

***K<sub>L</sub>EVER***

**An experiment to measure  $\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu})$   
at the CERN SPS**

IRFU, CEA Saclay  
22 January 2018

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**For the KLEVER project**

How can we extend the search for new physics to high effective scales?

## Energy frontier

Direct search

Create new degrees of freedom in lab

Explore spectroscopy of new d.o.f.

$\Lambda \sim 1-10 \text{ TeV}$

## Intensity frontier

Indirect investigation

Evidence of new degrees of freedom  
as alteration of SM rates

Explore symmetry properties  
of new d.o.f.

$\Lambda \sim 1-1000 \text{ TeV}$

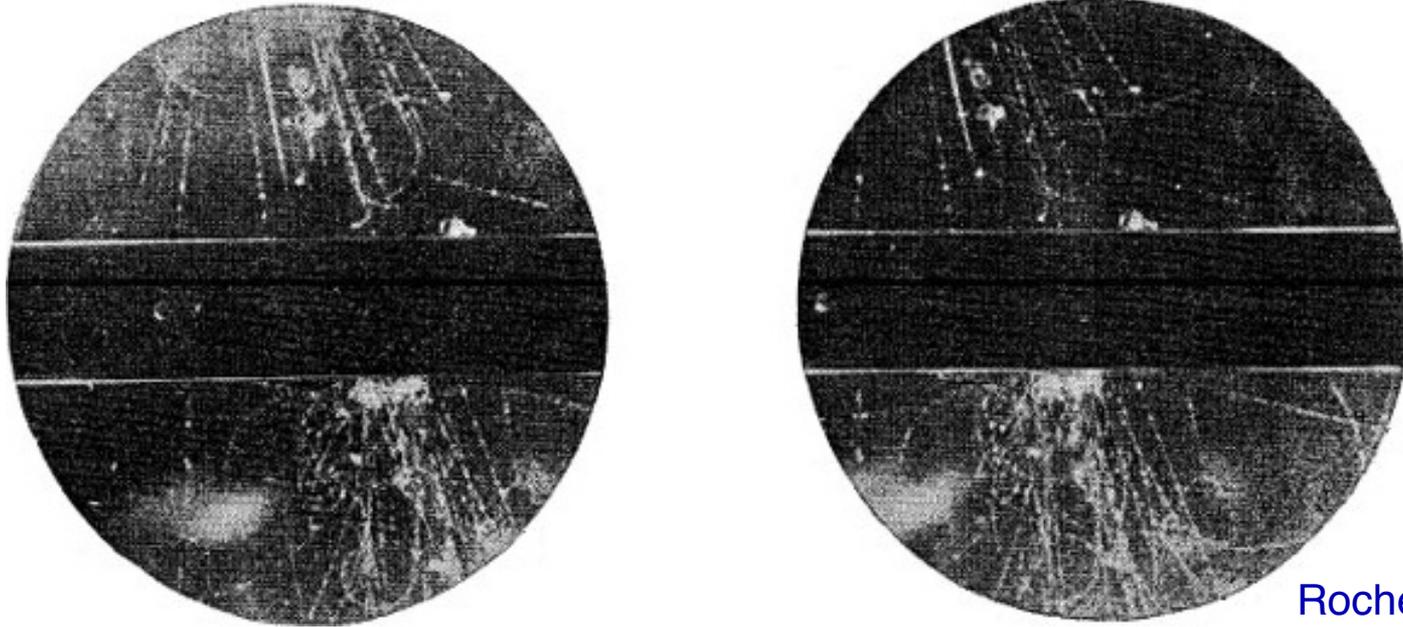
**A rare decay  
is useful as an  
NP probe if:**

- Process is (strongly) suppressed in the SM
- Parameter to be measured precisely calculated in SM
- There are specific predictions for NP contributions

### Examples of what may be studied with rare decays:

- Explicit violations of the SM (e.g., lepton flavor violation)
- Tests of fundamental symmetries such as  $CP$  and  $CPT$
- Search for new d.o.f. in the flavor sector, e.g., in FCNC processes
- Strong interaction dynamics at low energy using exclusive processes

# What have kaons taught us?



Rochester & Butler  
*Nature* 160 (1947)

Strangeness, concept of flavor quark model

$\tau$ - $\theta$  puzzle: hint of  $P$  violation, confirmation of weak  $V-A$  structure

$CP$  violation in mixing of neutral kaons

Suppression of  $K_L \rightarrow \mu^+ \mu^-$ : GIM mechanism and the charm quark

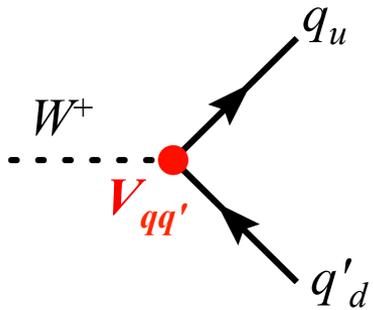
Direct  $CP$  violation in  $K \rightarrow \pi\pi$  and the CKM paradigm

Quiet successes of confirmation: conservation of lepton flavor,  $V_{us}$ , etc.

**Kaons have been fundamental in the development of the SM flavor sector**

# The CKM matrix

$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{pmatrix} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4)$$



$V$  is unitary:  $V^\dagger V = \mathbf{1}$

$$\sum_i V_{ij} V_{ik}^* = \sum_i V_{ji} V_{ki}^* = \delta_{jk}$$

$B$  unitarity triangle

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

$K$  unitarity triangle

$$V_{ud}V_{us}^* + V_{cd}V_{cs}^* + V_{td}V_{ts}^* = 0$$

**Observable**

**Measurement**

$$K^+ \rightarrow \pi^+ \nu \bar{\nu}$$

$$|V_{ts}^* V_{td}|$$

$$K_L \rightarrow \pi^0 \nu \bar{\nu}$$

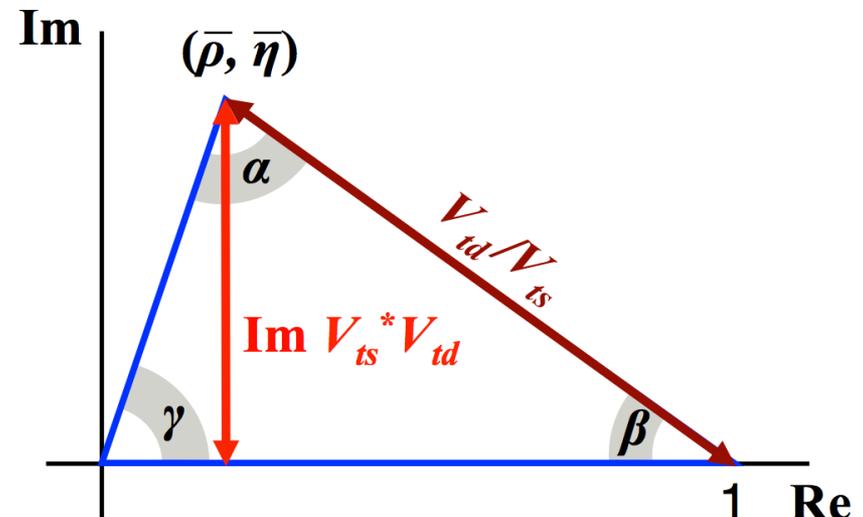
$$\text{Im } V_{ts}^* V_{td} \propto \eta$$

$$B_d \rightarrow J/\psi K_S$$

$$\sin 2\beta$$

$$\frac{\Delta m_{B_d}}{\Delta m_{B_s}} = \frac{B_d - \bar{B}_d}{B_s - \bar{B}_s}$$

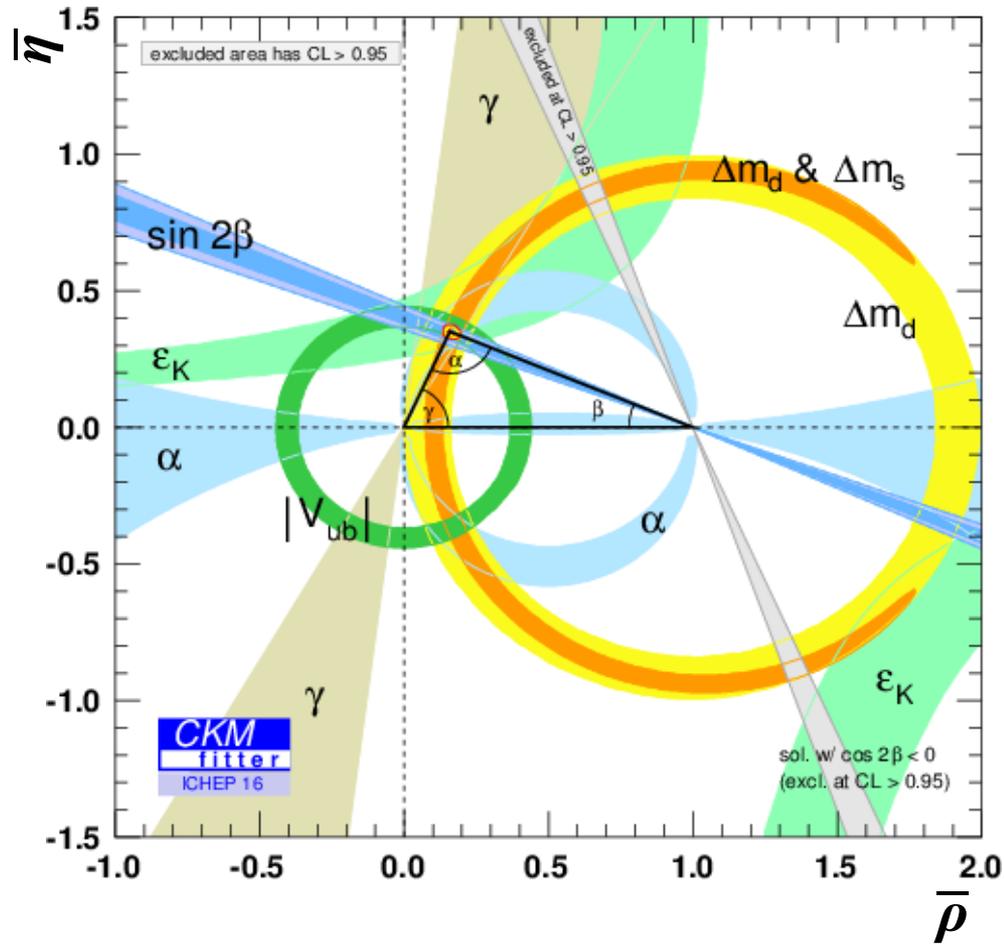
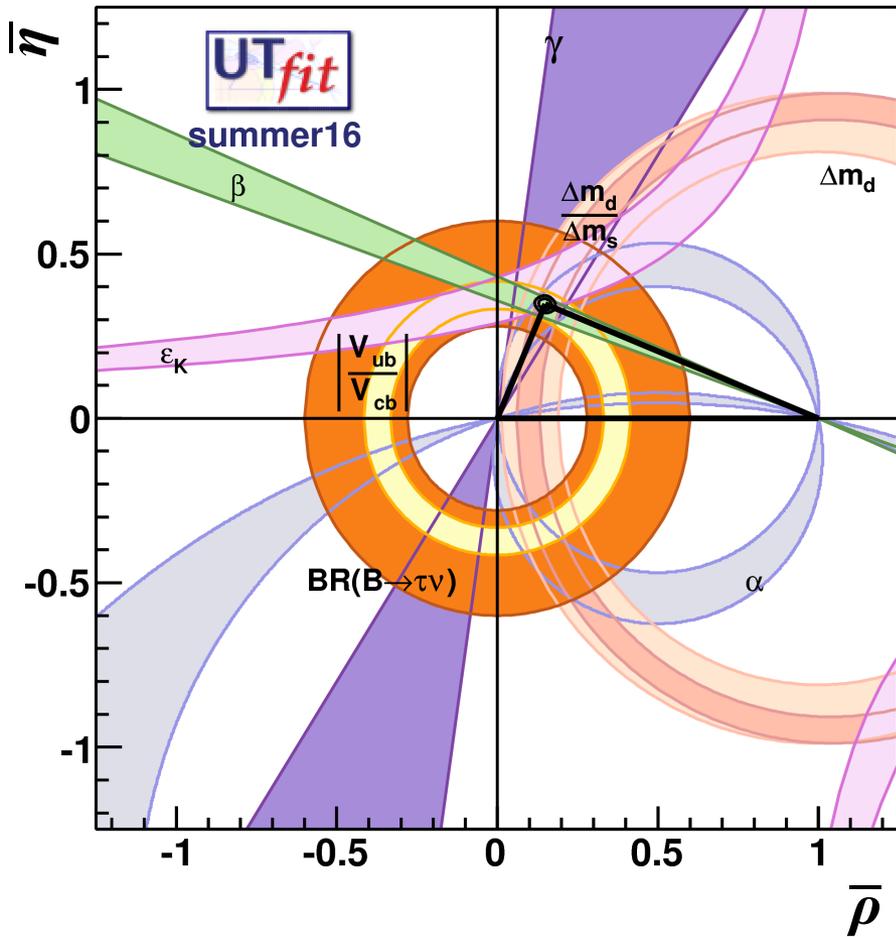
$$|V_{td}/V_{ts}|$$



# Unitarity triangles: state of the art

www.utfit.org - ICHEP '16

ckmfitter.in2p3.fr - ICHEP '16



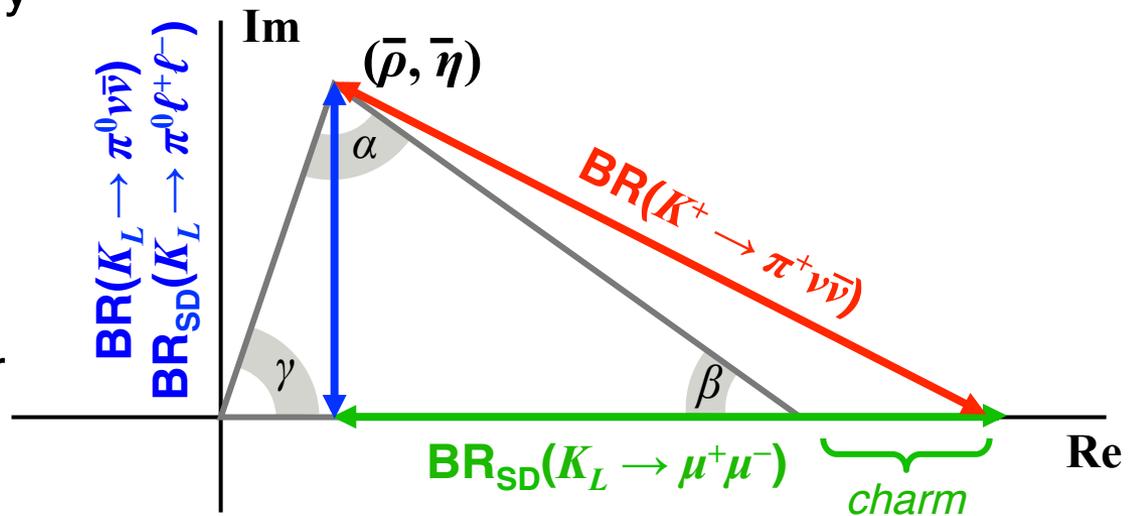
Decay	$\Gamma_{\text{SD}}/\Gamma$	Theory err.*	SM BR $\times 10^{11}$	Exp. BR $\times 10^{11}$
$K_L \rightarrow \mu^+ \mu^-$	10%	30%	$79 \pm 12$ (SD)	$684 \pm 11$
$K_L \rightarrow \pi^0 e^+ e^-$	40%	10%	$35 \pm 10$	$< 28^\dagger$
$K_L \rightarrow \pi^0 \mu^+ \mu^-$	30%	15%	$14 \pm 3$	$< 38^\dagger$
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	90%	4%	$8.4 \pm 1.0$	$17 \pm 11$
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	$> 99\%$	2%	$3.4 \pm 0.6$	$< 2600^\dagger$

\*Approx. error on LD-subtracted rate excluding parametric contributions     $^\dagger 90\%$  CL

FCNC processes dominated by Z-penguin and box diagrams

Rates related to  $V_{\text{CKM}}$  with minimal non-parametric uncertainty

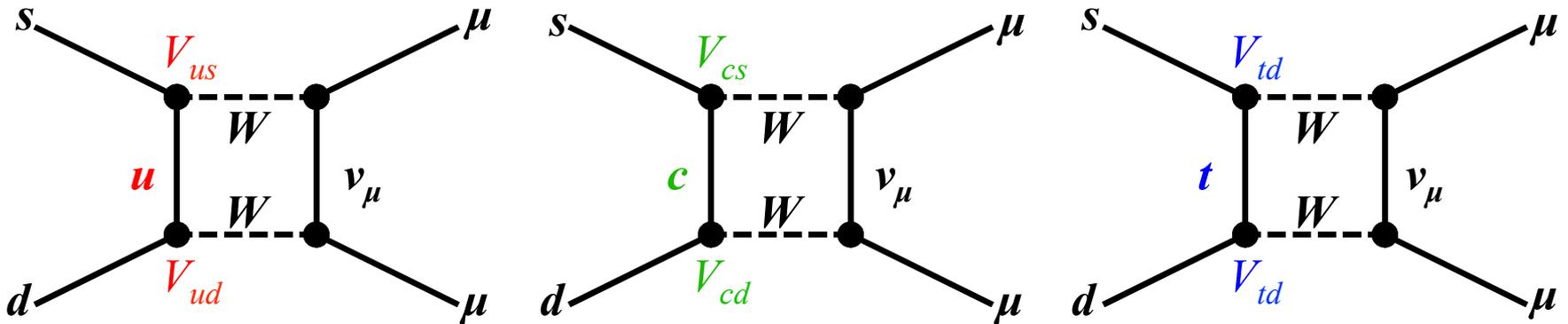
$V_{\text{CKM}}$  overconstrained: look for NP in specific channels



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**Rates for FCNC decays are suppressed by GIM mechanism:**



$$\mathbf{V}^\dagger \mathbf{V} = \mathbf{1} \quad V_{us}^* V_{ud} L(x_u) + V_{cs}^* V_{cd} L(x_c) + V_{ts}^* V_{td} L(x_t) \approx 0$$

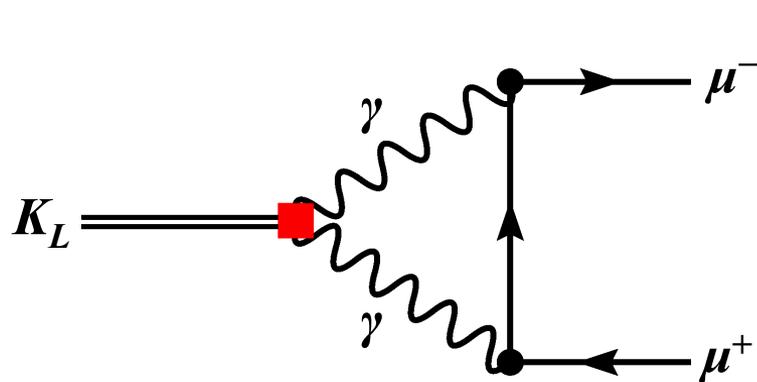
$$x_q = m_q^2 / m_W^2$$

$$L(x_q) \sim x_q \ln x_q \quad (x_q \rightarrow 0)$$

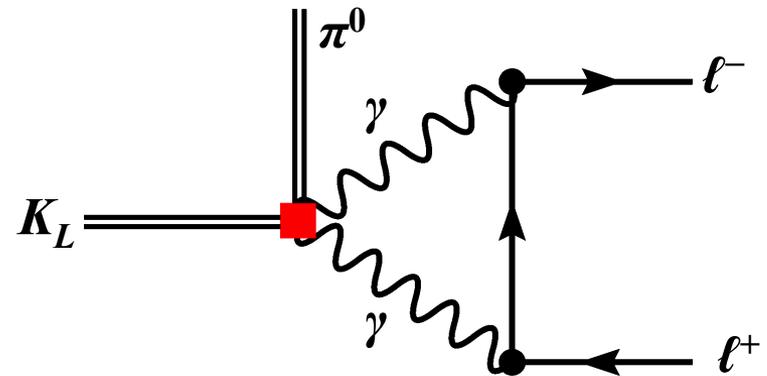
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**No LD contributions from states with intermediate  $\gamma$ s for  $K \rightarrow \pi \nu \bar{\nu}$**

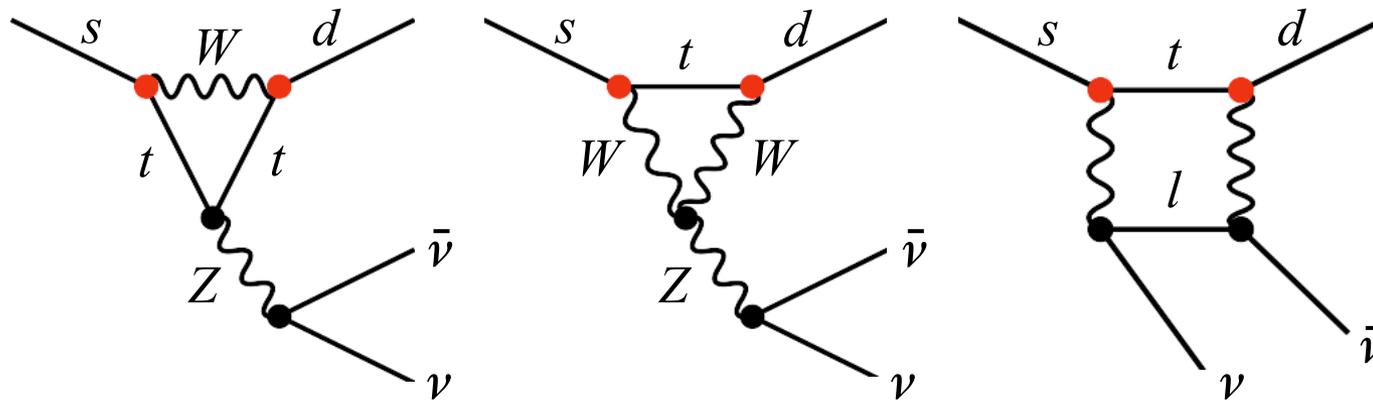


$$K_L \rightarrow \mu^+ \mu^-$$



$$K_L \rightarrow \pi^0 \ell^+ \ell^-$$

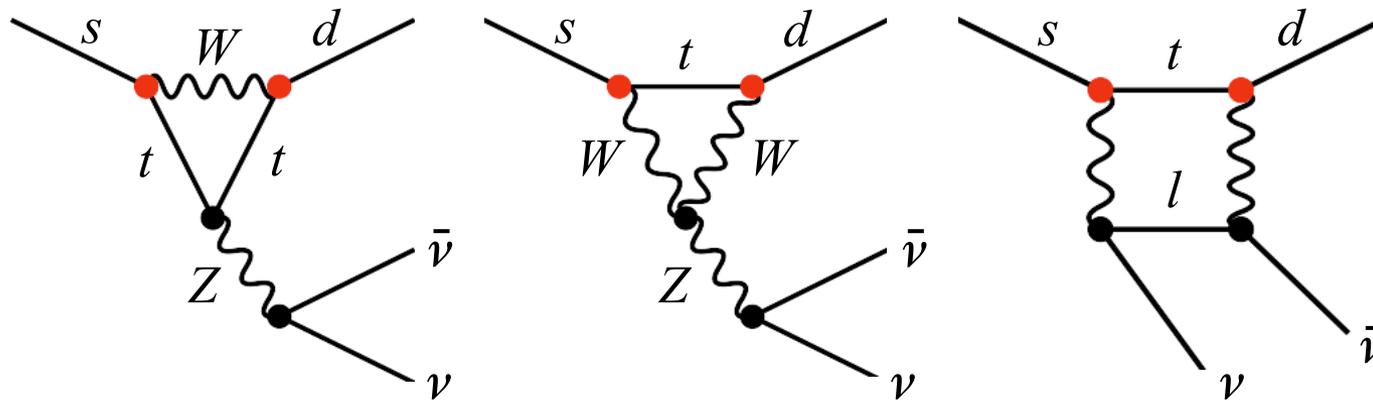
# $K \rightarrow \pi \nu \bar{\nu}$ in the Standard Model



$$\begin{aligned} \lambda &= V_{us} \\ \lambda_c &= V_{cs}^* V_{cd} \\ \lambda_t &= V_{ts}^* V_{td} \\ x_q &\equiv m_q^2 / m_W^2 \end{aligned}$$

$$\begin{aligned} \text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) &= \kappa_+ \left[ \left( \frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 + \left( \frac{\text{Re} \lambda_t}{\lambda^5} X(x_t) + \frac{\text{Re} \lambda_c}{\lambda} P_c(X) \right)^2 \right] \\ \text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) &= \kappa_L \left( \frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 \end{aligned}$$

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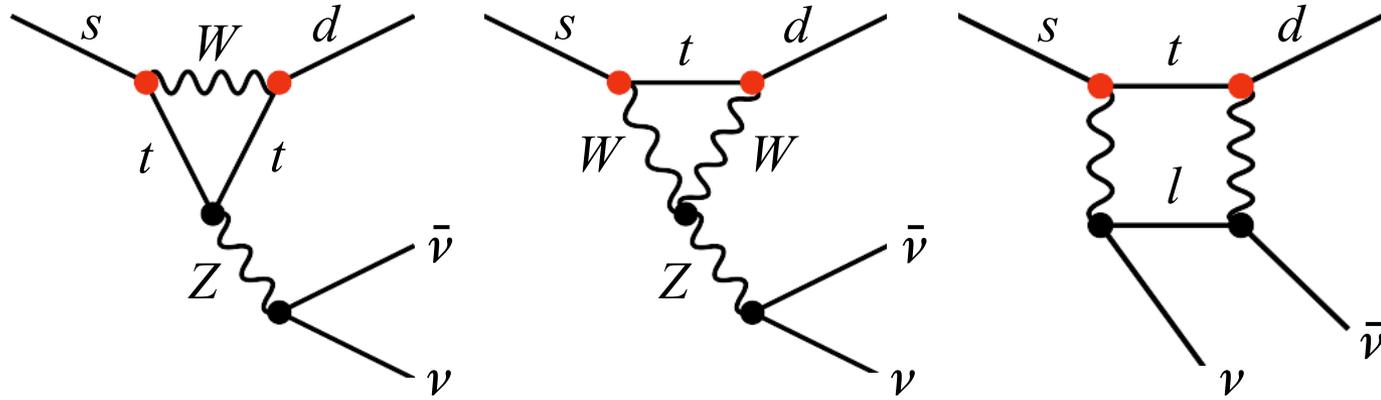


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Loop functions favor top contribution

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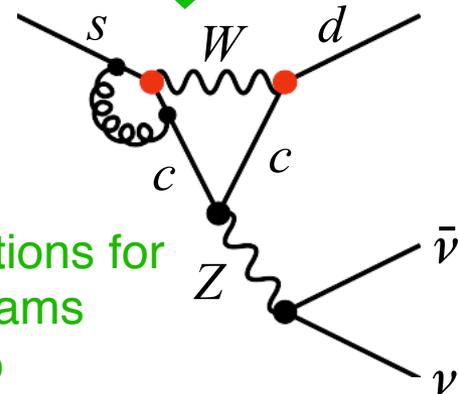
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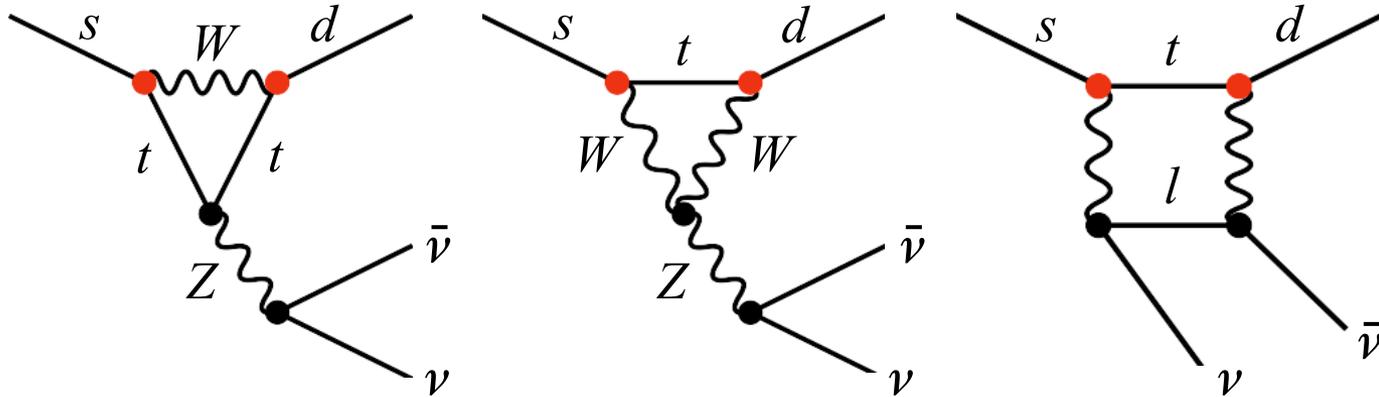
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QCD corrections for charm diagrams contribute to uncertainty

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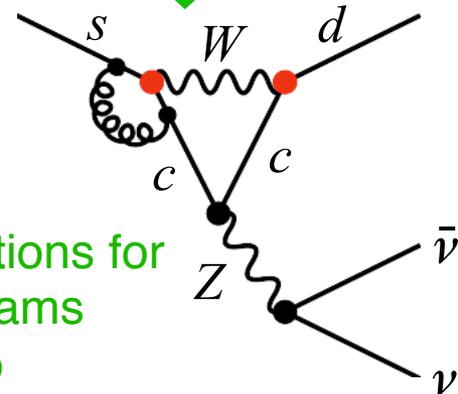
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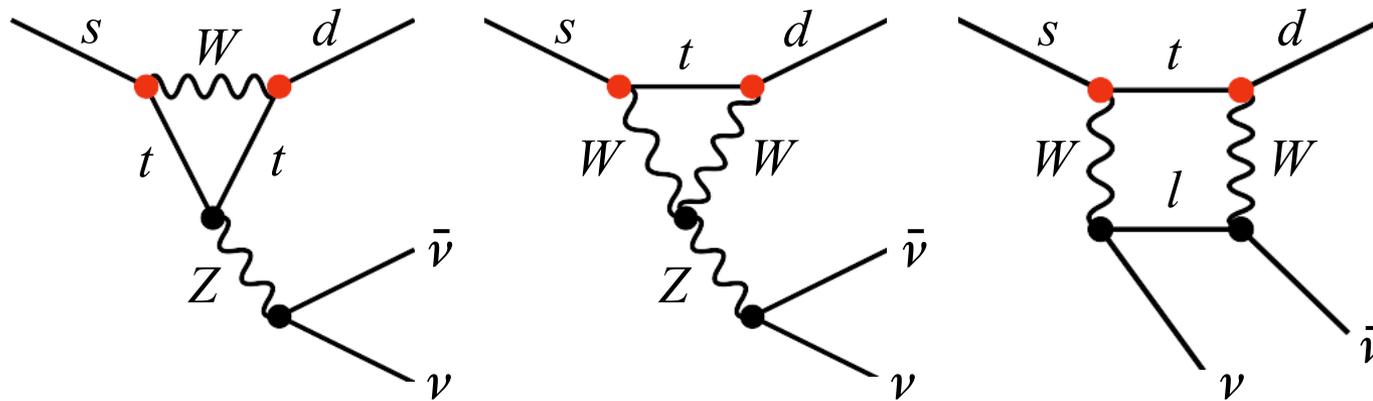
$$\kappa_+ = r_{K^+} \frac{3\alpha^2 \text{BR}(K^+ \rightarrow \pi^0 e^+ \nu)}{2\pi^2 \sin^4 \theta_W} \lambda^8$$

Hadronic matrix element obtained from  $\text{BR}(K_{e3})$  via isospin rotation

QCD corrections for charm diagrams contribute to uncertainty



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## Grossman-Nir limit on $\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu})$ :

$$\frac{\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu})}{\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu})} \times \frac{\tau_+}{\tau_L} \leq 1$$

Current experimental value

Brookhaven E787/949 '09 – Stopped  $K^+$

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) = (17.3^{+11.5}_{-10.5}) \times 10^{-11}$$

$$\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) \leq 1.4 \times 10^{-9}$$

# BR( $K \rightarrow \pi \nu \bar{\nu}$ ) and the CKM matrix

Uncertainty on SM predictions for  $K \rightarrow \pi \nu \bar{\nu}$  BRs mostly from  $V_{CKM}$

$$\text{BR}_{\text{SM}}(K_L \rightarrow \pi^0 \nu \bar{\nu}) \times 10^{11}$$

$$3.36 \pm 0.59_{\text{par}} \pm 0.05_{\text{th}}$$

$V_{ub}$	0.50	15%
$\gamma$	0.24	7%
$V_{cb}$	0.24	7%
$X_t + \text{other}$	0.05	1.5%

$$\text{BR}_{\text{SM}}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) \times 10^{11}$$

$$8.39 \pm 0.95_{\text{par}} \pm 0.30_{\text{th}}$$

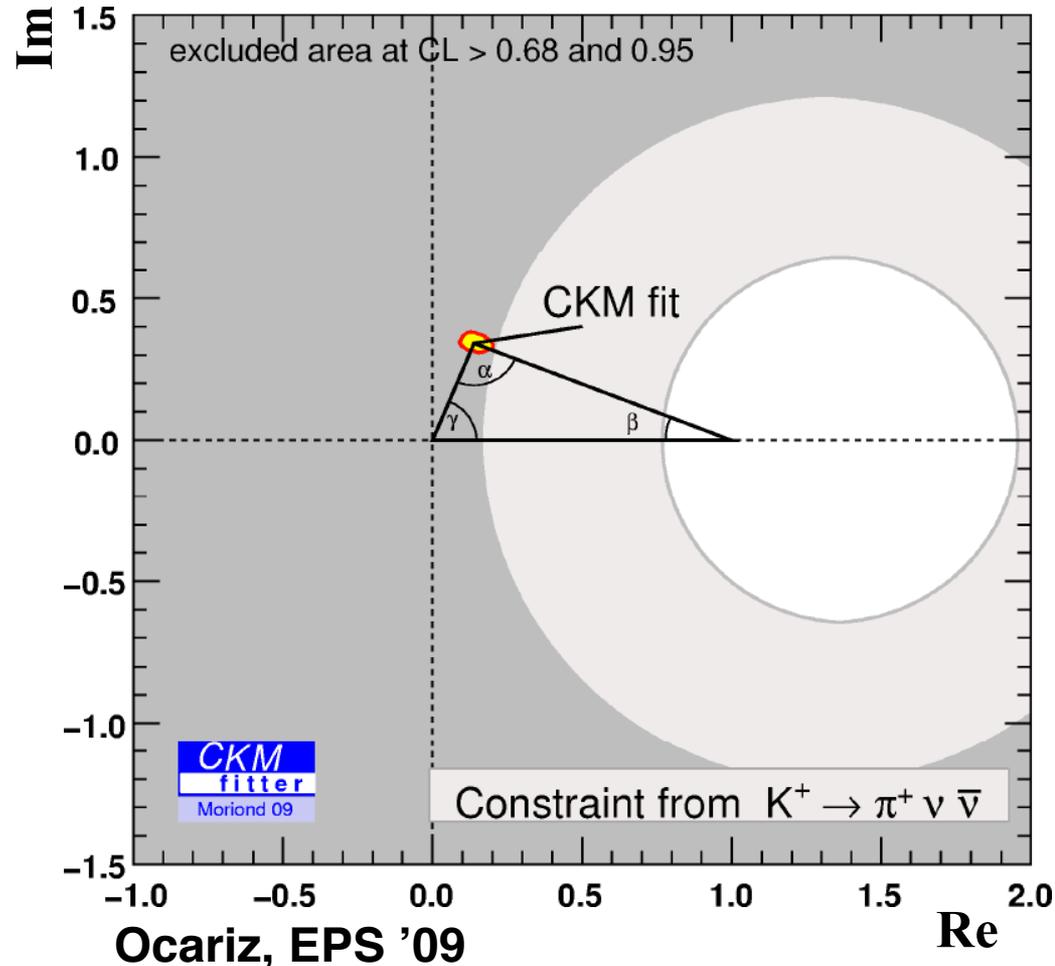
$V_{cb}$	0.83	10%
$\gamma$	0.56	7%
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CKM constraints from:

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Buras, et al. JHEP 1511

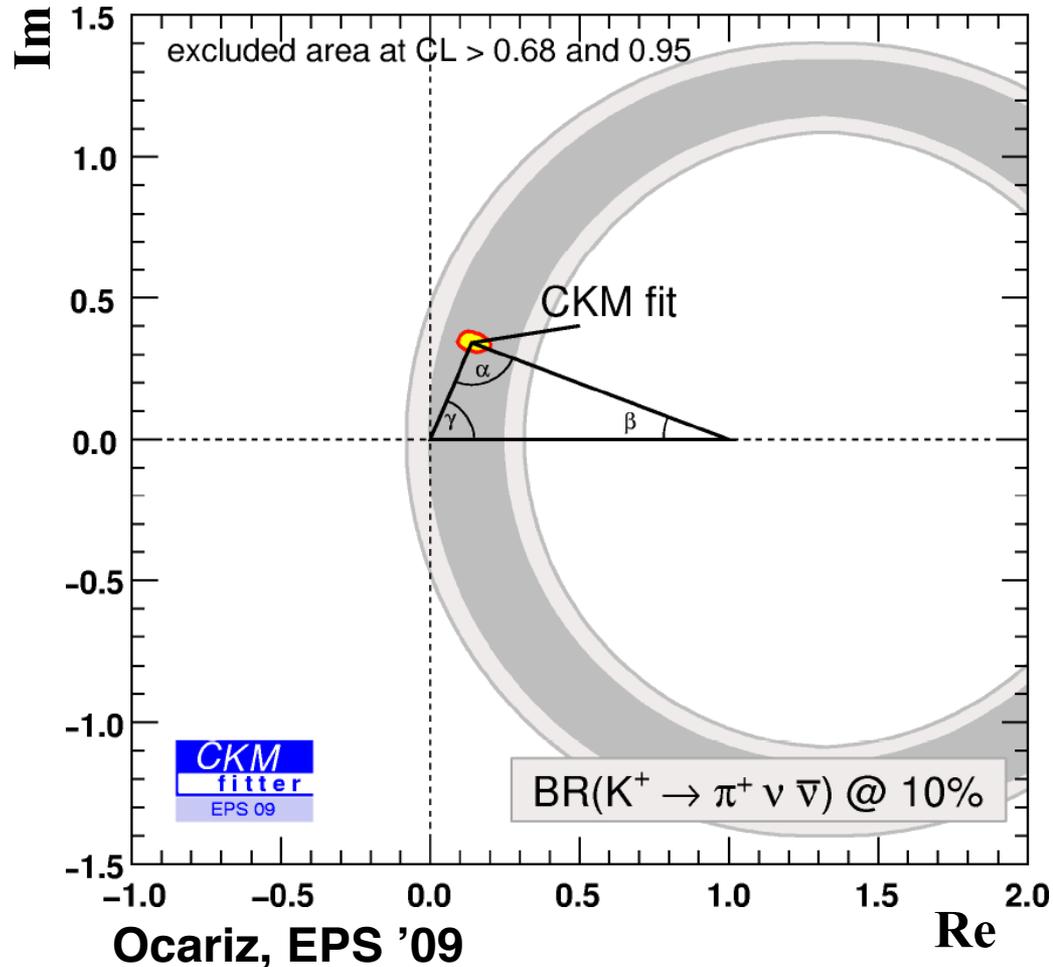
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**CKM constraints from:**  
**Hypothetical BR( $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ ) to  $\pm 10\%$**

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Buras, et al. JHEP 1511

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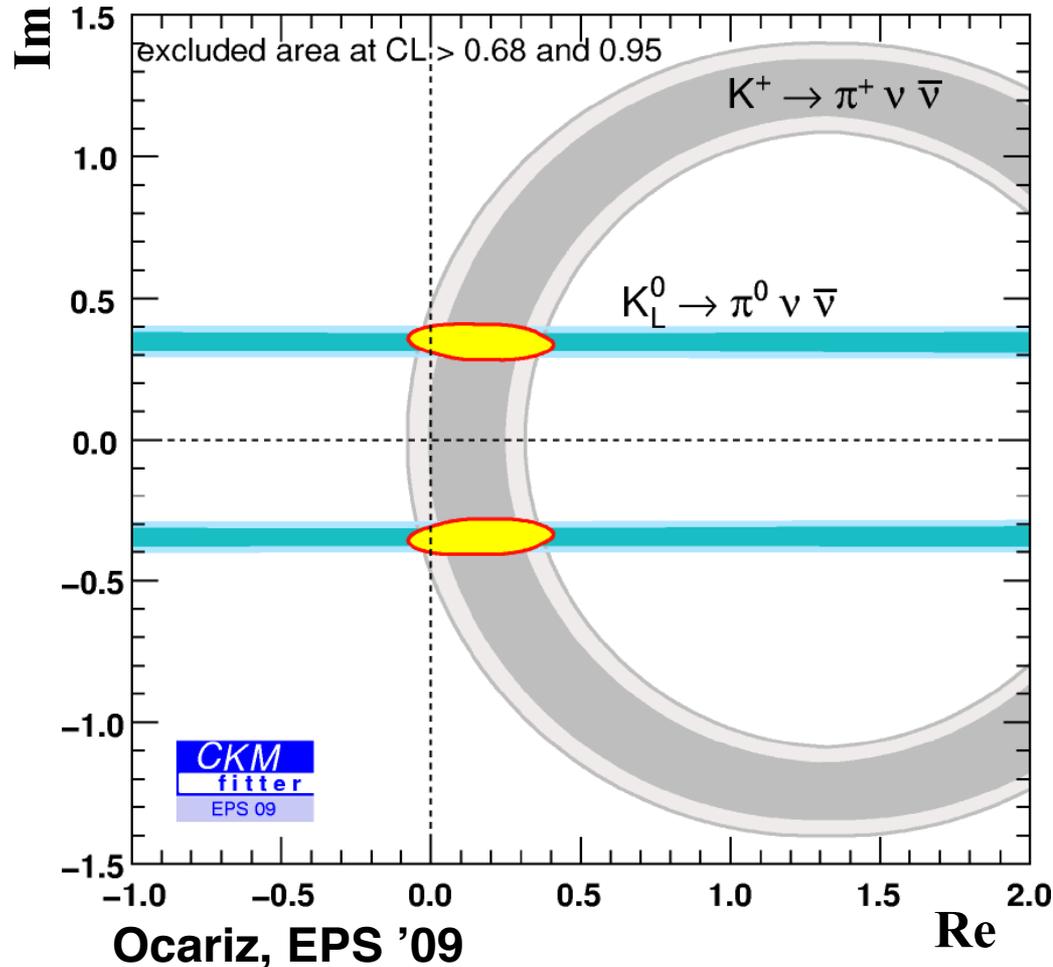
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**CKM constraints from:**

Hypothetical BR( $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ ) to  $\pm 10\%$

**Hypothetical BR( $K_L \rightarrow \pi^0 \nu \bar{\nu}$ ) to  $\pm 15\%$**



**Buras, et al. JHEP 1511**

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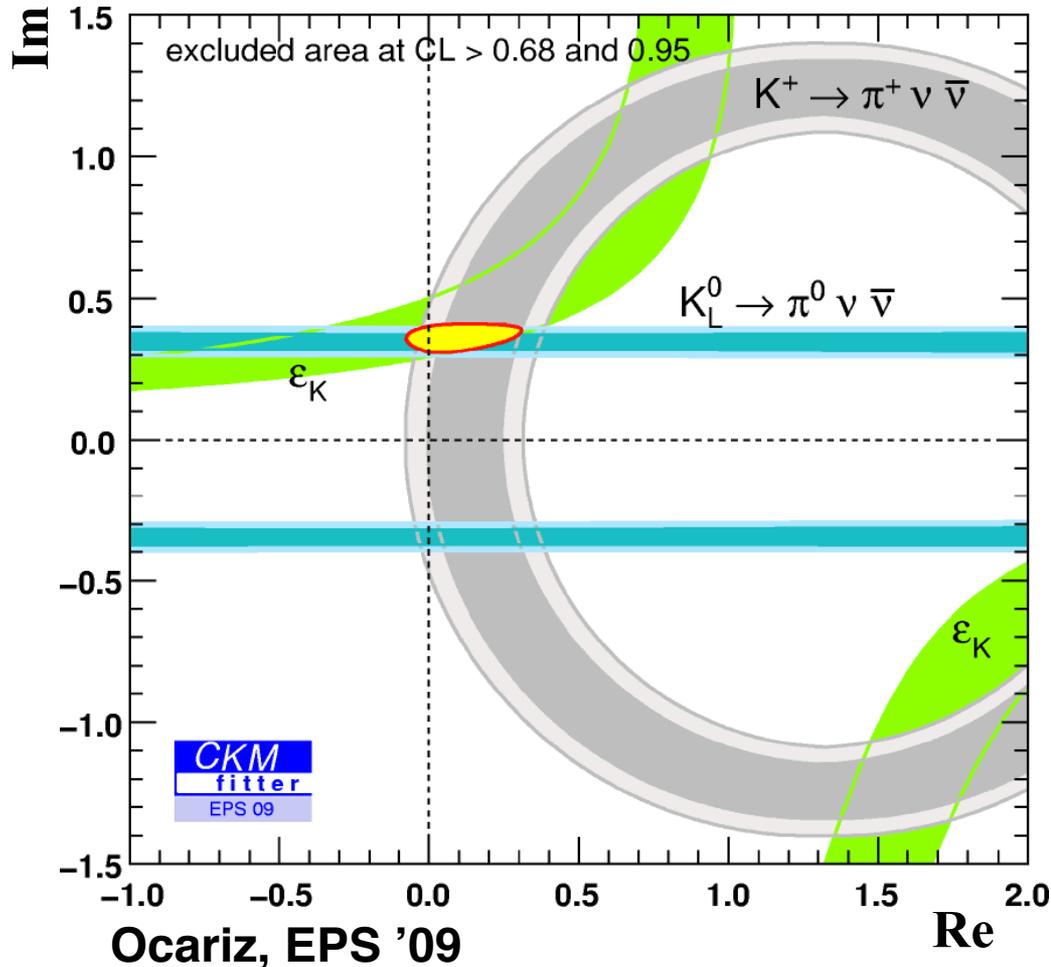
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Hypothetical BR( $K_L \rightarrow \pi^0\nu\bar{\nu}$ ) to  $\pm 15\%$

## Current $\epsilon_K$ to resolve ambiguities

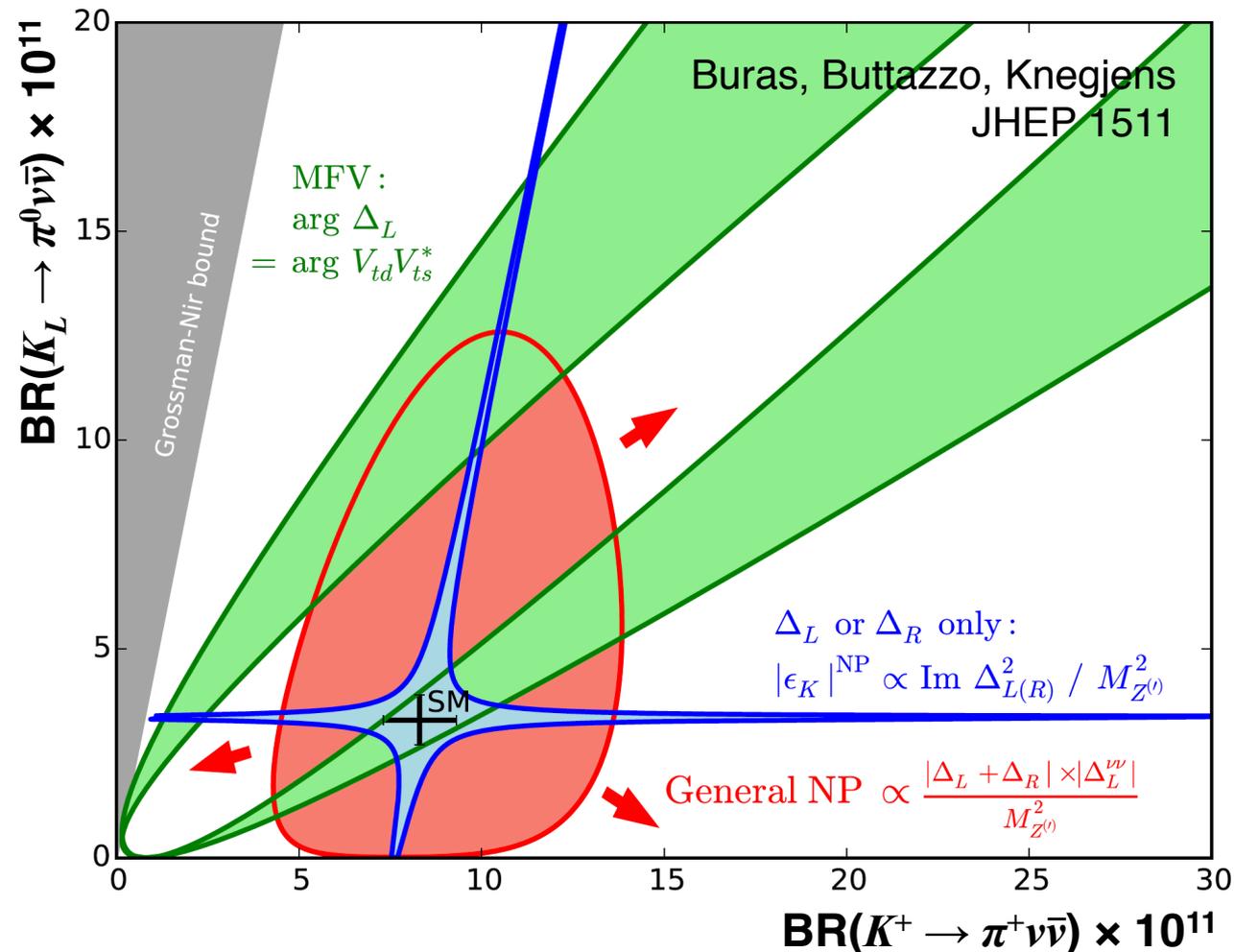


Buras, et al. JHEP 1511

# $K \rightarrow \pi \nu \bar{\nu}$ and new physics

New physics affects BRs differently for  $K^+$  and  $K_L$  channels

Measurements of both can discriminate among NP scenarios



- Models with CKM-like flavor structure
  - Models with MFV
- Models with new flavor-violating interactions in which either LH or RH couplings dominate
  - $Z/Z'$  models with pure LH/RH couplings
  - Littlest Higgs with  $T$  parity
- Models without above constraints
  - Randall-Sundrum

# $K \rightarrow \pi\nu\bar{\nu}$ and new physics

General agreement of flavor observables with SM  $\rightarrow$  invocation of MFV

- Long before recent flavor results from LHC

But NP may simply occur at a higher mass scale

- Null results from direct searches at LHC so far

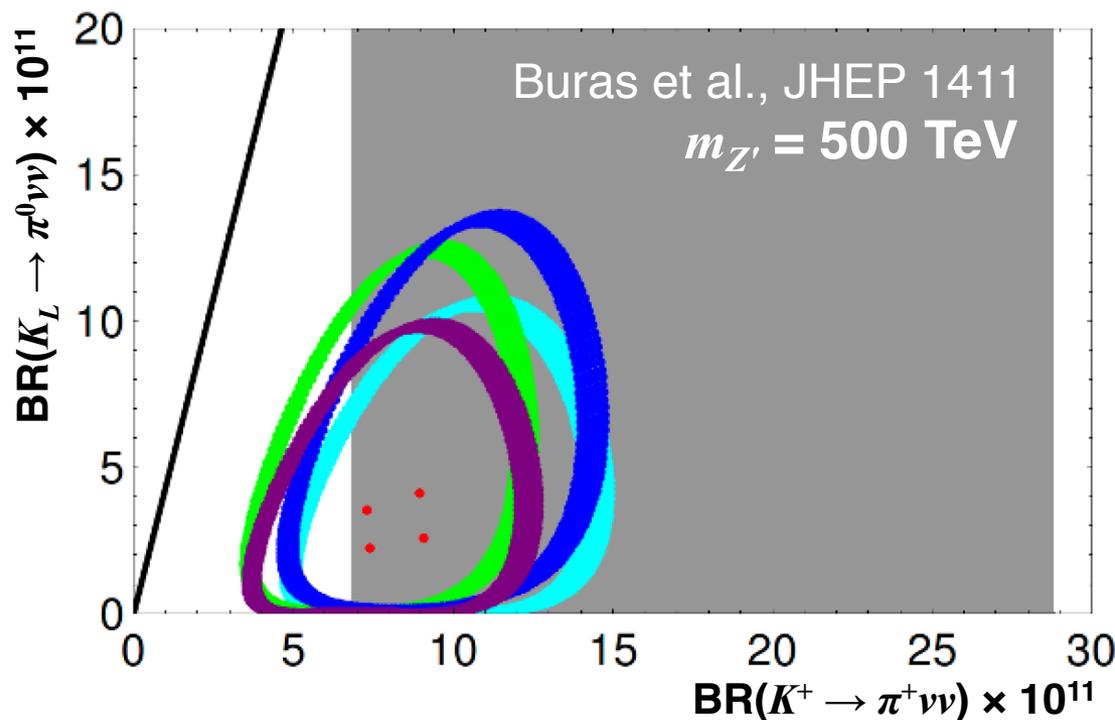
Indirect probes to explore high mass scales become very interesting!

$K \rightarrow \pi\nu\bar{\nu}$  is uniquely sensitive to high mass scales

Tree-level flavor changing  $Z'$

LH+RH couplings

- Some fine-tuning around constraint from  $\varepsilon_K$
- $K \rightarrow \pi\nu\bar{\nu}$  sensitive to mass scales up to 2000 TeV
  - Up to tens of TeV even if LH couplings only
- Order of magnitude higher than for  $B$  decays



# $K \rightarrow \pi\nu\bar{\nu}$ and other kaon observables **KLEVER**



## What about constraints from $\text{Re } \varepsilon'/\varepsilon$ , $\varepsilon_K$ , $\Delta m_K$ , $K_L \rightarrow \mu\mu$ ?

Particular interest in constraints from  $\text{Re } \varepsilon'/\varepsilon$

- 2015 result demonstrates  $\text{Re } \varepsilon'/\varepsilon$  is accessible to lattice QCD
- Lattice QCD value  $2.1\sigma$  lower than experimental value

**PDG average: NA48 + KTeV**

$$\text{Re } \varepsilon'/\varepsilon = (16.6 \pm 2.3) \times 10^{-4}$$

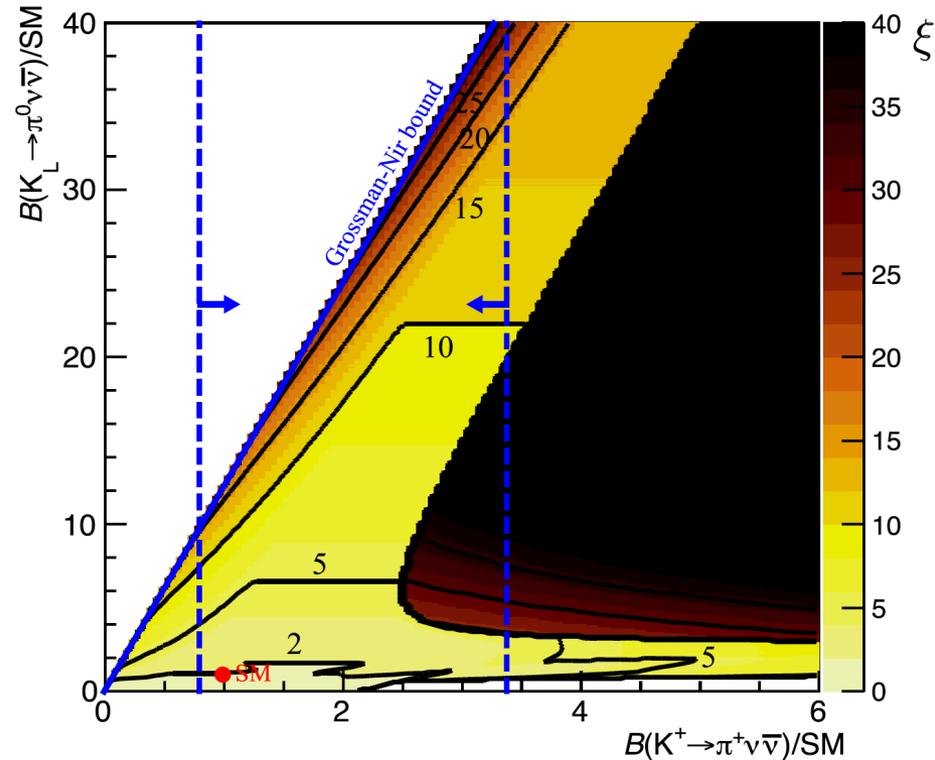
**RBC/UKQCD PRL115 (2015)**

$$\text{Re } \varepsilon'/\varepsilon = 1.38(5.15_{\text{st}})(4.59_{\text{sy}}) \times 10^{-4}$$

## Endo et al. PLB771 (2017)

General  $Z$  scenario with modified couplings,  $\Lambda = 1$  TeV

- Because of interference between SM and NP amplitudes, if all constraints satisfied including “discrepancy” in  $\text{Re } \varepsilon'/\varepsilon$ :  
 $\text{BR}(K \rightarrow \pi\nu\nu) \sim 0.5 \text{ SM BR}$
- Particularly in simplified scenarios: LH, RH, LRS
- With moderate tuning (cancellation of interference terms to 10%), large values for  $\text{BR}(K \rightarrow \pi\nu\nu)$  are possible



# $K \rightarrow \pi \nu \bar{\nu}$ and other flavor observables **KLEVER**

**New ideas relating  $K \rightarrow \pi \nu \bar{\nu}$  to  $B$ -sector LFU anomalies:**

$R_K, P_5'$ :  $\mu/e$  LFU in  $B \rightarrow K \ell \ell, B \rightarrow K^* \ell \ell$

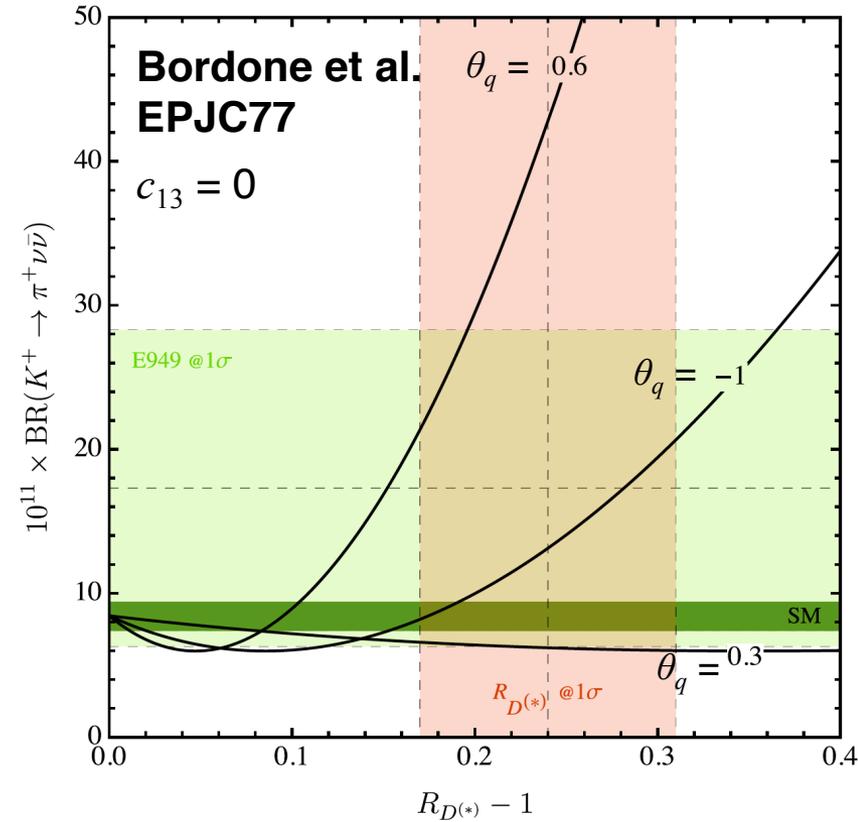
$R_{D^{(*)}}$ :  $\tau/(\mu, e)$  LFU in  $B \rightarrow D^{(*)} \ell \nu$

Coherent explanation from NP coupled predominantly to 3<sup>rd</sup> generation LH quarks and leptons, e.g., mediated by vector leptoquark

- Di Luzio et al. PRD 96 (2017)
- Buttazzo et al. JHEP 1711

EFT studies suggest large effect for  $K \rightarrow \pi \nu \bar{\nu}$

- Bordone et al. EPJC77 (2017)



$$\mathcal{B}(B \rightarrow D^{(*)} \tau \bar{\nu}) = \mathcal{B}(B \rightarrow D^{(*)} \tau \bar{\nu})_{\text{SM}} \left| 1 + R_0 \left( 1 - \theta_q e^{-i\phi_q} \right) \right|^2$$

$$R_0 = \frac{1}{\Lambda^2} \frac{1}{\sqrt{2} G_F}$$

$$\mathcal{B}(K_L \rightarrow \pi^0 \nu \bar{\nu}) = 2\mathcal{B}(K_L \rightarrow \pi^0 \nu_e \bar{\nu}_e)_{\text{SM}} + \mathcal{B}(K_L \rightarrow \pi^0 \nu_\tau \bar{\nu}_\tau)_{\text{SM}} \left| 1 - \frac{R_0 \theta_q^2 (1 - c_{13})}{(\alpha/\pi)(X_t/s_W^2)} \right|^2$$

# The NA62 experiment at the CERN SPS



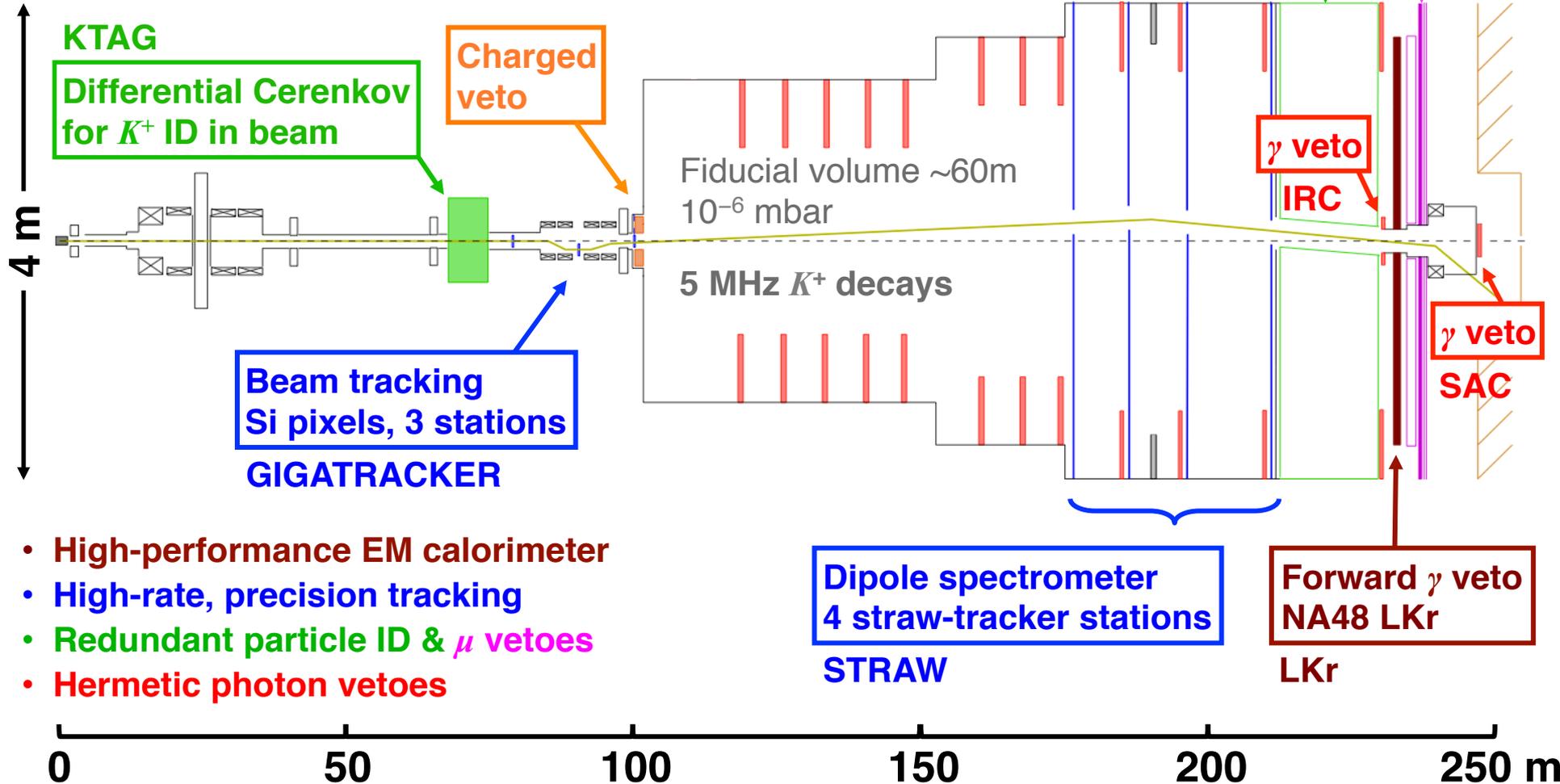
# The NA62 experiment at the SPS



400 GeV primary  $p$  from SPS

75 GeV positive secondary beam

- 750 MHz total rate
- 45 MHz  $K^+$  in beam



- High-performance EM calorimeter
- High-rate, precision tracking
- Redundant particle ID &  $\mu$  vetoes
- Hermetic photon vetoes

---

<b>2014-2015</b>	Pilot/commissioning runs
<b>2016</b>	Commissioning + 1 <sup>st</sup> physics run SM sensitivity reached: $BR \sim O(10^{-10})$
<b>2017</b>	Physics run Will improve on current knowledge of $BR(K^+ \rightarrow \pi^+ \nu \nu)$
<b>2018</b>	30 weeks of data taking expected
<b>2019-2020</b>	LS2 (Long Shutdown 2)

---

- **Assuming running is as smooth as in 2017, by the end of 2018 NA62 will reach a sensitivity of 20-30 SM  $K^+ \rightarrow \pi^+ \nu \nu$  events**
- Results from full 2016 data set will be presented in spring 2018
- Processing of 2017 data in progress

# Fixed target runs at the SPS

- 2021 (Run 3):**
- Continue data taking for  $K^+ \rightarrow \pi^+ \nu \nu$   
O(100) SM events – measure BR to 10%
  - Searches for hidden particles in beam-dump mode  
Dark photons, ALPs, heavy neutrinos, scalars...



**2026 (Run 4): Turn focus to measurement of  $BR(K_L \rightarrow \pi^0 \nu \nu) \rightarrow KLEVER$**



F. Bordry, presentation to HEPAP, Dec 2015

# $K_L \rightarrow \pi^0 \nu \bar{\nu}$ : Experimental issues

**Essential signature: 2 $\gamma$  with unbalanced  $p_{\perp}$  + nothing else!**

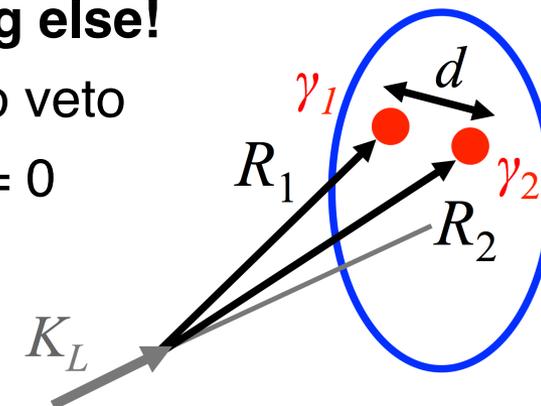
All other  $K_L$  decays have  $\geq 2$  extra  $\gamma$ s or  $\geq 2$  tracks to veto

Exception:  $K_L \rightarrow \gamma\gamma$ , but not a big problem since  $p_{\perp} = 0$

$K_L$  momentum generally is not known

$M(\gamma\gamma) = m(\pi^0)$  is the only sharp kinematic constraint

Generally used to reconstruct vertex position



$$m_{\pi^0}^2 = 2E_1 E_2 (1 - \cos \theta)$$

$$R_1 \approx R_2 \equiv R = \frac{d\sqrt{E_1 E_2}}{m_{\pi^0}}$$

**Main backgrounds:**

Mode	BR	Methods to suppress/reject
$K_L \rightarrow \pi^0 \pi^0$	$8.64 \times 10^{-4}$	$\gamma$ vetoes, $\pi^0$ vertex, $p_{\perp}$
$K_L \rightarrow \pi^0 \pi^0 \pi^0$	19.52%	$\gamma$ vetoes, $\pi^0$ vertex, $p_{\perp}$
$K_L \rightarrow \pi e \nu(\gamma)$	40.55%	Charged particle vetoes, $\pi$ ID, $\gamma$ vetoes
$\Lambda \rightarrow \pi^0 n$		Beamline length, $p_{\perp}$
$n + \text{gas} \rightarrow X \pi^0$		High vacuum decay region

# $K_L \rightarrow \pi^0 \nu \bar{\nu}$ at J-PARC



## KOTO

Primary beam: 30 GeV  $p$

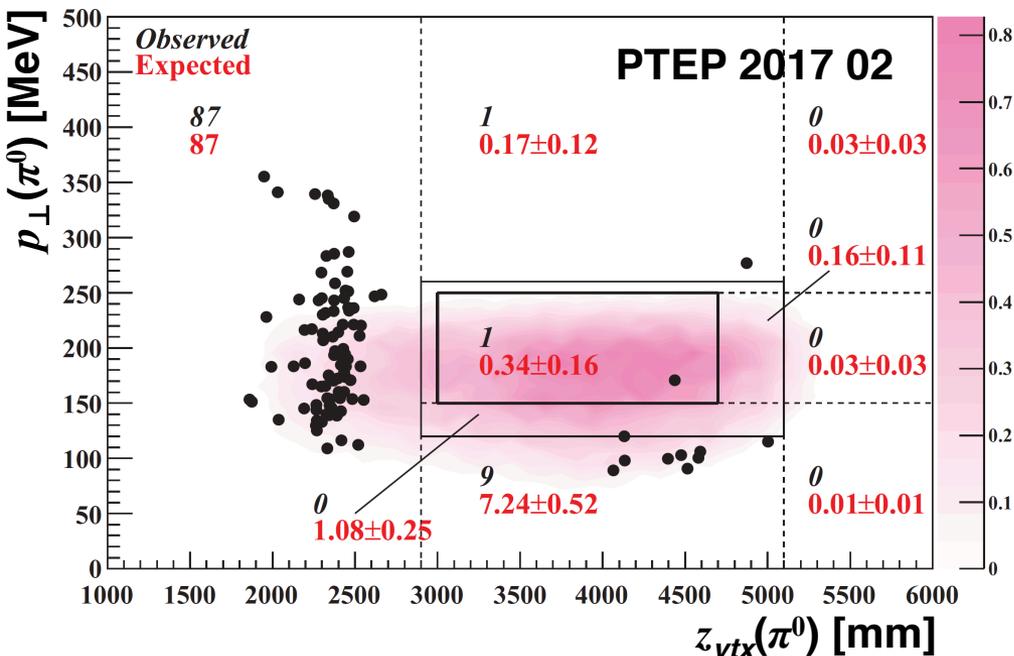
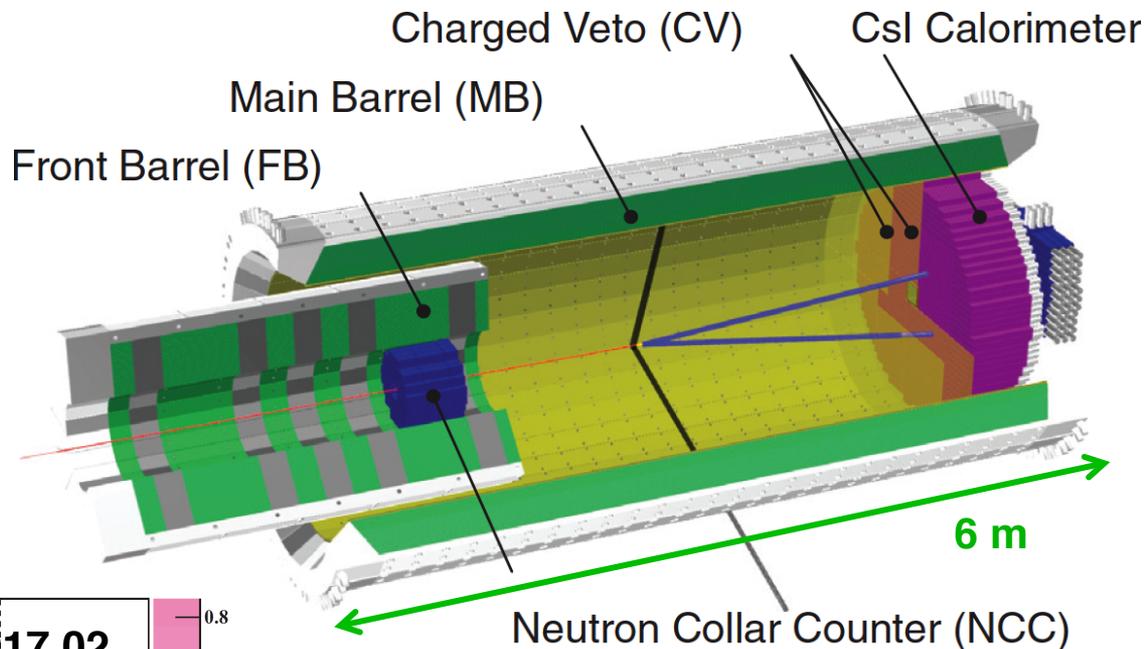
100 kW =  $1.2 \times 10^{14}$  p/6 s

Neutral beam ( $16^\circ$ )

$\langle p(K_L) \rangle = 2.1$  GeV

50% of  $K_L$  have 0.7-2.4 GeV

8  $\mu$ sr "pencil" beam



Based on KEK-391a:

Current experimental value

$$\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) \leq 2.6 \times 10^{-8} \text{ (90\%CL)}$$

100-hour KOTO pilot run in 2013:

$$\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) \leq 5.1 \times 10^{-8} \text{ (90\%CL)}$$

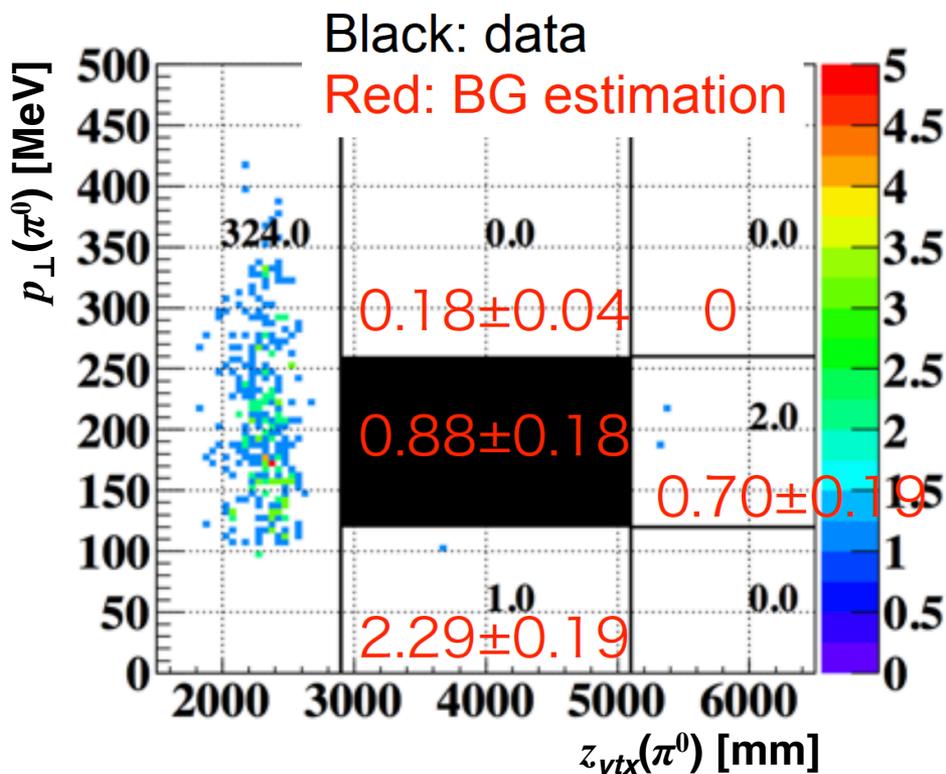
Taking data since 2015

# $K_L \rightarrow \pi^0 \nu \bar{\nu}$ at J-PARC

J-PARC PAC, Jan 2017

## Current status:

- Reached **44 kW** of slow-extracted beam power in 2017
- Preliminary results, all 2015 data:
  - SES =  $1.2 \times 10^{-9}$**
  - Expected bkg =  $0.9 \pm 0.2$  events**
  - Signal box not yet unblinded**
  - Bkg estimate still under study
- With all 2015-2017 data, expected sensitivity below Grossman-Nir limit
- In 2018 beam power will increase to **50 kW**
- Continuing program of upgrades to reduce background:
  - New barrel veto (2016), both-end readout for CsI crystals (2018)
- Expect to reach SM sensitivity by 2021**

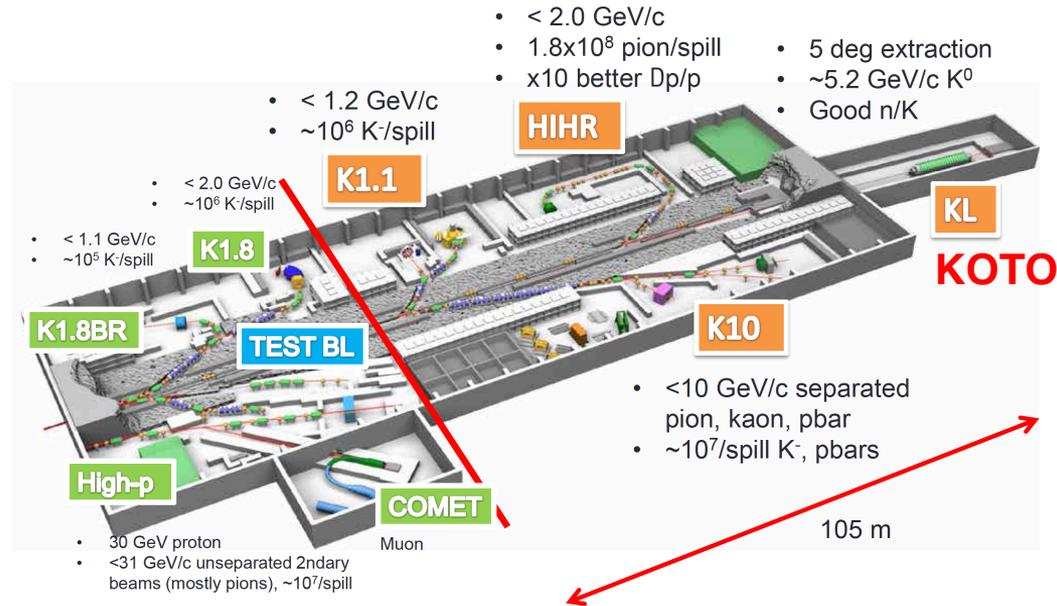


# $K_L \rightarrow \pi^0 \nu \bar{\nu}$ at J-PARC



## KOTO Step-2 upgrade:

- Increase beam power to >100 kW
- New neutral beamline at 5°  
 $\langle p(K_L) \rangle = 5.2 \text{ GeV}$
- Increase FV from 2 m to 11 m  
Complete rebuild of detector
- Requires extension of hadron hall



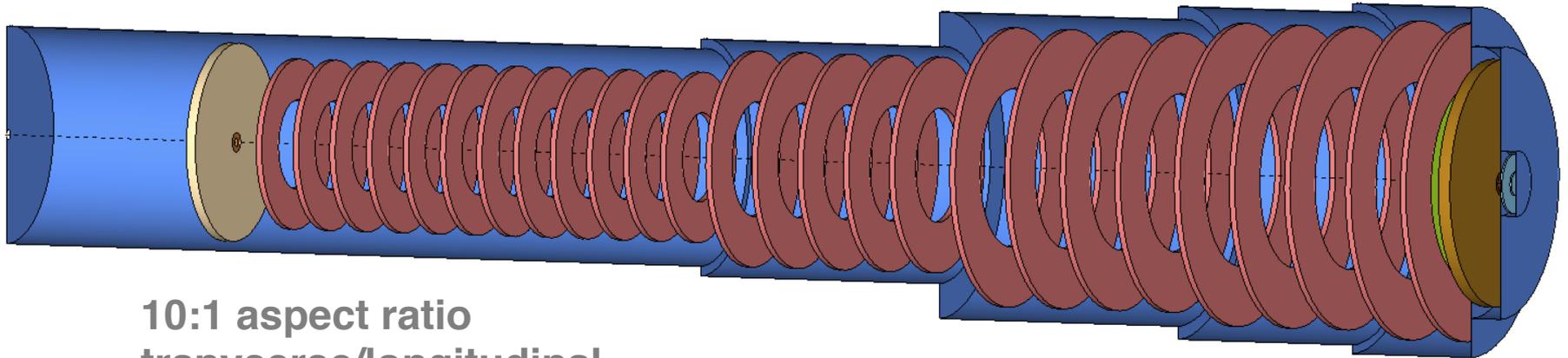
## Strong intention to upgrade to O(100) event sensitivity over long term:

- No official Step 2 proposal yet (plan outlined in 2006 KOTO proposal)
- Scaling from 2006 estimates:  **$\sim 10 \text{ SM evts/yr per } 100 \text{ kW beam power}$**
- Exploring possibilities for machine & detector upgrades to further increase sensitivity
- Indicative timescale: data taking starting 2025?

# A $K_L \rightarrow \pi^0 \nu \nu$ experiment at the SPS?

## ***K<sub>L</sub>EVER***

$K_L$  Experiment for VErY Rare events



10:1 aspect ratio  
transverse/longitudinal

### Interesting features:

- High-energy experiment: Complementary approach to KOTO
- Photons from  $K_L$  decays boosted forward
  - Makes photon vetoing easier - veto coverage only out to 100 mrad
- Roughly same vacuum tank layout and fiducial volume as NA62
- Possible to re-use LKr calorimeter, NA62 experimental infrastructure?

# Required intensity for $K_L \rightarrow \pi^0 \nu \bar{\nu}$

Assumptions:

- $\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) = 3.4 \times 10^{-11}$
- Acceptance for decays occurring in FV  $\sim 10\%$

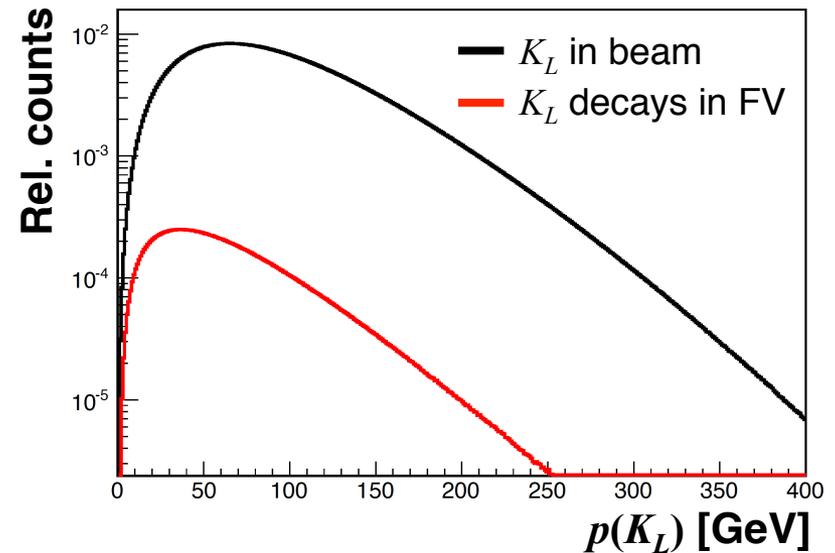
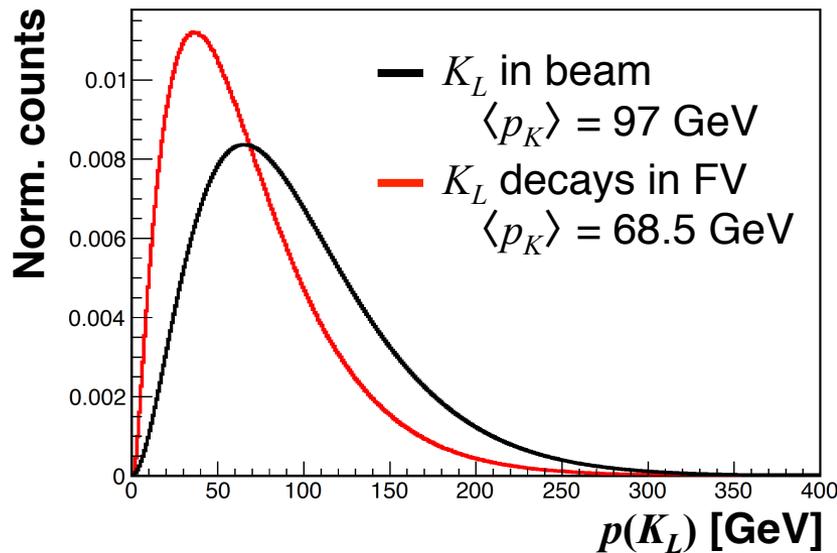
$3 \times 10^{13} K_L$  decay in FV  
for 100 signal evts

Beam parameters:

- **400 GeV  $p$  on 400 mm Be target**
- Production at **2.4 mrad** to optimize  $(K_L \text{ in FV})/n$

$2.8 \times 10^{-5} K_L$  in beam/pot

Probability for decay inside FV  $\sim 2\%$



**Required total proton flux =  $5 \times 10^{19}$  pot** [  **$10^{19}$  pot/year (= 100 eff. days)**  
**E.g.:  $2 \times 10^{13}$  ppp/16.8 s**

# Feasibility of intensity upgrade

**$2 \times 10^{13}$  p/16.8 s = 6× increase in intensity relative to NA62**

Tight neutral beam collimation

Longer  $K_L$  lifetime ( $\tau_L/\tau_+ \sim 5$ )

**Max. intensity from SPS to North Area (TT20):  $4 \times 10^{13}$  ppp**

Must be divided among users: T2 + T4 + T6

**$2 \times 10^{13}$  ppp not currently available on North Area targets**

Target area and transfer lines will require upgrades

- Minimization of consequences of beam loss
- Additional shielding against continuous small losses
- Study issues of equipment survival, e.g., TAX motors
- Ventilation, zone segmentation, etc.

**Detailed solutions and meaningful cost estimates are under study by the CERN Accelerator & Technology Sector**

We are collaborating through the Physics Beyond Colliders Conventional Beam Working Group to better define available intensity & related issues

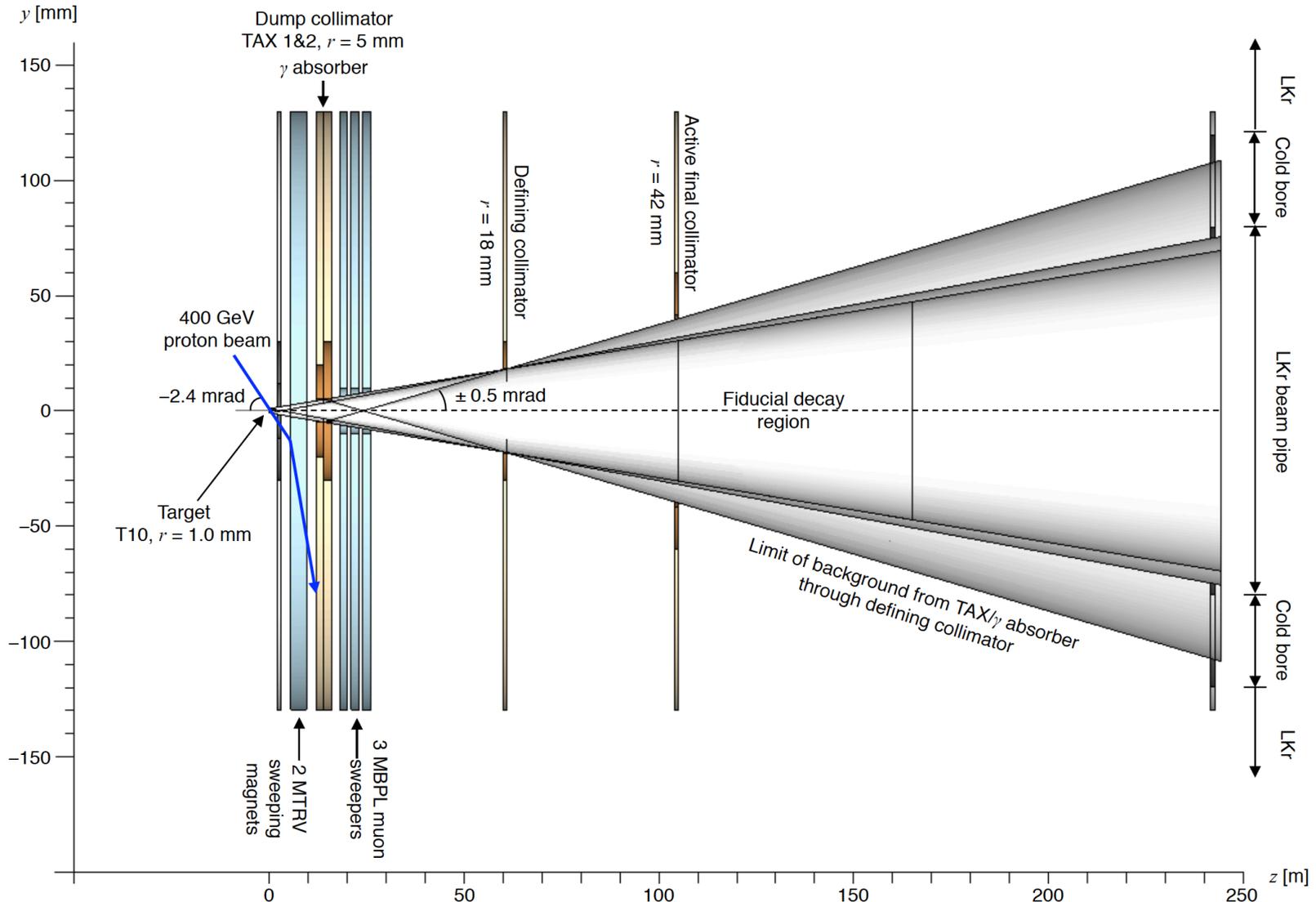
# Neutral beamline layout (2.4 mrad)

400-mm Be rod target,  $r = 1$  mm

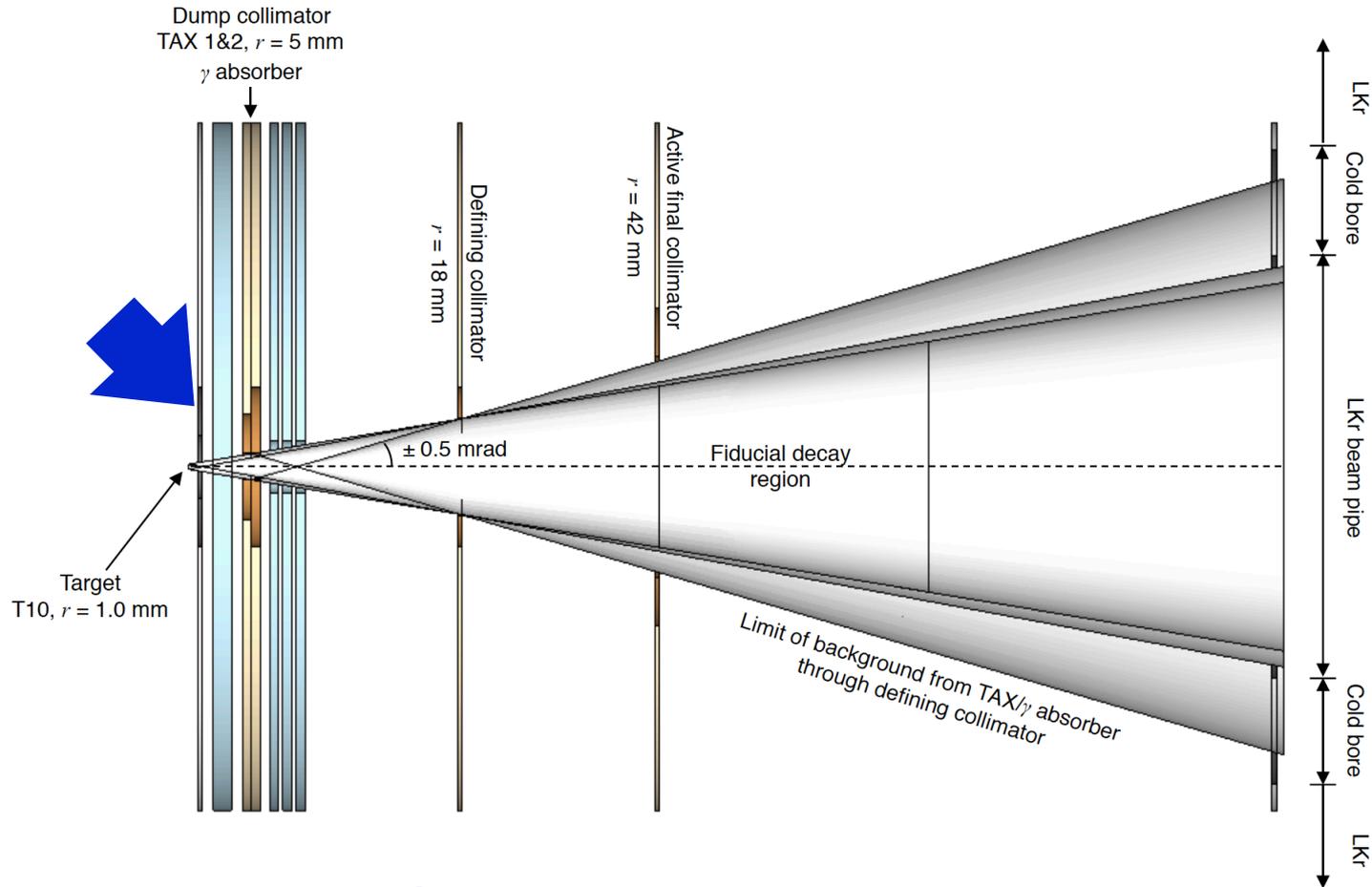
Production at  $\theta = 2.4$  mrad

3 collimation stages:  $\Delta\theta = 0.3$  mrad

Total length of beamline + experiment = 250 m



# Neutral beamline layout (2.4 mrad)

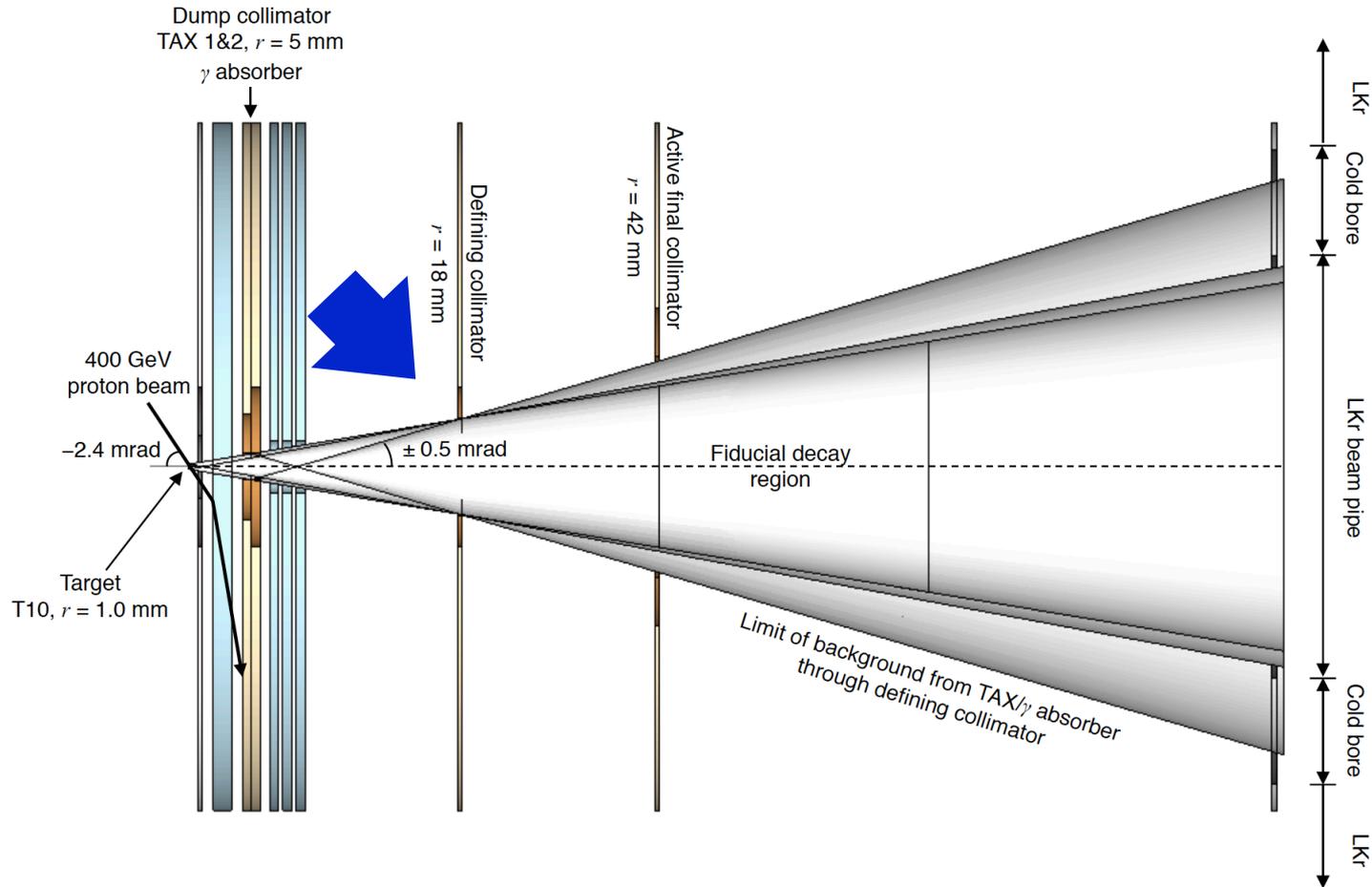


## Dump collimator TAX1/2

$r = 5$  mm at  $z = 15$  m

- 2 vertical sweeping magnets upstream of TAX for beam particles
- Photon converter between TAX1/2 modules: e.g., 30 mm  $l_r = 10 X_0$
- 3 horizontal sweeping magnets downstream of TAX for muons and  $e^+e^-$  pairs

# Neutral beamline layout (2.4 mrad)

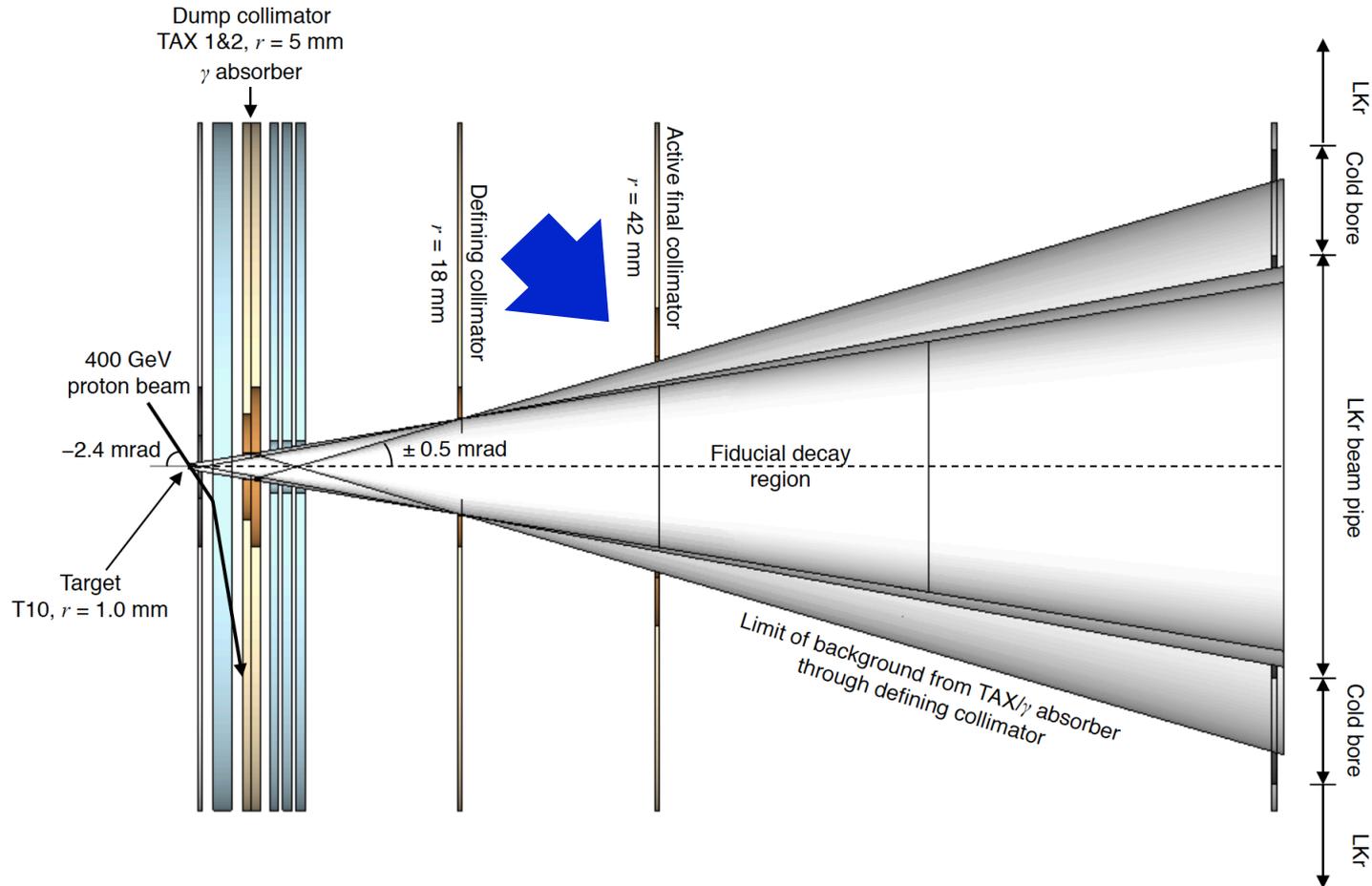


## Defining collimator

$r = 18 \text{ mm}$  at  $z = 60 \text{ m}$

- Defines beam aperture:  $\Delta\theta = 0.3 \text{ mrad} \rightarrow \Delta\Omega = 0.283 \mu\text{sr}$
- Keep background from TAX/converter inside LKr bore ( $r < 120 \text{ mm}$ )

# Neutral beamline layout (2.4 mrad)



## Active final collimator

$$r = 42 \text{ mm } z = 105 \text{ m}$$

- Regenerated  $K_S$  reduced to  $10^{-4}$  between defining and final collimators
- Integrated with UV (upstream veto) to reject decays upstream of FV

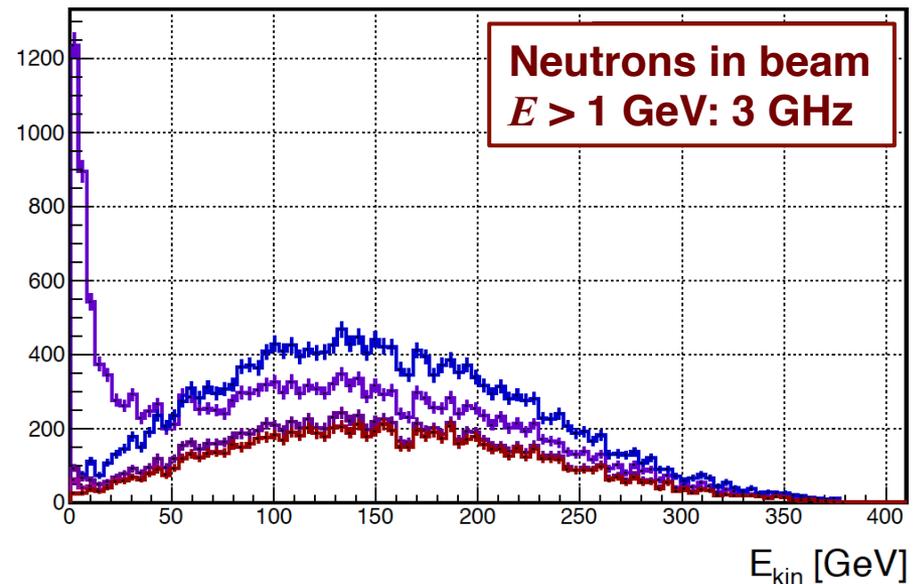
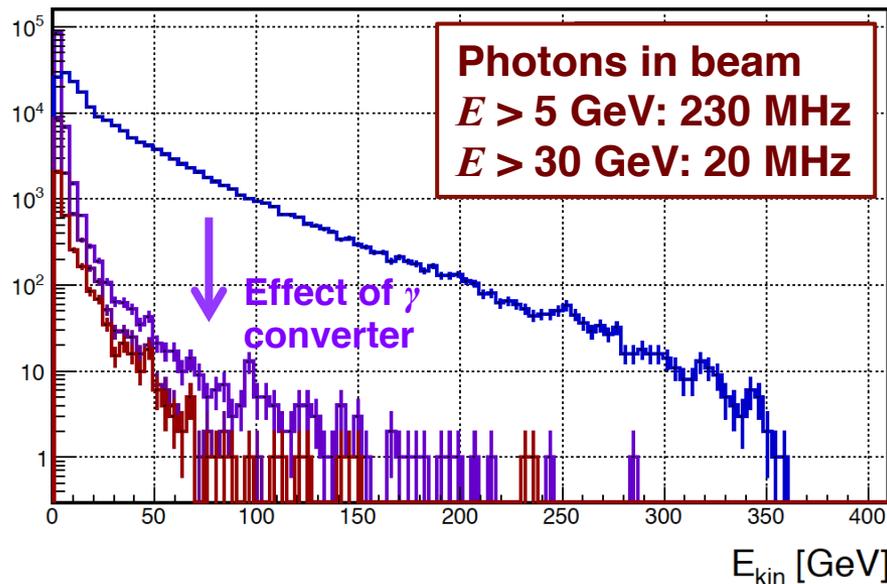
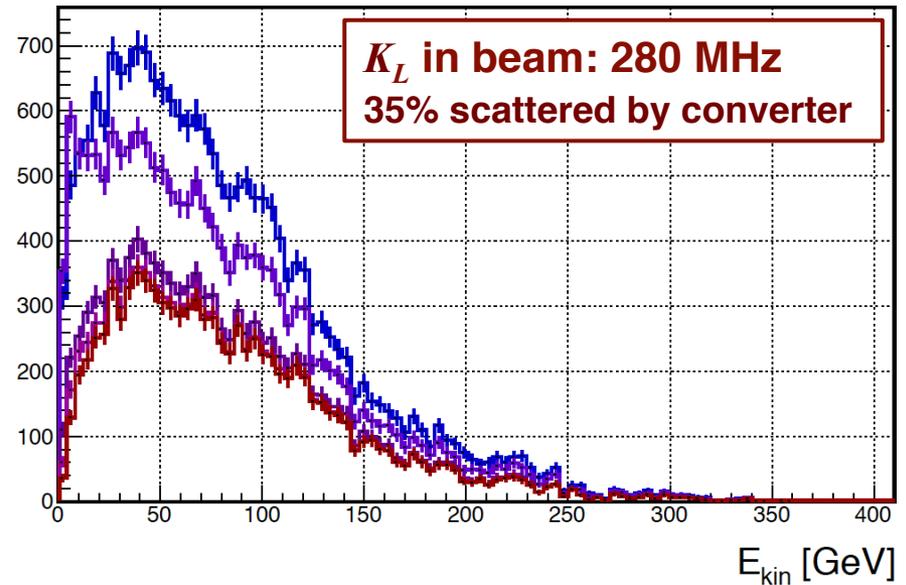
# Neutral beam simulation

FLUKA simulation of 400 GeV  $p$   
on 400-mm Be target

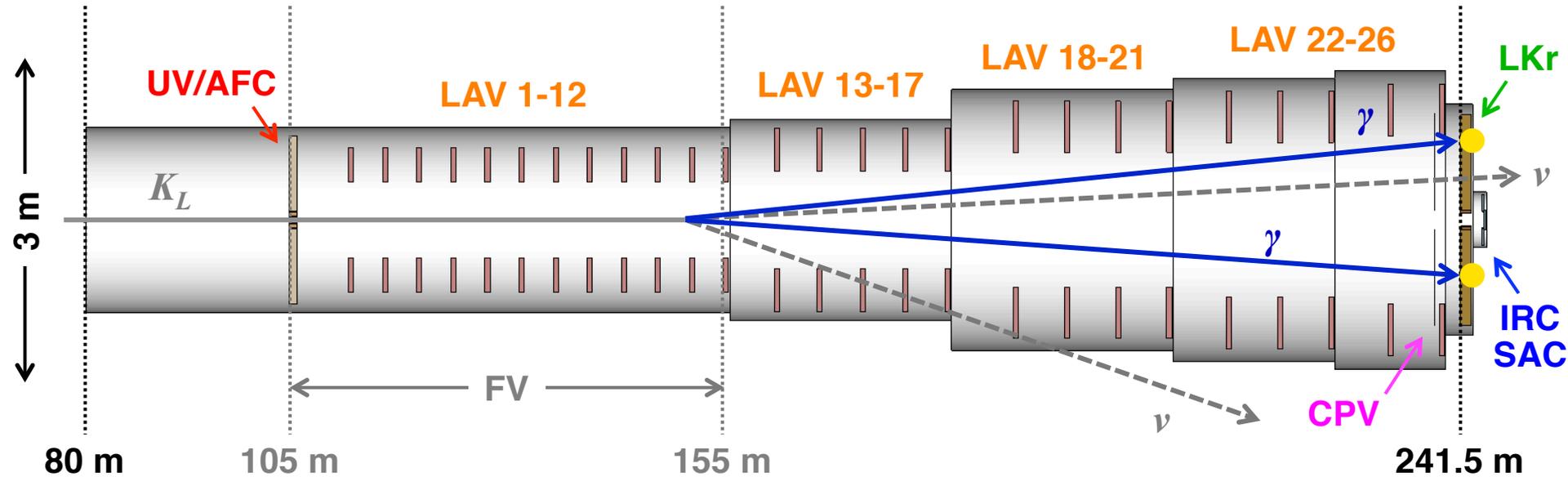
Geant4 simulation of beamline

- 3 collimators,  $\Delta\theta = 0.3$  mrad
- 30-mm Ir photon converter in dump collimator

- gen
- After absorber
- After dump collimator
- After defining collimator
- After final collimator



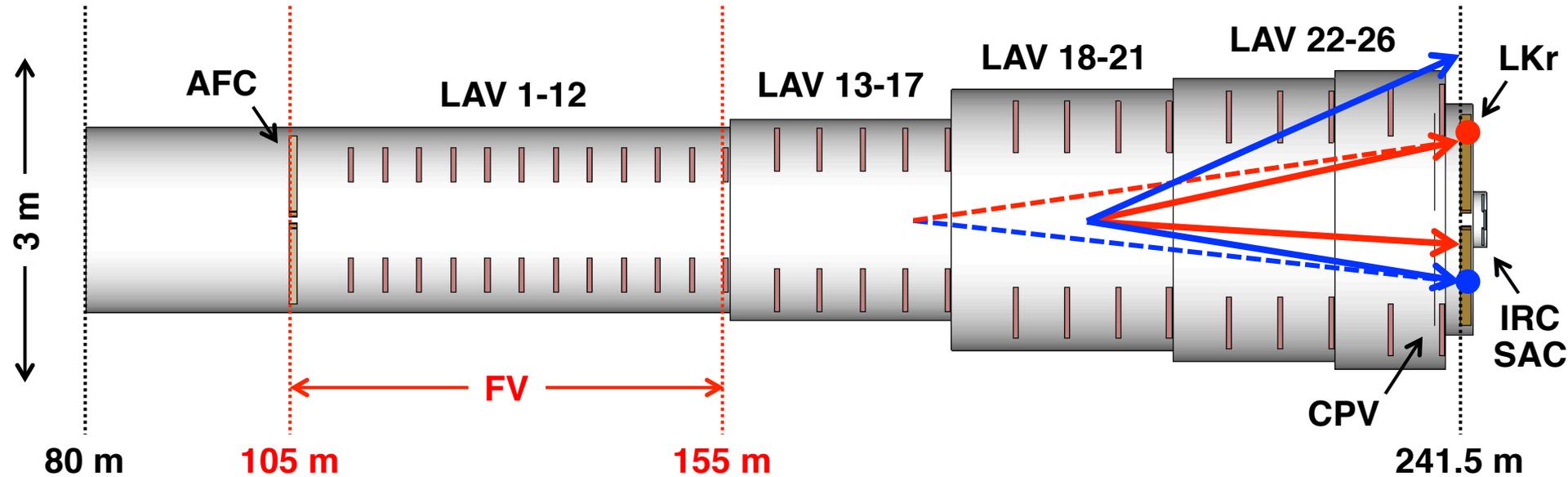
# An experiment to measure $K_L \rightarrow \pi^0 \nu \bar{\nu}$ **KLEVER**



## Main detector/veto systems:

- UV/AFC** Upstream veto/active final collimator
- LAV1-26** Large-angle vetoes (26 stations)
- LKr** NA48 liquid krypton calorimeter
- IRC/SAC** Small-angle vetoes
- CPV** Charged particle veto

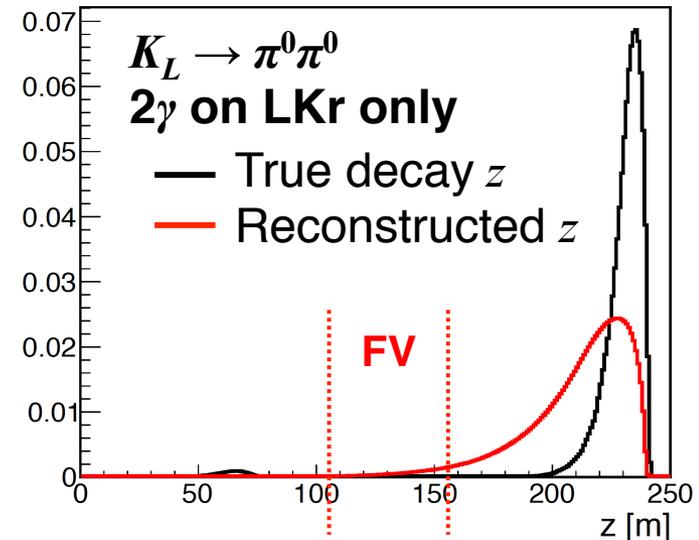
# Detector layout for $K_L \rightarrow \pi^0 \nu \bar{\nu}$



Vacuum tank layout and FV similar to NA62

90-m distance from FV to LKr significantly helps background rejection

- Most  $K_L \rightarrow \pi^0 \pi^0$  decays with lost photons occur just upstream of the LKr
- “ $\pi^0$ s” from mispaired  $\gamma$ s are mainly reconstructed downstream of FV



# NA48 liquid krypton calorimeter

Quasi-homogeneous ionization calorimeter

- 13248 channels
- Readout towers  $2 \times 2 \text{ cm}^2$
- Depth 127 cm =  $27 X_0$

## NA48 performance:

$$\frac{\sigma_E}{E} = \frac{3.2\%}{\sqrt{E}} \oplus \frac{9\%}{E} \oplus 0.42\%$$

$$\sigma_x = \sigma_y = \frac{4.2 \text{ mm}}{\sqrt{E}} \oplus 0.06 \text{ mm}$$

$$\sigma_t = \frac{2.5 \text{ ns}}{\sqrt{E}}$$

## New readout electronics for NA62:

- 14-bit 40 MHz FADCs
- Large buffers to handle 1 MHz L0 rate



## Study and confirm LKr performance with NA62 data

- Two-cluster resolution
- Photon detection efficiency
  - Effect of dead cells, etc.

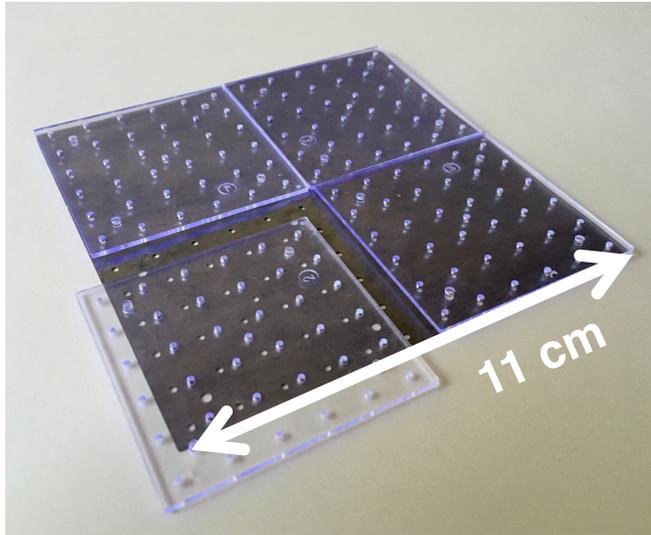
In parallel with  
efforts by NA62

## Explore possibilities to improve time resolution with faster readout

- Signal  $\pi^0$  candidates all have  $E_{\gamma\gamma} > 20$  GeV  
 $\sigma_t = 2.5 \text{ ns}/\sqrt{E} \text{ (GeV)} \rightarrow 500 \text{ ps}$  or better
- Needs improvement – SAC may have  $\sim 100$  MHz accidental rate
- Simulating readout upgrades to estimate effect on time resolution:
  - Shorter shaping time, faster FADCs

## Evaluate long-term reliability of LKr (2018 $\rightarrow$ 2030):

- Identify support systems needing replacement or upgrade
- Catalog of dead cells, prospects for repair



Fine-sampling shashlyk based on PANDA forward EM calorimeter produced at Protvino

0.275 mm Pb + 1.5 mm scintillator

$$\sigma_E/\sqrt{E} \sim 3\% / \sqrt{E} \text{ (GeV)}$$

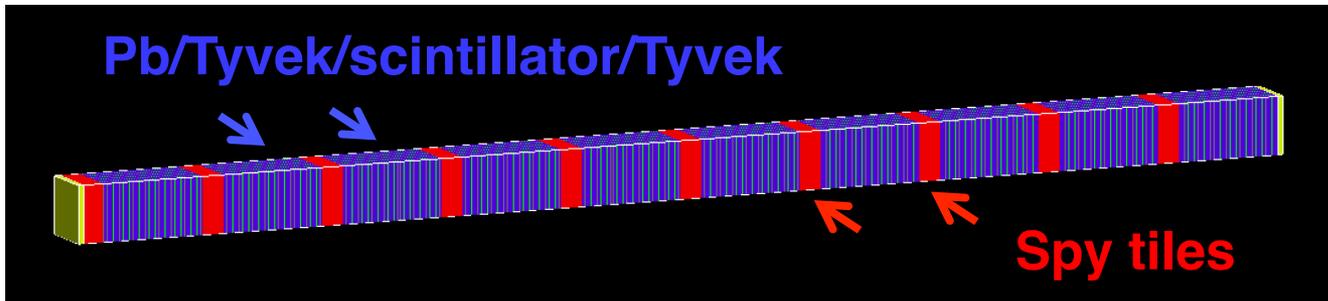
$$\sigma_t \sim 72 \text{ ps} / \sqrt{E} \text{ (GeV)}$$

$$\sigma_x \sim 13 \text{ mm} / \sqrt{E} \text{ (GeV)}$$

PANDA, KOPIO prototypes

## New for KLEVER: Longitudinal shower information from spy tiles

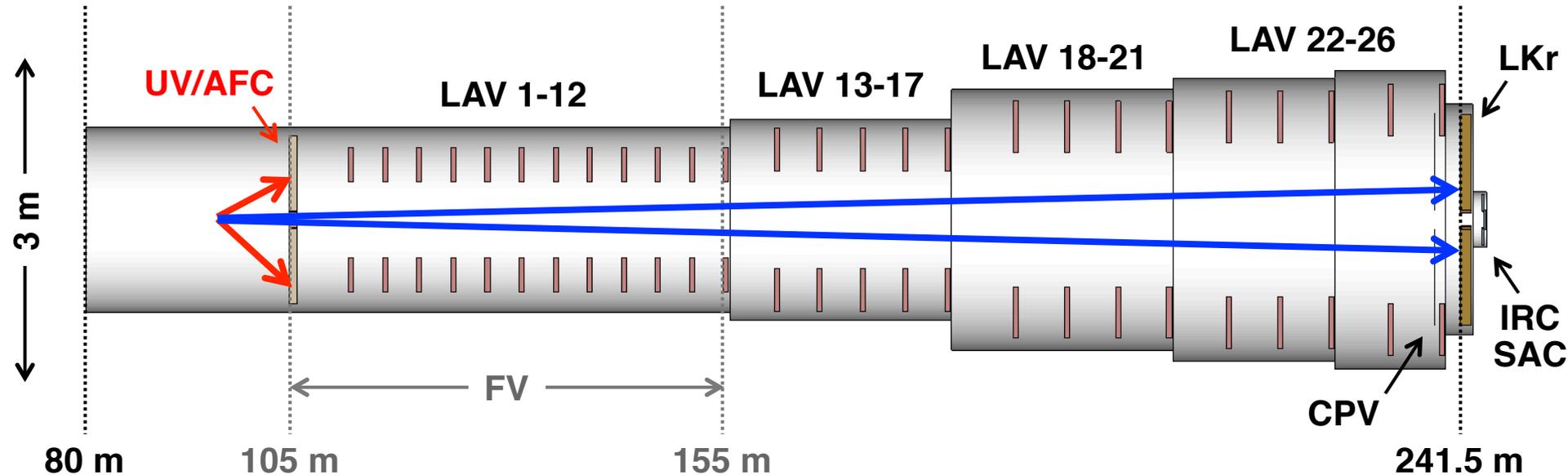
- PID information: identification of  $\mu$ ,  $\pi$ ,  $n$  interactions
- Shower depth information: improved time resolution for EM showers



Thicker spy tiles (5-20 mm) with independent WLS fiber readout

Simulation studies in progress (e.g., to choose spy tile thickness)

# Veto regions for upstream $K_L$ decays



- **25 m of vacuum upstream of final collimator**  
No obstruction for  $\gamma$ s from decays with  $80 \text{ m} < z < 105 \text{ m}$
- **Upstream veto (UV):**  
Outer ring: Shashlyk calorimeter, Pb/scint in 1:5 ratio  
 $10 \text{ cm} < r < 1 \text{ m} \rightarrow 1/3$  of total rate
- **Active final collimator (AFC):**  
Inner ring: LYSO collar counter, 80 cm deep, shaped crystals  
 $4.2 \text{ cm} < r < 10 \text{ cm} \rightarrow 2/3$  of total rate

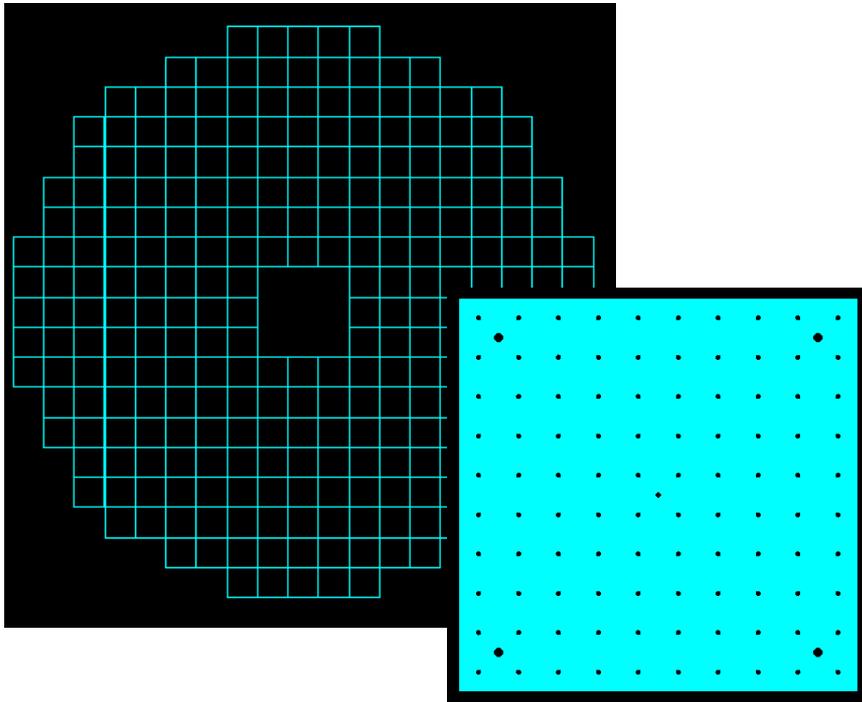
# Veto for upstream $K_L$ decays

Rejects  $K_L \rightarrow \pi^0\pi^0$  from upstream of final collimator ( $80 \text{ m} < z < 105 \text{ m}$ )

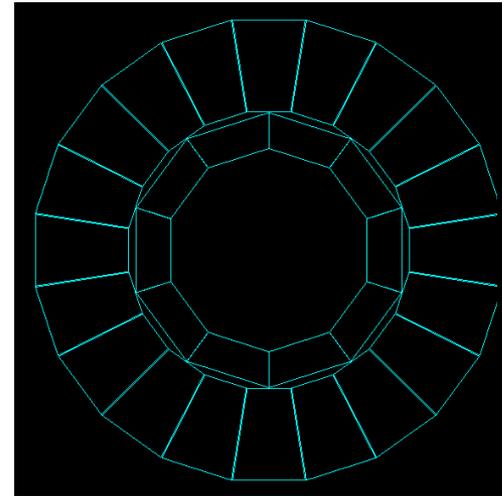
## Upstream veto (UV):

- $10 \text{ cm} < r < 1 \text{ m}$ :
- Shashlyk calorimeter modules à la PANDA/KOPIO

As implemented in MC:



## Active final collimator:



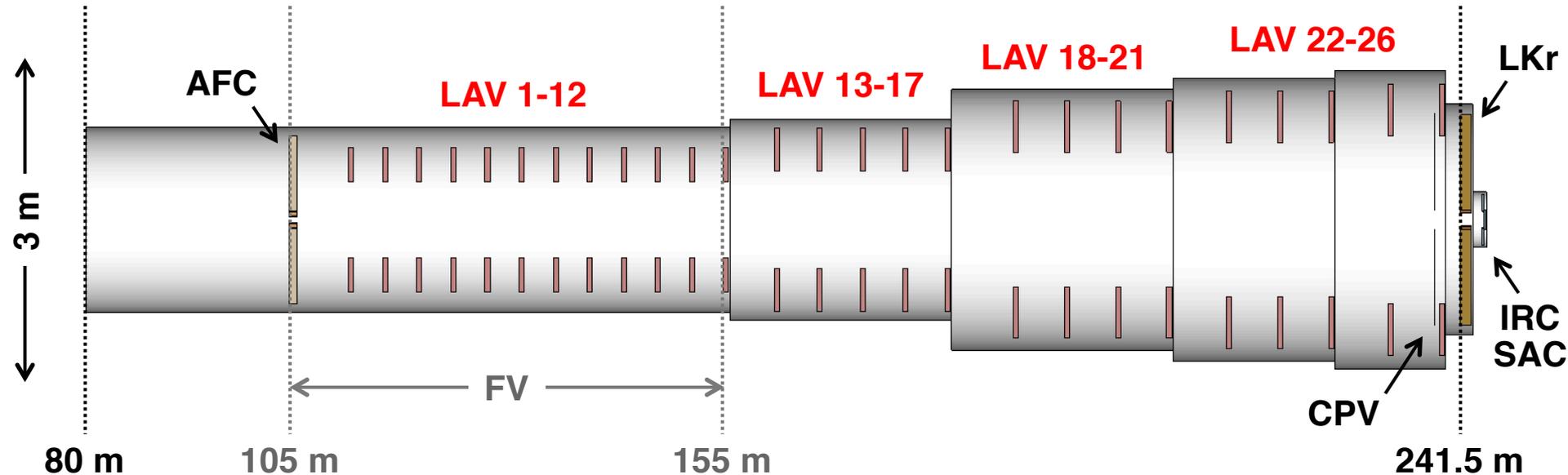
- $4.2 < r < 10 \text{ cm}$
- LYSO collar counter
- 80 cm long
- Internal collimating surfaces

- Intercepts halo particles from scattering on defining collimator or  $\gamma$  absorber
- Active detector  $\rightarrow$  better rejection for  $\pi^0$  from  $n$  interactions

**Residual background from upstream  $K_L \rightarrow \pi^0\pi^0$ :**

**15 events/5 years**

# Large-angle photon vetoes



## 26 new large-angle photon veto stations (LAV)

- 5 sizes, sensitive radius 0.9 to 1.6 m, at intervals of 4 to 6 m
- Hermetic coverage out to 100 mrad for  $E_\gamma$  down to  $\sim 100$  MeV
- Baseline technology: Lead/scintillator tile with WLS readout  
Based on design of CKM VVS  
Assumed efficiency based on E949 and CKM VVS experience

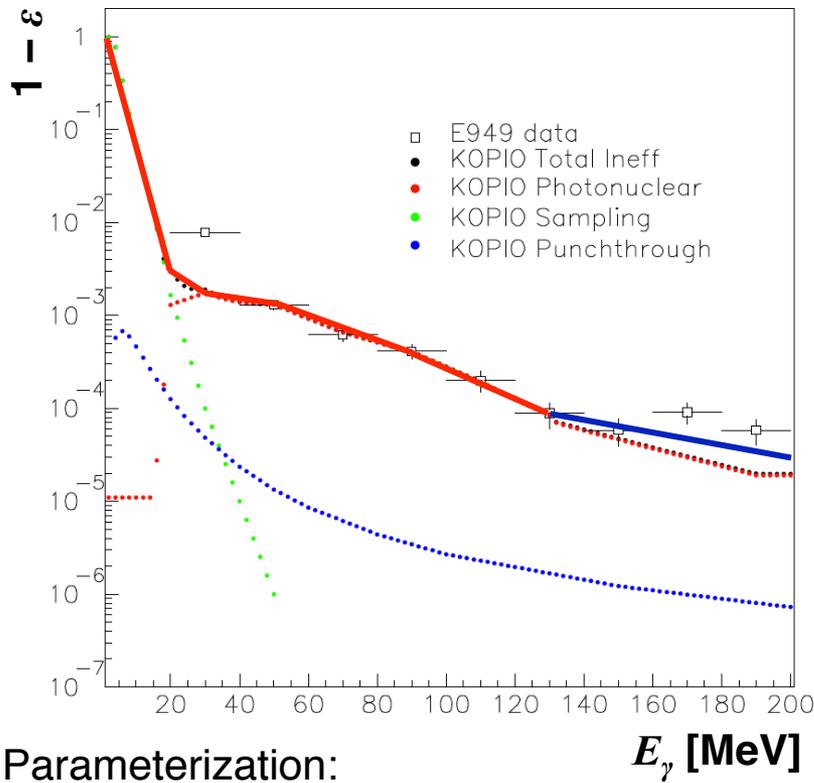
# Large-angle photon vetoes

26 new LAV detectors providing hermetic coverage out to 100 mrad  
Need good detection efficiency at low energy ( $1 - \varepsilon \sim 0.5\%$  at 20 MeV)

**Baseline technology: CKM VVS**  
Scintillating tile with WLS readout



Good efficiency assumptions based on E949 and CKM VVS experience



Parameterization:

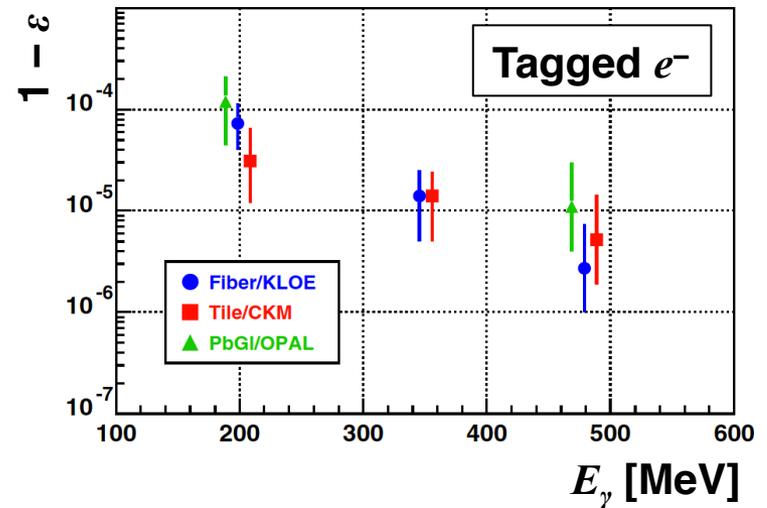
1-129 MeV: KOPIO (E949 barrel)

203-483 MeV: CKM VVS

**E949 barrel veto efficiencies**

Same construction as CKM

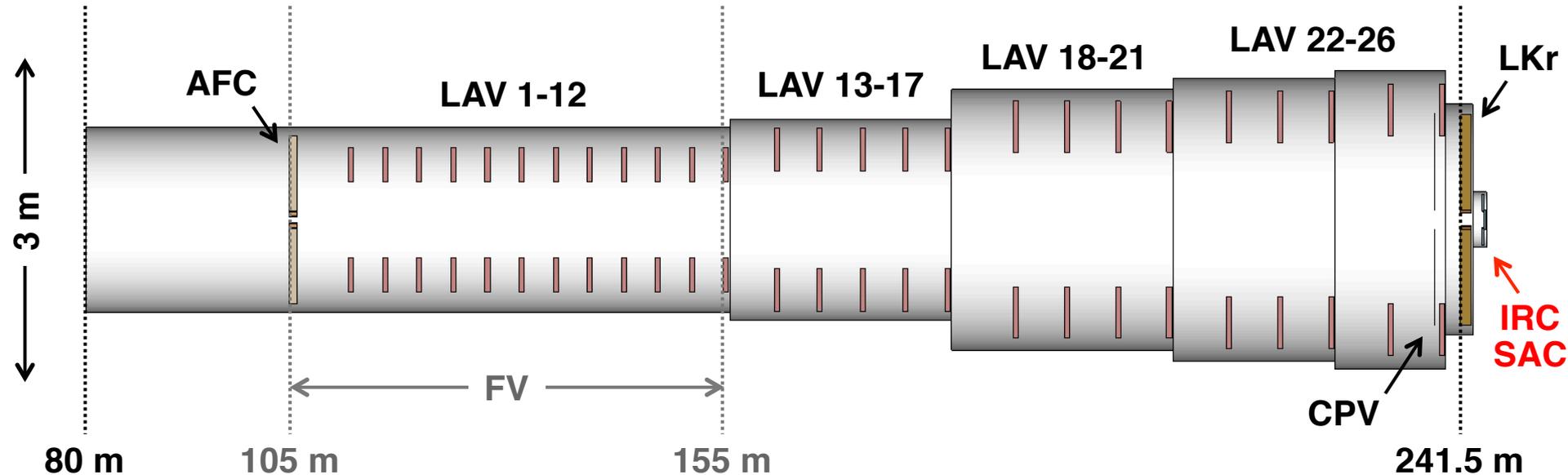
**Tests for NA62 at Frascati BTF**



**Tests at JLAB for CKM:**

- $1 - \varepsilon \sim 3 \times 10^{-6}$  at 1200 MeV

# Small-angle photon vetoes



## Small-angle photon veto systems (IRC, SAC)

- Reject high-energy  $\gamma$ s from  $K_L \rightarrow \pi^0 \pi^0$  escaping through beam hole
- Must be insensitive as possible to 3 GHz of beam neutrons

Beam comp.	Rate (MHz)	Req. $1 - \epsilon$
$\gamma, E > 5 \text{ GeV}$	<b>230</b>	$10^{-2}$
$\gamma, E > 30 \text{ GeV}$	<b>20</b>	$10^{-4}$
$n$	<b>3000</b>	—

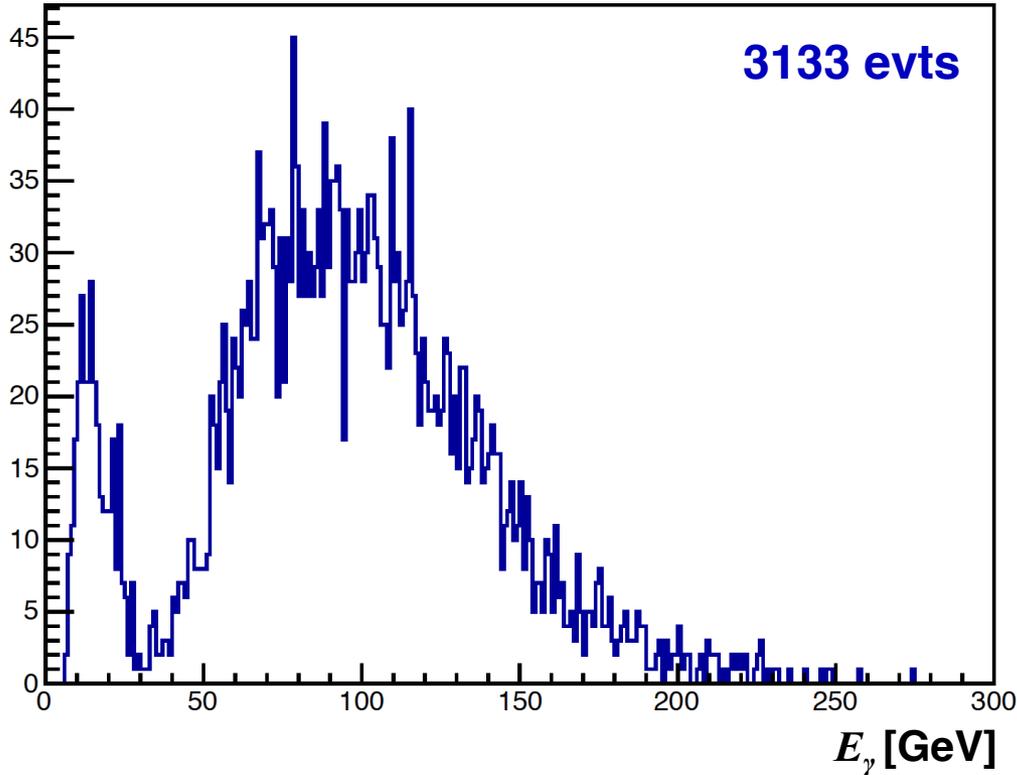
## Baseline solution:

- Tungsten/silicon-pad sampling calorimeter with crystal metal absorber

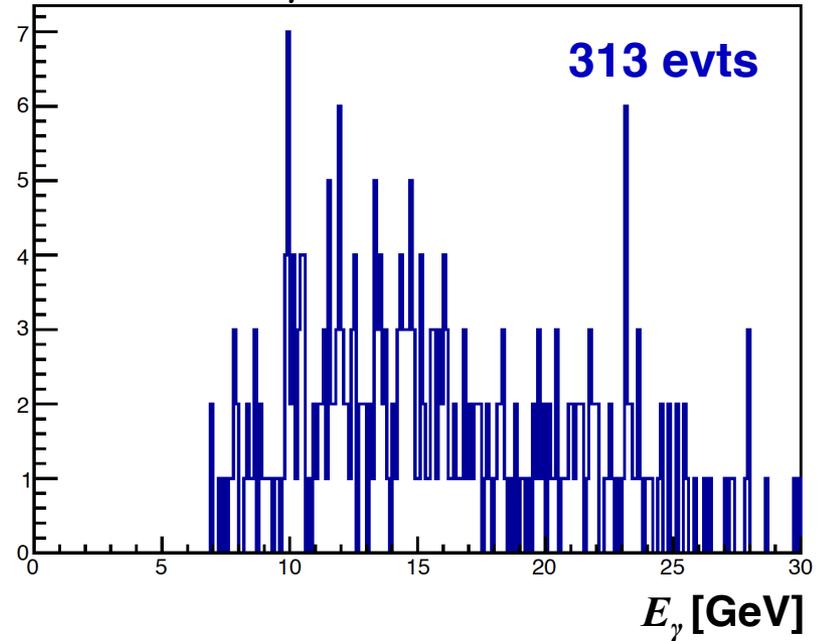
# Small-angle calorimeter

Energy of photons from  $K_L \rightarrow \pi^0 \pi^0$  on SAC  
after all cuts (5 years):

- $2\gamma$  on LKr
- No  $\gamma$ s on LAV or IRC
- Cuts on  $z_{FV}$ ,  $r_{\min}(\text{LKr})$ ,  $p_{\perp}$



Detail for  $E_{\gamma} < 30$  GeV



90% of  $\gamma$ s from  $K_L$  on SAC  
have  $30 < E_{\gamma} < 250$  GeV

- Need inefficiency  $< 10^{-4}$  for  $E_{\gamma} > 30$  GeV
- Can tolerate 1% inefficiency for  $E_{\gamma} < 30$  GeV
- Can be blind for  $E_{\gamma} < 5$  GeV

## Proof-of-concept simulation for baseline solution:

- W-Si pad calorimeter, 14 layers  $\times$  1 mm crystal absorber,  $\theta_{\text{inc}} = 2$  mrad
  - Depth =  $14X_0$  for  $E_\gamma = 30$  GeV, but only  $4X_0$  for  $E_\gamma = 5$  GeV
- Naïve simulation of pair-conversion enhancement with Geant4:
  - Increase overall density as function of  $E_\gamma$ , instead of  $X_0$

## Photons

$E_\gamma$ (GeV)	$\rho/\rho_0$	$1 - \varepsilon$
350 GeV	3.5	$5 \times 10^{-5}$
30 GeV	3.5	$1 \times 10^{-4}$
10 GeV	1.5	4.5%
5 GeV	1.0	20%

## Neutrons

50-300 GeV

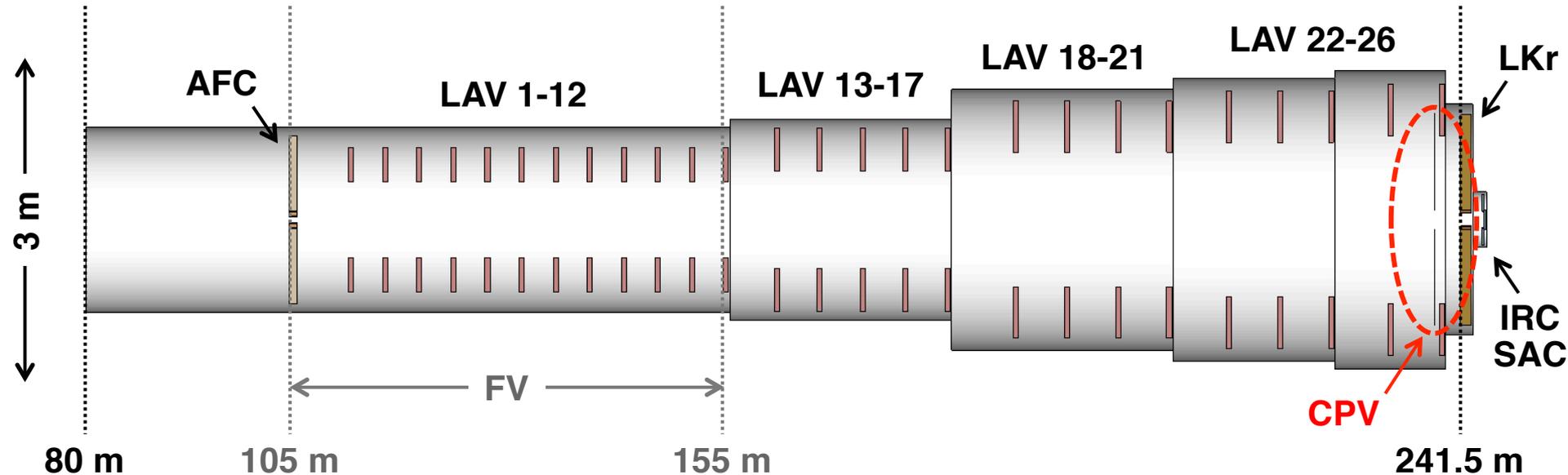
$1 - \varepsilon = 20\%$

- $E_{\text{vis}}$  thr. = 16 MeV chosen for  $E_\gamma = 30$  GeV
- Inefficiency at small  $E_\gamma$  from punch through
- Need better treatment of coherent effects
- Need additional handles for  $\gamma/n$  separation

## Work in progress:

- Better simulation with  $X_0$  for photons a function of  $E_\gamma$  and  $\theta_\gamma$ 
  - Benefit from effort by AXIAL collaborators to introduce into Geant4 detailed simulation of coherent effects in crystals
- Optimize transverse and longitudinal segmentation to increase  $\gamma/n$  separation

# Charged particle rejection



## Most dangerous mode: $K_{e3}$

- BR = 40%
- Easy to mistake  $e \leftrightarrow \gamma$  in LKr
- Acceptance  $\pi^0\nu\nu/K_{e3} = 30$

→ Need  $10^{-9}$  suppression!

## Charged particle veto (CPV)

- Scintillating tiles, just upstream of LKr

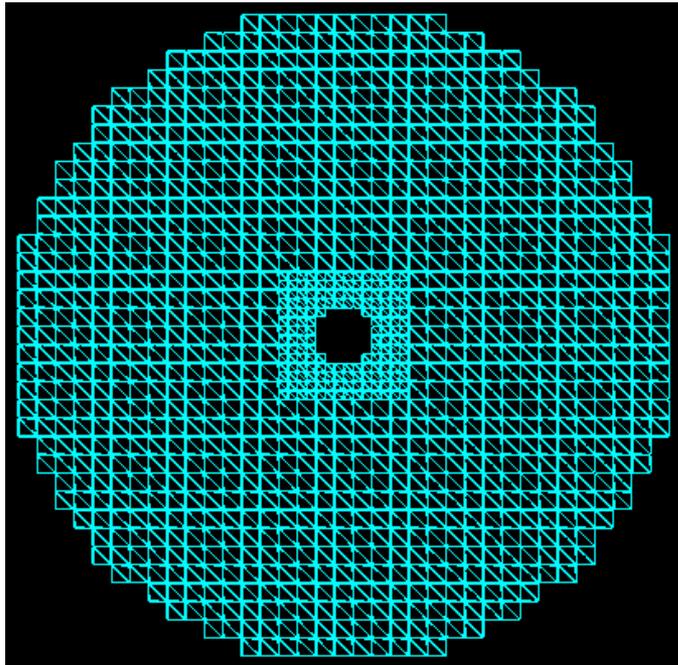
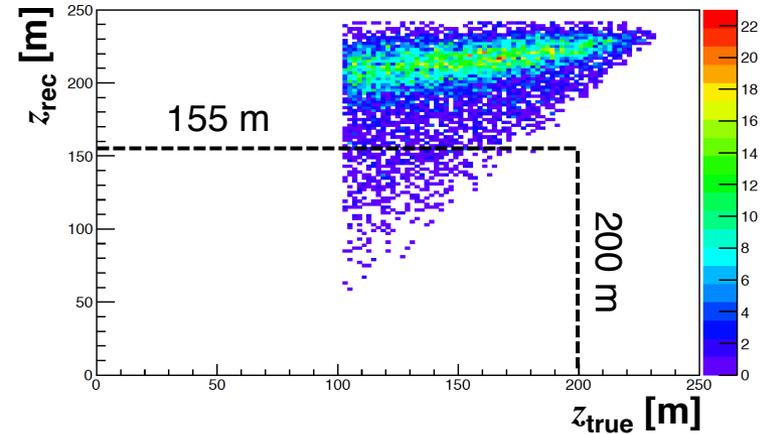
## Calorimetric ID for $\mu$ and $\pi$

- Shower profile in LKr
- Re-use NA62 hadronic calorimeters MUV1/2 (not shown), downstream of LKr

# Charged particle veto

$K_L \rightarrow \pi e \nu$  can emulate signal when both  $\pi$  and  $e$  deposit energy in LKr

- Fake  $\pi^0$  vertexes from  $\pi e$  all reconstructed downstream of true decay
  - $\pi^+$  deposits only a fraction of its energy
- $K_{e3}$  decays with “ $\pi^0$ ” reconstructed in FV have  $z_{\text{rec}} < 200$  m
  - All within the acceptance of the CPV



## Using MC to add detail to design of CPV

Square scintillator tiles, 5-mm thick, supported on carbon fiber membrane

- 2 planes  $\rightarrow 3\% X_0$

Tile geometry: 4x4 cm<sup>2</sup> or 8x8 cm<sup>2</sup>

- Smaller tiles near beam line
- Cracks staggered between planes
- 4 chamfered corners (45°) for direct SiPM coupling

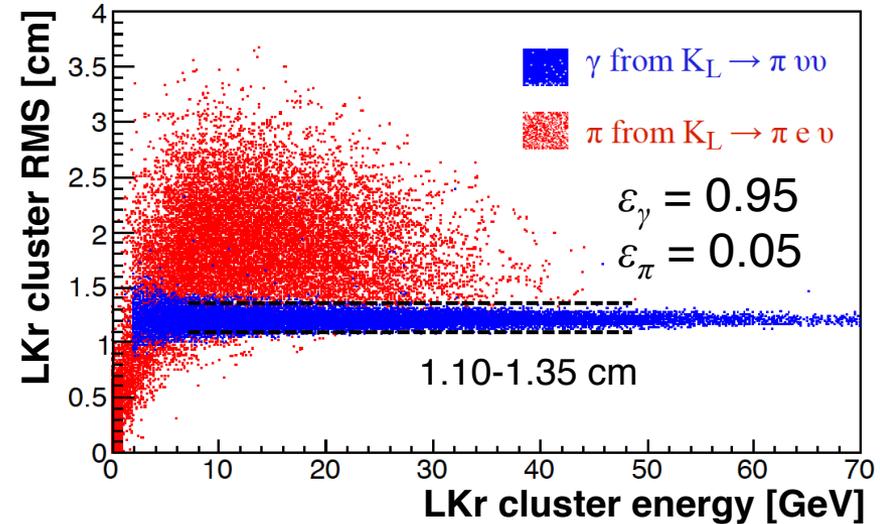
# Charged particle rejection

$K_L \rightarrow \pi e \nu$  can emulate signal when both  $\pi$  and  $e$  deposit energy in LKr

## Use cluster RMS in LKr to identify and reject $\pi$ interactions

- Geant4 confirmed by preliminary analysis of pp0 events in NA62 data:  
 $\varepsilon_\gamma = 0.95$   
 $\varepsilon_\pi = 0.05$

If LKr replaced by shashlyk, longitudinal shower profile information also available

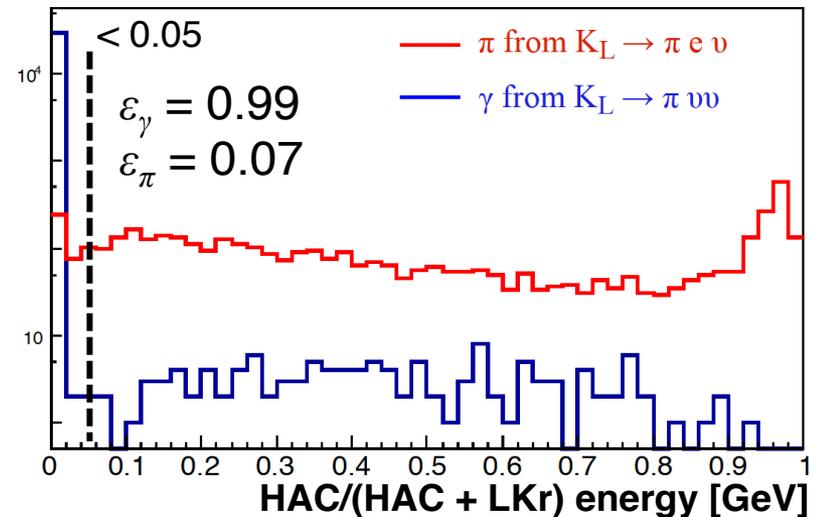


## Ratio of hadronic/total energy effective to identify $\pi$ showers

- Preliminary results based on Geant4:  
 $\varepsilon_\gamma = 0.99$   
 $\varepsilon_\pi = 0.07$

Study of HAC (MUV1/2) response in NA62 data in progress

- Parameterization of response for inclusion in fast simulation

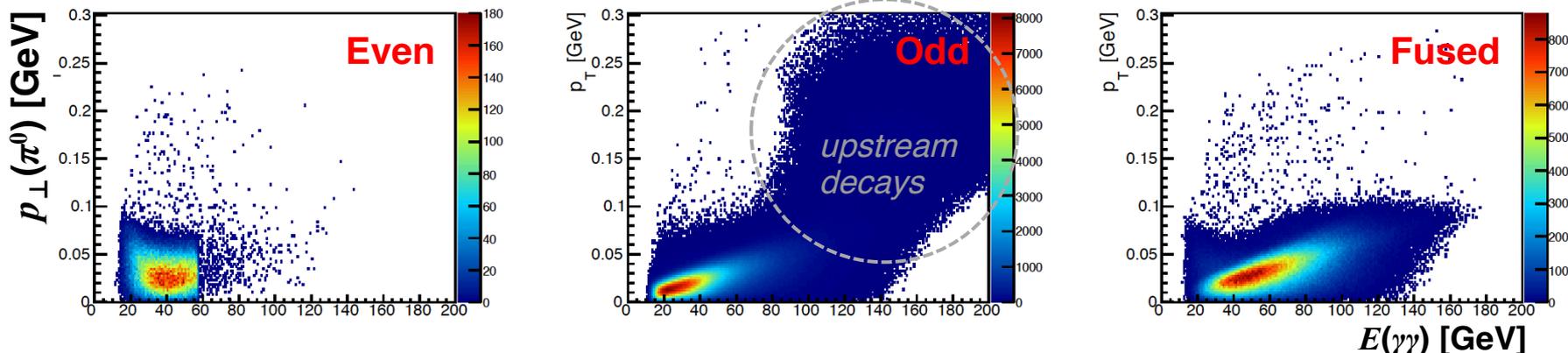


# $K_L \rightarrow \pi^0 \pi^0$ rejection

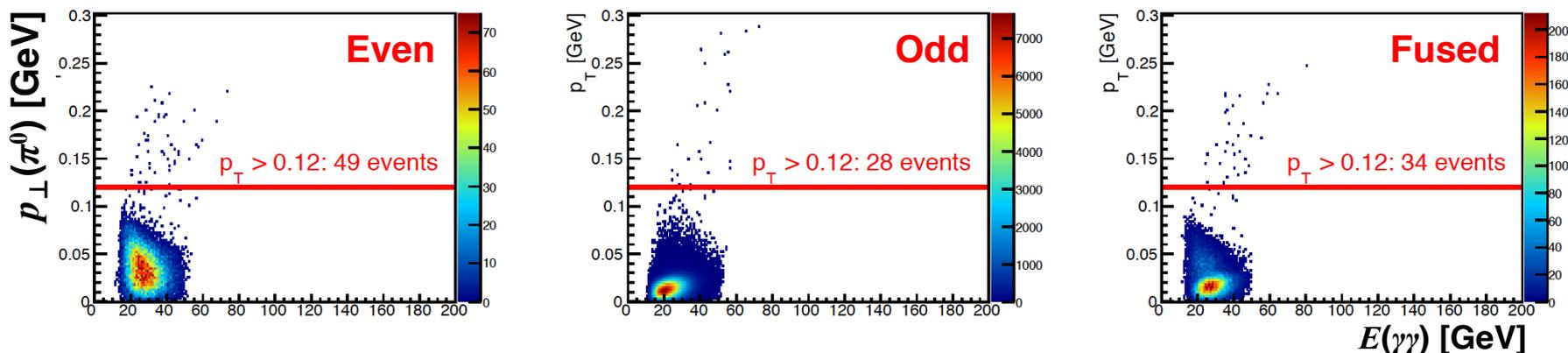
$K_L \rightarrow \pi^0 \pi^0$  simulated with fast MC (5 yr equivalent statistics)

- Accept only events with 2  $\gamma$ s in LKr and no hits in AFC, LAV, IRC/SAC
- Distinguish between even/odd pairs and events with fused clusters

## 1. Require $z_{\text{rec}}(m_{\gamma\gamma} = m_{\pi^0})$ in fiducial volume ( $105 \text{ m} < z < 155 \text{ m}$ )



## 2. Require $r_{\text{min}} > 35 \text{ cm}$ on LKr and $p_{\perp}(\pi^0) > 0.12 \text{ GeV}$



**22  $\pi^0 \pi^0$  evts/year** About 50% with 1 $\gamma$  with  $100 < \theta < 400 \text{ mrad}$ ,  $E < 50 \text{ MeV}$

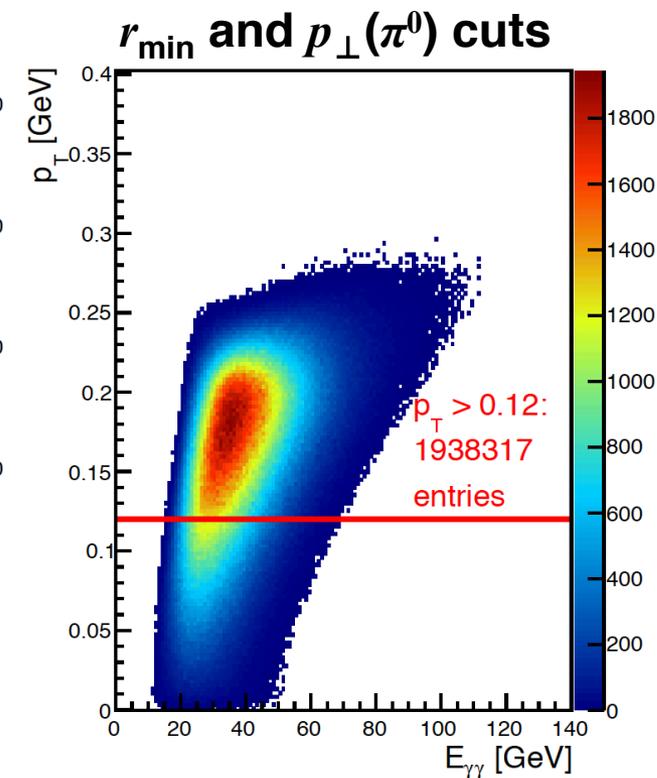
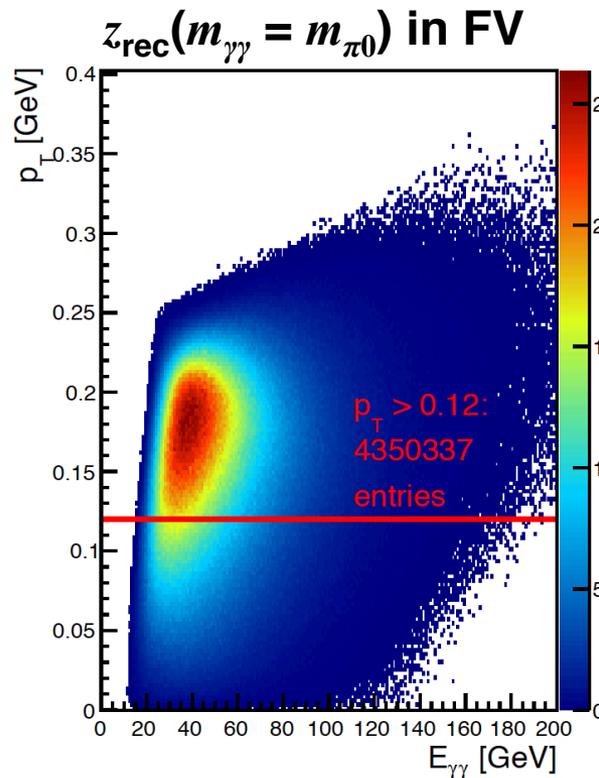
# $K_L \rightarrow \pi^0 \nu \bar{\nu}$ acceptance

Cut stage	Cut eff.	Cuml. eff.
$K_L \rightarrow \pi^0 \nu \bar{\nu}$ evts with 2 $\gamma$ on LKr	2.0%	2.0%
$z_{\text{rec}}(m_{\gamma\gamma} = m_{\pi^0})$ in FV	31%	0.62%
$r_{\text{min}} > 35$ cm on LKr	42%	0.26%
$p_{\perp}(\pi^0) > 0.12$ GeV	78%	0.20%

Alternatively:

- 2.2%  $K_L$  decay in FV
- 27%  $\pi^0 \nu \bar{\nu}$  with 2 $\gamma$  on LKr

←  $\pi^0$  in  $\pi^0 \nu \bar{\nu}$  has large  $E_{\text{kin}}$   
 $V - A$  matrix element



With:

- $10^{19}$  pot/year
- $2.8 \times 10^{-5}$   $K_L$ /pot
- $\text{BR} = 3.4 \times 10^{-11}$
- $\epsilon_{\text{total}} = 0.20\%$

**19.4  $\pi^0 \nu \bar{\nu}$  evts/year**

excluding transmission losses from  $\gamma$  converter

# $K_L \rightarrow \pi^0 \nu \bar{\nu}$ sensitivity summary

Channel	Simulated statistics	Events found	Expected in 5 yrs*
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	100k yr	1.94M	97
$K_L \rightarrow \pi^0 \pi^0$	5 yr	111	111
$K_L \rightarrow \pi^0 \pi^0 \pi^0$ All bkg evts from cluster fusion Upstream decays not yet included	1 yr	3	15
$K_L \rightarrow \gamma\gamma$ $p_{\perp}$ cut very effective	3 yr	0	0
$K_L \rightarrow$ <b>charged</b>	<b>thought to be reducible</b>		

\*Must subtract 35% for  $K_L$  losses in dump  $\gamma$  converter

**$\sim 60$  SM  $K_L \rightarrow \pi^0 \nu \bar{\nu}$  in 5 years with  $S/B \sim 1$**

## Background study incomplete!

$\pi^0$  from interactions of halo neutrons on residual gas, detector materials

Radiative  $K_L$  decays,  $K_S$ /hyperon decays

# Background from $\Lambda \rightarrow n\pi^0$

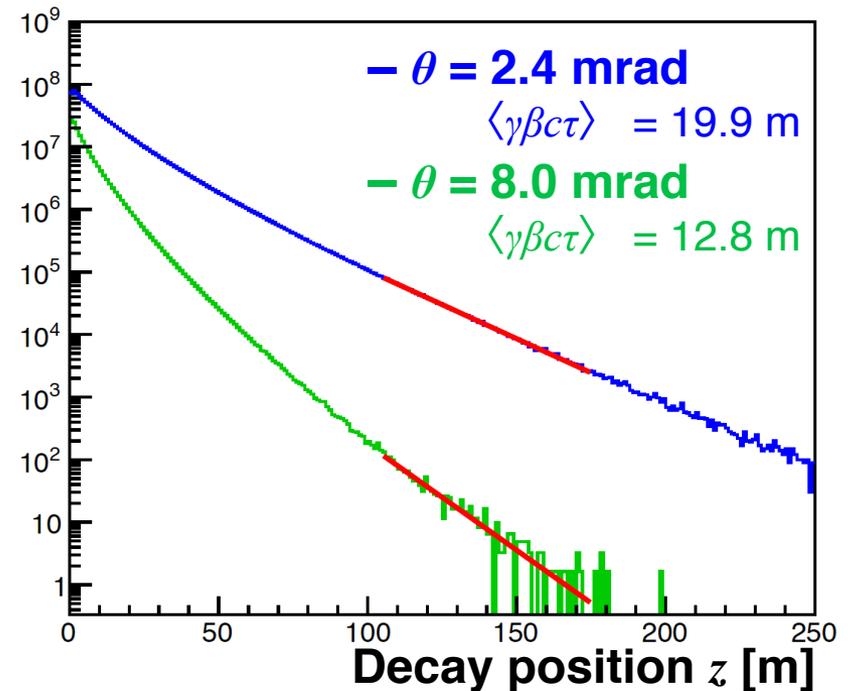
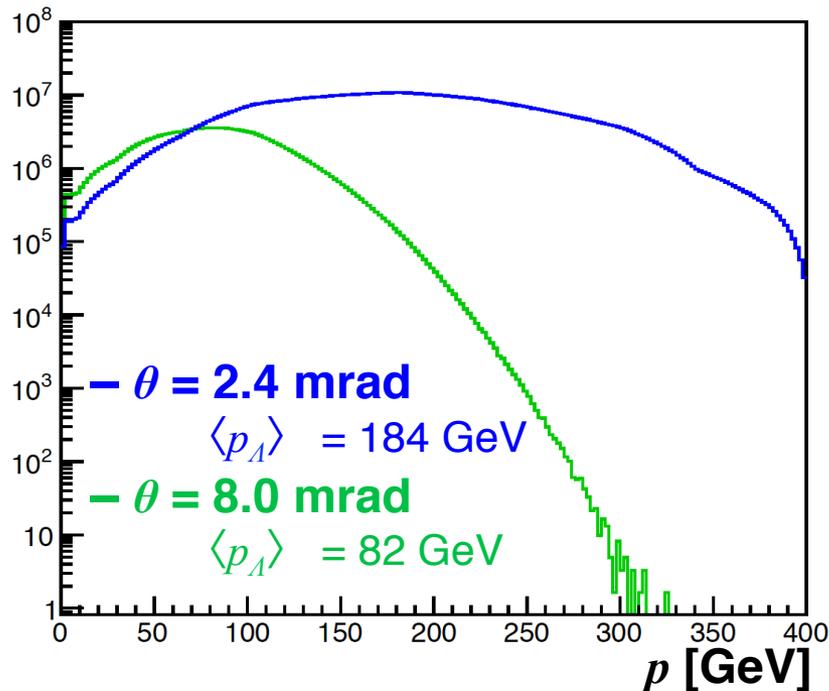
$\Lambda$  and  $K$  produced in similar numbers:  $O(10^{15})$   $\Lambda$  in beam in 5 years

Small but significant fraction of  $\Lambda$  decay in fiducial volume

$c\tau_\Lambda = 7.89$  cm, but  $\Lambda$  is forward produced: hard momentum spectrum

$\Lambda \rightarrow n\pi^0$  (BR = 35.8%) can mimic signal decay

$p_\perp$  cut partially effective:  $p^*(\Lambda \rightarrow n\pi^0) = 105$  MeV



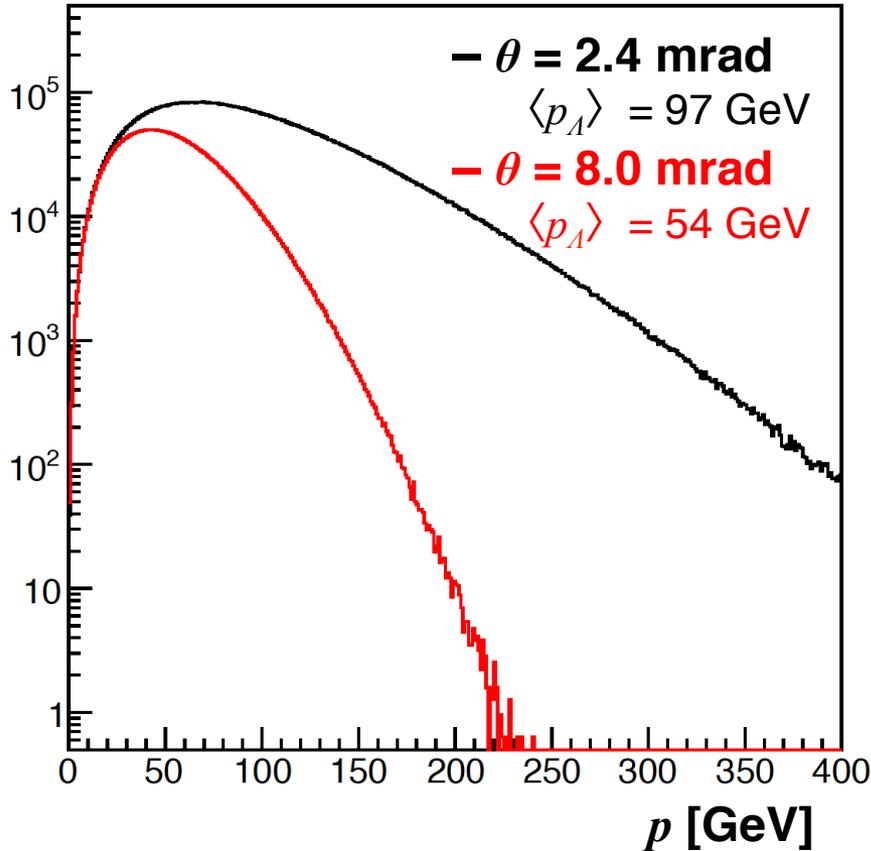
Move from  $\theta = 2.4 \rightarrow 8$  mrad production angle looks promising

$\rightarrow$  Decrease  $\Lambda$  flux in beam and soften  $\Lambda$  momentum spectrum

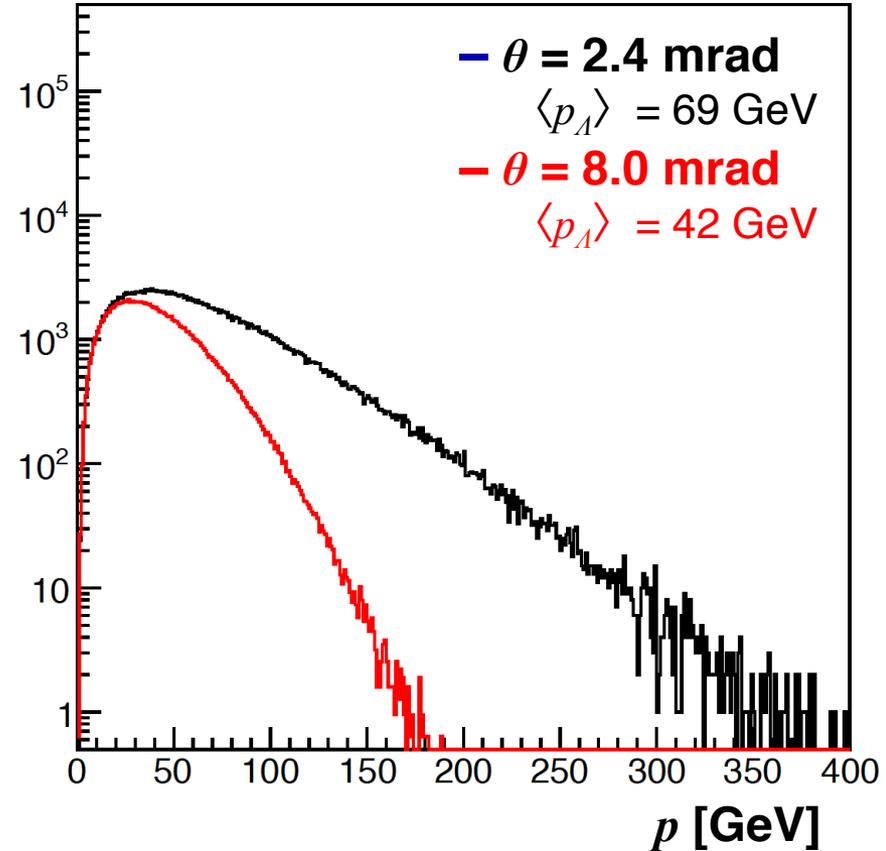
# Background from $\Lambda \rightarrow n\pi^0$

Implications of changing production angle:  $\theta = 2.4 \rightarrow 8$  mrad

All  $K_L$  in beam



$K_L$  decays in FV ( $105 < z < 155$  m)



- 3 $\times$  decrease in  $K_L$  production, mainly for high-energy  $K_L$
- $K_L \rightarrow \pi^0\nu\nu$  acceptance and  $S/B$  ratio  $\pi^0\nu\nu/\pi^0\pi^0$  not significantly affected

# Background from $\Lambda \rightarrow n\pi^0$

## Implications of changing production angle and moving FV downstream:

- 3× decrease in  $K_L$  production  
No net change in acceptance for  $K_L$
- 15× decrease in  $\Lambda$  production  
1000× decrease in  $\Lambda$  acceptance
- 2× increase in  $S/B$  ratio from  $K_L \rightarrow \pi^0\pi^0$

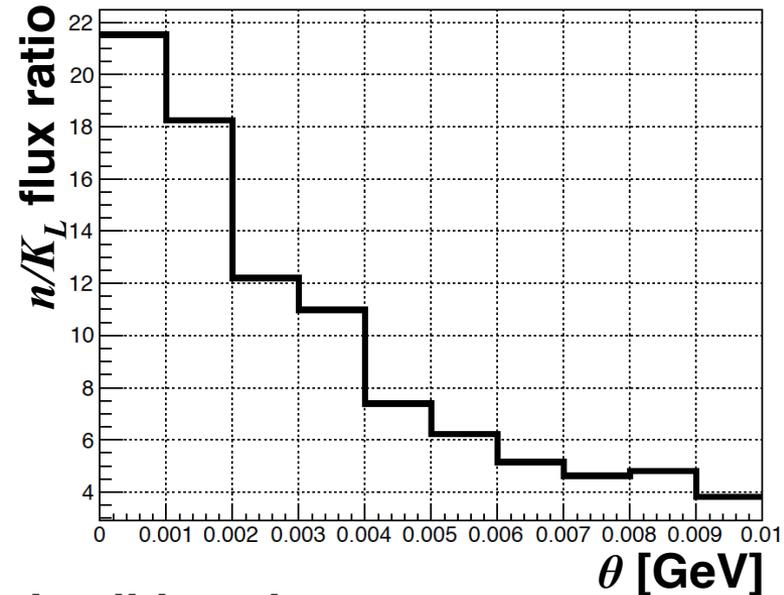
$\theta$ :	2.4 mrad	→	8 mrad
$z$ FV min:	105 m	→	130 m
$z$ FV max:	155 m	→	170 m

## Advantages to moving to larger angle:

- 7× decrease in neutron flux  
Much less demanding rates on SAC  
Possible to use thinner absorber in beam?

## Next steps:

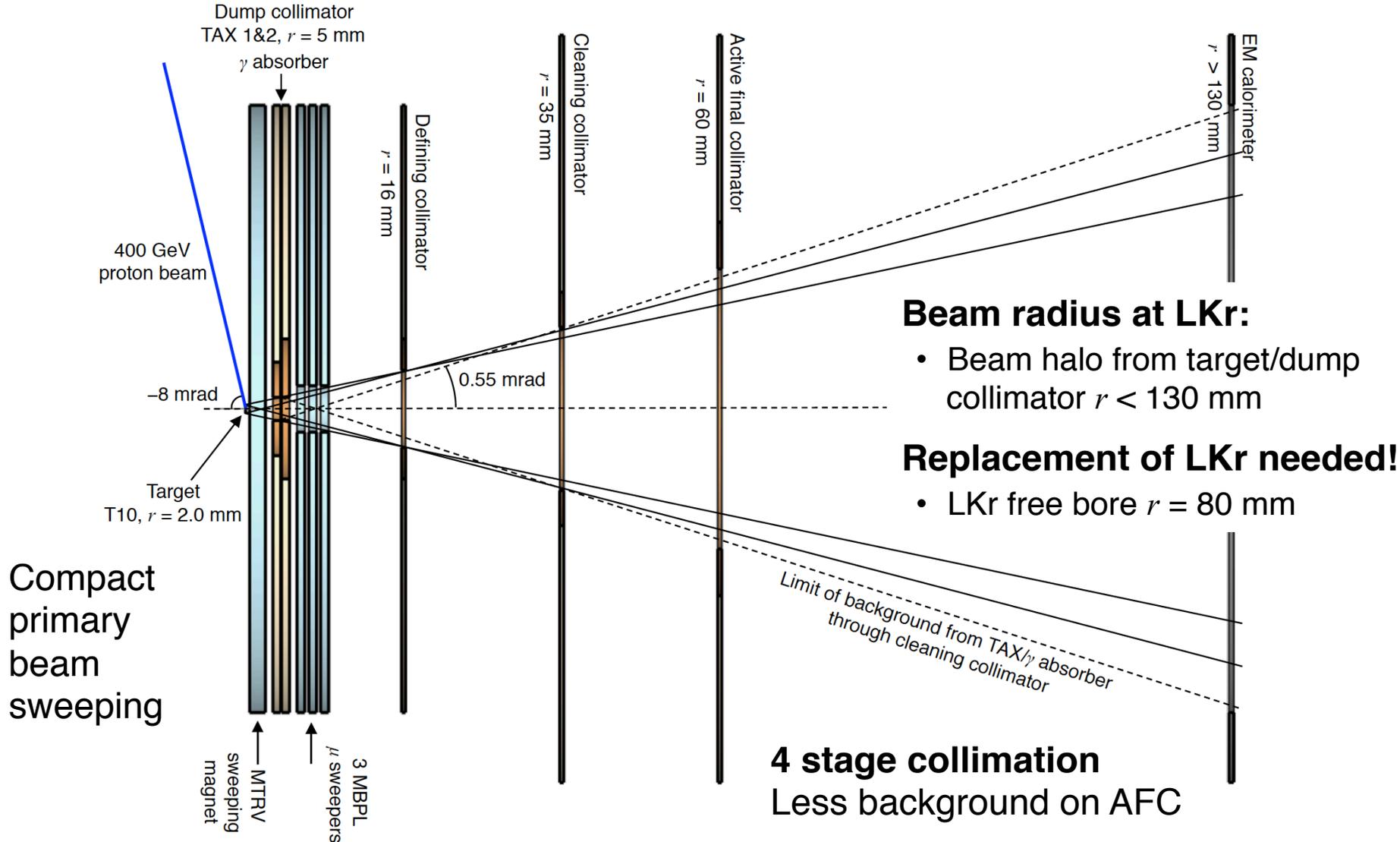
- **Finish optimization studies**  
Better quantify  $\Lambda$  rejection from  $p_{\perp}$  cut
- **New 8.0 mrad beamline design with increased solid angle to compensate for decreased  $K_L$  production**



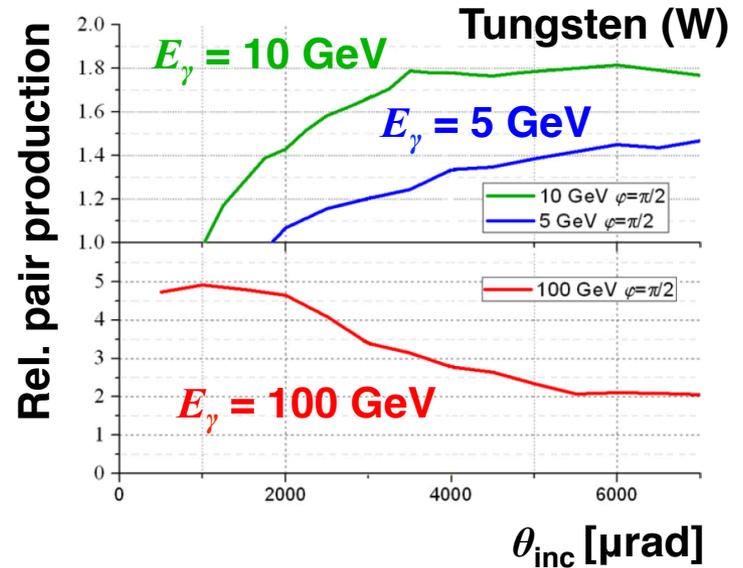
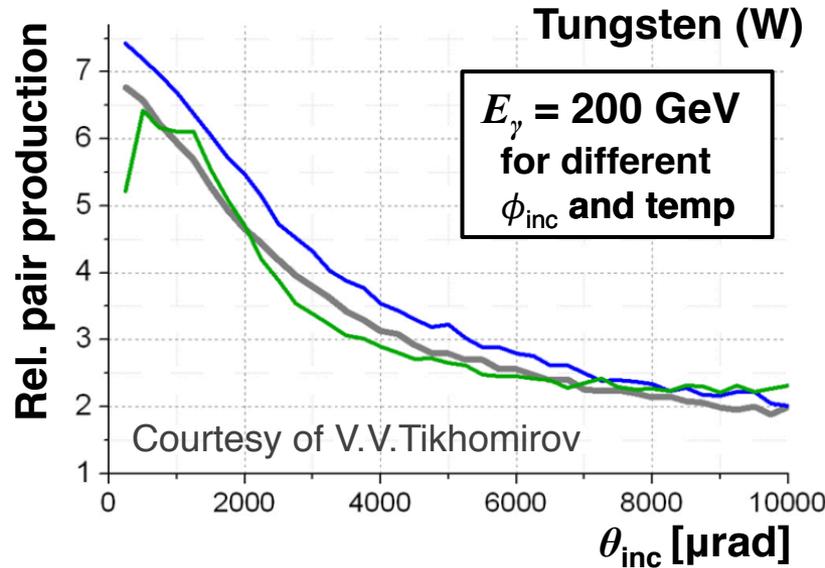
# Neutral beamline layout (8.0 mrad)

Increase solid angle to compensate for decreased  $K_L$  production

$\Delta\theta = 0.3 \rightarrow 0.4$  mrad gives 1.8x increase in beam flux



## Coherent effects in crystals enhance pair-conversion probability



Use coherent effects to obtain a converter with large effective  $\lambda_{\text{int}}/X_0$ :

### 1. Beam photon converter in dump collimator

Effective at converting beam  $\gamma$ s while relatively transparent to  $K_L$

### 2. Absorber material for small-angle calorimeter (SAC)

Must be insensitive as possible to  $\sim\text{GHz}$  of beam neutrons while efficiently vetoing high-energy  $\gamma$ s from  $K_L$  decays

# Beam test of $\gamma \rightarrow e^+e^-$ in crystals

**KLEVER is collaborating with INFN groups with experience with coherent phenomena in crystals for test beam measurement of pair-production enhancement**

E. Bagli, L. Bandiera, V. Guidi, A. Mazzolari, M. Romangnoni, A. Sytov (Ferrara);  
D. De Salvador (LNL);  
V. Mascagna, M. Prest (Milano Bicocca);  
E. Vallazza (Trieste).



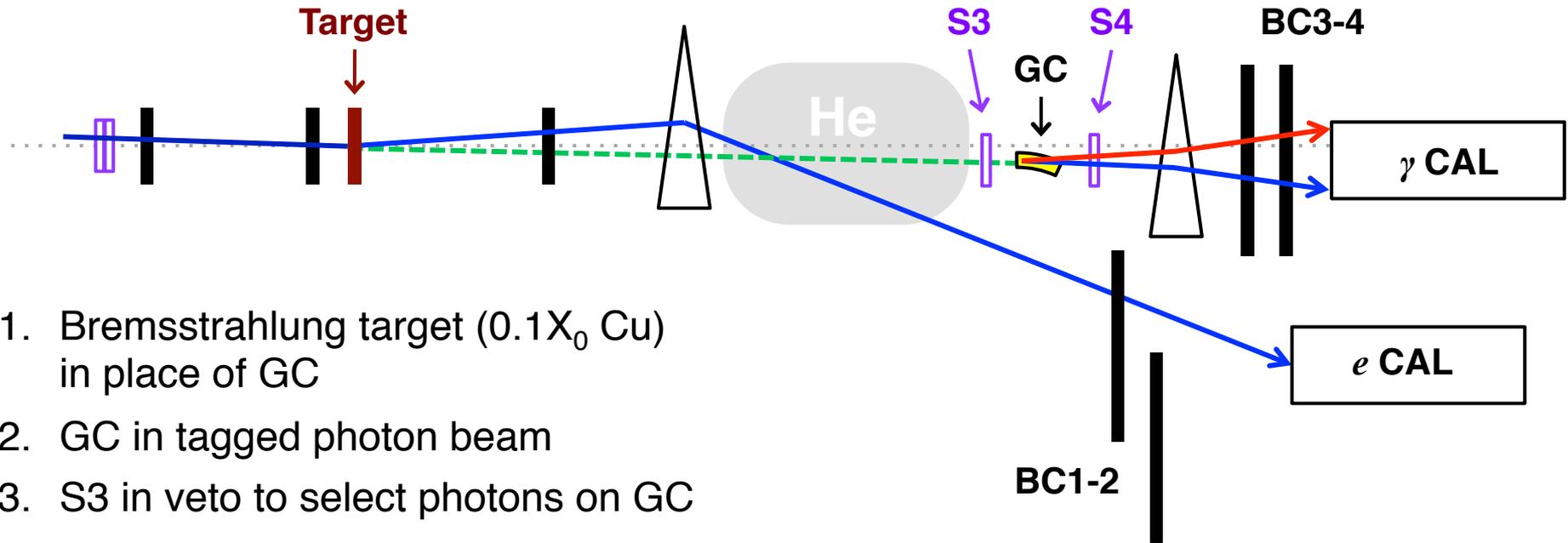
July 2017 AXIAL data taking, H4 beamline  
Run Coordinator: L. Bandiera

## Test goals:

1. Observe  $\gamma \rightarrow e^+e^-$  enhancement with a commercially available tungsten crystal
2. Measure spectrum of transmitted  $\gamma$  energy for a thick ( $\sim 10$  mm) crystal
3. Measure pair conversion vs.  $E_\gamma$ ,  $\theta_{\text{inc}}$  for  $5 < E_\gamma < 150$  GeV
4. Obtain information to assist MC development for beam photon converter and SAC

# Beam test of $\gamma \rightarrow e^+e^-$ in crystals

Tagged photon beam setup for H4 (or H2) test beam:



1. Bremsstrahlung target ( $0.1X_0$  Cu) in place of GC
2. GC in tagged photon beam
3. S3 in veto to select photons on GC
4. S4 to detect pair conversions
5. BC1-2:  $9.5 \times 9.5$  cm<sup>2</sup> Si detectors to extend coverage of tagging system
6. Analysis magnet and BC3-4 to assist in reconstruction of  $e^+e^-$  pairs
7. He bag to reduce multiple scattering

- Nearly all detectors and DAQ system available for use from AXIAL
- INFN has approved funds for crystal samples, etc.
- 1 week of beam requested in 2018

## Add a tracking system for charged particles?

### Advantages

- Expand physics scope of experiment:  
 $K_L \rightarrow \pi^0 \ell^+ \ell^-$ ,  $K_L \rightarrow \ell^+ \ell^- \ell^+ \ell^-$ , etc.
- Facilitate calibration and efficiency measurements

### Issues

- Potential complications for  $K_L \rightarrow \pi^0 \nu \nu$ 
  - Simulate impact of material budget on photon veto efficiency
  - Evaluate impact of magnet on photon veto coverage

## Add a preshower detector in front of LKr?

### Advantages

- Redundancy for rejection for  $K_L \rightarrow \pi^0 \pi^0$
- Partial event reconstruction for calibration channels
- Sensitivity for exotics searches  
 $K_L \rightarrow \pi^0 X$ ,  $X \rightarrow \gamma \gamma$  with displaced vertex

### Issues

- Require at least 1 conversion for signal events  $\rightarrow$  cost in signal?
  - $0.5X_0$  converter  $\rightarrow$  50% of pairs have at least 1 conversion
- Same complications as for adding tracking
  - As close as possible to main calorimeter, like CPV

## Project timeline – target dates:

<b>2017-2018</b>	<b>Project consolidation and proposal</b> <ul style="list-style-type: none"><li>• Beam test of crystal pair enhancement</li><li>• Consolidate design</li></ul>
<b>2019-2021</b>	<b>Detector R&amp;D</b>
<b>2021-2025</b>	<b>Detector construction</b> <ul style="list-style-type: none"><li>• Possible K12 beam test if compatible with NA62</li></ul>
<b>2024-2026</b>	<b>Installation during LS3</b>
<b>2026-</b>	<b>Data taking beginning Run 4</b>

- Most groups participating in NA62 have expressed interest in KLEVER

**We are actively seeking new collaborators!**

- KLEVER is represented in the CERN Physics Beyond Colliders study
- An Expression of Interest to the CERN SPSC is in preparation and will also be submitted as input to the European Strategy for Particle Physics

**Flavor will play an important role in identifying new physics, even if new physics is found at the LHC**

- $K \rightarrow \pi \nu \bar{\nu}$  is a uniquely sensitive indirect probe for high mass scales
- Need precision measurements of both  $K^+$  and  $K_L$  decays

**Preliminary design studies indicate that an experiment to measure  $\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu})$  can be performed at the SPS in Run 4 (2026-2029)**

- Many issues still to be addressed!
- Expected sensitivity:  $\sim 60$  SM events with  $S/B \sim 1$
- Comparable in precision to KOTO Step 2, with complementary technique (high vs. low energy) and different systematics

**$K_L \rightarrow \pi^0 \nu \bar{\nu}$  is a difficult measurement**

- 2 efforts are justified to ensure precision measurement of the BR!

**An Expression of Interest to the CERN SPSC is in preparation**

- Many aspects of the experiment still need to be better defined
- **The time to get involved in KLEVER is now!**

***KLEVER***

**Additional information**

Matthew Moulson – Frascati  
**For the KLEVER project**

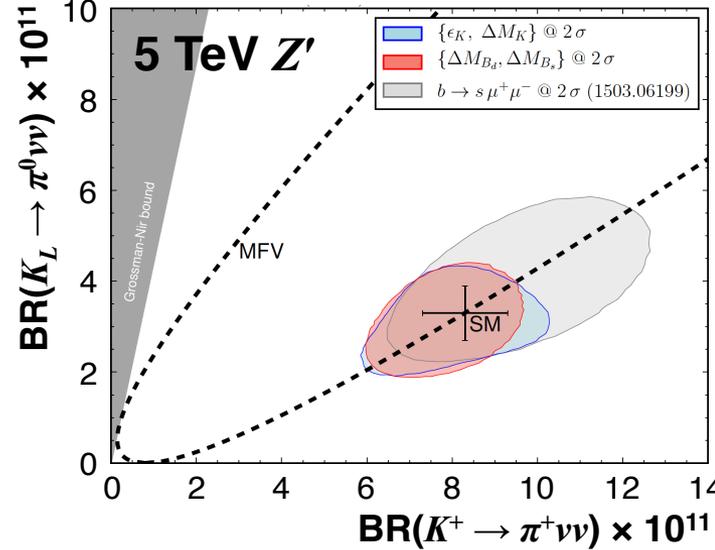
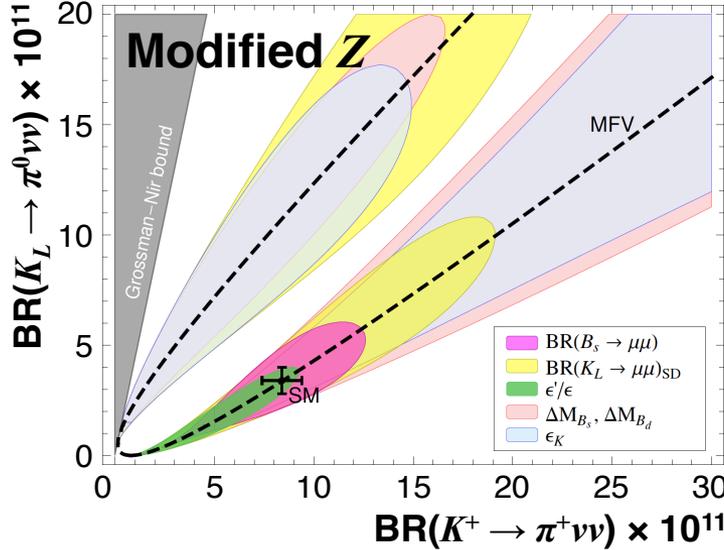
# $K \rightarrow \pi \nu \bar{\nu}$ and other flavor observables **KLEVER**

**Simplified  $Z, Z'$  model used as paradigm**

Buras, Buttazzo, Kneijens, JHEP 1511

**CMFV hypothesis:**

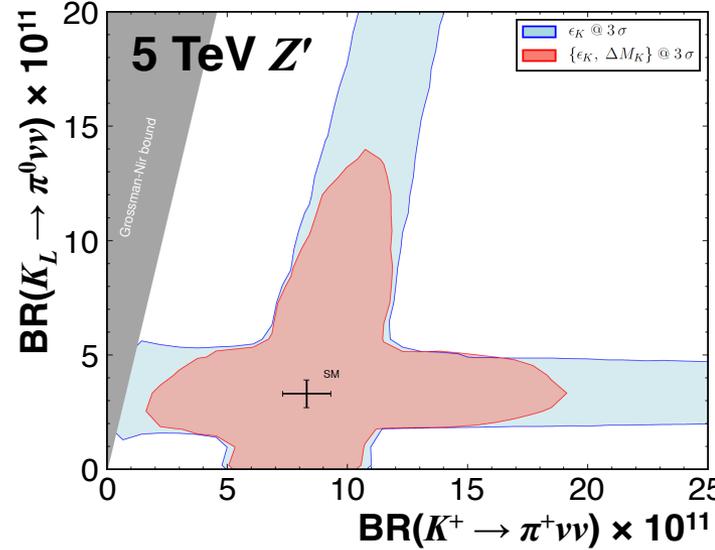
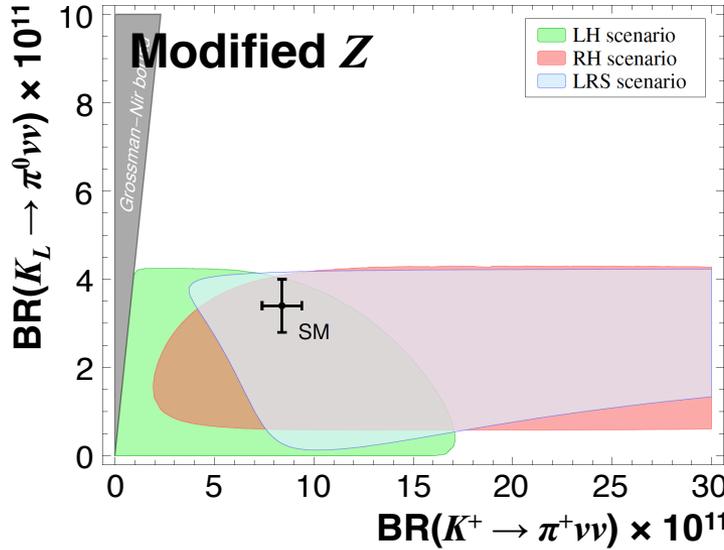
Constraints from  $B$  and  $K$  observables



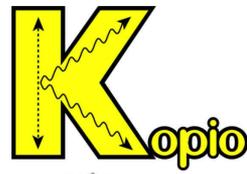
**LH and RH couplings allowed:**

Constraints from  $K$  observables:

- $\epsilon_K, \Delta M_K$
- $\epsilon'/\epsilon, K \rightarrow \mu\mu$  (for modified  $Z$ )



# Extra constraints for $K_L \rightarrow \pi^0 \nu \bar{\nu}$

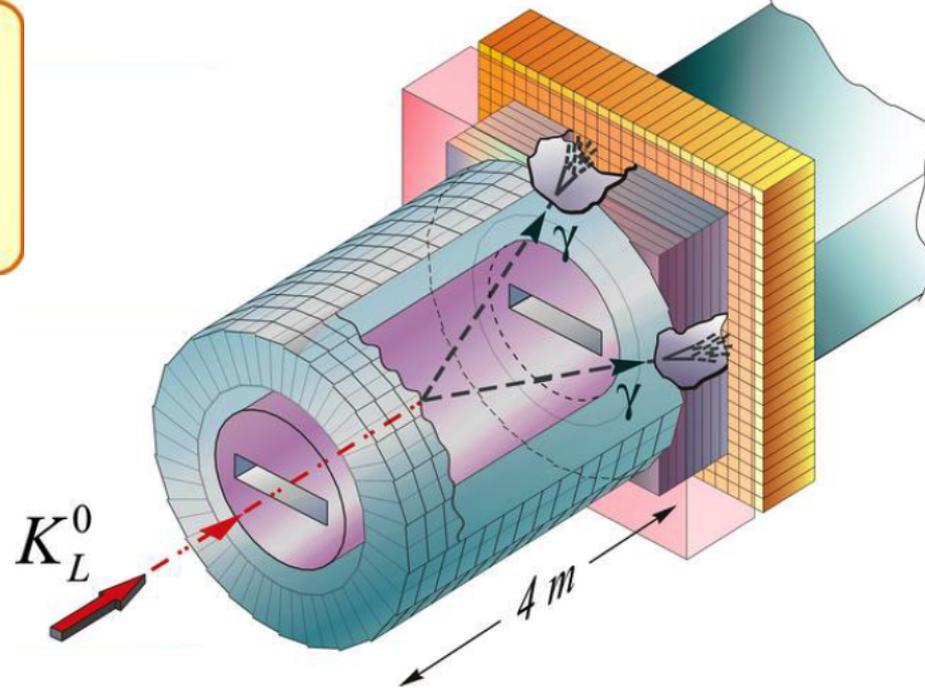
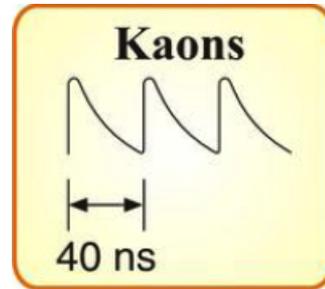
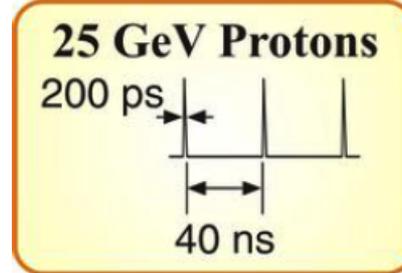


## KOPIO

Brookhaven AGS  
Cancelled 2005

**Primary: 26 GeV  $p$**   
 $10^{14} p/7.2 \text{ s}$

**Neutral beam ( $43^\circ$ )**  
 $\langle p(K_L) \rangle = 0.9 \text{ GeV}$   
50% of  $K_L$  have  
0.5-1.2 GeV



### Microbunched beam from AGS:

200 ps every 40 ns,  $10^{-3}$  extinction

### Flat beam to increase $K_L$ flux

Solid angle  $360 \mu\text{sr} = 1 \text{ m wide!}$

### Preradiator in front of calorimeter

Reconstruct angle of incidence for  $\gamma$ s

**Sensitivity: 180 SM evts in  $\sim 4 \text{ yr}$**

### Advantages:

- $p(K_L)$  from time of flight
- Vertex position from preradiator
- Redundant constraints

### Disadvantages:

- Difficult to veto low-energy  $\gamma$ s
- Much lower  $K_L$  flux at high angle

# High-intensity neutral beam issues



$10^{19}$  pot/yr  $\times$  5 years  $\rightarrow$   $2 \times 10^{13}$  ppp/16.8s = 6 $\times$  increase relative to NA62

Feasibility/cost study a primary goal of our involvement in Conventional Beam WG

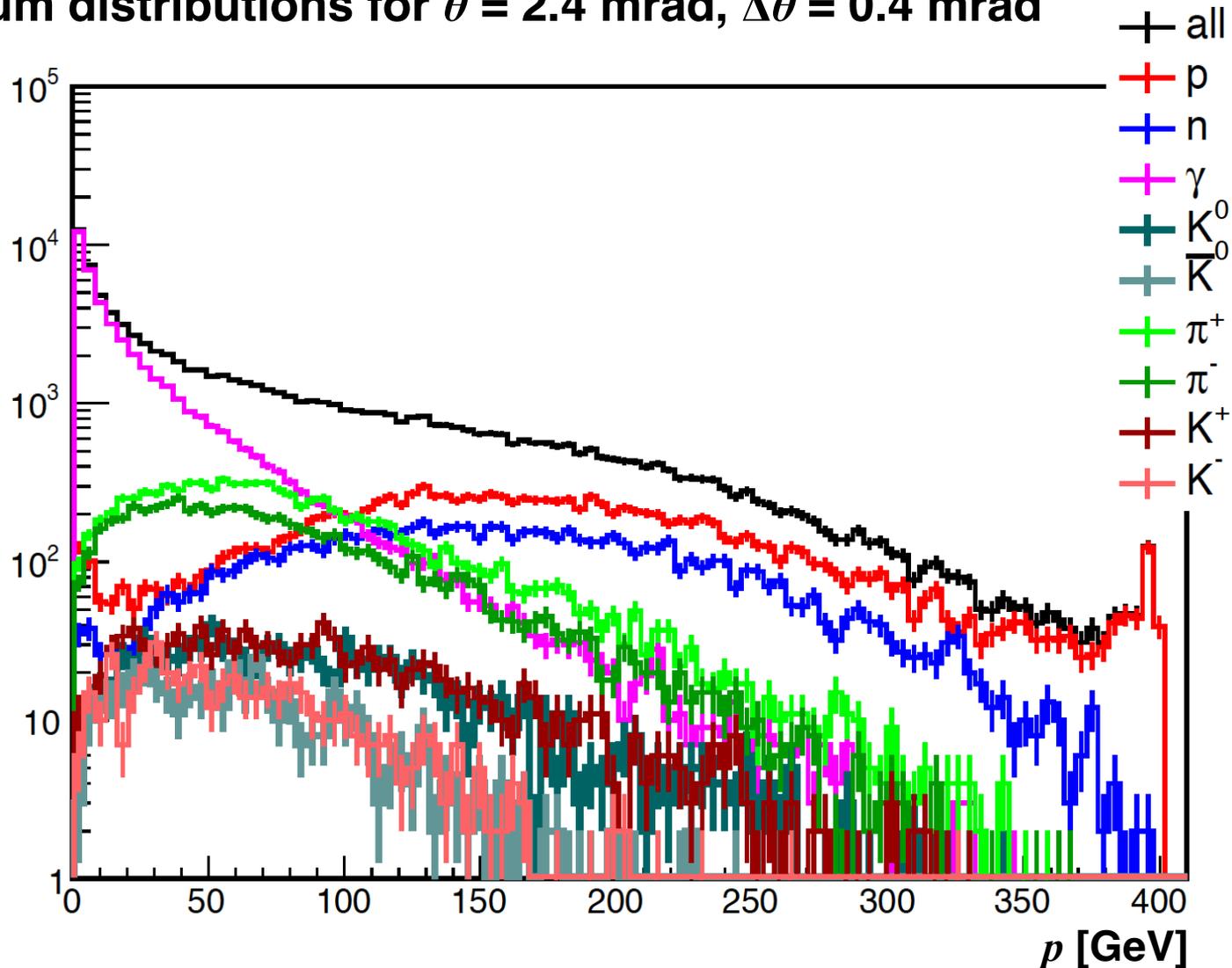
## Preliminary analysis of critical issues by Secondary Beams & Areas group

Issue	Approach
<b>Extraction losses</b>	Good results on ZS losses and spill quality from SPS Losses & Activation WG (SLAWG) Slow extraction workshop, 9-11 November: <a href="https://indico.cern.ch/event/639766/">https://indico.cern.ch/event/639766/</a>
<b>Beam loss on T4</b>	Vertical by-pass to increase transmission to T10
<b>Equipment protection</b>	Possibly use SIS interlock to stop extraction during P0Survey reaction time
<b>Ventilation in ECN3</b>	Need to understand better current safety margin May need comprehensive ventilation system upgrade
<b>ECN3 beam dump</b>	Significantly improved for NA62 Need to understand better current safety margin
<b>Background fluxes</b>	Detailed simulations getting started

# Neutral beam simulation

FLUKA simulation of 400 GeV  $p$  on 400-mm Be target

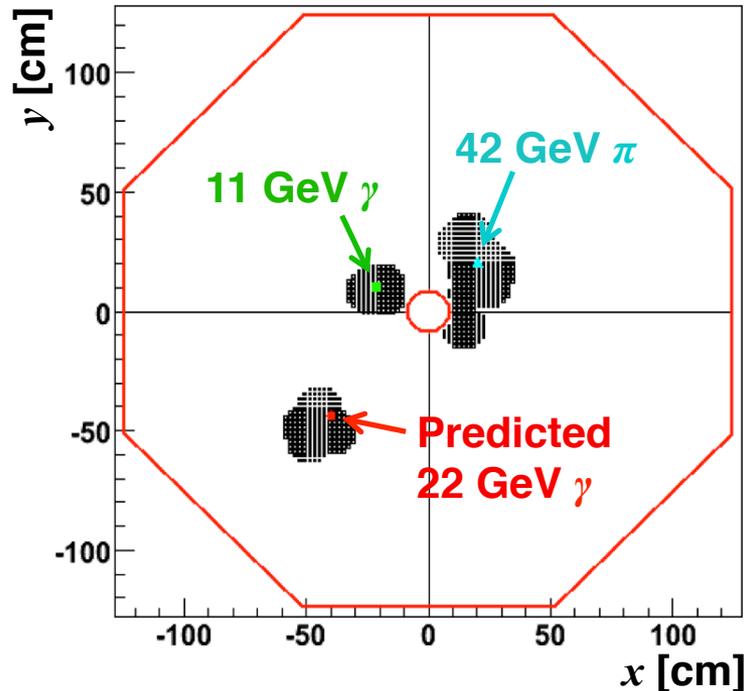
Momentum distributions for  $\theta = 2.4$  mrad,  $\Delta\theta = 0.4$  mrad



# The NA48 LKr as a photon veto

## Method 1: $K^+ \rightarrow \pi^+\pi^0$

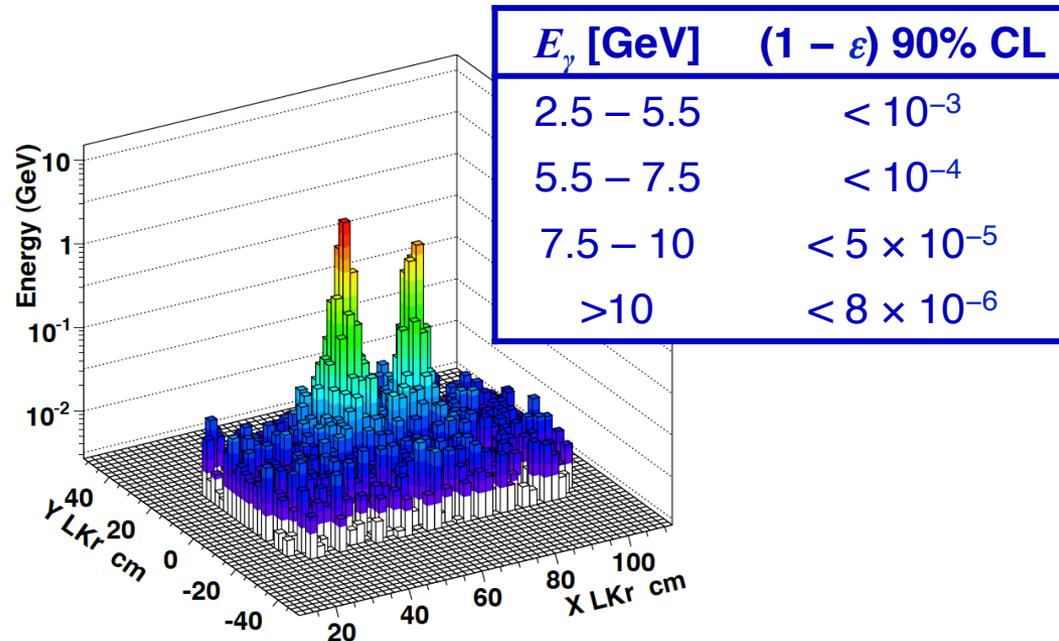
- Low-rate,  $p = 75$  GeV run in 2004
- $K^+ \rightarrow \pi^+\pi^0$  selected using kinematics only  
Tight topological and quality cuts  
 $E/p$  cut and muon veto for track ID
- $\pi^+$  and lower energy  $\gamma$  are used to predict position of other  $\gamma$



$1 - \epsilon < 9 \times 10^{-6}$  90% CL

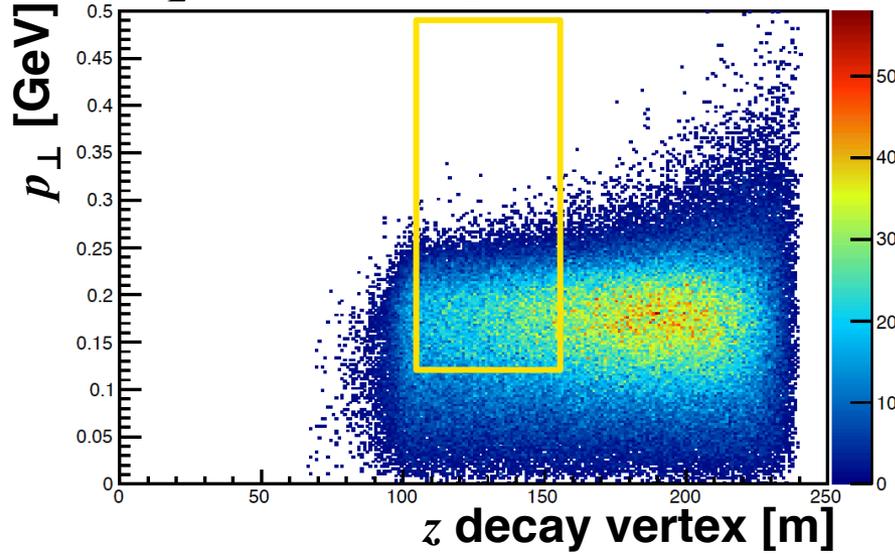
## Method 2: Tagged $\gamma$

- Test beam with  $e^-$  in 2006
- 25 GeV beam aimed at LKr
- Bremsstrahlung on material upstream of MNP33
- Beam deflected 12 cm, reconstruct  $e^-$  in LKr
- Nominal beam position = position of bremsstrahlung  $\gamma$

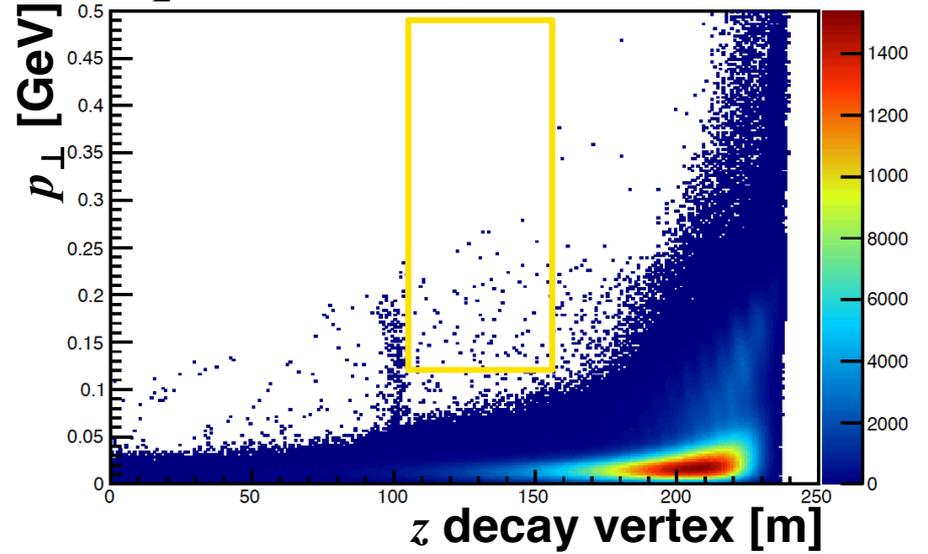


# FV optimization ( $\theta = 2.4$ mrad)

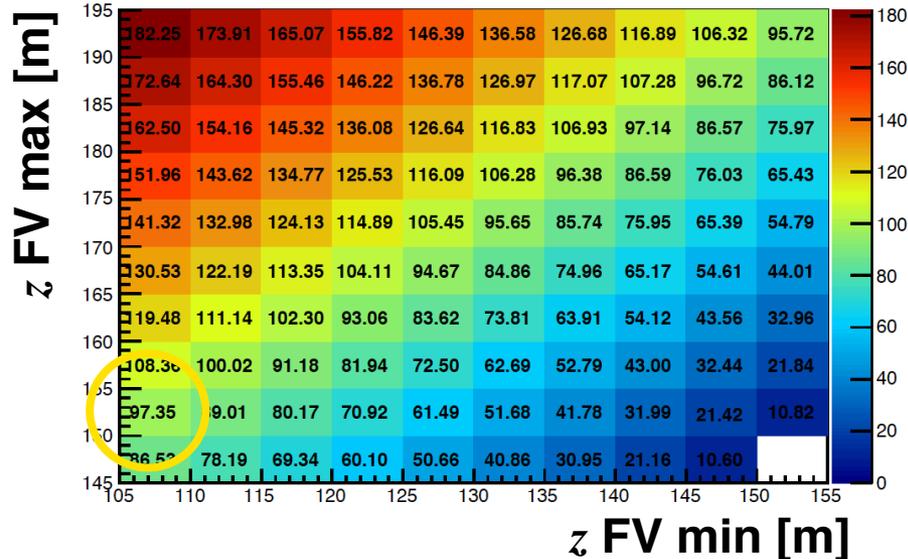
$K_L \rightarrow \pi^0 \nu \nu$  acceptance



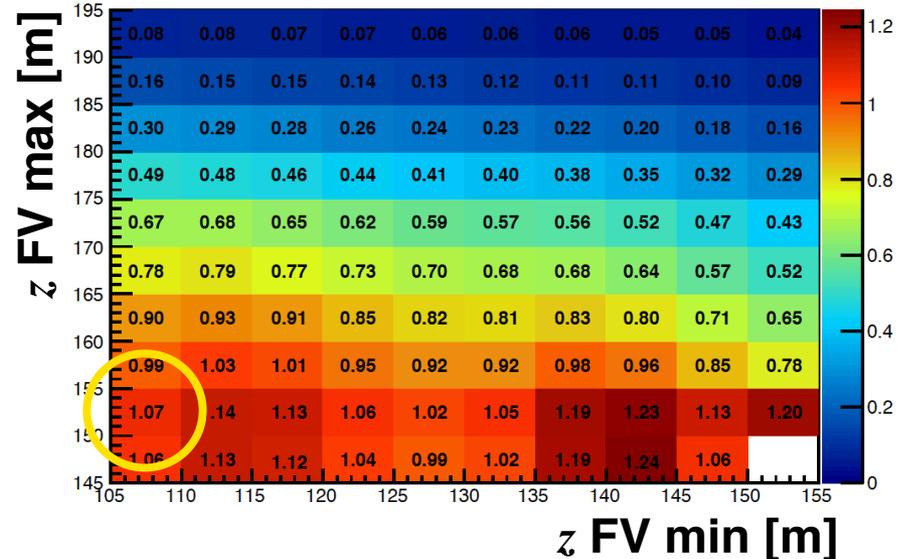
$K_L \rightarrow \pi^0 \pi^0$  acceptance



$\pi^0 \nu \nu$  counts 5 yr

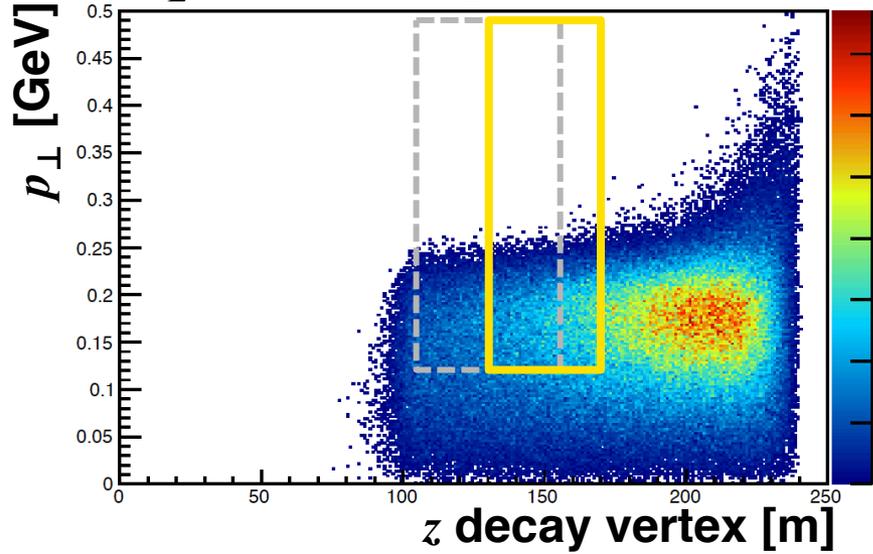


$\pi^0 \nu \nu / \pi^0 \pi^0$  ratio

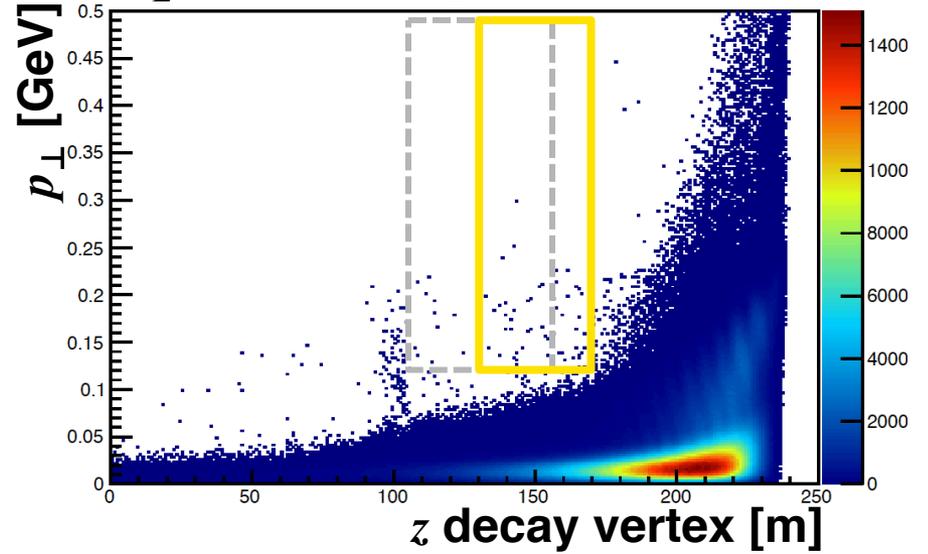


# FV optimization ( $\theta = 8.0$ mrad)

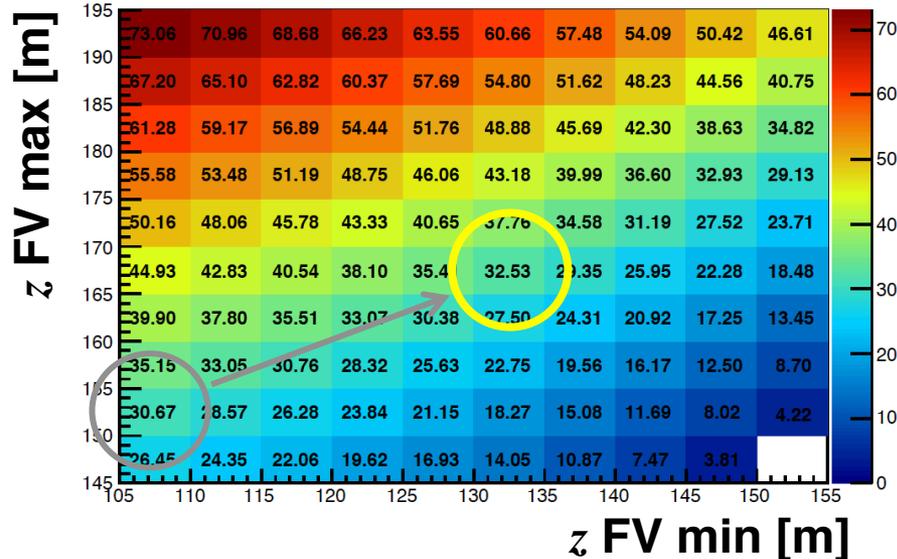
$K_L \rightarrow \pi^0 \nu \nu$  acceptance



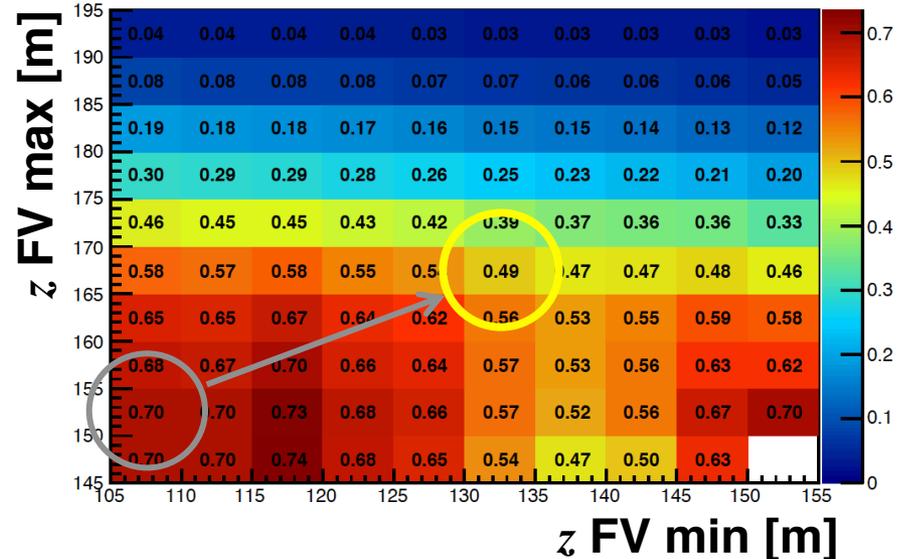
$K_L \rightarrow \pi^0 \pi^0$  acceptance



$\pi^0 \nu \nu$  counts 5 yr

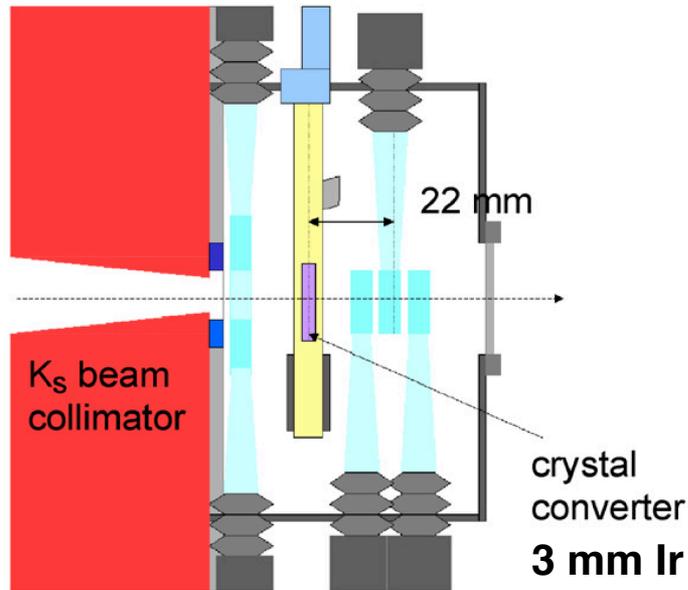


$\pi^0 \nu \nu / \pi^0 \pi^0$  ratio



# Crystal converter for the NA48 AKS

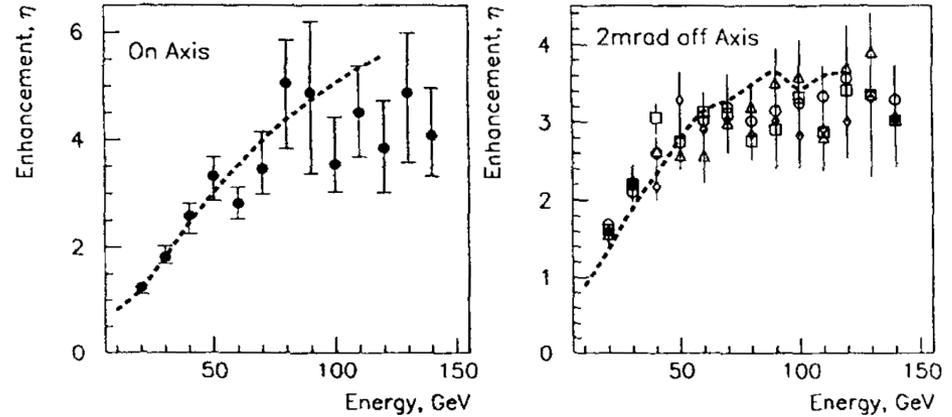
AKS used to define start of FV for  $K_S \rightarrow \pi^0 \pi^0$  decays in NA48



Pair-production enhancement from coherent interaction with crystal lattice was studied for AKS development

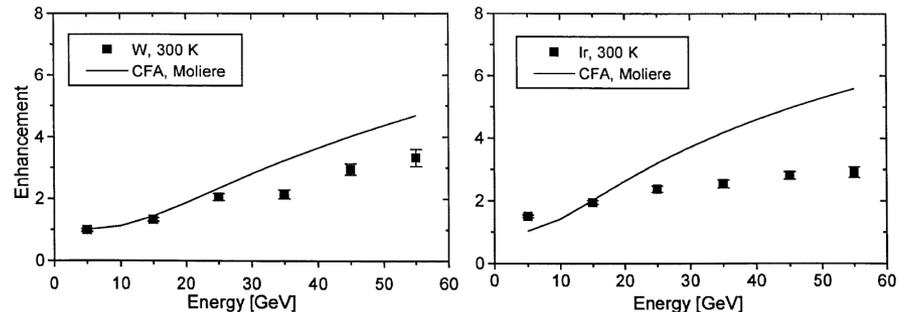
## Pair prod. enhancement vs $E_\gamma$ and $\theta_\gamma$

Moore et al., NIMB 119, 149 (1996)



## On-axis pair prod. enhancement for W and Ir

Kirsebom et al., NIMB 135, 248 (1998)

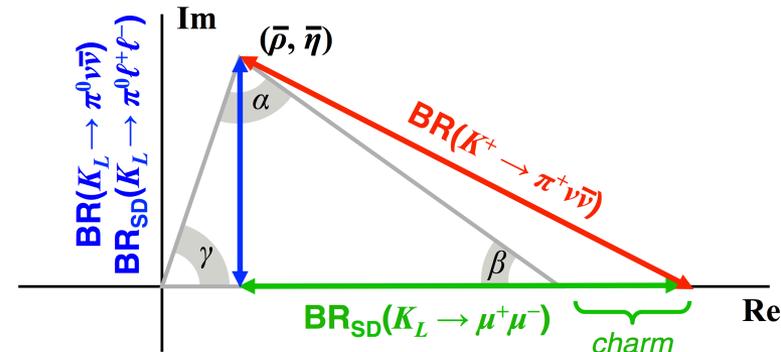


**NA48 had use of high-quality crystals from MPI Stuttgart (mosaicity  $\sim 0.02$  deg)  
These crystals appear no longer to be commercially available!**

$$K_L \rightarrow \pi^0 \ell^+ \ell^-$$

$$K_L \rightarrow \pi^0 \ell^+ \ell^- \text{ vs } K \rightarrow \pi \nu \nu:$$

- Somewhat larger theoretical uncertainties from long-distance physics
  - SD CPV amplitude:  $\gamma/Z$  exchange
  - LD CPC amplitude from  $2\gamma$  exchange
  - LD indirect CPV amplitude:  $K_L \rightarrow K_S$
- $K_L \rightarrow \pi^0 \ell^+ \ell^-$  can be used to explore helicity suppression in FCNC decays



$K_L \rightarrow \pi^0 \ell^+ \ell^-$  CPV amplitude constrains UT in same way as  $BR(K_L \rightarrow \pi^0 \nu \nu)$

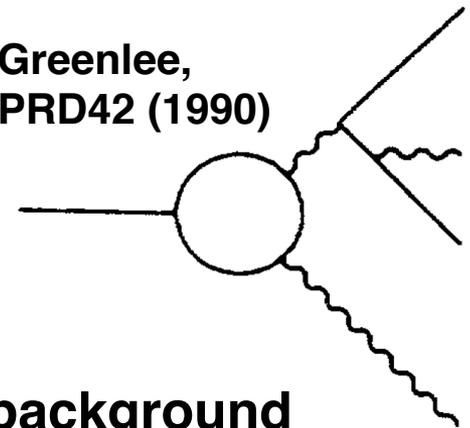
**Main background:**  $K_L \rightarrow \ell^+ \ell^- \gamma \gamma$

- Like  $K_L \rightarrow \ell^+ \ell^- \gamma$  with hard bremsstrahlung

$$BR(K_L \rightarrow e^+ e^- \gamma \gamma) = (6.0 \pm 0.3) \times 10^{-7} \quad E_\gamma^* > 5 \text{ MeV}$$

$$BR(K_L \rightarrow \mu^+ \mu^- \gamma \gamma) = 10^{+8}_{-6} \times 10^{-9} \quad m_{\gamma\gamma} > 1 \text{ MeV}$$

Greenlee, PRD42 (1990)



$K_L \rightarrow \pi^0 e^+ e^-$  channel is plagued by  $K_L \rightarrow e^+ e^- \gamma \gamma$  background

– Small acceptance because of tight cuts on Dalitz plot

$K_L \rightarrow \pi^0 \mu^+ \mu^-$  channel may be more tractable