

# ECT Lecture

- **Neutrino Oscillation at reactors**
- **Probing the 'solar' sector**
- **Probing the 'atmospheric' sector**

**Thierry Lasserre (Saclay)**

# Neutrino Oscillations at reactors

# Neutrino Oscillation formalism

$$P(\bar{\nu}_x \rightarrow \bar{\nu}_x) = 1 - \sin^2(2\theta_i) \sin\left(1.27 \frac{\Delta m_i^2 (\text{eV}^2) L (\text{m})}{E (\text{MeV})}\right)$$

Atmospheric	Cross-Mixing	Solar	Majorana <del>CP</del> phases
$U = \begin{bmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{bmatrix}$	$\times \begin{bmatrix} c_{13} & 0 & s_{13}e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta} & 0 & c_{13} \end{bmatrix}$	$\times \begin{bmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{bmatrix}$	$\times \begin{bmatrix} e^{i\alpha_1/2} & 0 & 0 \\ 0 & e^{i\alpha_2/2} & 0 \\ 0 & 0 & 1 \end{bmatrix}$

$\theta_{23}$  : “atm.” mixing angle

$\theta_{13}$

$\theta_{12}$  : “solar” mixing angle

$c_{ij} \equiv \cos \theta_{ij}$ ,  $s_{ij} \equiv \sin \theta_{ij}$      $\delta$  Dirac CP violating phase

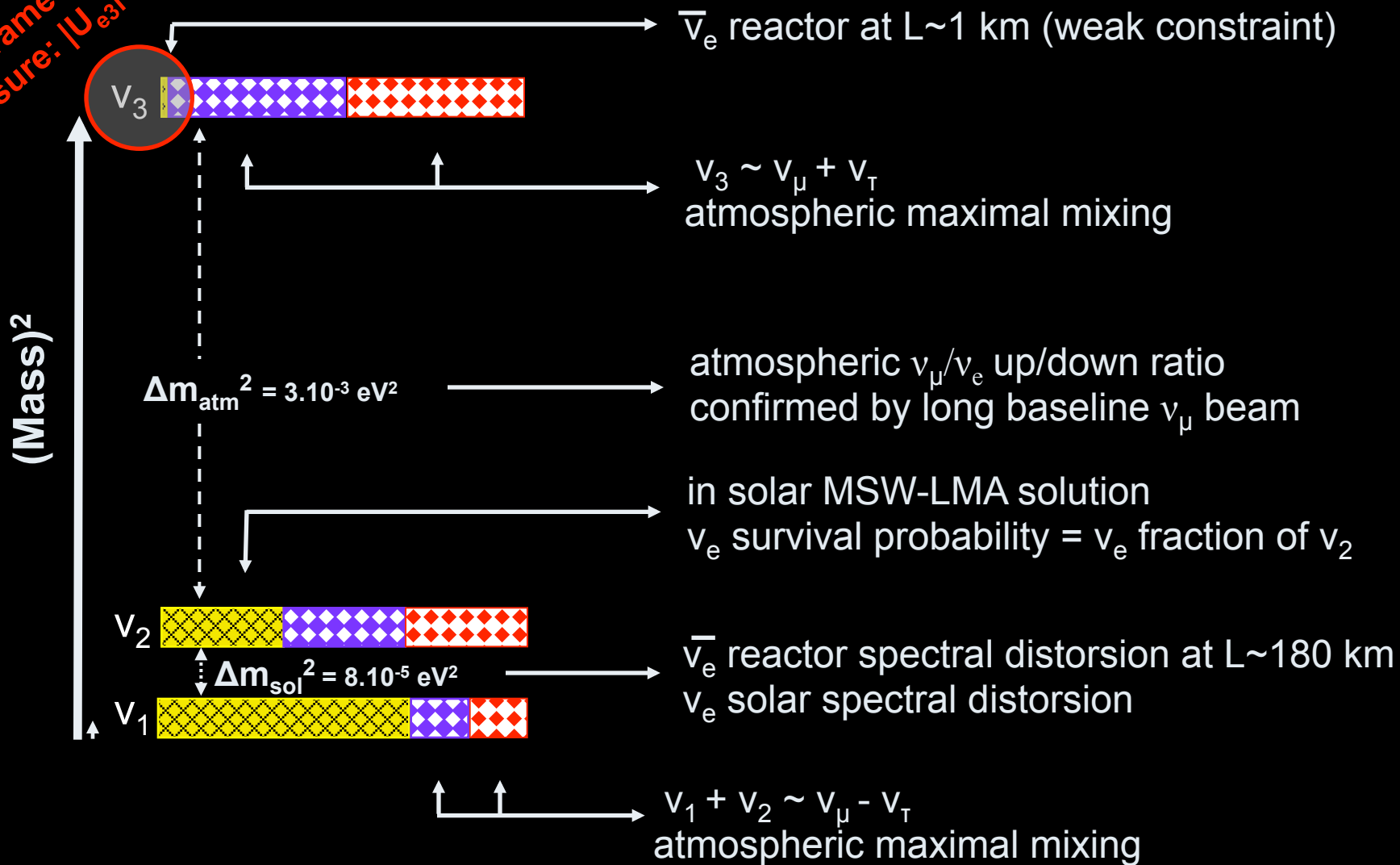
2 Majorana phases  
(L violating processes)

- 3 masses  $m_1, m_2, m_3$  :  $\Delta m_{\text{sol}}^2 = m_2^2 - m_1^2$  &  $\Delta m_{\text{atm}}^2 = |m_3^2 - m_1^2|$

- 3-flavour effects are suppressed because :  $\Delta m_{\text{sol}}^2 \ll \Delta m_{\text{atm}}^2$  (1/30) &  $\theta_{13} \ll 1$

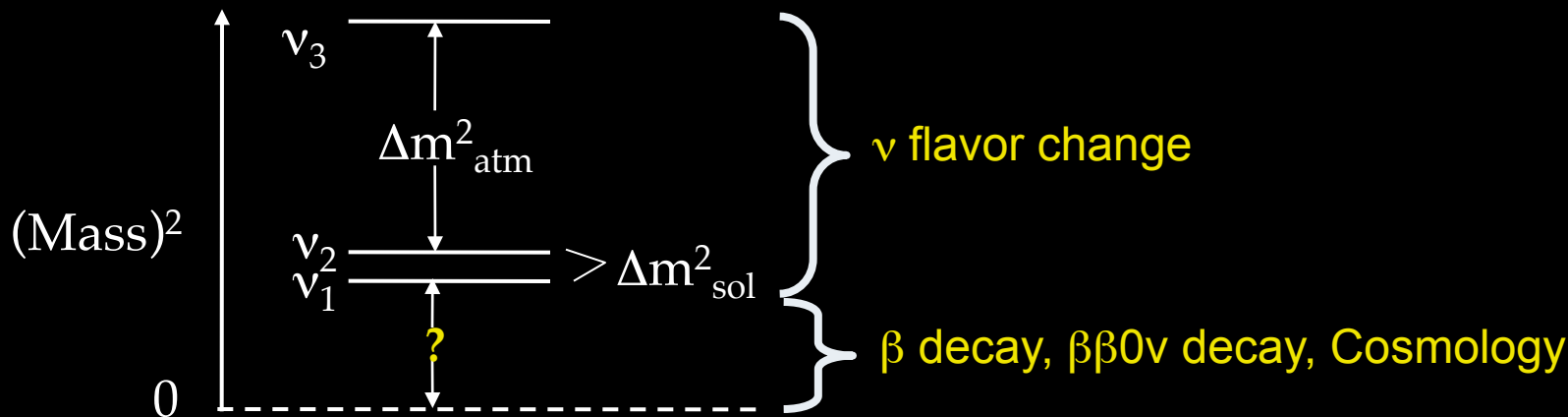
# Neutrino Oscillation Status



Last parameter to measure:  $|U_{e3}|^2$



$\nu_\tau$   $|U_{\tau i}|^2$    
  $\nu_e$   $|U_{e i}|^2$    
  $\nu_\mu$   $|U_{\mu i}|^2$

- What are the masses of the mass eigenstates  $\nu_i$ ?



- Is the spectral pattern  or ?  $\bar{\nu}$  behavior in earth matter,  $\beta\beta 0\nu$

- Is there any conserved Lepton Number (Dirac or Majorana neutrino)?  $\beta\beta 0\nu$

- What are the angles of the leptonic mixing matrix?
- Do the behavior of  $\nu$  violate CP?
- Is leptonic  $\not{C}P$  responsible for the matter-antimatter asymmetry?  
 $\rightarrow$ Leptogenesis?

}  $\nu$  flavor change

# Neutrino Oscillation at Reactors

- At least **3 active neutrino oscillation** but we can **simplify** the computations by using the two flavor **reactor neutrino survival probability** (baseline L).

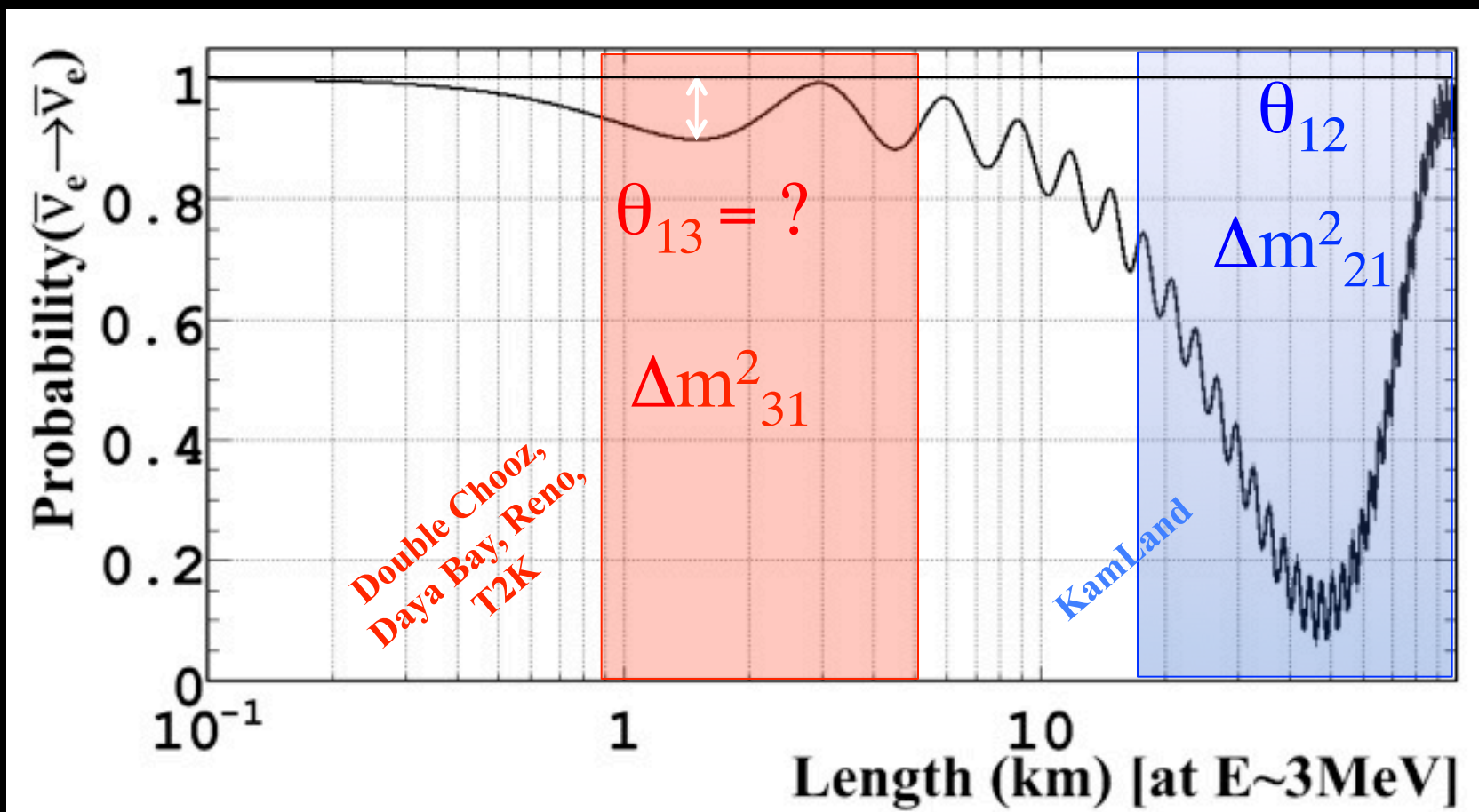
$$1 - P(\bar{\nu}_e \rightarrow \bar{\nu}_e) = \sin^2 2\theta_i \cdot \sin^2 \left( 1.27 \frac{\Delta m_i^2 [eV^2] L [m]}{E_{\bar{\nu}_e} [MeV]} \right)$$

$$\theta_{13} \text{ small} \\ \Delta m_{\text{sol}}^2 / \Delta m_{\text{atm}}^2 \approx 1/30$$

- Condition on baseline** :  $L_{\text{osc}} \text{ (m)} = 2.5 E(\text{MeV}) / \Delta m^2(\text{eV}^2)$ 
  - L close to  $L_{\text{osc}}/2$  (optimum): sensitivity to both  $\sin^2(2\theta)$  &  $\Delta m^2$
  - L  $\gg L_{\text{osc}}$  : sensitivity to  $\sin^2(2\theta)$  only
  - L  $\ll L_{\text{osc}}$  : no sensitivity ...
- Three 'decoupled' regimes:**
  - Probing 'atmospheric' driven oscillations if the baseline < few kilometers
    - $1.27 \cdot 3.5 / 2.5 \cdot 10^{-3} = 1.7 \text{ km}$        $\Delta m_i^2 = \Delta m_{31}^2$  and  $\theta_i = \theta_{\text{atm}}$
  - Probing 'solar' driven oscillations if the baseline > a few ten's of km
    - $1.27 \cdot 3.5 / 8 \cdot 10^{-5} = 55 \text{ km}$        $\Delta m_i^2 = \Delta m_{21}^2$  and  $\theta_i \sim \theta_{\text{sol}}$
  - Probing 'sterile' driven oscillations if the baseline if a few to a few ten's of m
    - $1.27 \cdot 3.5 / 1 \approx 5 \text{ m}$

# Neutrino Oscillation at Reactors

$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e) = 1 - \sin^2(2\theta) \sin^2(\Delta m^2 L / 4E)$$



## ▪ The Source

- Point-like or size  $\ll L_{osc}$
- Emitting a single neutrino flavor
- High and well know intensity
- Stable in time
- monochromatic or with a well know energy spectrum

## ▪ The Detector

- sensitive to
  - the emitting flavor (disappearance experiment)
  - a flavor not (or weakly) emitted by the source (appearance experiment)
- High and well know detection efficiency
- Precise and non-biased measurement of the neutrino energy
- Distance well know from the source
- low background
- stable in time



## ▪ The Source

- Source size  $\ll L_{\text{osc}}$  → can be matched easily for 'solar' and 'atm' driven oscillation  
→ more difficult for 'eV<sup>2</sup> sterile neutrino'
- Emitting a single neutrino flavor → 100% electron type antineutrino
- High and well known intensity → known to 3%, but RAA...
- Stable in time → Thermal power variation and fuel evolution to be tracked (1%)
- Well known energy spectrum → within a few %

## ▪ The Detector

- sensitive to
  - the emitting flavor (disappearance experiment)
- High and well known detection efficiency → (>80%, 1% uncertainty)
- Precise and non-biased measurement of the neutrino energy → 0.5%  $E_{\text{scale}}$
- Distance well known from the source → 10 cm precision (can be improved)
- low background → complicated detector design + underground
- stable in time → sub-percent precision achievable

# Sensitivity to Neutrino Oscillation

- On first approximation results of reactor neutrino experiment (RNE) can be analyzed in term of two flavor oscillations
- **RNE measure the fraction  $P$  of neutrino changing flavor at a given baseline,  $L$** 
  - $P = \sin^2(2\theta) \langle \sin^2(\Delta m^2 L / 4E) \rangle$
  - $\langle \sin^2(\Delta m^2 L / 4E) \rangle \rightarrow$  average over neutrino energy spectrum & baselines
    - $L \gg L_{osc} = 4\pi E / \Delta m^2 \rightarrow \langle \sin^2(\Delta m^2 L / 4E) \rangle = 1/2$
    - $L \ll L_{osc} = 4\pi E / \Delta m^2 \rightarrow \langle \sin^2(\Delta m^2 L / 4E) \rangle = (\Delta m^2)^2 \langle (L / 4E)^2 \rangle$
- **RNE are disappearance experiments**
  - $N$  events expected
  - absolute statistical uncertainty is :  $N^{1/2}$
  - The minimum fraction  $P$  detectable is relative statistical uncertainty is :  $P_{min} = 1/N^{1/2}$
  - BUT systematic uncertainty provide a lower bound on  $P_{min} = \sigma$
  - Experiment is completed when  $\sigma = 1/N^{1/2}$   
example: Double Chooz goal  $\sigma = 0.5\% \rightarrow N = 4e4$  ( $1/N^{1/2} = 0.5\%$ )

- Exclusions contours are used to display the oscillation parameters consistent with the no-oscillation hypothesis

- For 'historical reason' they are often given at 90% C.L.

- They are derived from :  $P_{\min} = \sin^2(2\theta) \langle \sin^2(\Delta m^2 L/4E) \rangle$

- For large  $\Delta m^2$  :

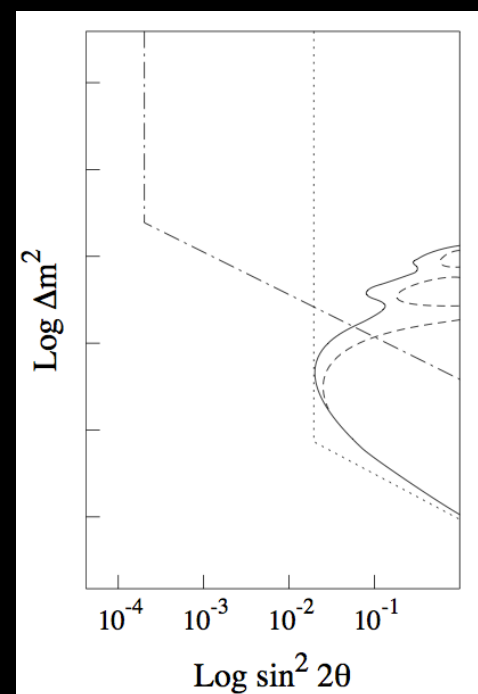
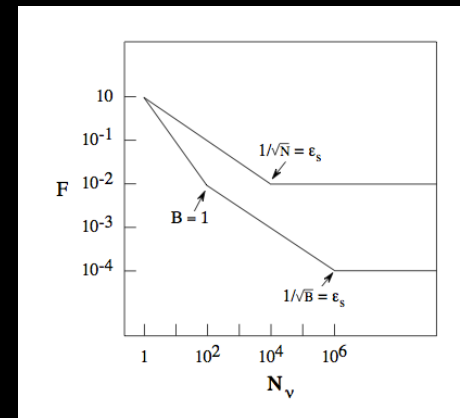
- $\sin^2(2\theta) = 2 P_{\min}$

- $\log(\sin^2(2\theta)) = \log(2P_{\min})$

- For low  $\Delta m^2$  :

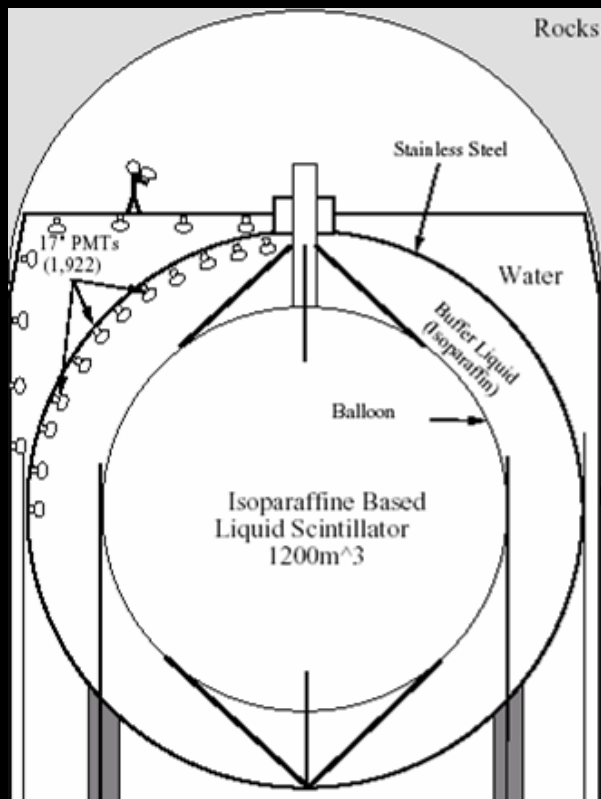
- $\sin^2(2\theta) (\Delta m^2)^2 = P_{\min} / \langle (L/4E)^2 \rangle$

- $\log(\sin^2(2\theta)) = P_{\min} / \langle (L/4E)^2 \rangle - 2 \log(\Delta m^2)$

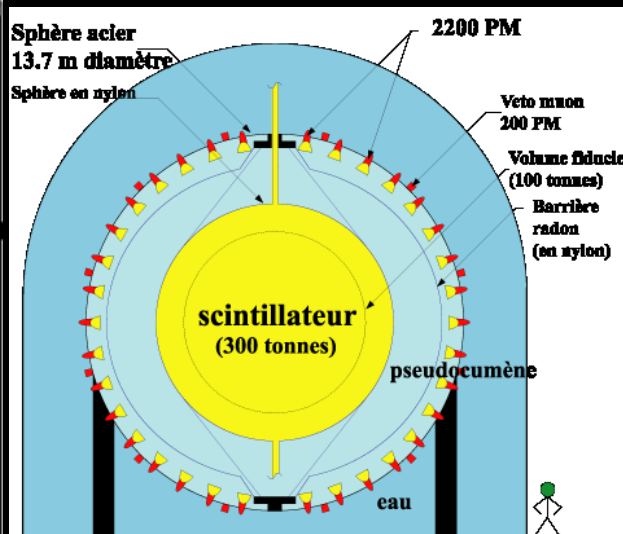


# Detectors

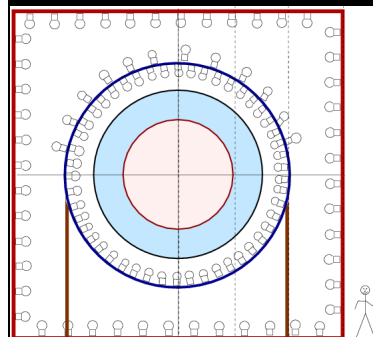
# Detectors on the market



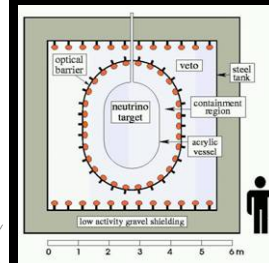
KamLAND  
1000 t



Borexino  
300 t



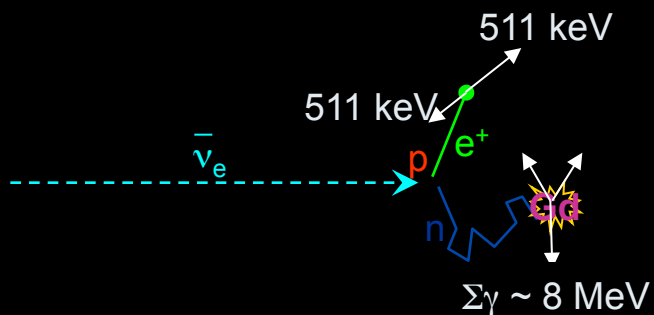
Rector/ $\theta_{13}$   
~20 t



CHOOZ  
5 t

$$N(L) = 70 \left( \frac{t}{1(\text{day})} \right) \left( \frac{P}{8.4(\text{GW})} \right) \left( \frac{V}{10(\text{m}^3)} \right) \left( \frac{1}{L(\text{km})^2} \right)$$

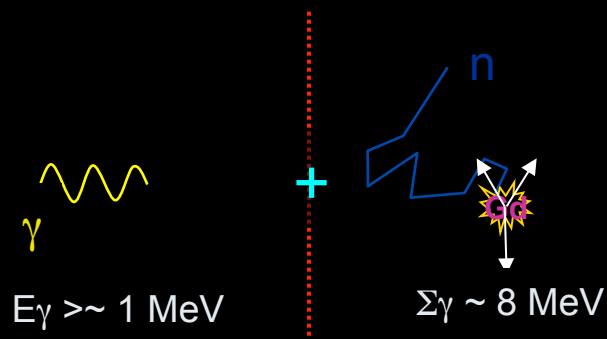
## Electron antineutrino signature through inverse beta decay



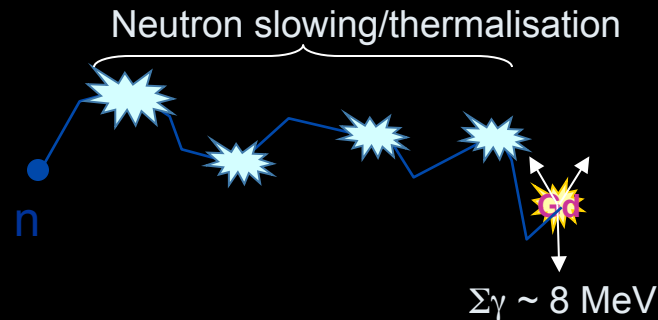
Prompt  $e^+$  (1-8 MeV)    Delayed n Gd-capture (8 MeV)

Time correlation:  $\tau \sim 30 \mu\text{s}$     Space correlation:  $< 1 \text{ m}$

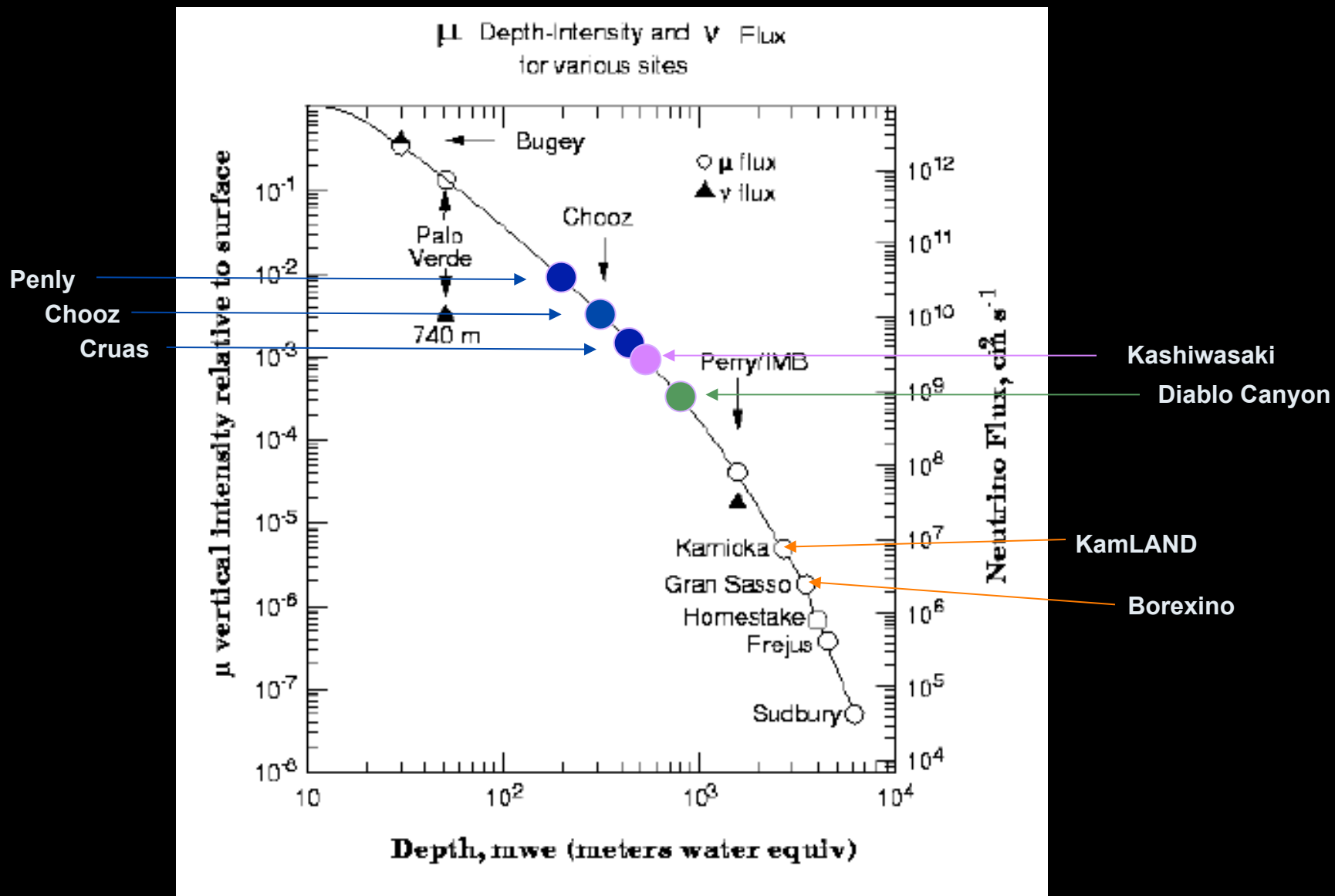
## Accidental Background



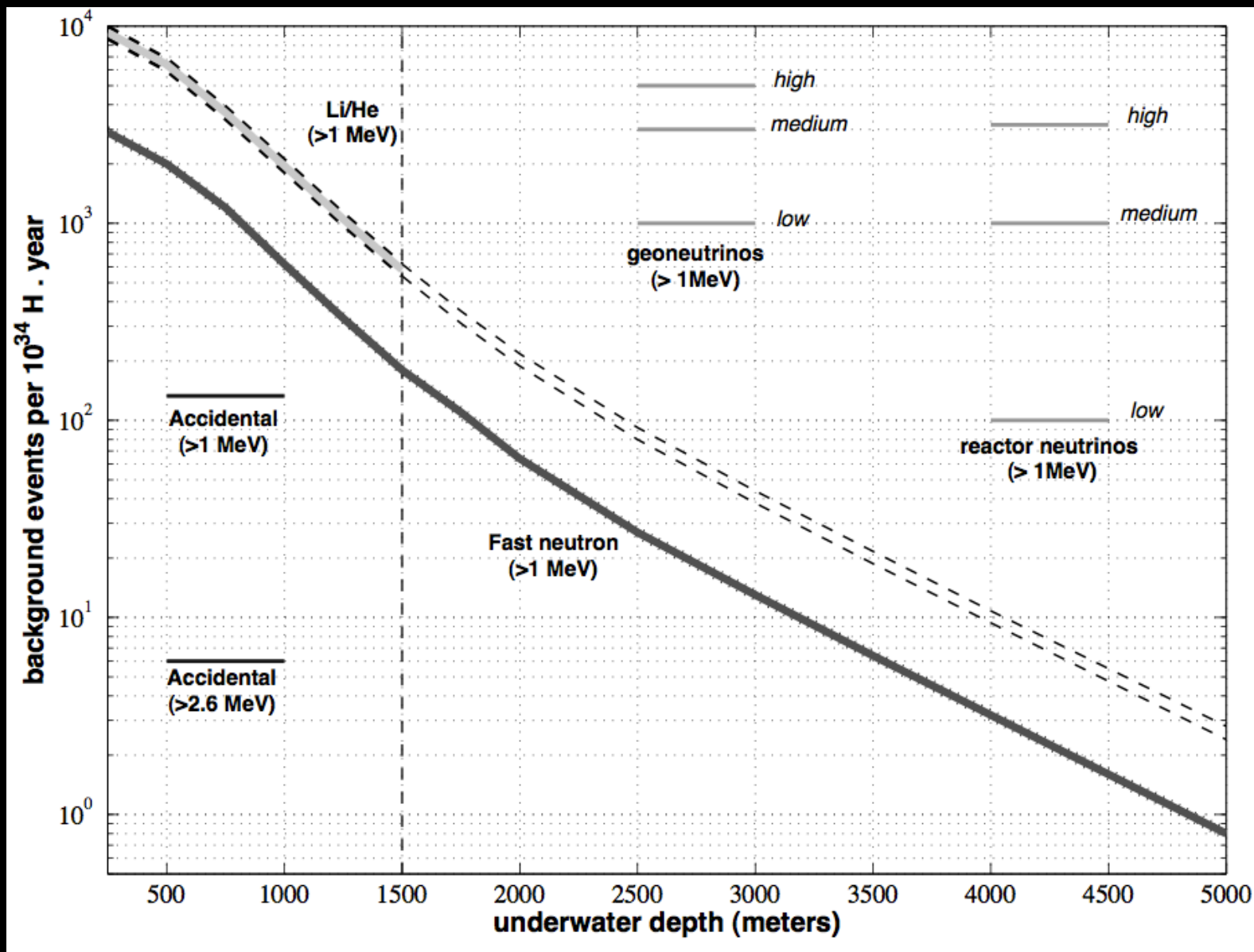
## Correlated Background



# Overburden



# Backgrounds (from arXiv:0145439)



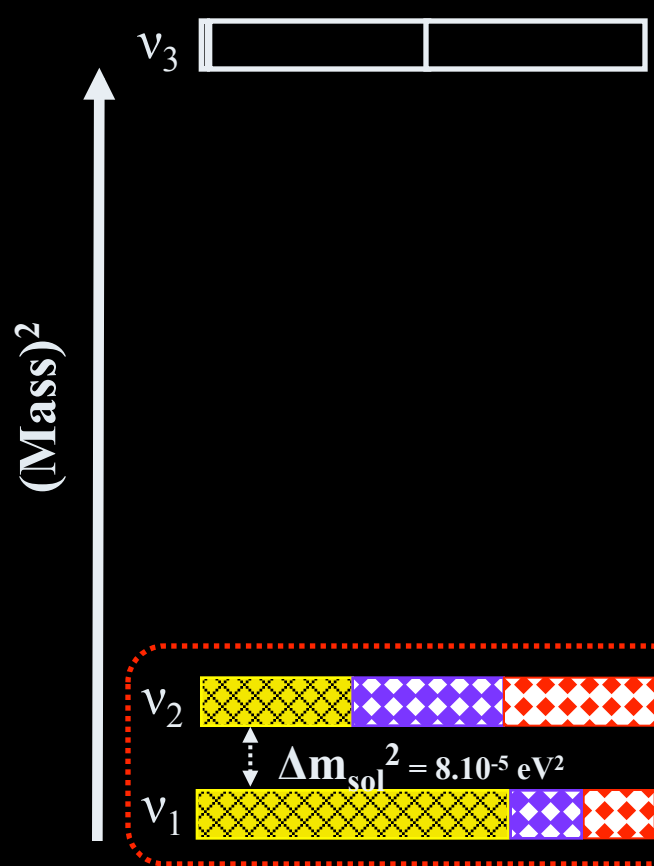


# Far Field ( $>50\text{km}$ )

# Reactor Experiments



# $\Delta m^2_{21}$ & $\theta_{12}$



$\Delta m^2 (\text{eV}^2) \sim L (\text{km}) / E (\text{GeV})$   
 $L \sim 100 \text{ km} \ \& \ E \sim \text{MeV}$   
 Or MSW 'flavor transition'

$\nu_e$   $|U_{e1}|^2$     
  $\nu_\mu$   $|U_{\mu 1}|^2$     
  $\nu_\tau$   $|U_{\tau 1}|^2$

# Reactor $\nu$ 's: KamLAND & Borexino

- **Goal** : Measure the disappearance of anti- $\nu_e$  from distant reactors with  $\langle L \rangle \sim 180\text{-}800$  km

- **Channel** :  $\bar{\nu}_e \rightarrow \bar{\nu}_e$  (detected through IBD)

- **Detector**:

- Liquid scintillator & 2000 PMTs
- few interactions/day-weeks
- E range: few 100 keV  $\sim$  ten's MeV

- **KamLAND Oscillation Results**

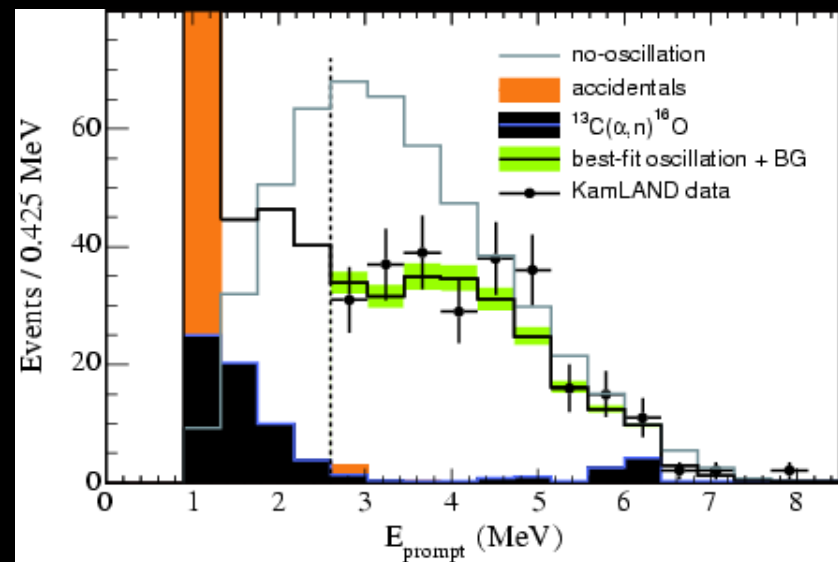
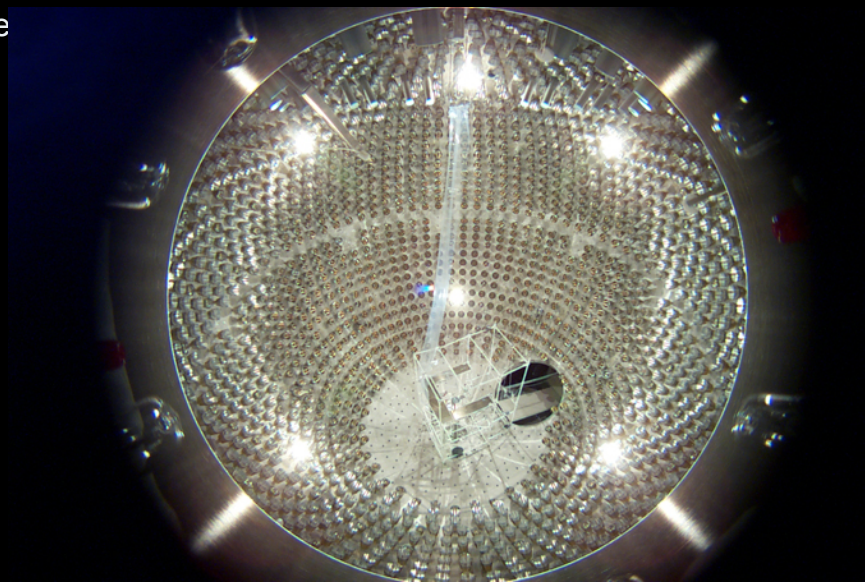
**Confirmation of the MSW-LMA solution**

$$\Delta m^2 = 7.58 \pm 0.14 \text{ (stat)} \pm 0.15 \text{ (syst)} \times 10^{-5} \text{ eV}^2$$

$$\tan^2 \theta_{12} = 0.56 \pm 0.08 \text{ (stat)} \pm 0.08 \text{ (syst)}$$

- **Borexino data taking** ( $\langle L \rangle \sim 800$  km)

- No spectrum distortion (no  $\Delta m_{21}^2$  mes.)
- Sensitivity to  $\sin^2(2\theta_{12})$



# Reactor Measurement of $\theta_{12}$

## ■ Connecting the $\nu_1 - \nu_2$ (solar) neutrino pair with the electron flavor

→ Already KamLAND, Borexino, SNO+?

→ A new disappearance experiment located at

the oscillation maximum :  $\text{Baseline} \approx \frac{2\pi E_{\nu}^{\text{peak}}}{\Delta m_{21}^2} \approx 50 - 70 \text{ km}$

## ■ Sensitivity (see Phys. Rev. D 71, 013005 2005)

→ Exposure: 60 GW<sub>th</sub> . Ton . Year

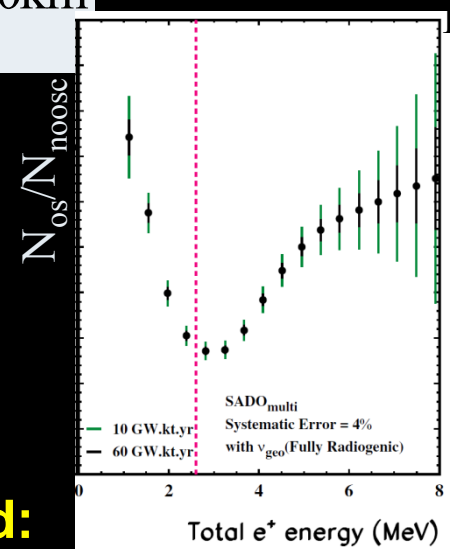
→ 4% systematics, error on  $\sin^2(\theta_{12})$  : 2% ( $1\sigma$ )

## ■ No project funded but a few sites have been discussed:

→ Sado Island (Japan), 55 km from Kashiwasaki power plant

→ San Onofre (US), with the Hano Hano detector underwater

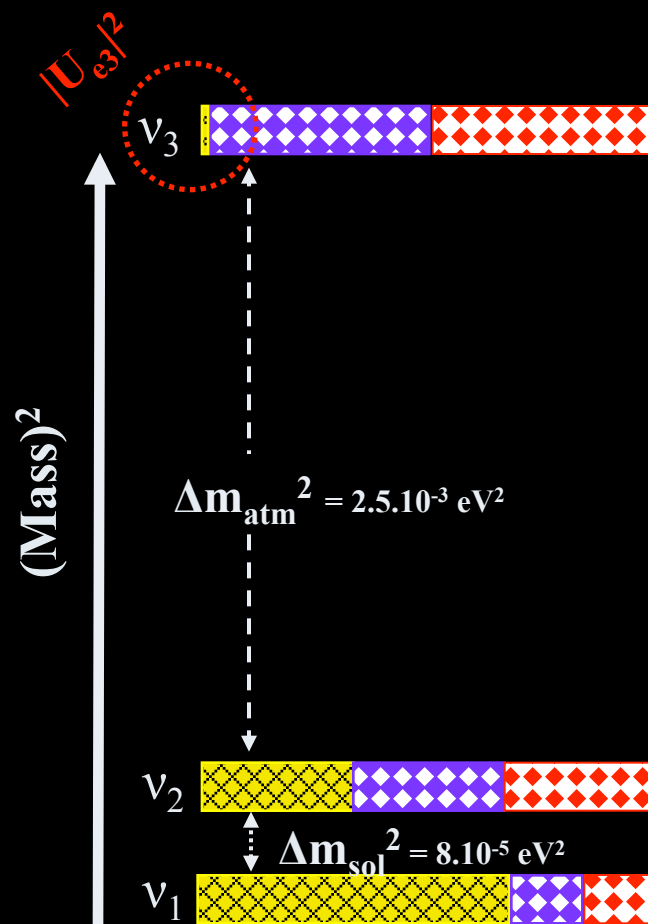
→ Future experiment close to the Daya-Bay reactors



# Middle Field

(1-2 km)

# $\theta_{13}$



$$\nu_e \quad \begin{array}{|c|} \hline \text{yellow grid} \\ \hline \end{array} \quad |U_{ei}|^2 \quad \nu_\mu \quad \begin{array}{|c|} \hline \text{purple grid} \\ \hline \end{array} \quad |U_{\mu i}|^2 \quad \nu_\tau \quad \begin{array}{|c|} \hline \text{red grid} \\ \hline \end{array} \quad |U_{\tau i}|^2$$

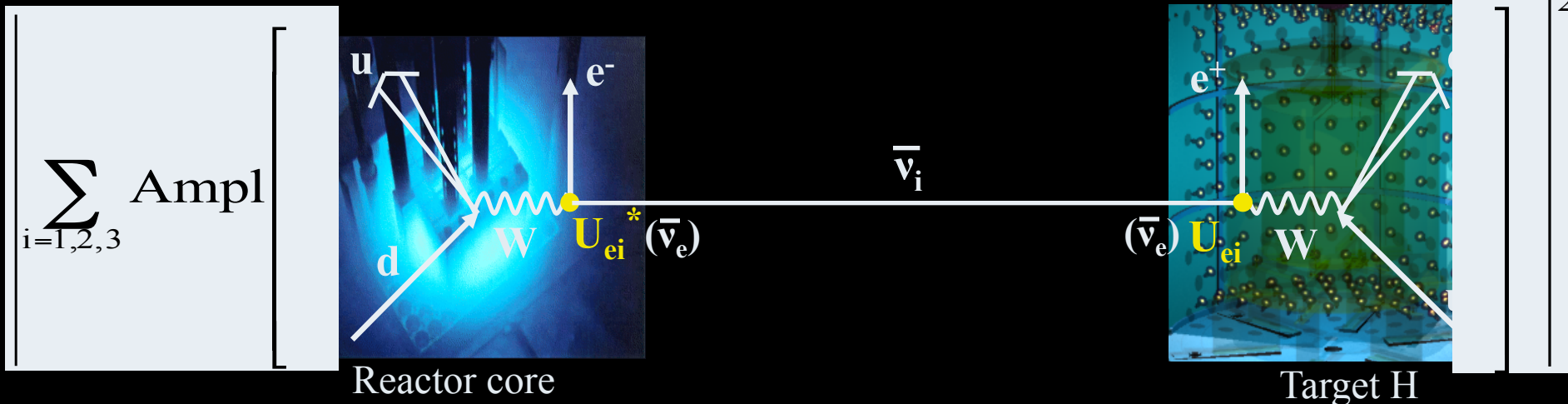
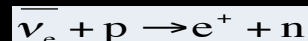
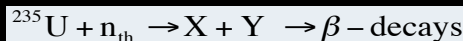
# The Current Central Role of $\theta_{13}$

- **$\theta_{13}$  is the last neutrino oscillation parameter to measure**
  - $\theta_{12}$  &  $\theta_{23} \gg \theta_{13} \rightarrow$  a guideline for oscillation models
  - Improvement of mass parameters ( $m_e$ ,  $m_{\beta\beta}$ ) & astrophysical sources
  
- **The  $\theta_{13}$  quest is an mandatory step prior searching for CP violation in the electroweak sector. Branching point around 2015:**
  - $\sin^2(2\theta_{13}) > 0.02 \rightarrow$  conventional neutrino beam ( $\pi \rightarrow \mu \nu$ , 1% contamination)
  - $\sin^2(2\theta_{13}) < 0.02 \rightarrow$  neutrino factories ( $\mu \rightarrow \nu$  or  $\Lambda X \rightarrow e + \nu$ , pure beams)
  
- **Experimentally: need to connect the  $\nu_e$  flavour with the isolated neutrino ( $\Delta m_{\text{atm}}^2$ )**
  - $L \sim 1$  km,  $E \sim \text{MeV}$  reactor neutrino experiments (Double Chooz, Daya Bay, Reno)
    - Disappearance expt. ;
    - $\theta_{13}$  only  $\rightarrow$  'clean'
  - $L \sim 1000$  km,  $E \sim \text{GeV}$  accelerator experiments (T2K, Nova)
    - Appearance expt. ;
    - $(\theta_{13}, \text{NH/IH}, \delta_{\text{CP}}) \rightarrow$  correlations & degeneracies

**$\rightarrow$ Complementary projects (absolutely needed)**



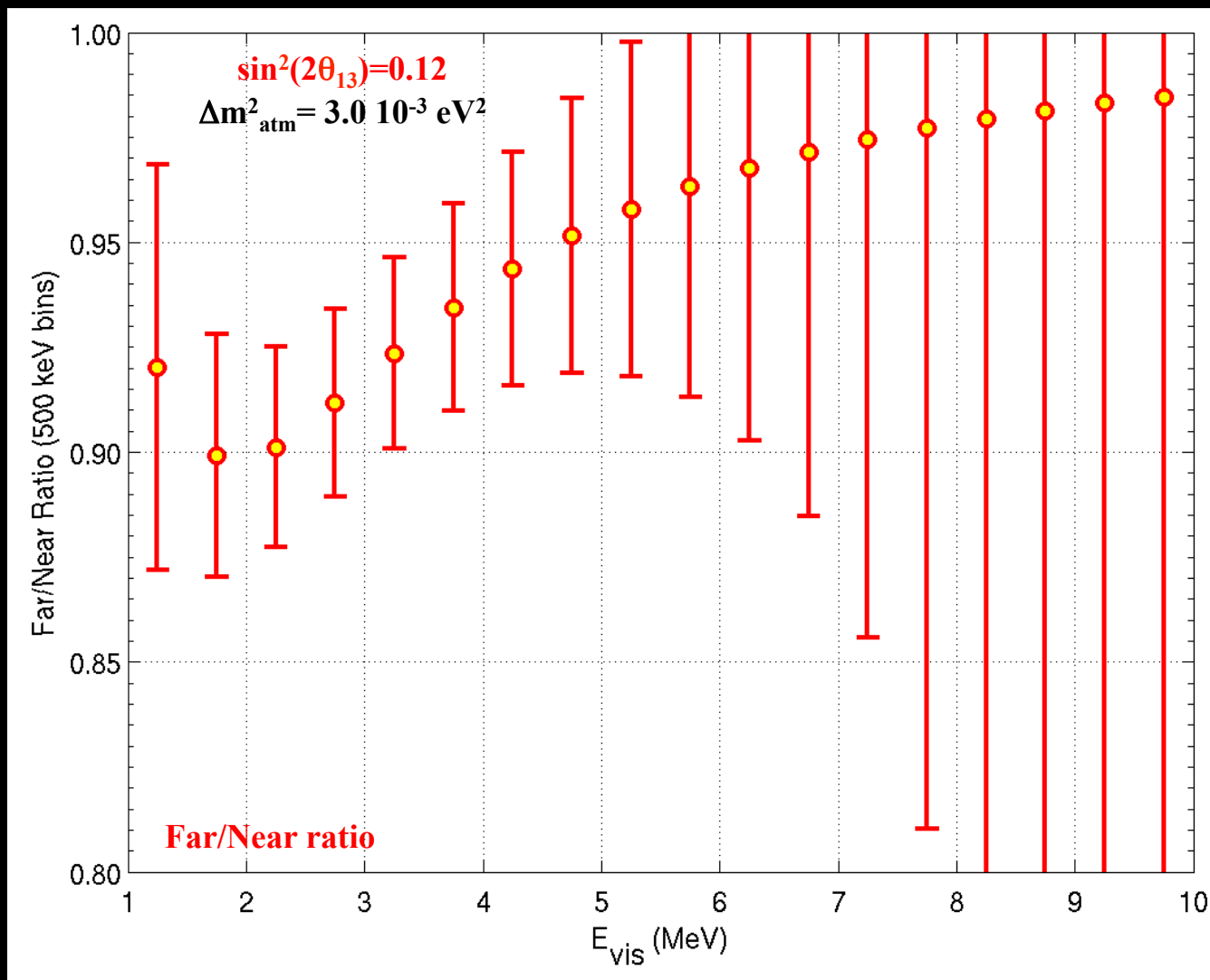
# Underlying Oscillation Physics



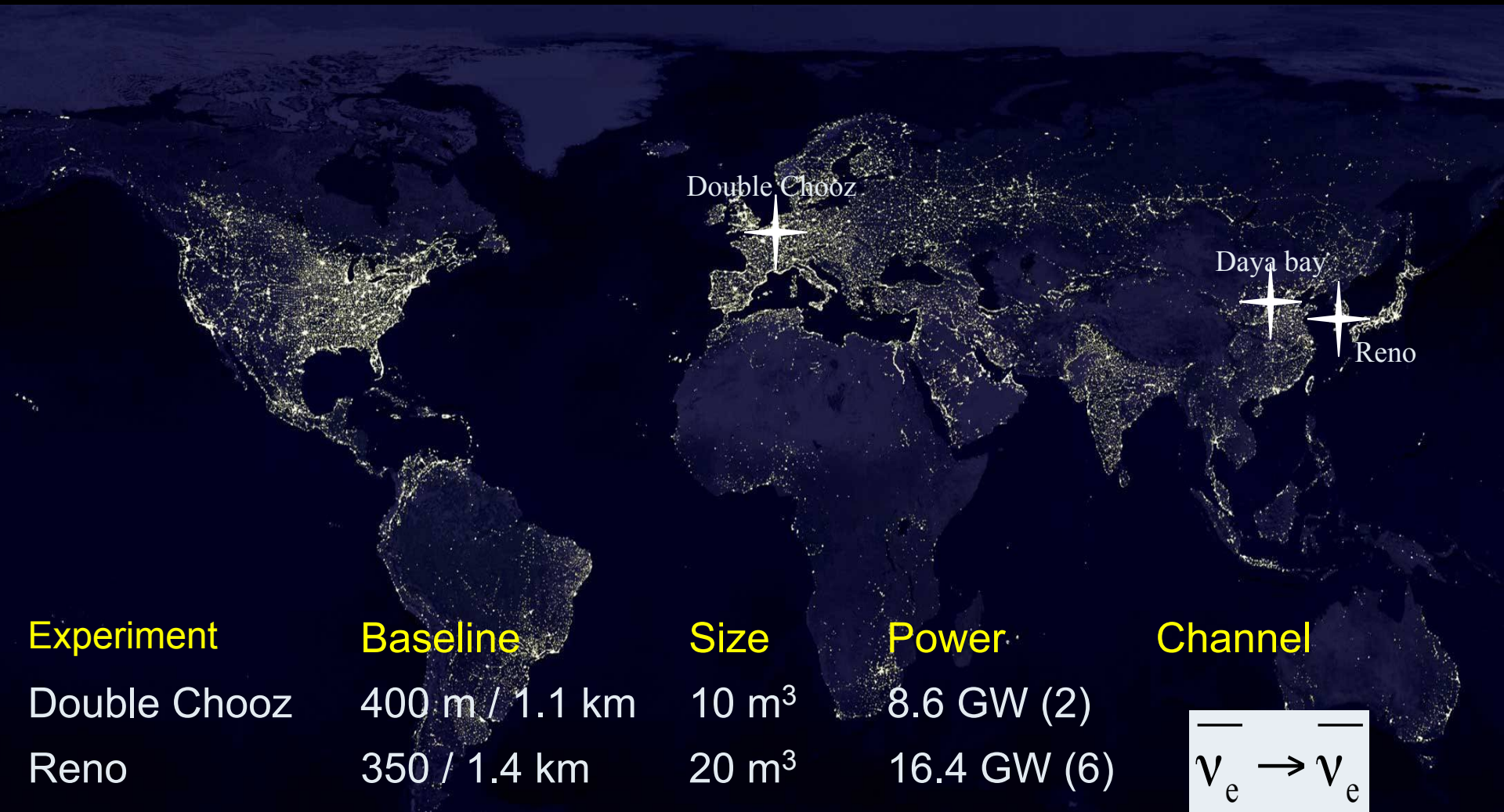
$$P(\bar{\nu}_e \rightarrow \bar{\nu}_e) = \left[ \sum_i U_{ei}^* e^{-im_i^2 \frac{L}{2E}} U_{ei} \right]^2 = 1 - \sin^2(2\theta_{13}) \left[ \sin \left( 1.27 \frac{\Delta m_{\text{atm}}^2 (\text{eV}^2) L (\text{m})}{E (\text{MeV})} \right) + O \left( \frac{\Delta m_{\text{sol}}^2}{\Delta m_{\text{atm}}^2} \right) \right]$$

- Simple oscillation formula
- depends  $\sin^2(2\theta_{13})$  &  $\Delta m_{\text{atm}}^2$ , weakly on  $\Delta m_{\text{sol}}^2$
- MeV electron antineutrinos → only disappearance experiments
- $\sin^2(2\theta_{13})$  measurement independent of  $\delta\text{-CP}$
- MeV neutrinos + 1 km baseline → negligible matter effects  $O[10^{-4}]$
- $\sin^2(2\theta_{13})$  measurement independent of  $\text{sign}(\Delta m_{13}^2)$

‘clean’  $\theta_{13}$   
information



# Reactor Neutrino Experiments



**Experiment**

**Baseline**

**Size**

**Power**

**Channel**

Double Chooz

400 m / 1.1 km

10 m<sup>3</sup>

8.6 GW (2)

Reno

350 / 1.4 km

20 m<sup>3</sup>

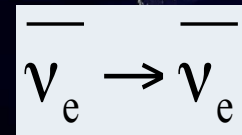
16.4 GW (6)

Daya Bay

400 / 1.7 km

100 m<sup>3</sup>

17.4 GW (6)



# Improving CHOOZ: key facts

Best Sensitivity @CHOOZ:  $R = 1.01 \pm 2.8\%(\text{stat}) \pm 2.7\%(\text{syst})$

## Statistical error

Luminosity increase:  $L = \Delta t \times P(\text{GW}) \times N_{\text{Target H}}$

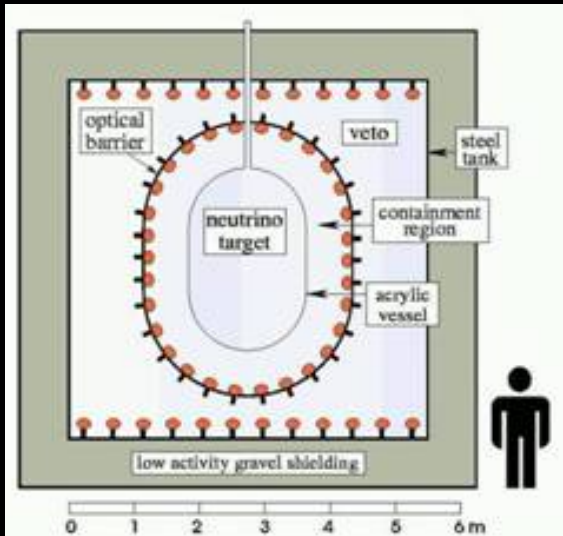
	CHOOZ	Double Chooz
Target volume	5,55 m <sup>3</sup>	10,3 m <sup>3</sup>
Target composition	6,8 10 <sup>28</sup> H/m <sup>3</sup>	6,5 10 <sup>28</sup> H/m <sup>3</sup>
Data taking period	Few months	3-5 years
Event rate	2700	Far: 40000 / Near: 500000 (3 y)
Statistical error	2,7%	0,5%

## Systematic & Background errors

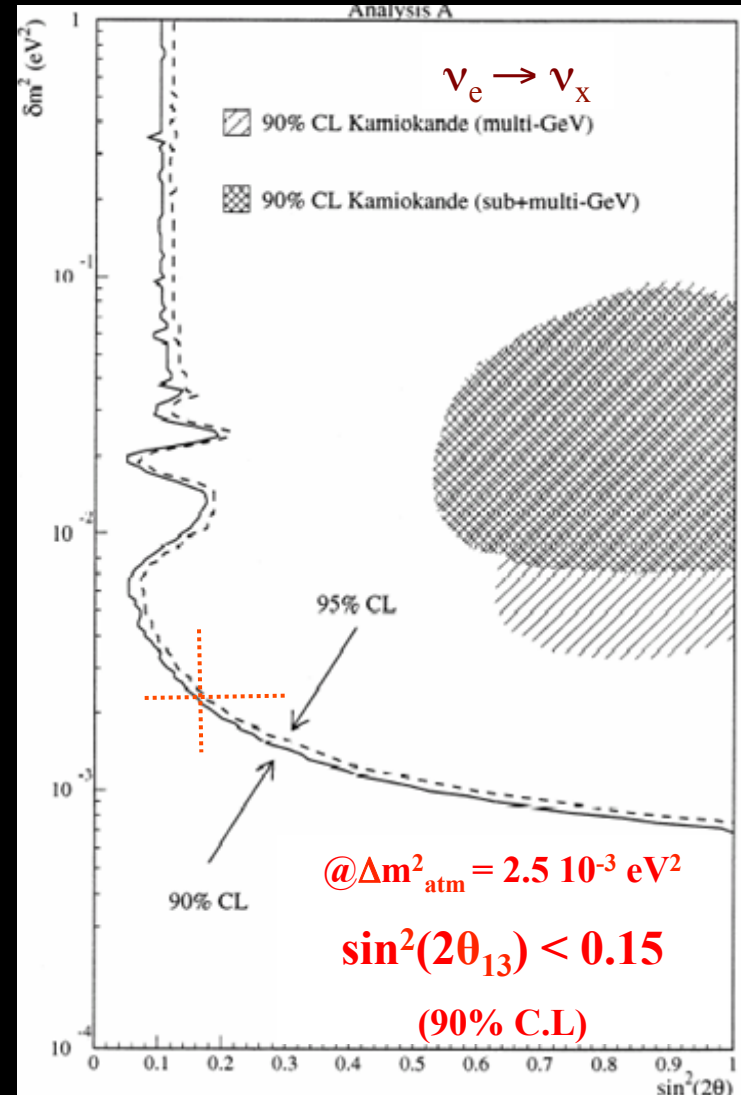
- **Two Detector Concept**
- **Improved detector design:**  
Lower threshold, e<sup>+</sup> and n Efficiencies, Calibration
- **Lower Background:** Shielding, Radiopurity

Syst. error	CHOOZ	Double Chooz
Reactor	1.9%	---
Target H	0.8%	0.2%
efficiency	1.5%	0.5%

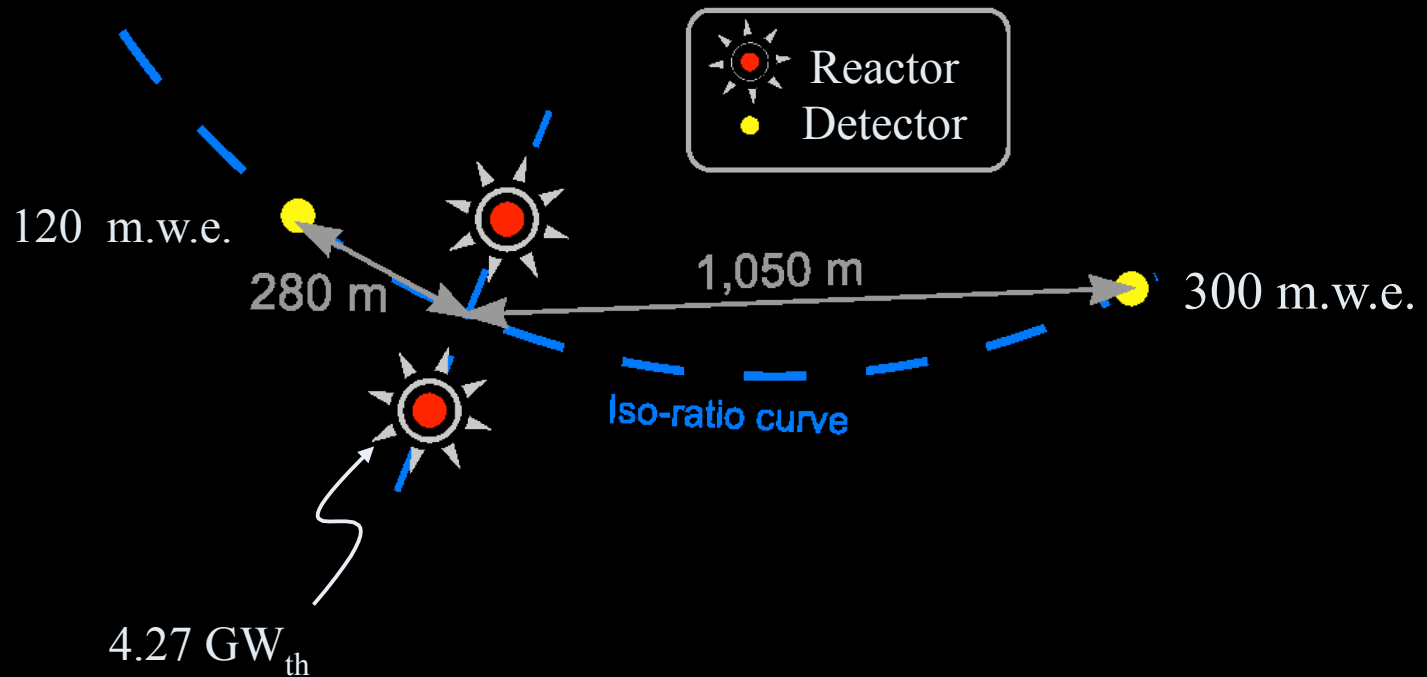
- Channel: **anti- $\nu_e \rightarrow \text{anti-}\nu_e$**
- Isotope anti- $\nu_e$  flux from  $^{235/238}\text{U}$  &  $^{239/241}\text{Pu}$   
 $10^{21} \nu_e/\text{s}$  for Chooz nuclear power Station (France)
- anti- $\nu_e + p \rightarrow e^+ + n$ ,  $\langle E \rangle \sim 3.5 \text{ MeV}$ ,  $E_{\text{thr}} = 1.8 \text{ MeV}$   
 Disappearance experiment: search for a departure from the  $1/L^2$  behavior
- **Atmospheric  $\nu_\mu$  do not oscillate in  $\nu_e$**
- **$\nu_e$  is made of 2 mass eigenstates only**
- **An impressive by-product on  $\theta_{13}$**

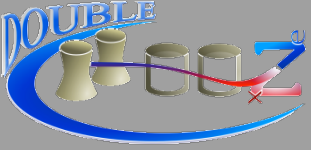


$P_{\text{th}} = 8.4 \text{ GW}_{\text{th}}$   
 $D = 1 \text{ km}$   
 $M = 5 \text{ tons}$   
 $300 \text{ mwe}$

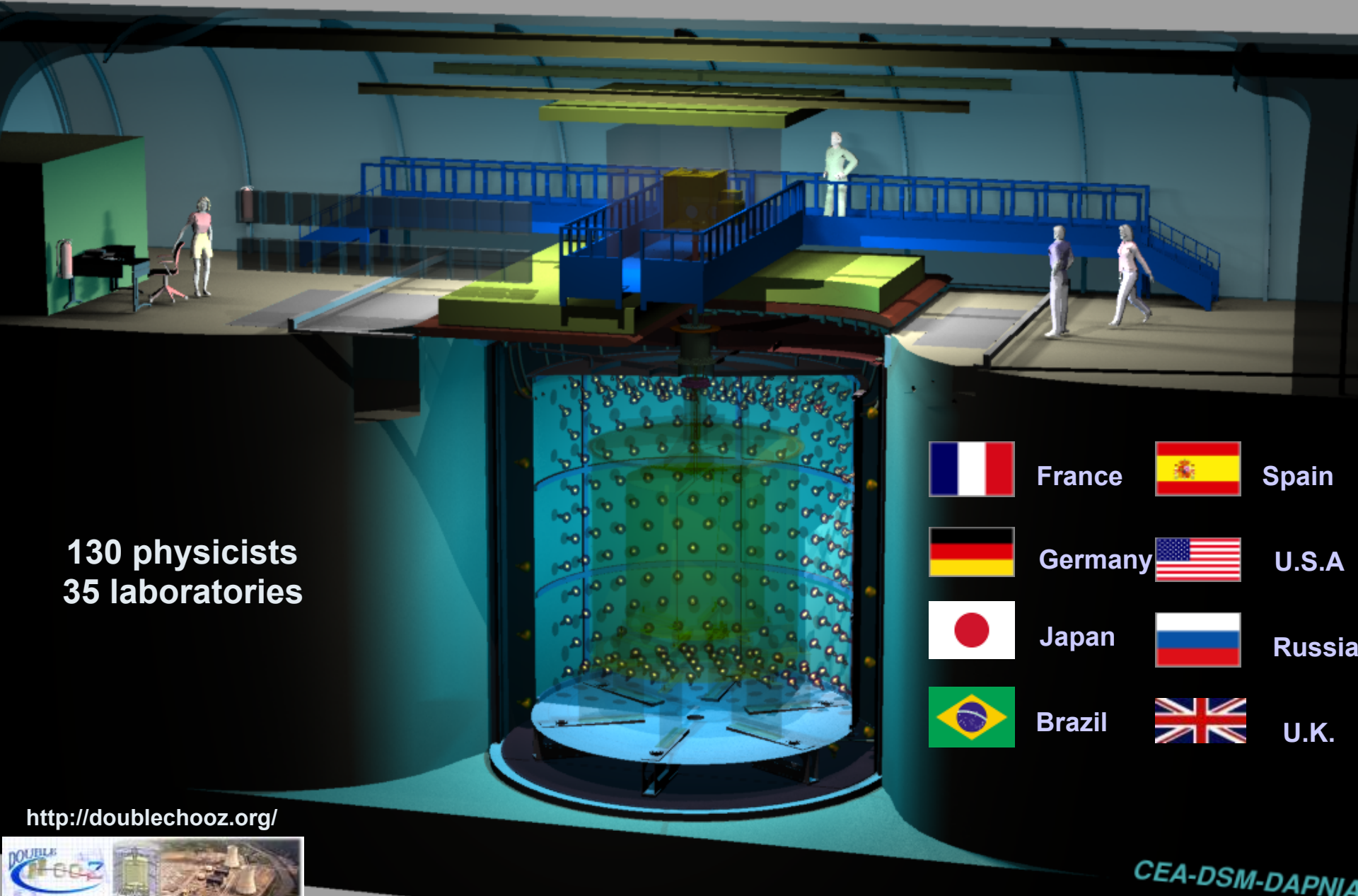


# Double Chooz





# Double Chooz



130 physicists  
35 laboratories



France



Spain



Germany



U.S.A



Japan



Russia



Brazil

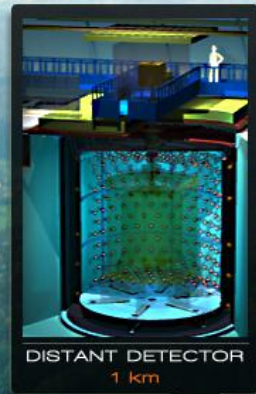
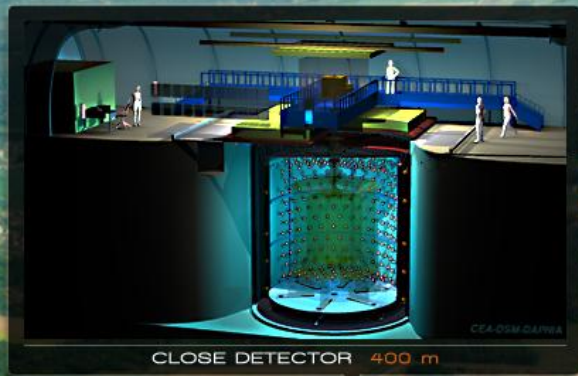


U.K.

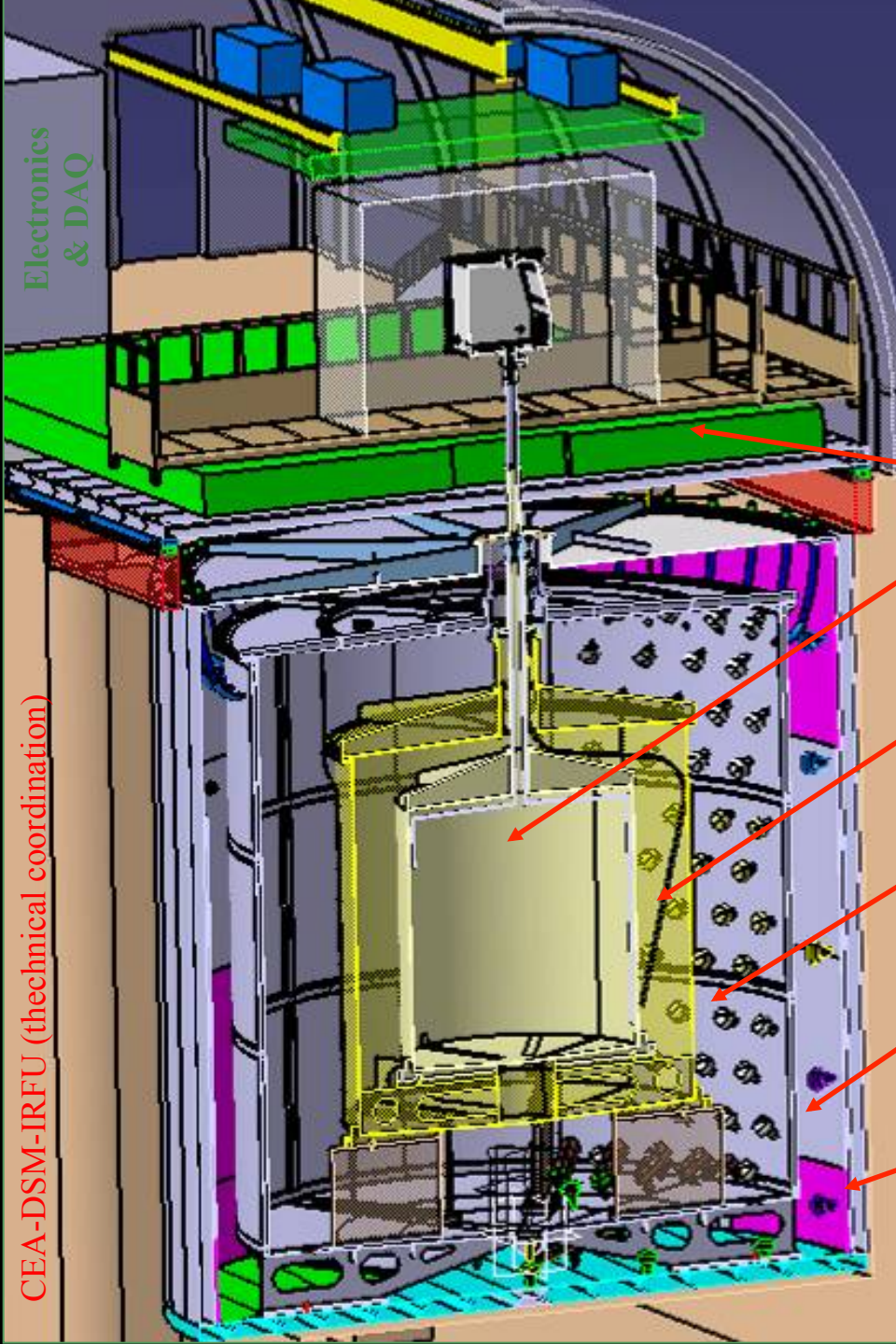
<http://doublechooz.org/>



CEA-DSM-DAPNIA







# Detector Design

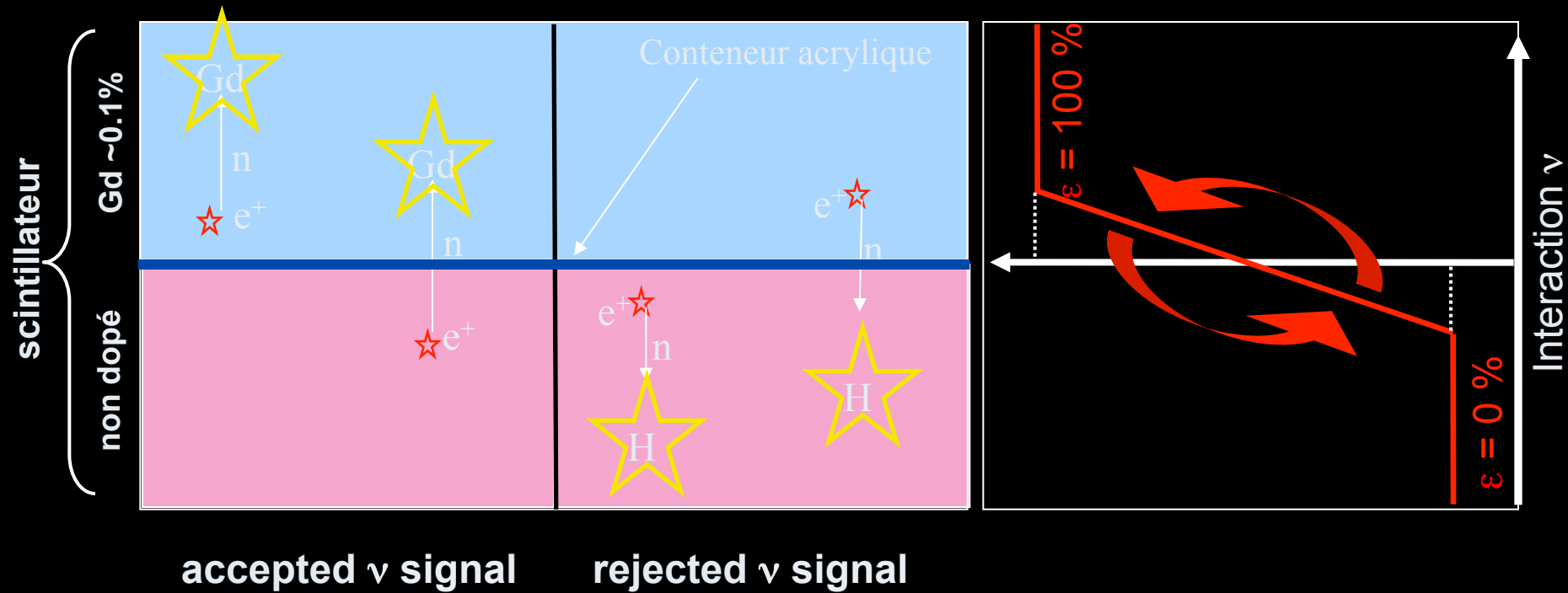
New 4-region large detector concept from Double Chooz Coll. (2003)

[http://bama.ua.edu/~busenitz/rnu2003\\_talks/lasserre1.doc](http://bama.ua.edu/~busenitz/rnu2003_talks/lasserre1.doc)

CEA-DSM-IRFU (technical coordination)

- Outer Veto: plastic scintillator strips (400 mm)
- $\nu$ -Target: 10,3 m<sup>3</sup> scintillator doped with 1g/l of Gd compound in an acrylic vessel (8 mm)
- $\gamma$ -Catcher: 22,3 m<sup>3</sup> scintillator in an acrylic vessel (12 mm)
- Buffer: 110 m<sup>3</sup> of mineral oil in a stainless steel vessel (3 mm) viewed by 390 PMTs
- Inner Veto: 90m<sup>3</sup> of scintillator in a steel vessel equipped with 78 PMTs
- Veto Vessel (10mm) & Steel Shielding (150 mm)  
(4 liquid densities adjusted within 0.1%)

# Spill in/out



# 250 ton Steel Shielding

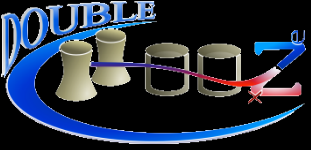


T. Lasserre 08/10/2009

# Inner Muon Veto



T. Lasserre 08/10/2009



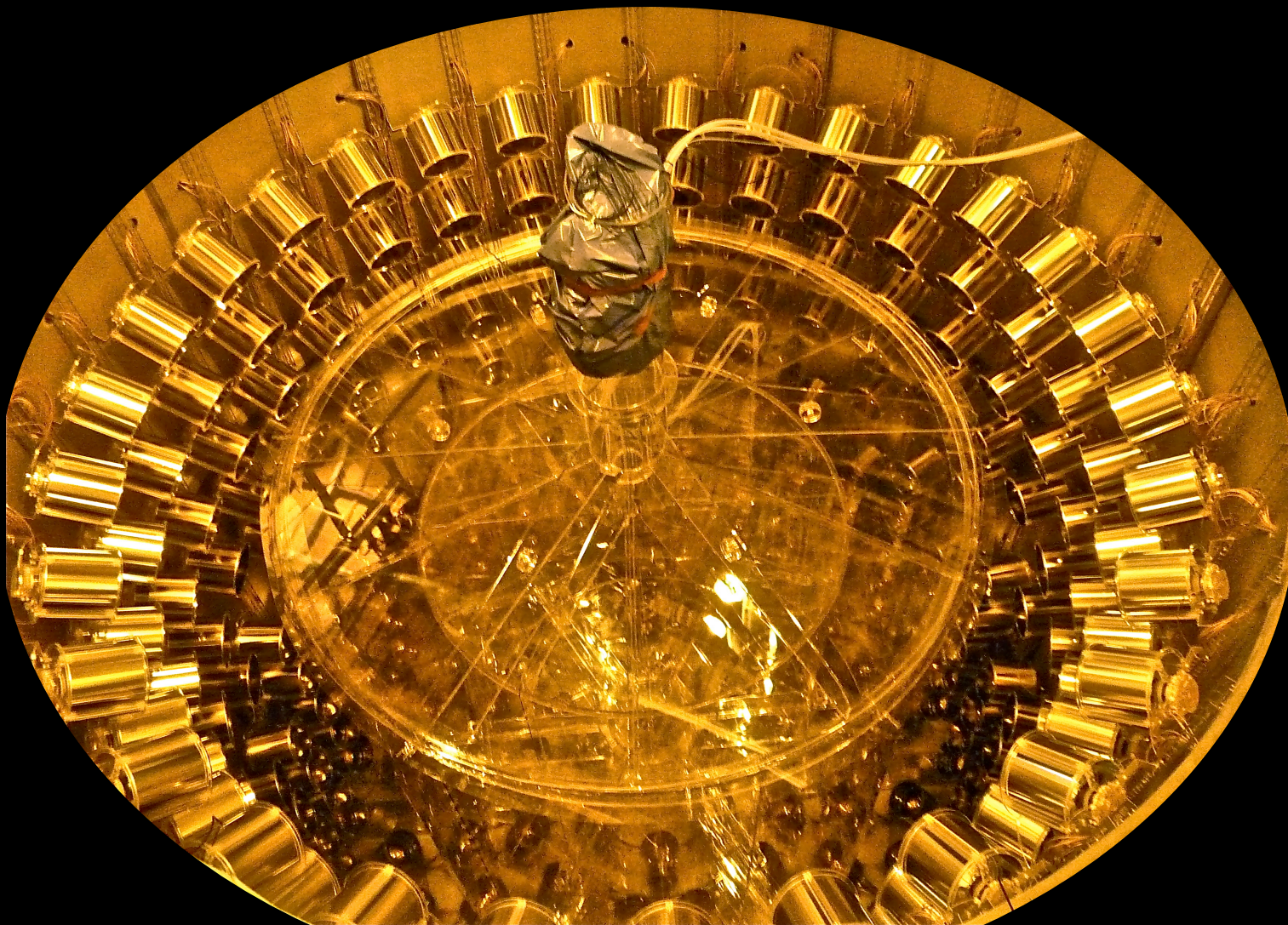
# Inner Veto PMTs & Buffer Vessel



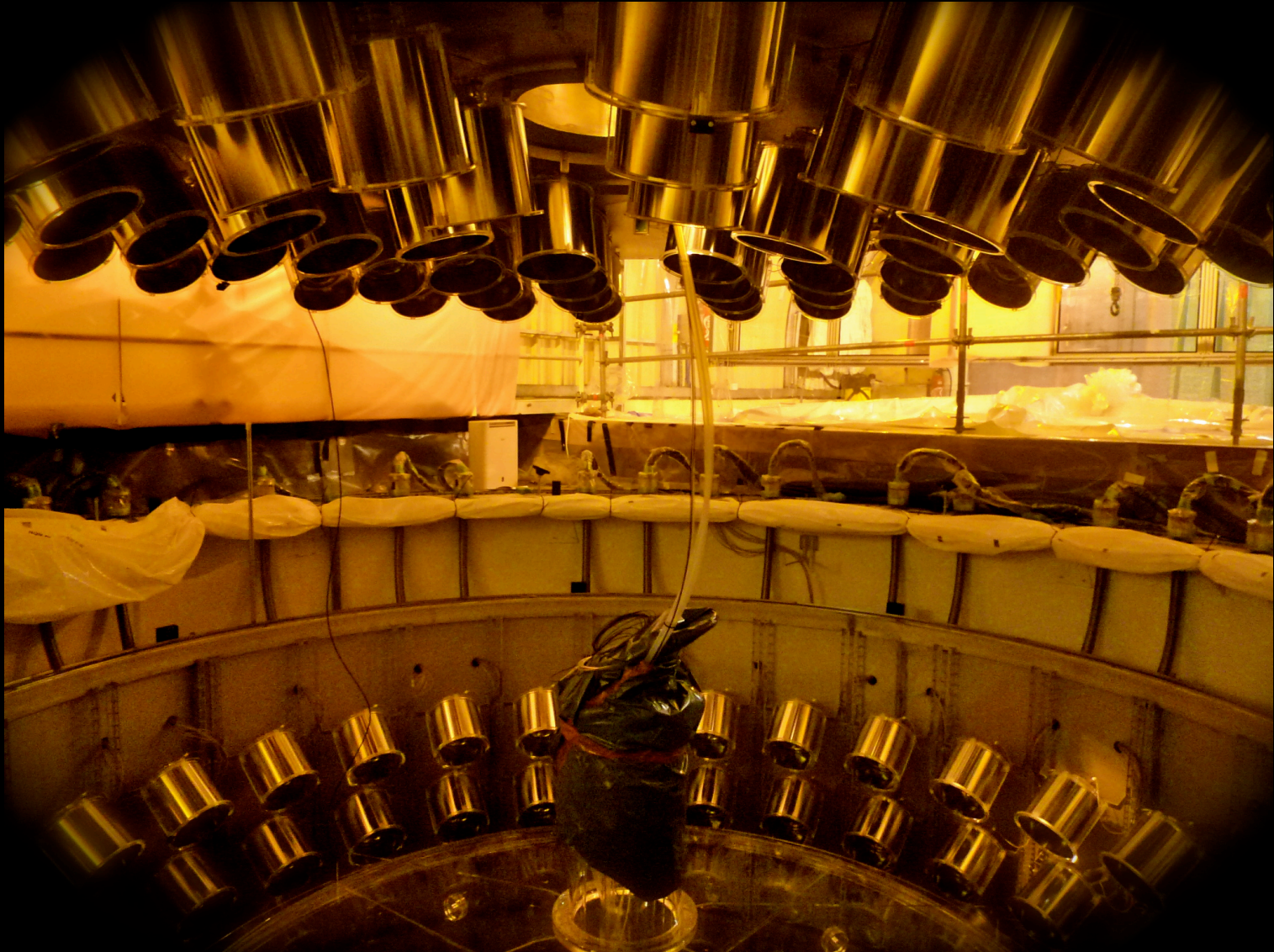
T. Lasserre 08/10/2009











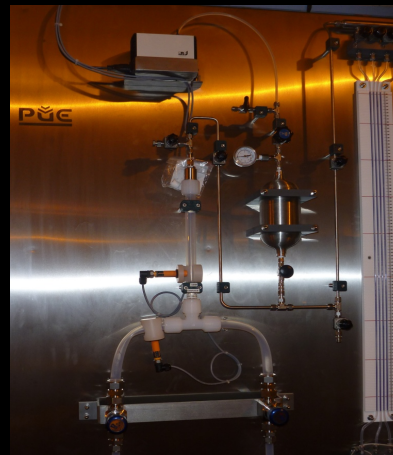
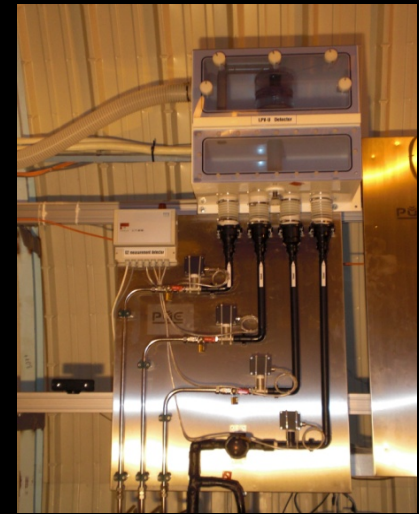


Next: Outer Muon Veto, Glove Box for in situ Calibration (Feb-June 2010)

# Outer Muon Veto



# Detector Filling



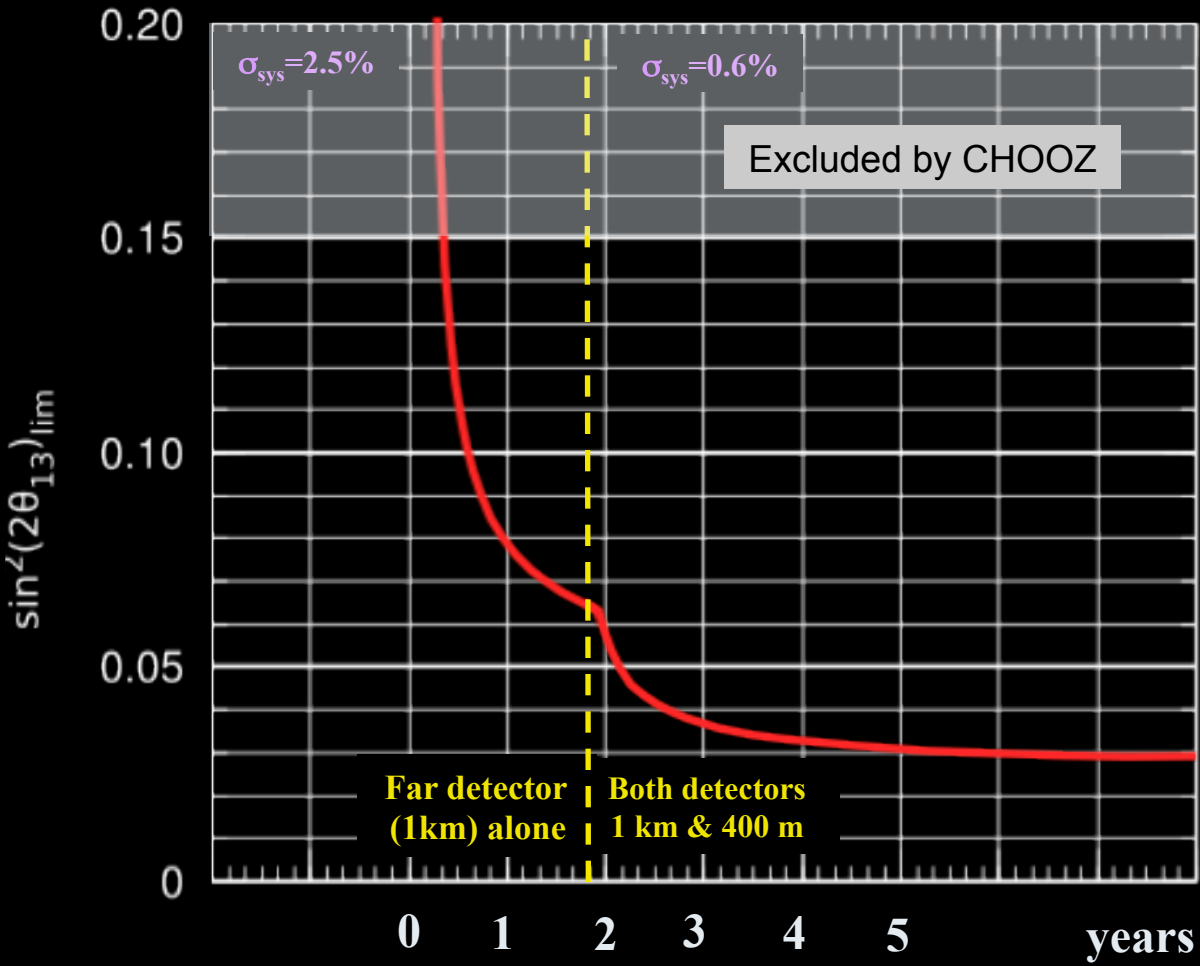
Detector Filling: October-December 2010

# Near Laboratory Excavation (06/2011)



# Sensitivity (Limit) Timeline

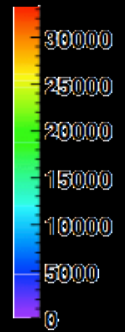
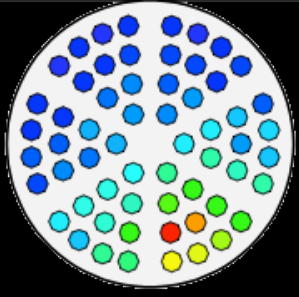
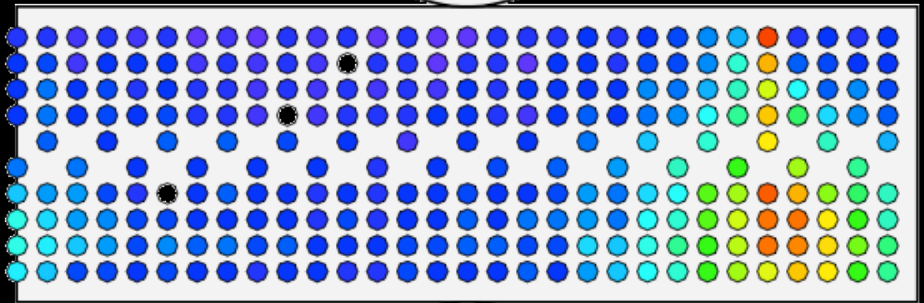
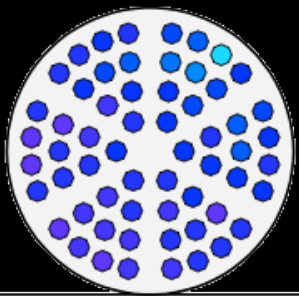
$\Delta m^2_{\text{atm}} = 2.5 \cdot 10^{-3} \text{ eV}^2$  (20% uncertainty)



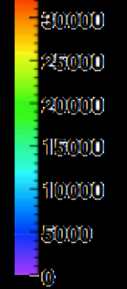
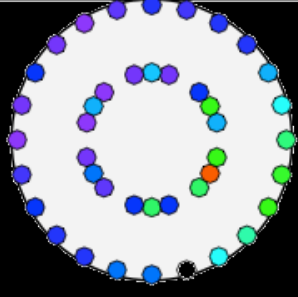
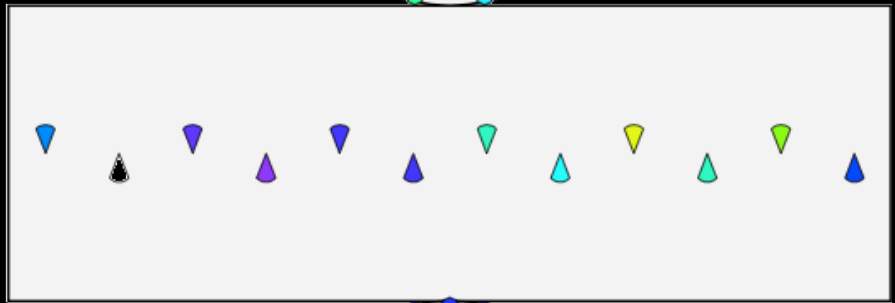
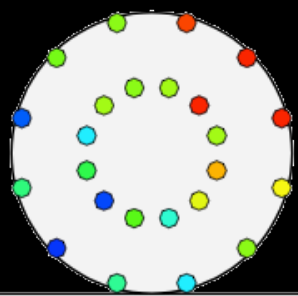
- Efficiencies included
- 1% 'bin-bin' uncorrelated error on background subtraction.
- Systematics 1Det = CHOOZ
- Systematics 2Det:
  - $\sigma_{\text{abs}} = 2.0\%$
  - $\sigma_{\text{rel}} = 0.6\%$
  - $\sigma_{\text{scl}} = 0.5\%$
  - $\sigma_{\text{shp}} = 2.0\%$
  - $\sigma_{\Delta m^2} = 20\%$

# Muon Candidate

Inner Detector  
Event Display

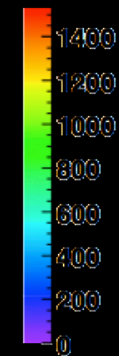
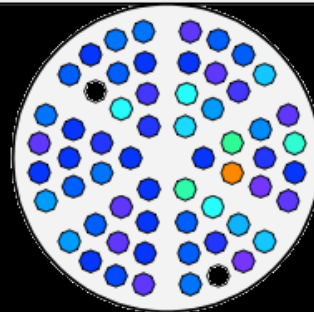
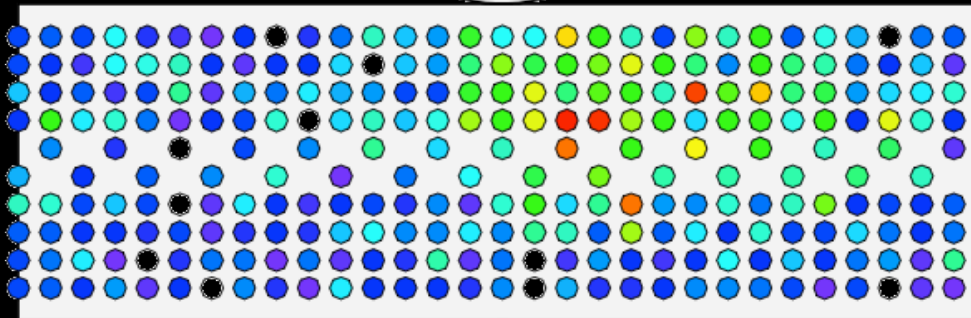
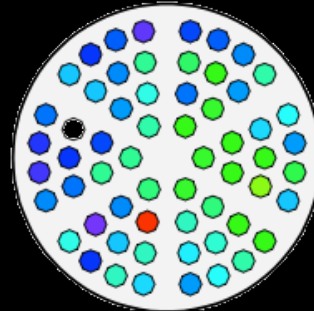


Inner Veto  
Event Display



# Contained Single Event

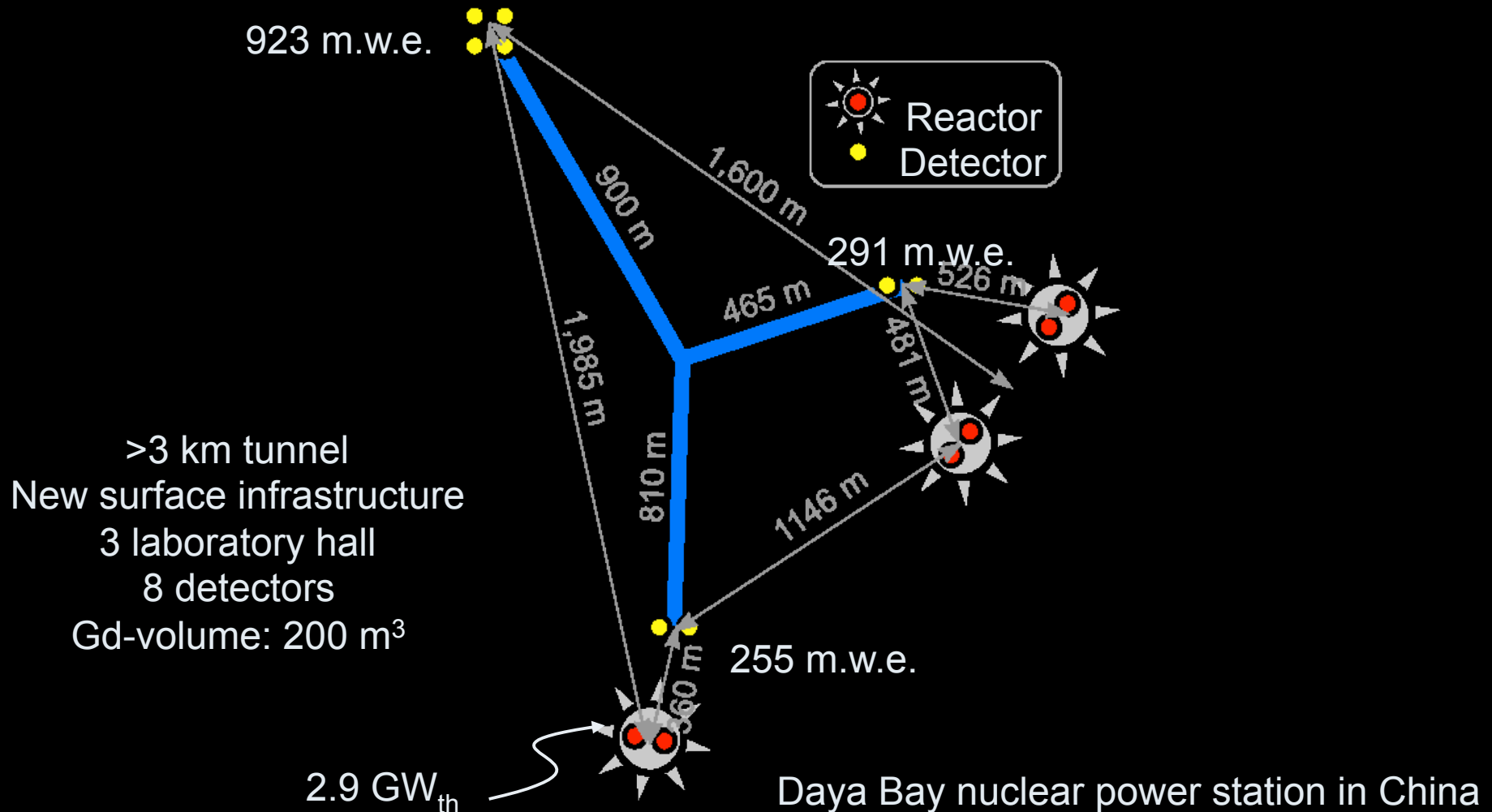
Inner Detector  
Event Display



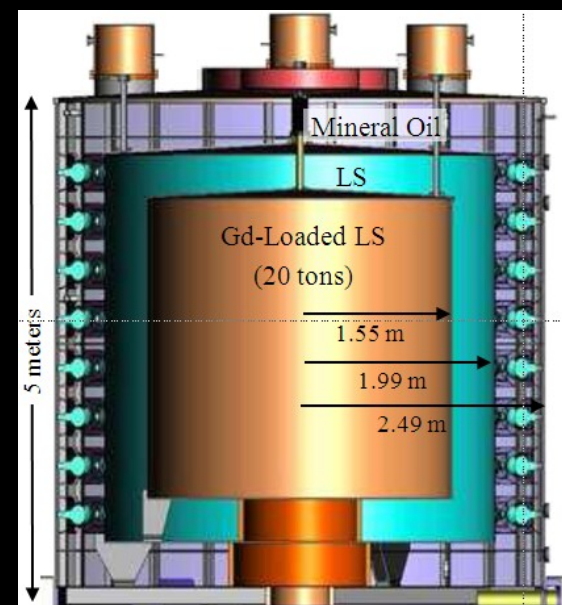


- **2009** → Far detector construction & intégration
- **12/2010** → Start of phase I : Far 1 km detector alone  
 $\sin^2(2\theta_{13}) < 0.06$  after 1,5 y (90% C.L.) if no-oscillation
- **2011** → Near Lab Excavation  
→ Near Detector Integration
- **2012** → Start of phase II : both near and far detectors  
 $\sin^2(2\theta_{13}) < 0.03$  after 3 y (90% C.L.) if no-oscillation

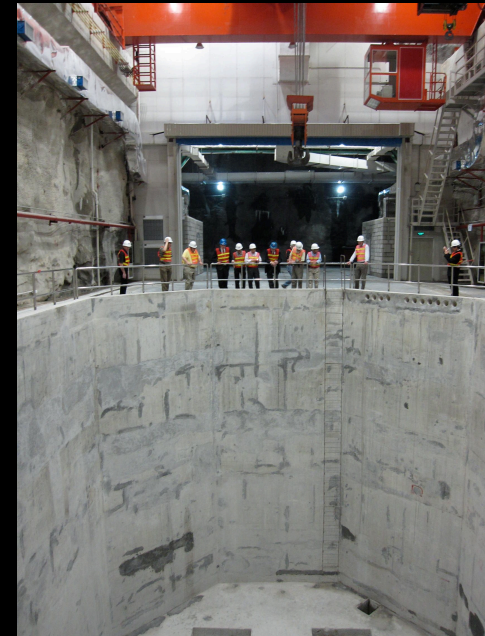
# Daya Bay

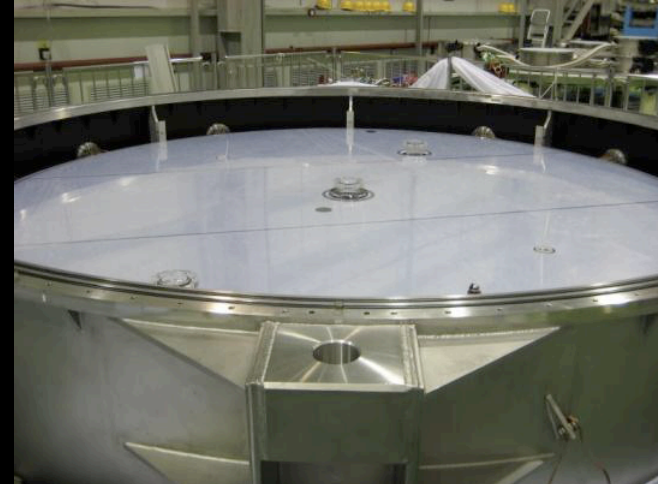


- Four reactor cores**  
 $P = 4 \times 2.9 = 11.6 \text{ GW}_{\text{th}}$   
 2 new cores for  $6 \text{ GW}_{\text{th}}$  in 2010-11
- Civil construction**  
 Near: 1 km tunnel + laboratory  
 Far: 2 km tunnel + laboratory  
 Total length: 3370 m
- 8x20 tons detector modules (fiducial)**  
 Near: 4x20 tons – 360-500 m – 200 mwe  
 Far: 4x20 tons - 1.6-1.9 km – 1000 mwe  
 Movable detector concept (in water pools)
- Expected Sensitivity**  
 0.36% systematic error  
 3 years – low backgrounds  
 $\sin^2(2\theta_{13}) < 0.01$  (90% C.L.)



# A huge infrastructure



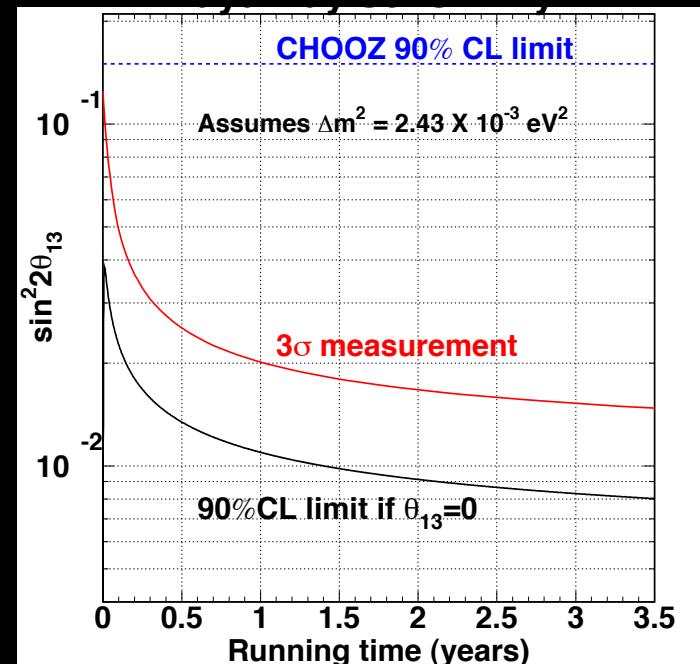


# Sensitivity & Milestones of Daya Bay

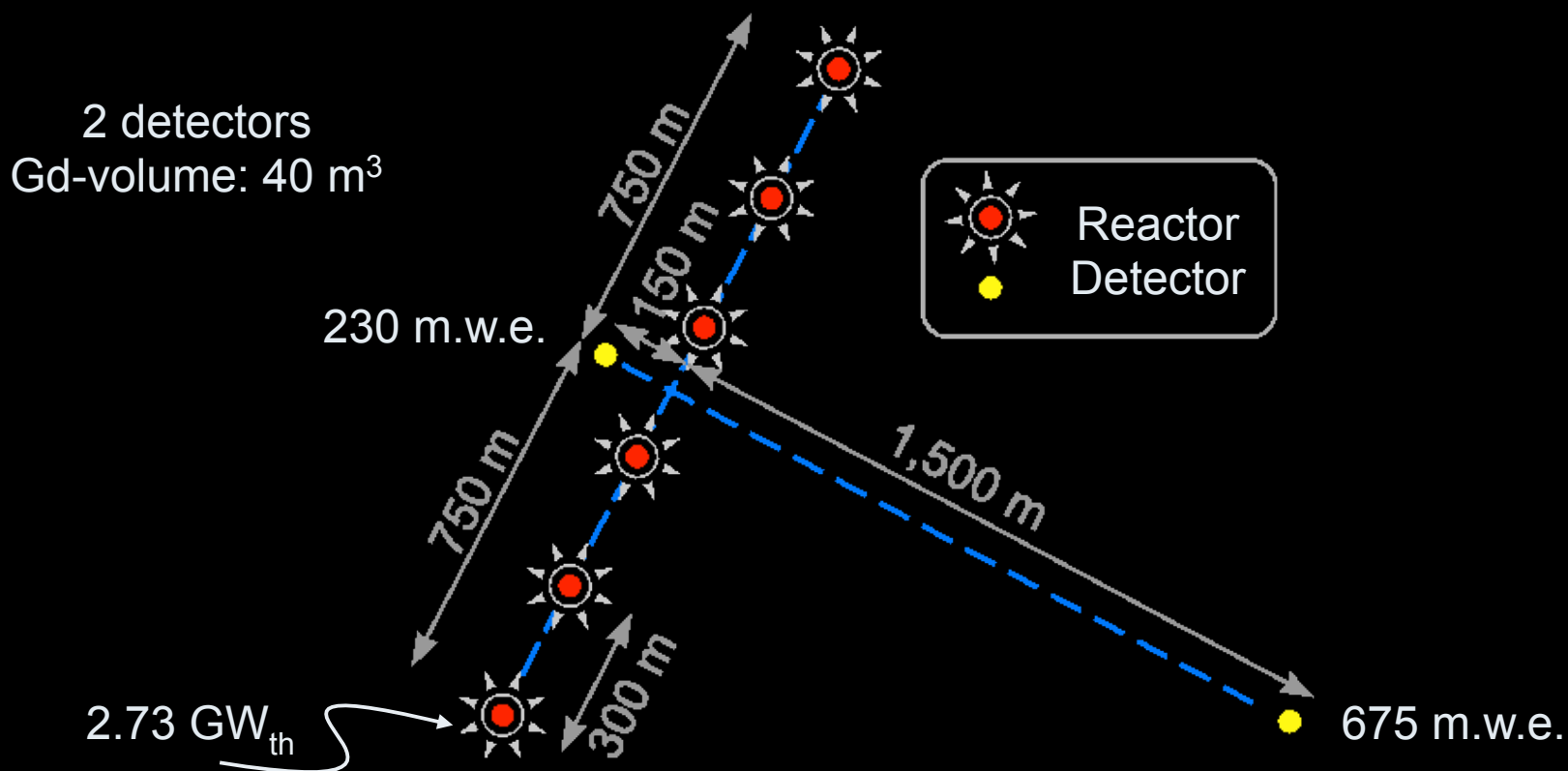
## Sensitivity in $\sin^2 2\theta_{13}$ :

$\sin^2 2\theta_{13} < 0.01$  @ 90% CL  
 in 3 years of data taking  
 with 8 detectors running  
 simultaneously

- **Aug 2009:** Begin detector assembly
- **Fall 2009:** Begin detector installation in experimental halls
- **2011:** Start data taking with first near hall
- **End 2012:** Start data taking with all detectors

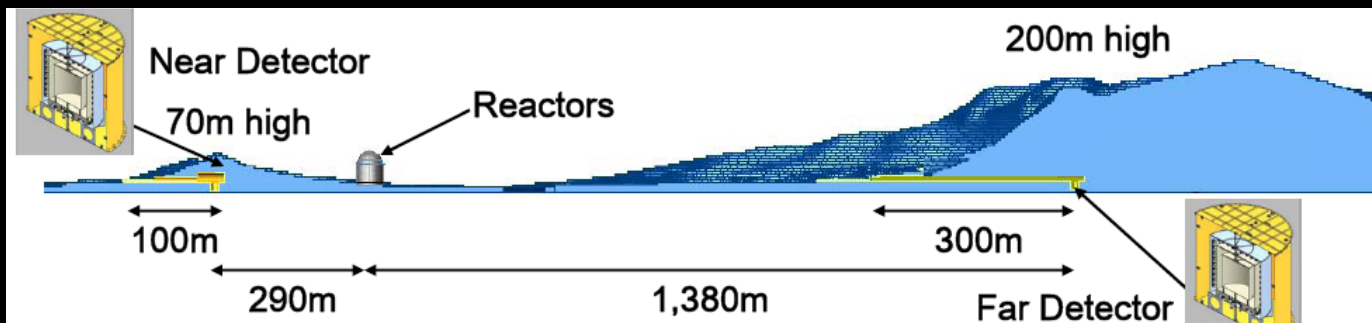


# RENO



Yong gwang nuclear power station in Korea

- Six reactor cores:**  $P \sim 16 \text{ GW}_{\text{th}}$  (ND: 90%  $\nu$ 's from 2 cores)



- Civil construction**

km tunnel + hall ready!

- Two 20 tons detectors**

Near: 20 tons - 300– 200 mwe

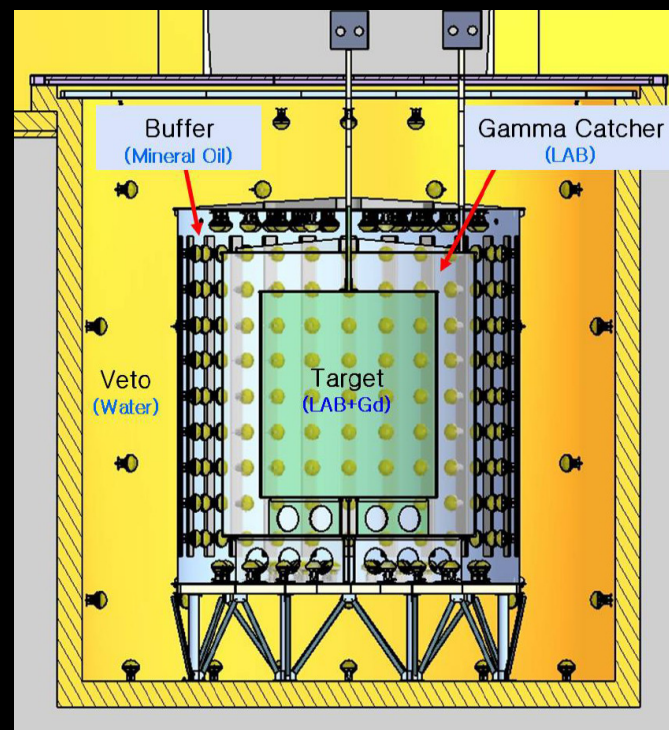
Far: 20 tons - 1.4 km - 700 mwe

Integration on going

- Sensitivity**

0.45% systematic error

$\sin^2(2\theta_{13}) < \sim 0.02$  (90% C.L.)

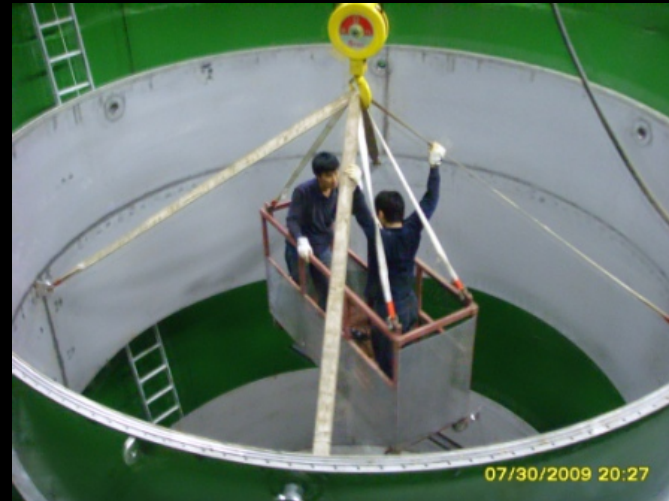


Double Chooz design cut/paste

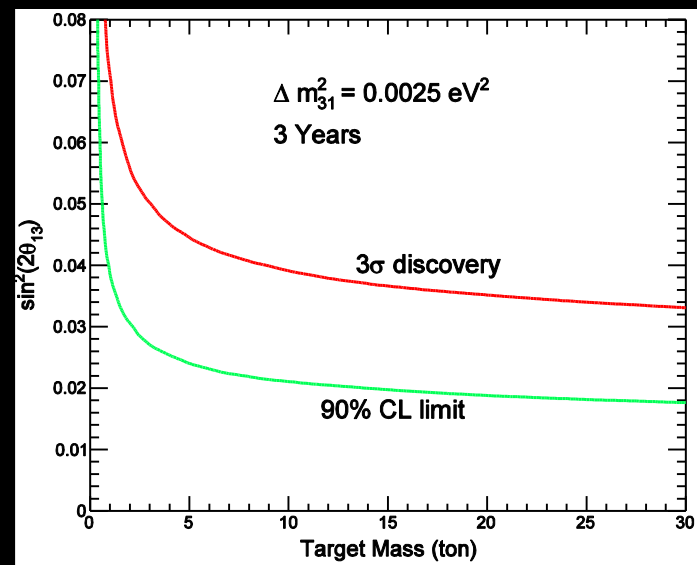


# Near & far tunnels are completed

(construction 2008.6~2009.3) by Daewoo Eng. Co. Korea



- RENO is suitable for measuring  $\sin^2(2\theta_{13}) > 0.02$
- Civil construction completed
- Buffer steel containers are installed
- PMT installation start in Dec. 09
- Acrylic containers will be completed end 2009
- Data taking is expected in 2011



- **New 4-region large detector concept from Double Chooz Coll. (2003)**

([http://bama.ua.edu/~busenitz/rnu2003\\_talks/lasserre1.doc](http://bama.ua.edu/~busenitz/rnu2003_talks/lasserre1.doc))

Concept adopted by Daya Bay and Reno **BUT**

Double Chooz syst: 0.6%      RENO sys: 0.45%

Daya Bay syst: 0.38%

→ Different expected sensitivities ...

(without det. Swaping)

- **Double Chooz**

- Cons: Shorter baseline
- Pros: 2 cores → reactor OFF periods, calibration, accidental bkg

- **Daya Bay**

- Cons: 9 baselines / 6 nuclear cores
- Pros: 160 tons of active volume, opt. baseline, corr. bkg

- **RENO**

- Cons: Near/Far asymmetric configuration, accidental bkg, calibration
- Pros: Infrastructure ready



# Ability to Establish non-zero $\theta_{13}$ (2009-16)

**OPERA** is looking for  $\nu_{\tau}$  appearance (1 event)

An additional neutrino oscillation clue ;  $E_{\text{Beam CNGS}}$  too high to search for  $\theta_{13}$

**MINOS** is now looking for  $\nu_e$  appearance.

But limited sensitivity because it is a magnetized iron detector;

current limit from MINOS  $\sin^2 2\theta_{13} < 0.27$  (NH) /  $0.42$  (IH) @90% C.L.

Reactor experiments **Double Chooz, Daya Bay, RENO** will search for  $\nu_e$  disappearance

No matter effect ; no sensitivity to  $\delta$  ; clean info concerning  $\sin^2 2\theta_{13}$

**T2K** will search for  $\nu_{\mu} \rightarrow \nu_e$  appearance at low energy / short baseline (295 km, 600 MeV)

Small matter effects ; results = combination of  $\sin^2 2\theta_{13}$  and  $\delta$

**NOvA** will search for  $\nu_{\mu} \rightarrow \nu_e$  appearance at mid-energy / long-baseline (810km, 2 GeV)

Larger matter effects  $\rightarrow$  a weak sensitivity to  $\pm\Delta m^2_{13}$  ; results = combination of  $\{\sin^2 2\theta_{13}, \pm\Delta m^2_{13}, \delta\}$