Motivation, Limits and Searches

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Axion Physics in a Nut Shell



CP Violation in Particle Physics

Discrete symmetries in particle physics

- C Charge conjugation, transforms particles to antiparticles violated by weak interactions
- P Parity, changes left-handedness to right-handedness violated by weak interactions
- T Time reversal, changes direction of motion (forward to backward)
- CPT exactly conserved in quantum field theories
- CP conserved by all gauge interactions
 - violated by three-flavor quark mixing matrix (Cabbibo-Kobayashi-Maskawa)



All known CP-violating effects derive from a single phase in the quark mass matrix (Kobayashi-Maskawa phase), i.e. from complex Yukawa couplings

Physics Nobel Prize 2008

The CP Problem of Strong Interactions

$$\begin{array}{c} \begin{array}{c} \mbox{Real} \\ \mbox{quark mass} \end{array} \end{array} \begin{array}{c} \mbox{Phase from} \\ \mbox{Yukawa coupling} \end{array} \end{array} \begin{array}{c} \mbox{Angular} \\ \mbox{variable} \end{array} \begin{array}{c} \mbox{CP-odd} \\ \mbox{quantity ~E·B} \end{array} \end{array} \\ \begin{array}{c} \mbox{L}_{QCD} = \sum\limits_{q} \ensuremath{\Psi}_{q} \left(i \ensuremath{\not{P}} - m_{q} e^{i \theta_{q}} \right) \ensuremath{\Psi}_{q} - \frac{1}{4} \ensuremath{G}_{\mu\nu a} \ensuremath{G}_{a}^{\mu\nu} - \Theta \frac{\alpha_{s}}{8\pi} \ensuremath{G}_{\mu\nu a} \ensuremath{\widetilde{G}}_{a}^{\mu\nu} \end{array} \\ \begin{array}{c} \mbox{Remove phase of mass term by chiral phase transformation of quark fields} \\ \ensuremath{\Psi}_{q} \rightarrow e^{-i\gamma_{5}\theta_{q}/2} \ensuremath{\Psi}_{q} \end{array} \\ \begin{array}{c} \mbox{L}_{QCD} = \sum\limits_{q} \ensuremath{\Psi}_{q} (i \ensuremath{\not{P}} - m_{q}) \ensuremath{\Psi}_{q} - \frac{1}{4} \ensuremath{GG} - (\Theta - \arg \det M_{q}) \frac{\alpha_{s}}{8\pi} \ensuremath{G} \ensuremath{\widetilde{G}} \ensuremath{\widetilde{G}} \ensuremath{\widetilde{G}} \end{array} \end{array}$$

- $\overline{\Theta}$ can be traded between quark phases and $G\tilde{G}$ term
- Induces a large neutron electric dipole moment (a CP-violating quantity)

 $-\pi < \overline{\Theta} < +\pi$

Experimental limits: $|\Theta| < 10^{-10}$ Why so small?

Dynamical Solution



Peccei-Quinn Mechanism Proposed in 1977



of CP conservation of the strong interactions in nice of the quantum chromodynamics (OCD) resents a non-Abelian gauge theory of the strong internationa this term may append at the Day

The Pool Table Analogy



30 Years of Axions

VOLUME 40, NUMBER 4

PHYSICAL REVIEW LETTERS

23 JANUARY 1978

A New Light Boson?

Steven Weinberg Lyman Laboratory of Physics, Harvard University, Cambridge, Massachusetts 02138 (Received 6 December 1977)

It is pointed out that a global U(1) symmetry, that has been introduced in order to preserve the parity and time-reversal invariance of strong interactions despite the effects of instantons, would lead to a neutral pseudoscalar boson, the "axion," with mass roughly of order 100 keV to 1 MeV. Experimental implications are discussed.

One of the attractive features of quantum chromodynamics¹ (QCD) is that it offers an explanation of why C, P, T, and all quark flavors are conserved by strong interactions, and by order- α effects of weak interactions.² However, the discovery of quantum effects³ associated with the "instanton" solution of QCD has raised a puz $U(1)_{PQ}]$, under which det $m(\varphi)$ changes by a phase. The phase of det $m(\varphi)$ at the minimum of $V(\varphi)$ is then undetermined in any finite order of perturbation theory, and is fixed only by instanton effects which break the $U(1)_{PQ}$ symmetry. However, the potential will then depend on $\overline{\theta}$, but not separately on θ and arg detm, so that it is not a mir-

VOLUME 40, NUMBER 5

PHYSICAL REVIEW LETTERS

30 JANUARY 1978

Problem of Strong P and T Invariance in the Presence of Instantons

F. Wilczek^(a) Columbia University, New York, New York 10027, and The Institute for Advanced Studies, Princeton, New Jersey 08540^(b) (Received 29 November 1977)

The requirement that P and T be approximately conserved in the color gauge theory of strong interactions without arbitrary adjustment of parameters is analyzed. Several possibilities are identified, including one which would give a remarkable new kind of very light, long-lived pseudoscalar boson.

One of the main advantages of the color gauge theory of strong interactions is that so many of the observed symmetries of strong interactions seem to follow automatically as a consequence of the gauge principle and renormalizability—P, T, C, flavor conservation, the $3\oplus 3^*$ structure of chia certain class of theories^{4,5,7} the parameter θ is physically meaningless,^{4,5} or dynamically determined.⁷ In this case, if the strong interaction conserves *P* and *T*, we shall say the conservation is *automatic*.

I regard a theory of type (i) as very unattrac-

Properties of the G [~] term		
$L_{CP} = \Theta \frac{\alpha_s}{8\pi} G_{\mu\nu a} \tilde{G}_a^{\mu\nu}$	CP-violating term in QCD Lagrangian	
exp(i∫d ⁴ x L)	Physically relevant quantity in path integral	
$G_{\mu\nu a}\tilde{G}^{\mu\nu}_{a} = \partial_{\mu}K^{\mu}$	\mathbf{G}^{\sim} term is total divergence of the Bardeen current K, constructed from color gauge fields	
∫dσ _μ K ^μ	 Only surface integral at infinity contributes to action Naively vanishes if gauge fields fall off fast enough 	
∫dσ _μ K ^μ ≠ 0	Non-zero because of topologically nontrivial gauge-field configurations (instantons) with winding number n	
$ \Theta angle = \sum_{n=-\infty}^{+\infty} e^{in\Theta} n angle$	Θ -vacuum is gauge invariant and stable against tunneling	
$\int d^4 x \frac{\alpha_s}{8\pi} G_{\mu\nu a} \tilde{G}^{\mu\nu}_{a}$	• Integer quantity related to winding numbers of n-vacua • Θ an angle variable in the interval [$-\pi$, $+\pi$]	

Relation of the \mathbf{G}^{\sim} Term to the Quark Sector

$L_{CP} = \Theta \frac{\alpha_s}{8\pi} G_{\mu\nu a} \tilde{G}_a^{\mu\nu}$	CP-violating term in QCD Lagrangian	
$L_q = \overline{\psi}_q(i \not D - m) \psi_q$	For massless quarks seemingly invariant against chiral transformations	
$\partial_{\mu}\overline{\psi}_{q} \frac{\gamma_{5}}{2}\gamma^{\mu}\psi_{q} = \frac{\alpha_{s}}{8\pi}G_{\mu\nu a}\tilde{G}_{a}^{\mu\nu}$	 Adler-Bell-Jackiw anomaly of axial vector current Same structure as L_{CP} 	
$\psi_q \rightarrow e^{i\alpha\gamma_5/2}\psi_q$ $\Theta \rightarrow \Theta + \alpha$	 Chiral transformation of quark field shifts Θ Θ can be absorbed in phase of quark fields 	
m→e ^{iα} m	For massive quarks shows up in phase of mass	
$\overline{\Theta} = \Theta_{QCD} - \arg \det M_q$	• Physically relevant parameter is $\overline{\Theta}$ • Θ_{QCD} can be "rotated away" into phase of M_q	
$d_n \sim \overline{\Theta} \frac{\sqrt{m_u m_d}}{m_N} \frac{e}{2m_N}$	Neutron EDM vanishes if m _u or m _d = 0	

The Cleansing Axion











"I named them after a laundry detergent, since they clean up a problem with an axial current." (Nobel lecture 2004, written version)

Frank Wilczek

Axions as Nambu-Goldstone Bosons

$$L_{CP} = \frac{\alpha_{s}}{8\pi} \overline{\Theta} \ G_{a} \widetilde{G}_{a} \xrightarrow{} \frac{\alpha_{s}}{8\pi} \left(\overline{\Theta} - \frac{a(x)}{f_{a}} \right) G_{a} \widetilde{G}_{a}$$
Periodic variable (angle)
$$\Phi = \frac{f_{a} + \rho(x)}{\sqrt{2}} e^{ia(x)/f_{a}}$$



- New U(1) symmetry, spontaneously broken at a large scale f_a
- Axion is "phase" of new Higgs field: angular variable a(x)/fa
- By construction couples to $G\tilde{G}$ term with strength $\alpha_s/8\pi$, e.g. triangle loop with new heavy quark as in KSVZ model
- Mixes with π^0 - η - η ' mesons
- Axion mass (vanishes if m_u or m_d = 0)



$$m_a = \frac{\sqrt{m_u m_d}}{m_u + m_d} \frac{m_\pi}{f_\pi f_a}$$

Spontaneous and Explicit Breaking of PQ Symmetry

- The realization of the Peccei-Quinn mechanism involves a new chiral U(1) symmetry, spontaneously broken at a scale f_a
- Axions are the corresponding Nambu-Goldstone mode



a

A=(

- by instanton effects
- Mexican hat tilts
- Axions acquire a mass

Axion Properties

Gluon coupling (generic)	$L_{aG} = \frac{\alpha_{s}}{8\pi f_{a}} G\tilde{G}a \qquad a = \zeta_{vvv} G$
Mass (generic)	$m_a = \frac{\sqrt{m_u m_d}}{m_u + m_d} \frac{m_\pi}{f_\pi f_a} \approx \frac{6 \mu eV}{f_a / 10^{12} \text{GeV}}$
Photon coupling	$L_{a\gamma} = -\frac{g_{a\gamma}}{4}F\tilde{F}a = g_{a\gamma}\vec{E}\cdot\vec{B}a$ $g_{a\gamma} = \frac{\alpha}{\pi f_a} \left(\frac{E}{2N} - 0.96\right)$ $a =\int_{\gamma}^{\gamma} \gamma$
Pion coupling	$L_{a\pi} = \frac{C_{a\pi}}{f_a f_{\pi}} (\pi^0 \pi^+ \partial_{\mu} \pi^- + \dots) \partial^{\mu} a \qquad \pi \qquad \pi \qquad a$
Nucleon coupling (axial vector)	$L_{aN} = \frac{C_N}{2f_a} \overline{\Psi}_N \gamma^{\mu} \gamma_5 \Psi_N \partial_{\mu} a \qquad a \swarrow_N^N$
Electron coupling (optional)	$L_{ae} = \frac{C_e}{2f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}{c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}(c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}(c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace{ \left(\begin{array}(c} e \\ e \end{array} \right)^e e^{-\frac{1}{2} f_a} } e^{-\frac{1}{2} f_a} \overline{\Psi}_e \gamma^{\mu} \gamma_5 \Psi_e \partial_{\mu} a \qquad a = \underbrace$

From Standard to Invisible Axions

Standard Model	Standard Axion Weinberg 1978, Wilczek 1978	Invisible Axion Kim 1979, Shifman, Vainshtein, Zakharov 1980, Dine, Fischler, Srednicki 1981 Zhitnitsky 1980
All Higgs degrees of freedom are used up	 Peccei-Quinn scale f_a = f_{ew} (electroweak scale) Two Higgs fields, separately giving mass to up-type quarks and down-type quarks 	 Additional Higgs with f_a ≫ f_{ew} Axions very light and and very weakly interacting
No room for Peccei-Quinn symmetry and axions	Standard axions quickly ruled out experimentally	 New scale required Axions can be cold dark matter Can be detected

Axion Bounds



Supernova 1987A Energy-Loss Argument



Emission of very weakly interacting particles would "steal" energy from the neutrino burst and shorten it. (Early neutrino burst powered by accretion, not sensitive to volume energy loss.)

Late-time signal most sensitive observable



Creation of Cosmological Axions

- T ~ f_a (very early universe)
- U_{PO}(1) spontaneously broken
- Higgs field settles in "Mexican hat"
- Axion field sits fixed at $a_1 = \Theta_1 f_a$



- T ~ 1 GeV (H ~ 10⁻⁹ eV)
- Axion mass turns on quickly by thermal instanton gas
- Field starts oscillating when $m_a \gtrsim 3H$
- Classical field oscillations (axions at rest)



Axion number density in comoving volume conserved

$$n_a R^3 = m_a (T_1) a_1^2 R_1^3 \sim 3H_1 R_1^3 \Theta_1^2 f_a^2$$

• Axion mass density today: $\rho_a = m_a n_a \propto \Theta_1^2 m_a f_a^2 \propto \Theta_1^2 \frac{m_a^2 f_a^2}{m_a^2} \propto \Theta_1^2 \frac{m_a^2}{m_a^2}$

Series of Papers on Axion Cosmology in PLB 120 (1983)

Volume 120B, number 1,2,3 Page 127 PHYSICS LETTERS

6 January 1983

COSMOLOGY OF THE INVISIBLE AXION

John PRESKILL¹, Mark B. WISE² Lyman Laboratory of Physics, Harvard University, Cambridge, MA 02138, USA

and

Frank WILCZEK Institute for Theoretical Physics, University of California, Santa Barbara, CA 93106, USA

Received 10 September 1982

We identify a new cosmological problem for models which solve the strong CP puzzle with an invisible axion, unrelated to the domain wall problem. Because the axion is very weakly coupled, the energy density stored in the oscillations of the classical axion field does not dissipate rapidly; it exceeds the critical density needed to close the universe unless $f_a \leq 10^{12}$ GeV, where f_a is the axion decay constant. If this bound is saturated, axions may comprise the dark matter of the universe.

Ever since the discovery [1] of the *CP*-violating parameter $\overline{\theta}$ of the strong interactions, the small value of $\overline{\theta}$ has posed a serious puzzle. Current experimental constraint on the "invisible" axion satisfying $f_a \gtrsim 10^9$ GeV. Because the couplings of this axion

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6 January 1983

A COSMOLOGICAL BOUND ON THE INVISIBLE AXION

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and

P. SIKIVIE² Particle Theory Group, University of Florida, Gainesville, FL 32611, USA

Received 14 September 1982

The production of axions in the early universe is studied. Axion models which break the $U(1)_{PQ}$ symmetry above 10^{12} GeV are found to produce an unacceptably large axion energy density.

The absence of *CP* violation in the strong interactions can be explained naturally by incorporating the $U(1)_{PQ}$ symmetry of Peccei and Quinn [1] into the flationary period, is not high enough to restore the $U(1)_{PO}$ symmetry.

In this letter, we derive a new constraint which

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THE NOT-SO-HARMLESS AXION

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and

Willy FISCHLER Department of Physics, University of Pennsylvania, Philadelphia, PA 19104, USA

Received 17 September 1982 Received manuscript received 14 October 1982

Cosmological aspects of a very weakly interacting axion are discussed. A solution to the problem of domain walls discussed by Sikivie is mentioned. Demanding that axions do not dominate the present energy density of the universe is shown to give an upper bound on the axion decay constant of at most 10^{12} GeV.

It has been suggested that the strong *CP* problem may be solved by extending the Peccei-Quinn idea will occur, and θ will take some random value on the interval $[0, 2\pi]$ (actually, on a somewhat smaller inter-

Killing Two Birds with One Stone



Peccei-Quinn mechanismSolves strong CP problemMay provide dark matter in the form of axions



Lee-Weinberg Curve for Neutrinos and Axions



Cold Axion Production

Approximate axion cold dark matter density	$\Omega_a \approx 0.5 \left(\frac{f_a}{10^{12} \text{GeV}}\right)^{7/6} \approx 4 \left(\frac{1 \mu\text{eV}}{m_a}\right)^{7/6}$
Inflation after PQ symmetry breaking	Reheating restores PQ symmetry
$\begin{array}{l} \mbox{Homogeneous mode oscillates after} & \mbox{$T \leq \Lambda_{QCD}$} \\ \mbox{Dependence on initial misalignment} \\ \mbox{angle} & \mbox{$\Omega_a \propto \overline{\Theta}_i$} \end{array}$	 Cosmic strings of broken U_{PQ}(1) form by Kibble mechanism Radiate long-wavelength axions Ω_a independent of initial conditions N = 1 or else domain wall problem
 Isocurvature fluctuations from large quantum fluctuations of massless axion field created during inflation Strong CMBR bounds on isocurvature fluctuations Scale of inflation required to be very small Λ_l ≤ 10¹³ GeV [e.g. Beltrán et al. hep-ph/0606107 Hertzberg et al., arXiv:0807.1726] 	Inhomogeneities of axion field large, self-couplings lead to formation of mini-clusters Typical properties • Mass ~ 10 ⁻¹² M _{sun} • Radius ~ 10 ¹⁰ cm • Mass fraction up to several 10%

Axions from Cosmic Strings



Axion Mini Clusters

The inhomogeneities of the axion field are large, leading to bound objects, "axion mini clusters". [Hogan & Rees, PLB 205 (1988) 228.] Self-coupling of axion field crucial for dynamics.

Typical mini cluster properties: Mass ~ $10^{-12} M_{sun}$ Radius ~ $10^{10} cm$ Mass fraction up to several 10%

Potentially detectable with gravitational femtolensing

Distribution of axion energy density. 2-dim slice of comoving length 0.25 pc [Kolb & Tkachev, ApJ 460 (1996) L25]



Inflation, Axions, and the Anthropic Principle

Late inflation scenario of axion cosmology

- Axion dark matter density determined by the initial random number Θ_i
- Is different in different patches of the universe
- Our universe, after inflation, from a single patch

Axion dark matter fraction is a random number, chosen by spontaneous symmetry breaking process

Natural case for anthropic selection effects concerning the observed dark matter density relative to baryons

- Linde, "Inflation and Axion Cosmology," PLB 201:437, 1988
- Tegmark, Aguirre, Rees & Wilczek,
 "Dimensionless constants, cosmology and other dark matters," PRD 73, 023505 (2006) [arXiv:astro-ph/0511774]

A small initial Θ not unnatural

 $f_a \gg 10^{12}$ GeV (e.g. GUT scale or string-inspired) not excluded

Creation of Adiabatic vs. Isocurvature Perturbations



Power Spectrum of CMBR Temperature Fluctuations



Adiabatic vs. Isocurvature Temperature Fluctuations



Adapted from Fox, Pierce & Thomas, hep-th/0409059

Axion Limits from Isocurvature Fluctuations



Hertzberg, Tegmark & Wilczek, PRD 78 (2008) 083507

PLANCK Satellite – Launch in Early April 2009



PLANCK Satellite



Axion Bounds



Lee-Weinberg Curve for Neutrinos and Axions



Axion Hot Dark Matter from Thermalization after Λ_{QCD}


Axion Hot Dark Matter Limits from Precision Data



Credible regions for neutrino plus axion hot dark matter (WMAP-5, LSS, BAO, SNIa) Hannestad, Mirizzi, Raffelt & Wong [arXiv:0803.1585]



Marginalizing over unknown neutrino hot dark matter component

m _a < 1.0 eV (95% CL)	WMAP-5, LSS, BAO, SNIa	Hannestad, Mirizzi, Raffelt & Wong [arXiv:0803.1585]
m _a < 0.4 eV (95% CL)	WMAP-3, small-scale CMB, HST, BBN, LSS, Ly-α	Melchiorri, Mena & Slosar [arXiv:0705.2695]

Experimental Tests of the Invisible Axion

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PHYSICAL REVIEW LETTERS

17 October 1983

Experimental Tests of the "Invisible" Axion

P. Sikivie

Physics Department, University of Florida, Gainesville, Florida 32611 (Received 13 July 1983)

Experiments are proposed which address the question of the existence of the "invisible" axion for the whole allowed range of the axion decay constant. These experiments exploit the coupling of the axion to the electromagnetic field, axion emission by the sun, and/or the cosmological abundance and presumed clustering of axions in the halo of our galaxy.

Primakoff effect:

Axions-photon transitions in external static E or B field (Originally discussed for π^0 by Henri Primakoff 1951)



Pierre Sikivie:

Macroscopic B-field can provide a large coherent transition rate over a big volume (low-mass axions)

• Axion helioscope: Look at the Sun through a dipole magnet

 Axion haloscope: Look for dark-matter axions with A microwave resonant cavity

Search for Solar Axions



Tokyo Axion Helioscope ("Sumico")



Limits from Tokyo Axion Helioscope



Y. Inoue et al., PLB 536 (2002) 18 [astro-ph/0204388]

Axion-photon transition region filled with pressurized gas to give photons an effective mass (avoid momentum mismatch)

Extending to higher mass values with gas filling

Axion-photon transition probability

$$P_{a \rightarrow \gamma} = \left(\frac{g_{a\gamma}B}{q}\right)^2 \sin^2\left(\frac{qL}{2}\right)^2$$

Axion-photon momentum transfer

$$q = \frac{m_a^2 - m_\gamma^2}{2E}$$

Transition suppressed for $qL \gtrsim 1$

Gas filling: Give photons a refractive mass to restore full transition strength (~ MSW effect)

$$\begin{split} m_{\gamma}^2 &= \frac{4\pi\alpha}{m_e} n_e \quad (n_e \text{ electron density}) \\ m_{\gamma} &= 28.9 \text{ eV} \sqrt{\frac{Z}{A}} \rho_{Gas} \\ \text{He}^4 \text{ vapour pressure at 1.8 K} \\ \rho &\approx 0.2 \times 10^{-3} \text{ g cm}^{-3} \quad m_{\gamma} = 0.26 \text{ eV} \end{split}$$



LHC Magnet Mounted as a Telescope to Follow the Sun



CAST at CERN



Sun Spot on CCD with X-Ray Telescope



True Colour Event Image

EVTMAPE03

90 min tracking result

Event Counts (1)

ROI



cast / kuster III EE / -130 0 deaC /

Source			-	
CCD ter	mperature (de	C) -130.0		
Observation Start time End time Livetime (s) Cycle time Frames (toi Single Chip Wafer Info Filter Window Observer	n comment(s)) (ms) alvcal/softcal) b Info	2006-05-30T 2006-05-30T 75420 9.? 64[200 150] 111 Epi 1	none 02:55:48:845 04:26:01.776 5412:9 71.8 0 0 0 150 0 0 0 300[16] 64 1 200 kuster	
0.000	1.000	0.000	4.0	4
0.000	9.000	0.001	13.0	5
0.000	118.000	0.009	121.0	4
min	max	mean	511m	hits

10



"suspicious pressure"

2006-May-30/15:25:40 / jer@cast

0.8

0.8

0.8

st_val

Limits from CAST-I and CAST-II



CAST-I results: PRL 94:121301 (2005) and JCAP 0704 (2007) 010 CAST-II results (He-4 filling): arXiv:0810.4482

Search for Galactic Axions (Cold Dark Matter)



Axion Dark Matter Searches

Limits/sensitivities, assuming axions are the galactic dark matter



Axion hardware ADMX LLNL-Florida-Berkeley-NRAO





8 T, 1 m \times 60 cm \varnothing

Axion hardware (cont'd)

ADMX







The radiometer eqn.* dictates the strategy

P_{sig} ~

~ 10⁻²² watts



But magnet size, strength $B^2V \sim$ \$



Axion Dark Matter Searches

Limits/sensitivities, assuming axions are the galactic dark matter



To get to 10, and then 100 GHz, we need to:

We know what to do, but have bootlegged as

100 GHz

far as we can; now it needs real attention

Our Road-Map includes support for R&D

- Develop new RF cavity geometries

- Develop new SQUID geometries

To complete the job, ADMX needs concurrent R&D



1 GHz





Karl van Bibber at IDM 2008

And if the axion be found?



And should the axion posses fine-structure, it would constitute a "movie" of the formation of our Milky Way galaxy

Karl van Bibber at IDM 2008

1-D infall, and the "folding" of phase space



Fine Structure in Axion Spectrum

- Axion distribution on a 3-dim sheet in 6-dim phase space
- Is "folded up" by galaxy formation
- Velocity distribution shows narrow peaks that can be resolved
- More detectable information than local dark matter density



Axion Bounds



Axion-like particles (ALPs) (Pseudo)-scalar particles with a two-photon vertex

Particles with Two-Photon Coupling



Axion-Photon-Coupling vs. Mass



Axion-Photon-Transitions as Particle Oscillations

In an external B-field, axions roughly like another photon polarization state
In a homogeneous or slowly varying B-field, a photon beam develops a coherent axion component and the other way round

> Photon refractive and birefringence effects (Cotton-Mouton-effect in vacuum or in a medium)

Stationary Klein-Gordon equation for coupled a-γ-system

$$rac{n_{\perp}-1}{0}$$

$$= rac{0}{0}$$

 $\begin{bmatrix} 0 & 0 \\ g_{a\gamma}B/2\omega \\ g_{a\gamma}$

Axion-photon transitions

Raffelt & Stodolsky, PRD 37 (1988) 1237

Laser Search Experiments



Vacuum Cotton-Mouton-Effect

45° polarized light beam develops small elliptical polarization







PVLAS - Schematic

- Main parameters of the apparatus
 - magnet
 - dipole, 6 T, temp. 4.2 K, 1 m field zone
 - cryostat
 - rotation frequency ~300 mHz, sliding contacts, warm bore to allow light propagation in the interaction zone
 - laser
 - 1064 nm, 100 mW, frequency-locked to the F.-P. cavity Fabry-Perot optical cavity
 - 6.4 m length, finesse ~100000, optical path in the interaction region ~ 60 km
 - heterodyne ellipsometer
 - ellipticity modulator (SOM) and high extinction (~10⁻⁷) crossed polarisers + Quarter Wave Plate (QWP)
 - time-modulation of the effect
 - detection chain
 - photodiode with low-noise amplifier
 - DAQ
 - Slow: demodulated at low frequency and phase-locked to the magnetic field instantaneous direction
 - Fast: high sampling frequency direct acquisition

The PVLAS Dichroism Signal



PVLAS, PRL 96:110406 (2006), hep-ex/0507107







Latest PVLAS Results



Zavattini et al., PRD 77:032006, 2008 [arXiv:0706.3419]

Photon Regeneration Experiments



No Light Shining Through a Wall

BMV Experiment, using a pulsed laser and pulsed magnetic field (Toulouse)

Robilliard et al., arXiv:0707.1296



FIG. 4: 95% confidence level limits on the axion-like particle two photons inverse coupling constant M as a function of the axion-like particle mass m_a obtained thanks to our null result (dotted line). The area below our curve is excluded. Our limits are compared to the 95% confidence level exclusion region obtained by the BFRT photon regeneration experiment [10]. GammeV Experiment with a variable baseline (Fermilab)

Chou et al., arXiv:0710.3783



FIG. 4: 3σ limit contours for pseudoscalar particles.

Limits on Axion-Photon-Coupling



Limits on Axion-Photon-Coupling


Globular Clusters of the Milky Way





http://www.dartmouth.edu/~chaboyer/mwgc.html

Globular clusters on top of the FIRAS 2.2 micron map of the Galaxy



The galactic globular cluster M3

Color-Magnitude Diagram for Globular Clusters



Color-magnitude diagram synthesized from several low-metallicity globular clusters and compared with theoretical isochrones (W.Harris, 2000)

Helium-Burning Lifetime of Horizontal-Branch Stars



Number ratio of HB-Stars/Red Giants in 15 galactic globular clusters (Buzzoni et al. 1983)

Helium-burning lifetime established within ±10%

Limits on Axion-Photon-Coupling

