

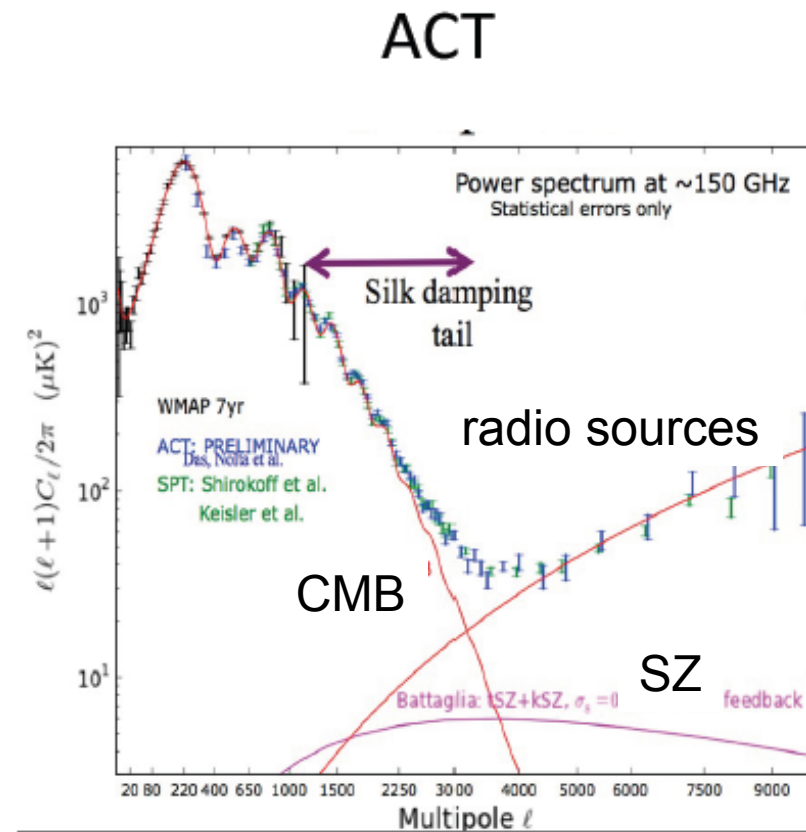
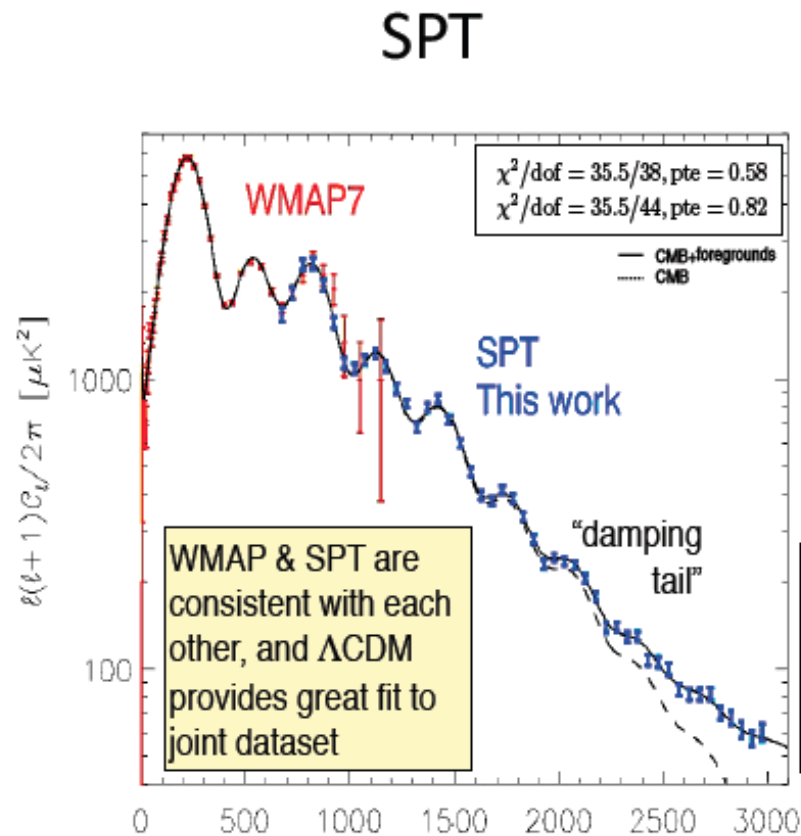
# Winter conferences: cosmology

- CMB and inflation
- DE and GR tests
- neutrinos
- dark matter

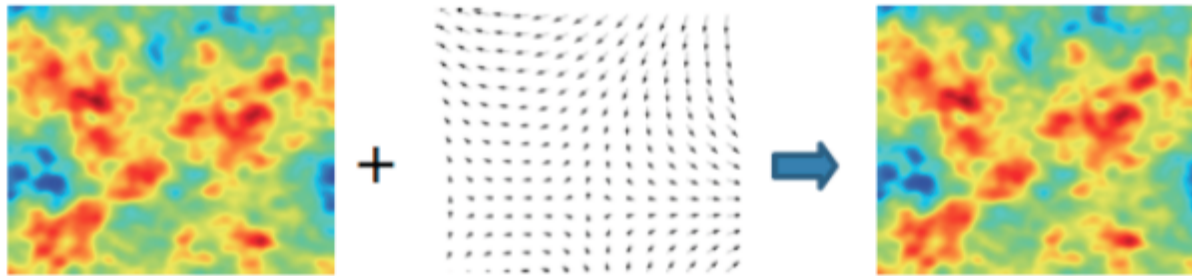
# **CMB and inflation**

# CMB Temperature

- SPT: 2500 deg<sup>2</sup> 5-year survey finished Nov 2011



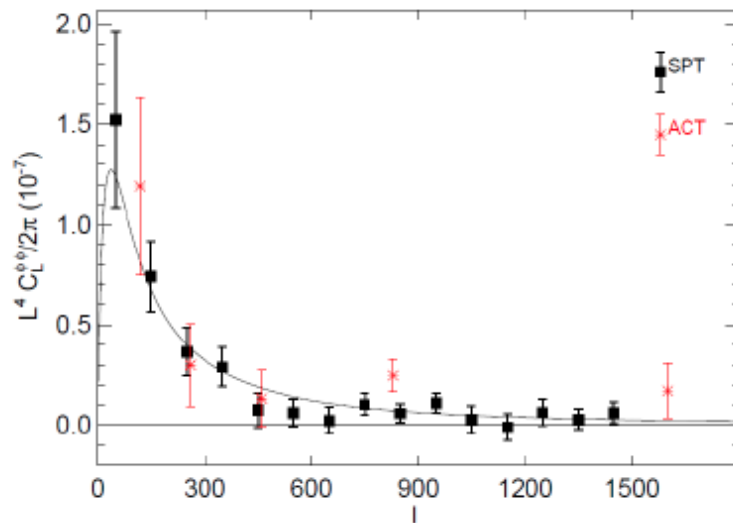
# lensing $P(k)$



- Large scale structure potentials gravitationally deflect CMB photons by a lensing deflection angle  $\mathbf{d}(\mathbf{n})$
- Measurement of the deflection field is a measurement of matter fluctuations AND the geometry of the universe  
-> very useful for cosmological constraints
- Can find lensing because it breaks Gaussianity: non-Gaussian part of lensed  $T$  4-point function  $\sim$  deflection power spectrum

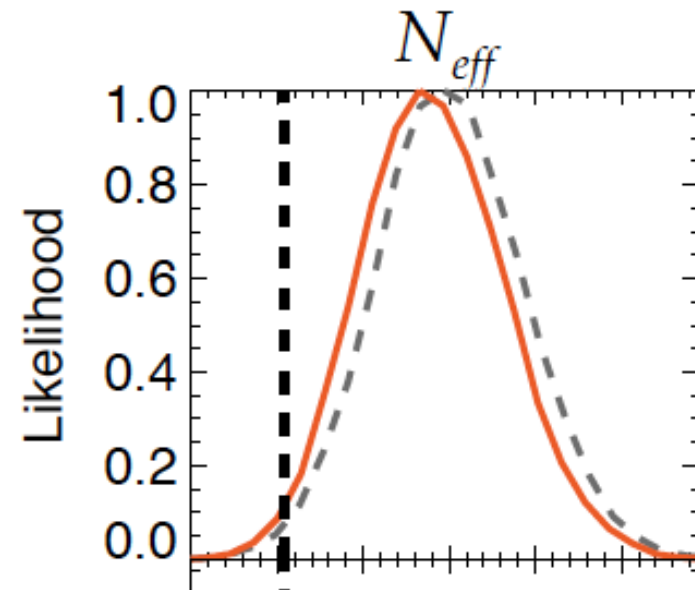
# lensing $P(k)$ detected

Detection of deflection  
power spectrum



Allows the breaking of  
degeneracies

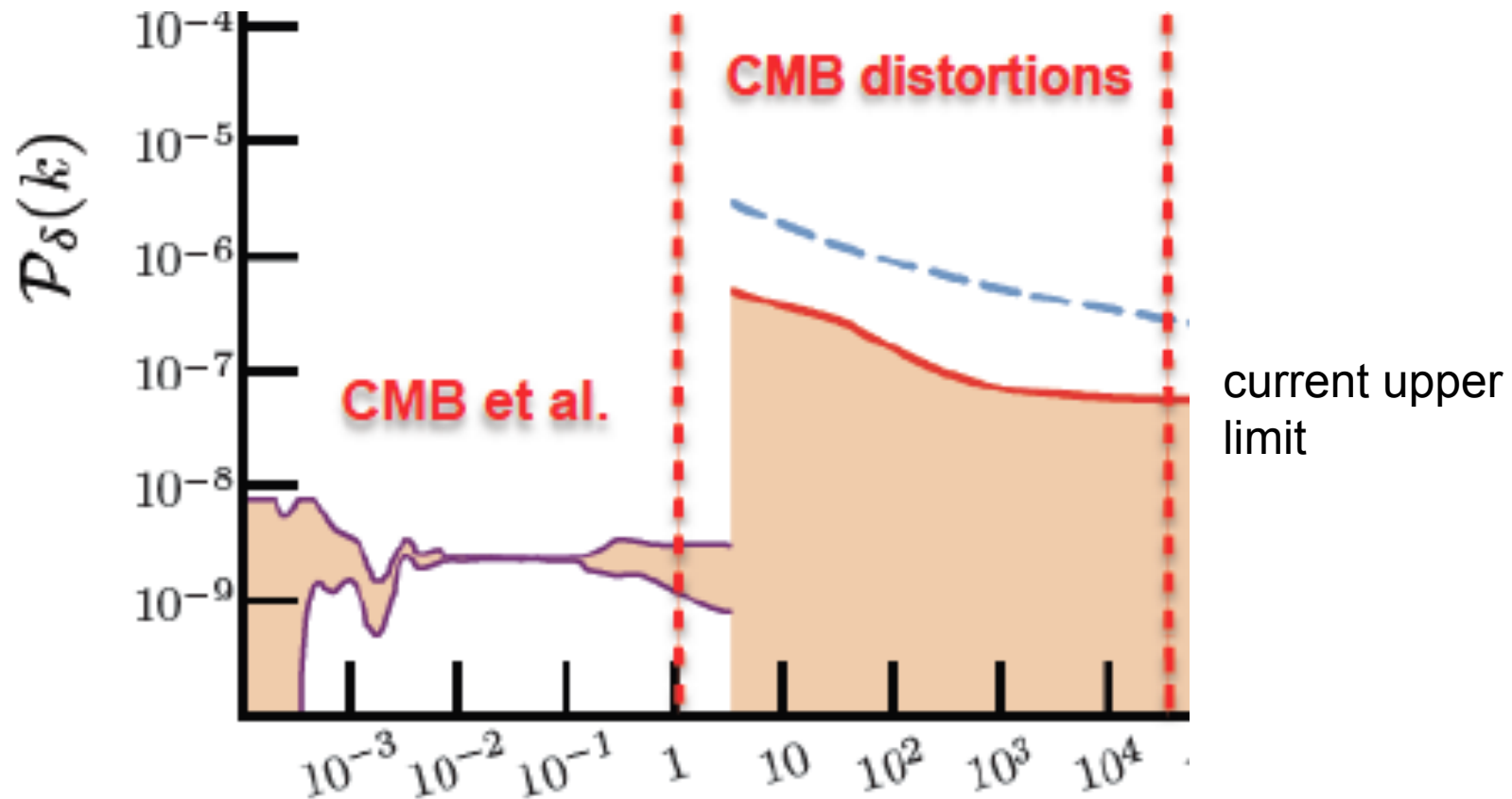
$2\sigma$  in favour of  $>3$   
relativistic dof



$$N_{eff} = 3.91 \pm 0.42$$

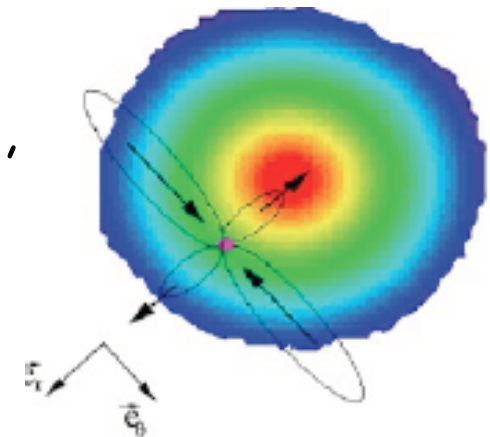
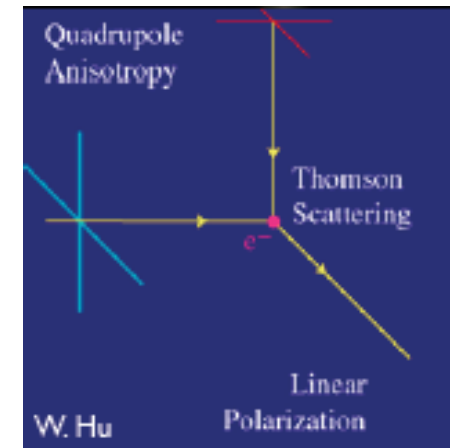
# Spectral distortions

- $P(k)$  unknown for  $k > 3 \text{ Mpc}^{-1}$
- spectral distortions wrt black body spectrum  $\rightarrow k \sim 10^4 \text{ Mpc}^{-1}$

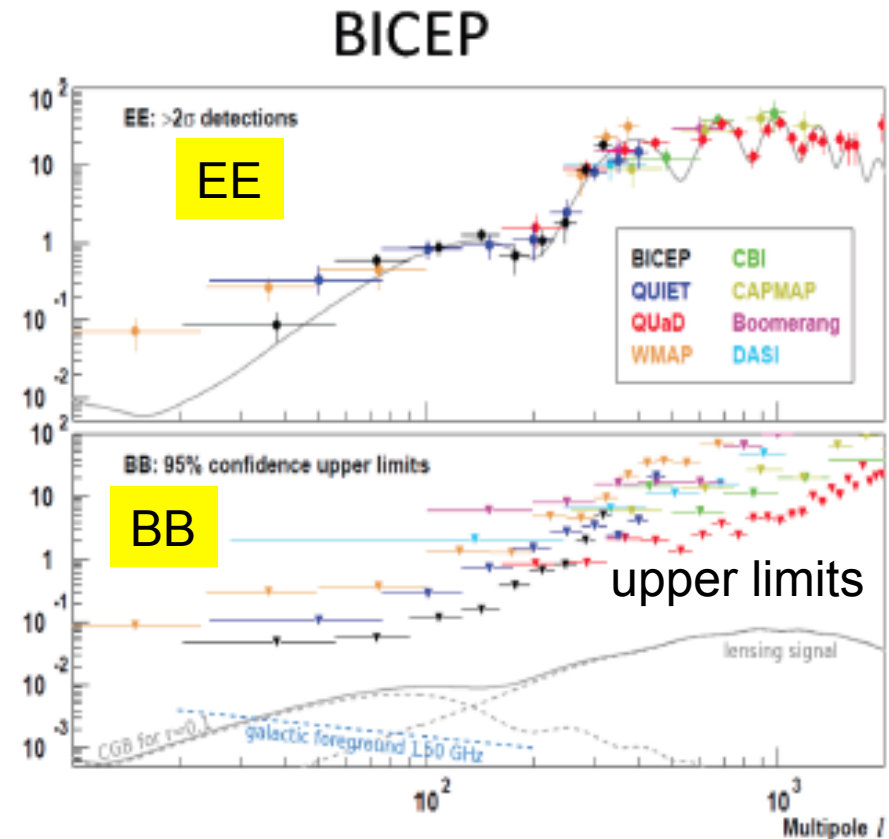
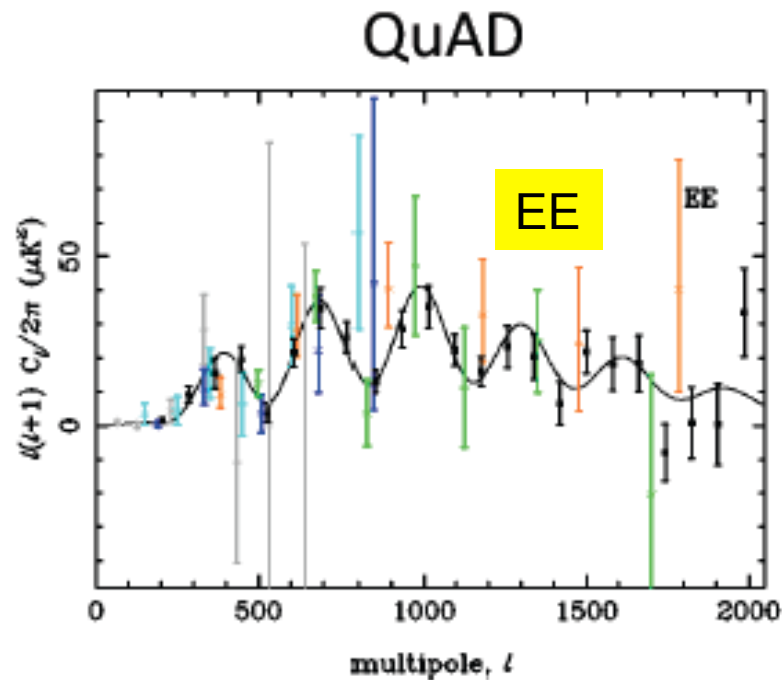


# CMB polarization

- density fluctuation  $\rightarrow$  Scalar perturbation
  - $\rightarrow$  E modes (parity even)
  - $(\gamma e^- \rightarrow \gamma e^-) \Rightarrow$  polarization
- gravitational waves  $\rightarrow$  Tensor perturbation
  - $\rightarrow$  E modes and B modes (parity odd)
- detecting B modes  $\rightarrow$  gravitational waves
- $r = T/S$  current limit :  $r < 0.24$  (95% CL)
- many projects : BICEP2, SPTPol, QUIET, ACTPol, PolarBear, QUBIC
- all aim at  $r = 0.01 - 0.02$



# Present status CMB polar



- combining all data :  $r < 0.2$



# Dark Energy and GR test

# Dark energy

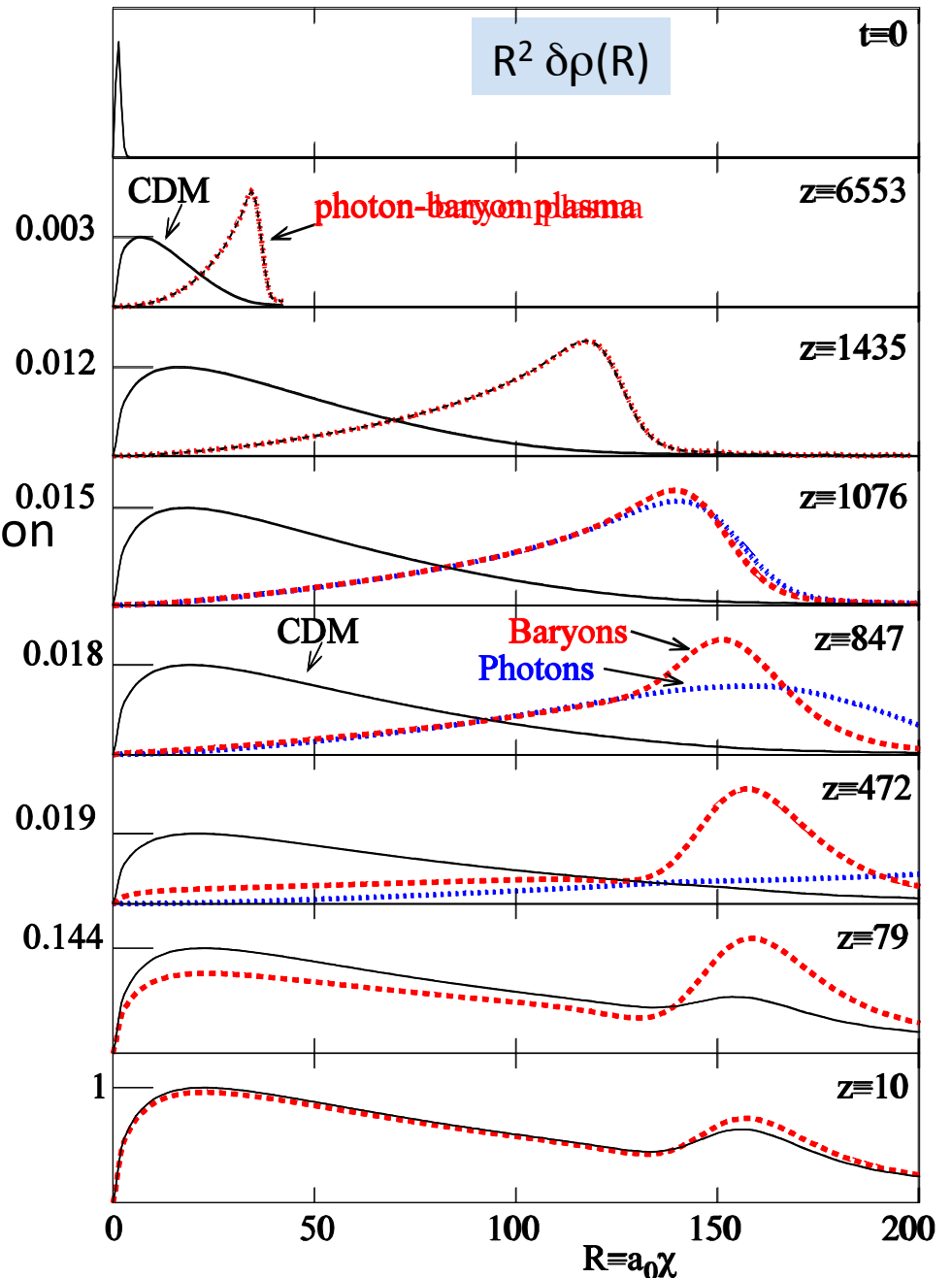
- Supernovae
- Redshift surveys
  - BAO
  - Redshift Space Distortion
- Clusters
  - SZ
  - optical
  - X-ray
- Weak lensing

# BAO

- at  $z \gg 1000$  : baryon- $e^-$  plasma coupled to photons
- Over-density (overpressure)  $\Rightarrow$  acoustic waves
- $Z \sim 1100$  recombination : baryon-photon decoupling  $\Rightarrow$  pressure=0  $\Rightarrow$  frozen wave has travelled  $s = 150$  Mpc (comoving)
- Peak at 150 Mpc in autocorrelation function at all  $z$ 

$$\xi(\vec{r}) = \langle \rho(\vec{x})\rho(\vec{x} + \vec{r}) \rangle$$

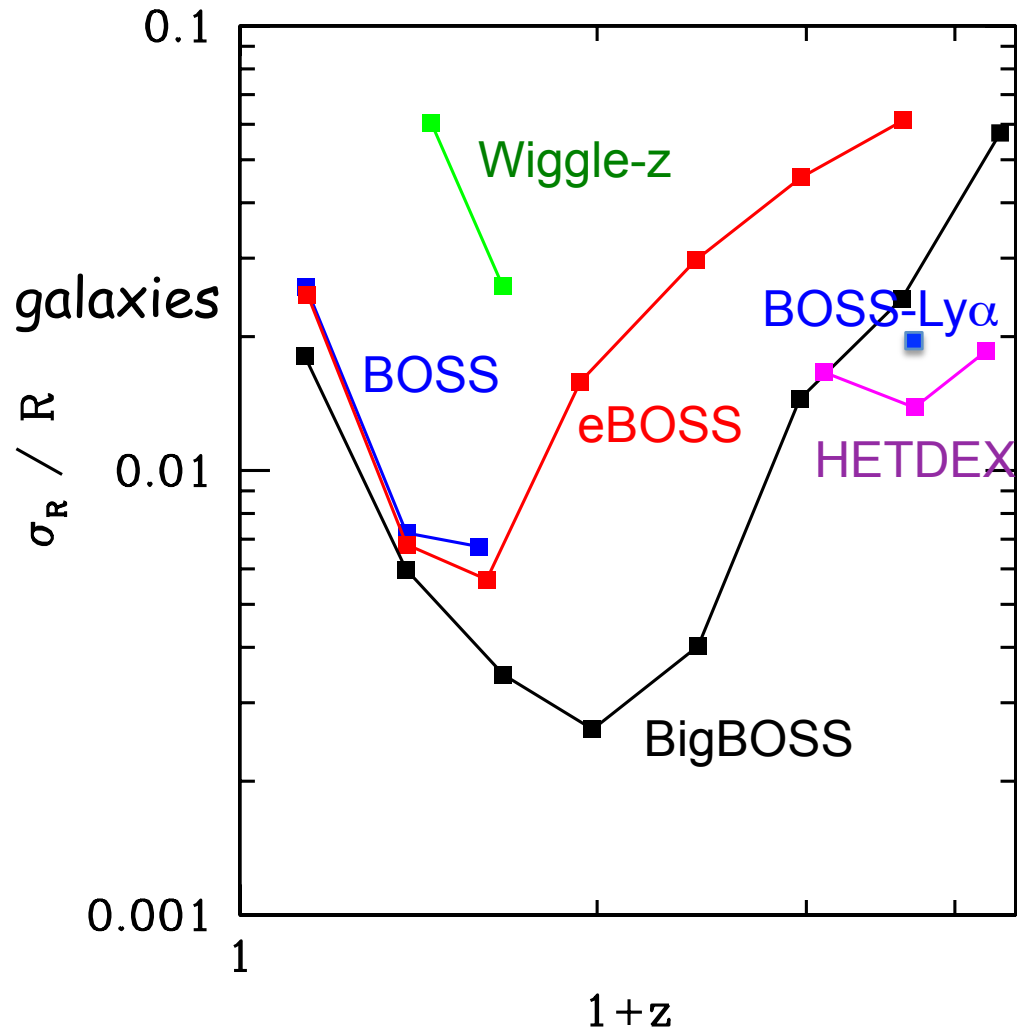
a 150 Mpc standard ruler
- Geometrical measurement, linear physics: low systematic



# BAO

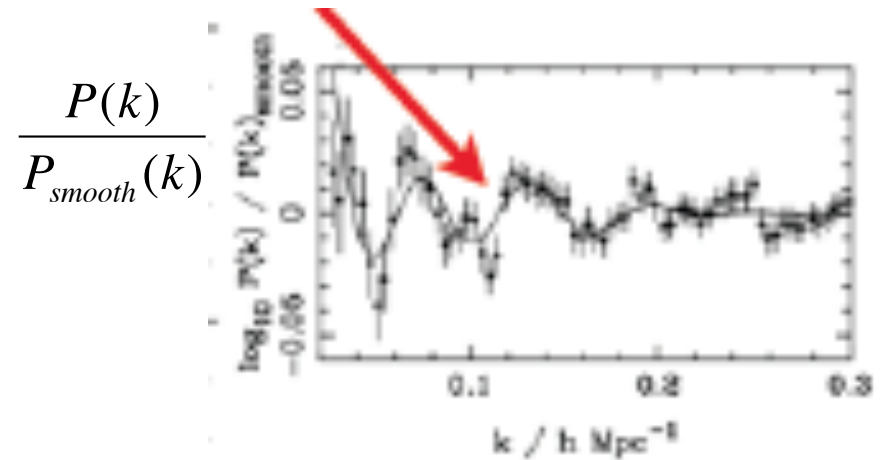
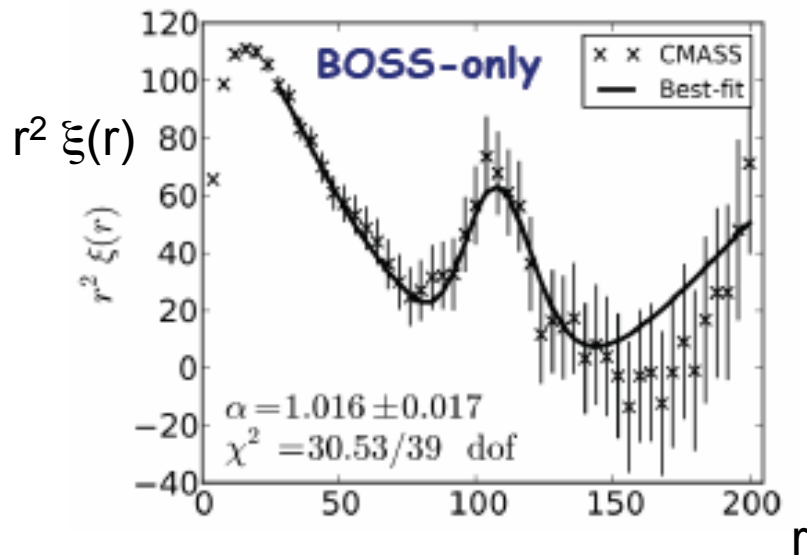
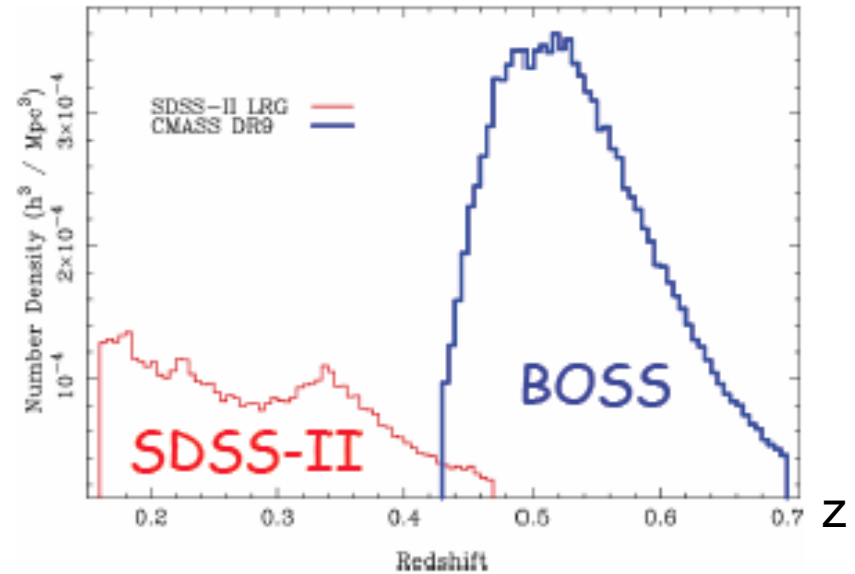
## HETDEX

- 9.2 m telescope
- 0.75M Lyman- $\alpha$  emitting galaxies
- $1.9 < z < 3.5$
- 300 deg<sup>2</sup>
- start January 2013

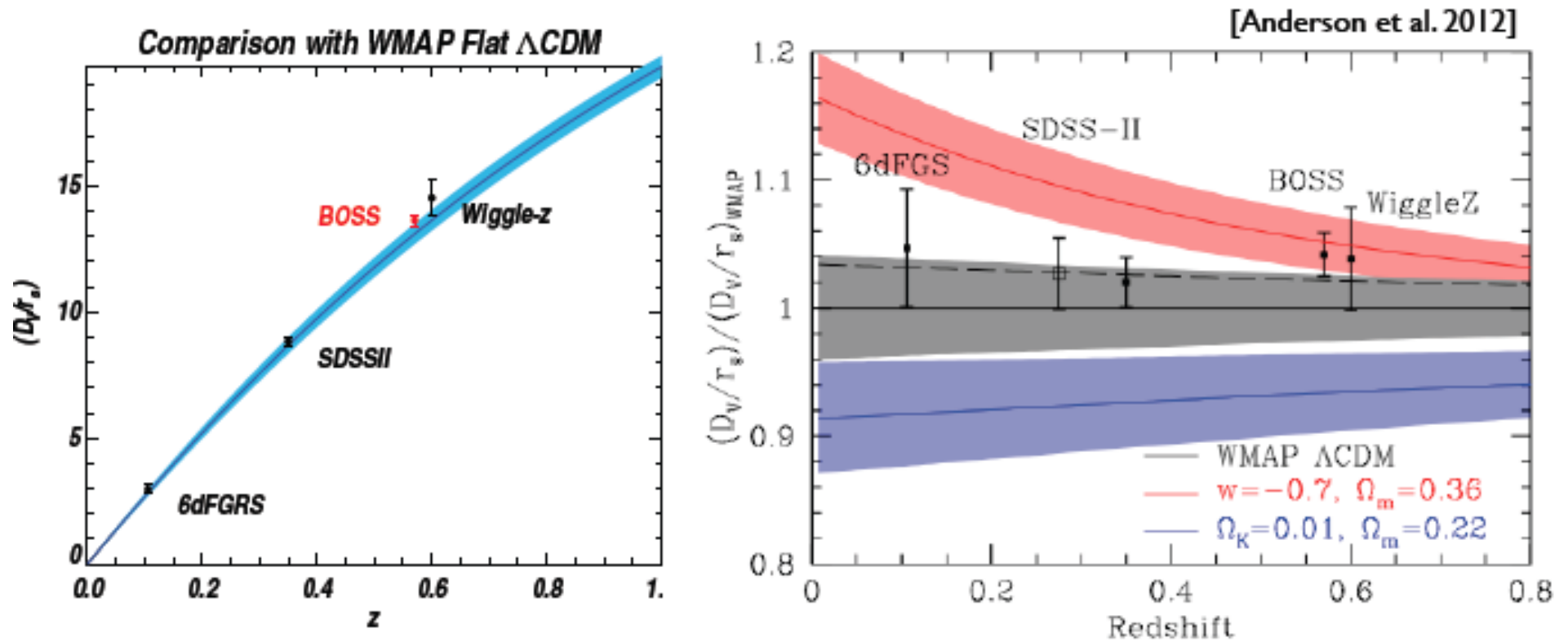


# BOSS

- 2009-2014
- DR9: with 18% of data
- BAO BOSS alone :  $5 \sigma$   
BOSS + SDSSII:  $7 \sigma$
- $D_V(z)=[D_A^2(z)/H(z)]^{1/3}$



# BOSS and Wiggle-Z



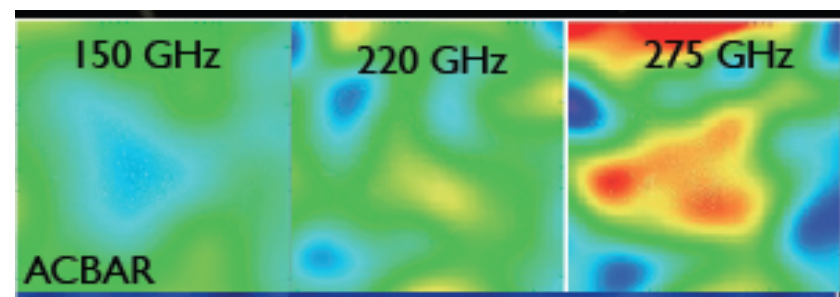
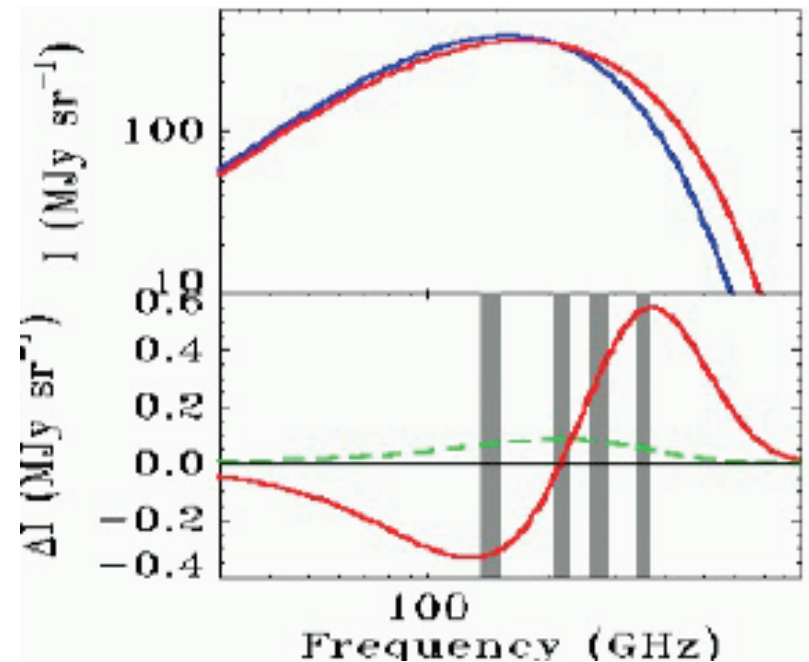
consistent with WMAP

$$\Omega_m = 0.268 \pm 0.029 \text{ (WMAP)}$$

$$\Omega_m = 0.293 \pm 0.012 \text{ (WMAP+SDSS)}$$

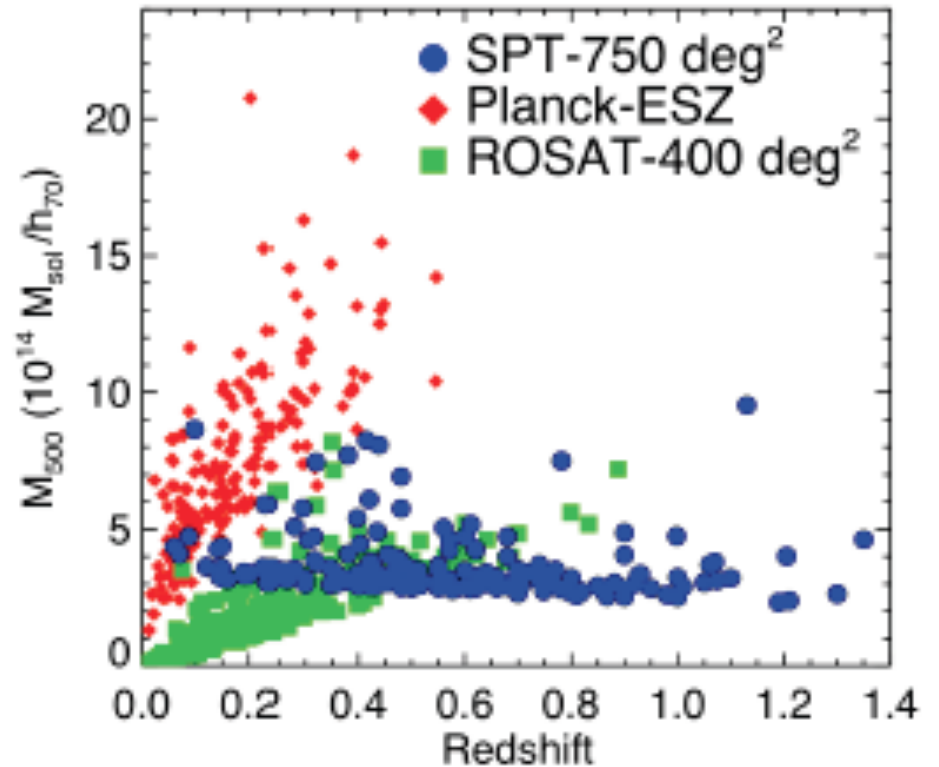
# cluster detection

- X : hot gas ( $10^7\text{K}$ )
  - T  $\rightarrow$  Mass relation  
for virialized clusters
  - luminosity  $1/D_L^2$
- Sunyaev-Zeldovich  
 $\gamma e \rightarrow \gamma e$  on hot gas  
distortion of CMB spectra
  - independent of z
  - M and z degenerate  
confirmation in optical  $\rightarrow$  z
- $dN/dMdV(z) \rightarrow$  cosmology



# cluster perspectives

- X:  
ROSAT
- SZ:  
Planck: already 189  
SPT: expect 500  
ACT: already 100



- studies about biases in  $M$
- many results to come in next years

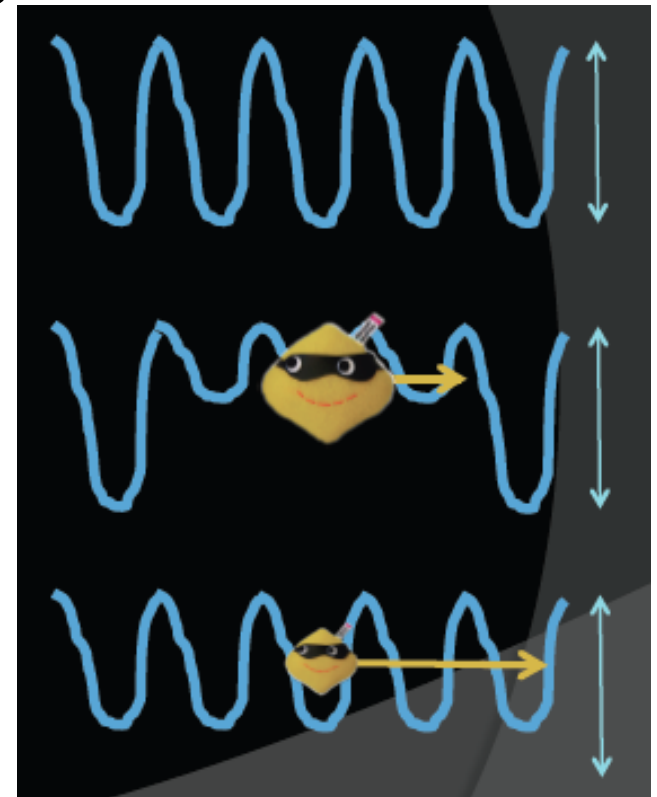
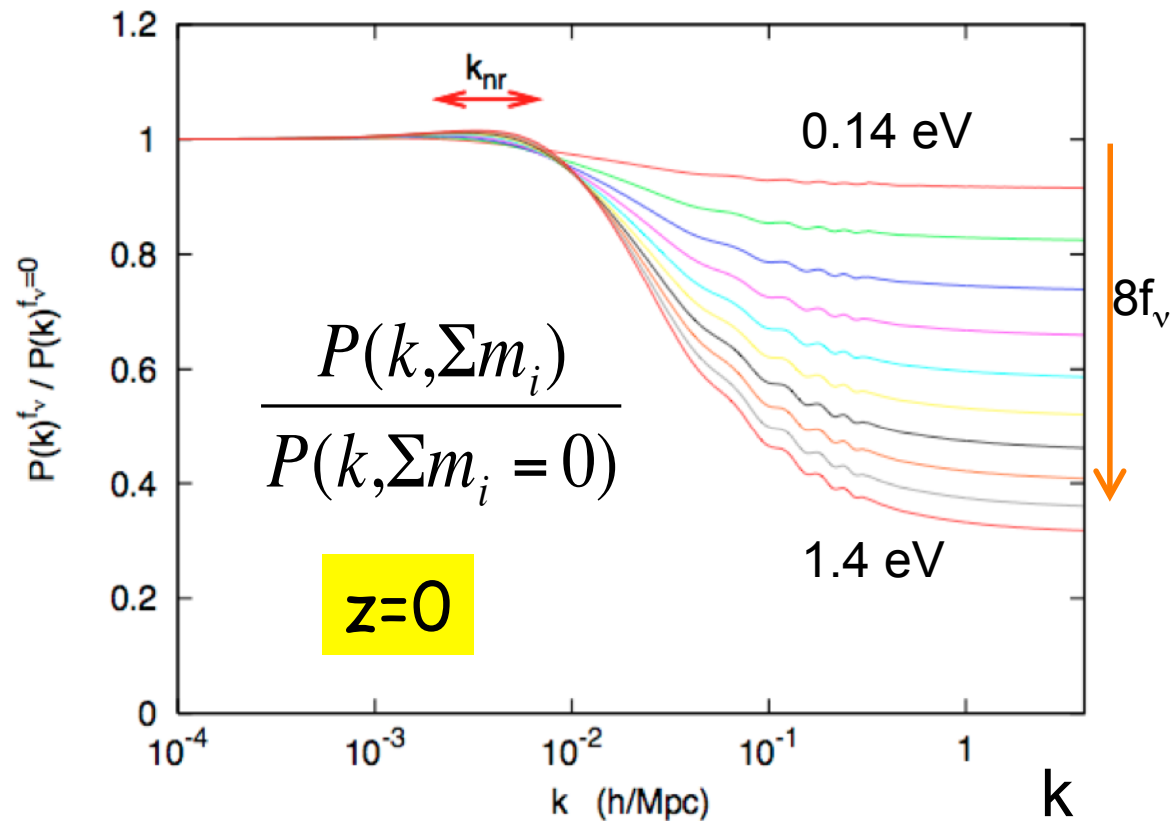


# neutrinos and dark matter

# $\Sigma m_\nu$ and $P(k)$

neutrinos "free stream" and spread out gravitational potential

Heavy  $\nu$ : strong suppression over short range  
light  $\nu$ : weak suppression over long range



# results for $\Sigma m_\nu$

- direct experiments :  $0.06 < \Sigma m_\nu < 6 \text{ eV}$
- CMB :  $\Sigma m_\nu < 1.3 \text{ eV}$  (Komatsu 2010)
- CMB + SDSS :  $\Sigma m_\nu < 0.62 \text{ eV}$  (Reid 2010)
- CMB + SDSS + Lyman  $\alpha$  :  $\Sigma m_\nu < 0.28 \text{ eV}$  (Seljak 2006) but ...
- Lyman  $\alpha$  alone :  $\Sigma m_\nu < 0.9 \text{ eV}$  (Viel 2010)

## NEW

- cluster (SPT) :  $\Sigma m_\nu < 0.28 \text{ eV}$  (de Putter 2011)
- Wiggle Z :  $\Sigma m_\nu < 0.29 \text{ eV}$  (Riemer-Sorenson 2011)

## FUTURE

- BOSS Lyman  $\alpha$  :  $\Sigma m_\nu < 0. \text{ eV}$
- Euclid :  $\Sigma m_\nu < 0.1 \text{ eV}$
- SKA (radio) :  $\Sigma m_\nu < 0.05 \text{ eV}$  -> measurement

**SPARES**

# Le CMB est polarisé à $\sim 10\%$

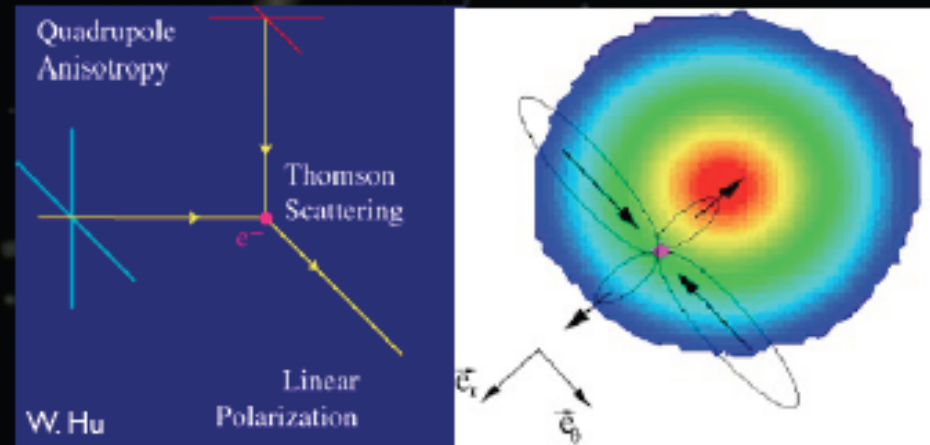
★ Paramètres de Stokes :

$$I(\vec{n}) = \langle |E_{\parallel}(\vec{n})|^2 \rangle + \langle |E_{\perp}(\vec{n})|^2 \rangle \quad (\text{scalaire})$$

$$Q(\vec{n}) = \langle |E_{\parallel}(\vec{n})|^2 \rangle - \langle |E_{\perp}(\vec{n})|^2 \rangle \quad (\text{spin } 2)$$

$$U(\vec{n}) = \langle E_{\parallel}(\vec{n})E_{\perp}^*(\vec{n}) \rangle + \langle E_{\perp}(\vec{n})E_{\parallel}^*(\vec{n}) \rangle \quad (\text{spin } 2)$$

$$V(\vec{n}) = i \left( \langle E_{\parallel}(\vec{n})E_{\perp}^*(\vec{n}) \rangle - \langle E_{\perp}(\vec{n})E_{\parallel}^*(\vec{n}) \rangle \right) \quad (\text{spin } 2)$$



★ Décomposition en harmoniques sphériques de spin +/- 2

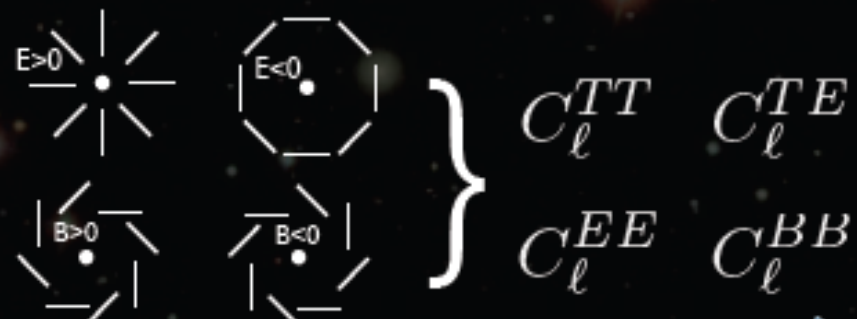
$$Q(\vec{n}) + iU(\vec{n}) = \sum_{\ell m} a_{2,\ell m} {}_2Y_{\ell m}(\vec{n})$$

$$Q(\vec{n}) - iU(\vec{n}) = \sum_{\ell m} a_{-2,\ell m} {}_{-2}Y_{\ell m}(\vec{n})$$

★ Tout champ de polarisation peut être décomposé en 2 champs scalaires E et B

$$a_{E,\ell m} = \frac{a_{2,\ell m} + a_{-2,\ell m}}{2} \quad (\text{pair})$$

$$a_{B,\ell m} = i \frac{a_{2,\ell m} - a_{-2,\ell m}}{2} \quad (\text{impair})$$



# $m_\nu$ and density fluctuations

- at high  $z$ ,  $\nu$  are relativistic  
they "free stream" over all scales :  $\delta_\nu \approx 0$
- when  $z < z_{nr} = 1890 (m_\nu / 1\text{eV})$  :  $\nu$  non relativistic  
free streaming length  
large scales  $\delta_{CDM} \propto a$   
small scales  $\delta_{CDM} \propto a^{1-0.6f_\nu}$   $f_\nu = \frac{\Omega_\nu}{\Omega_m}$

# Effect on different scales

small scale modes

$$\delta_\nu \approx 0$$

$$\delta_{CDM} \propto a^{1-0.6f_\nu}$$

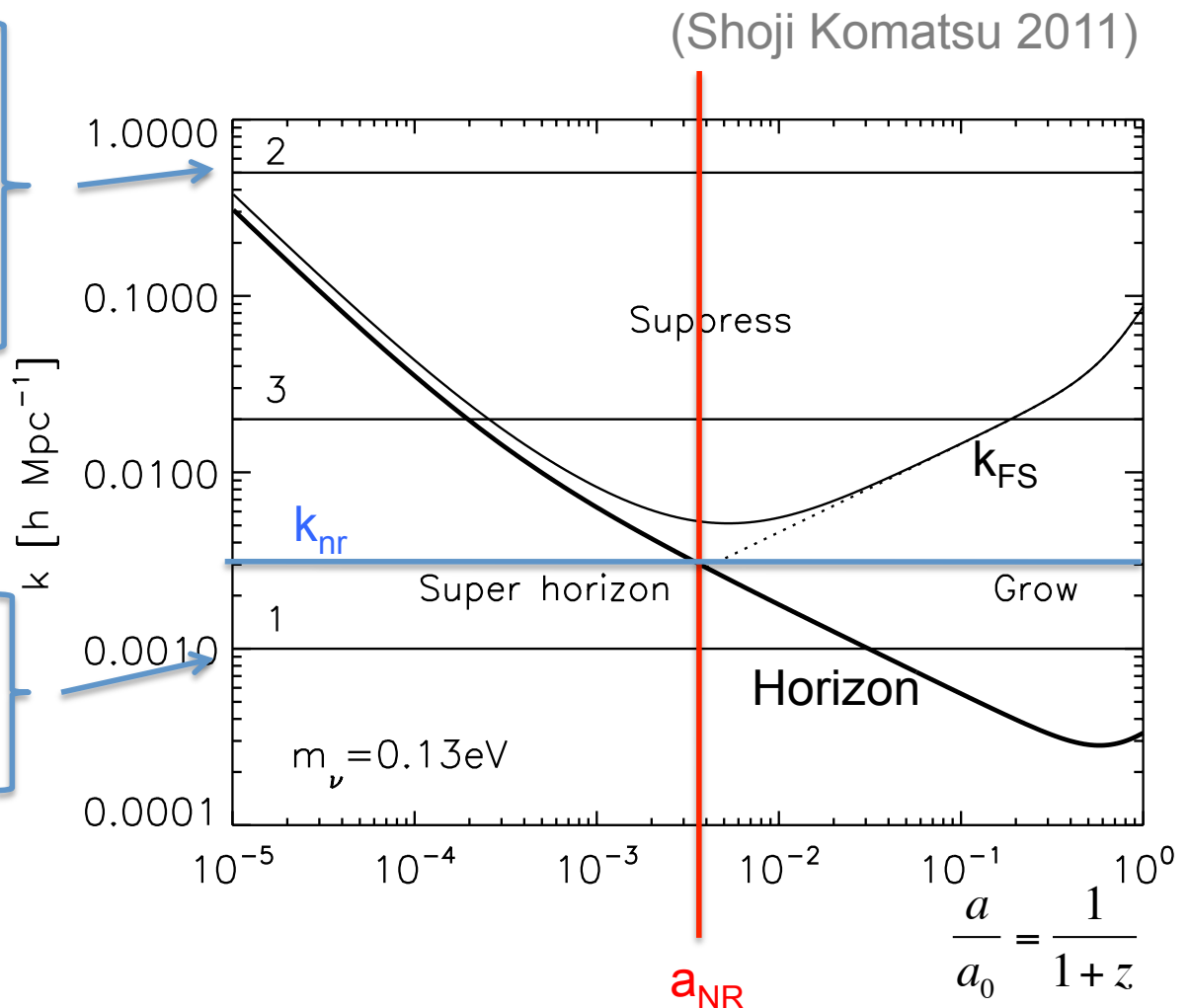
integrated to  $z=0$

$$\rightarrow \Delta P(k) = -8f_\nu P(k, m_\nu=0)$$

large scale modes ( $k < k_{nr}$ )

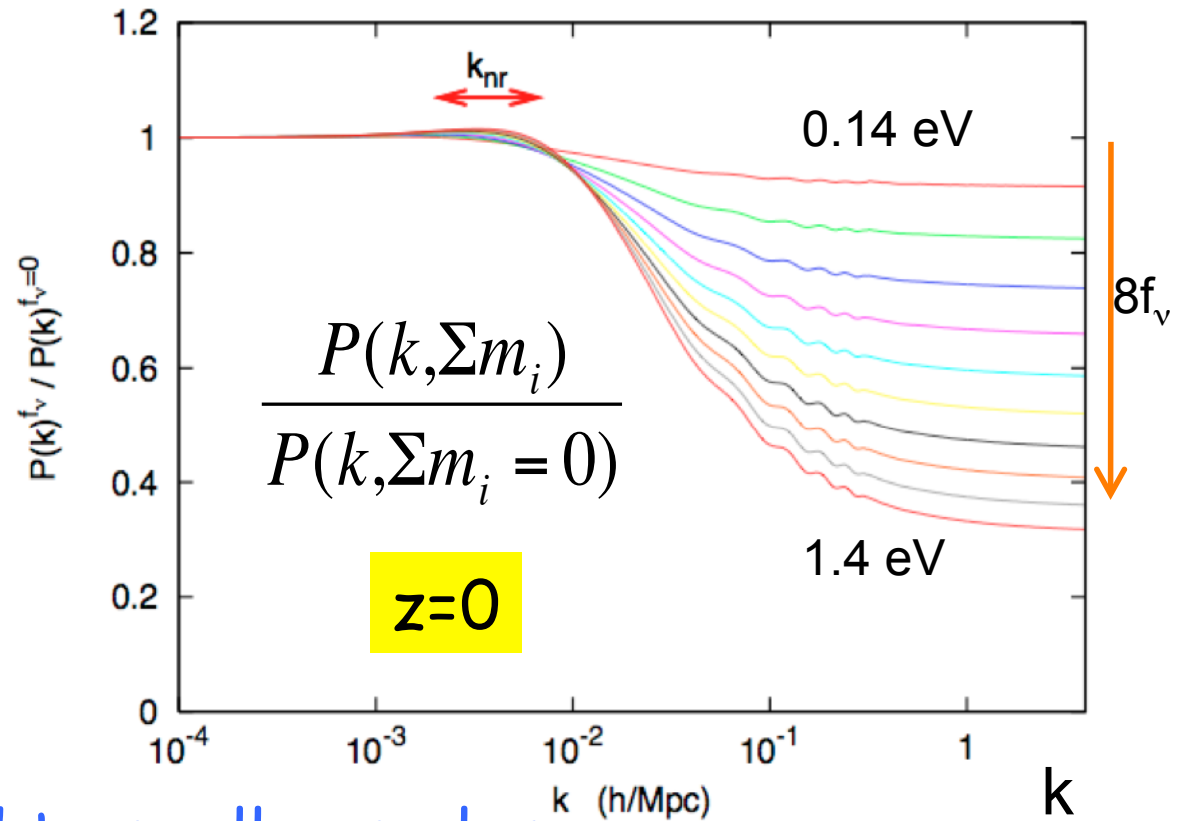
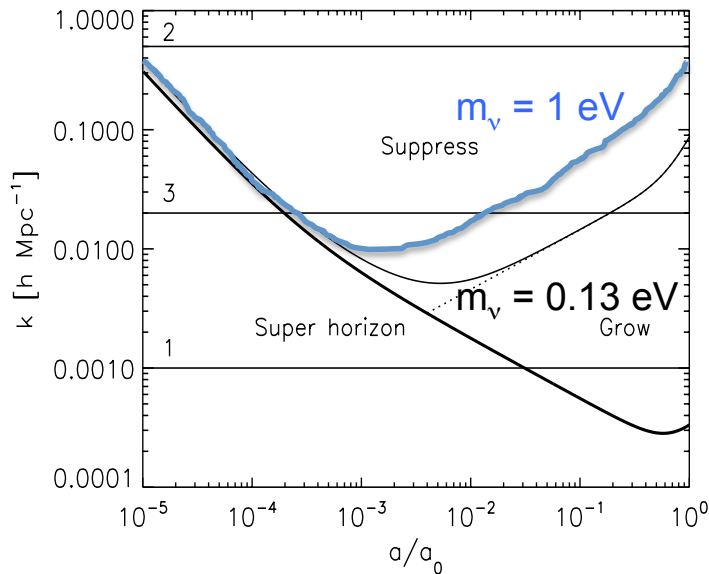
$$\delta_\nu \approx \delta_{cdm}$$

$P(k)$  not reduced by  $m_\nu$



# Resulting $P(k)$

When  $m_\nu$  increases :



$k_{nr}$  increases

$|\Delta P/P| = 8 f_\nu$  increases

more effect but limited to smaller scales

shape  $z$  dependent





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