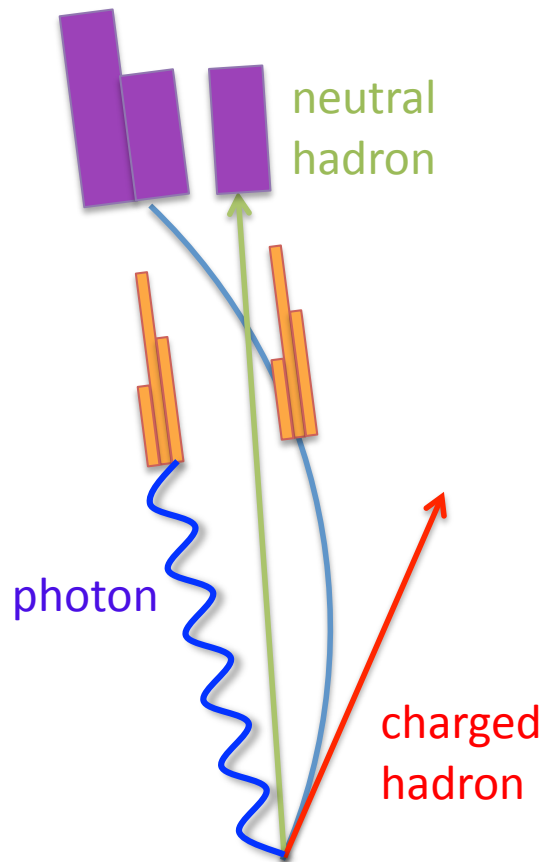
For the first time in a hadron collider experiment

Missing Transverse Energy Momentum



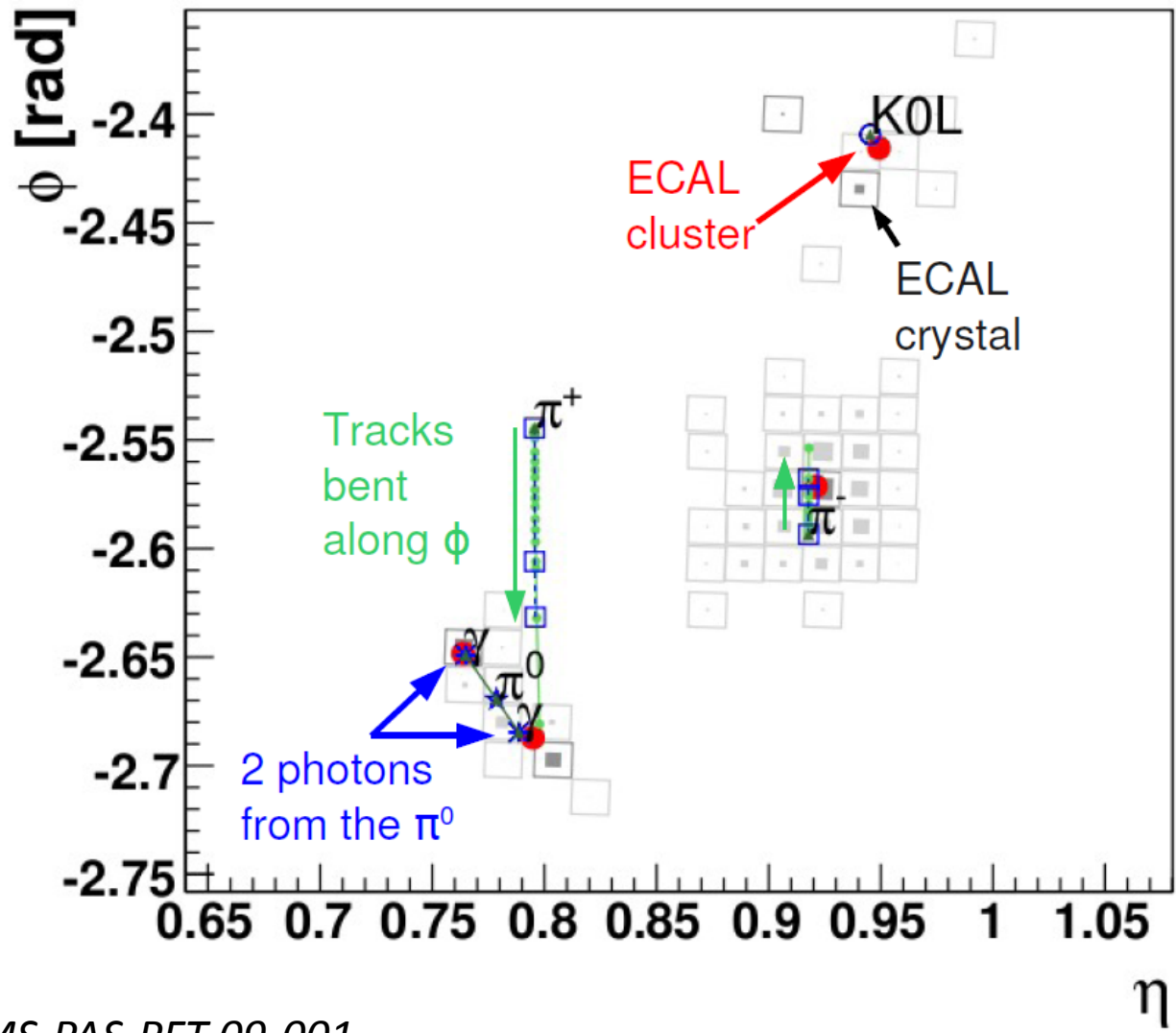
For the first time in a hadron collider experiment

Why Particle Flow?



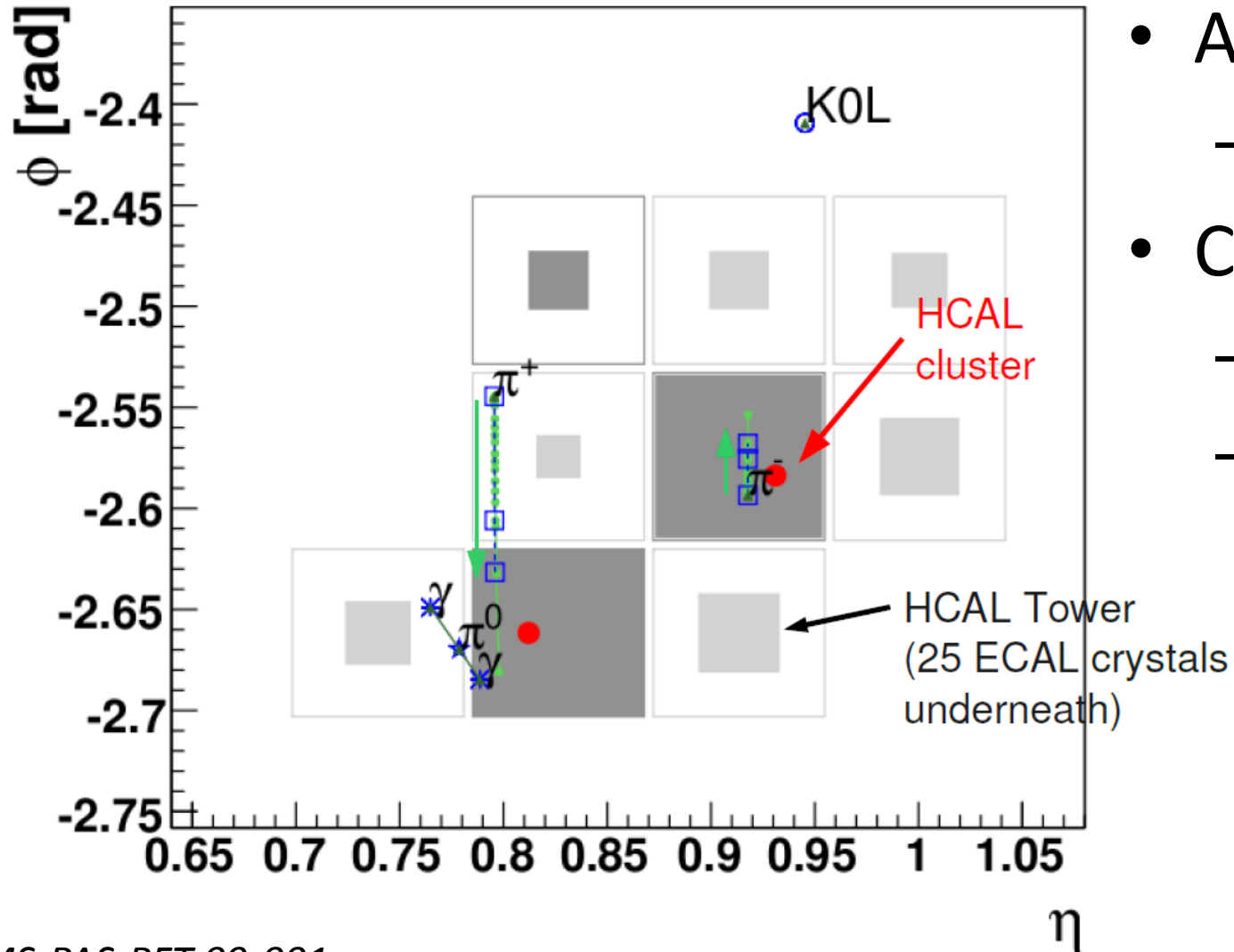
- Calorimeter jet:
 - $E = E_{\text{HCAL}} + E_{\text{ECAL}}$
 - $\sigma(E) \sim$ calo resolution to hadron energy:
 $120 \% / \sqrt{E}$
 - direction biased ($B = 3.8 \text{ T}$)
- Particle flow jet:
 - **65% charged hadrons**
 - $\sigma(p_T)/p_T \sim 1\%$
 - direction measured at vertex
 - **25% photons**
 - $\sigma(E)/E \sim 1\% / \sqrt{E}$
 - good direction resolution
 - **10% neutral hadrons**
 - $\sigma(E)/E \sim 120 \% / \sqrt{E}$
 - **Need to resolve the energy deposits from the neutral particles...**

ECAL Surface



- A typical jet
 - $p_T = 50 \text{ GeV}/c$
- Cell size:
 - 0.017×0.017

HCAL Surface

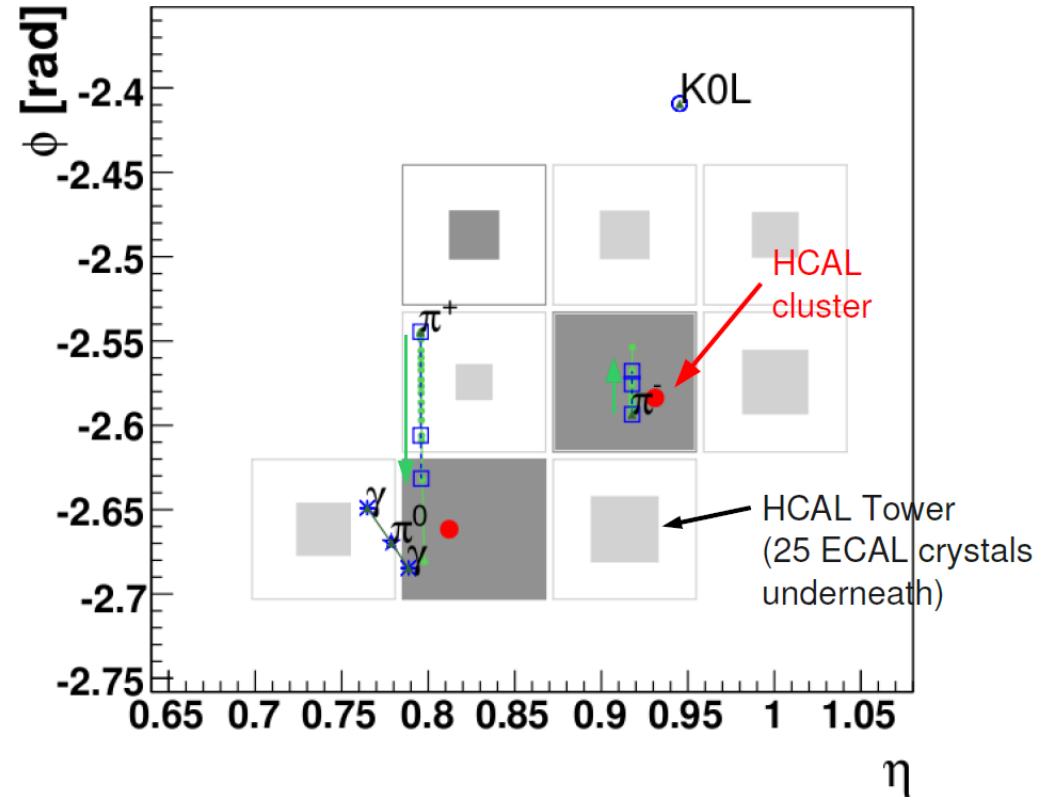
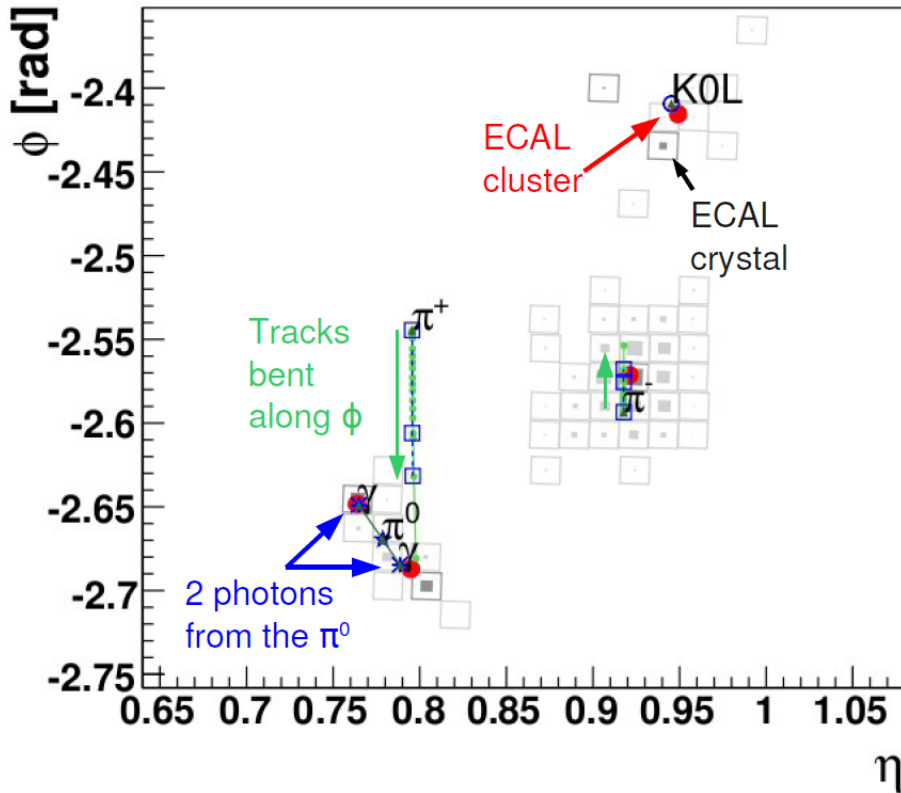


- A typical jet
 - $p_T = 50 \text{ GeV}/c$
- Cell size:
 - 0.085×0.085
 - 5 ECAL crystals

2 charged hadrons, 3 photons

from tracks

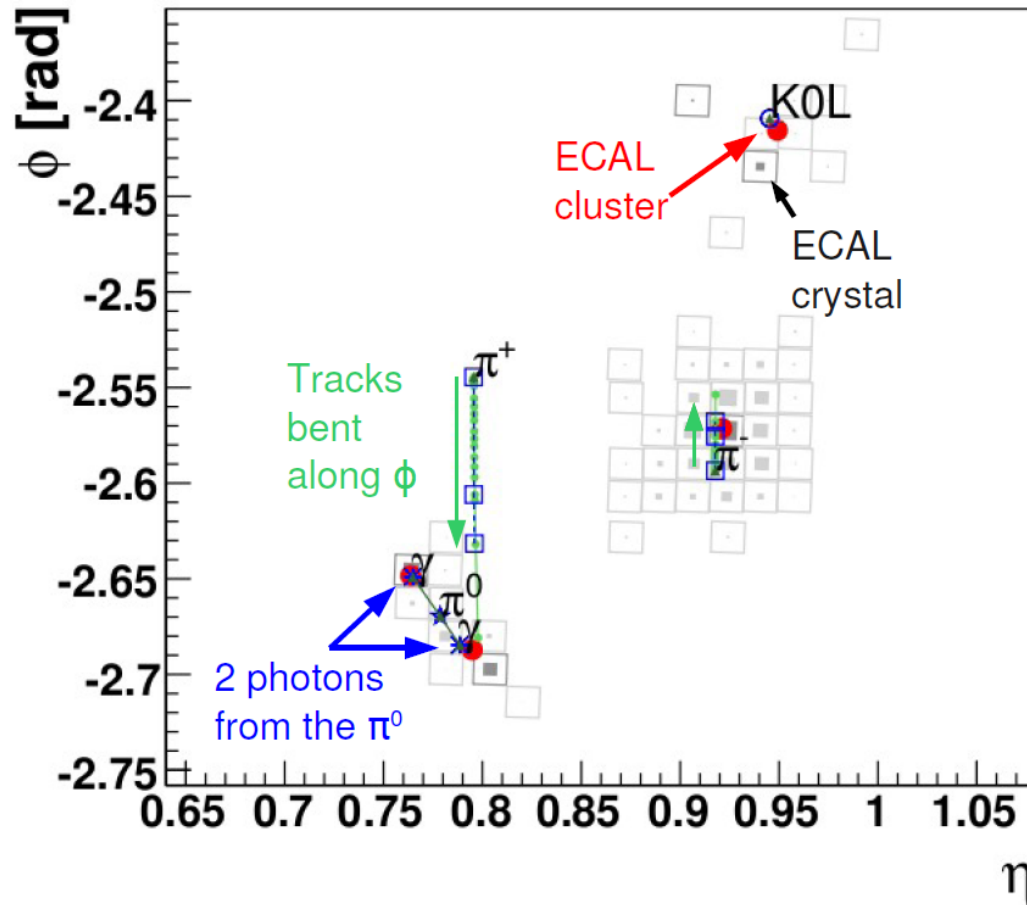
from ECAL clusters



Effects of particle flow in CMS

- **Jets**
 - energy resolution / 2
 - angular resolution / 3
 - Flavour dependence of response / 3
 - Systematic error on JES / 2
 - « electron in jet » b tagging
 - quark-gluon jet tagging
- **MET:**
 - resolution / 2
 - pile-up control
 - smallest tails
- **τ**
 - jet fake rate / 3 @ same eff.
 - energy resolution / 4
- **Electrons**
 - down to $p_T = 3$ GeV
 - in jets
- **μ**
 - 4% more efficient ID @ same bgd rate
 - better momentum assignment at high p_T
- **e, μ , τ , γ isolation**
 - pile-up control
- **Physics analyses**
 - Better trigger for jets, MET, taus (PF@HLT)
 - e.g:
 - FSR photon recovery in $H \rightarrow ZZ$
 - embedding in $H \rightarrow \tau\tau$
 - jet substructure

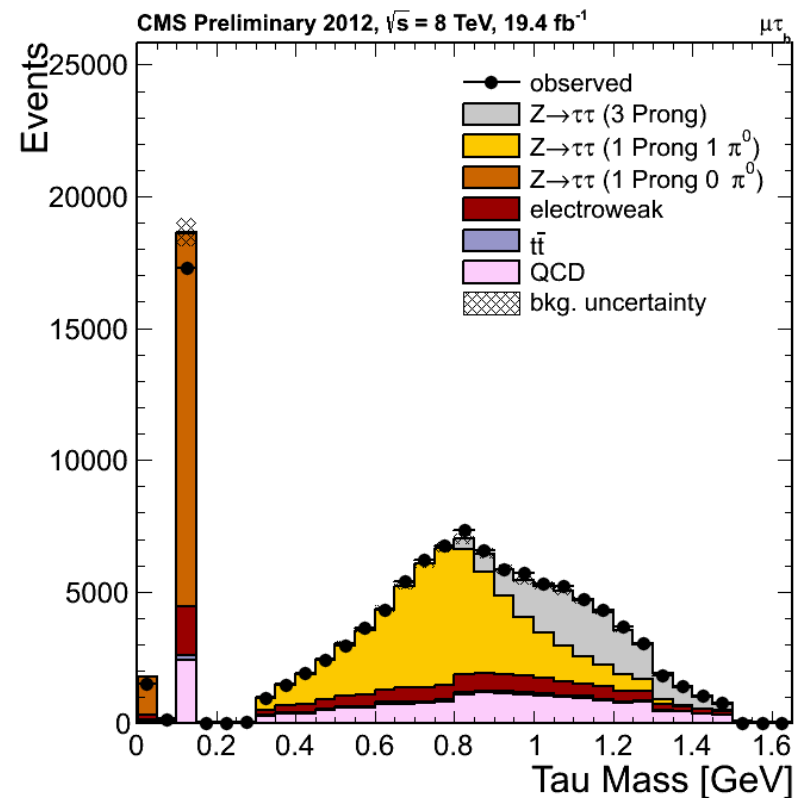
τ Reco & ID in CMS



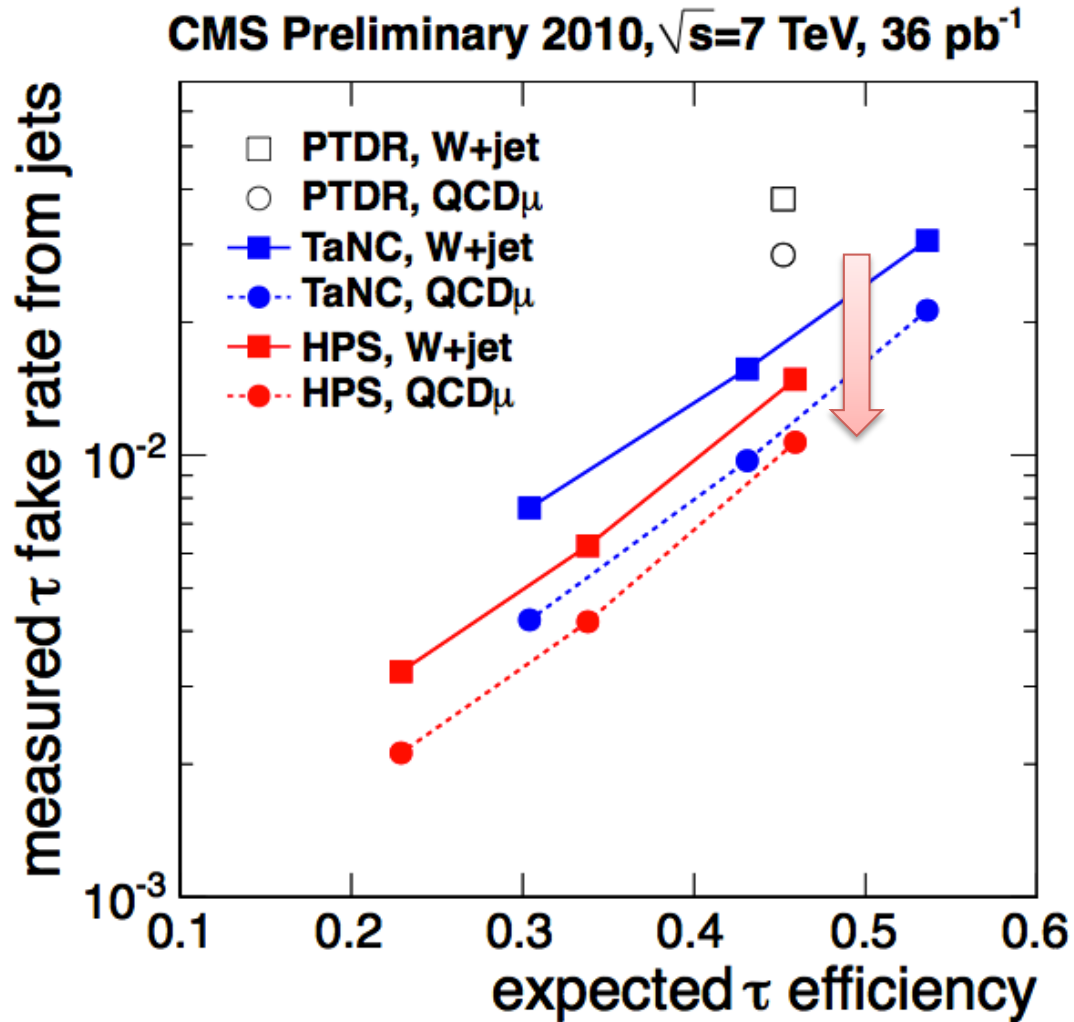
- Select decay particles according to decay mode
- Isolation w/r to other particles

CMS Simulation 2010, $\sqrt{s}=7$ TeV

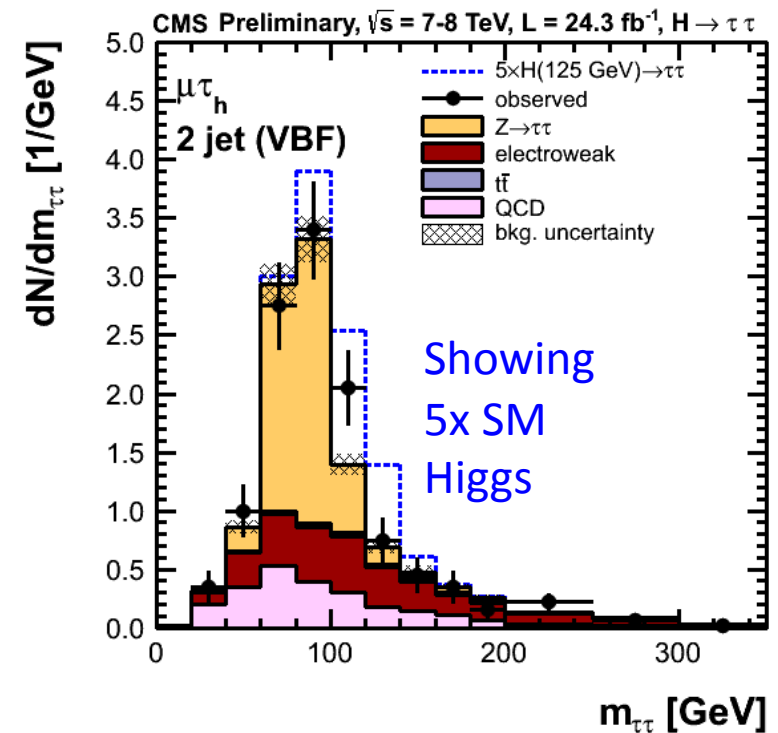
reconstructed as τ decay mode	$\pi\pi\pi$	0.02	0.01	0.91
	$\pi\pi^0(s)$	0.13	0.83	0.04
	π	0.85	0.16	0.05
		π	$\pi\pi^0(s)$	$\pi\pi\pi$
		generated τ decay mode		



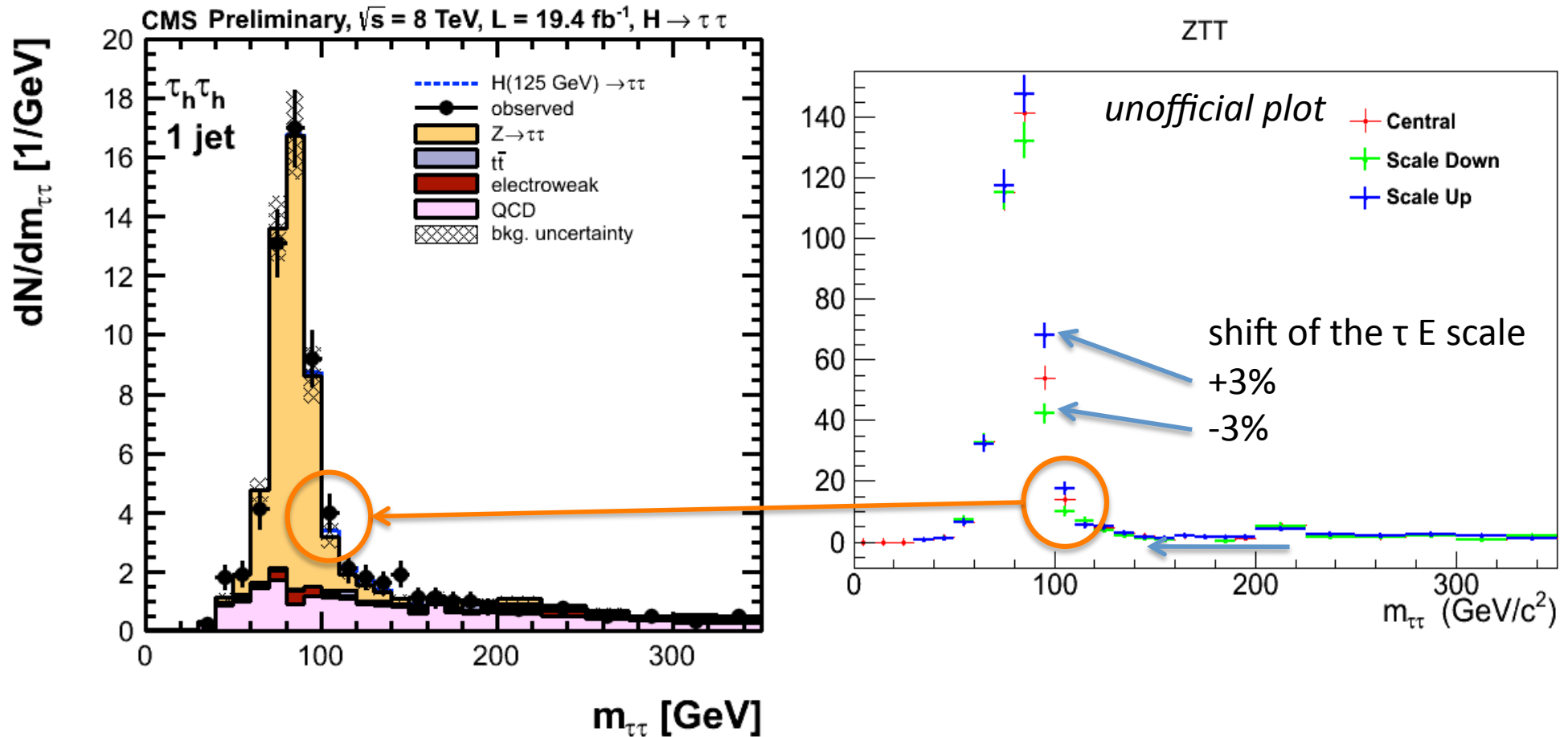
τ ID performance



- 3 times less jet \rightarrow τ fake rate at same efficiency
 \rightarrow 3 times less W+jets and QCD background



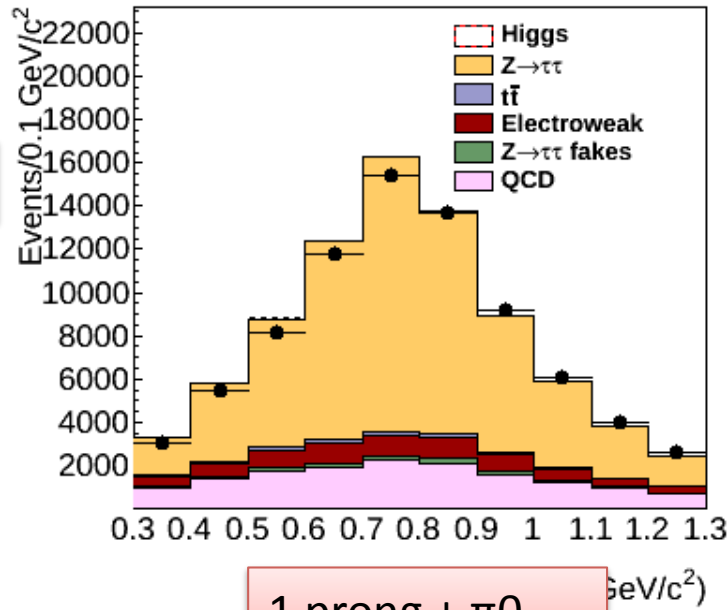
τ Energy Scale



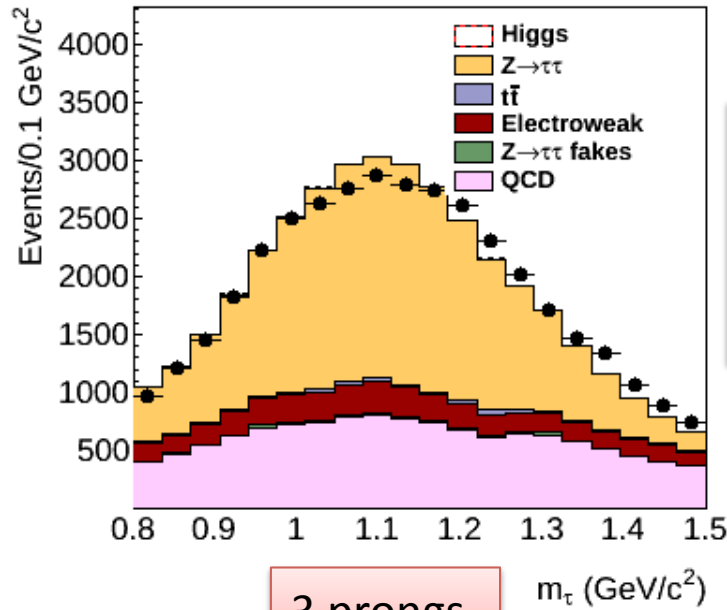
- fully hadronic ($\tau\tau$) channel
 - 3% shift of τ E scale = 1-2 x signal expectation
- Important to calibrate τ energy
 - done using the τ mass

τ mass before calibration

$p_T < 40$



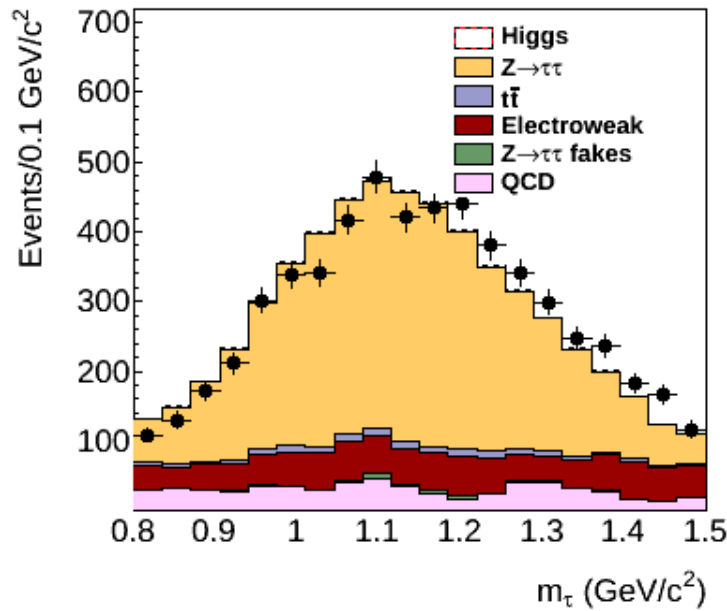
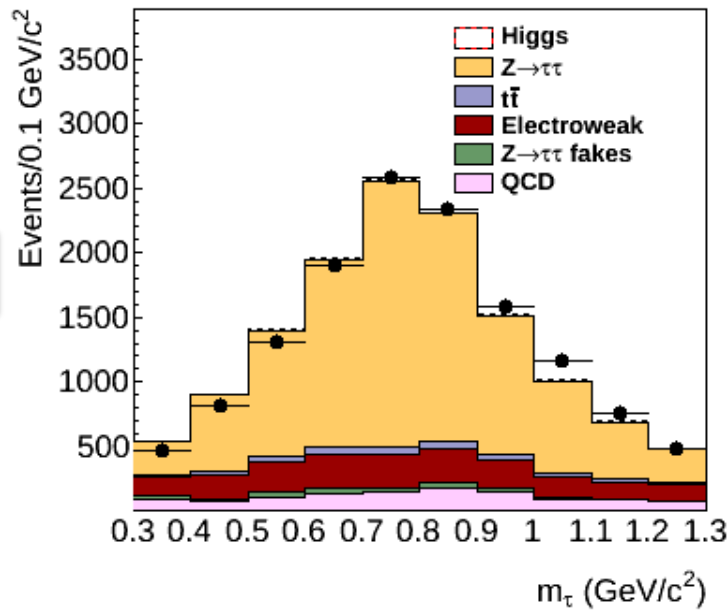
1 prong + $\pi 0$



3 prongs

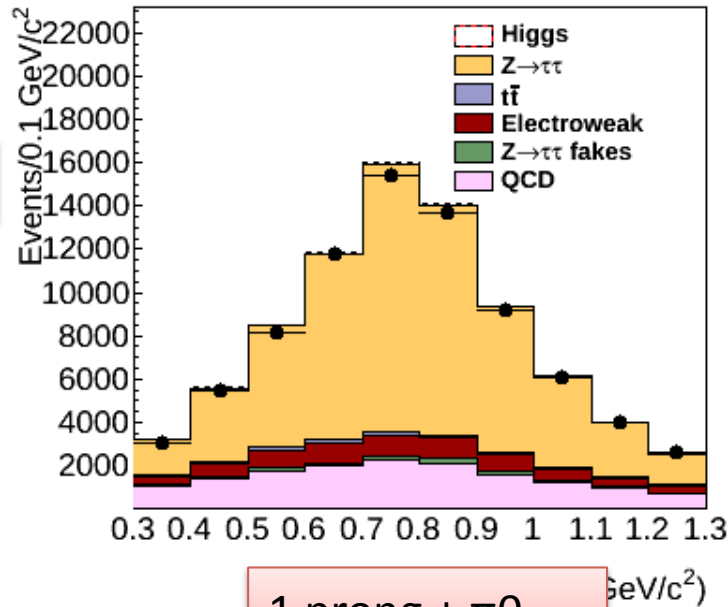
plots and fit done using $\mu\tau$ events.

$p_T > 40$

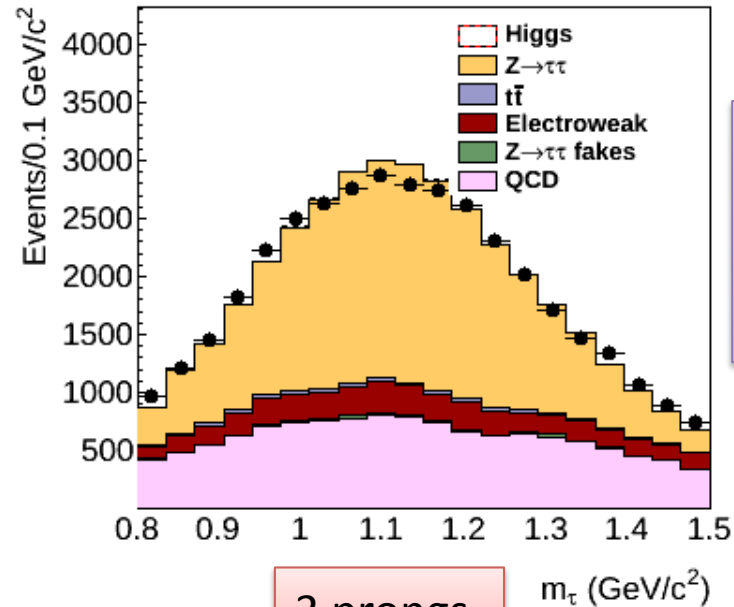


τ mass after calibration

$p_T < 40$



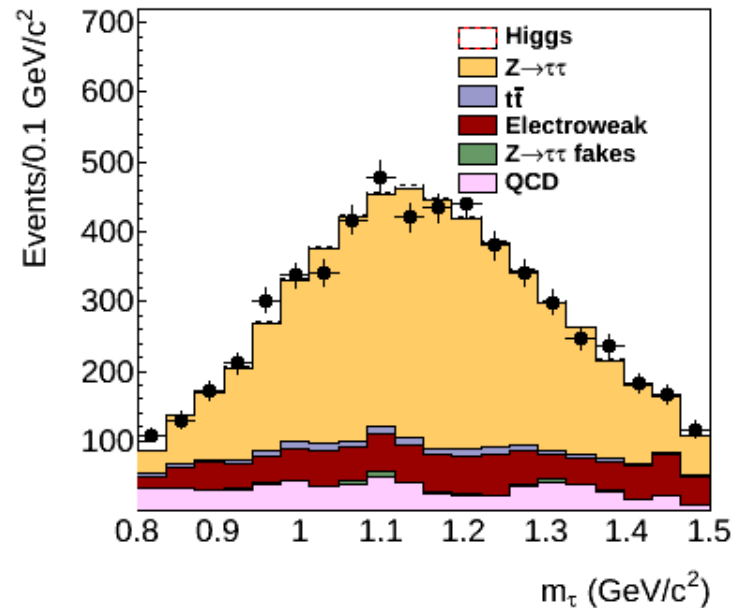
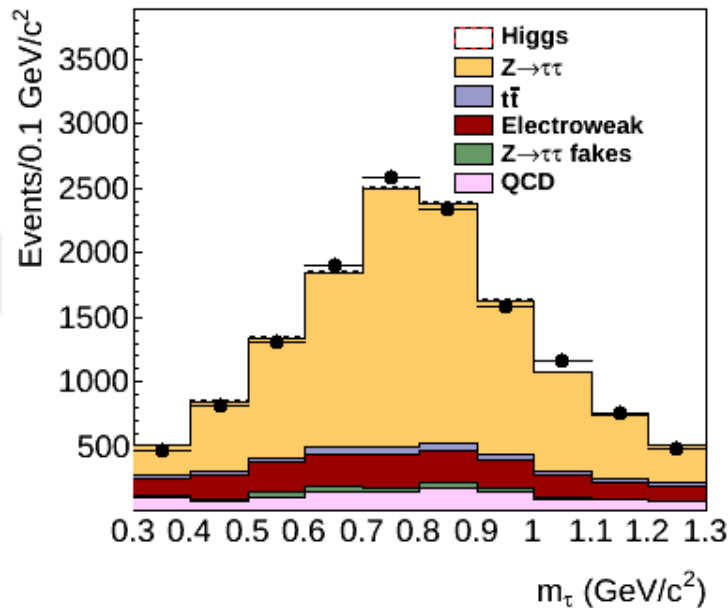
1 prong + π_0



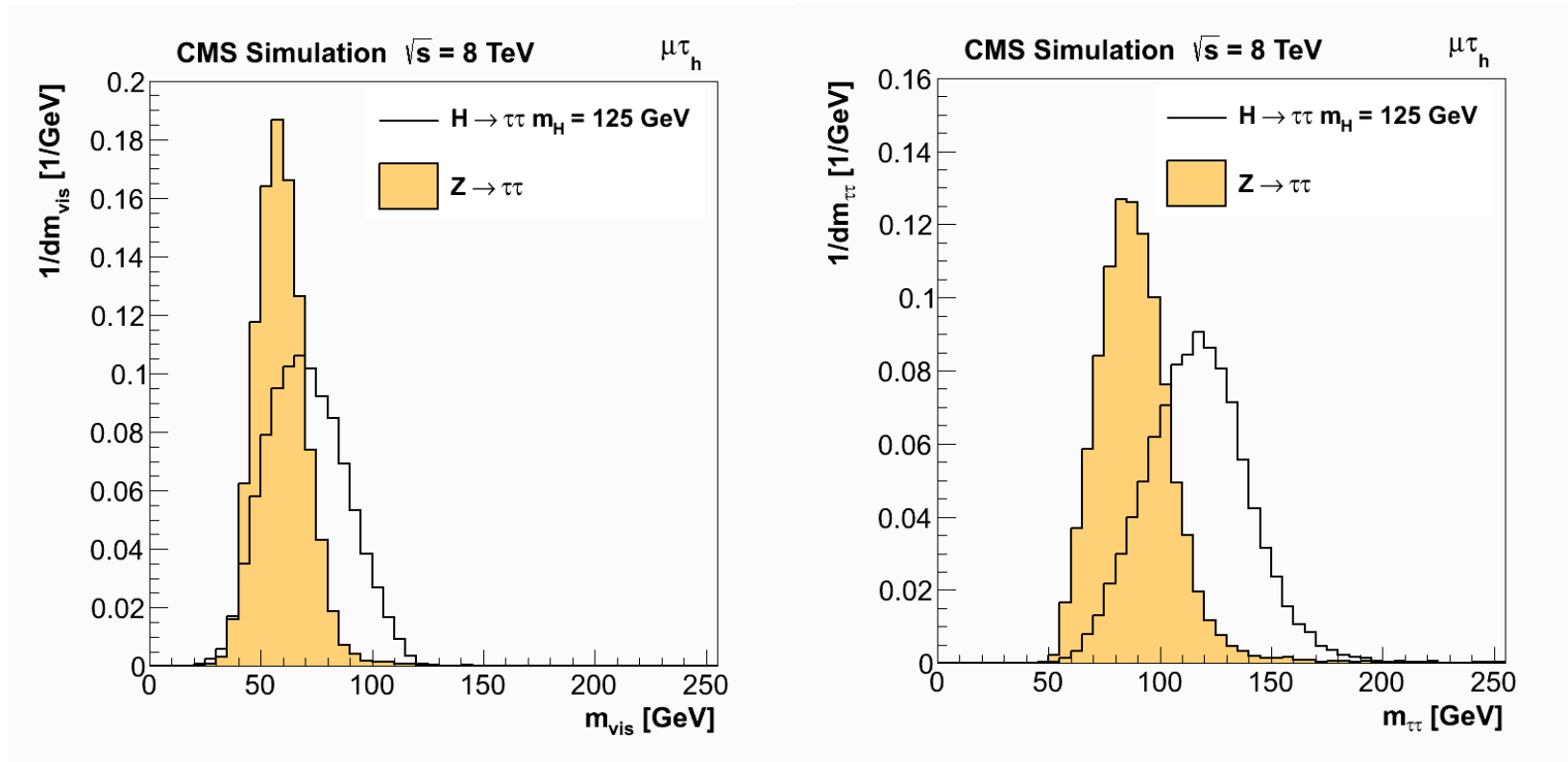
3 prongs

plots and fit done using $\mu\tau$ events.

$p_T > 40$



E_T^{miss} resolution: $m_{\tau\tau}$

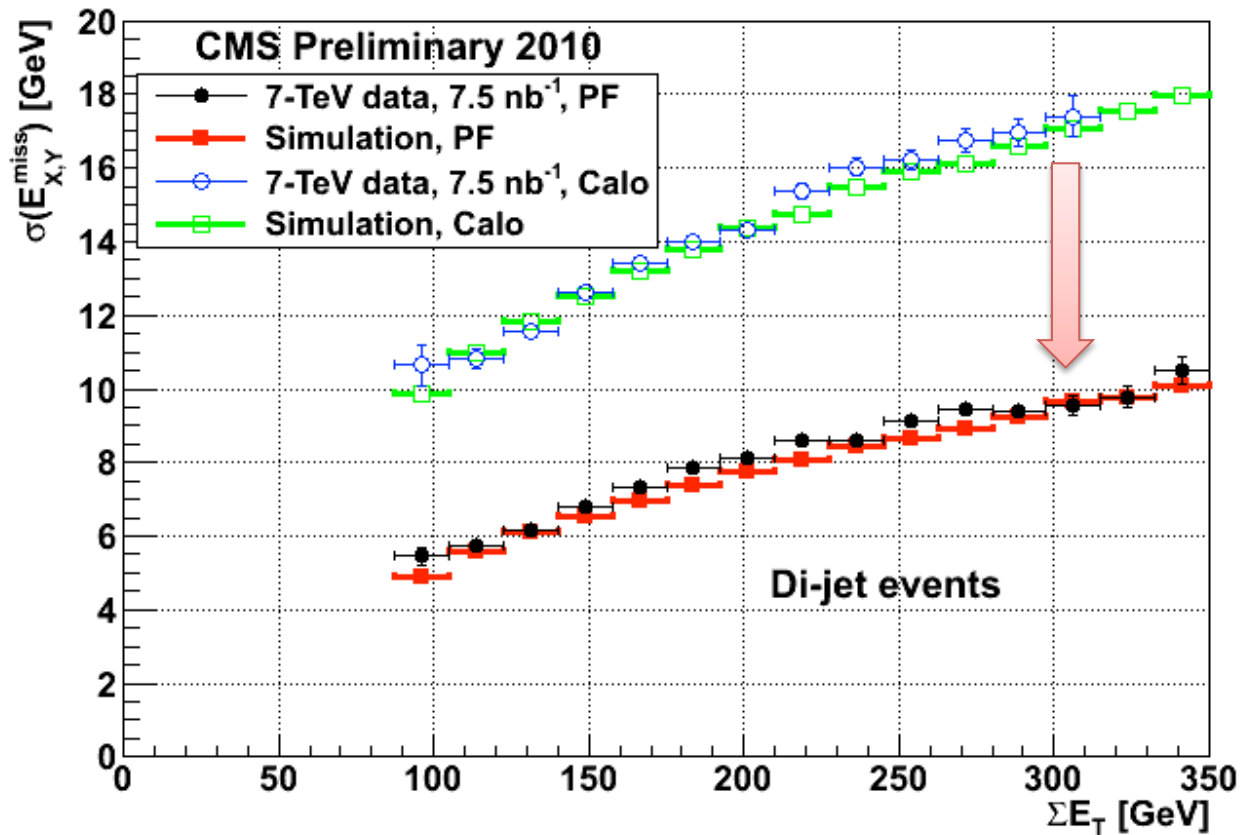


$$m_{\text{vis}}^2 = (p_1 + p_2)^2$$

$$m_{\tau\tau} = f(p_1, p_2, E_T^{\text{miss}})$$

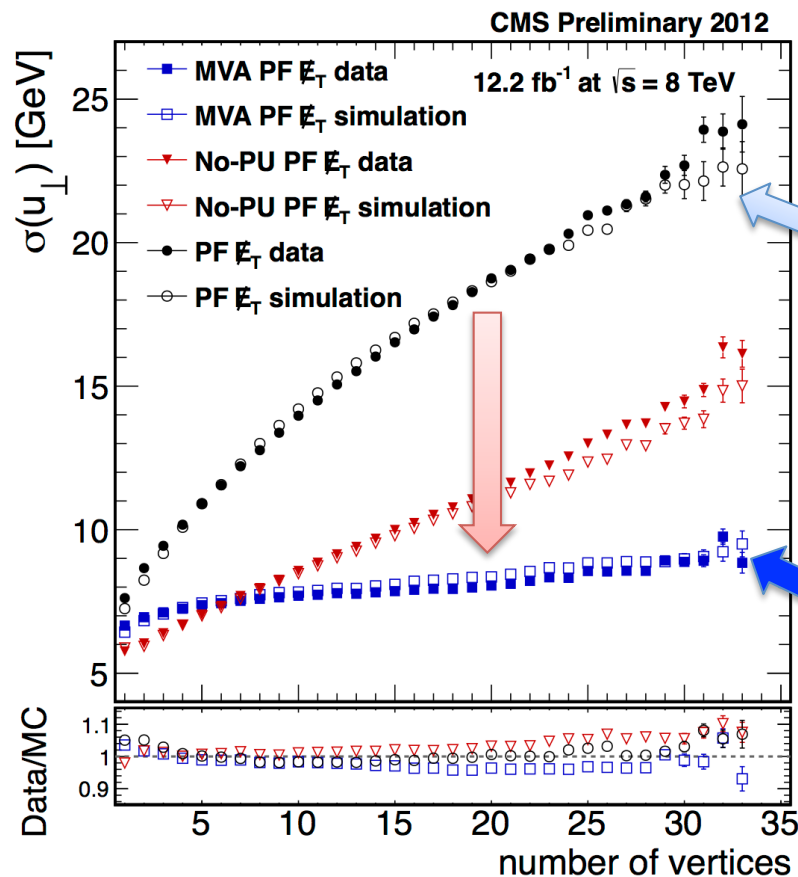
- $H \rightarrow \tau\tau$ better separated from $Z \rightarrow \tau\tau$ (main, irreducible background)
- Resolution on $m_{\tau\tau} \sim 20\%$ (resolution on E_T^{miss} important)

PF vs Calorimeter E_T^{miss}

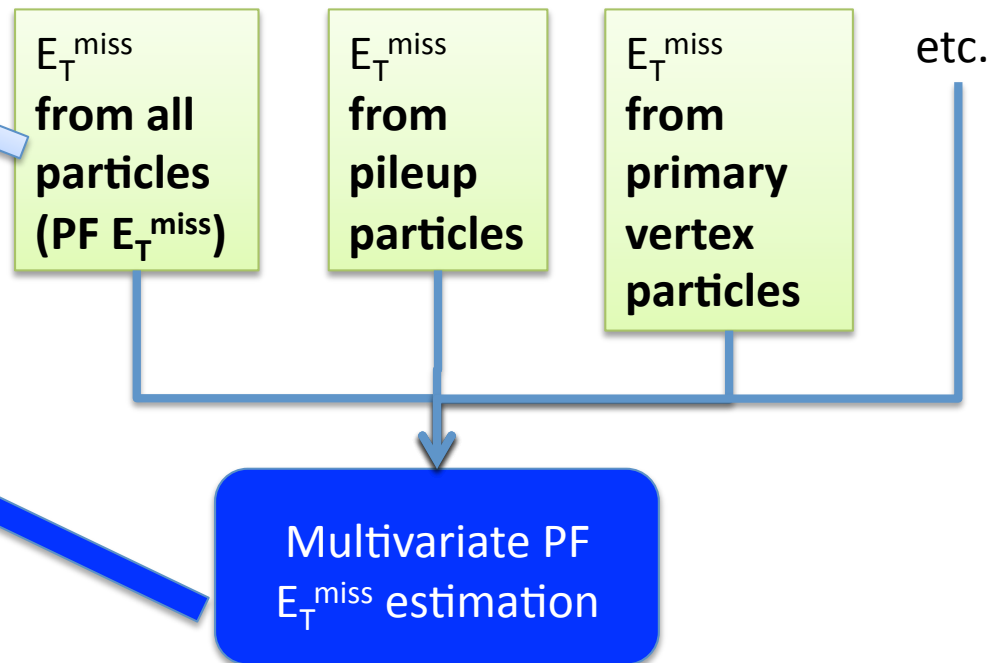


Resolution twice better

Multivariate PF E_T^{miss}



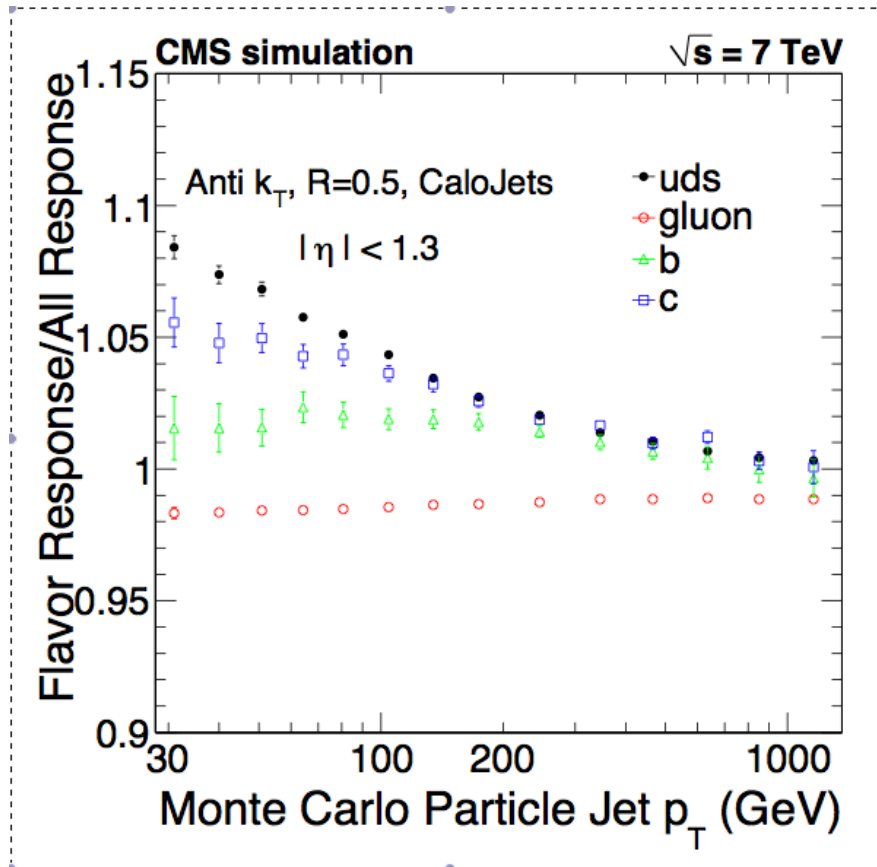
several kinds of particle-flow E_T^{miss} :



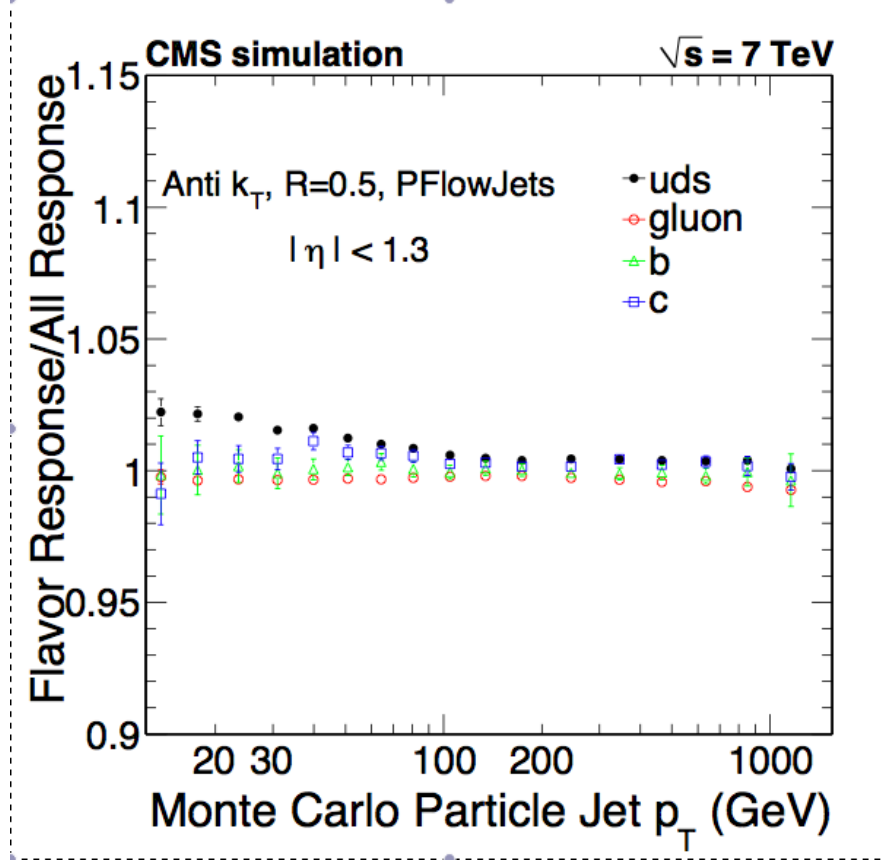
- Additional factor 2 improvement @ 20 pile-up vertices
- MVA PF MET Almost insensitive to pileup

Jet Response: Flavour Sensitivity

Calo Jets

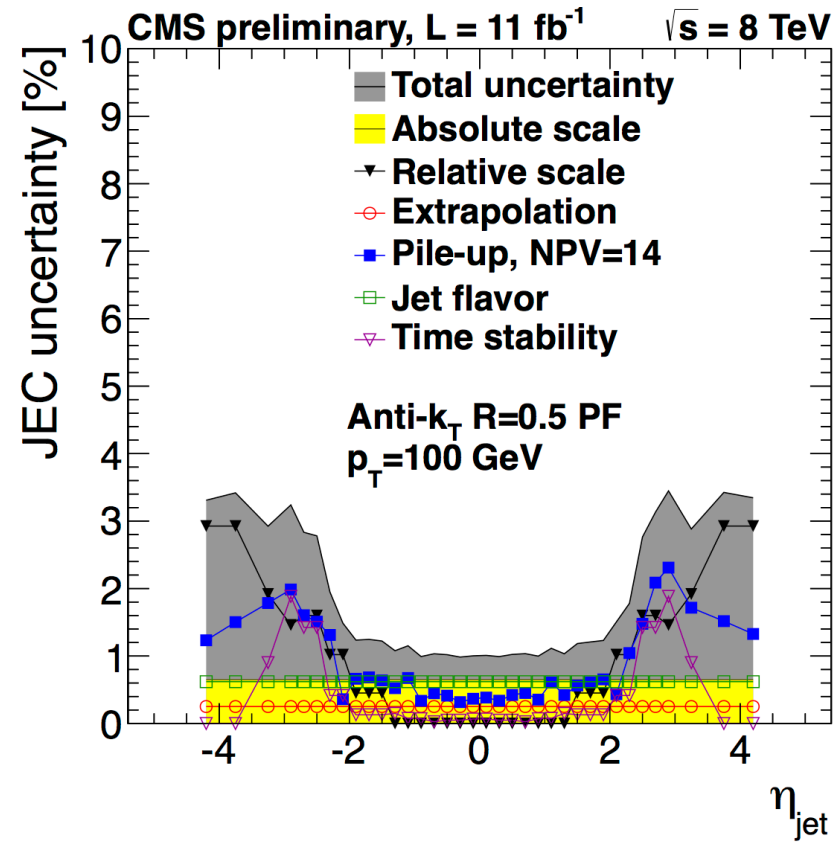
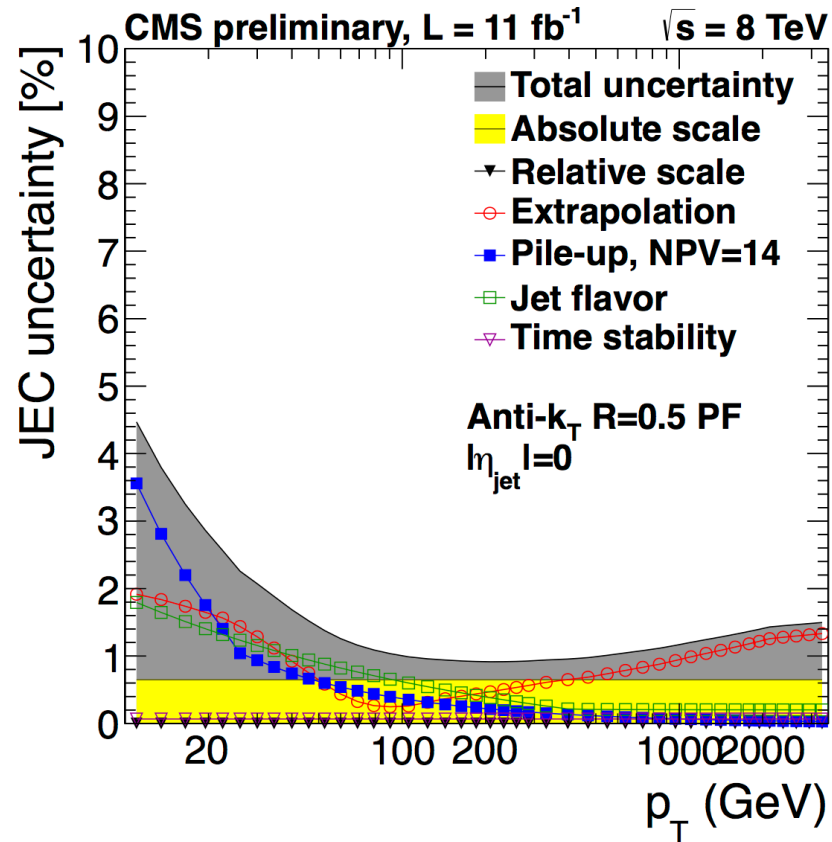


PF Jets



PF jet response almost independent from the flavour of the jet-initiating parton

Jet Energy Scale Uncertainty



1-3 % Jet Energy Scale Systematic uncertainty

Part III

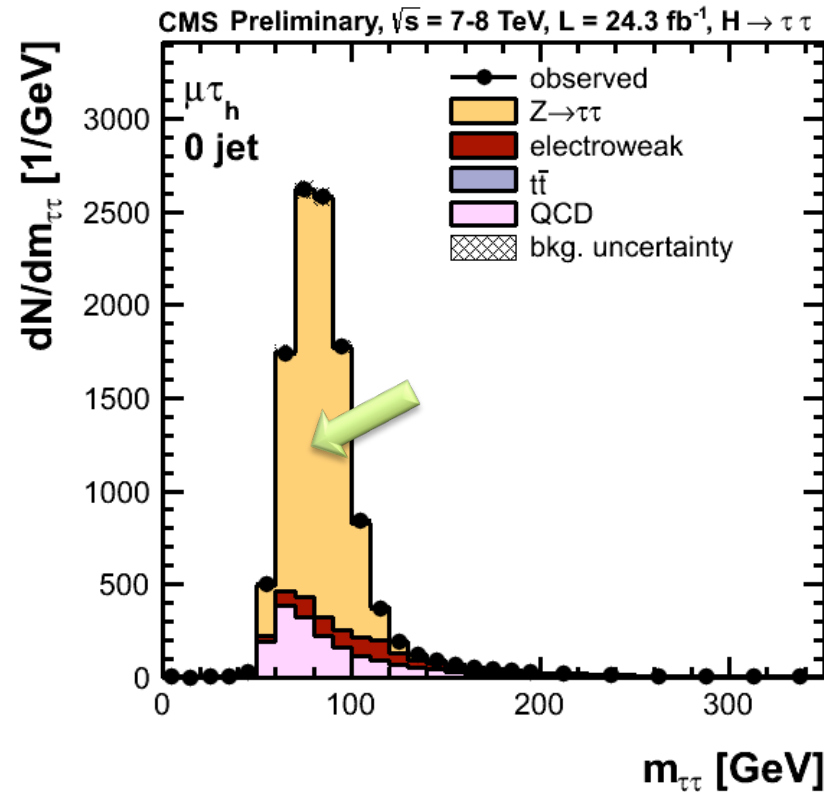
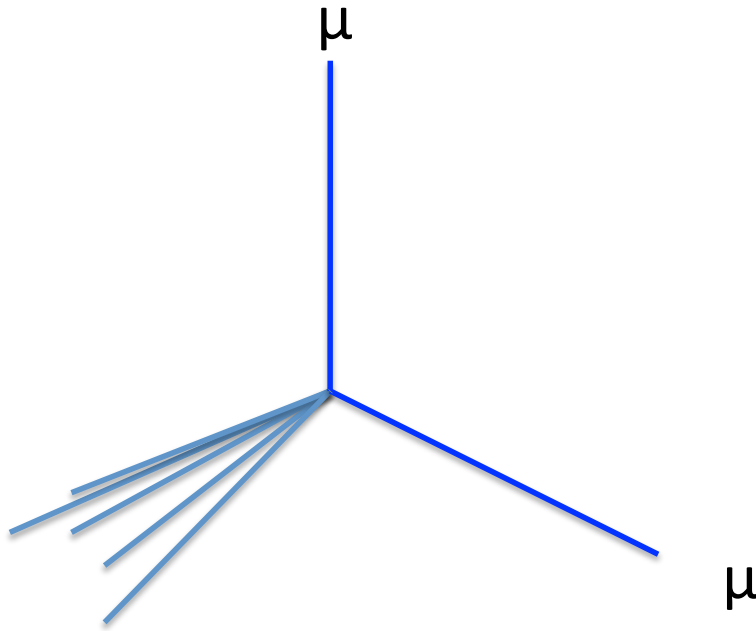
- Principles of the $H \rightarrow \tau\tau$ search
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 - The algorithm
 - Physics object performance

- τ ID efficiency and fake rate
- τ energy scale syst. uncertainty
- E_T^{miss} resolution
- jet energy scale syst. uncertainty
- and much more!

- The CMS $H \rightarrow \tau\tau$ analysis
 - background estimation & main uncertainties
 - statistical procedure
 - results

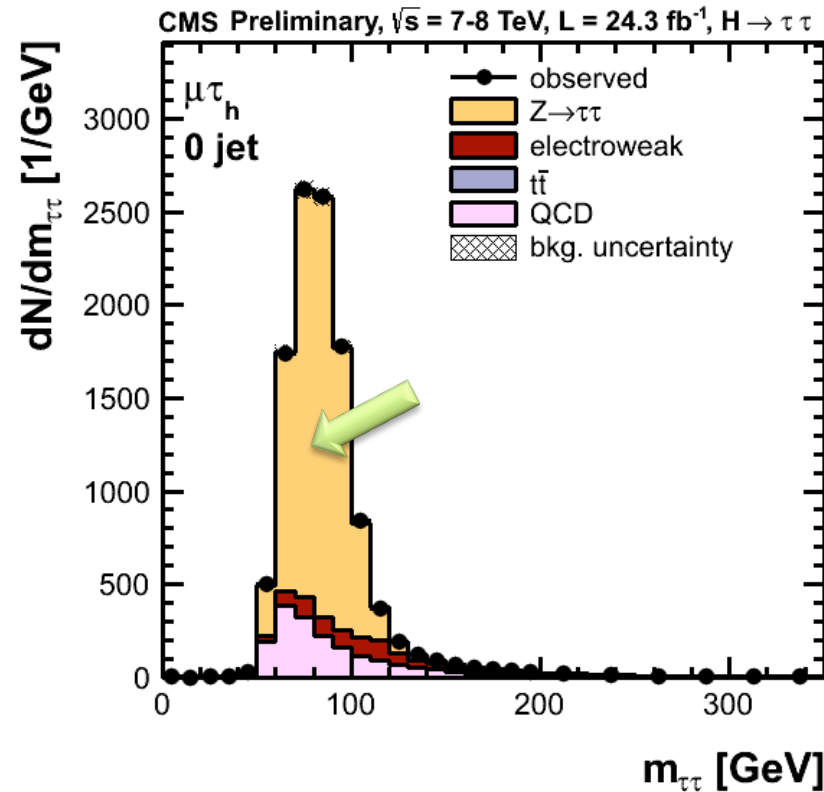
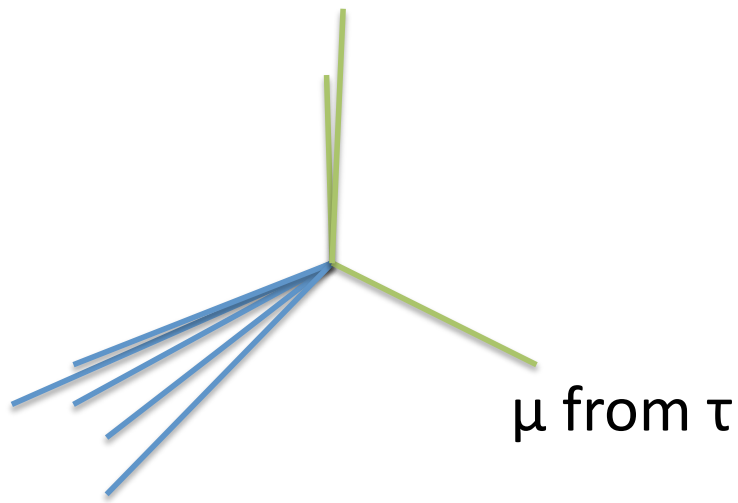
Background : $Z \rightarrow \tau\tau$



- Select data $Z \rightarrow \mu\mu$ events
- Replace muons by particles reconstructed from simulated $Z \rightarrow \tau\tau$ decay, and apply selection
- Jets and E_T^{miss} from data. Main remaining uncertainties:
 - τ ID efficiency uncertainty (8%) \rightarrow affects the yield
 - τ energy scale uncertainty (3%) \rightarrow affects the shape

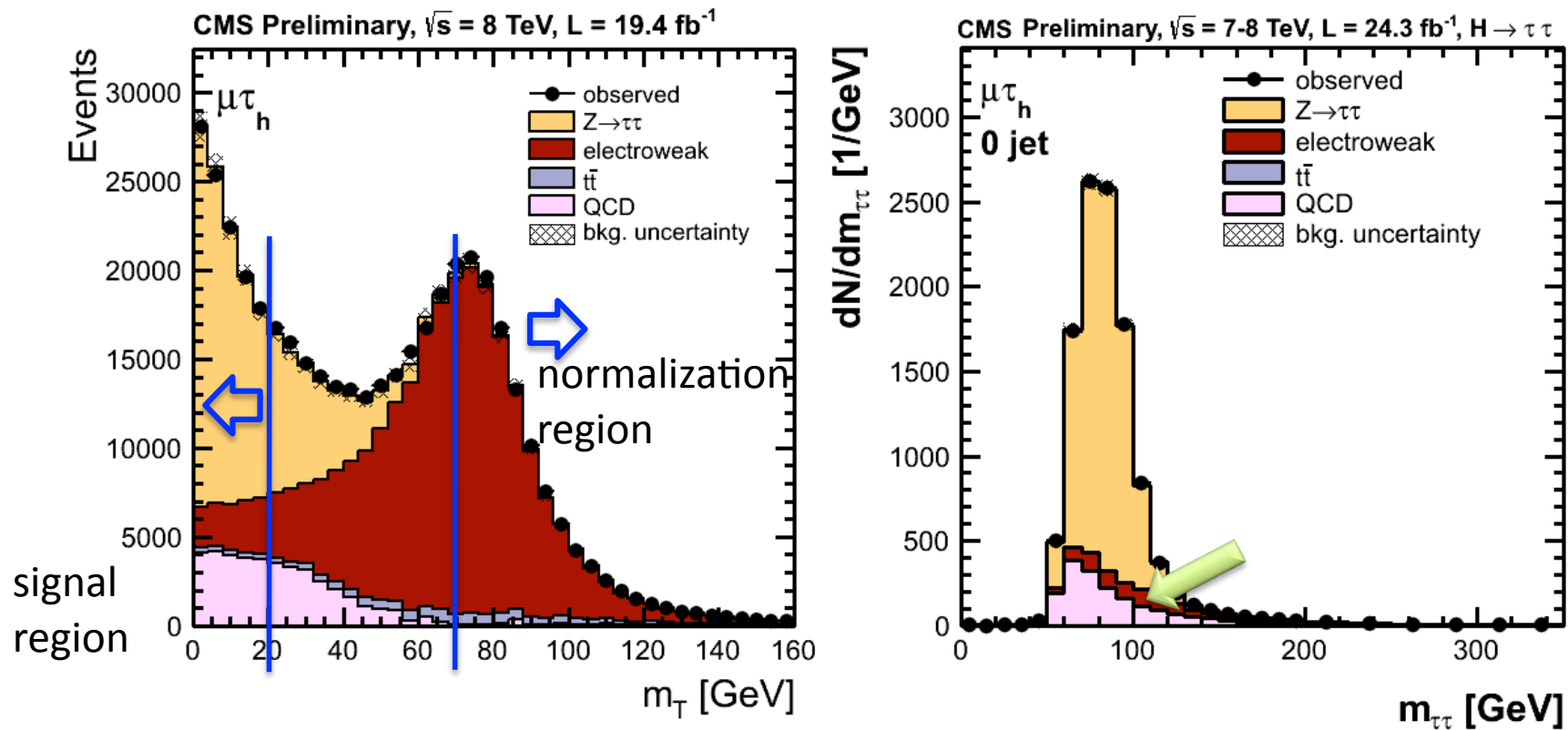
Background : $Z \rightarrow \tau\tau$

e.g. π^+ , γ
from τ



- Select data $Z \rightarrow \mu\mu$ events
- Replace muons by particles reconstructed from simulated $Z \rightarrow \tau\tau$ decay, and apply selection
- Jets and E_T^{miss} from data. Main remaining uncertainties:
 - τ ID efficiency uncertainty (8%) \rightarrow affects the yield
 - τ energy scale uncertainty (3%) \rightarrow affects the shape

Background : W+Jets



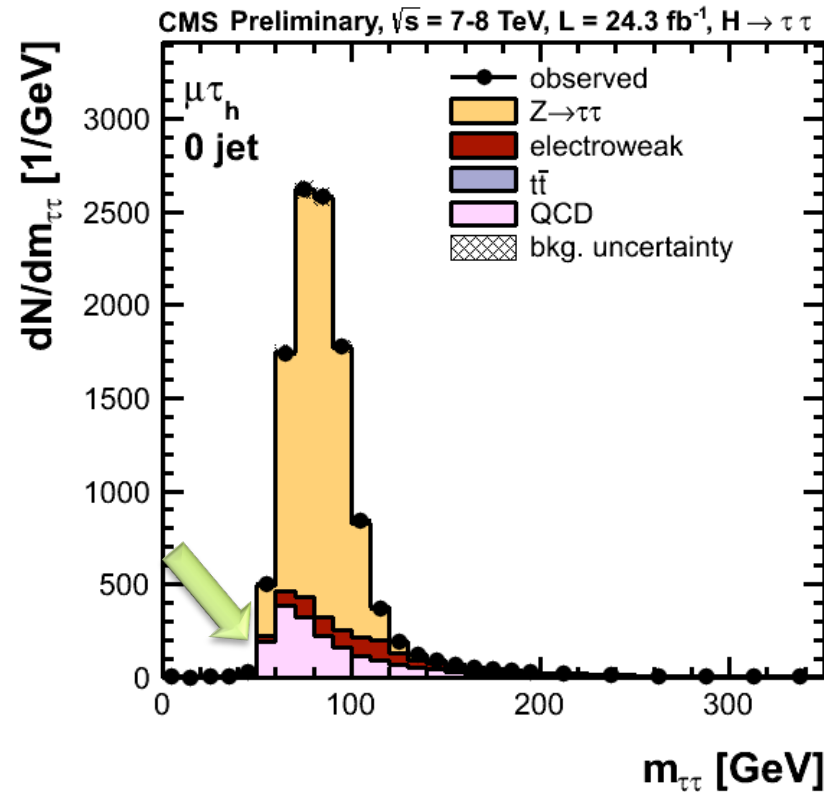
- normalization to data in high m_T region
- assume simulated shape \rightarrow yield in signal region
 - yield syst. uncertainty = 20%

Background : QCD

- Select same-sign (SS) $\mu\tau$ events
- $\text{QCD}_{SS} = \text{data} - \text{Bgd}_{SS}$
- $\text{QCD}_{OS} = f_{SS \rightarrow OS} \text{QCD}_{SS}$

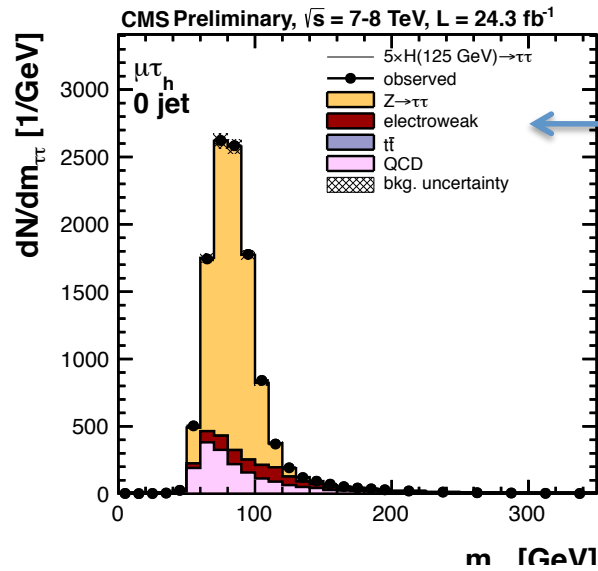
10%
uncertainty

1.06 ± 0.11
from data



- VBF category: not enough events in SS region
 - yield $\text{QCD}_{VBF} = f_{\text{inclusive} \rightarrow \text{VBF}} \text{QCD}_{\text{inclusive}}$
 - 20 % uncertainty
 - shape from control region with non-isolated μ

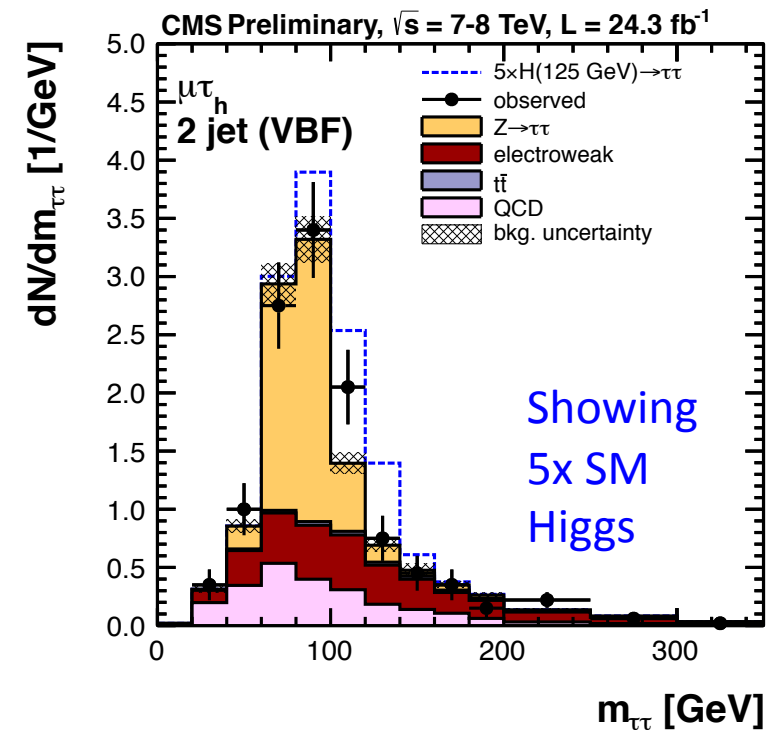
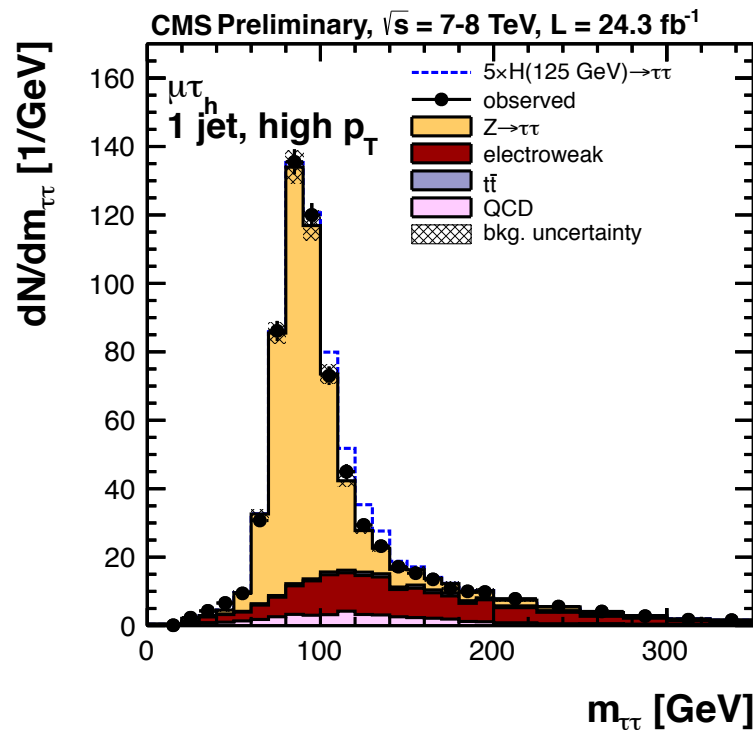
Event categories



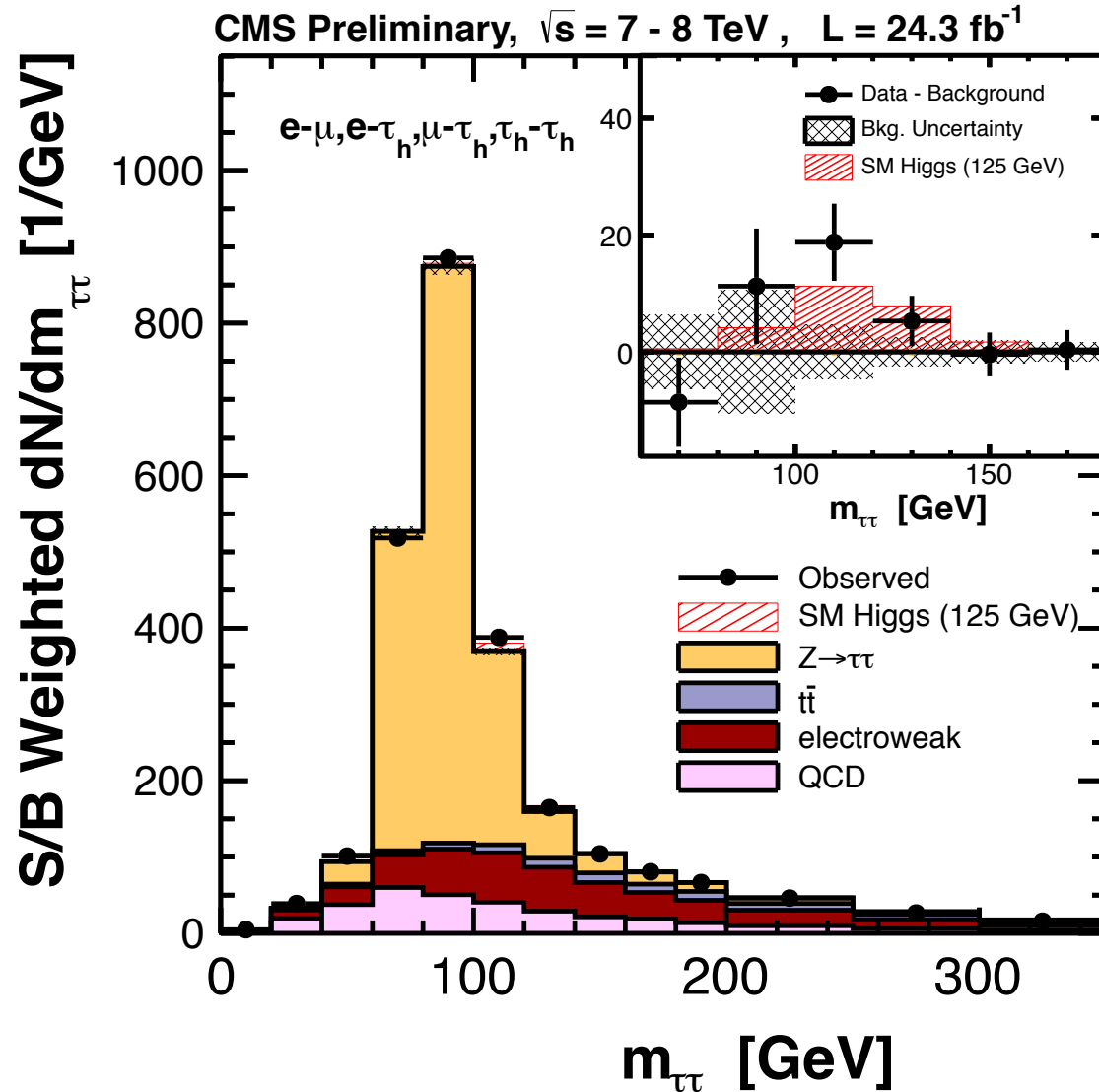
constrains systematic errors for sensitive categories

5 channels:

$\mu\tau_h$, $e\tau_h$, $e\mu$, $\tau_h\tau_h$, $\mu\mu$

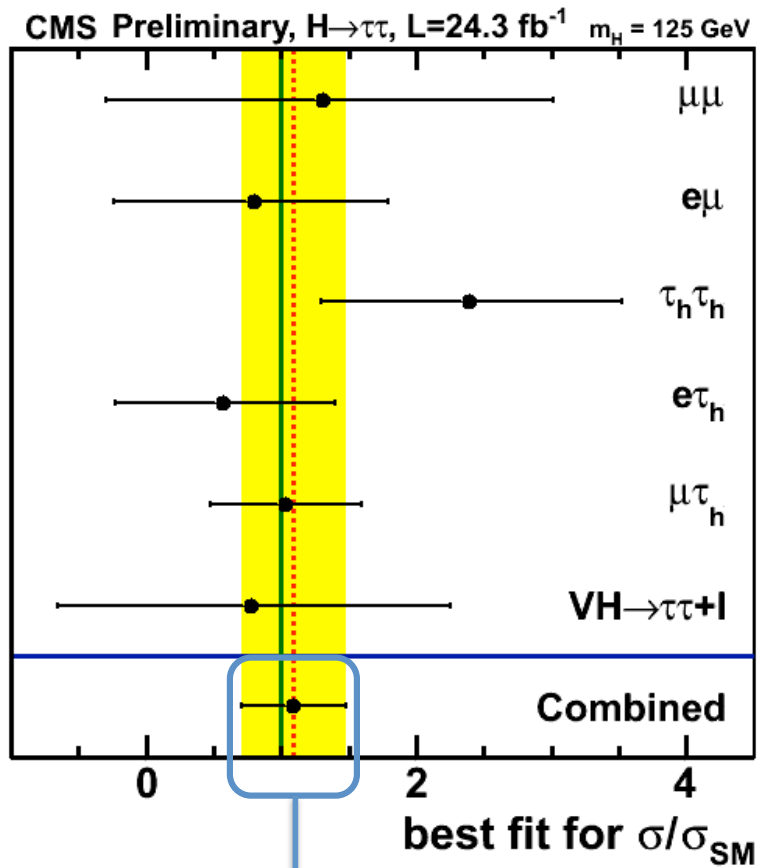


Combined mass distribution



- Combination of all categories of all major channels
- Each is weighted by the expected S/B in the signal region

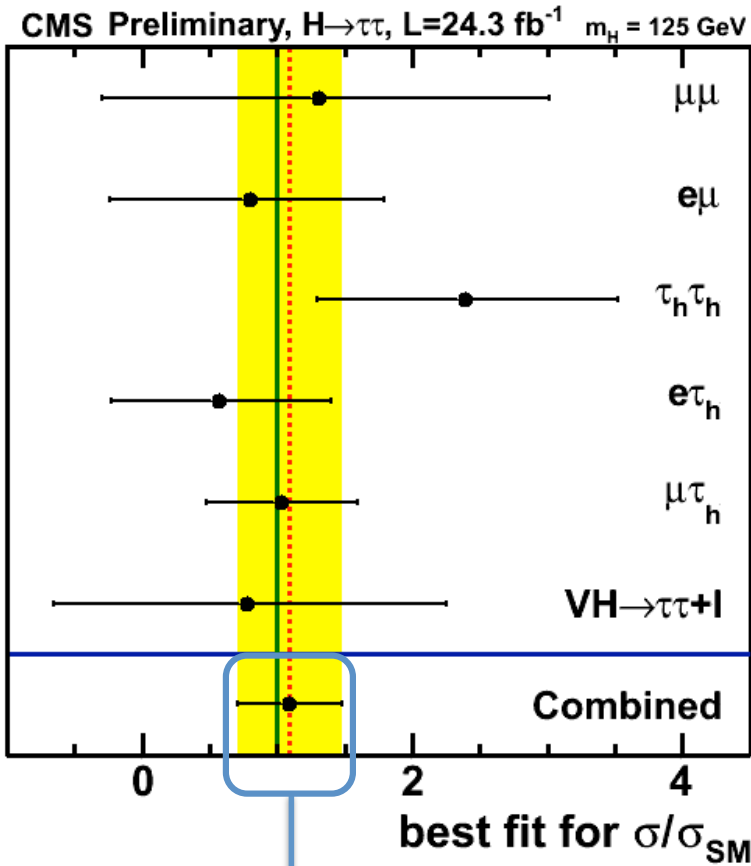
H \rightarrow $\tau\tau$ significance



All channels compatible

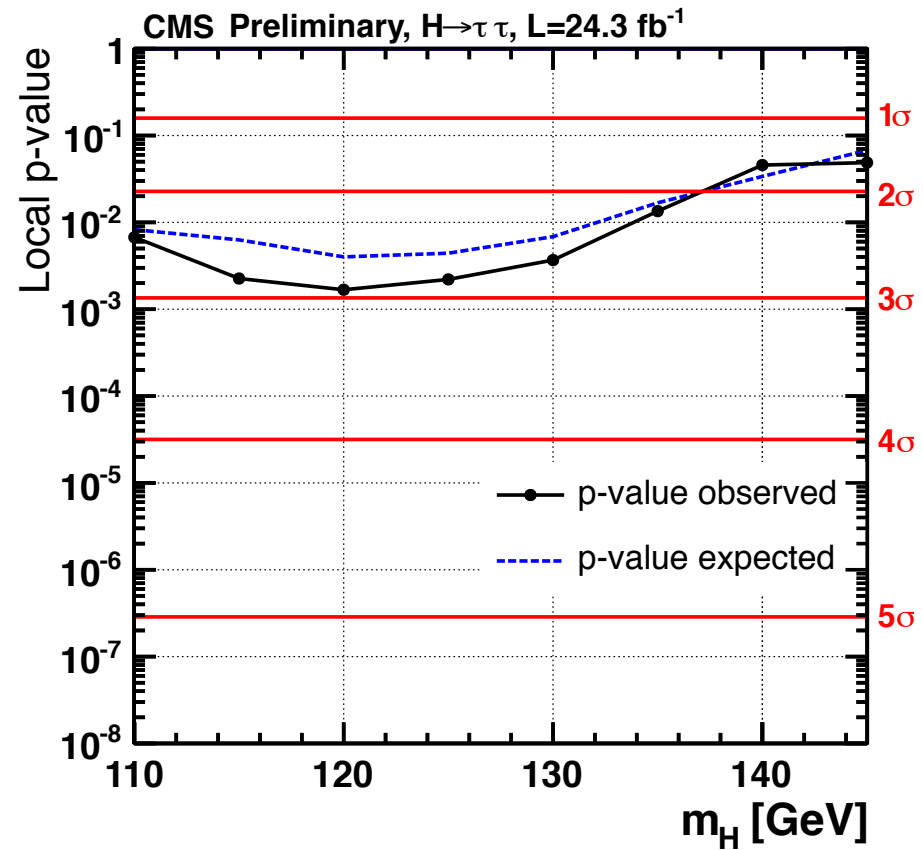
$\mu = 1.1 \pm 0.4$

H \rightarrow $\tau\tau$ significance



All channels compatible

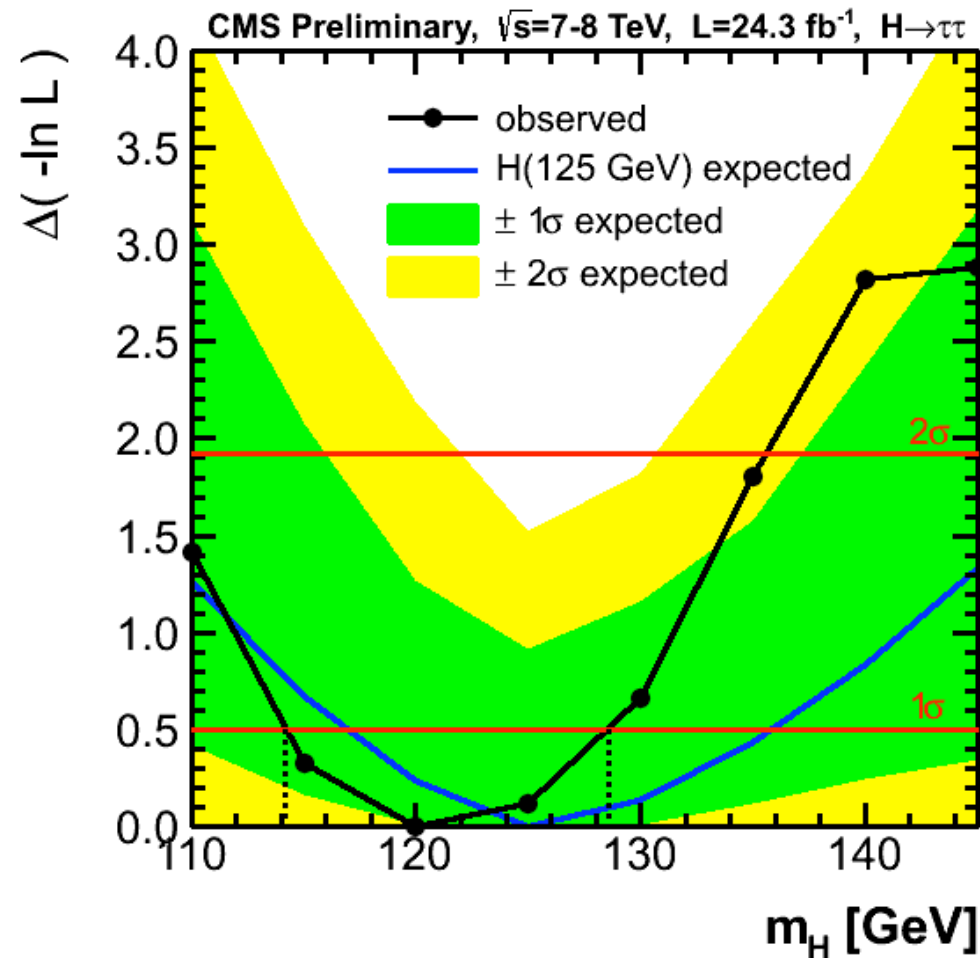
$\mu = 1.1 \pm 0.4$



Maximum significance:
2.93 σ @ $m_H = 120$ GeV (2.65 exp.)

First Strong indication that the new boson couples to τ as the SM Higgs

$H \rightarrow \tau\tau$ mass measurement

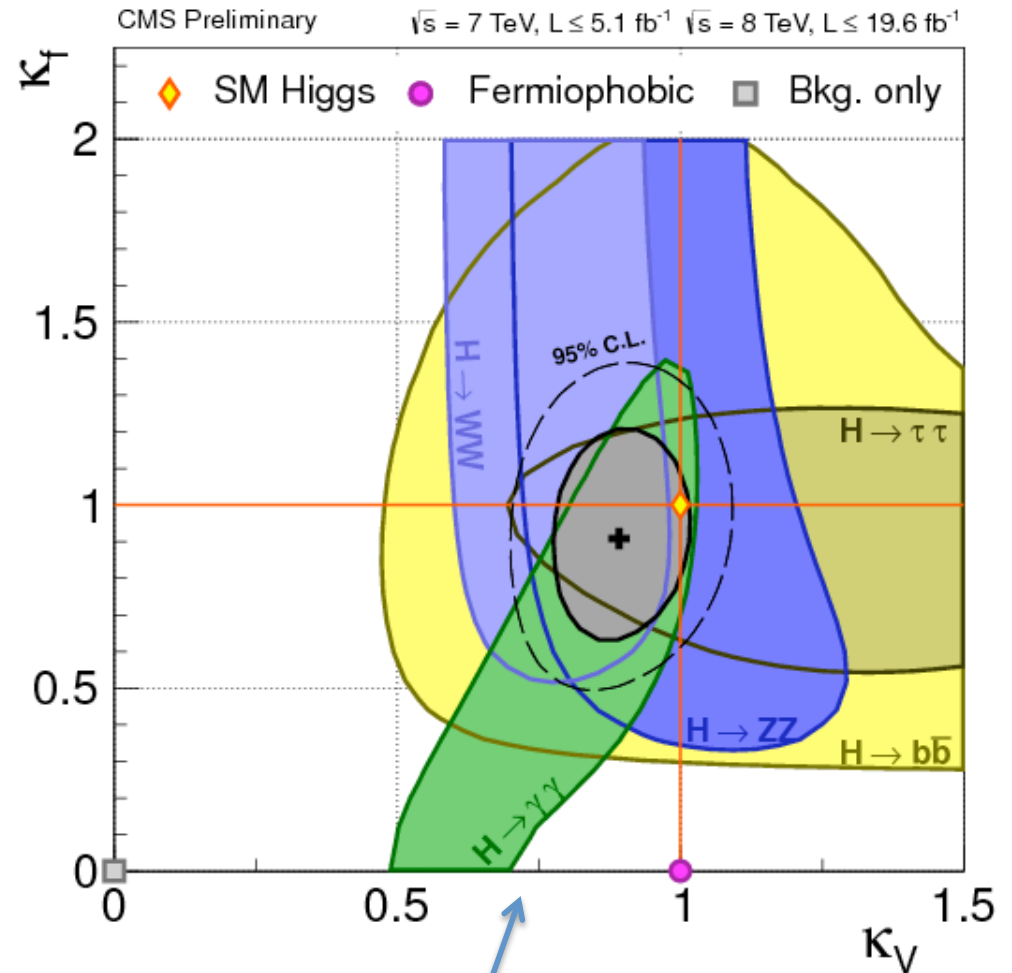
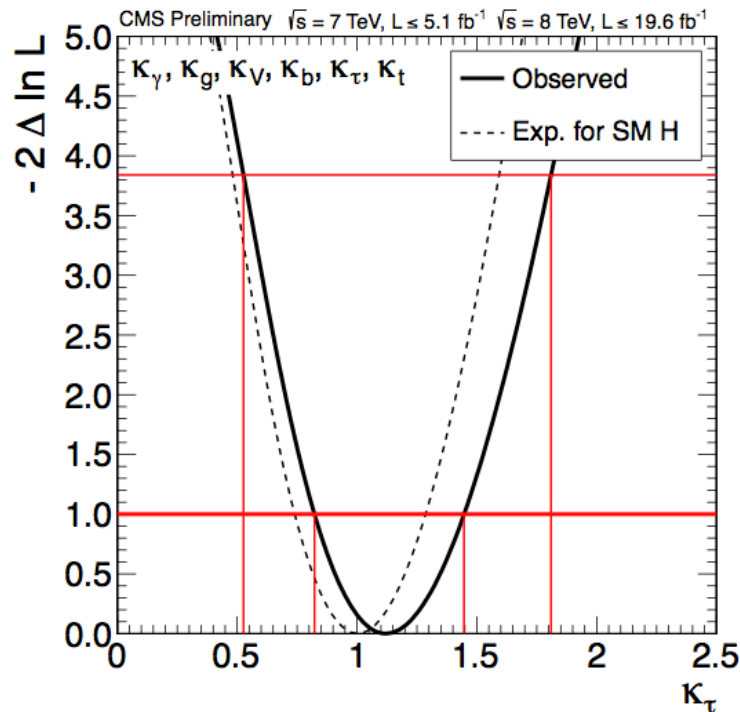


Due to low $m_{\tau\tau}$ resolution, compatible with:

- expectation for $m_H = 125$ GeV
- $H \rightarrow ZZ \rightarrow 4$ lepton mass measurement

Summary

- particle flow dramatically improves the performance of CMS
 - used in almost all analyses
 - e.g. only 2 jet-based analyses don't use PF jets
- First strong hint for $H \rightarrow \tau\tau$ (2.94σ)
- main constraint on the coupling to fermions



Coupling to fermions VS coupling to bosons, w/r to Standard Model

Coupling to τ , w/r to SM

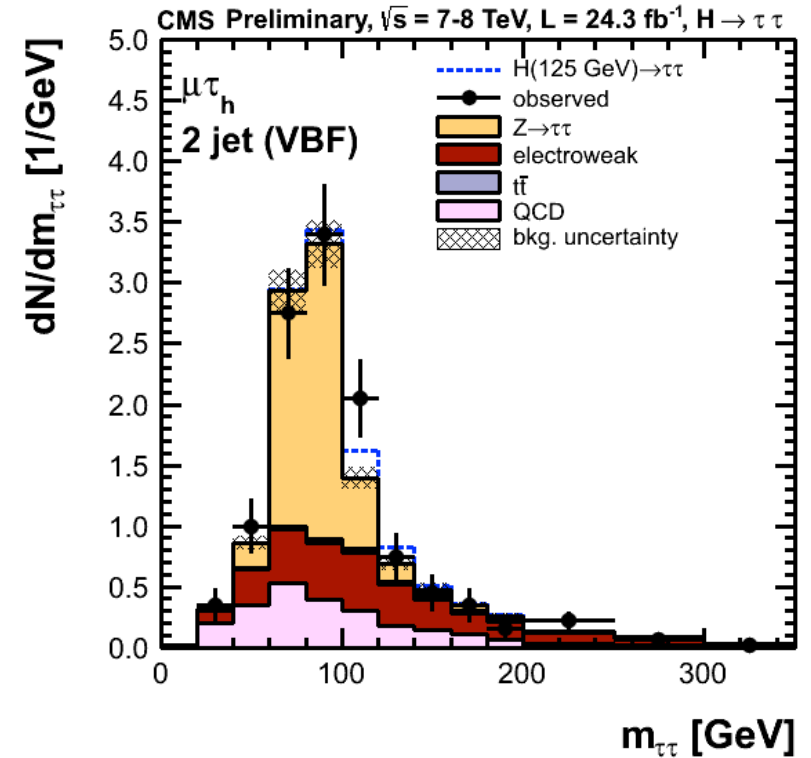
Back-up

Statistics

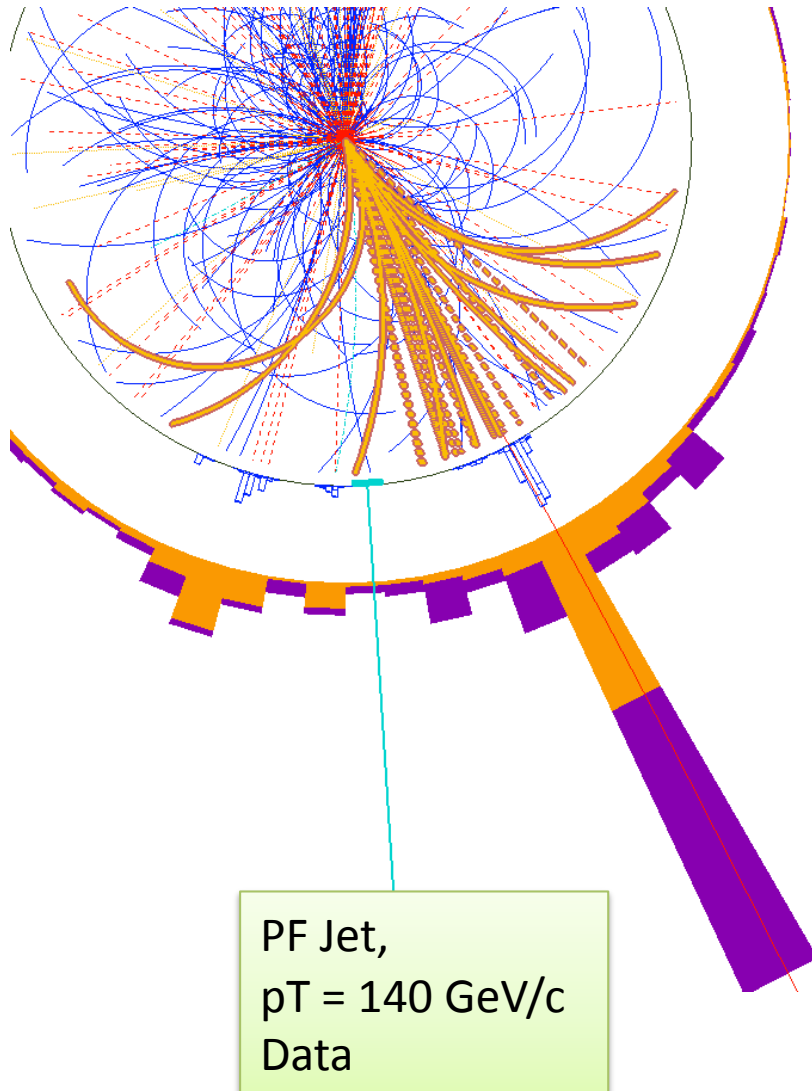
$$\mathcal{L}(\text{obs} | s(\hat{\mu}) + b, \hat{\theta})$$

$$q_0 = -2 \ln \frac{\mathcal{L}(\text{obs} | b, \hat{\theta}_0)}{\mathcal{L}(\text{obs} | \hat{\mu} \cdot s + b, \hat{\theta})}$$

$$p_0 = \text{P}(q_0 \geq q_0^{\text{obs}} | \mathbf{b}).$$



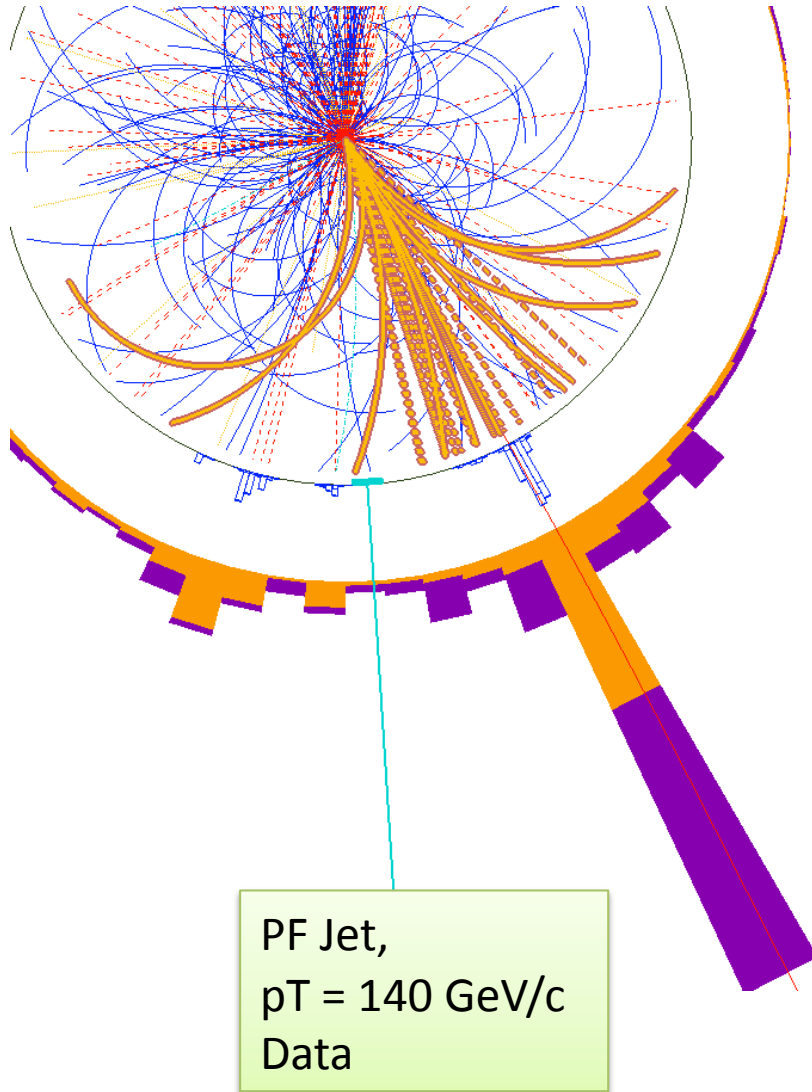
Recipe for a good particle flow



- Separate neutrals from charged hadrons
 - Field integral (BxR)
 - Calorimeter granularity
- Efficient tracking
- Minimize material before calorimeters
- Clever algorithm to compensate for detector imperfections

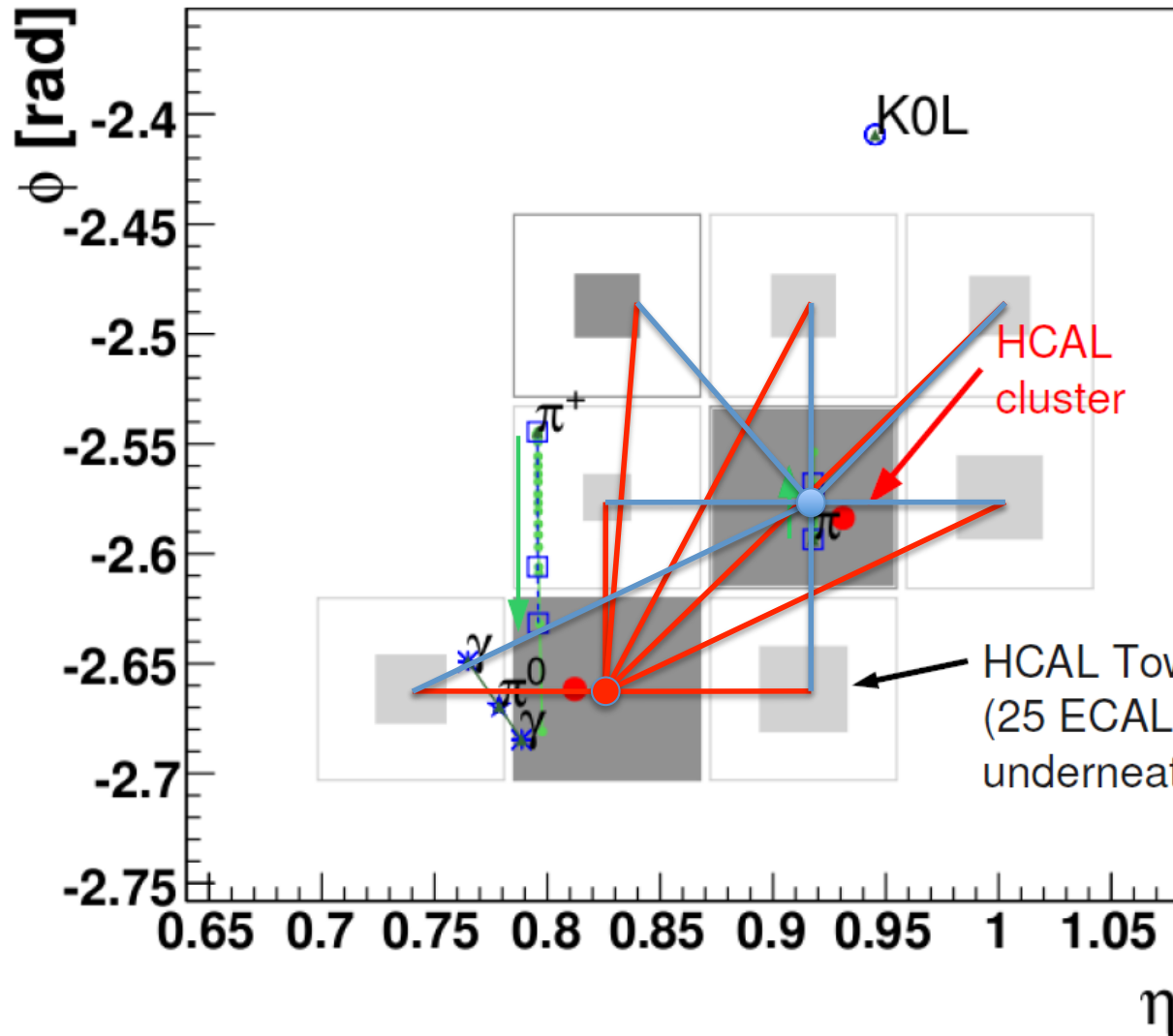
Neutral/charged separation (1)

Field Integral



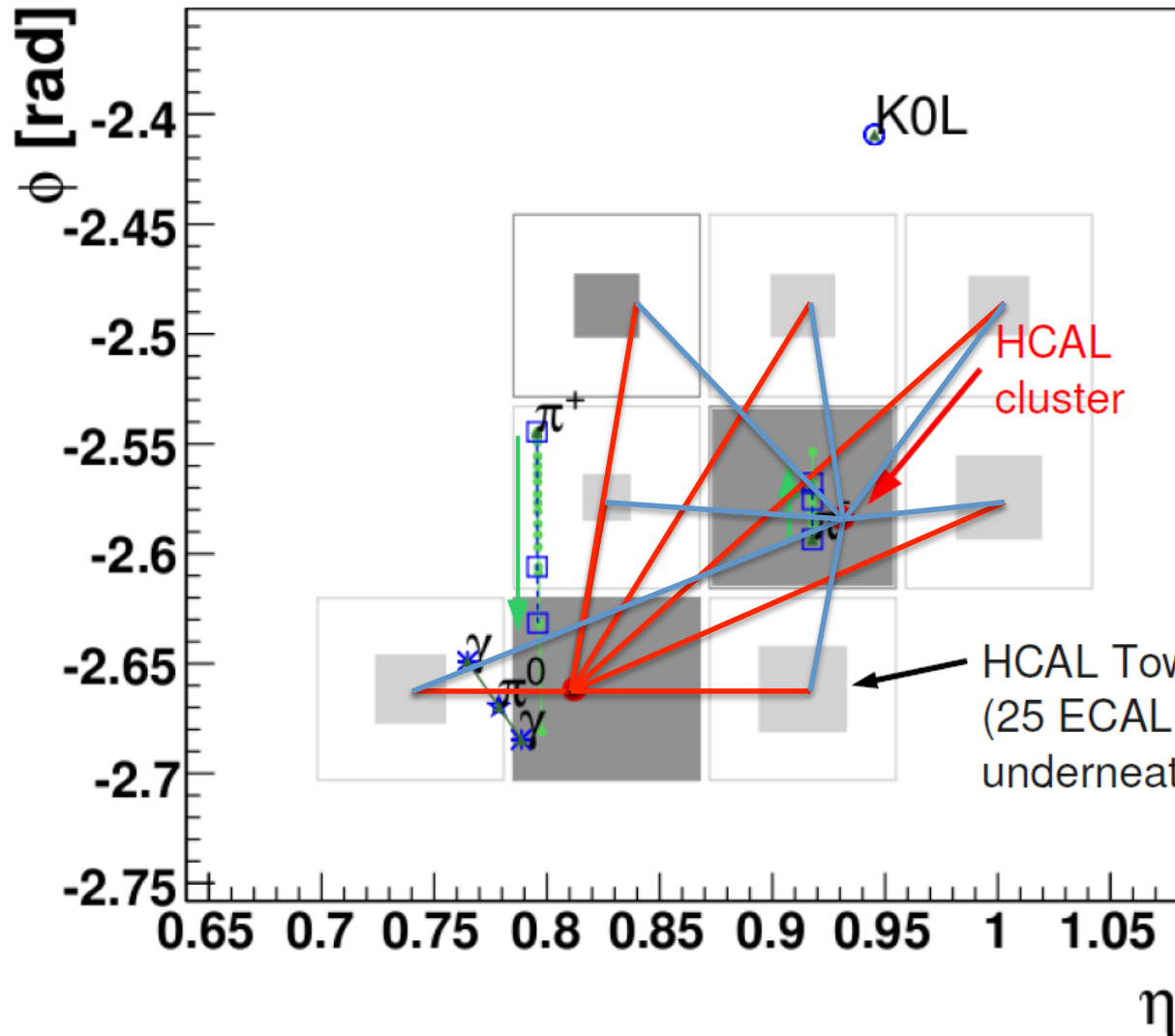
- Strong magnetic field:
3.8 T
- ECAL radius 1.29 m
- $B \times R = 4.9 \text{ T.m}$
 - ALEPH: $1.5 \times 1.8 = 2.7 \text{ T.m}$
 - ATLAS: $2.0 \times 1.2 = 2.4 \text{ T.m}$
 - CDF: $1.5 \times 1.5 = 2.25 \text{ T.m}$
 - DO: $2.0 \times 0.8 = 1.6 \text{ T.m}$

PF Clustering, HCAL



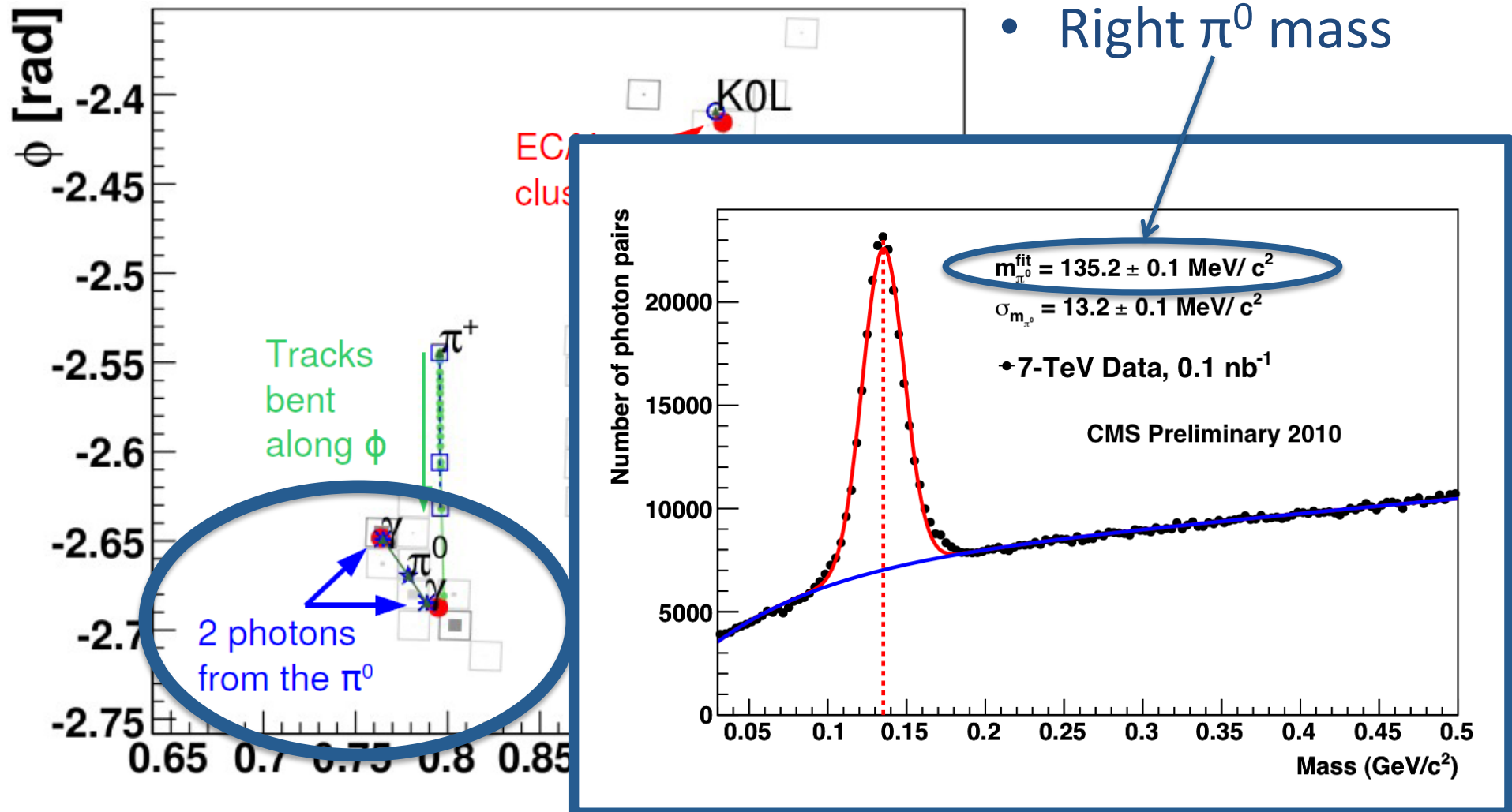
- Used in:
 - ECAL, HCAL, preshower
- Iterative, energy sharing
 - Gaussian shower profile with fixed σ
- Seed thresholds
 - ECAL : $E > 0.23$ GeV
 - HCAL : $E > 0.8$ GeV

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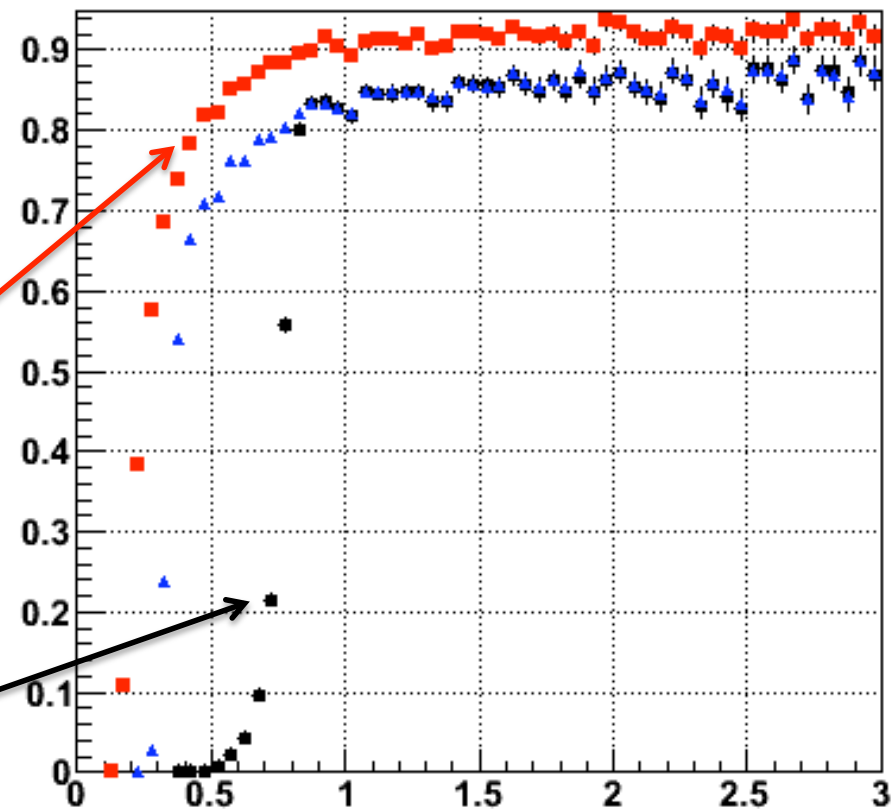
PF Clustering, ECAL - Validation



Iterative Tracking (1/2)

- Developed for PF, now standard
- At each iteration:
 - Reconstruct a set of tracks
 - Remove track hits
 - Relax constraints
- Fast (~ 10 s / event)
- Iterative tracking:
 - 1-2 % fake rate
- Old “CTF” tracking:
 - 20 % fake rate

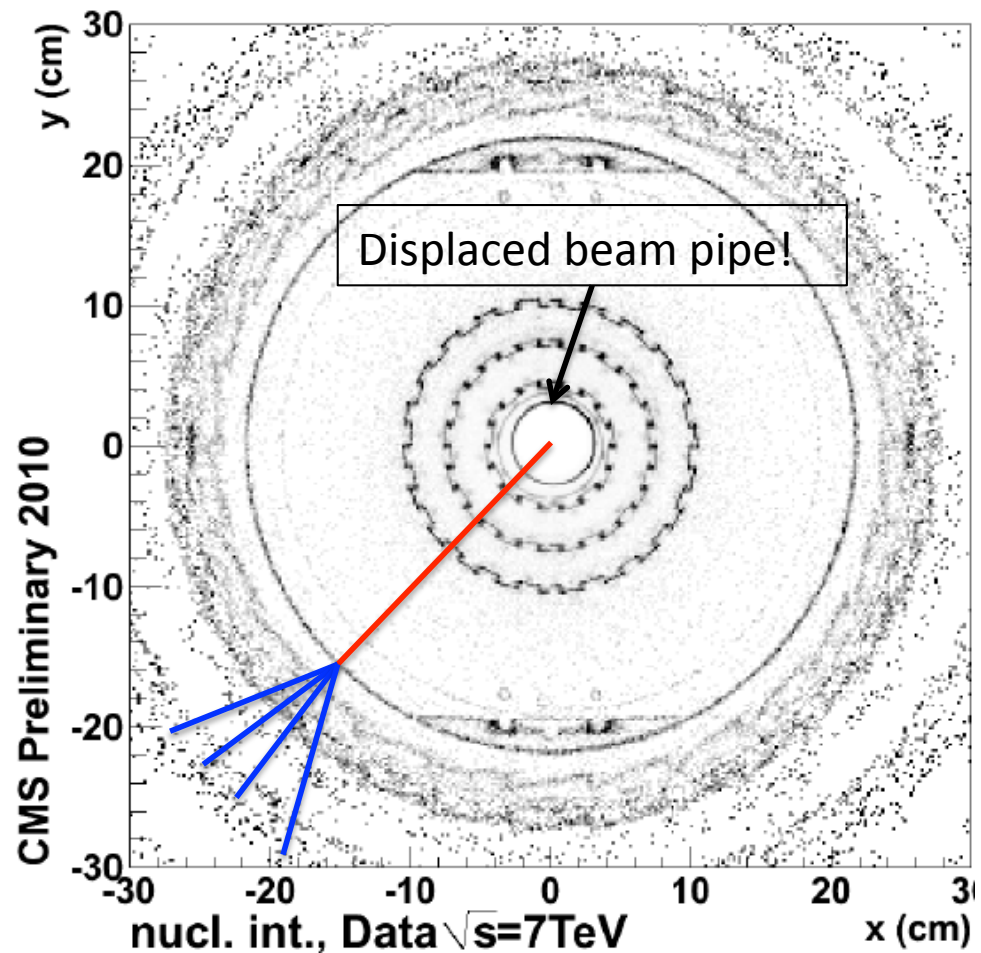
efficiency vs pT



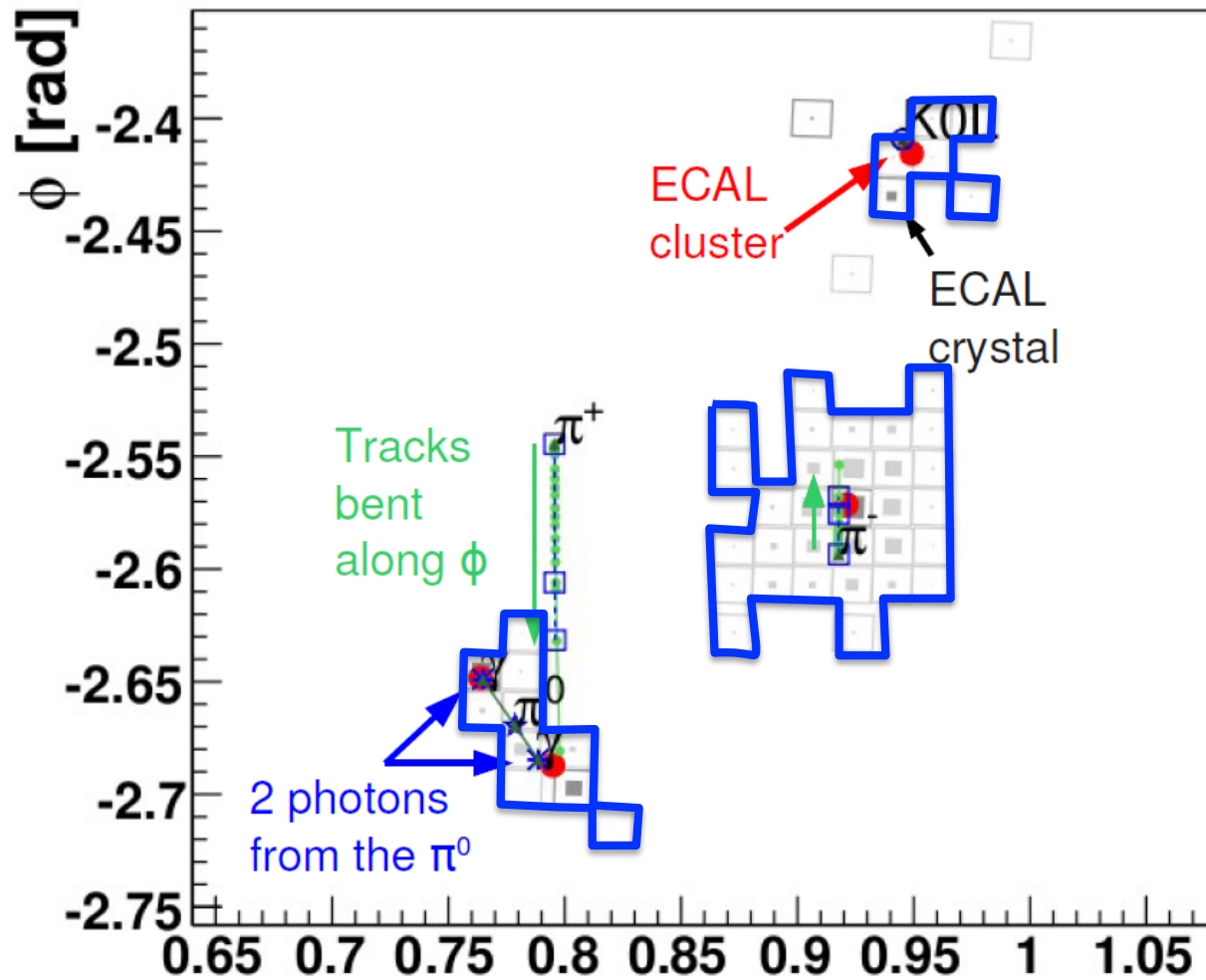
Iterative Tracking (2/2)

- Efficient also for secondary tracks
- Secondary tracks used in PF:
 - Charged hadrons from nuclear interactions
 - No double-counting of the **primary track** momentum
 - Conversion electrons
 - Converted brems from electrons (cf electron slide later)

Nuclear interaction vertices

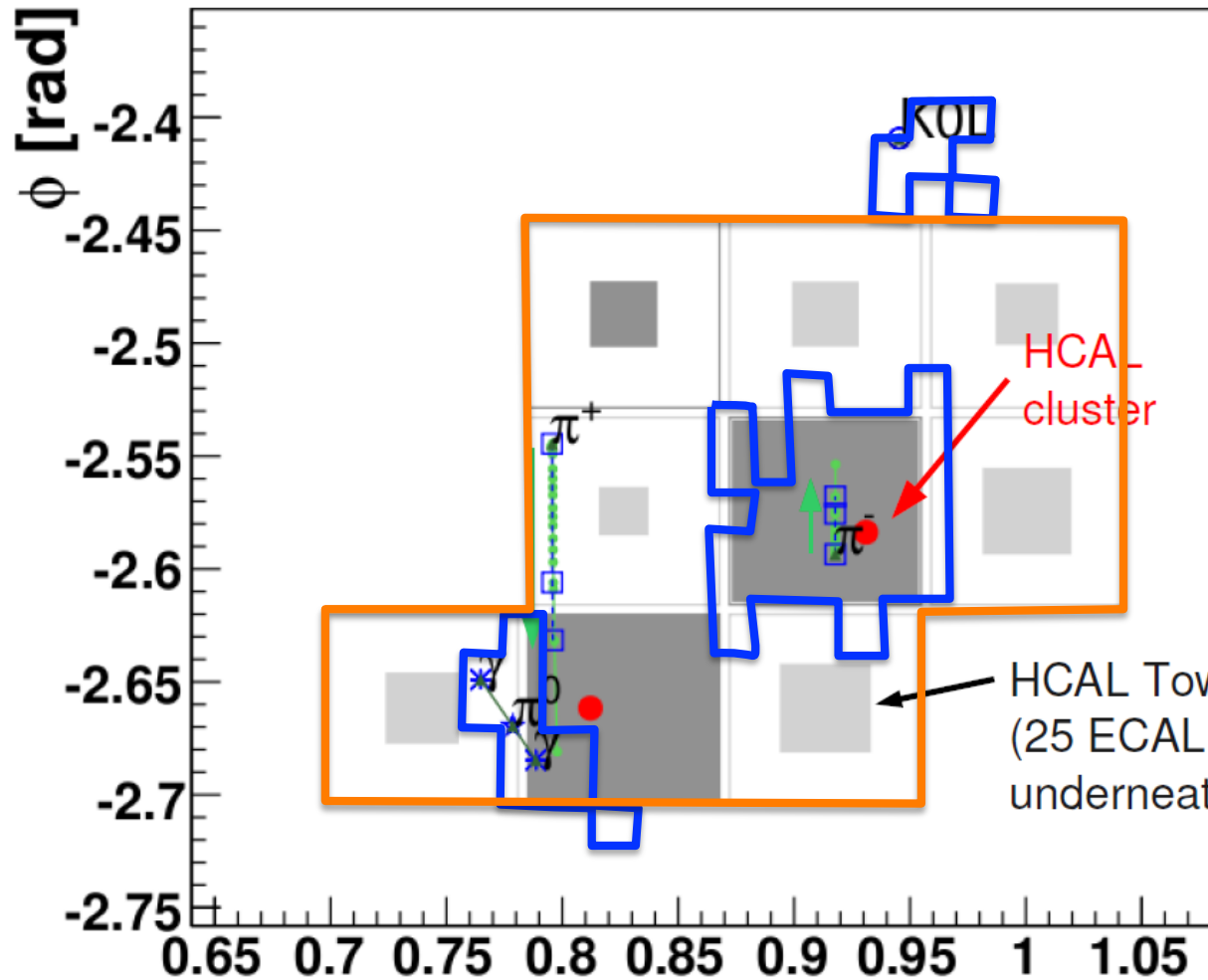


Linking – ECAL view



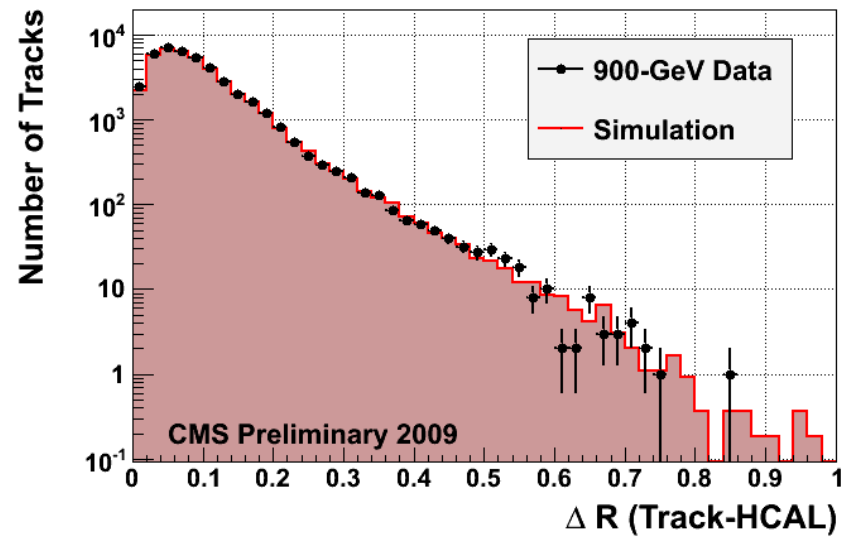
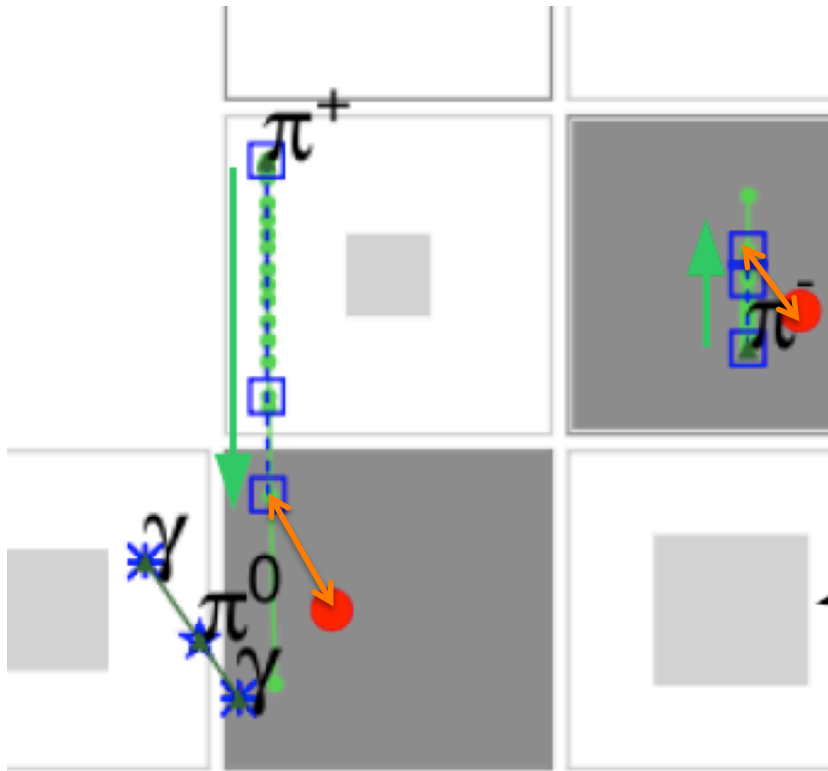
- Track impact within cluster boundaries
→ track & cluster linked

Linking – HCAL view



- Track impact within cluster boundaries
→ track & cluster linked
- Clusters overlapping
→ clusters linked

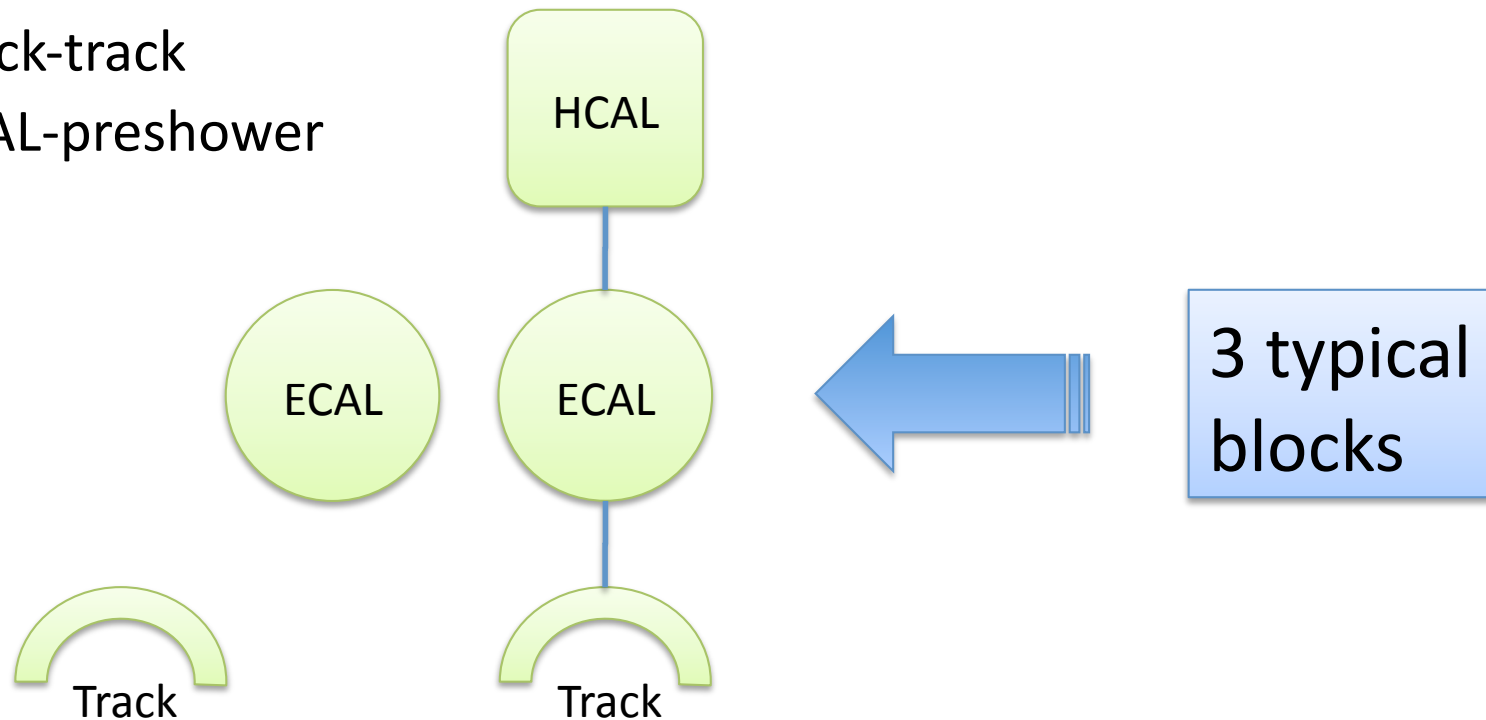
Link Validation



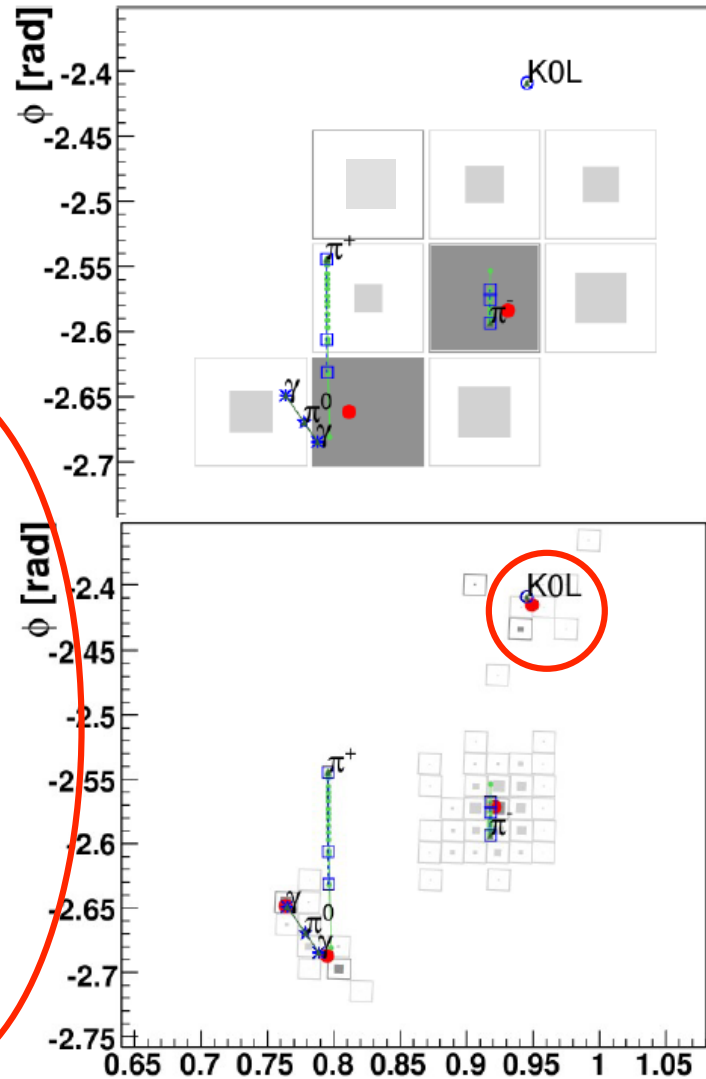
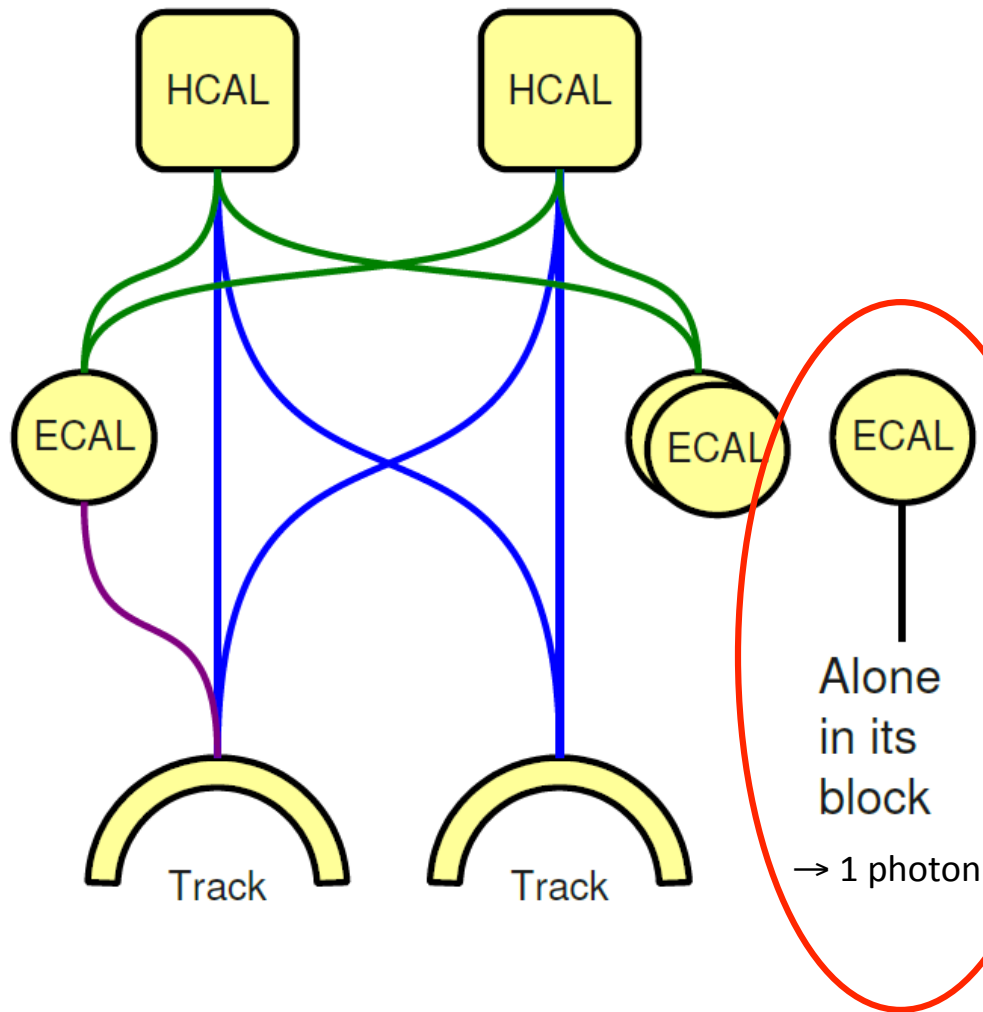
- Distance between:
- the track impact and
 - the closest HCAL cluster

Links and blocks

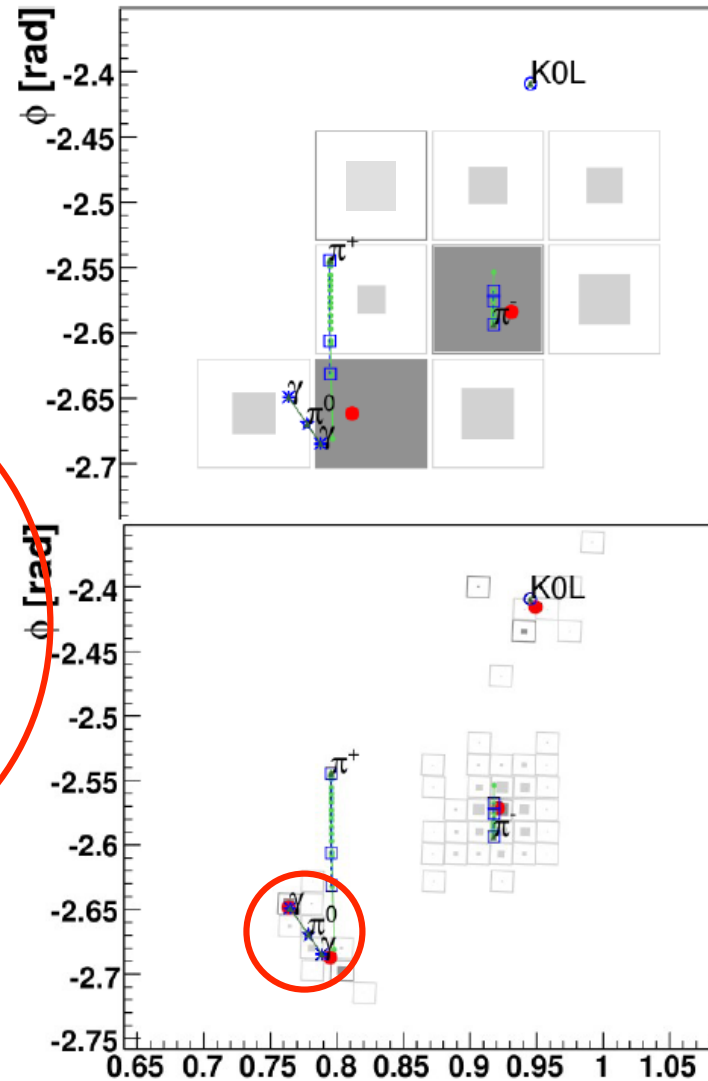
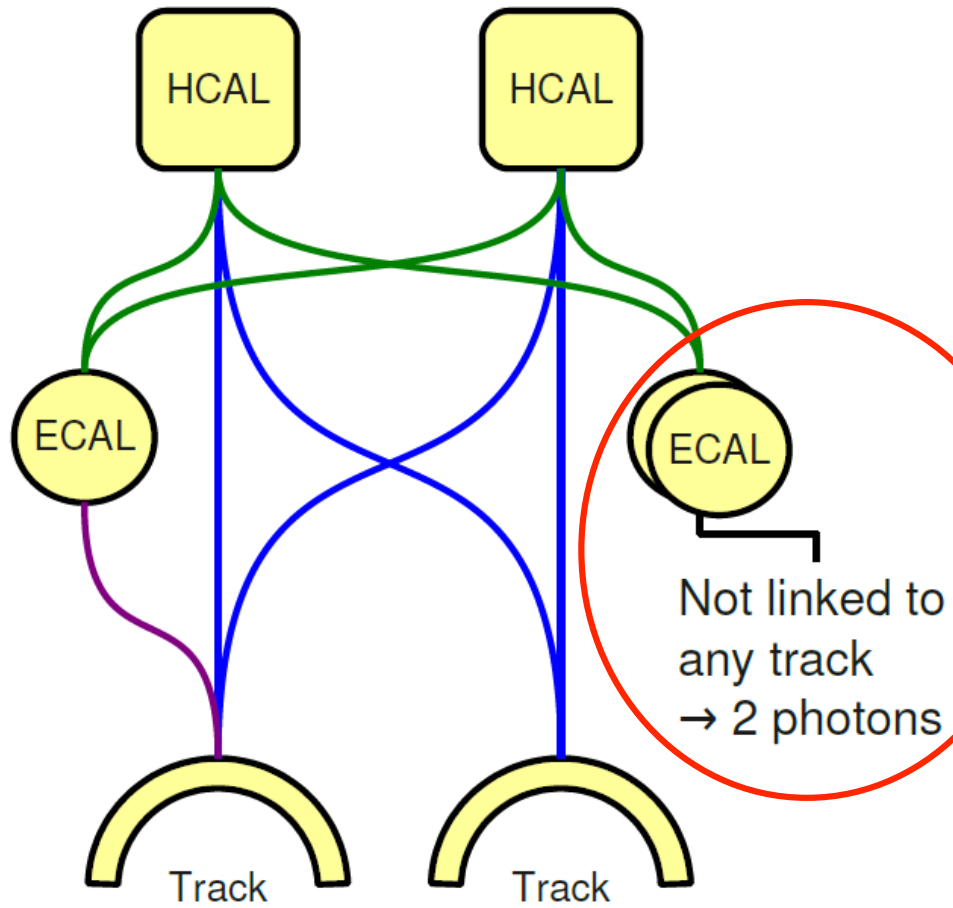
- Links:
 - Track-ECAL
 - Track-HCAL
 - ECAL-HCAL
 - Track-track
 - ECAL-preshower
- The block building rule:
 - 2 linked PF elements are put in the same blocks



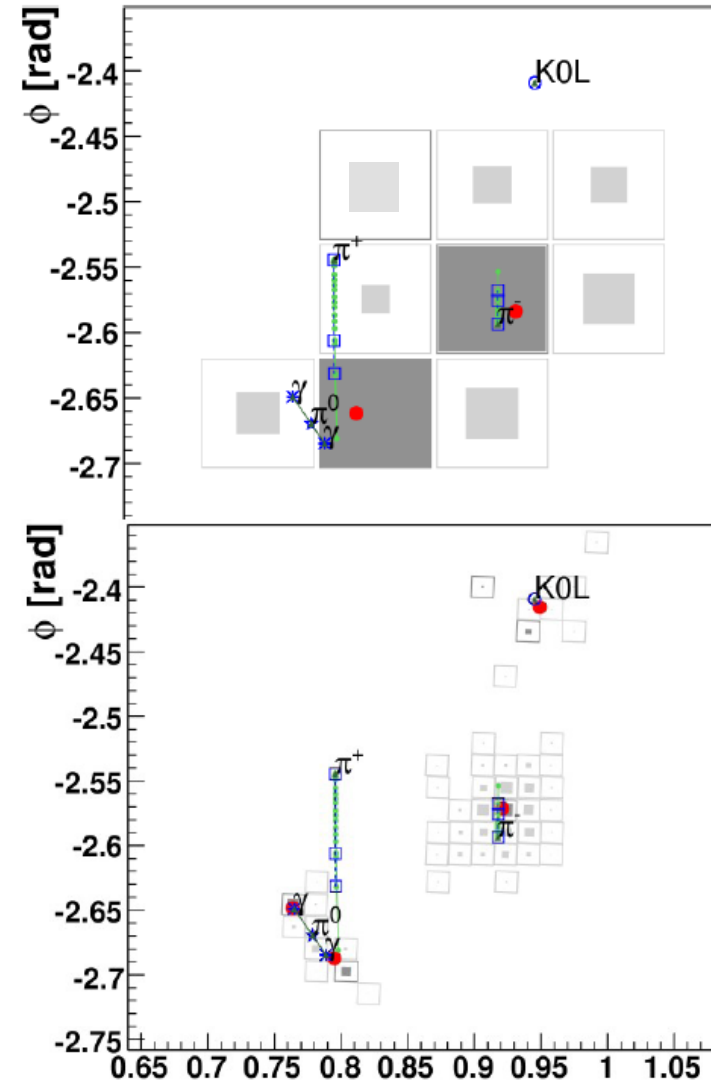
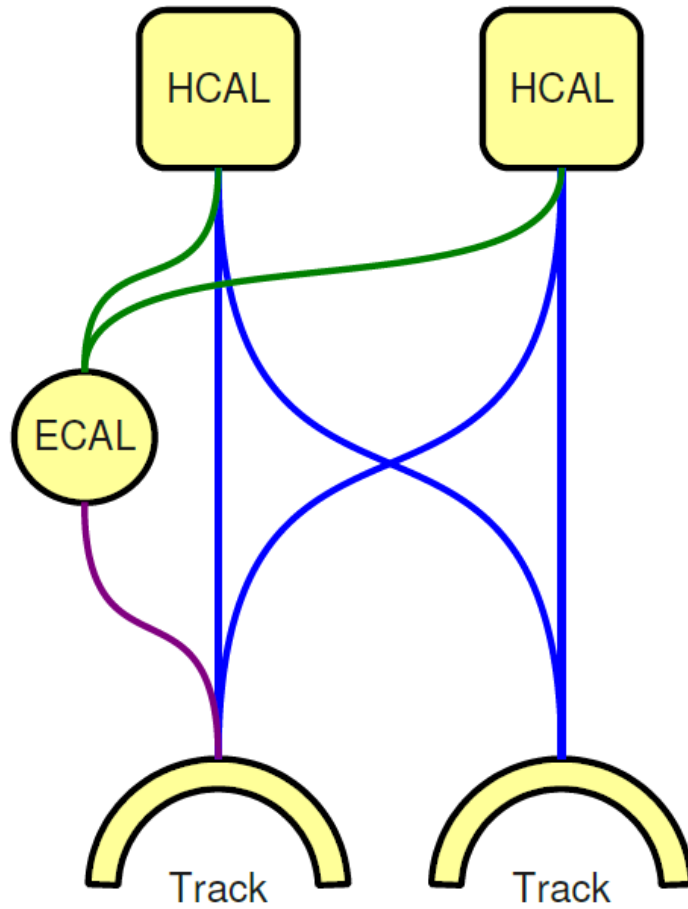
Result: 2 PF “Blocks”



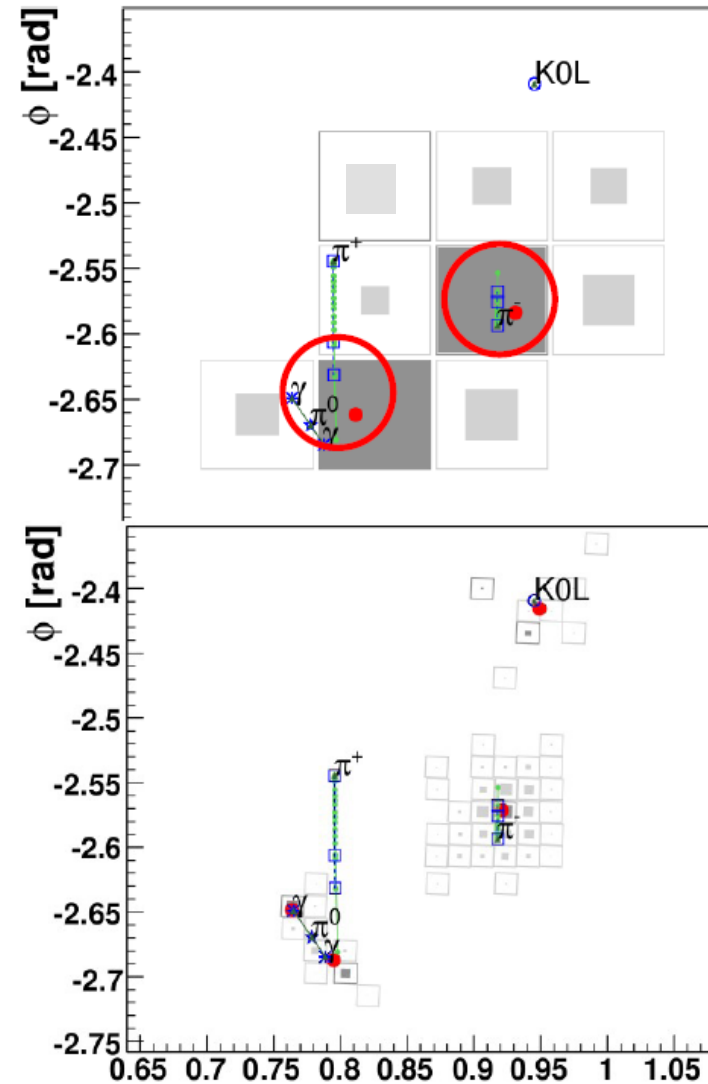
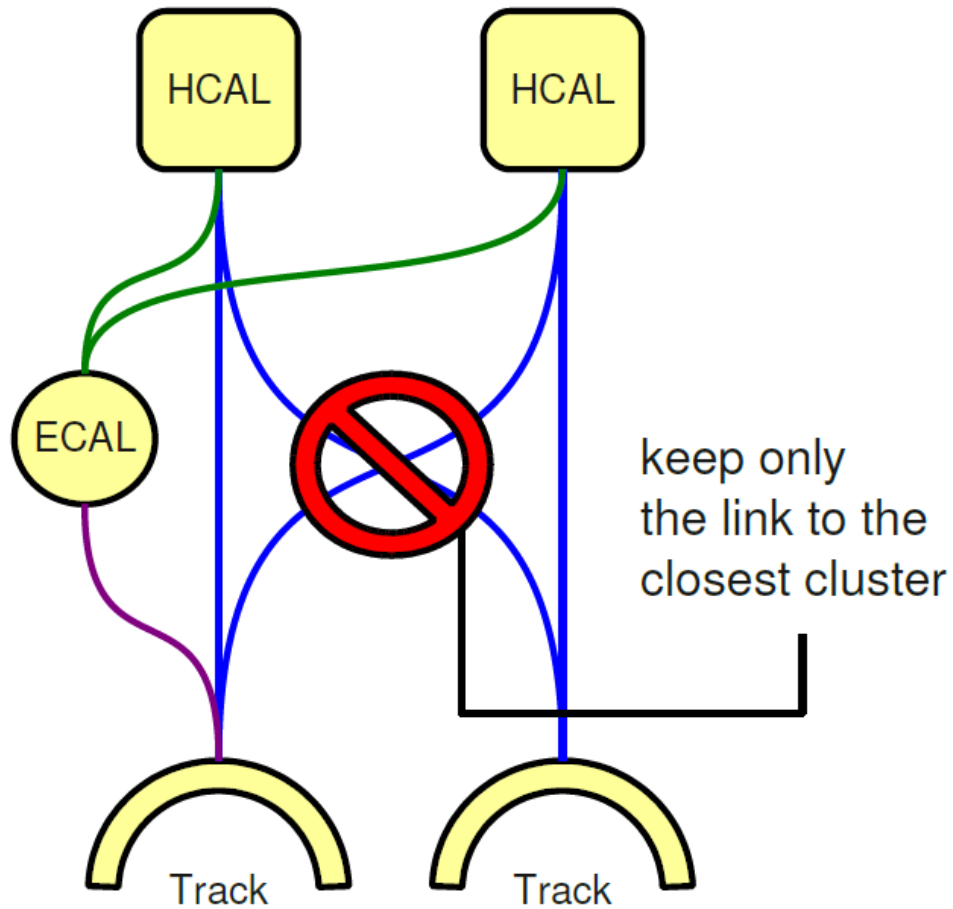
Photons



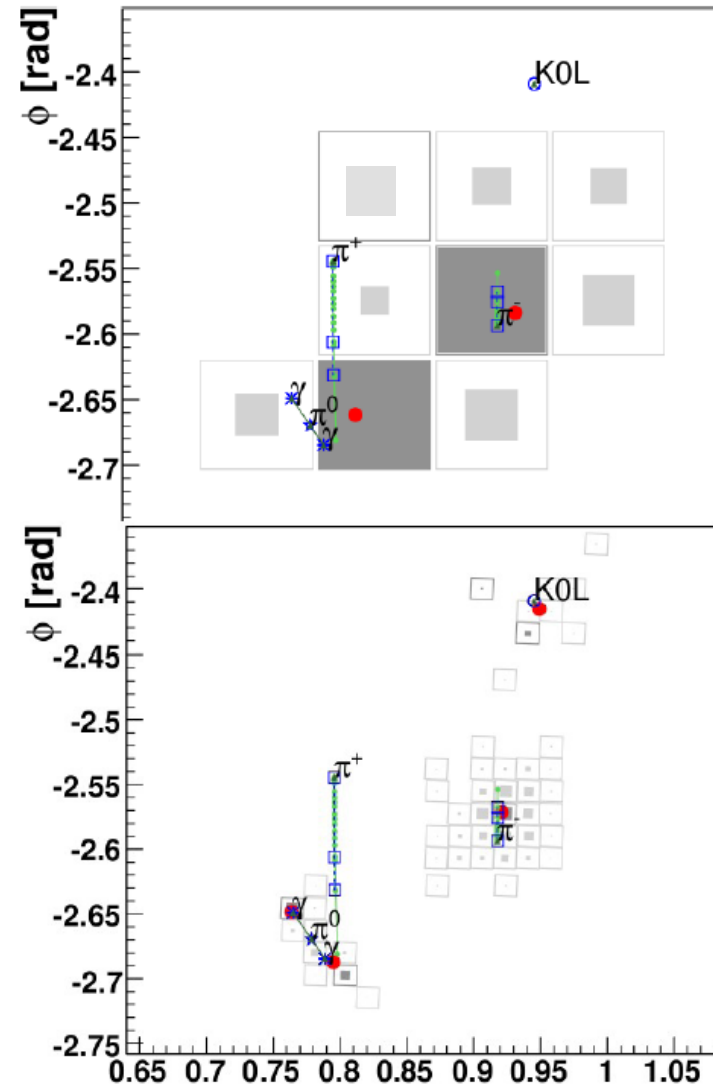
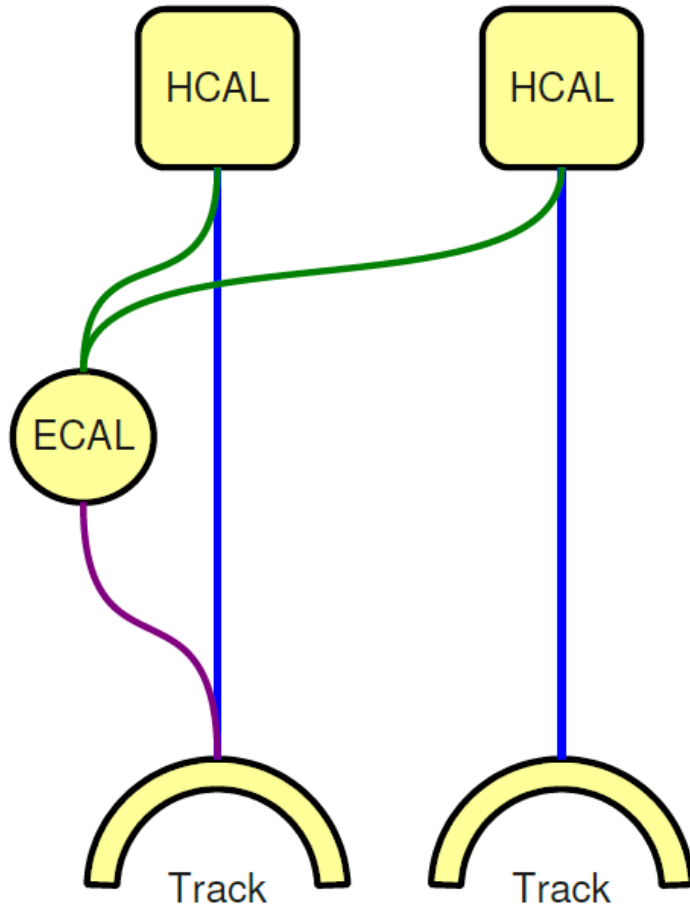
Photons



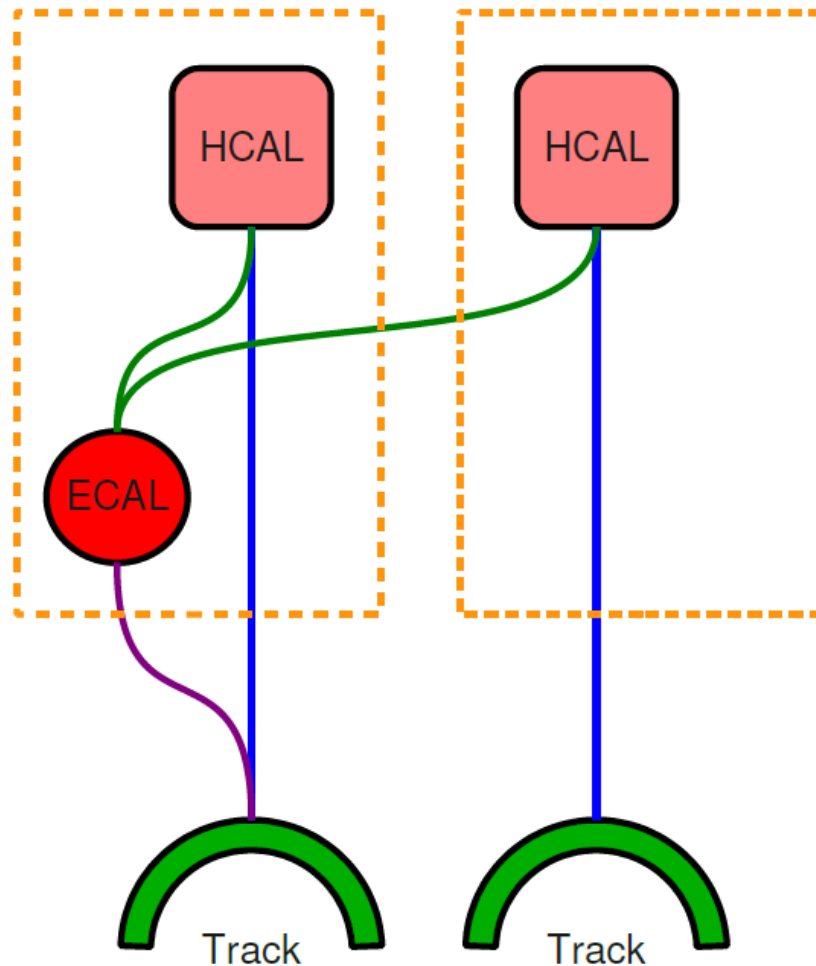
Block simplification



Block simplification



Charged hadrons, overlapping neutrals



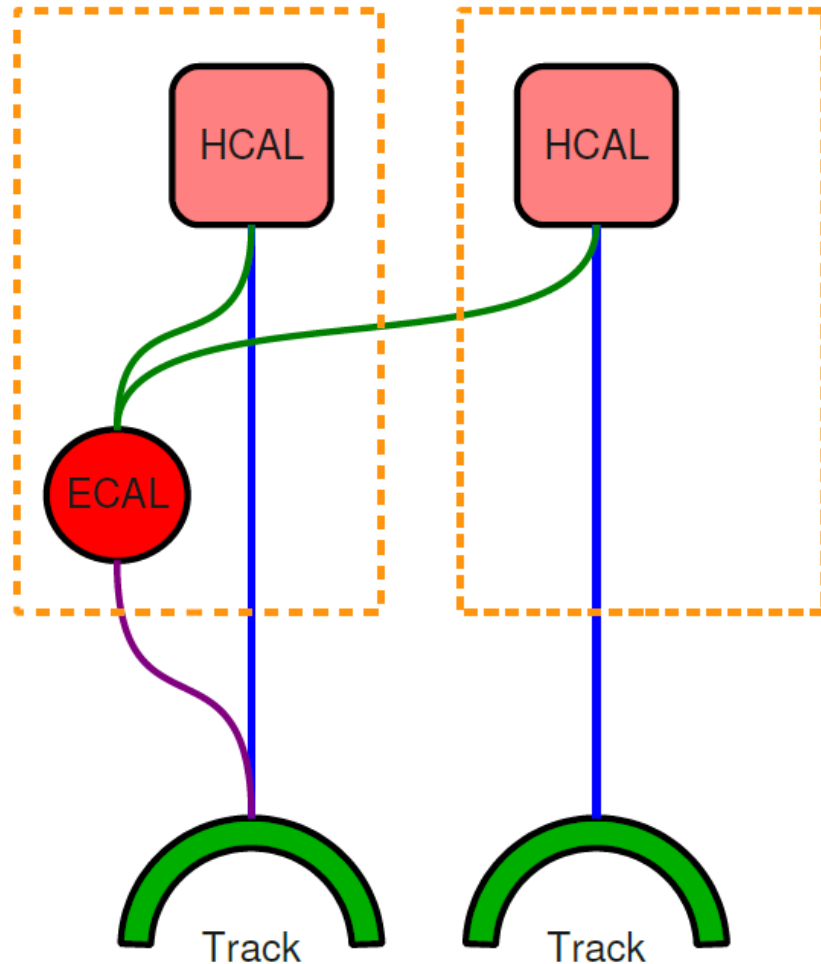
- For each HCAL cluster, compare:

- Sum of track momenta p
- Calorimeter energy E
 - Linked to the tracks
 - Calibrated for hadrons

$$E = a + bE_{ECAL} + cE_{HCAL}$$

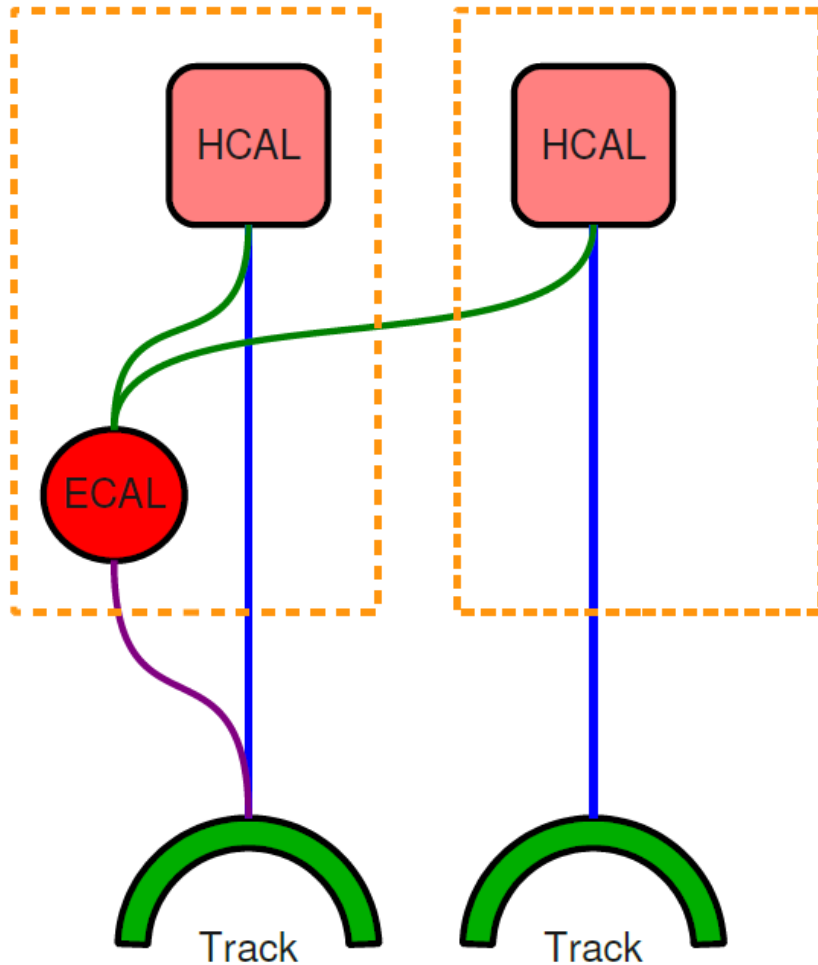
- E and p compatible
 - Charged hadrons
- $E > p + 120\% \sqrt{p}$
 - Charged hadrons +
 - Photon / neutral hadron
- $E \ll p$
 - Need attention ...
 - Rare: muon, fake track

Charged+neutrals: $E \approx p$



- Charged hadron energy from a fit of p_i and E
 - $i = 1, \dots, N_{\text{tracks}}$
 - Calorimeter and track resolution accounted for
- Makes the best use of the tracker and calorimeters
 - Tracker measurement at low p_T
 - Converges to calorimeter measurement at high E

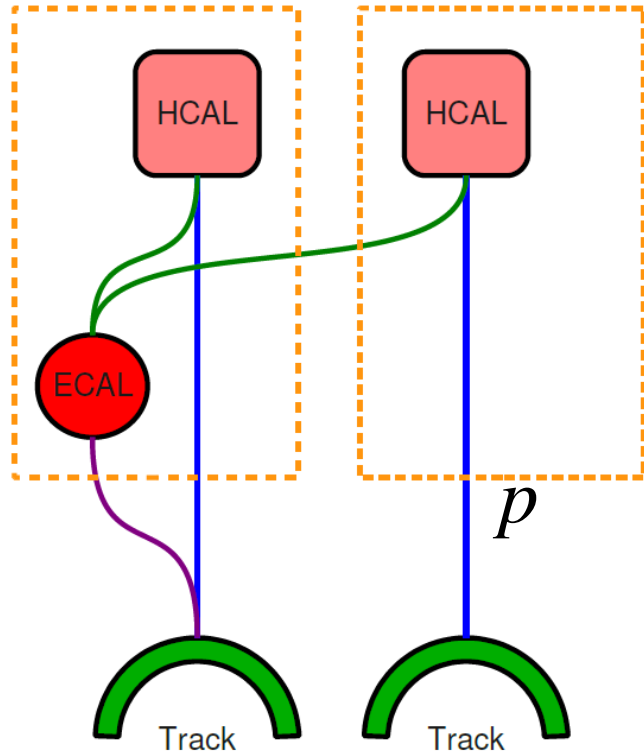
Charged+neutrals: $E = a + bE_{ECAL} + cE_{HCAL}$



- Significant excess of energy in the calorimeters:
 $E > p + 120\% \sqrt{E}$
- Charged hadrons [p_i]
- Neutrals:
 - E from ECAL or HCAL only:
 - HCAL $\rightarrow h^0$ [$E - p$]
 - ECAL $\rightarrow \gamma$ [$E_{ECAL} - p/b$]
 - E from ECAL and HCAL:
 - $E - p > E_{ECAL}$?
 - γ [E_{ECAL}]
 - h^0 with the rest
 - Else:
 - γ [$(E - p) / b$]

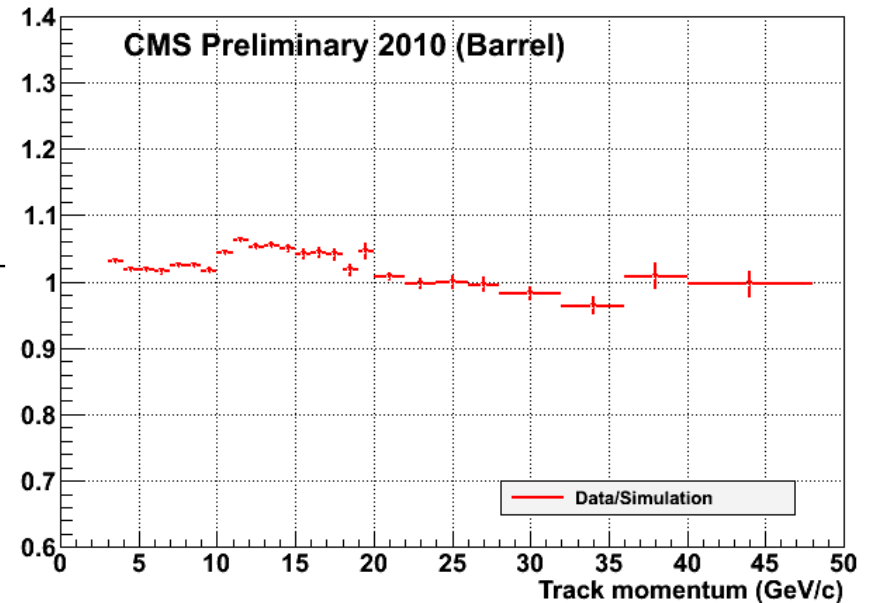
Always give precedence to photons

Validation of the calibration



$$E = a + bE_{ECAL} + cE_{HCAL}$$

$$\frac{(E/p)_{data}}{(E/p)_{simu}}$$



Ratio of the calorimeter response
between data and Monte-Carlo

2 charged hadrons, 3 photons

